



# Lecture 10

## Reproduction

WILD3810 (Spring 2019)

# Readings

Mills 70-71

# Life tables

Last week, we learned *why* and *how* to estimate age-specific patterns of survival and mortality



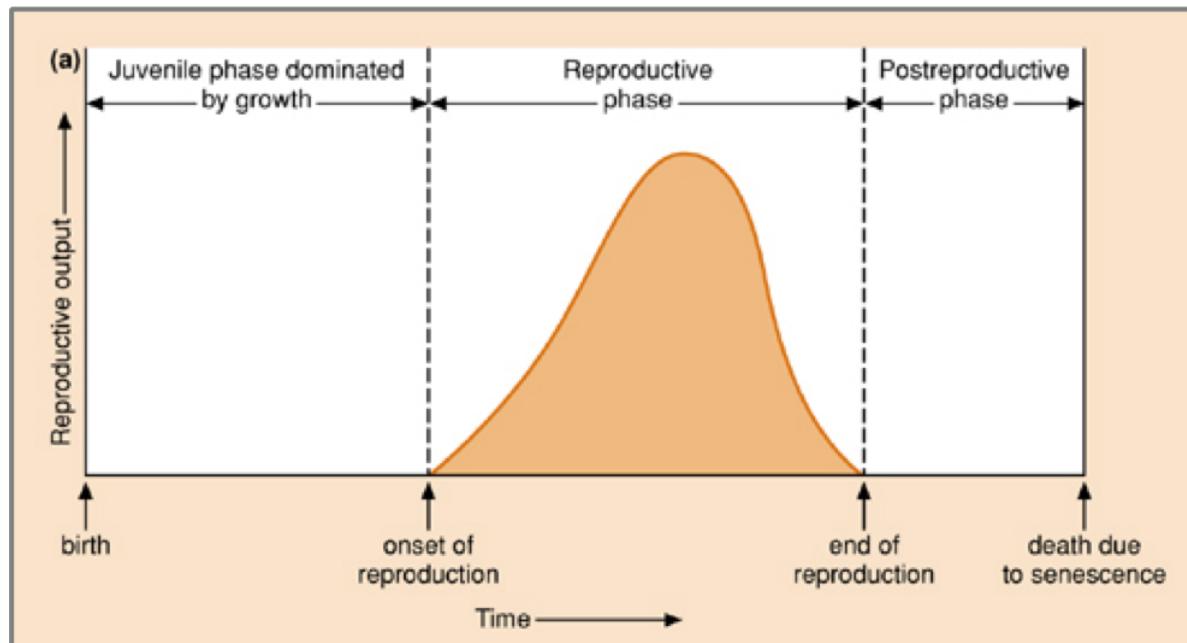
TABLE 1  
LIFE TABLE FOR *Phlox drummondii* AT NIXON, TEXAS

Age Interval (days) $x - x'$	Length of Interval (days) $D_x$	No. Surviving to Day $x$ $N_x$	Survivorship $l_x$	No. Dying During Interval $d_x$	Average Mortality Rate Per Day $q_x$	Mean Expectation of Life (days) $E_x$
0– 63 .....	63	996	1.0000	328	.0052	122.87
63–124 .....	61	668	.6707	373	.0092	104.73
124–184 .....	60	295	.2962	105	.0059	137.59
184–215 .....	31	190	.1908	14	.0024	137.05
215–231 .....	16	176	.1767	2	.0007	115.72
231–247 .....	16	174	.1747	1	.0004	100.96
247–264 .....	17	173	.1737	1	.0003	85.49
264–271 .....	7	172	.1727	2	.0017	68.94
271–278 .....	7	170	.1707	3	.0025	62.71
278–285 .....	7	167	.1677	2	.0017	56.78
285–292 .....	7	165	.1657	6	.0052	50.42
292–299 .....	7	159	.1596	1	.0009	45.19
299–306 .....	7	158	.1586	4	.0036	38.46
306–313 .....	7	154	.1546	3	.0028	32.36
313–320 .....	7	151	.1516	4	.0038	25.94
320–327 .....	7	147	.1476	11	.0107	19.55
327–334 .....	7	136	.1365	31	.0325	13.85
334–341 .....	7	105	.1054	31	.0422	9.90
341–348 .....	7	74	.0743	52	.1004	5.58
348–355 .....	7	22	.0221	22	.1428	3.50
355–362 .....	7	0	.0000			

