

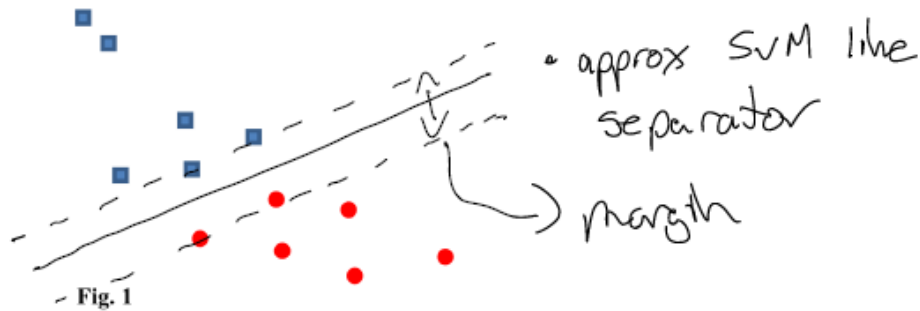


Seng 474 – Assignment 3

RYAN WOODWARD

V00857268

1a)



b). If $\frac{1}{2} \cdot w^2 = 2$ in SVM optimization

$$w^2 = 4$$

$$w = 2$$

$$\|w\| = \sqrt{w \cdot w} = 2$$

$$\text{Margin} = \frac{1}{\|w\|} = \frac{1}{2}$$

c) With red points shifted further from the blue pts.

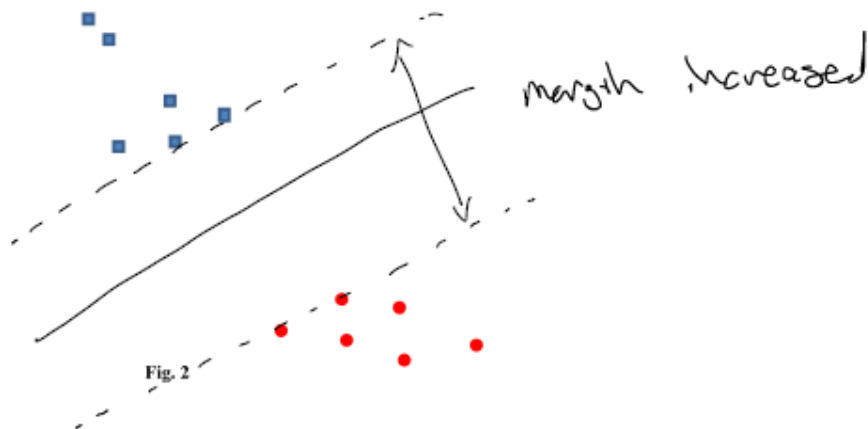
The margin will be greater. As

a result of this if $\frac{1}{\|w\|} > \frac{1}{2}$ this

means

- $2 > \|w\|$
- $2 > \sqrt{w^2}$
- $4 > w^2$
- $2 > w$

- this means that the weight vector will have to be lower to maximize the margin,

