

Q<sub>2</sub>

## Step 1: Population Initialization

C <sub>1</sub> =	1, 3, 1, 2, 3, 2, 1
C <sub>2</sub> =	3, 2, 2, 1, 1, 3, 2
C <sub>3</sub> =	3, 3, 2, 2, 1, 1, 3
C <sub>4</sub> =	1, 1, 2, 3, 1, 2, 2
C <sub>5</sub> =	1, 3, 3, 1, 1, 1, 2
C <sub>6</sub> =	2, 2, 3, 2, 1, 1, 3

## Step 2: Evaluate fitness

Loads

Chromosome	Task1	Task2	Task3	Task4	Task5	Task6	Task7	F1	F2	F3
C <sub>1</sub>	5x10=50	8x16=128	4x8=32	7x10=70	6x12=72	3x8=24	9x11=99	5+4+9=18	7+3=10	8+6=14
C <sub>2</sub>	5x9=45	8x14=112	4x9=36	7x12=84	6x14=84	3x10=30	9x12=108	7+6=13	8+4=12	5+3=8
C <sub>3</sub>	5x9=45	8x16=128	4x9=36	7x10=70	6x14=84	3x9=27	9x13=117	6+3=9	4+7=11	5+8=13
C <sub>4</sub>	5x10=50	8x15=120	4x9=36	7x13=91	6x14=84	3x8=24	9x12=108	5+2+6=13	4+3+9=16	7
C <sub>5</sub>	5x10=50	8x16=128	4x7=28	7x12=84	6x14=84	3x9=27	9x12=108	5+2+6=13	9	8+4=12
C <sub>6</sub>	5x12=60	8x14=112	4x7=28	7x10=70	6x14=84	3x9=27	9x13=117	6+3=9	5+8=13	4+9=13

Fitness:

$$C_1 = 50 + 128 + 32 + 70 + 72 + 24 + 99 \Rightarrow 475$$

$$C_2 = 45 + 112 + 36 + 84 + 84 + 30 + 108 \Rightarrow 499$$

$$C_3 = 45 + 128 + 36 + 70 + 84 + 27 + 117 \Rightarrow 507$$

$$C_4 = 50 + 120 + 36 + 91 + 84 + 24 + 108 \Rightarrow 513$$

$$C_5 = 50 + 128 + 28 + 84 + 84 + 27 + 108 \Rightarrow 509$$

$$C_6 = 60 + 112 + 28 + 70 + 84 + 27 + 117 \Rightarrow 498$$

$$\text{Fitness} = [475, 499, 507, 513, 509, 498]$$

## Step 3: Roulette Wheel Selection

C <sub>i</sub>	Inverse	Probability	
C <sub>1</sub>	$1/475 \Rightarrow 0.002105$	$P(C_1) = \frac{0.002105}{0.012003} \Rightarrow 0.1753$	
C <sub>2</sub>	$1/499 \Rightarrow 0.002004$	$P(C_2) = \frac{0.002004}{0.012003} \Rightarrow 0.1669$	C <sub>1</sub> and C <sub>6</sub> favored because of lower costs
C <sub>3</sub>	$1/507 \Rightarrow 0.001972$	$P(C_3) = \frac{0.001972}{0.012003} \Rightarrow 0.1643$	
C <sub>4</sub>	$1/513 \Rightarrow 0.001949$	$P(C_4) = \frac{0.001949}{0.012003} \Rightarrow 0.1624$	
C <sub>5</sub>	$1/509 \Rightarrow 0.001965$	$P(C_5) = \frac{0.001965}{0.012003} \Rightarrow 0.1637$	
C <sub>6</sub>	$1/498 \Rightarrow 0.002008$	$P(C_6) = \frac{0.002008}{0.012003} \Rightarrow 0.1673$	

$$\text{Total} = 0.012003$$



Step 4: Crossover (single-point)

