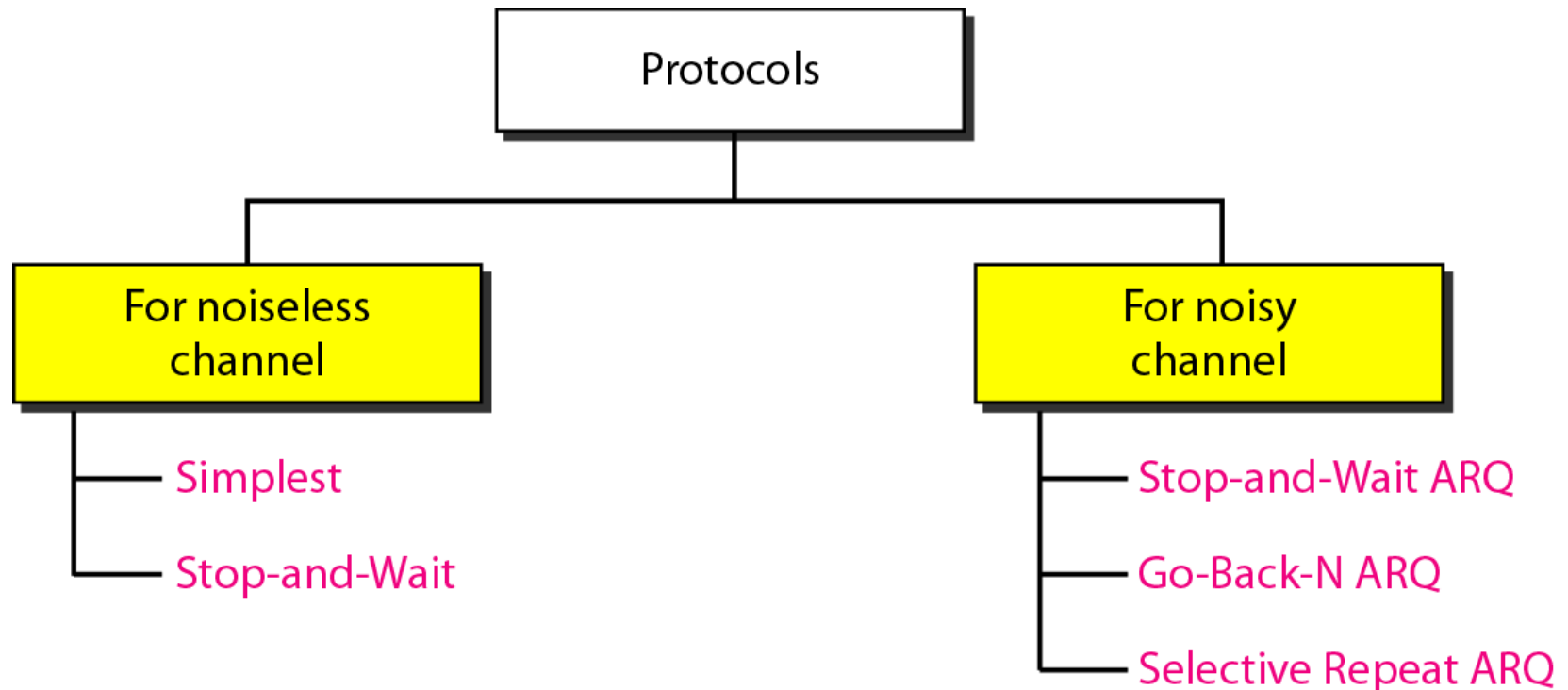
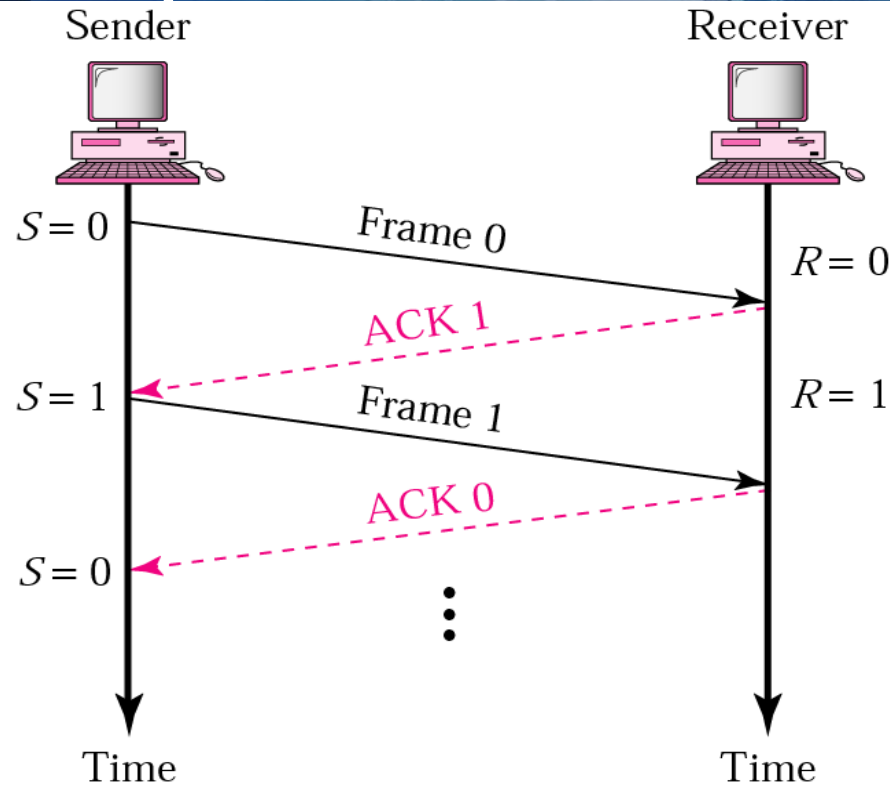


Review: Flow Control

Flow Control: Refers to the control of the amount of data that a sender can transmit **without overflowing the receiver**.



