# Beyond Spell-checking: Word-checking

An attention based Transformer approach

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	Abstract

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## CHAPTER 1

## Introduction

This report is intended to present and discuss the work accomplished during the TER. In this chapter we outline the key ideas of this TER and introduce some of the concepts needed to understand the reminder of this report.

## 1.1 The general framework

Let's begin by presenting the issue we will try to solve throughout this report. As we grow up, we are able to make less and less mistakes when writing a sentence or a long text. However, some words are more difficult to spell correctly than others. Especially, words called *homophones* can be quite challenging. What are homophones? **Homophones** are words that are pronounced the same, but they have different writings and different meanings. For instance, in the French language - the language used for all of the studies in this TER - the words "leur" and "leurs" are homophones. To spell properly these homophones, we must use information such as the context in which they occur. To make matters worse, when humans make mistakes, they are very confident that they have chosen the right word (see ??). Then we can wonder, how can we avoid these pitfalls?

We can certainly treat such a question by leveraging knowledge from many different fields of study. For instance, we can use knowledge and concepts from linguistics to help us address the issue of choosing the right homophone. We can further use brain imaging techniques to spot any differences between the condition where we choose the right form and the condition we don't. The latter methods could be, broadly speaking, categorized as the cognitive sciences approach. While cognitive sciences are arguably well suited for this task, we won't take this approach. Instead, we will take a more computer science oriented approach and tackle the issue of homophones by using **deep learning** (commonly abbreviated as **DL**) and the latest breakthrough in **natural language processing** (commonly abbreviated as **NLP**) known as the *Transformer* [5]. The Transformer has democratized and brought to a new level the use of *attention* mechanisms in NLP and sequential problems in general. More precisely, we will try to answer the following question: **can we can implement an effective attention based Transformer model for homophone correction?** 

We discuss what we mean by the term *effective*, and the terms *homophone correction* in chapter 3 ??. Throughout this chapter, we will have a glimpse of what *attention* and *Tranformer model* mean, but their in-depth explanation is left for the next chapter.

## 1.2 DL and NLP prerequisites

In this section we will review basic concepts of DL and NLP needed to understand the material present in chapter 2 and chapter 3. Throughout this report, we won't get into too much details when it comes to mathematical theory or more technical methods usually employed in DL. Indeed, this is not the objective here and is beyond the scope of this report, in addition to the fact that many great resources on these topics already exist (see [4], and [2]). However, we will always try to give an intuitive explanation, enough to understand what the different components are used for. Also, additional explanations are given in the appendices. Most of the pages are dedicated to explain the in-depth functioning of the Transformer model and its building blocks, along with the experiment that have been done.

## 1.2.1 Deep Learning prerequisites

In deep learning we use terms like loss function, gradient, optimizer, true label, parameters, layers, units, activation function, etc. For an exhaustive survey see [4], [3] and [1]. We will mainly focus on the components used to implement the Transformer.

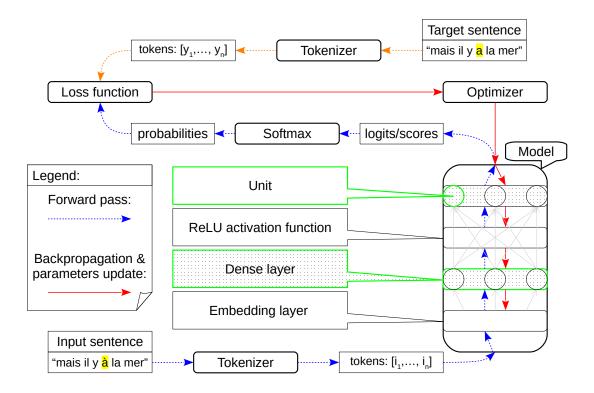


Figure 1.1: How different DL components can be related to each other during training. The model shown here is not the Transformer, and serves only as an illustration.

In the example in figure 1.1, we give the tokenized input (see 1.2.2 for more details) to the model, and then compare what the model outputs with the correct sentence i.e. target sentence. Target sentence is employed here to emphasize that, for each input sentence, we have the corresponding correct sentence (itself if it's already correct or the corresponding corrected sentence). Thus, the model is trained in a supervised setting. We want the model to correct the errors present - if any - in the input sentence, and output the corrected sentence. For instance in figure 1.1, the input contains an error whereas target sentence doesn't (see the highlighted terms "à" and "a"). That being said, let's review what each component in figure 1.1 does. First, the list of tokens (each token is a number) of length h goes through the **Embedding layer**, where each token is transformed into a vector of a given fixed dimension d called *embedding dimension*. Indeed, for every token in the vocabulary (see 1.2.2), the embedding layer has an associated vector of dimension d. For instance if h = 11 (there are 11 tokens) and d = 64, then the list of tokens is