Pair 1:  $C_1 = [1, 3, 1, 2, 3, 2, 1]$  Pair 2:  $C_1 = [1, 3, 1, 2, 3, 2, 1]$  Pair 3:  $C_2 = [3, 2, 2, 1, 1, 3, 2]$   
 $C_6 = [2, 2, 3, 2, 1, 1, 3]$   $C_2 = [3, 2, 2, 1, 1, 3, 2]$   $C_6 = [2, 2, 3, 2, 1, 1, 3]$

Cross-over at '3':

Cross-over at '2':

Crossover at '4':

 $O_1 = [1, 3, 1, 2, 1, 1, 3]$  $O_3 = [1, 3, 2, 1, 1, 3, 2]$  $O_5 = [3, 2, 2, 2, 1, 1, 3]$  $O_2 = [2, 2, 3, 2, 3, 2, 1]$  $O_4 = [3, 2, 1, 2, 3, 2, 1]$  $O_6 = [2, 2, 3, 2, 1, 3, 2]$ Step 5: Mutation (20% chance) $O_1 = [1, 3, 1, 2, 1, 1, 3] \rightarrow$  swapping position 2 and 5  $\Rightarrow [1, 8, 1, 1, 2, 1, 3, 3]$  $O_2 = [2, 2, 3, 2, 3, 2, 1]$  $O_3 = [1, 3, 2, 1, 1, 3, 2]$  $O_4 = [3, 2, 1, 2, 3, 2, 1] \rightarrow$  swapping position 4 and 5  $\Rightarrow [3, 2, 1, 2, 2, 3, 1]$  $O_5 = [3, 2, 2, 1, 1, 1, 3]$  $O_6 = [2, 2, 3, 2, 1, 3, 2]$ Step 6: Fitness of new population.

Loads

Offspring	Task1	Task2	Task3	Task4	Task5	Task6	Task7	F1	F2	F3
O1	$5 \times 10 = 50$	$8 \times 15 = 120$	$4 \times 8 = 32$	$7 \times 10 = 70$	$6 \times 14 = 84$	$3 \times 10 = 30$	$9 \times 13 = 117$	$5 + 8 + 4 + 6 = 23$	7	$3 + 9 = 12$
O2	$5 \times 12 = 60$	$8 \times 14 = 112$	$4 \times 7 = 28$	$7 \times 10 = 70$	$6 \times 12 = 72$	$3 \times 8 = 24$	$9 \times 11 = 99$	9	$5 + 8 + 7 + 3 = 23$	$4 + 6 = 10$
O3	$5 \times 10 = 50$	$8 \times 16 = 128$	$4 \times 9 = 36$	$7 \times 12 = 84$	$6 \times 14 = 84$	$3 \times 10 = 30$	$9 \times 12 = 108$	$5 + 7 + 6 = 18$	$4 + 9 = 13$	$8 + 3 = 11$
O4	$5 \times 9 = 45$	$8 \times 14 = 112$	$4 \times 8 = 32$	$7 \times 10 = 70$	$6 \times 13 = 78$	$3 \times 10 = 30$	$9 \times 11 = 99$	$4 + 9 = 13$	$8 + 7 + 6 = 21$	$5 + 3 = 8$
O5	$5 \times 9 = 45$	$8 \times 14 = 112$	$4 \times 9 = 36$	$7 \times 12 = 84$	$6 \times 14 = 84$	$3 \times 9 = 27$	$9 \times 13 = 117$	$7 + 6 + 3 = 16$	$8 + 4 = 12$	$5 + 9 = 14$
O6	$5 \times 12 = 60$	$8 \times 14 = 112$	$4 \times 7 = 28$	$7 \times 10 = 70$	$6 \times 14 = 84$	$3 \times 10 = 30$	$9 \times 12 = 108$	6	$5 + 8 + 7 + 9 = 29$	$4 + 3 = 7$

Fitness:

$$O1 = 50 + 120 + 32 + 70 + 84 + 30 + 117 \Rightarrow 503$$

$$O2 = 60 + 112 + 28 + 70 + 72 + 24 + 99 \Rightarrow 465$$

$$O3 = 50 + 128 + 36 + 84 + 84 + 30 + 108 \Rightarrow 520$$

$$O4 = 45 + 112 + 32 + 70 + 78 + 30 + 99 \Rightarrow 466$$

$$O5 = 45 + 112 + 36 + 84 + 84 + 27 + 117 \Rightarrow 505$$

$$O6 = 60 + 112 + 28 + 70 + 84 + 30 + 108 \Rightarrow 492$$

23K-0001

BAI-4A

Date: \_\_\_\_\_

Q3.