# Life tables

Survival is not the only demographic process that varies with age

Reproductive output also varies with age



# Reproduction

# Reproduction

## Terminology

### Breeding Probability

chance an adult will breed

### Natality:

average number of offspring born per individual that reproduces

- Clutch Size: birds, monotremes, oviparous herps, fish & insects
- Litter Size: mammals, viviparous herps & fish
- Progeny number: all others

# Reproduction

## Terminology

Fecundity ( $m_x$ )

average number of offspring born per mature adult of age  $x$

- typically measured as the number of *female* offspring produced per adult female (limiting sex)

$$m_x = \frac{\text{Breeding Probability}_x \times \text{Natality}_x}{2}$$

# Reproduction

## Estimation

### Breeding Probability estimation

- Advanced multi-state CMR methods
- Hormone analysis (blood, hair/feather, or fecal samples)
- Flowering rates in mature plants

# Reproduction

## Estimation

### Breeding Probability estimation

- Advanced multi-state CMR methods
- Hormone analysis (blood, hair/feather, or fecal samples)
- Flowering rates in mature plants

### Natality estimation

- Direct observations in a sample of clutches, litters, or seed sets
- Number of corpora lutea scars in ovaries of hunted mammals
- Field ultrasounds on live captured individuals

# Reproduction

## Estimation using life tables

- $F_x$ : Total offspring produced by each age class

$x$	$N_x$	$l_x$	$F_x$		
0	996	1.000	-		
7	159	0.160	53		
8	154	0.155	485		
9	147	0.148	802		
10	105	0.105	972		
11	22	0.022	95		
12	0	0.000	-		

# Reproduction

- $m_x$ : Number of offspring produced per living individual in age class  $x$  (fecundity)

$x$	$N_x$	$l_x$	$F_x$	$m_x$	
0	996	1.000	-	-	
7	159	0.160	53	0.33	
8	154	0.155	485	3.13	
9	147	0.148	802	5.42	
10	105	0.105	972	9.26	
11	22	0.022	95	4.31	
12	0	0.000	-	-	

# Reproduction

- $l_x m_x$ : Number of offspring produced per **original** individual

(x)	(N_x)	(l_x)	(F_x)	(m_x)	(l_xm_x)
0	996	1.000	-	-	-
7	159	0.160	53	0.33	0.0528
8	154	0.155	485	3.13	0.48515
9	147	0.148	802	5.42	0.80216
10	105	0.105	972	9.26	0.9723
11	22	0.022	95	4.31	0.09482
12	0	0.000	-	-	-

$$R_0: \text{Basic reproductive rate} = \sum l_x m_x = \frac{\sum F_x}{N_0} = 2.41$$