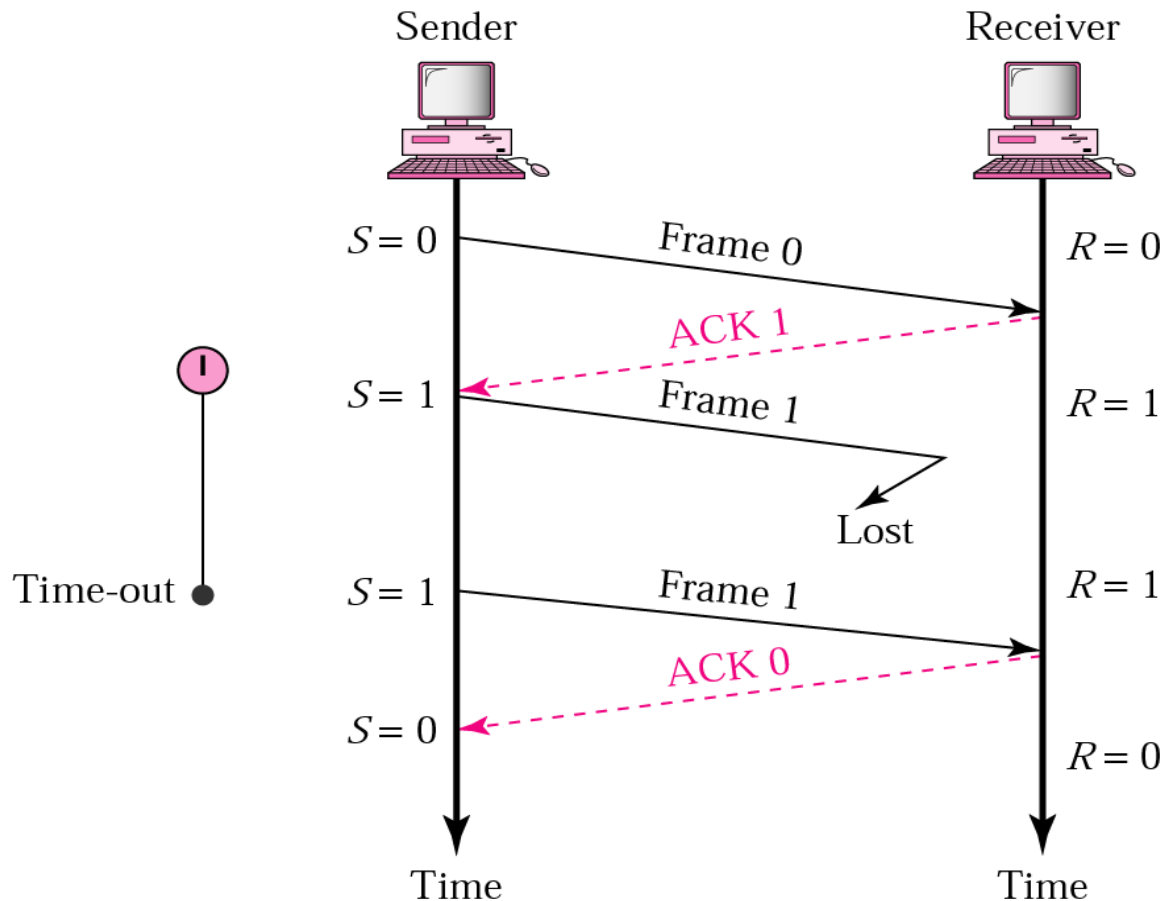
Stop-and-Wait ARQ



- ACK = received packet, ready to receive packet #

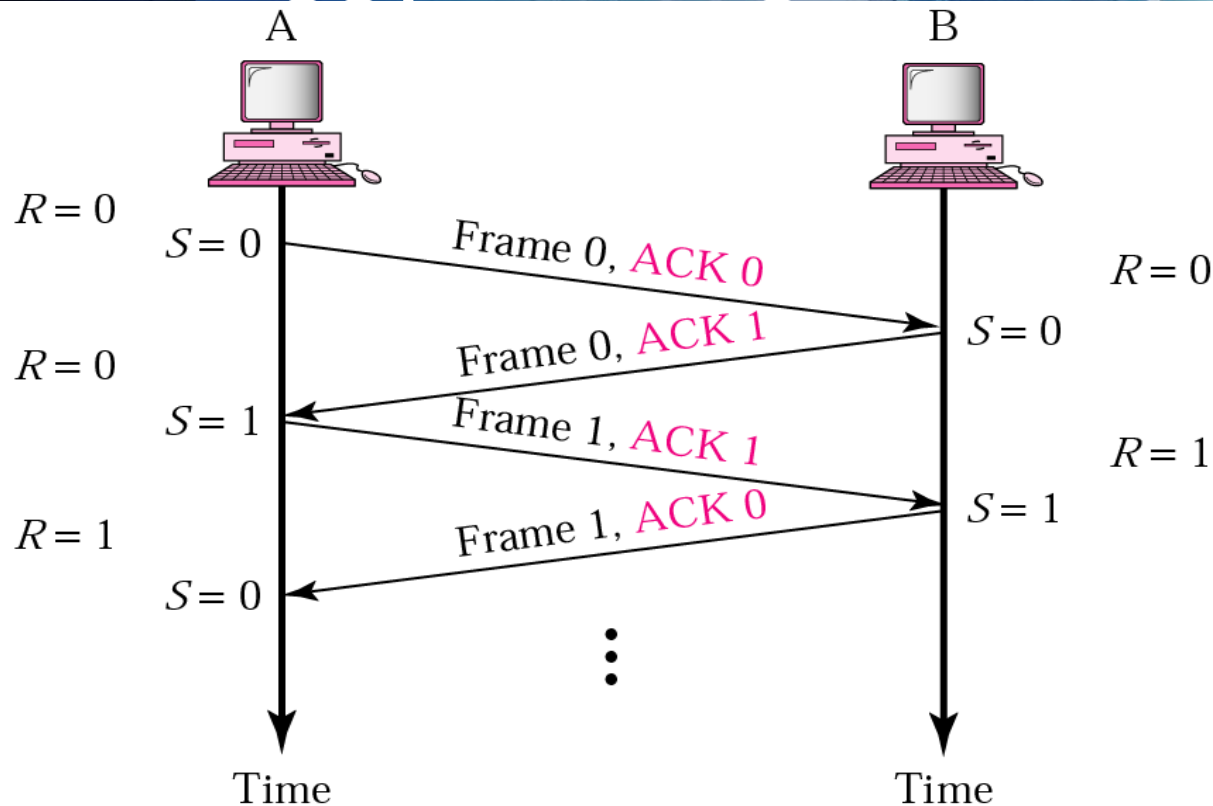
Stop-and-Wait ARQ: Time-Out

- Frame is lost during transmission



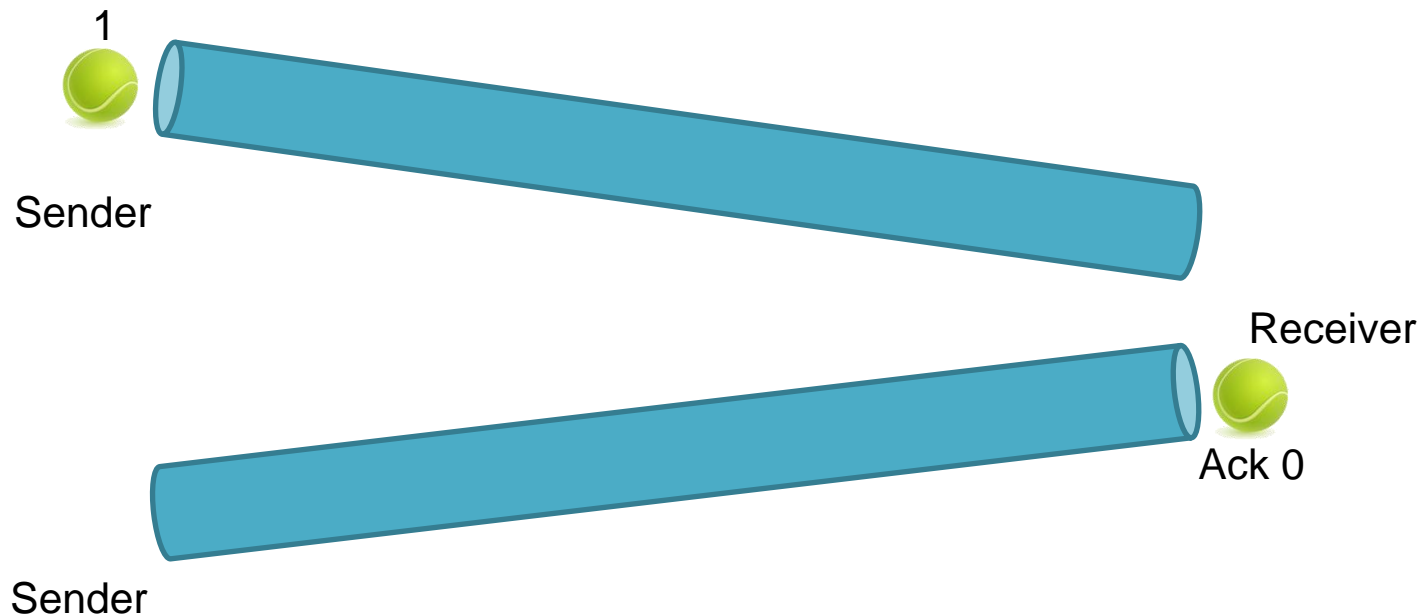
* Figure is courtesy of B. Forouzan

Piggybacking ACKs

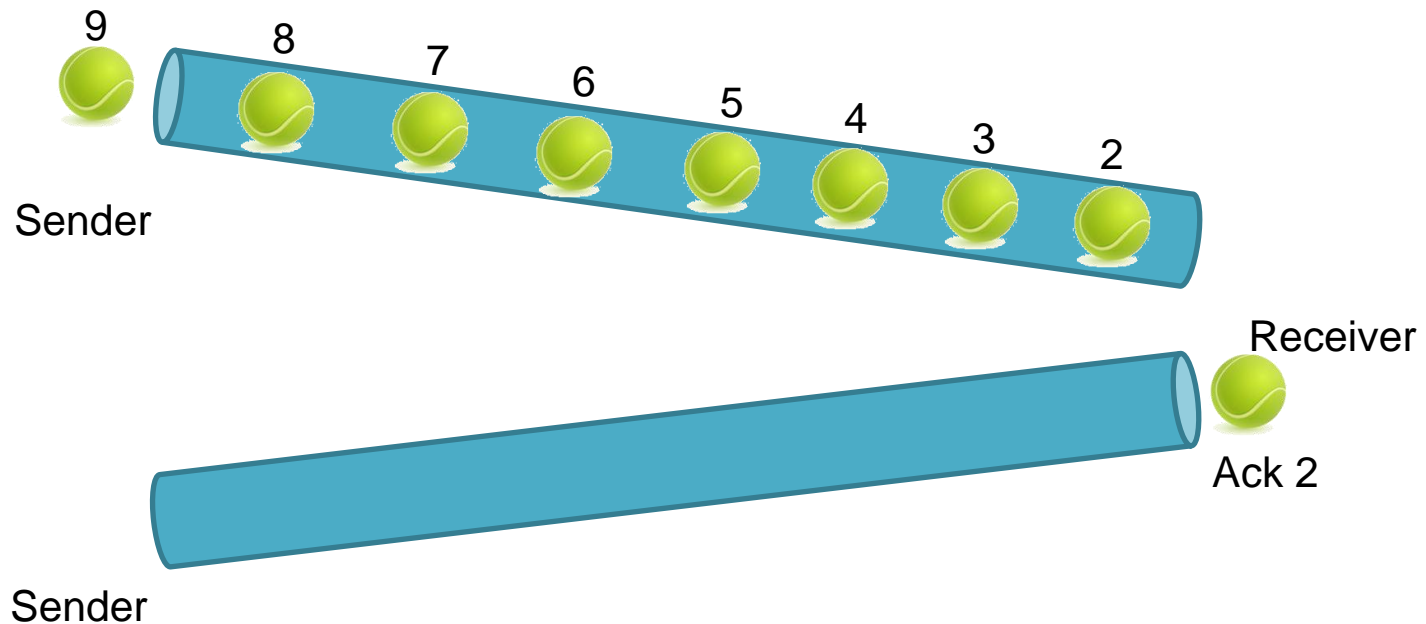


- Next data frame send carries acknowledgement for last frame received

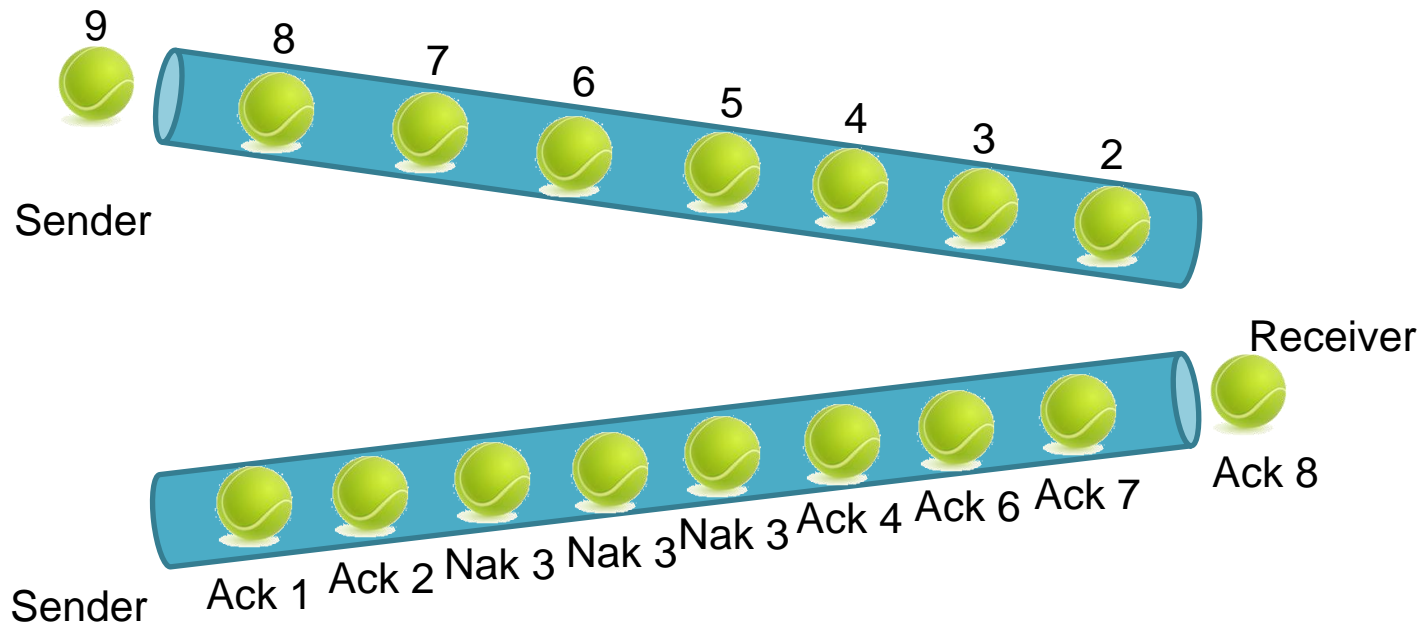
Bandwidth-Delay Product: Example



Bandwidth-Delay Product: Example

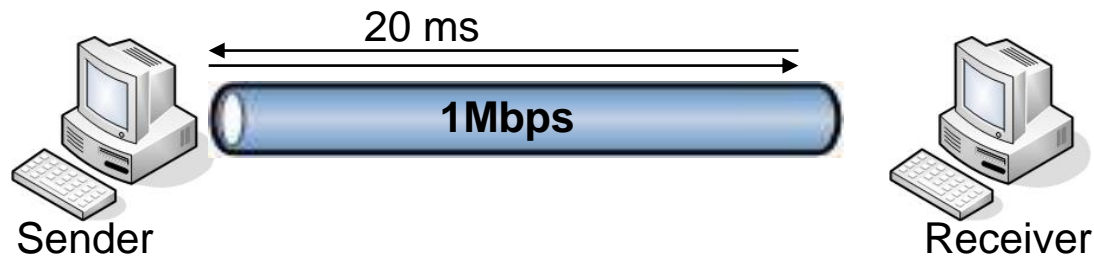


Bandwidth-Delay Product: Example



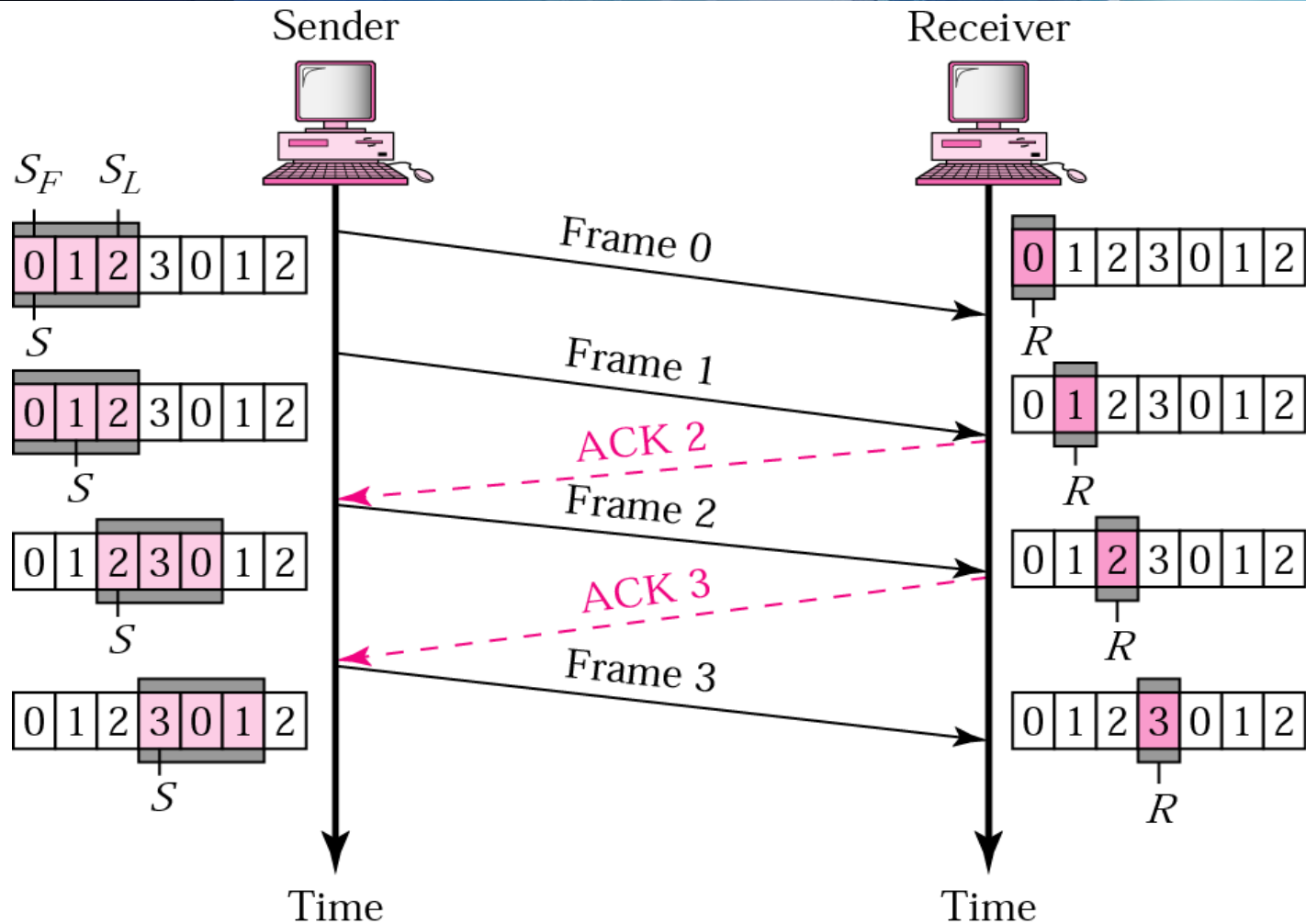
Bandwidth-Delay Product: Example

- Bandwidth \times Round-Trip-Time
 - gives indication of amount of data that can be send while waiting for ACK



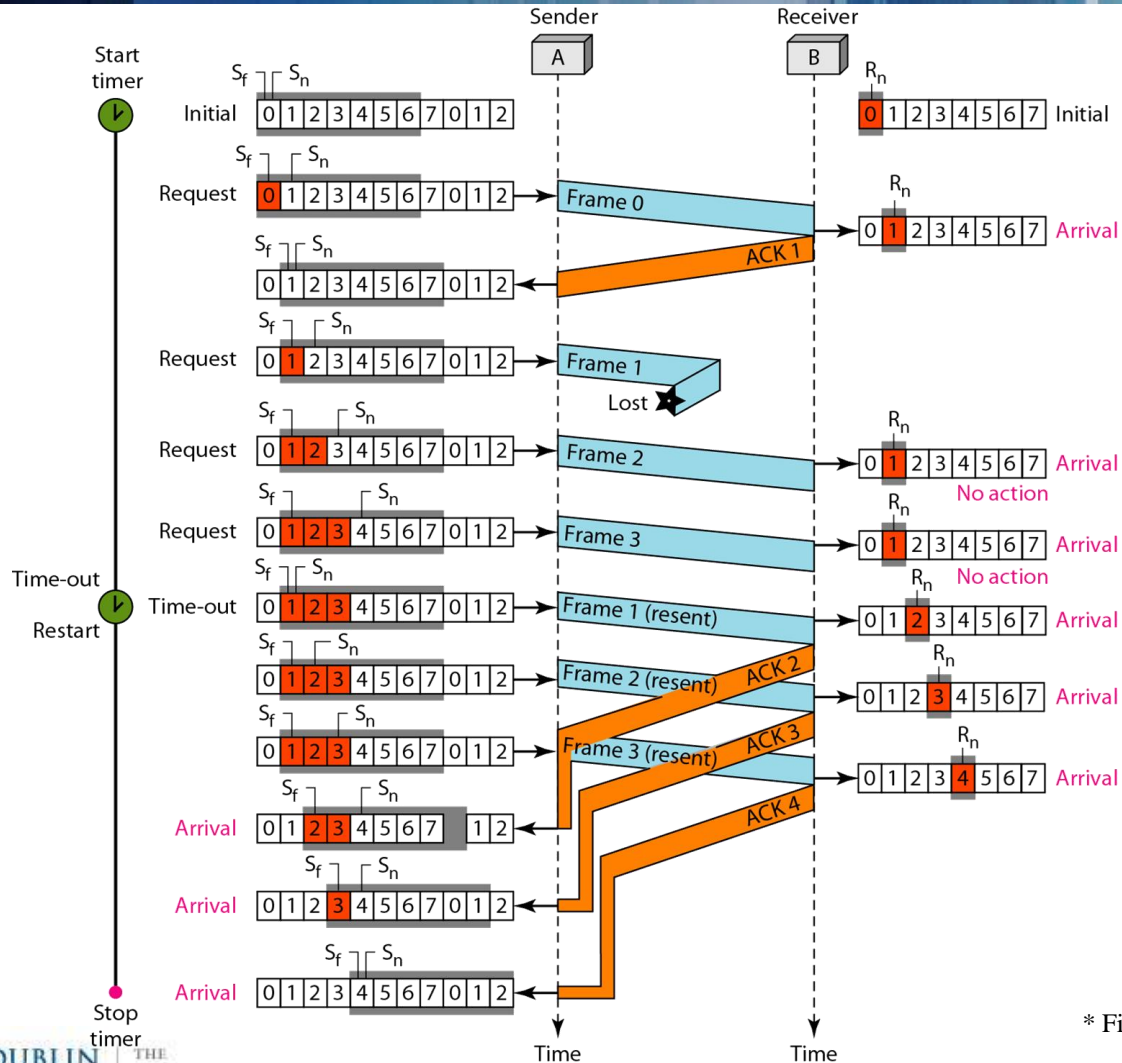
- Communication link with 1Mb/s
- Round-Trip time: 20 ms = 20×10^{-3} s
- How much data can you send during the time it takes for 1 bit to
- $20 \times 10^{-3} \text{ s} \times 1 \times 10^6 \text{ b/s} = 20.000 \text{ bits}$
- Frame of 2000 bit \Rightarrow 10% of bandwidth used

