Which of the following is an example of linear regression where y is the scalar output, \mathbf{x} is the input vector, and \mathbf{w} is a weight vector?

- $y = (w^Tx+1)^2 + (w^Tx)^2$
- $y = (\mathbf{w}^T \mathbf{x})^2$
- $y = (w^Tx+1)^2 (w^Tx)^2$
- $y = (\mathbf{w}^{\mathsf{T}} \mathbf{x})^2 + \mathbf{w}^{\mathsf{T}} \mathbf{x}$

2 Multiple Choice 1 point

Suppose in a linear regression setting with squared loss, the design matrix is such that $\mathbf{X}^T\mathbf{X}$ is invertible. Suppose \mathbf{w}^* is the minimizer of $||\mathbf{y} - \mathbf{X} \mathbf{w}||^2$. What will be the minimizer of $||\mathbf{2} \mathbf{y} - \mathbf{X} \mathbf{w}||^2$?

- w*
- **O** 2 w*
- $w^*/2$
- \bigcirc Cannot be written just in terms of \mathbf{w}^*

Multiple Choice 1 point

Suppose in a linear regression setting with squared loss, the design matrix is such that $\mathbf{X}^T\mathbf{X}$ is invertible. Suppose \mathbf{w}^* is the minimizer of $||\mathbf{y} - \mathbf{X} \mathbf{w}||^2$. What will be the minimizer of $||\mathbf{y} - \mathbf{Z} \mathbf{X} \mathbf{w}||^2$?

 \bigcirc w*

3

- O 2 w*
- **o** w*/2
- \bigcirc Cannot be written just in terms of \mathbf{w}^*

Suppose we view linear regression as a simple neural network. What happens to the number of layers of this network if we double the dimension of the input features?

Stays the same

Number of layers gets doubled

Number of layers gets halved

Number of layers increases by 1

16

Multiple Choice 1 point

Let R be the set of all real numbers and let S = { softmax(\mathbf{x}) : \mathbf{x} = (\mathbf{x}_1 , \mathbf{x}_2), \mathbf{x}_1 , $\mathbf{x}_2 \in \mathbf{R}$ }. That is, S is the set obtained by applying the softmax function to all points in the two dimensional plane. Which of the following statements correctly describes S?

- $(x_1, x_2): 0 < x_1 < 1, 0 < x_2 < 1, x_1 + x_2 = 1$
- $\{(x_1, x_2): 0 \le x_1 \le 1, 0 \le x_2 \le 1, x_1 + x_2 = 1\}$
- $(x_1, x_2): -\infty < x_1 < +\infty, -\infty < x_2 < +\infty$
- $\{ (x_1, x_2) : -\infty <= x_1 <= +\infty, -\infty <= x_2 <= +\infty \}$

20 Multiple Choice 1 point

Suppose X has Gaussian distribution with mean 0 and standard deviation 1. Which of the following correctly describes X+1?

- It has a Gaussian distribution with mean 1 and standard deviation 1
- It has a Gaussian distribution with mean 0 and standard deviation 2
- Its distribution is no longer Gaussian
- It also has a Gaussian distribution with mean 0 and standard deviation 1

21 Multiple Choice 1 point

Consider softmax regression with cross-entropy loss. Suppose I am running minibatch stochastic gradient descent with a batch size of one and learning rate 0.1. I choose a random labeled example with a non-zero feature vector from the dataset. But the update does NOT change the weight vector. What can be correctly concluded from this?

- The training process has finished and we can stop training
- The label predicted by the current weight vector matches the true label of the chosen example
- Batch size is too small. We should increase it.
- The learning rate is not right. We should modify it.

The following code creates a neural network with how many layers?

```
from tensorflow import keras
from tensorflow.keras import layers
model = keras.Sequential([
    layers.Dense(512, activation="relu"),
    layers.Dense(10, activation="softmax")
])
```

- **O** 2
- 512
- 10
- 522

26 Multiple Choice 1 point

What is the closest analogue of a numpy ndarray in tensorflow?

- tensor
- variable
- gradient tape
- layer

27 Multiple Choice 1 point

Having access to tensorflow/keras saves a programmer from which of the following activities?

- Implementing minibatch stochastic gradient descent
- Creating a neural network architecture
- Specifying a loss function
- Choosing a training dataset