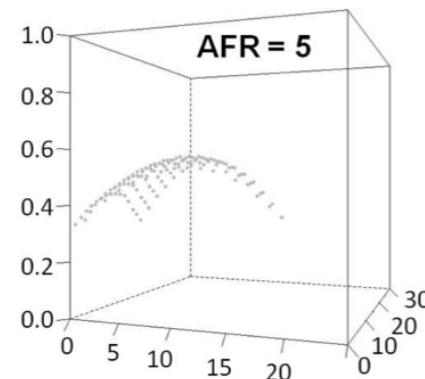
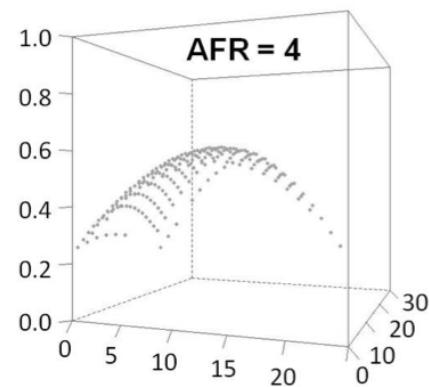
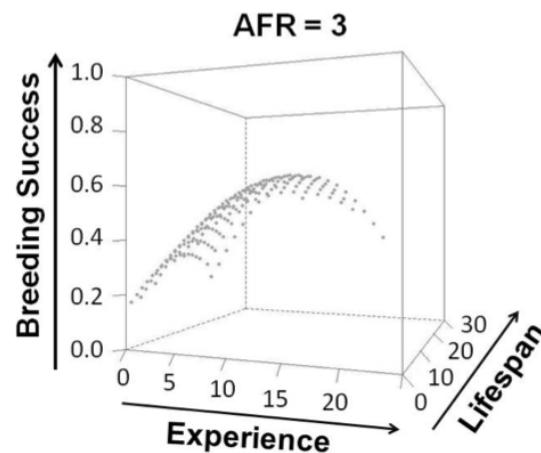
# Reproduction

$R_0$ : Basic reproductive rate

- includes the influence of both survival ( $l_x$ ) and reproduction of survivors ( $m_x$ )
  - 15.5% of individuals survive to age 8
  - those survivors produce, on average, 3.13 offspring
  - the average number of offspring produced by 8yo individuals **per original individual** = 0.48
- defines the overall extent to which population changes
  - $R_0 = 1$  means the population exactly replaces itself per *generation*
- $r \approx \frac{\ln(R_0)}{T}$ 
  - $T$  = **average cohort lifespan** (average time from the birth of an individual to the birth of its offspring)
  - annual species:  $T = 1, r = \ln(R_0)$

# Fecundity schedules

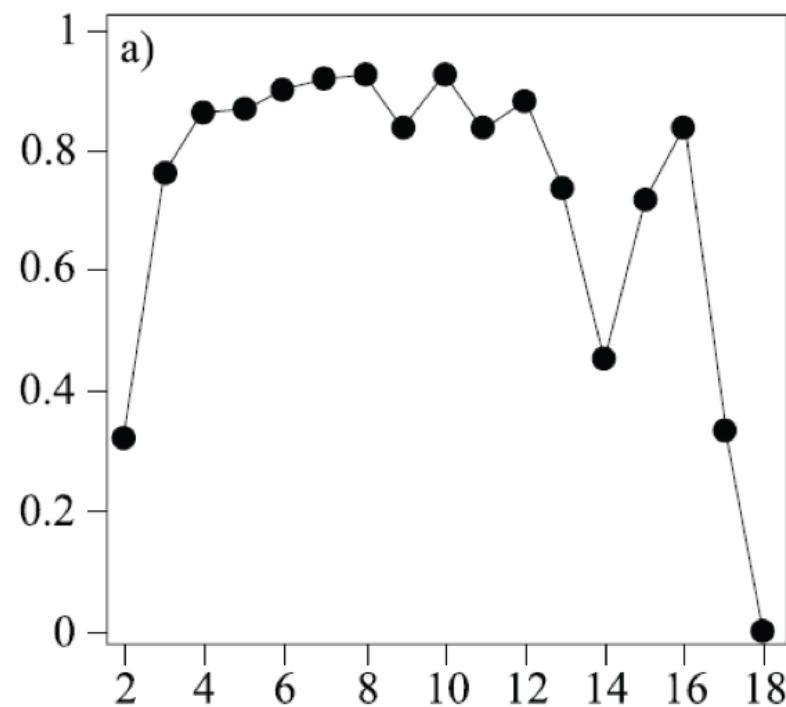
# Fecundity schedules



# Fecundity schedules



Breeding probability vs. age



# Fecundity schedules

Change in Canadian fecundity schedules over time



Births/1000 women