Go-Back-N ARQ



* Figure is courtesy of B. Forouzan

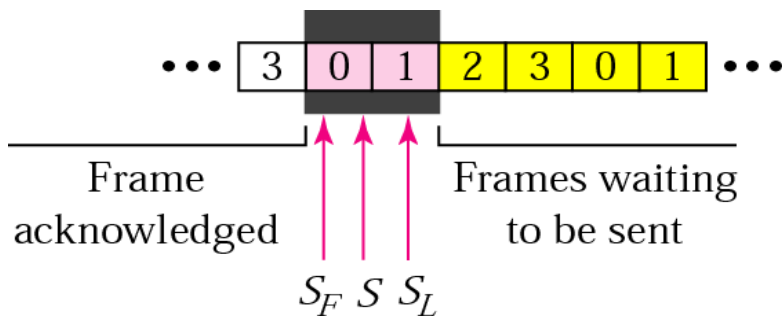
Go-Back-N ARQ: Bad Behaviour



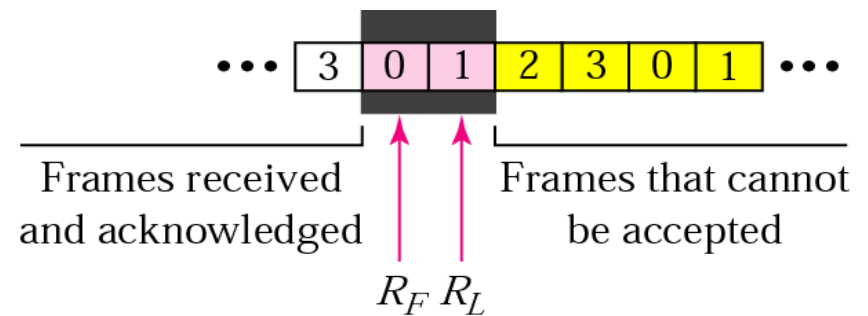
* Figure is courtesy of B. Forouzan

Selective Repeat

- Two Windows:
 - 1 Sender Window – 1 Receiver Window

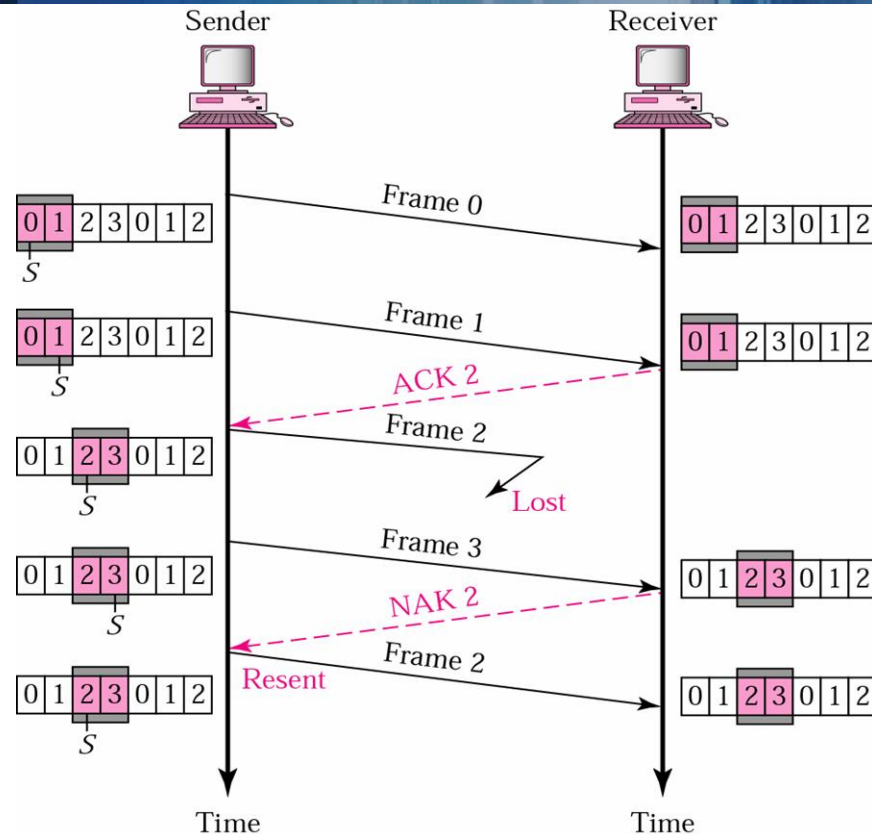


a. Sender window



b. Receiver window

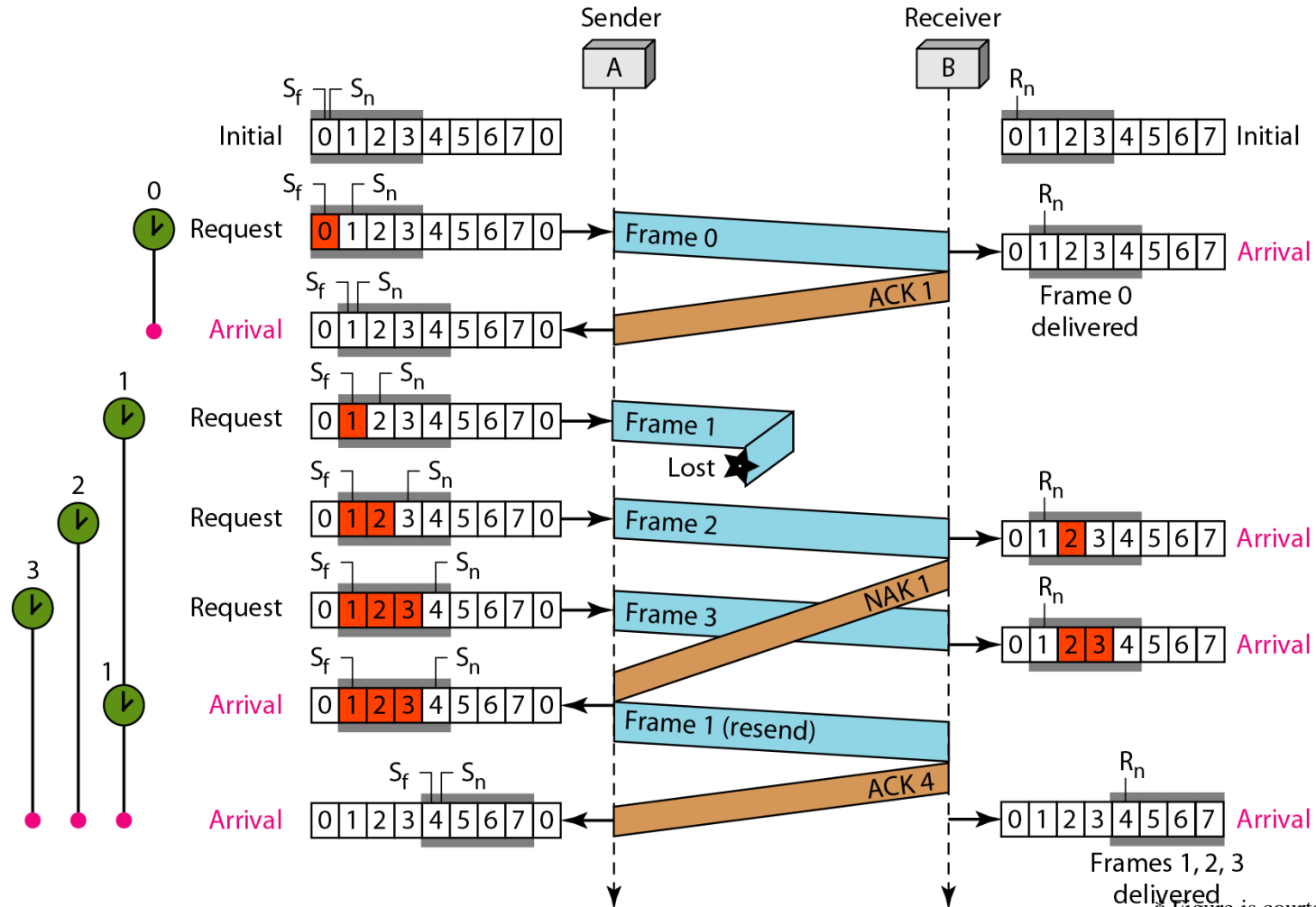
Selective Repeat ARQ: Lost Frame



- NAK = Negative Acknowledgement
- Sender still maintains timers for packets in case NAK gets lost

* Figure is courtesy of B. Forouzan

Selective Repeat ARQ



* Figure is courtesy of B. Forouzan

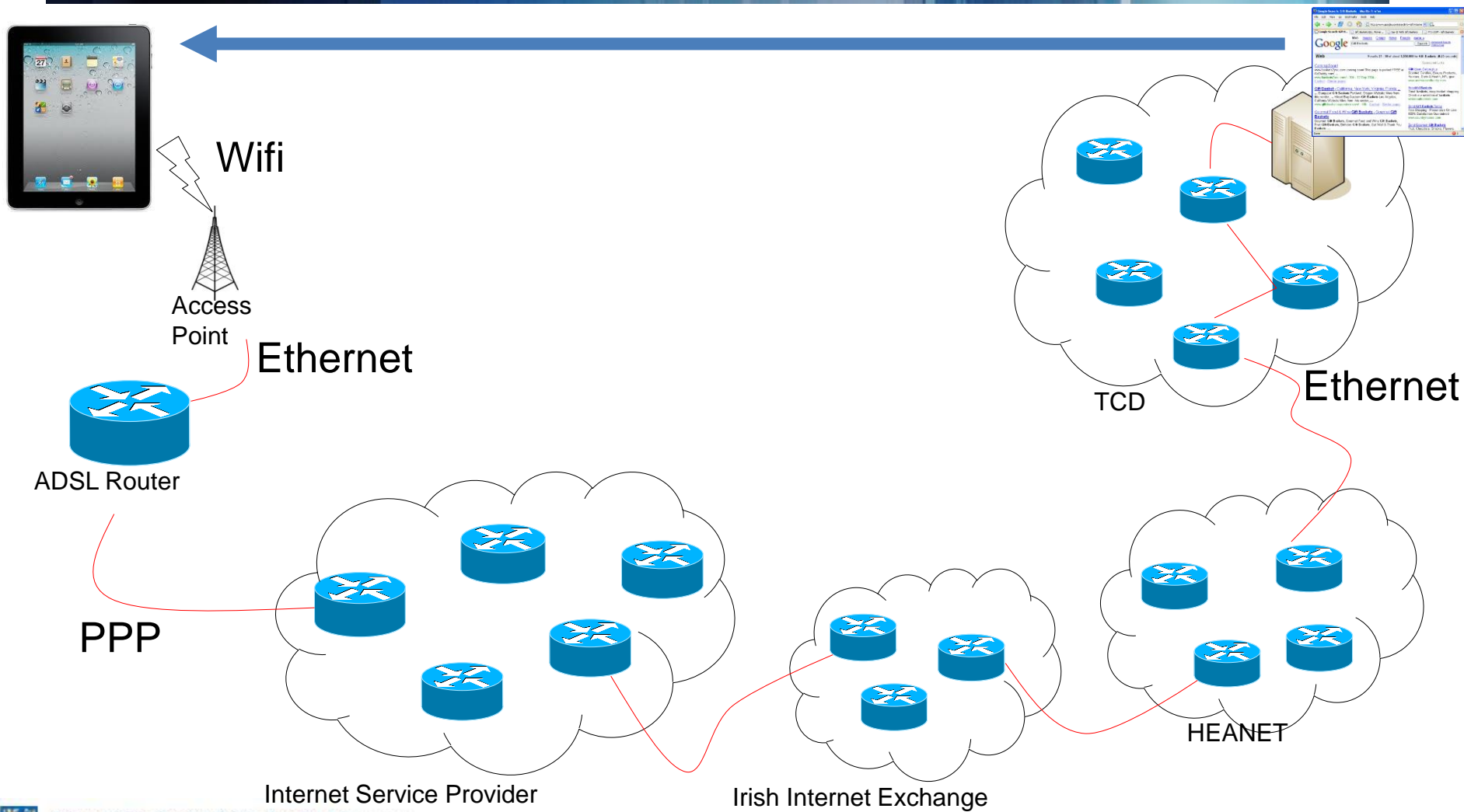
Sliding Windows

- Allow multiple frames to be in transit
- Receiver has buffer w long
- Transmitter can send up to w frames
 - without ACK
- Each frame is numbered
- ACK includes number of next frame expected

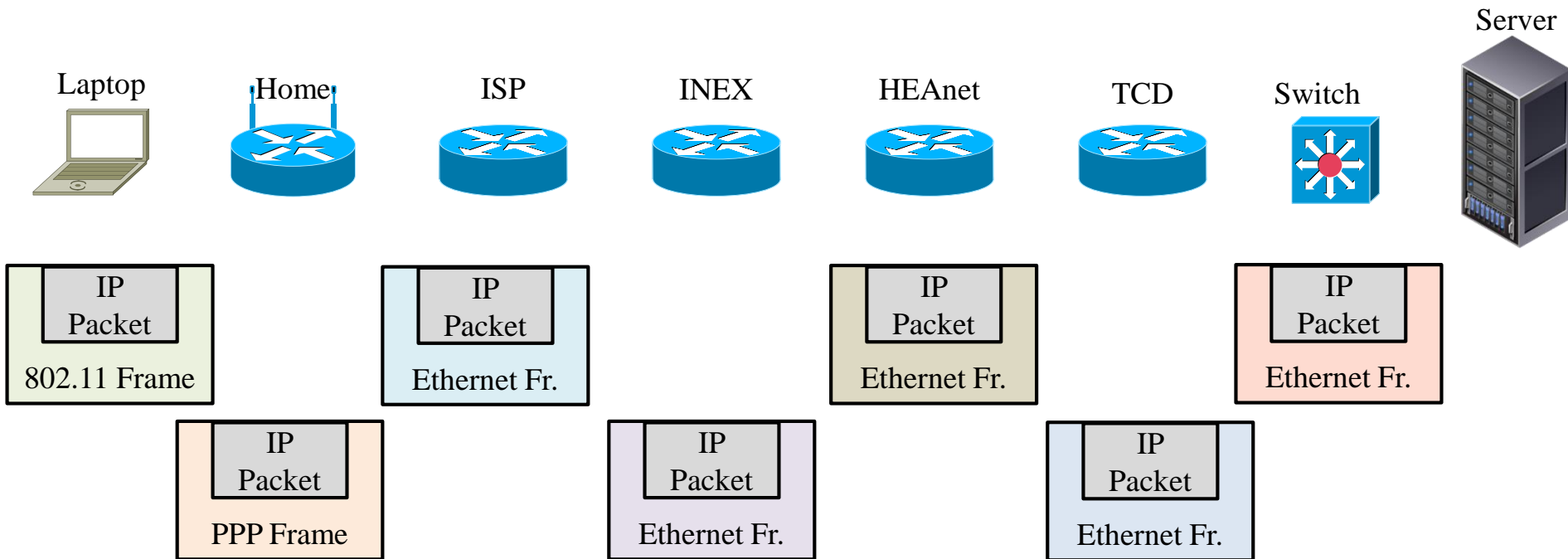
Window Size for Go-Back-N

- Depends on size of max. frame number
 - Frame # needs to be included in every frame
 - e.g. 4 bits – $2^4 = 16$ frame numbers
- Trade-off between window size and frame size

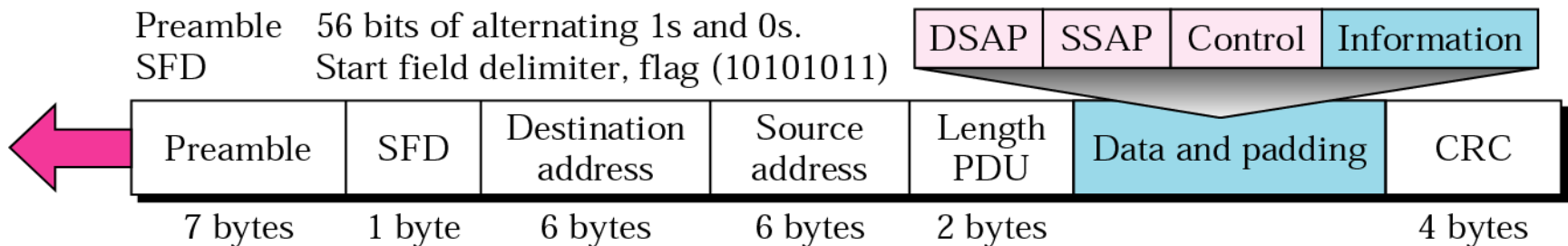
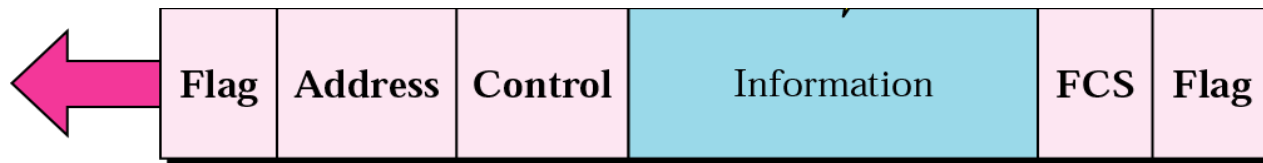
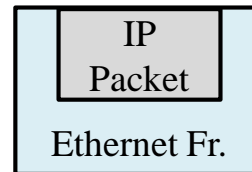
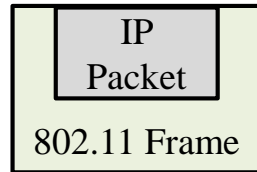
Goal