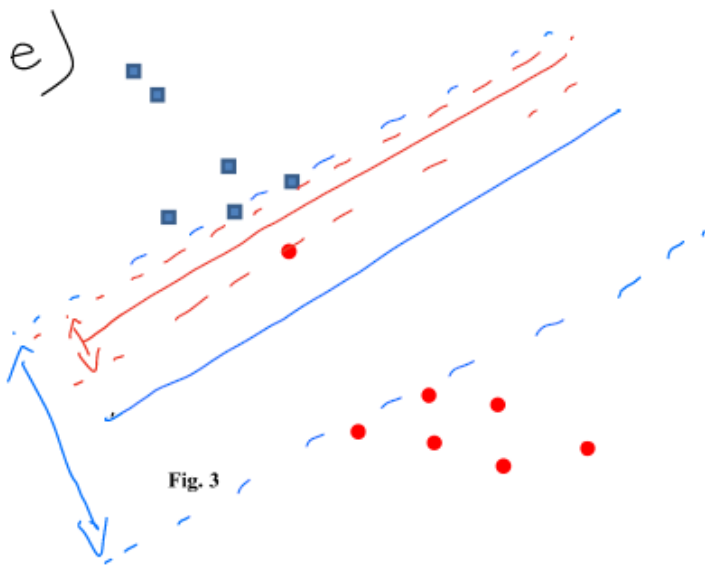


d) Fig. 1 = approx 1cm Margin
 Fig. 2 = approx 4cm Margin

- $\frac{1}{\|w'\|} = 4$
- $\|w'\| = \frac{1}{4}$
- $\sqrt{(w')^2} = \frac{1}{4}$

→ $(w')^2 = \frac{1}{16}$

$w' = \frac{1}{4}$



- The red line that separates the points will have a higher cost than the blue line. This is due to the fact that ξ for the red circle ≈ 1.5
- $\xi = 1.5$ due to the fact that this new red circle exists with the margin and has a cost associated with it
- The cost of the blue line

$$= \frac{1}{2} \cdot (w')^2 + \xi$$
 - ↳ the other ξ will be zero due to the fact that they exist outside of the margin and don't have a cost associated with them.
- The cost of red line

$$= \frac{1}{2} \cdot (w)^2$$

↳ all of the ξ are zero since they exist outside of the margin

Blue Line

$$\bullet \frac{1}{2} \cdot (w')^2 + \xi$$

$$= \frac{1}{2} \cdot \frac{1}{16} + 1.5 \quad \approx \quad \frac{49}{32}$$

Red Line

$$\bullet \frac{1}{2} \cdot (w)^2$$

$$= \frac{1}{2} \cdot (4) = 2$$

• Cost Blue < Cost Red

f)

• We can conclude that the blue line is a better SVM line separator since it has a lower cost

2. Take 100 records in the test set where 50 are positive and 50 are negative.

\Rightarrow 100% (+) records are classified correctly
0% (-) records " " correctly

\Rightarrow This error is $50/100 = 50\%$.

b) 80% (+) are classified correctly
20% (-) " " "

$$(50(80\%) + 50(20\%))/100 = 50\%.$$

c) Of 99 records. 66 are positive, 33 are (-)

100% (+) classified correctly
0% (-) " " "

$$1 - [(66(100\%) + 33(0\%))/99] = 33\%$$

d) 66% of + records are classified correctly
33% of - " " "