My version of sudoku solver is different from Google OR tools solver because it uses pure python with no external libraries to ensure optimization. Moreover, it lacks heuristics like MRV unlike chatGPT and OR-Tools.

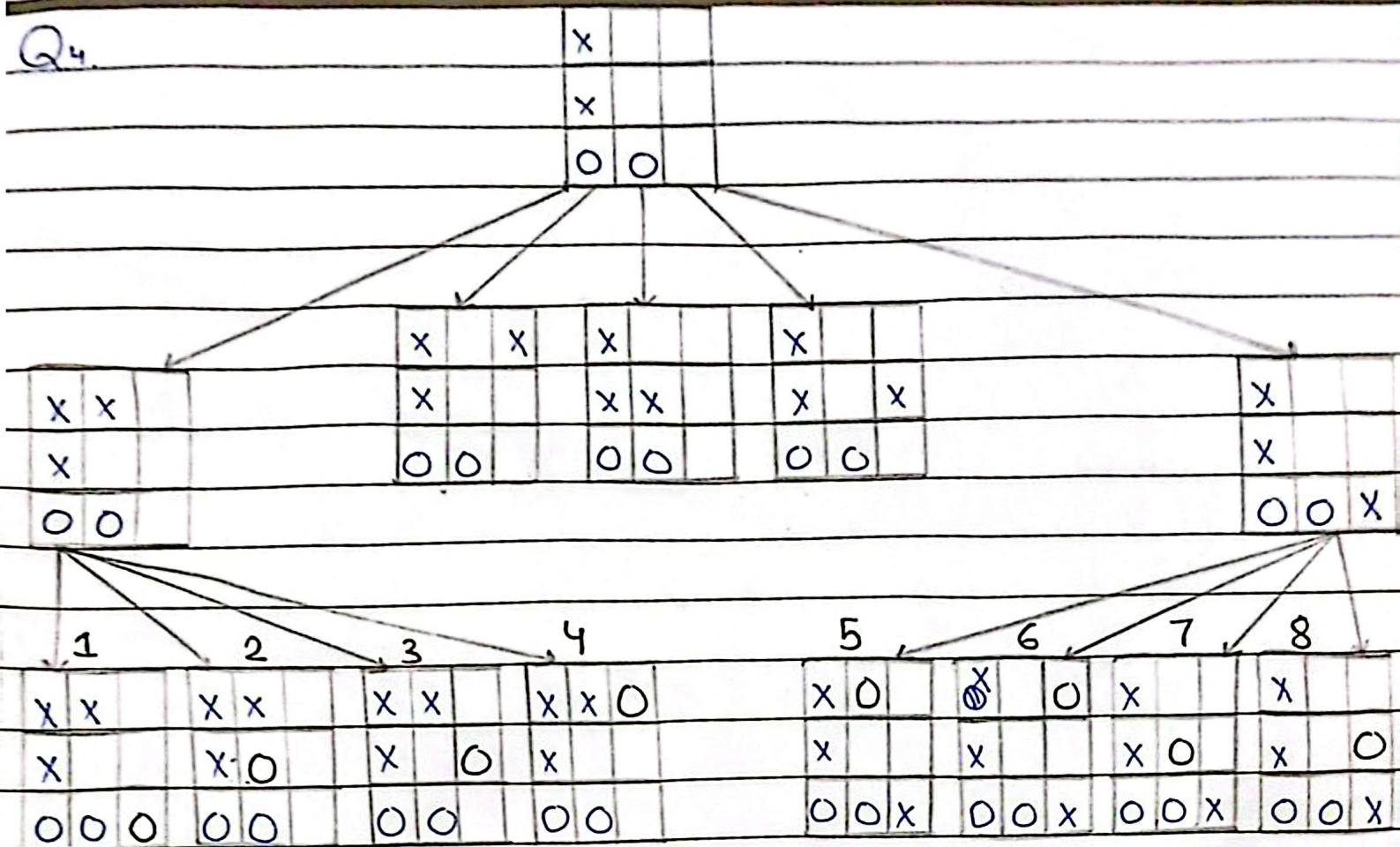
By adding heuristics (MRV), forward checking and reducing arc recalculation, the custom version can improve its speed significantly.