Encapsulation



Ethernet & HDLC Header



CS2031

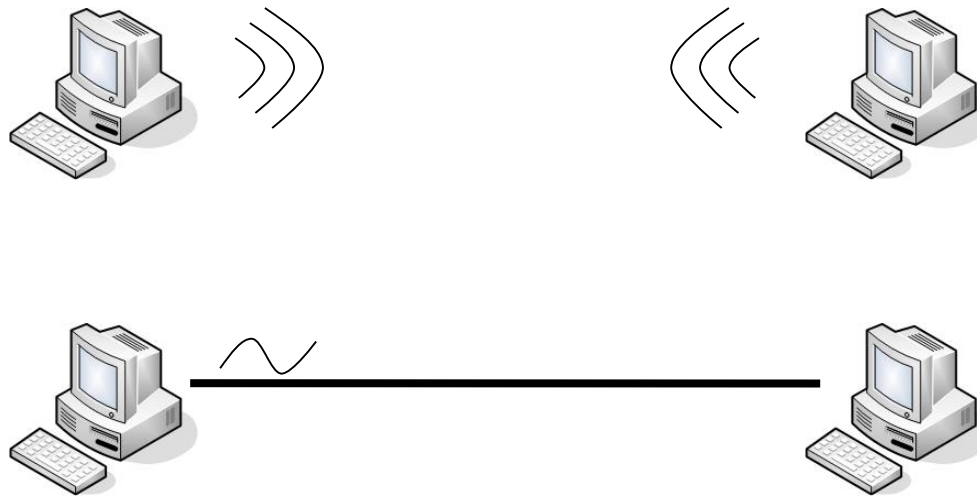
Telecommunications II

Error Detection and Correction

Errors in Transmissions

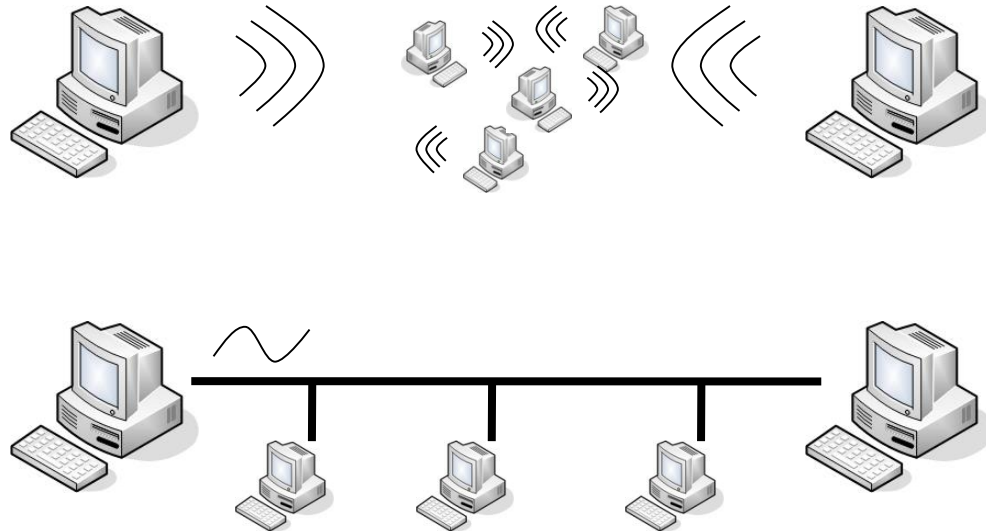
- Causes for Errors
- Types of Errors
- Detection of Errors
- Correction of Errors

Terminal to Terminal Comms



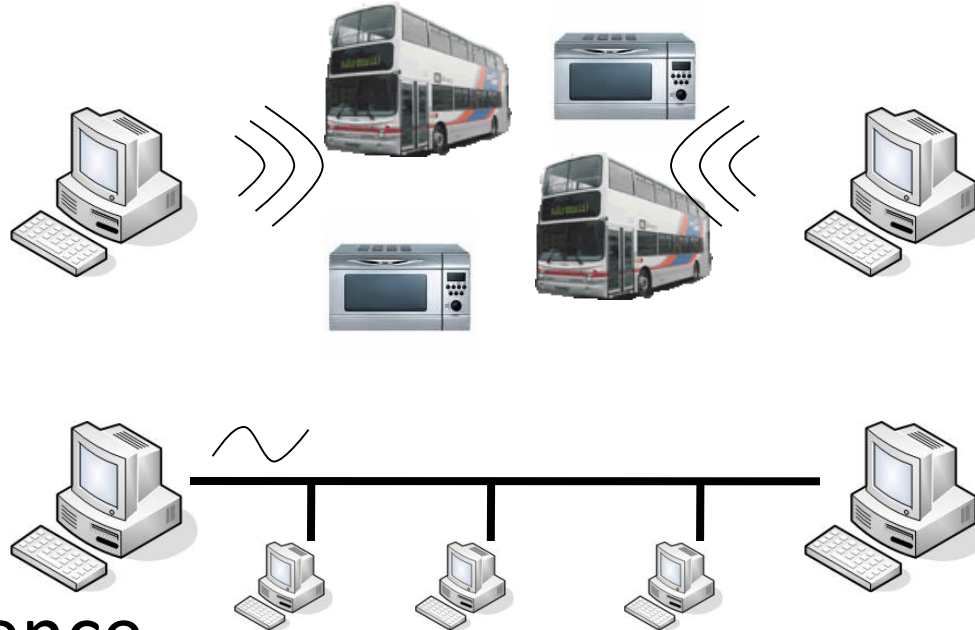
- Either over dedicated or shared medium

Causes for Errors



- Interference
 - Collision with communication from other nodes
 - Electrical interference from third parties
 - Thermal interference

Causes for Errors

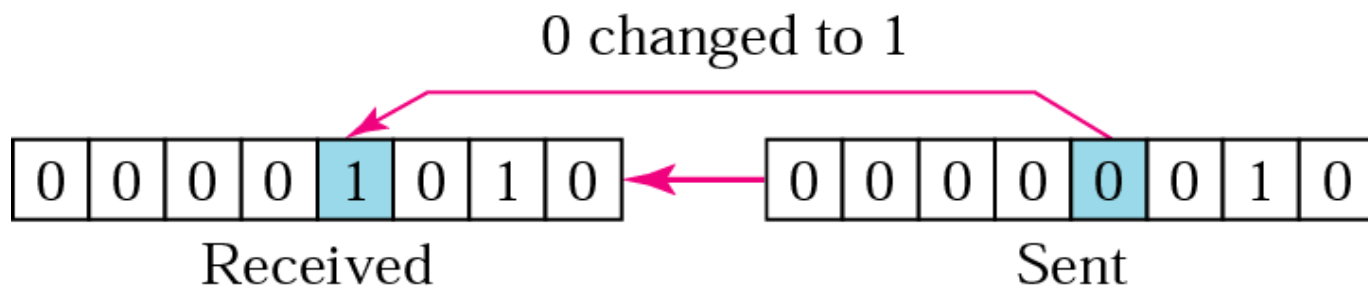


- Interference

- Collision with communication from other nodes
- Electrical interference from third parties
- Thermal interference

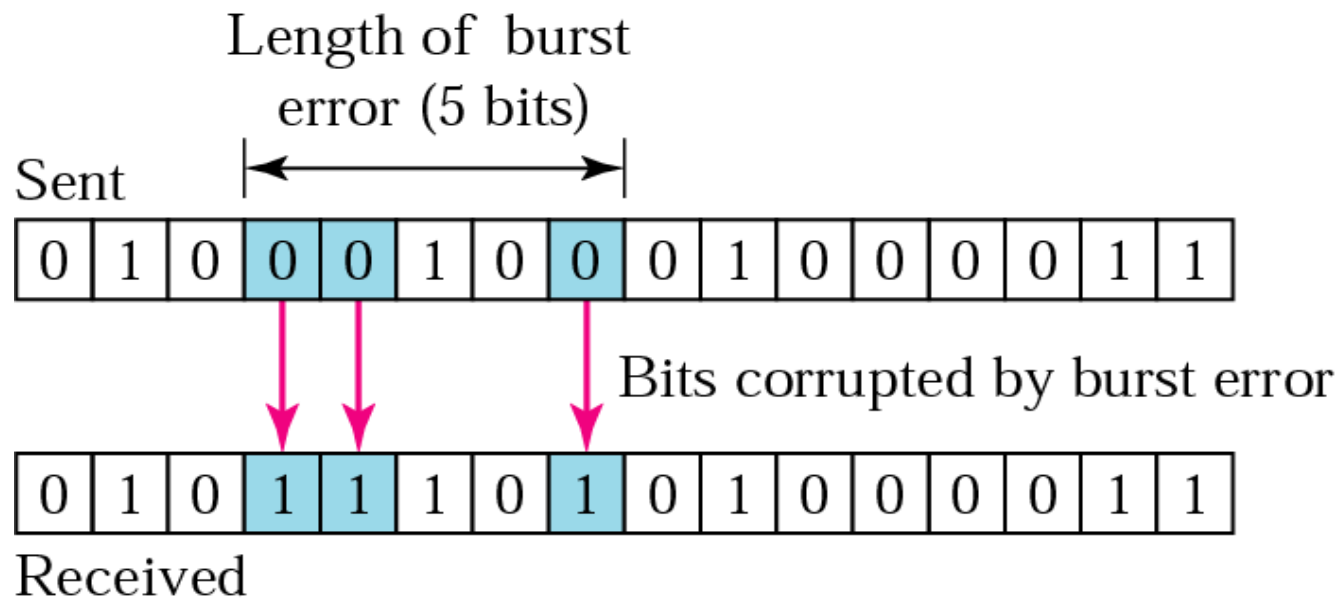
Types of Errors: Single-Bit Error

In a **single-bit error**, only **one bit** in the data unit has changed.



Types of Errors: Burst Error

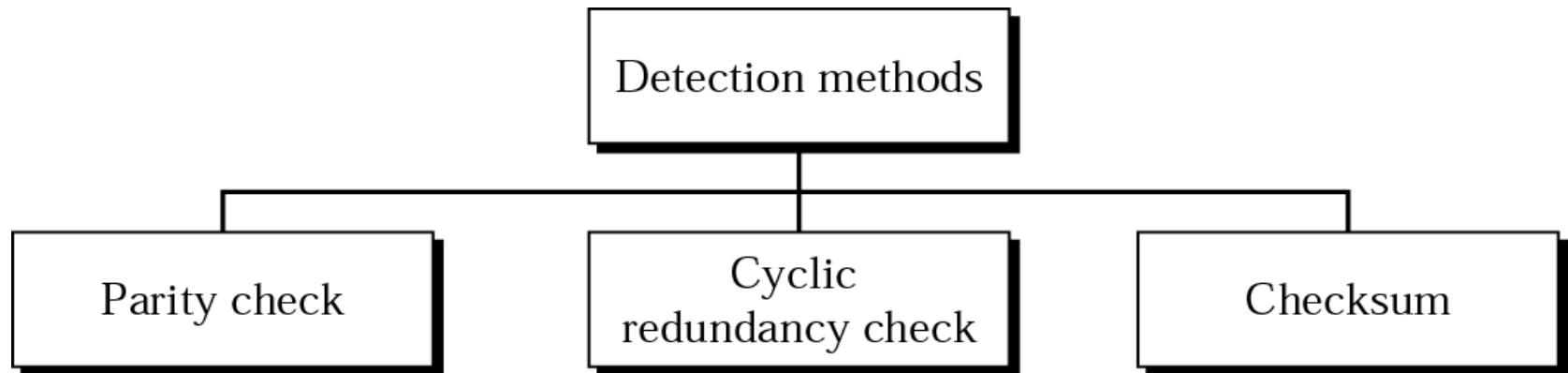
A **burst error** means that **2 or more bits** in the data unit have changed



* Figure is courtesy of B. Forouzan

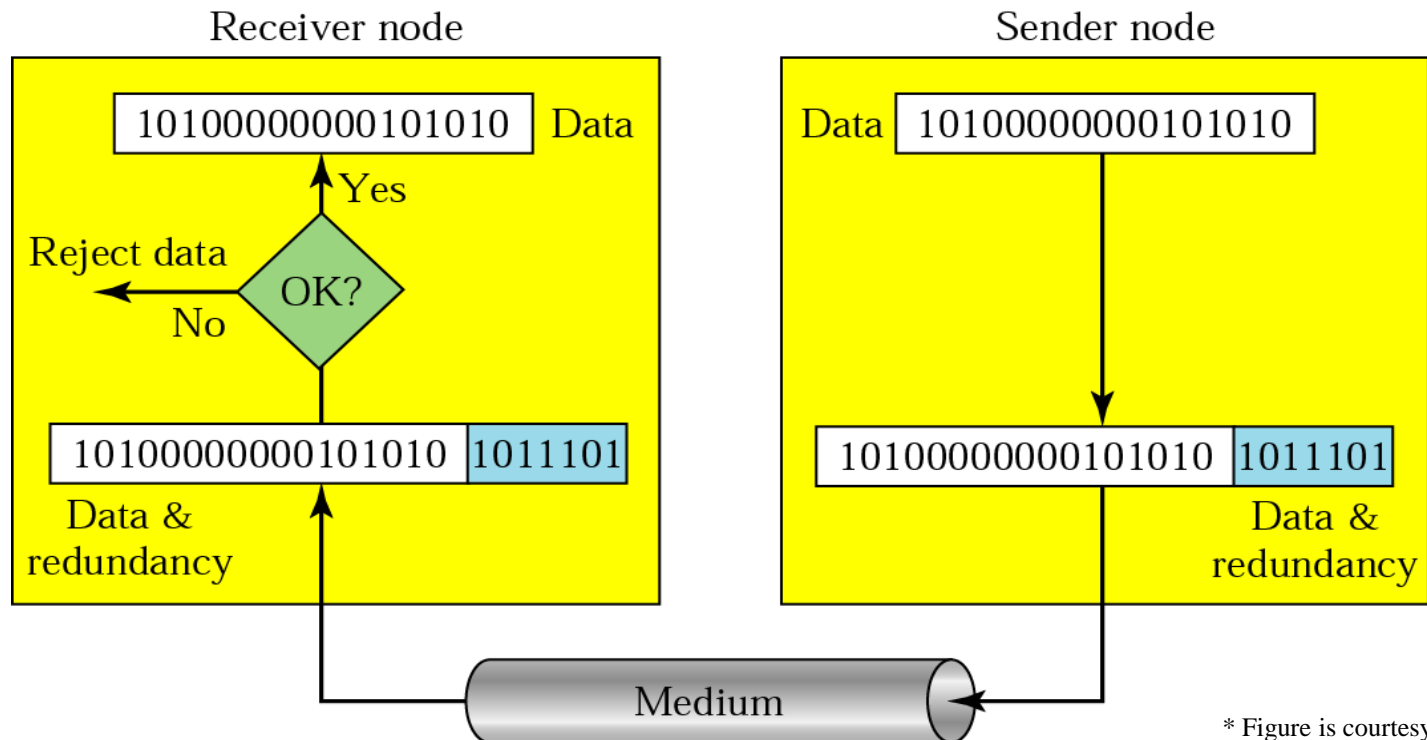
Detection of Errors

- Redundancy



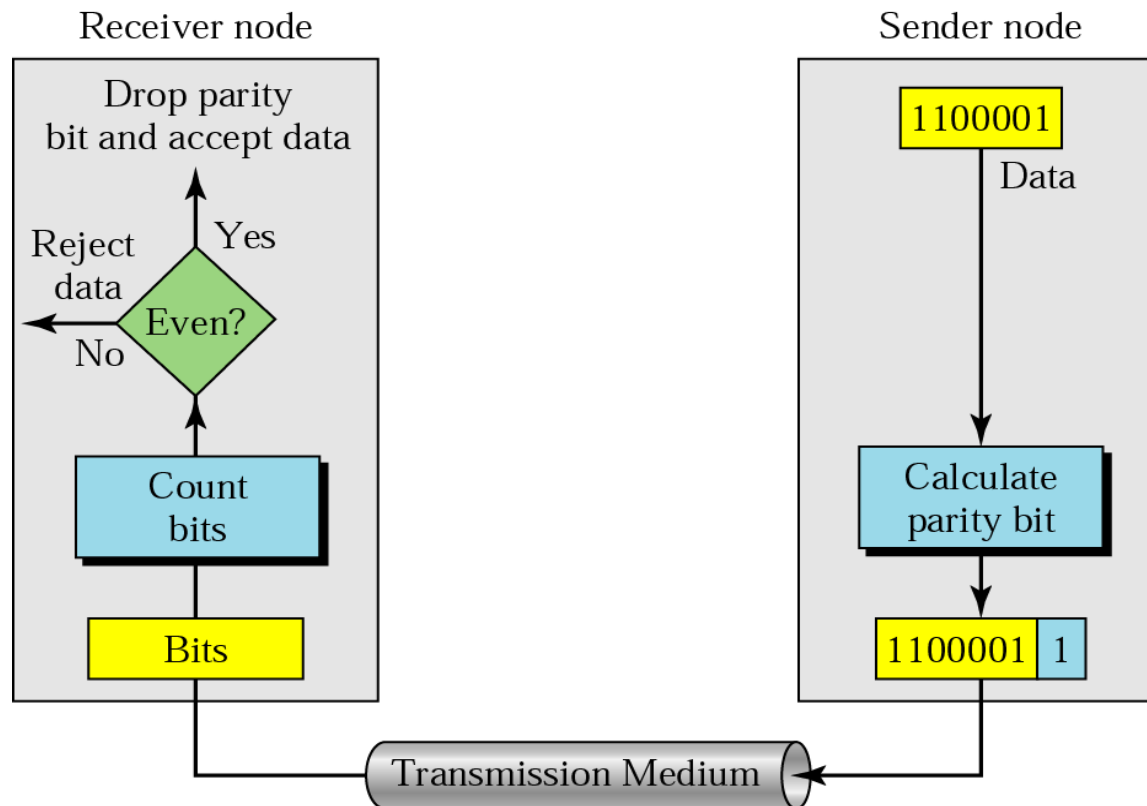
Redundancy

Error detection uses the concept of redundancy, which means adding extra bits for detecting errors at the destination



* Figure is courtesy of B. Forouzan

Even-Parity Concept



A parity bit is added to every data unit so that the total number of 1s is even (or odd for odd-parity).