transformed into a matrix X having 11 rows and 64 columns  $(X \in \mathbb{R}^{11 \times 64})$ . This newly created matrix is then fed to a **Dense layer**. Moreover, a dense layer consists of **units** and those units determine the shape of the weight matrix W representing the layer. What happens at the dense layer boils down to a matrix multiplication. Indeed, if we omit the bias term, and the number of units is equal to 16, then the following matrix multiplication occurs:  $X \times W$  with  $X \in \mathbb{R}^{11 \times 64}$  and  $W \in \mathbb{R}^{64 \times 16}$  resulting in a matrix  $X_{\text{new}} \in \mathbb{R}^{11 \times 16}$ . Oftentimes an activation function is applied to a layer's output. The activation function used in figure 1.1 - and also by the Transformer - is called **ReLU** activation function. For every real number x, ReLU(x) = x if  $x \ge 0$  and ReLU(x) = 0 if x < 0. ReLU is applied element-wise to the previous matrix  $X_{\text{new}} \in \mathbb{R}^{11 \times 16}$ . Activation functions serve to inject non-linearity into our models. Finally, in figure 1.1, the output of the ReLU goes through a second Densely connected layer. If this second layer has |V| units, then we get a new matrix  $S \in \mathbb{R}^{11 \times |V|}$   $(S = X_{\text{new}} \times W_2 \text{ with } X_{\text{new}} \in \mathbb{R}^{11 \times 16} \text{ and } W_2 \in \mathbb{R}^{16 \times |V|})$ . As we will see in section 1.2.2, |V| denotes the size of the vocabulary, i.e. the total number of tokens that make up the vocabulary being used by the Model. Notice that this time we didn't use an activation function after the dense layer. Thus, elements of S can be any real number, we call these numbers logits. Next, we use the **Softmax** function to get probabilities. We apply softmax along the rows of S and obtain the probability matrix P:

$$P = softmax_{j}(S)$$
 i.e.  $P_{ij} = \frac{\exp(S_{ij})}{\sum_{i=1}^{|V|} \exp(S_{ij})}$  (1.1)

 $P_{ij}$  gives for the  $i^{\text{th}}$  output token, the probability that this token is the  $j^{\text{th}}$  token of the vocabulary. In our example (figure 1.1),  $P \in \mathbb{R}^{11 \times |V|}$ , hence the model outputs probabilities for 11 tokens (corresponding to 11 rows in P). Intuitively, we can consider that the  $i^{\text{th}}$  output of the model, is the  $j^{\text{th}}$  token of the vocabulary, such that  $P_{ij}$  is the maximum i.e.  $j = argmax_i(P_{i,.})$ , for those who are familiar with this notation.

Furthermore, as we have the correct sentence i.e. target sentence, we also have the correct tokens i.e. target tokens, we tokeize the target sentence to get them. The same tokenizer is used to tokenize both the input sentence and the target sentence. Consequently, we can compare how well the model is doing for the task of correcting incorrect sentences. We compare the model's output - the probability matrix P - with the target tokens from the target sentence. This is accomplished by the **Loss function**, it takes as input both the list of target tokens and the probability matrix P, and it calculates the

loss, which is a measure of how different the model's output is from what is expected i.e. target sentence. We want this loss to be as low as possible. If we denote the loss function by L, and all the trainable parameters by  $\theta$ , then parameters update is given by:

$$\theta_{\text{new}} = \theta_{\text{old}} - \epsilon \times \nabla_{\theta} L \quad \text{where} \quad \nabla_{\theta} L, \text{ is the gradient of } L \text{ w.r.t } \theta$$
 (1.2)

We notice that,  $\nabla_{\theta}L$  - obtained via the backpropagation algorithm - indicates the direction in which  $\theta$  is moved, and  $\epsilon$  specifies by how much it is moved. Additional update options can be configured and the **Optimizer** handles their implementation. This ends the quick review of the basic DL concepts needed to get the big picture of the problem. Next, we review some concepts related to NLP and the loss function in detail.

#### 1.2.2 Natural Language Processing prerequisites

In order to train and evaluate a model, we have to first define a vocabulary. This vocabulary is linked to the way we tokenize textual data. Indeed, when we encode textual data using a **Tokeinzer**, the resulting token representation depends on the tokens the tokenizer is able to handle. For instance, a character-level tokenizer encodes each character separately, while a world-level tokenizer encodes each word separately. However, we will use for the Transformer a subword-level tokenizer. The subword tokenizer is first trained on a text corpus, then the most frequent chunks [see 2, for more details] of text are each associated with a number between 1 and |V|. Here, |V| indicates the maximum number the tokenizer can emit. Moreover, at the beginning (respectively end) of a sentence, we add the  $\langle SOS \rangle$  token (respectively the  $\langle EOS \rangle$  token), see figure 1.2 for an example.