$$1 - [(66(2/3)) + [33(1/3)]] \neq 44.4\%$$

3b) Confusion Matrix

Classifier A Predicted Class

		+	-
Actual Class	+	HTP 3	HFN 2
	-	HFP 1	HTN 4

$TPR = \frac{3}{5} = 0.6$
 $FPR = \frac{FP}{N} = \frac{1}{5} = 0.2$

Classifier B Predicted Class

		+	-
Actual Class	+	TP 1	FN 4
	-	FP 1	TN 4

$TPR = \frac{1}{5} = 0.2$
 $FPR = \frac{1}{5} = 0.2$

5) classifier A

$$\text{precision} = \frac{TP}{TP+FP} = \frac{3}{4} = 0.75$$

$$\text{recall} = \frac{TP}{P} = \frac{3}{5} = 0.6$$

$$f\text{-measure} = \frac{0.6 + 0.75}{2} = 0.675$$

c) class B

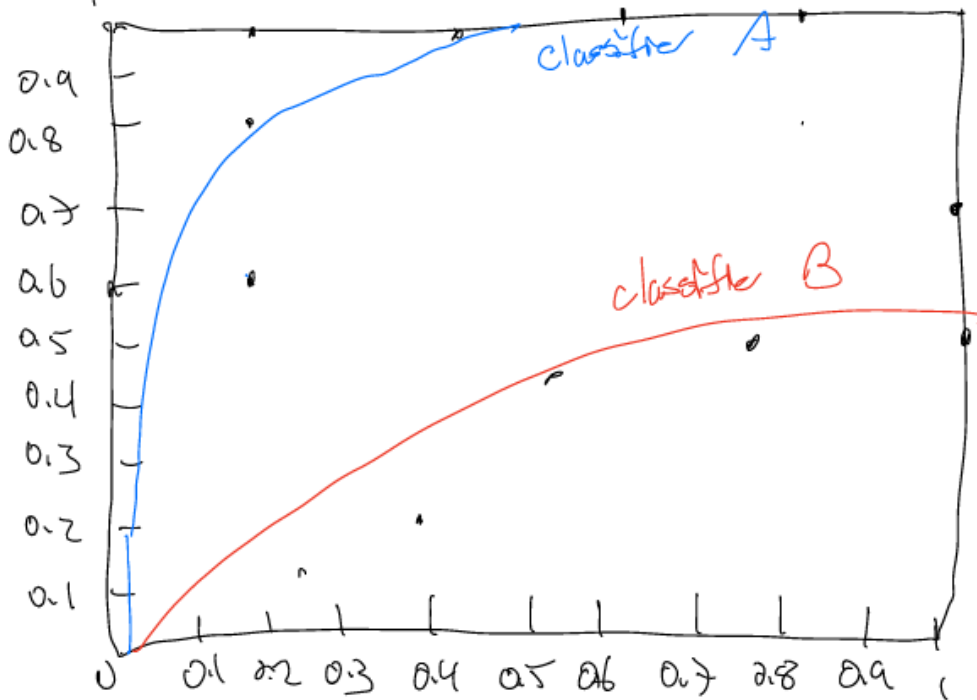
$$\text{prec} = 0.5$$

$$\text{recall} = \frac{1}{5} = 0.2$$

$$f\text{-measure} = 0.35$$

classifier A is better as it has a higher f-measure,

3a)



pred	-	-	-	-	-	-	-	-	+	+
actual	-	-	-	-	+	+	-	+	+	+
Class A	0.08	0.15	0.35	0.44	0.45	0.47	0.55	0.67	0.69	0.73
TP	5	5	5	5	5	4	3	3	2	
FP	5	4	3	2	1	1	1	0	0	
TN	0	1	2	2	3	3	3	4	0	
FN	0	0	0	0	0	1	2	2	3	
TPR	1	1	1	1	1	0.8	0.6	0.6	0.4	
FPR	1	0.8	0.6	0.4	0.2	0.2	0.2	0	0	

pred	-	-	-	-	-	+	+	-		
actual	+	+	-	-	+	-	+	+	-	

class B	0.01	0.03	0.04	0.05	0.09	0.31	0.38	0.45	0.61	0.68
TP	4	3	2	2	2	1	1	0		
FP	4	4	4	3	2	2	1	1		
TN	1	1	1	1	2	2	3	3		
FN	1	2	3	3	3	4	5	1		
JPR	1	0.75	0.5	0.5	0.5	0.25	0.25	0		
FPR	1	1	1	0.75	0.5	0.5	0.25	0.25		

ml

11

e

II

 d, r

1
C, d, C

11

b, c, d, e.