* Figure is courtesy of B. Forouzan

Even-Parity: Example - Sender

- Assume you want to send the following:

1110111 1101111 1110010 1101100 1100100

- The following bits are actually sent:

11101110 11011110 11100100 11011000 11001001

Even-Parity: Example - Receiver

11101110 11011110 11100100 11011000 11001001

6

6

4

4

4

- The receiver counts the 1s in each character and comes up with even numbers (6, 6, 4, 4, 4). The data are accepted.

11111110 11011110 11101100 11011000 11001001

7

6

5

4

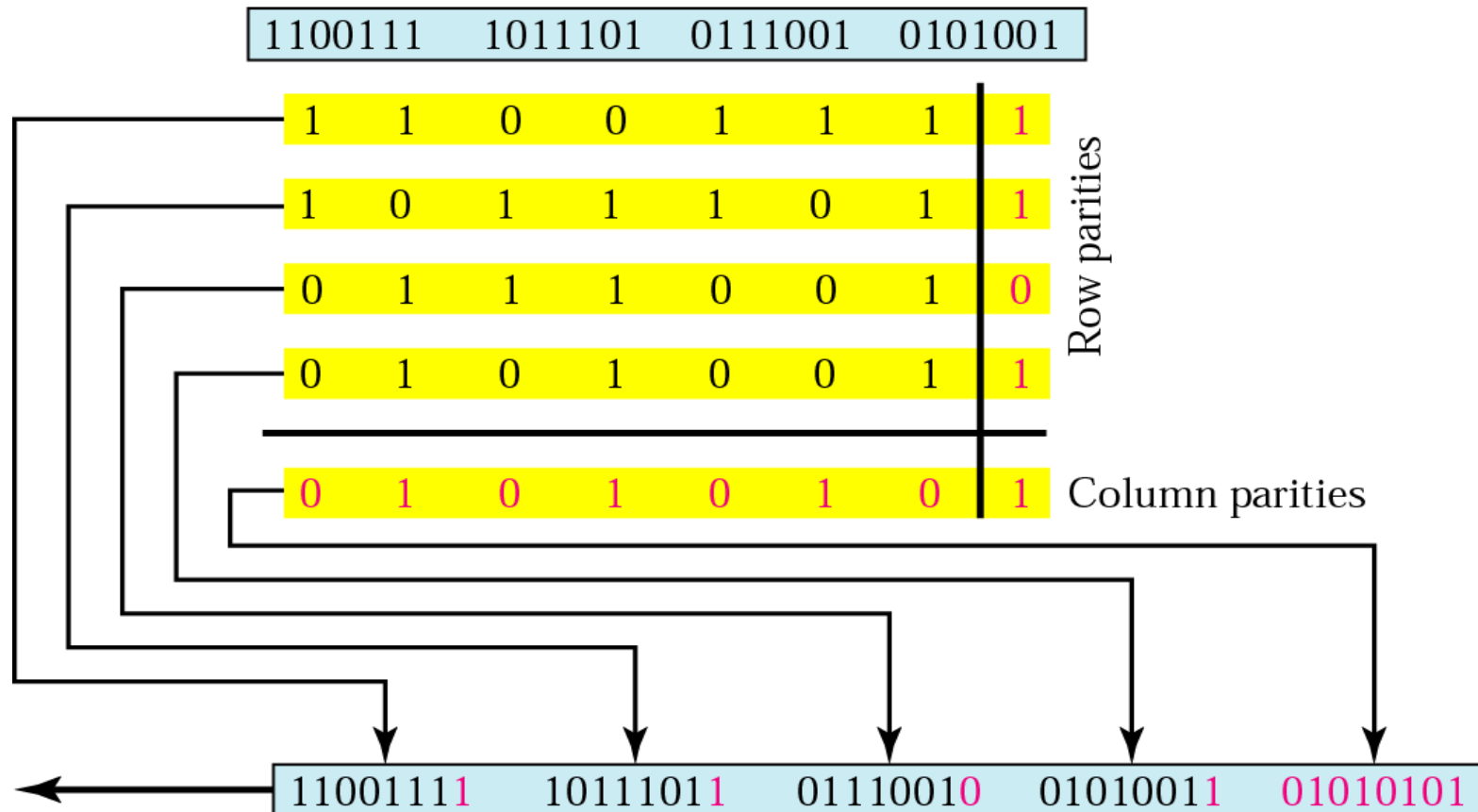
4

- The receiver counts the 1s in each character and comes up with even and odd numbers (7, 6, 5, 4, 4). The receiver knows that the data are corrupted, discards them, and asks for retransmission.

Simple Parity Check

- Can detect all single-bit errors
- Can detect burst errors only if the total number of errors in each data unit is odd

In two-dimensional parity check, a block of bits is divided into rows and a redundant row of bits is added to the whole block.



* Figure is courtesy of B. Forouzan

Example: 2D-Parity Check

Suppose the following block is sent:

10101001 00111001 11011101 11100111 10101010

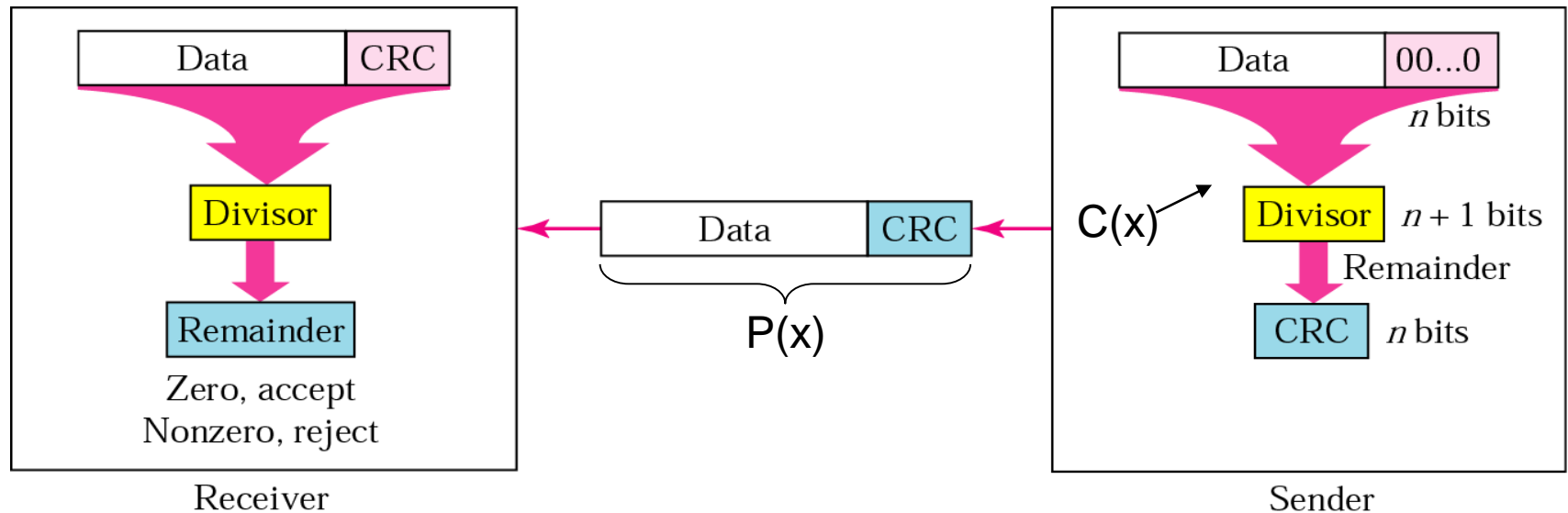
However, it is hit by a burst noise of length 8, and some bits are corrupted.

10100011 10001001 11011101 11100111 10101010

When the receiver checks the parity bits, some of the bits do not follow the even-parity rule and the whole block is discarded.

10100011 10001001 11011101 11100111 10101010

Cyclic Redundancy Check (CRC)



- $P(x)$ divided by $C(x) = 0$
- $(P(x) + \text{remainder})$ divided by $C(x)$ should be $\neq 0$

Division – Decimal & Binary

$$39 / 20 = 1 + 19$$

$$\begin{array}{cccc} 100111 & / & 10100 & = & 1 & + & 10011 \\ 32 & 4 & 2 & 1 & & & 16 & 2 & 1 \\ 16 & & 4 & & & & & & \end{array}$$

CRC Calculation

- CRC Calculation → Polynomial Division
not Binary Division!!!

$$\begin{array}{r} x^3 + 4x^2 + 3x + 12 \quad / \quad x^2 + 3 = x + 4 \\ x^3 \qquad \qquad + 3x \\ \hline 4x^2 \qquad \qquad + 12 \\ \hline 0 \end{array}$$

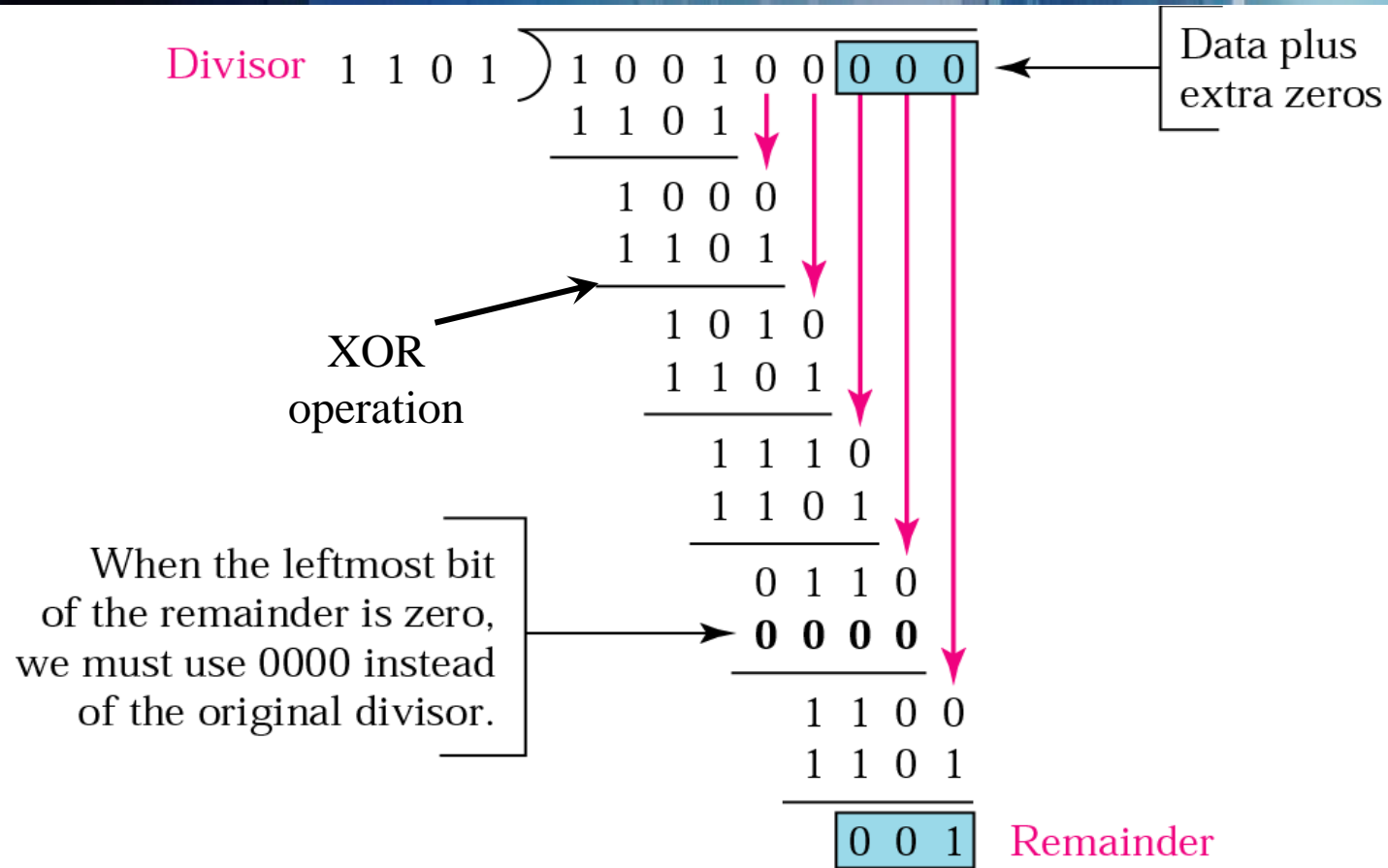
CRC Calculation

- CRC Calculation → Polynomial Division
not Binary Division!!!
- CRC: Coefficient $r=\{0,1\}$

10001000000000001011

$$x^{20} + x^{15} + x^4 + x + 1 \quad / \quad x^{16} + x^{12} + x^5 + 1$$

CRC: Sender

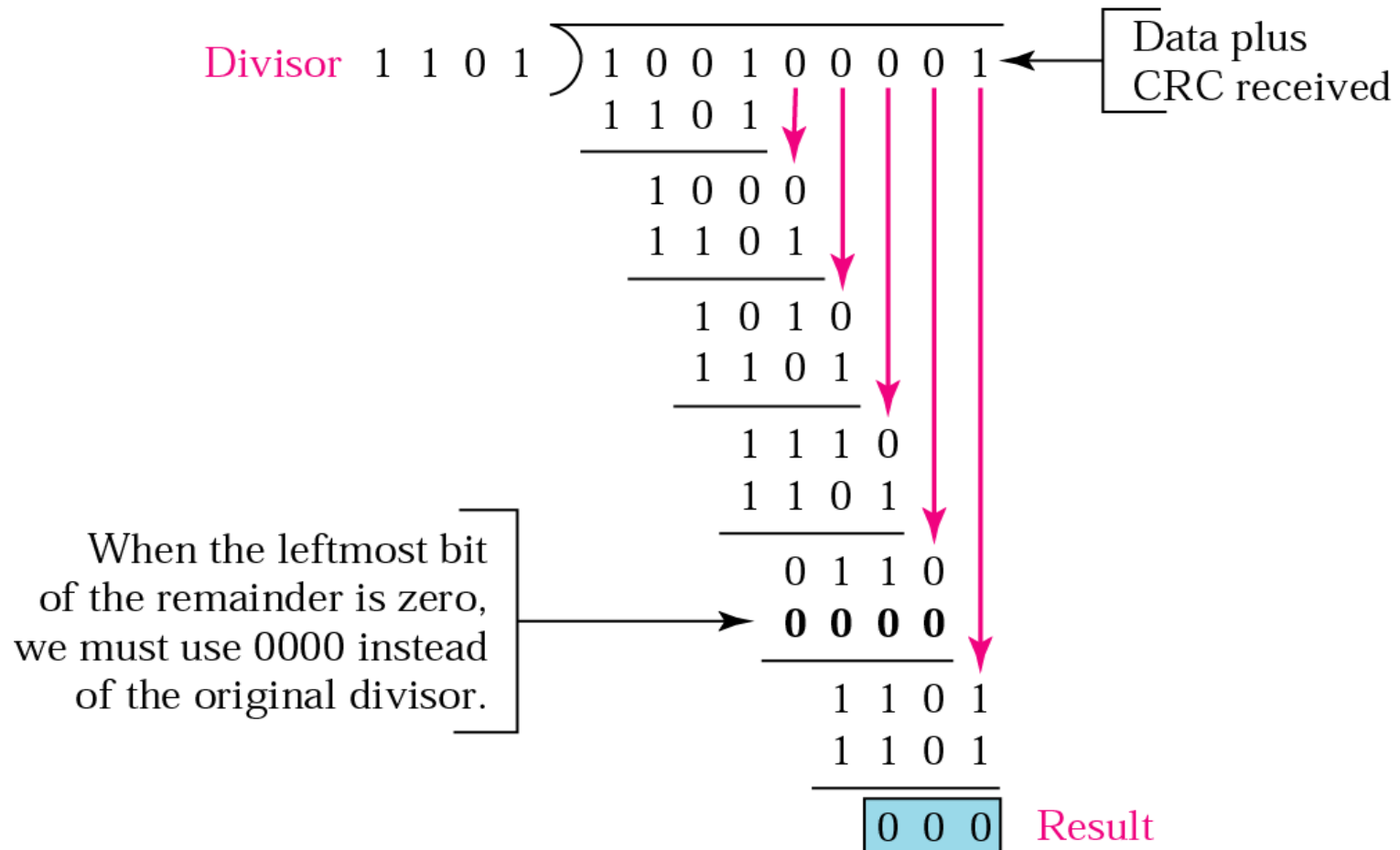


Data transmitted to receiver: 1 0 0 1 0 0 0 0 1

Data CRC

* Figure is courtesy of B. Forouzan

CRC: Receiver

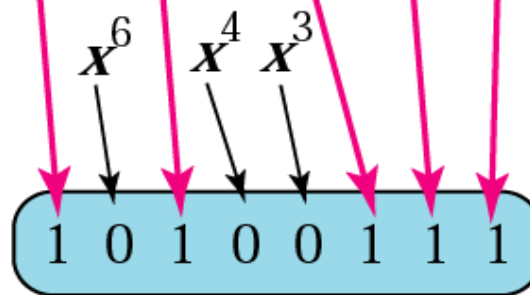


* Figure is courtesy of B. Forouzan

Polynomial Notation

Polynomial

$$x^7 + x^5 + x^2 + x + 1$$



Divisor

- Rules for selecting divisor:
 - It should not be divisible by x
 - It should be divisible by $x+1$

