# **CS1010S**

Tutorial 5: Data Abstraction

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Slice operator

Tuple

**Immutability** 

## Slice operator [::]

Slicing

### Slicing

Given an iterable object **seq** (str, tuple)

You can slice it using seq[start:end:step]

The start, end and step is similar to range

- Inclusive start
- Exclusive end
- Any integer step, use only **positive integer** in CS1010S

#### **Slicing and range**

```
>>> tup1 = (1, 2, 3, 4, 5)
>>> str1 = '12345'
>>> tup1[0:4:2] # Include at 0, exclude at 4
    (1, 3)
>>> str1[0:4:2] # Works on string
    1131
>>> for i in range(0, 4, 2): # Same behavior as range
        print(tup1[i])
>>> 1
```

## **Tuples**

Immutable sequences

#### **Tuple**

```
A immutable sequence of elements
Is reference type
Element could be any type
Syntax: (..., ...,)
Always remember the COMMA (...,)
(1, 2,) # Looks weird but ok
(1, 2) # Normal
(1,) # Comma needed
```

#### **Tuple**

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(1, 2) # Normal
(1,) # Comma needed
```

```
Primitive Type: (int, str, float, bool, none)
a = "same"
b = \text{``same''}
a == b # True
a is b # True
x = 257
y = 257
x is y # False (weird behavior)
Reference Type:
- Look alike (!⇒) Same Identity
- Same Identity ⇒ Look alike
tup1 = (1,2)
tup2 = (1,2)
tup1 == tup2 # True
tup1 is tup2 # False
```

#### **Modifying Tuples**

```
How to append to tuples?
(1, 2, 3, 4) -> (1, 2, 3, 4, 5)

>>> seq1 = (1, 2, 3, 4)

>>> seq2 = seq1 + (5, )

>>> seq2
(1, 2, 3, 4, 5)
```

#### **Modifying Tuples**

```
How to append to tuples?
(1, 2, 3, 4) \rightarrow (1, 2, 3, 4, 5)
>>> seq1 = (1, 2, 3, 4)
>>> seq2 = seq1 + (5, )
>>> seq2
(1, 2, 3, 4, 5)
seq2 \longrightarrow 1
2
3
4
5
```

### **Modifying Tuples**

```
How to append to tuples? (1, 2, 3, 4) \rightarrow (1, 2, 3, 4, 5)
>>> seq1 = (1, 2, 3, 4)
>>> seq2 = seq1 + (5, )

>>> seq2 \qquad \quad \q
```

seq1 is unchanged due to **immutability** A **new tuple** seq2 is created

#### **Iterating Sequences**

$$seq = tuple(range(0, 4, 1)) # (0, 1, 2, 3)$$

Two ways to iterate through seq

Iterate through elements
 Iterate through indices

```
for i in seq:
   print(i)
```

```
for i in range(0, len(seq), 1):
   print(seq[i])
```

Which do you prefer?

## **Abstract data types**

Encapsulation

#### **ADT Behaviour**

Internal implementation of ADT is hidden from user

• Only need to know expected behaviour

#### **ADT Behaviour**

Internal implementation of ADT is hidden from user

• Only need to know expected behaviour

Getters and setters provide interface to data structures.

```
make_point(x,y) \rightarrow (x, y)
get_x(point) \rightarrow x_coor_of_point
get_y(point) \rightarrow y_coor_of_point

get_x(make_point(2,9)) == 2
get_y(make_point(2,9)) == 9
```

# You can use it WITHOUT knowing HOW it is implemented!

#### **ADT Behaviour**

Getters and setters provide interface to data structures.

```
# Suppose this is the implementation # (don't use this for exams!!!) make_point = \lambda x, y: \lambda s: x if s == 0 else y get_x = \lambda p: p(0) get_y = \lambda p: p(1) # You might not even understand what is the code doing! # But you as a user, just need to know how to use!
```

## **Tutorial 5**

**Data Abstraction** 

- (a) In this question, you will implement a representation of line segments in a 2D plane. Some sample executions are provided for you to test your implementations but you are **strongly encouraged** to create your own test cases.
  - i. A point can be represented as a pair of numbers: the *x* coordinate and the *y* coordinate.

Based on this representation of a point

- Implement a point constructor make\_point.
- Implement a selector x\_point which returns the x coordinate of a given point.
- Implement a selector y\_point which returns the y coordinate of a given point.

ii. A line segment has two endpoints. It can be represented by a pair of points: a starting point and an ending point.

Based on this representation of a line segment, implement a line segment constructor make\_segment.

Implement a selector start\_segment which returns the starting point of a given line segment.

Implement a selector end\_segment which returns the ending point of a given line segment.

iii. Finally, using the selectors and constructors which you have implemented, implement a function midpoint\_segment that takes a line segment as argument and returns its midpoint. (The midpoint of a line segment is the point whose coordinates are the averages of the coordinates of the endpoints of the line segment.)

Sample Runs (continued from ??):