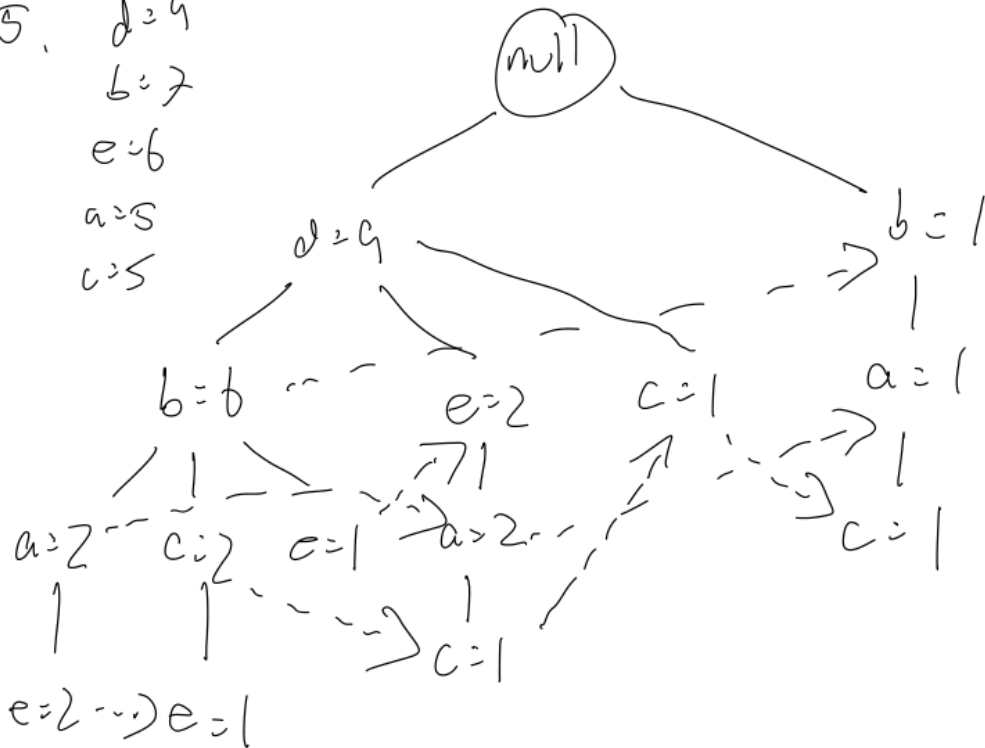
a, b, c, d, e

b) $|v/3| = 32,3\%$

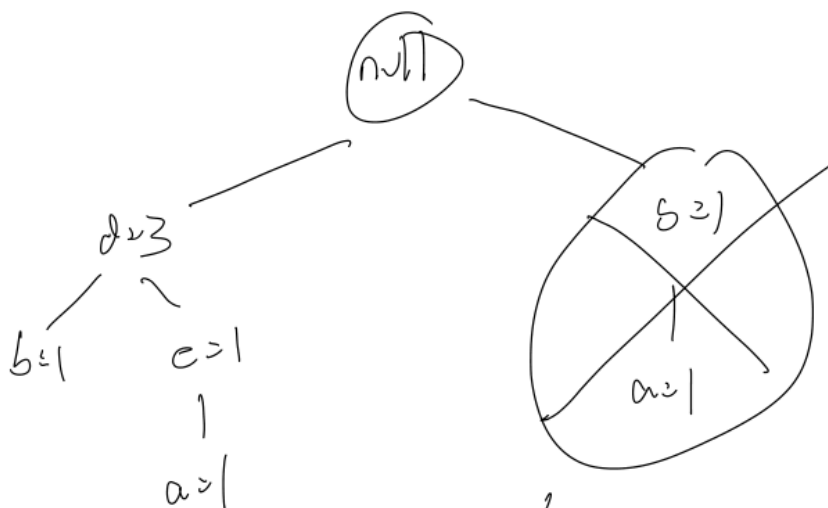
c) $21/31 = 67,7\%$.

d) $18/31 = 58,1\%$

5. $d=9$
 $b=7$
 $e=6$
 $a=5$
 $c=5$



FP-Tree ~~Set~~ "c"



↳ not supported enough
 output "c"

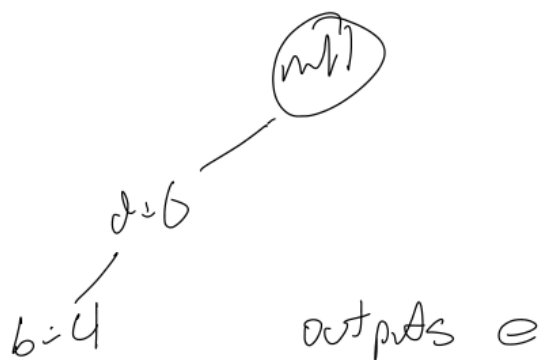
"ac", "bc", "dc", "ec" have null trees and output ac, bc, dc, ec respectively.