* Figure is courtesy of B. Forouzan

Polynomials

- We cannot choose x (binary 10) or $x^2 + x$ (binary 110) as polynomial because both are divisible by x .
- However, we can choose $x + 1$ (binary 11) because it is not divisible by x , but is divisible by $x + 1$. We can also choose $x^2 + 1$ (binary 101) because it is divisible by $x + 1$ (binary division).

Standard Polynomials

Name	Polynomial	Application
CRC-8	$x^8 + x^2 + x + 1$	ATM header
CRC-10	$x^{10} + x^9 + x^5 + x^4 + x^2 + 1$	ATM AAL
CRC-16	$x^{16} + x^{12} + x^5 + 1$	HDLC
CRC-32	$x^{32} + x^{26} + x^{23} + x^{22} + x^{16} + x^{12} + x^{11} + x^{10} + x^8 + x^7 + x^5 + x^4 + x^2 + x + 1$	LANs

CRC Performance

- Can detect all burst errors that effect an odd number of bits
- Can detect all burst errors of the length less than or equal to the degree of the polynomial
- Can detect with a very high probability burst errors of a length greater than the degree of the polynomial.

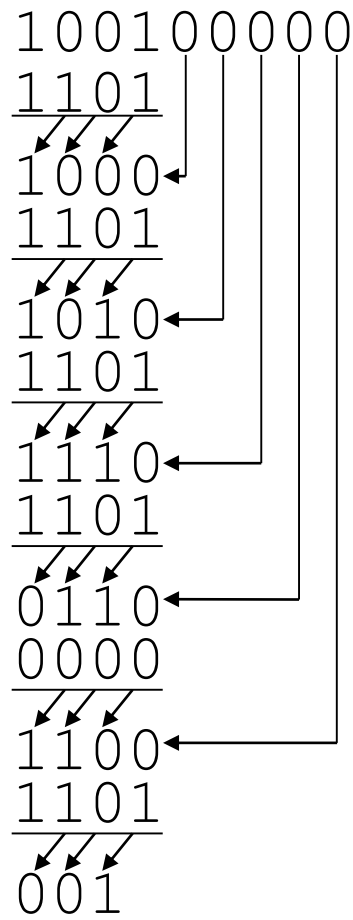
CRC-12 Performance

The CRC-12

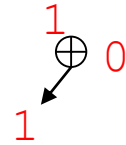
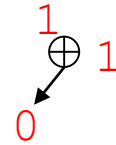
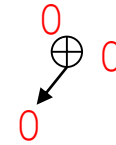
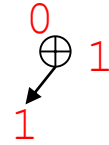
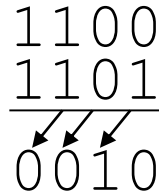
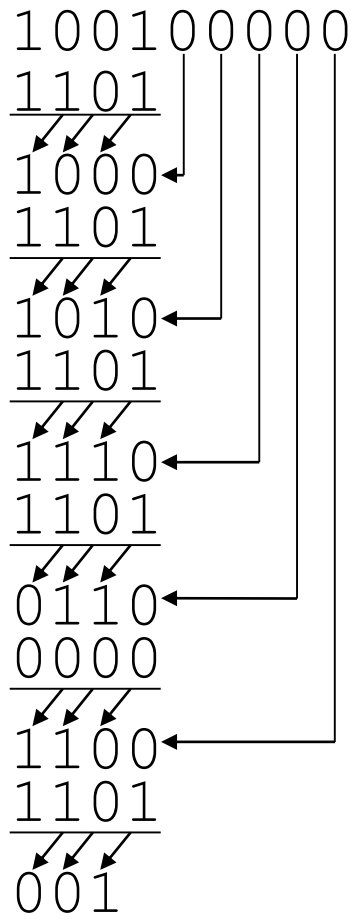
$$x^{12} + x^{11} + x^3 + x + 1$$

which has a degree of 12, will detect all burst errors affecting an odd number of bits, will detect all burst errors with a length less than or equal to 12, and will detect, 99.97 percent of the time, burst errors with a length of 12 or more.

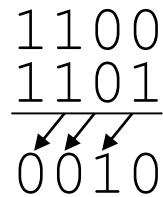
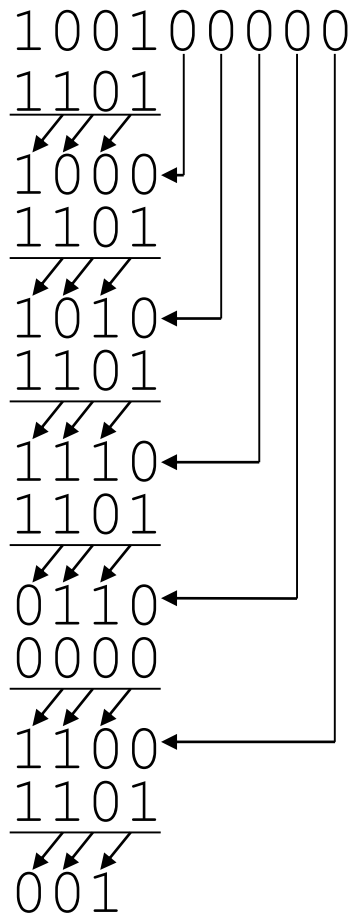
CRC Calculation



CRC Calculation

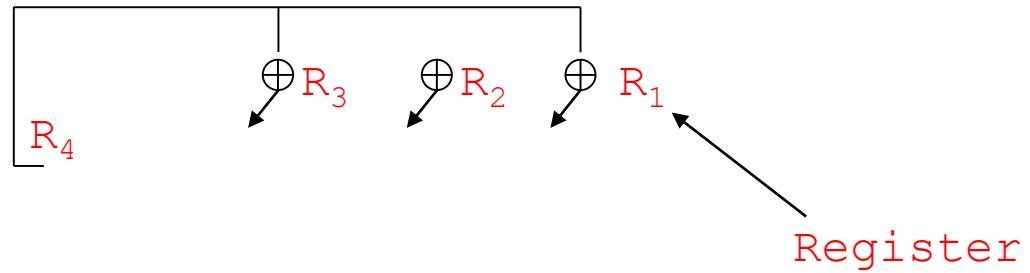


CRC Calculation

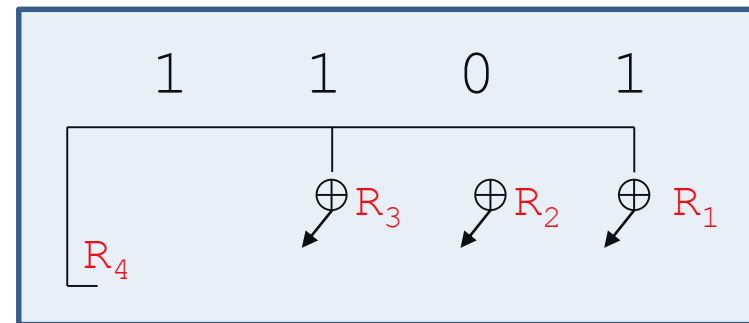
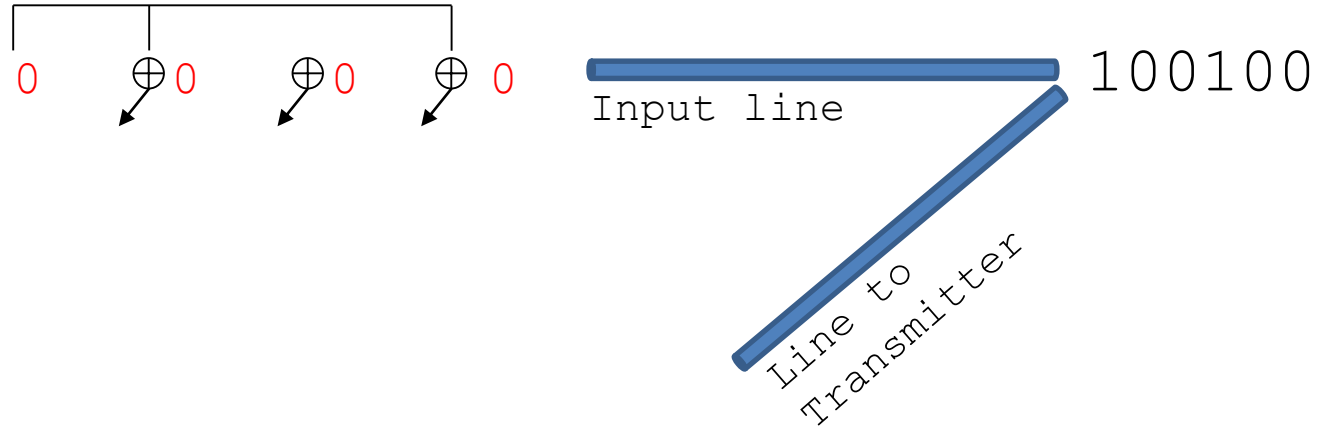


Representation of divisor:

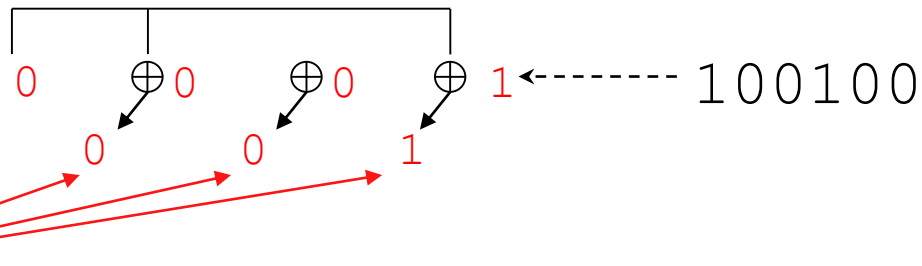
1 1 0 1



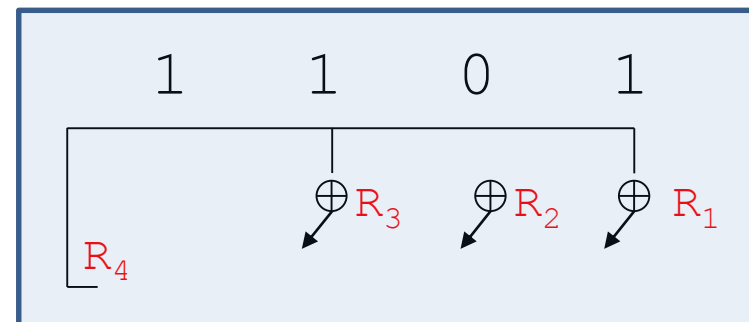
CRC Calculation



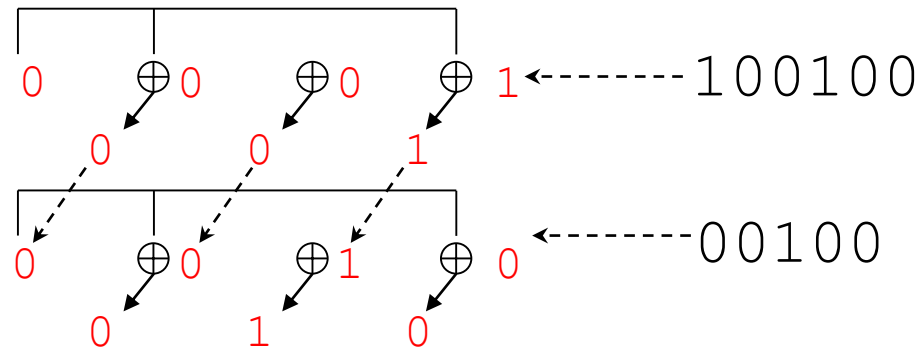
CRC Calculation



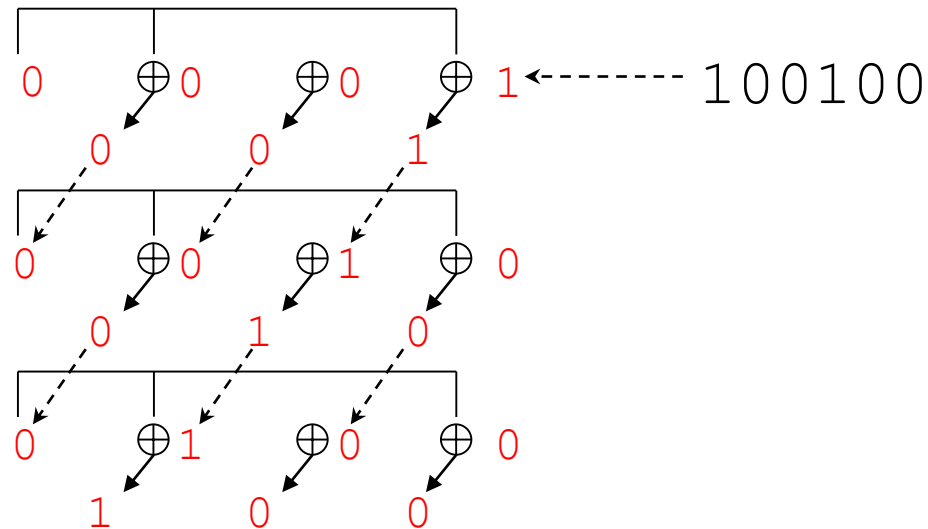
New content
for registers
 R_4 , R_3 , R_2



