

8 Puzzle Game

goal state =

$\begin{Bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 0 \end{Bmatrix}$

moves = $\{ \begin{matrix} \text{down} & \text{left} & \text{up} & \text{right} \\ (1, 0) & (0, 1) & (-1, 0) & (0, -1) \end{matrix} \}$

def manhattan(state)

for i in range(3)

for j in range(3)

if (state[i][j] != 0) *per of elem in goal state we check the range according to 3x3 matrix*

goal_i, goal_j = divmod(state[i][j], 3)

distance = goal_i + goal_j

def getneighbours

for i in range(3)

for j in range(3)

pos_i = i + move[0]

pos_j = j + move[1]

This function gets the neighbouring elements on the puzzle as shuffles

This above logic gets the puzzles arranged using manhattan distance where we calculate the horizontal and vertical distance of the element in the goal state from initial state

Next in the dfs function we take two variables visited and unvisited all the elements that have been checked and placed in correct order are assigned in visited list and all the elements that are not checked are placed in unvisited list we do this so that the same element is not checked in the new state again and again

1	2	3
4	5	6
7	8	0

3	1	8
7	6	4
0	2	5

curr. state = { }

goal. state = { }

stack. push(curr. state)

moves = 0

if (curr. state == goal. state)

left = (0, 1) → row

up = (-1, 0) → column

right = (0, -1)

down = (1, 0)

}

print (moves)

initial state
= 3 1 8
7 6 4
0 2 5
(0, 0, 0)
(0, 1, 0)
(0, 2, 0)
(1, 0, 0)
(1, 1, 0)
(1, 2, 0)

~~Proceed~~

(state) active. minimum path
0 = cost

(0) space in i

(0) space in j

0 = 1 if (i, j) state is

goal - 1, goal - i - loop

distance = (i - goal - i) + (j - goal - j)

distance

(state) space - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

state = goal - i - j

from collections import deque
GOAL-STATE = 1

(1, 2, 3),
(4, 5, 6),
(7, 8, 0)

1

MOVES = 1

(-1, 0),
(1, 0),
(0, -1),
(0, 1)

]

def manhattan-distance(state):

distance = 0

for i in range(3):

for j in range(3):

if state[i][j] != 0:

goal-i, goal-j = divmod(state[i][j]-1, 3)

distance += abs(i-goal-i) + abs(j-goal-j)

return distance

def is-goal-state(state):

return state == GOAL-STATE

def get-neighbours(state):

neighbors = []

for i in range(3):

for j in range(3):

if (state[i][j] != 0):

for move in MOVES:

ni, nj = i+move[0], j+move[1]

if 0 <= ni < 3 and 0 <= nj < 3:

newstate = [row[:] for row in state]

newstate[i][j], newstate[ni][nj] = newstate[ni][nj], newstate[i][j]

neighbors.append(newstate)

return neighbors

def dfs (state) :

queue : deque ([(state, [state])])

visited = set ()

while queue :

cs, fr = queue . popleft ()

if is-goal-state (cs) :

return fr

if tuple (map (tuple, cs)) in visited :

continue

visited.add (tuple (map (tuple, cs)))

for neighbor in get-neighbors (cs) :

queue.append (neighbor, fr + [neighbor])

return None

initial state = [

[4, 1, 3],

[7, 2, 6],

[5, 8, 0]

]

fr = dfs (initial-state)

if fr :

print ("solution found")

for state in fr :

for row in state :

print (row)

print ()

else :

print ("No solution found")

Output

solution found:

(0, 1, 3)
(4, 1, 3)
(7, 2, 6)
(5, 8, 0)

(1, 0, 3)
(4, 2, 6)
(7, 5, 8)

(4, 1, 3)
(7, 2, 6)
(0, 5, 8)

(4, 1, 3)
(0, 2, 6)
(7, 5, 8)

(1, 2, 3)
(4, 5, 6)
(7, 8, 0)

4	1	3
7	2	6
5	8	0

1	2	3
4	5	6
7	8	0

$$1 + 1 + 0 + 1 + 3 + 0 + 0 + 2 = 8$$

total moves = 8

8/10/24

Solution found:

[4, 1, 3]

[7, 2, 6]

[5, 8, 0]

[4, 1, 3]

[7, 2, 6]

[5, 0, 8]

[4, 1, 3]

[7, 2, 6]

[0, 5, 8]

[4, 1, 3]

[0, 2, 6]

[7, 5, 8]

[0, 1, 3]

[4, 2, 6]

[7, 5, 8]

[1, 0, 3]

[4, 2, 6]

[7, 5, 8]

[1, 2, 3]

[4, 0, 6]

[7, 5, 8]

[1, 2, 3]

[4, 5, 6]

[7, 0, 8]

[1, 2, 3]

[4, 5, 6]

[7, 8, 0]