

✓ Hands-on Activity 2.1 : Dynamic Programming

Objective(s):

This activity aims to demonstrate how to use dynamic programming to solve problems.

Intended Learning Outcomes (ILOs):

- Differentiate recursion method from dynamic programming to solve problems.
- Demonstrate how to solve real-world problems using dynamic programming

Resources:

- Jupyter Notebook

✓ Procedures:

1. Create a code that demonstrate how to use recursion method to solve problem
2. Create a program codes that demonstrate how to use dynamic programming to solve the same problem

✓ Question:

Explain the difference of using the recursion from dynamic programming using the given sample codes to solve the same problem

Type your answer here:

3. Create a sample program codes to simulate bottom-up dynamic programming
4. Create a sample program codes that simulate tops-down dynamic programming

✓ Question:

Explain the difference between bottom-up from top-down dynamic programming using the given sample codes

Type your answer here: it came from it words the bottom-up is where you write your code of the values where it is in the top of your code while the top-down is the reverse of the bottom-up that uses the code to enumerate the values from the bottom

0/1 Knapsack Problem

- Analyze three different techniques to solve knapsacks problem
1. Recursion
 2. Dynamic Programming
 3. Memoization

#sample code for knapsack problem using recursion
def rec_knapSack(w, wt, val, n):

```
#base case
#defined as nth item is empty;
#or the capacity w is 0
if n == 0 or w == 0:
    return 0
```

```

#if weight of the nth item is more than
#the capacity W, then this item cannot be included
#as part of the optimal solution
if(wt[n-1] > w):
    return rec_knapSack(w, wt, val, n-1)

#return the maximum of the two cases:
# (1) include the nth item
# (2) don't include the nth item
else:
    return max(
        val[n-1] + rec_knapSack(
            w-wt[n-1], wt, val, n-1),
        rec_knapSack(w, wt, val, n-1)
    )

```

```

#To test:
val = [60, 100, 120] #values for the items
wt = [10, 20, 30] #weight of the items
w = 50 #knapsack weight capacity
n = len(val) #number of items

rec_knapSack(w, wt, val, n)

```

```

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TypeError                                Traceback (most recent call last)
<ipython-input-14-a876c5ea3b2a> in <cell line: 7>()
      5 n = len(val) #number of items
      6
----> 7 rec_knapSack(w, wt, val, n)

```

↕ 2 frames

```

<ipython-input-12-78cb17c4648a> in rec_knapSack(w, wt, val, n)
     18 # (2) don't include the nth item
     19 else:
--> 20     return max(
     21         val[n-1] + rec_knapSack(
     22             w-wt[n-1], wt, val, n-1),

```

TypeError: 'int' object is not callable

SEARCH STACK OVERFLOW

```

#Dynamic Programming for the Knapsack Problem
def DP_knapSack(w, wt, val, n):
    #create the table
    table = [[0 for x in range(w+1)] for x in range (n+1)]

    #populate the table in a bottom-up approach
    for i in range(n+1):
        for w in range(w+1):
            if i == 0 or w == 0:
                table[i][w] = 0
            elif wt[i-1] <= w:
                table[i][w] = max(val[i-1] + table[i-1][w-wt[i-1]],
                                table[i-1][w])
    return table[n][w]

```

```

#To test:
val = [60, 100, 120]
wt = [10, 20, 30]
w = 50
n = len(val)

```

```
DP_knapSack(w, wt, val, n)
```

220

```

#Sample for top-down DP approach (memoization)
#initialize the list of items
val = [60, 100, 120]
wt = [10, 20, 30]
w = 50

```

```

n = len(val)

#initialize the container for the values that have to be stored
#values are initialized to -1
calc = [[-1 for i in range(w+1)] for j in range(n+1)]

def mem_knapSack(wt, val, w, n):
    #base conditions
    if n == 0 or w == 0:
        return 0
    if calc[n][w] != -1:
        return calc[n][w]

    #compute for the other cases
    if wt[n-1] <= w:
        calc[n][w] = max(val[n-1] + mem_knapSack(wt, val, w-wt[n-1], n-1),
                        mem_knapSack(wt, val, w, n-1))
        return calc[n][w]
    elif wt[n-1] > w:
        calc[n][w] = mem_knapSack(wt, val, w, n-1)
        return calc[n][w]

mem_knapSack(wt, val, w, n)

220

```

Code Analysis

First to do is create a table and create if its bottom-up or top-down base on the conditions and the nth value is the length of the values

✓ Seatwork 2.1

Task 1: Modify the three techniques to include additional criterion in the knapsack problems

```

#type your code here
#Recursion
#sample code for knapsack problem using recursion
def jolibee(maxs, weight, price, n):

    if n == 0 or maxs == 0:
        return 0

    if(weight[n-1] > maxs):
        return jolibee(w, wt, val, n-1)

#diko na po ma solve out of time sorry
#nag kaya problem sa else statement
    else:
        return max(
            price[n-1] + jolibee(
                maxs-weight[n-1], weight, price, n-1),
            jolibee(maxs, weight, price, n-1)
        )

max1 = int(input(f"Enter the Maximum weight of the item: "))
items = int(input("Enter the number of items: "))
weight1 = []
price1 = []
for i in range(items):
    weight = int(input(f"Enter the weight of the item {i+1}:"))
    weight1.append(weight)
    price = int(input(f"Enter the price of the item {i+1}:"))
    price1.append(price)

n1 = len(price1)
jolibee(max1, weight1, price1, n1)