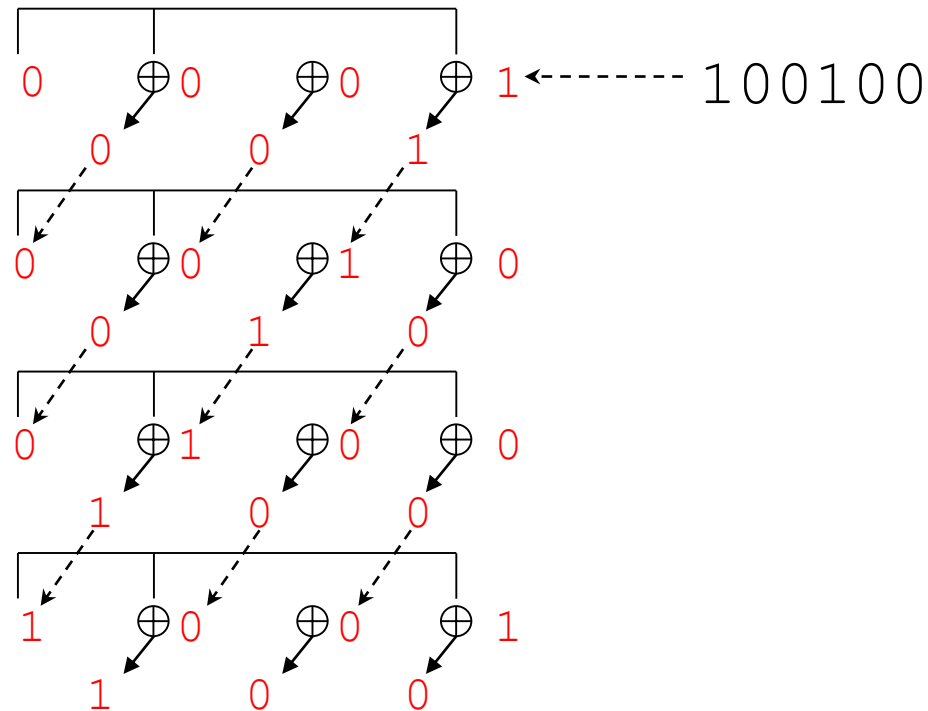
CRC Calculation



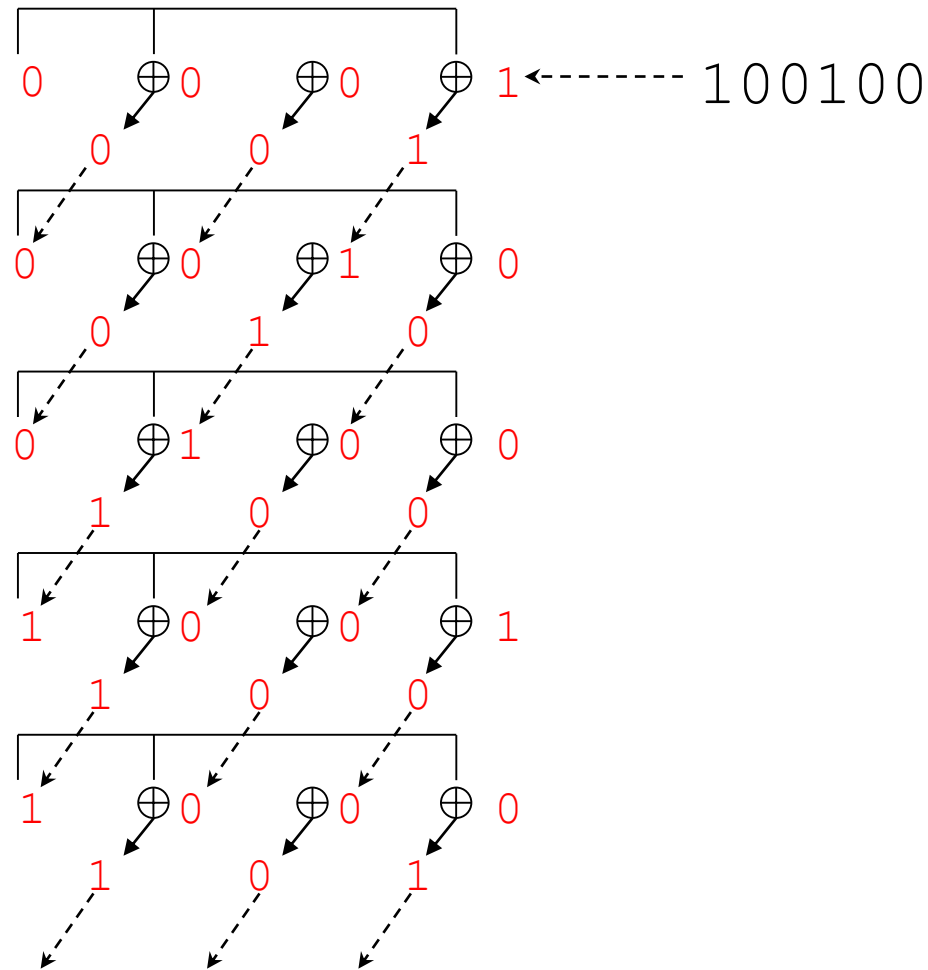
CRC Calculation



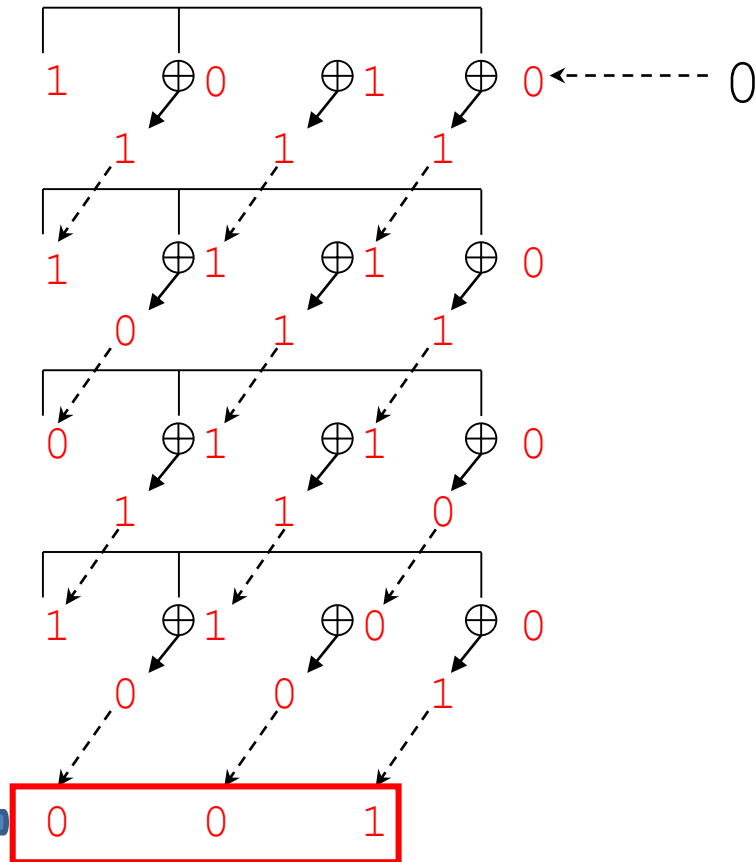
CRC Calculation



CRC Calculation

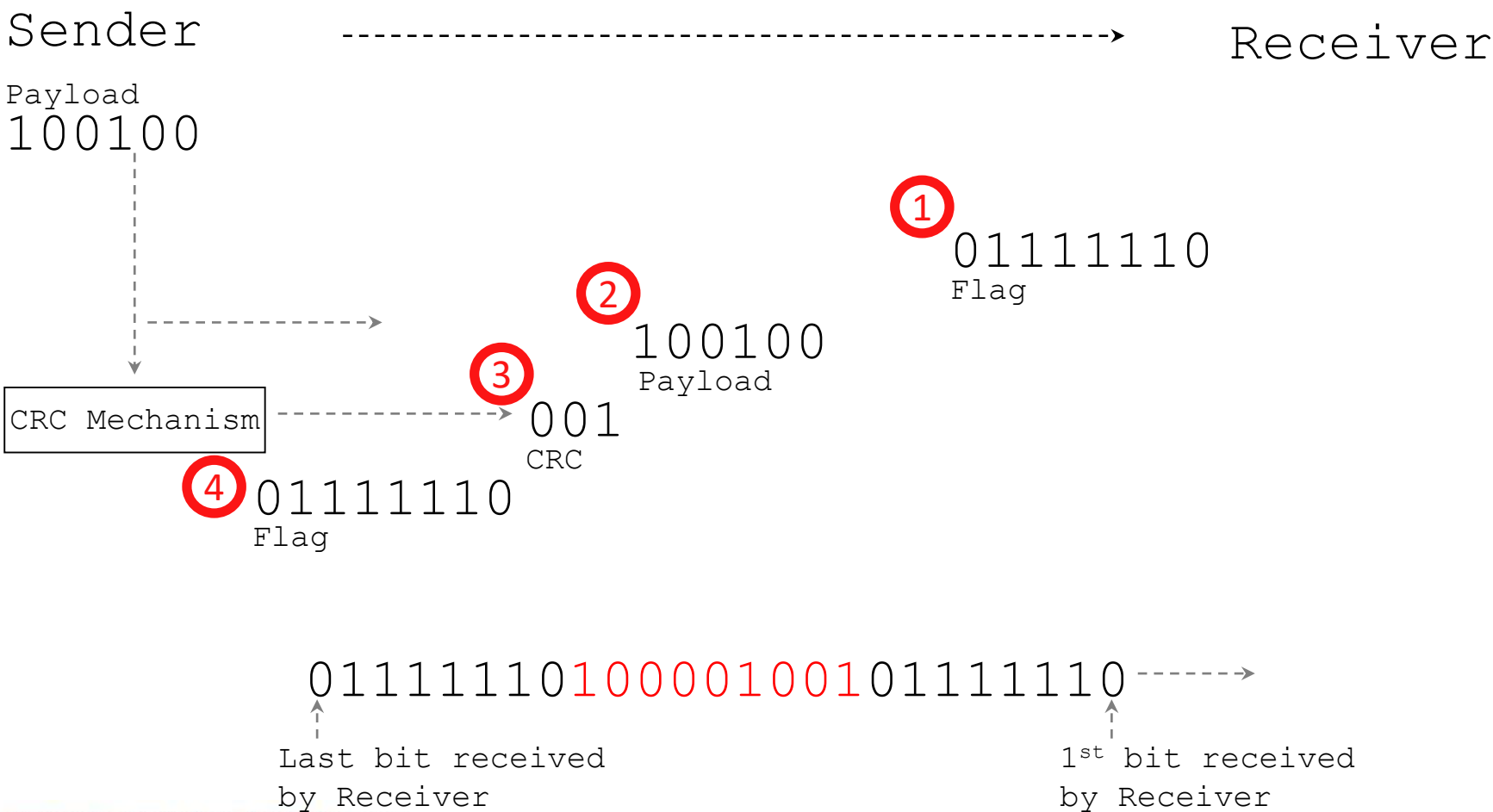


CRC Calculation

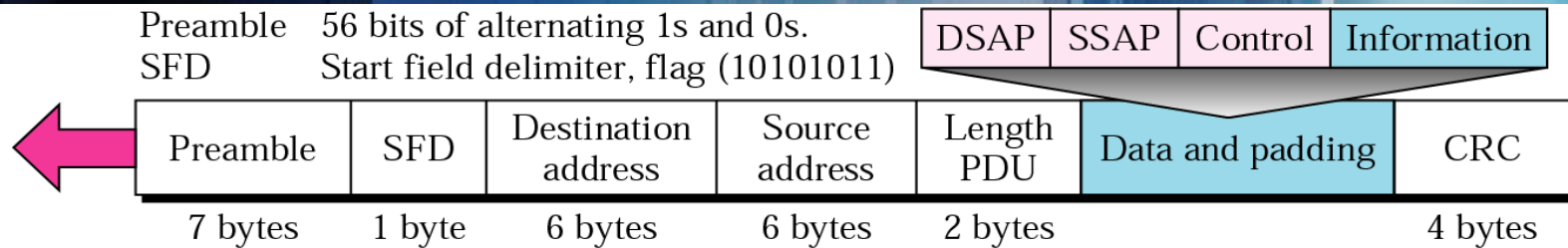


Line to
Transmitter

CRC Calculation



802.3 MAC Format

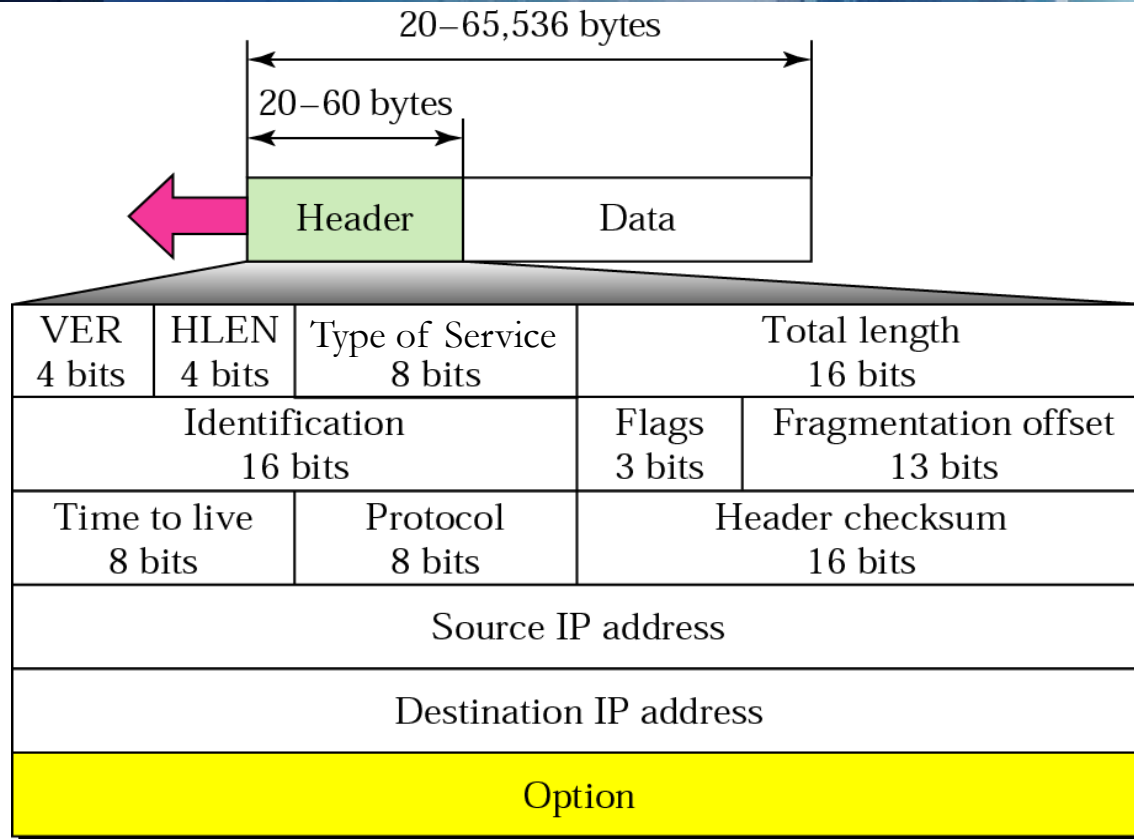


- 64-bit frame preamble (10101010) used to synchronize reception
 - 7 bit preamble (10101010) + 1 start flag (10101011)
- Maximum frame length: 1536 bytes
 - ⇒ max 1500 bytes payload
- Minimum frame length: 64 bytes
 - ⇒ min 46 bytes payload