```
m = midpoint_segment(s)
print_point(m) #expected printout: ( 3.5 , 5.0 )
```

```
Defined just now!
make_point(x, y) → point
x_point(point) → number
y_point(point) → number
```

```
make segment (point1, point2) \rightarrow segment
start segment (segment) → point
end segment (segment) → point
def make segment (point1, point2): # → segment
   return (point1, point2)
def start segment (segment): # → point
   return segment[0]
def end segment (segment): # → point
   return segment[1]
```

```
make_segment(point1, point2) → segment
start_segment(segment) → point
end_segment(segment) → point

def midpoint_segment(s): # → point
    s1, s2 = start_segment(s), end_segment(s)
    x = (x_point(s1) + x_point(s2))/2
    y = (y_point(s1) + y_point(s2))/2
    return make point(x, y)
```

#### **Question 1: Rectangles**

(b) Implement a representation for a rectangle in a 2D plane. In terms of your constructors and selectors, create functions that compute the perimeter and the area of a given rectangle.

Now implement an alternative representation for rectangles. Can you design your system with suitable abstraction barriers, so that the same perimeter and area functions will work using either representation?

#### **Question 1: Rectangles**

Rectangles can be defined in terms of their length/width, or their coordinates of their corners.

```
def make_rect1(l, w):
    return (l, w)

def make_rect2(tl, br):
    return (tl, br)
```

#### **Question 1: Rectangles**

```
How to know which abstraction being used? We can tag it!
def make rect1(1, w):
   return (1, w, "side")
                             def area(rect):
def make rect2(tl, br):
                                 if get tag(rect) == "side":
   return (tl, br, "pt")
                                     return area1(get value(rect))
                                 elif get tag(rect) == "pt":
def get tag(rect):
                                     return area2(get value(rect))
   return rect[-1]
def get value(rect):
   return rect[0:2:1]
```

### **Question 2: Product Data Type**

- (a) Your first task is to design a Product data type, which serves to model various perishable goods in the convenience store. The Product data type supports the following functions:
  - make\_product(name, shelf\_life) takes the name of the product (a string), and number of days (an integer) that the product can remain on the shelf before expiring. It returns a data type representing a product.
  - get\_name(product) takes in a product, and returns its name.
  - get\_shelf\_life(product) takes in a product, and returns its shelf life.

Decide on a data structure **using tuples** to represent a record, and implement the functions make\_product, get\_name, and get\_shelf\_life.

#### **Question 2: Product Data Type**

Decide on a data structure **using tuples** to represent a record, and implement the functions make\_product, get\_name, and get\_shelf\_life.

```
def make_product(name, shelf_life):
    return (name, shelf_life)

def get_name(product):
    return product[0]

def get_shelf_life(product):
    return product[1]
```

- (b) An Inventory is a collection of Product objects in the convenience store. The Inventory data type supports the following functions:
  - new\_inventory() returns a data type representing an inventory that does not contain any product.
  - add\_product(inv, product) takes in an inventory and a product, and returns
    a new inventory with a product added to it.
  - add\_one\_day(inv) takes in an inventory and returns a new inventory with the same products having sat one more day on the shelf.
  - get\_expired(inv) takes in an inventory and returns a tuple of products that
    have sat on the shelf longer than their shelf life. Note that the products
    returned should be equivalent to the products added to the inventory.
    See sample execution for details.

Decide on a data structure **using tuples** to represent an inventory. Provide an implementation for the functions new\_inventory, add\_product, add\_one\_day and get\_expired.

```
def make_inventory():
    return ()

def add_product(inv, product):
    return inv + ((product, 0), )

The plan is to represent an inventory as a tuple of (product, days in) pairs, so every new product has 0 days in.
```

```
def add one day(inv):
   res = ()
   for p in inv:
        res += ((p[0], p[1] + 1), )
   return res
def \ get \ expired(inv): \# \rightarrow (product1, product2, ...)
   res = ()
   for p in inv:
       if get shelf life(p[0]) < p[1]:</pre>
            res += (p[0], )
   return res
```

#### **Extra Question**

- How do you get the minimum number of days until at least one product in the inventory expires?
- How do you get the tuple of all distinct product names?

# The End