

8 Payzle game goal state Initial solate a alyovithm F.(N): H(N)+G(N) deg H. n/ state targer) zilli (strong) seturn aum (21:4) The function En is used to decide which stage to crows rest it adds the moves taken any Hemaling moves to delounder cascly from the moves (state by, voited states). duridion. (Sh'down, 'v': uh, e': left, 'x' of b L: S directions append (a) 0,3,6 3 durection append (") 345 y 6.1.370 devections afferd at 6 7 8 up b.1-3 La directions of it. It checks of the new of demp not in visited states: date nor it hier visites pros mover apper d (Frant, bot +1) get of not it function to generate a new state bared on a most possible In this we create a copy of the curvers at at man to avoid modifying the oxiginal demp (b) teamer (b+n): swaps compty tile with ut neighbor for i in range (3) for if in sange(3) display the state in 3x3 format

dy auton (suc, farget): with printing by the aver = (ranc, o)) 11 deitof atotes to explox
liaited at other: () violed at over: 1) iterations: 0 display the current state if the usually state matches the tage date school the no of iteration display alak (currentol) us convent (0) = = longet Car africe deturn atenations In the main function add visited states to list the usus should give initial state & goal state & Deroced call a pundice solver ive The state of the state of

Iterative dupuring search ay ias (graph, etare, goal): det des (node, gode, defrh): cy dichth := 0: y node == goal . return (noch) eln. octwon None clif deph >0: for chied in quahr. get (node, (7): result: des (chia, goal, depth-1) af result is not None: veeturn Inode) + result setur None defith; o while trave. result: des (stout, go al, defith) of screet is not None: return Result depth += 1 dy mains(): quaph: { } noc: "nt ("noput ("Enter number of edays")) fruit l'Enter each edge in the format no ele 2 noars for _ in sange (noe): node 2, node 2: infact (). septit () el noul in graph. graph/nodes).append(nodes) if node 2 in graph. quaph (nodis). append (node 1)

graph (no de a) = (node 1) entire and are a feet return graph dy main (): graph: main () & node: infrui ("Enter atarting node:") g-node: infut ("Enter goal nock: ") partie vids (graph, & node, g-noue) 1-17 of frath: fraint ("Path jound") fruint (" No path Jours!") y_name_ = = _main_ ". main () OIP. to his increase it Enter the number of colors: 14 Enter each cody YP RC XX 87 8 K 82 PS Fu XF FC, XH 1-18 RB HW Enver atouting node: Y Enter goal noel: f Roth found: Y - X - 1

4 stay dof H_n (alare, danger); return sum (x1=4 for x, y in zin ((atate, targer)) ag F_n (se, target): stan, lune: sl return H. n (Hate, target) + lul de frossible mover (se , visited - statu); state, lut = 60 b = state.indux(o) acceptions > () from - mover - () ej b(=s: elevections. affend ('a') y b> -3. directions, appeared ("u') 10<01.9 m decections append ('i') nd p.1.9 <1: directions appendi('r') for more in ducetions. temp: gen (state, more, h) of dung not in virted status: for mover append (stemp, wet + 1) aly open (State, move, b): temp: state.copy() ey move == : (:temp(b), temp(b-1) = temp(b-1), temp(b) if move: = '8' . temp(b), temp(b+1) = teach (b+1), temp in move == " templo, templo-3) = temp [10:3] templo-3) = templo-3) = templo-3) + templo-3) of move = 2 'a': terry(b), temp (b+3) = temp (b+ 5), total outler tent

def - display stat (drate): William frint ("Eurrent atout") for i'n range (0,9,3): frant (state (i: i+37) fruit () oly astar (suc, target): arun: ((src,0)) united: () 1° = 0 while our: j + = 1 current = oncio (aur, key = lambola x: f-n (x, target)) our somore (current) display- olate (aurent (0)) uf current (0) == tauget: return iterations visited-states. after a (avvient 10) avor extend (provible mover (avorent, visited states)) setwan Notfouner' wx: [1, 2,3,8,0,4,7,6,5) target: (2,8,1,0,1,13,7,6,5) frunt (astar (orc., target)

auful (1,2,3) (0,1,2) (8,0,4) (8,4,3) (1,6,5) (7,6,s) f. j . _{6.0} (2,0,3) [i, 2,3] (1,8,4) (1,8,4) (2,6,5) (12,3) $(\varepsilon_1, \varepsilon)$ (8,4,0) 10,2,47 (5,8,5) (2,0,4) (1,2,0) P8,1,2) (8,4,3) (0,4,3) Contract Contract $(2,3,\epsilon)$ (7,6,5) (1,0,2) (2,8,3) (8,4,3) 10,1,4) (7,6,2) (3,6,5) (1,2,3) (2,8,3) (8,6,4) 1-1,4,0) (2,0,5) [7,6,5] (112,3) (2,8,0) 18,4,5) (1,4,3) (3,6,0) Par6, 5) (6,1,07 2,3,4) They 18, a, 4) (1,8,0) P7,64 ta16,5) P1,3,0) [2,8,1] (8,2,4) (0, 4, 3) 17,618) [7,6,5]