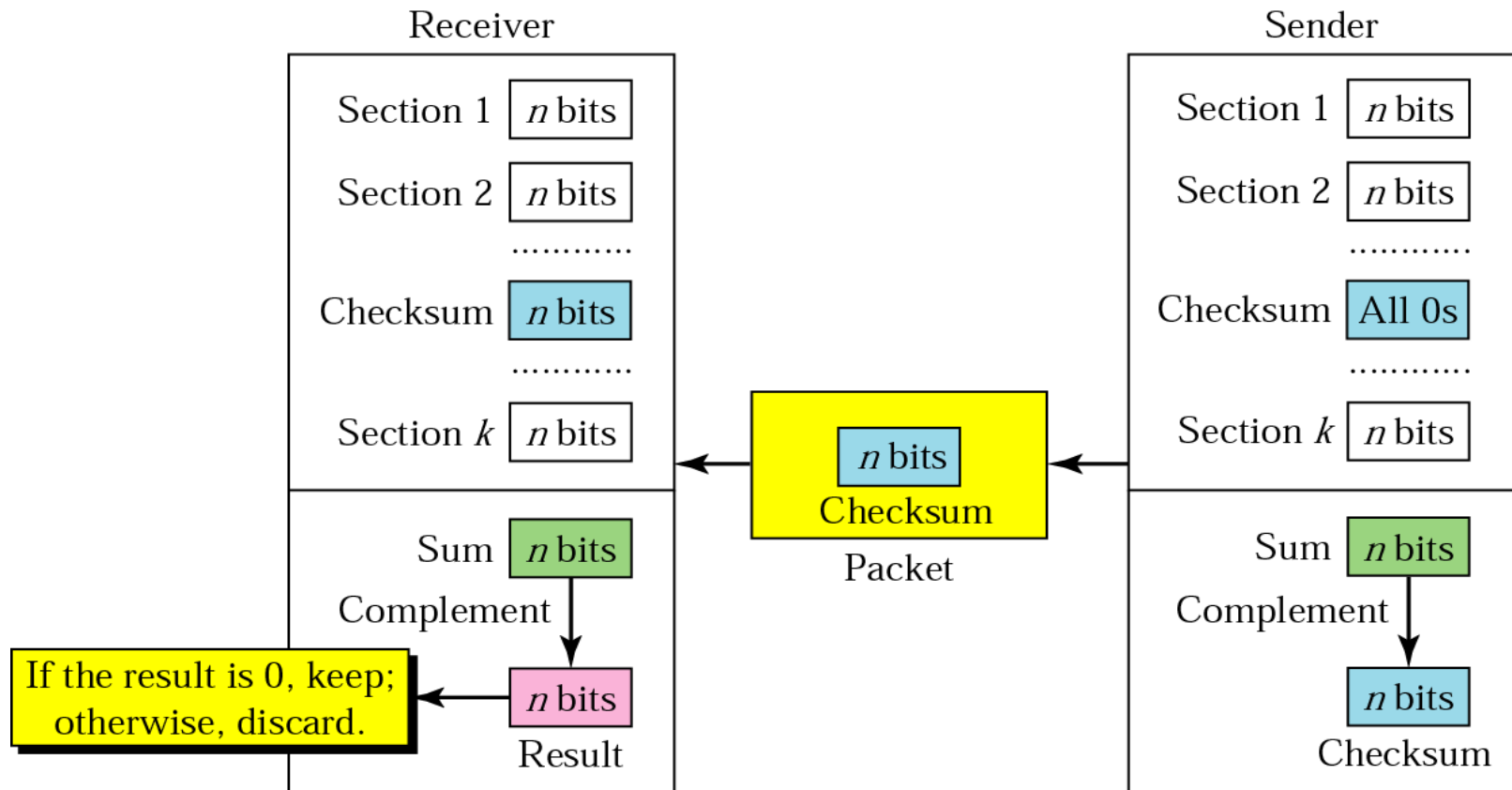
Example from a Linux box

```
wlan0      Link encap:Ethernet  HWaddr 00:0b:81:89:56:ca  
           inet addr:192.168.192.12  Bcast:192.168.192.255  Mask:255.255.255.0  
           inet6 addr: fe80::20b:81ff:fe89:56ca/64 Scope:Link  
           UP BROADCAST RUNNING MULTICAST  MTU:1500  Metric:1  
           RX packets:292 errors:0 dropped:374 overruns:0 frame:0  
           TX packets:199 errors:0 dropped:2 overruns:0 carrier:0  
           collisions:0 txqueuelen:1000  
           RX bytes:47787 (46.6 KiB)  TX bytes:26749 (26.1 KiB)
```

IP Datagram



Checksum



* Figure is courtesy of B. Forouzan

Checksum II

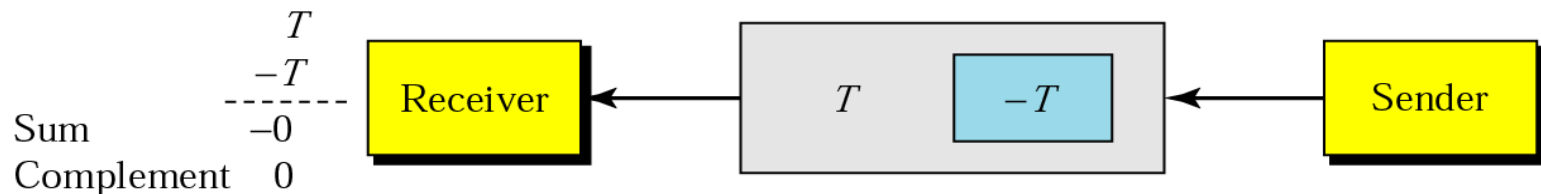
Sender:

The unit is divided into k sections, each of n bits.

All sections are added using one's complement to get the sum.

The sum is complemented and becomes the checksum.

The checksum is sent with the data.



Receiver:

The unit is divided into k sections, each of n bits.

All sections are added using one's complement to get the sum.

The sum is complemented.

If the result is zero, the data are accepted: otherwise, rejected.

* Figure is courtesy of B. Forouzan

Example: Checksum

Sender:

10101001

00111001

Sum 11100010

Checksum **00011101**

The data that is send:

10101001 00111001 **00011101**

Example: Checksum

Sender:

10101001

00111001

Sum 11100010

Checksum **00011101**

The data that is send:

10101001 00111001 **00011101**

Receiver:

10101001

00111001

00011101

Sum 11111111

Complement **00000000**

Complement: **00000000**

means that the frame is OK.

Example: Checksum

Sender:

10101001

00111001

Sum

11100010

Checksum

00011101

Receiver:

10101111

11111001

00011101

Partial Sum

1 11000101

Carry

1

Sum

11000110

Complement

00111001

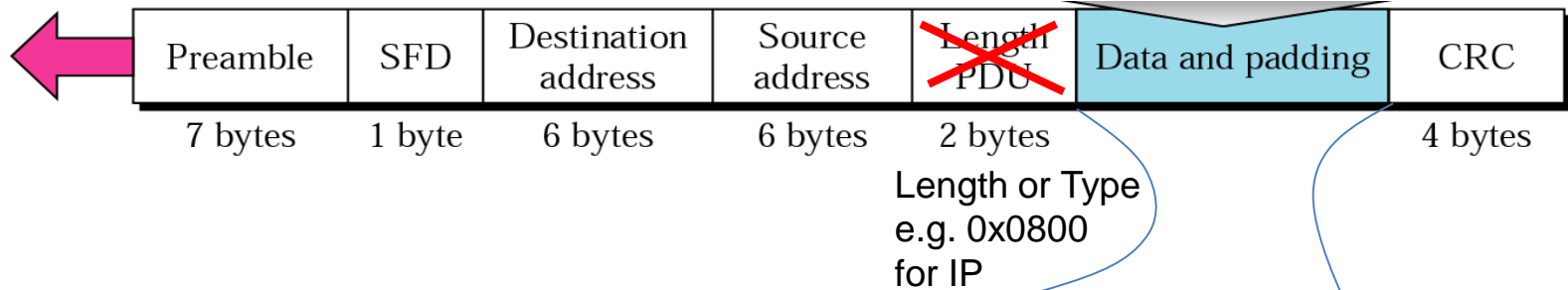
The data that is send:

10101001 00111001 **00011101**

Complement: **00111001**

means that the frame is corrupted.

Ethernet & IP



VER 4 bits	HLEN 4 bits	DS 8 bits	Total length 16 bits	
Identification 16 bits			Flags 3 bits	Fragmentation offset 13 bits
Time to live 8 bits		Protocol 8 bits	Header checksum 16 bits	
Source IP address				
Destination IP address				
Option				

Sample TCP / IP Packet

0000	00 07 e9 7c 22 fc 00 11 93 85 e0 c4 08 00 45 00
0010	00 2c db 26 40 00 3f 06 0e 77 86 e2 20 37 86 e2
0020	24 33 01 bd 12 3f 3d fa 0f b6 a8 6f 87 c0 50 18
0030	bc 40 8a 7c 00 00 85 00 00 00 00 00

...|".....E.
 ., .&@.?..w.. 7..
 \$3...?=....o..P.
 .@.|.....

Ethernet Header:

src addr: 00 07 e9 7c 22 fc
 dest addr: 00 11 93 85 e0 c4

IP Header:

src addr: 134.226.36.55
 dest addr: 134.226.36.51

TCP Header:

src port: 445
 dest port: 4671

NetBios Information

IP Header Checksum

The IP header is generally 20 byte and can be divided into units of 2 bytes/16 bits to calculate the checksum

Summary: Detection of Errors

- Parity Check
- Cyclic Redundancy Check (CRC)
- Checksum

Correction of Errors

- Error Correction through Retransmission
 - Parity, CRC, Checksum determine validity
 - If not valid, discard and wait for sender to retransmit
- Forward Error Correction
 - Determine the corrupted bit or bits at the receiver

Hamming Code

11	10	9	8	7	6	5	4	3	2	1
d	d	d	r_8	d	d	d	r_4	d	r_2	r_1

- Redundancy bits distributed throughout data bits
- Individual redundancy bits work as parity bits for specific data bits
 - e.g. r_1 is the parity bit for all odd numbers

3 = binary 001 $\color{red}1$

7 = binary 011 $\color{red}1$

5 = binary 010 $\color{red}1$

9 = binary 100 $\color{red}1$

* Figure is courtesy of B. Forouzan

Redundancy Bits Calculation

r_1 will take care of these bits.

11		9		7		5		3		1
d	d	d	r_8	d	d	d	r_4	d	r_2	r_1

r_2 will take care of these bits.

11	10			7	6			3	2	
d	d	d	r_8	d	d	d	r_4	d	r_2	r_1

r_4 will take care of these bits.

				7	6	5	4			
d	d	d	r_8	d	d	d	r_4	d	r_2	r_1

r_8 will take care of these bits.

11	10	9	8							
d	d	d	r_8	d	d	d	r_4	d	r_2	r_1

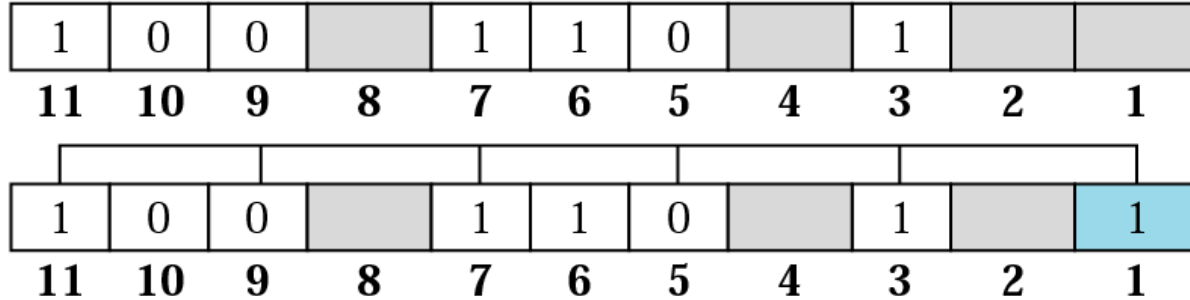
* Figure is courtesy of B. Forouzan

Redundancy Bit Calculation

1	0	0		1	1	0		1		
11	10	9	8	7	6	5	4	3	2	1

Data:
1 0 0 1 1 0 1

Redundancy Bit Calculation



Data:
1 0 0 1 1 0 1

* Figure is courtesy of B. Forouzan

Redundancy Bit Calculation

Data:
1 0 0 1 1 0 1

1	0	0		1	1	0		1		
11	10	9	8	7	6	5	4	3	2	1

Adding r_1

1	0	0		1	1	0		1		1
11	10	9	8	7	6	5	4	3	2	1

Adding r_2

1	0	0		1	1	0		1	0	1
11	10	9	8	7	6	5	4	3	2	1

Redundancy Bit Calculation

Data:
1 0 0 1 1 0 1

1	0	0		1	1	0		1		
11	10	9	8	7	6	5	4	3	2	1

Adding r_1

1	0	0		1	1	0		1		1
11	10	9	8	7	6	5	4	3	2	1

Adding r_2

1	0	0		1	1	0		1	0	1
11	10	9	8	7	6	5	4	3	2	1

Adding r_4

1	0	0		1	1	0	0	1	0	1
11	10	9	8	7	6	5	4	3	2	1

Redundancy Bit Calculation

Data:
1 0 0 1 1 0 1

1	0	0		1	1	0		1		
11	10	9	8	7	6	5	4	3	2	1

Adding r_1

1	0	0		1	1	0		1		1
11	10	9	8	7	6	5	4	3	2	1

Adding r_2

1	0	0		1	1	0		1	0	1
11	10	9	8	7	6	5	4	3	2	1

Adding r_4

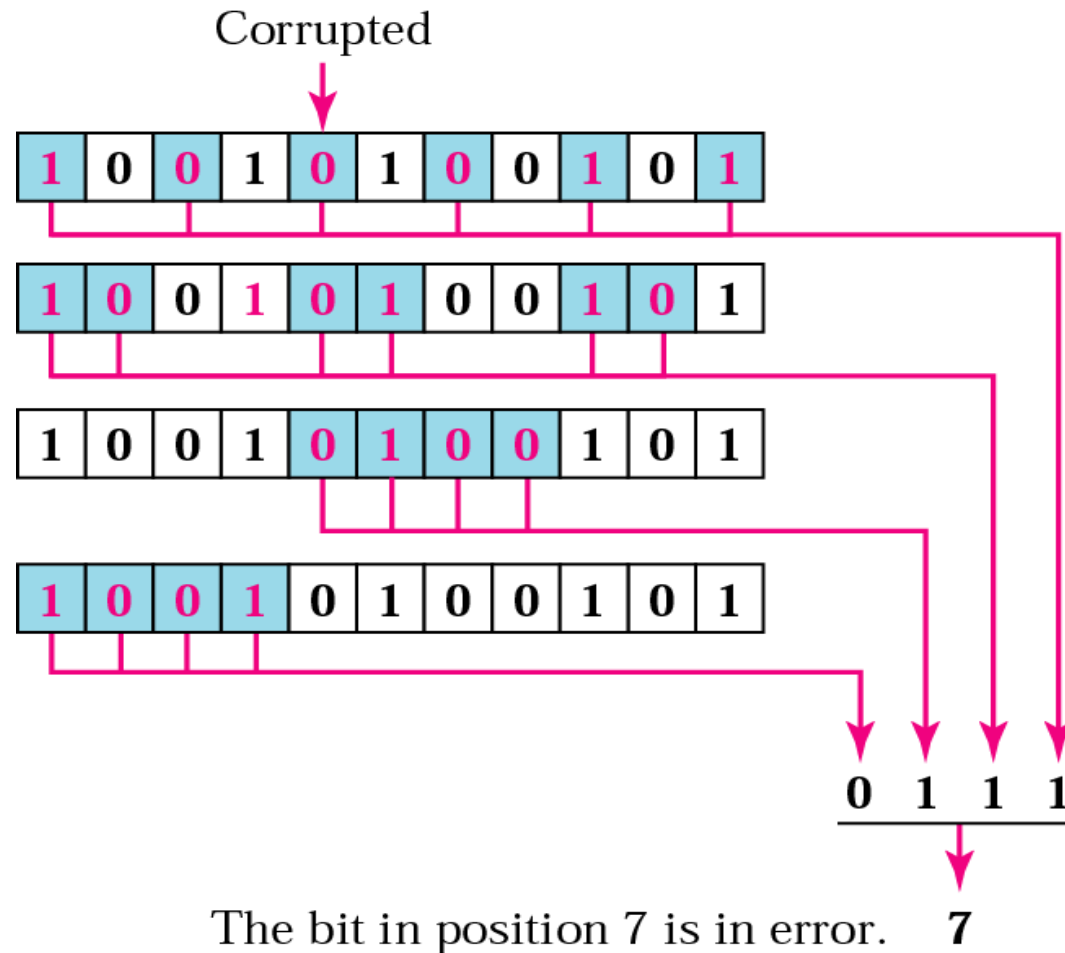
1	0	0		1	1	0	0	1	0	1
11	10	9	8	7	6	5	4	3	2	1

Adding r_8

1	0	0	1	1	1	0	0	1	0	1
11	10	9	8	7	6	5	4	3	2	1

Code:
1 0 0 1 1 1 0 0 1 0 1

Error Detection using Hamming Code



* Figure is courtesy of B. Forouzan

Data and Redundancy Bits

Number of data bits m	Number of redundancy bits r	Total bits $m + r$
1	2	3
2	3	5
3	3	6
4	3	7
5	4	9
6	4	10
7	4	11

* Figure is courtesy of B. Forouzan

Summary

- Types of Errors
 - Single-Bit & Burst Errors
- Detection of Errors
 - Parity Check / 2D Parity Check
 - CRC (Sequence of data)
 - Checksum (Chunks of data)
- Correction of Errors
 - Error Correction by Retransmission
 - Forward Error Correction – Hamming Code



That's all
folks