

# Read Me for Code

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## 1 Read Me

This repository contains code and data used to elucidate potential next steps to prove Conjecture 1.3 (  $\Delta_d^{(3,-)}(n) \geq 1$  ).

This is the code referred to in Section 7 and Acknowledgements of the Inagaki and Tamura 2022 paper.

### 1.1 How to Use the C++ code (.cc file) in Linux Terminal

Before you do anything, make sure your pwd is the same directory as is the coefficients\_d3\_oneDash.cc

First, compile the C++ file. Type without quotes :  
"g++ ./coefficients\_d3\_oneDash.cc o coefficients\_d2."

Then Type without quotes:  
"./coefficients\_d2 NUM\_TERMS d output\_file <d >"  
where d is a positive integer parameter and NUM\_TERMS is the positive integer number of terms you want to compute  $Q_{d-3}^{(1,-)}(n)$  and  $q_d^{(1)}(n)$  and  $\Delta_d^{(3,-)}(n)$ .

To stay organized, let <d > be the value of d you inputted earlier in the line.

## 2 The output\_file

In this repository, given a positive integer d, output\_file<d > has the values of  $Q_{d-3}^{(1,-)}(n)$ ,  $q_d^{(1)}(n)$ , and  $\Delta_d^{(3,-)}(n)$  for n from 1 to 100,000 inclusive. Open this through your text editor.

Note from the output\_file's for d in between 1 and 9, it seems as if  $\Delta_d^{(3,-)}(n) < 0$  and the

$$\Delta_d^{(3,-)}(n)$$

decreases rapidly as n gets large.

Note that for d at least 10, it seems as if  $\Delta_d^{(3,-)}(n) \geq 0$  and the  $\Delta_d^{(3,-)}(n)$  increases as n gets large.