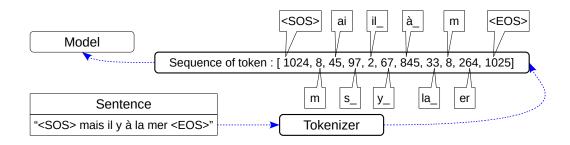


Figure 1.2: How Subword Tokenizer encodes sentences.

Finally, we describe the loss function L used in figure 1.1, and also used by the Transformer. More precisely, L is the Sparse Categorical Cross-Entropy Loss. We saw

in section 1.2.1, that this loss function takes as input the list of target tokens, and the probability matrix P from the model. Let's denote by y the list of target tokens, and  $y_i \in \{1, ..., |V|\}$  the i<sup>th</sup> token in the list. Moreover, h is both the length of y and the number of rows in P (in figure 1.1, h = 11). L is given by formula 1.3, and measures the loss for a pair input sentence/target sentence:

$$L(y, P) = -\sum_{i=1}^{h} \log(P_{i,y_i})$$
(1.3)

We notice that, both the length of y and the number of rows in P must be equal (it's the same number h), we will see in the next section how it is ensured for the Transformer model. Additionally, if  $P_{i,y_i}$  tends to 1, then  $\log(P_{i,y_i})$  tends to 0, and if  $P_{i,y_i}$  tends to 0, then  $\log(P_{i,y_i})$  tends to  $-\infty$  (then L tends to  $+\infty$ ). Consequently, minimizing L forces  $P_{i,y_i}$  to be close to 1, i.e. the model gives a high probability for the  $i^{\text{th}}$  output token to be the  $i^{\text{th}}$  token in the target token list. Thus, the model learns to output what we expect it to output (the target tokens) given a certain input.

### 1.3 High-level picture of the problem setup

In this section, we look at the elements surrounding the training of the Transsormer. To begin with, the set-up used to train the Transformer is similar to the setting in figure 1.1, with changes only occurring at the model level. Indeed, as shown in figure 1.3, the Transformer is composed of two main blocks - an **Encoder** block and a **Decoder** block - along with a dense i.e. linear layer. Within these blocks, is implemented the attention mechanism. Moreover, the Transformer takes as input two sequences, one entering through the encoder and the other through the decoder. The encoder takes as input the list of tokens from the input sentence. However, the decoder takes as input the list of tokens from a truncated version of the target sentence. Indeed, from the entire target sentence, we extract two truncated sentences, one without the "<EOS>" token, the other without the "<SOS>" token. Both have the same length after tokenization, it's mandatory to use the loss function 1.3. For instance, in figure 1.3, from the target sentence "<SOS> mais il y a la mer <EOS>", we extract "mais il y a la mer <EOS>" and "<SOS> mais il y a la mer". The one without the "<EOS>" token is given as input to the decoder. The other one, without the "<SOS>" token is considered as the target sentence, and the resulting list of tokens (after tokenization) is given to the loss function.

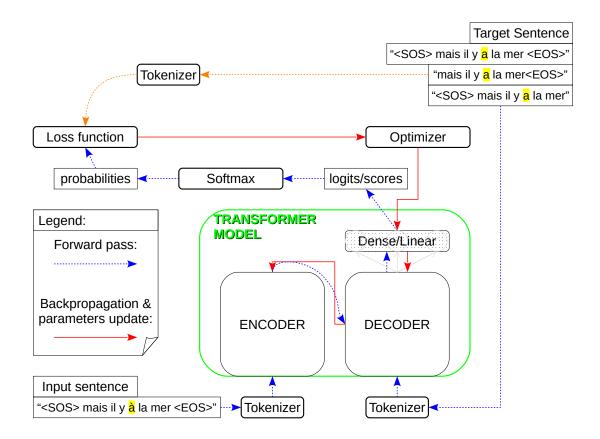


Figure 1.3: How the Transformer model fits into the big picture, with its Encoder and Decoder blocks along with a final linear layer. This figure illustrates the setting during the training phase.

We can also observe that the sequence given as input to the decoder is the sequence used as the target, but shifted by one token to the right. Since, the  $1^{st}$  token/word in the target sequence (for instace "mais" in figure 1.3) is the  $2^{nd}$  token/word in the sequence given as input to the decoder, and this observation applies to all following tokens/words in the target sequence. This is indicated in figure ?? in chapter ?? by "Outputs (shifted right)".

In the next chapter, we unpack the encoder and the decoder to see the building blocks that make them up. We also present how the Transformer is used during the evaluation/test phase.

CHAPTER	2

The Transformer Explained

# CHAPTER 3

Homophone correction using The Transformer

APPENDIX A	4
Mathematics Append	ix

# APPENDIX B

Machine Translation and Sequence to Sequence Learning

# APPENDIX C

Spell checker: Materiel selection and Data preprocessing

# APPENDIX D

Detailed code implementation of The Transformer

# APPENDIX E

Transformer and other Applications

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