```

#Dynamic

#Memoization

```

Enter the Maximum weight of the item: 50
Enter the number of items: 2
Enter the weight of the item 1:30
Enter the price of the item 1:400
Enter the weight of the item 2:10
Enter the price of the item 2:20

```

```

-----
TypeError                                Traceback (most recent call last)
<ipython-input-19-c649d4f1bfeb> in <cell line: 32>()

```

```

    30
    31 n1 = len(price1)
--> 32 jolibee(max1, weight1, price1, n1)
    33
    34

```

 1 frames

```

<ipython-input-19-c649d4f1bfeb> in jolibee(maxs, weight, price, n)
    12
    13     else:
--> 14         return max(
    15             price[n-1] + jolibee(
    16                 maxs-weight[n-1], weight, price, n-1),

```

```

TypeError: 'int' object is not callable

```

#Dynamic

#Dynamic Programming for the Knapsack Problem

```

def DP_knapSack(w, wt, val, n):
    #create the table
    table = [[0 for x in range(w+1)] for x in range (n+1)]

    #populate the table in a bottom-up approach
    for i in range(n+1):
        for w in range(w+1):
            if i == 0 or w == 0:
                table[i][w] = 0
            elif wt[i-1] <= w:
                table[i][w] = max(val[i-1] + table[i-1][w-wt[i-1]],
                                table[i-1][w])
    return table[n][w]

```

```

w = input(f"Enter the Maximum weight of the item: ")
items = int(input("Enter the number of items: "))
wt = []
val = []
for i in range(items):
    weight = input(f"Enter the weight of the item {i+1}:")
    wt.append(weight)
    price = input(f"Enter the price of the item {i+1}:")
    val.append(price)

```

```

n = len(val)

```

```

DP_knapSack(w, wt, val, n)

```

```

Enter the Maximum weight of the item: 50
Enter the number of items: 3
Enter the weight of the item 1:10
Enter the price of the item 1:60
Enter the weight of the item 2:20
Enter the price of the item 2:100
Enter the weight of the item 3:30
Enter the price of the item 3:120

```

```

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TypeError                                Traceback (most recent call last)
<ipython-input-24-deebaacf8894> in <cell line: 32>()
    30 n = len(val)
    31
--> 32 DP_knapSack(w, wt, val, n)

```

```

----- 1 frames -----
<ipython-input-24-deebaacf8894> in <listcomp>(.0)
    4 def DP_knapSack(w, wt, val, n):
    5     #create the table
--> 6     table = [[0 for x in range(w+1)] for x in range (n+1)]
    7
    8     #populate the table in a bottom-up approach

```

TypeError: can only concatenate str (not "int") to str

SEARCH STACK OVERFLOW

```

val = [60, 100, 120]
wt = [10, 20, 30]
w = 50
n = len(val)

```

```

#initialize the container for the values that have to be stored
#values are initialized to -1
calc = [[-1 for i in range(w+1)] for j in range(n+1)]

```

```

def mem_knapSack(wt, val, w, n):
    #base conditions
    if n == 0 or w == 0:
        return 0
    if calc[n][w] != -1:
        return calc[n][w]

    #compute for the other cases
    if wt[n-1] <= w:
        calc[n][w] = max(val[n-1] + mem_knapSack(wt, val, w-wt[n-1], n-1),
                        mem_knapSack(wt, val, w, n-1))
    return calc[n][w]
    elif wt[n-1] > w:
        calc[n][w] = mem_knapSack(wt, val, w, n-1)
    return calc[n][w]

```

```

mem_knapSack(wt, val, w, n)

```

```

-----
TypeError                                Traceback (most recent call last)
<ipython-input-25-2d63d04fddb6> in <cell line: 27>()
    25     return calc[n][w]
    26
--> 27 mem_knapSack(wt, val, w, n)

```

```

----- 2 frames -----
<ipython-input-25-2d63d04fddb6> in mem_knapSack(wt, val, w, n)
    18     #compute for the other cases
    19     if wt[n-1] <= w:
--> 20         calc[n][w] = max(val[n-1] + mem_knapSack(wt, val, w-wt[n-1], n-1),
    21                         mem_knapSack(wt, val, w, n-1))
    22     return calc[n][w]

```

TypeError: 'int' object is not callable

SEARCH STACK OVERFLOW

Fibonacci Numbers

Task 2: Create a sample program that find the nth number of Fibonacci Series using Dynamic Programming

#type your code here

✓ Supplementary Problem (HOA 2.1 Submission):

- Choose a real-life problem
- Use recursion and dynamic programming to solve the problem

#type your code here for recursion programming solution

#type your code here for dynamic programming solution

✓ Conclusion

#type your answer here