FP Tree Satisfies "a"



"da" outputs da and hence a null tree

FP Tree Satisfies "e"



FP Tree Satisfies "bc"



"de" outputs de

FP-Tree Suffix "b"



output b, db

FP-Tree Suffix "d"

Leaves ml and outputs d

$F1 = a, b, c, d, e, ac, bc, dc, ec, da, be, de, db, ce$

6. MIN $(p1), (p2)$

$p1, p2$

$p3$

$p4$

$p3$ 0.525

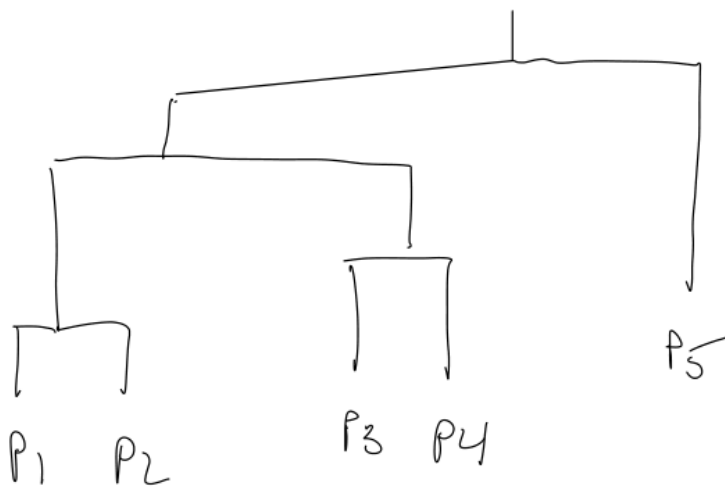
$p4$ 0.551 0.44

$p5$ 0.665 0.85 0.76

MIN $(p_3), (p_4)$

	p_1, p_2	p_3, p_4	p_5
p_5	0.665	0.805	X
p_3, p_4	0.538	X	

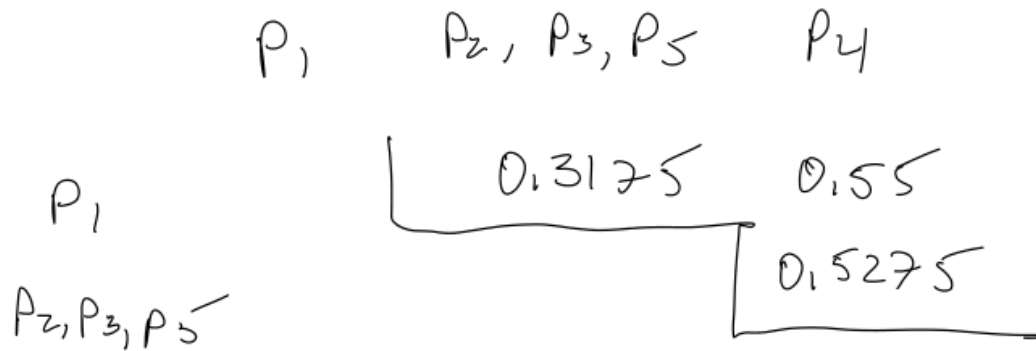
MIN $(p_1, p_2), (p_3, p_4)$
 MIN $(p_1, p_2, p_3, p_4), (p_5)$



. MAX $(p_2), (p_5)$

	p_1	p_2, p_5	p_3	p_4
p_1		0.225	0.41	0.55
p_2, p_5			0.745	0.615
p_3				0.44

$$\text{MAX}(p_2, p_5), (p_3)$$



$$\text{MAX}(p_1, p_4)$$

$$\text{MAX}(p_2, p_3, p_5), (p_1, p_4)$$

