Roll no .: -053 Name :-Rushi Daulatkar

```
Experiment No.: - 02 Aim: - To Verify Validity, satisfiablity and logical equivalence in propositional calculus.
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In [8]:
f=propcalc.formula("a&b")
In [9]:
f.truthtable()
Out[9]:
              value
      b
False False False
False True
              False
      False False
True
True
      True
            True
In [12]:
g=propcalc.formula("a|b")
In [13]:
g.truthtable()
Out[13]:
              value
      h
False False
             False
False True
              True
      False True
      True
            True
True
In [16]:
h=propcalc.formula("p<->q")
In [17]:
h.truthtable()
Out[17]:
              value
False False True
False True
             False
True
      False False
True
      True
             True
In [20]:
i=propcalc.formula("p->q")
In [21]:
i.truthtable()
Out[21]:
              value
       q
False False
             True
False
      True
              True
True
      False False
True
      True
             True
Q1.i
In [23]:
m1=propcalc.formula("(p&q)&~(p|q)")
```

```
In [24]:
m1.truthtable()
Out[24]:
              value
       q
False False False
False True False
       False False
True
True
       True
             False
In [35]:
m1.is_tautology()
Out[35]:
False
In [36]:
m1.is_contradiction()
Out[36]:
True
In [37]:
m1.is_satisfiable()
Out[37]:
False
Q1.ii
In [38]:
m2=propcalc.formula("(p->q)<->(\sim p|q)")
In [39]:
m2.truthtable()
Out[39]:
              value
False False
              True
False True
              True
True
      False True
True
      True True
In [40]:
m2.is_tautology()
Out[40]:
True
In [41]:
m2.is_contradiction()
Out[41]:
False
In [42]:
m2.is_satisfiable()
Out[42]:
True
Q1.iii
In [43]:
m3=propcalc.formula("(a|b)<->((~a&c)->(b&c))")
```

```
In [44]:
m3.truthtable()
Out[44]:
                     value
       b
False False False
False False True
                     True
False True
False True
              False True
              True
                     True
       False False True
True
True
       False True
                     True
True
       True
              False True
True
       True
             True
                     True
In [45]:
m3.is_tautology()
Out[45]:
False
In [46]:
m3.is_contradiction()
Out[46]:
False
In [47]:
m3.is_satisfiable()
Out[47]:
True
Q1.iv
In [49]:
m4=propcalc.formula("(p|q)&(\sim p)&(\sim q)")
In [50]:
m4.truthtable()
Out[50]:
              value
False False False
False True
             False
      False False
      True False
True
In [51]:
m4.is_tautology()
Out[51]:
False
In [52]:
m4.is_contradiction()
Out[52]:
True
In [53]:
m4.is_satisfiable()
Out[53]:
False
```

Q2.i

```
In [54]:
m5=propcalc.formula("~(p&q)")
In [57]:
m6=propcalc.formula("\sim p|\sim q")
In [58]:
m5==m6
Out[58]:
True
Q3.
In [60]:
x = propcalc. formula("((p->(~q))&(r->q)&r)->(~p)")
In [61]:
x.truthtable()
Out[61]:
p q r valu
False False True
                       value
False False True
                       True
False True
              False True
False True
               True
                       True
       False False True
True
True
       False True
                      True
True
       True
               False True
       True
True
               True
                      True
In [62]:
x.is_tautology()
Out[62]:
True
As the x is valid
conclusion:-The validity ,satisfiablity and logical equivalence is verified in propositional calculus.
In [ ]:
```