Page No. suppose $v = \left[\begin{array}{c} x \\ y \end{array} \right] \in \mathbb{R}^2$ Fo = [-C S][x] = [-Cx+sy] (suffects the line defined of Sx + Cy] by the normal westor The line of reeflection is along the S. .

Ergen vector Corresponding to the ergenvalue = -1. Jo = [C 5] Preserve the Orientation of the space [-s c] Perform the rotation by 0 suppose 0= [x] GIR2 Jou = [c s] [x] = [c x + su - s x + cy 070 votation Counterclockwie clockwyć. 0<0 sotation A = QR $A \in \phi m \times n$ initalize Q=I, R=A. 36) $J=1,\ldots,n$ column. i= rows from the bottom up. matrix entry aij: & ai+ij=0 c = aij $bilij = \begin{bmatrix} aij & c & c \\ +s & c \end{bmatrix}$ $\sqrt{aij}^2 + ai+j^2$ s = aitif.

Vaij 2+ aitij2 update 0 = 0. bij * R= Gij-R

 $A = \begin{bmatrix} 1 & 2 \\ 0 & 1 \end{bmatrix}$ such that $A = \hat{Q}\hat{R}$ az = (2,1,0) ar= (1,0,1) = U1 $q_1 = V_1 = \begin{pmatrix} 1 \\ \sqrt{2} \end{pmatrix}, \begin{pmatrix} 0 \\ \sqrt{2} \end{pmatrix}$ M1 = 11411 = 12 $V_2 = Q_2 - Q_1 Q_1 + Q_2$ = $Q_1 Q_1 Q_2 - (1, 1, -1)$ $92 = \sqrt{12} = (\frac{1}{13}, \frac{1}{13}, \frac{-1}{\sqrt{3}})$ $0 = \begin{bmatrix} 1172 & 1173 & R = fq. \#a, & q. \#q_2 & = \sqrt{2} & \sqrt{2} \\ 0 & 1/\sqrt{3} & 0 & q. \#q_2 & 0 & \sqrt{3} \\ 1/\sqrt{52} & -1/\sqrt{5} & 0 & 0 & 0 & 0 \\ \end{bmatrix}$ E 123x2 full A = OR 93 - 92 291 91 + 93 = 11/2 ×1 + 0 ×2 + 1/2 ×3 9249 = 11V3x1 + 41V3x2 - 11V3x3 $93 = \begin{bmatrix} 1 \\ -2 \end{bmatrix}$ $Q = \begin{bmatrix} 11\sqrt{2} \\ 11\sqrt{3} \end{bmatrix}$ $Q = \begin{bmatrix} 11\sqrt{3} \\ 11\sqrt{3} \end{bmatrix}$ $R = \sqrt{2} + \sqrt{2}$ $0 + \sqrt{3} = 1R^{3}X^{2}$ $0 + \sqrt{3} = 1R^{3}X^{2}$

y) A E & mxn rank(A)=n b E &m A*·r = 0, -> r null space (A*) r is orthogonal to the column of A. $\underline{J}_{Y} = b - A \cdot X \cdot \longrightarrow (Y = b - AX)$ $A^{*}(J \cdot Y) = A^{*}(b - A \cdot X) \cdot (Y = b - AX)$ $A^*Y = A^*b - A^*A \cdot X$ $A^{\alpha}A\chi = A^{\alpha}b$. A = full rank. => AA = positive definite X= ((A*A)-1 A*6 = A+b. which is a Unique solution 5) Function "magic" performs computation to elecaritment a matrix feelm it sugget value decomposition (SUD) -> Given Input matrix A. A=U·S·UB* UE EMXM unitary matrix Containing left Quigular value.

SE & mxn unitary matrix Containing rught singular value.

UE EMXM unitary matrix Containing rught singular value. Calculation of numerical tolerence o defene a machine epselon report Compute "tol" as the perduct of the maximum matrix dimension the 1st Singular value and eps. determine the piank (r) of the matrix. count the number of sugular value as S greater than the computed 4 tol4

Create a degonal matrix s' by taking the everiprocal of the 1st r singular value and leven cate the every lever the leven cated matrix (Utr S' Vtr) to form matrix.

X = Ver Utr S'o Utr

Utr supercent the 1st redumn of matrix u.

Vir represent the 1st redumn of matrix v.

The substite x will be a succonstruction of matrix (A),

Preserving only the information Corresponding to the

Significant singular value, effectively performing a

sank suduction while maintaining the most

Courtical information.