23K-0004  
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Q4.



TL→BR TR→BL

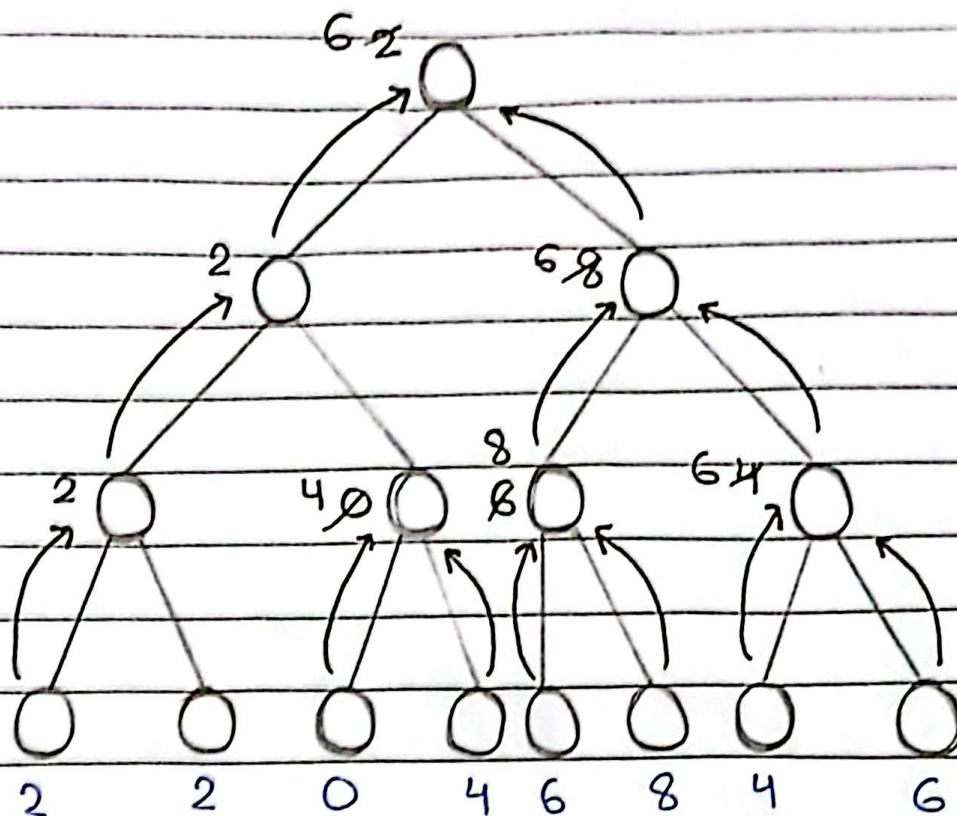
States	R1	R2	R3	C1	C2	C3	D1	D2	Sum R	Sum C	Sum D	V = SUM(R,C,D)
State 1	100	10	-100	0	0	-10	0	-10	-890	-10	-10	-910
State 2	100	0	-100	0	0	0	0	-100	0	0	-100	-100
State 3	100	0	-100	0	0	-10	10	-10	0	-10	0	-10
State 4	0	10	-100	0	0	-10	10	-100	-90	-10	-90	-190
State 5	0	+10	0	0	-10	10	100	-10	+10	-90	90	+10
State 6	0	10	0	0	-10	0	100	-100	10	-10	0	0
State 7	10	0	0	0	-10	10	0	-100	10	-90	-100	-180
State 8	10	0	0	0	-10	0	100	-10	10	-10	90	90

Q5.

A. Max

Min

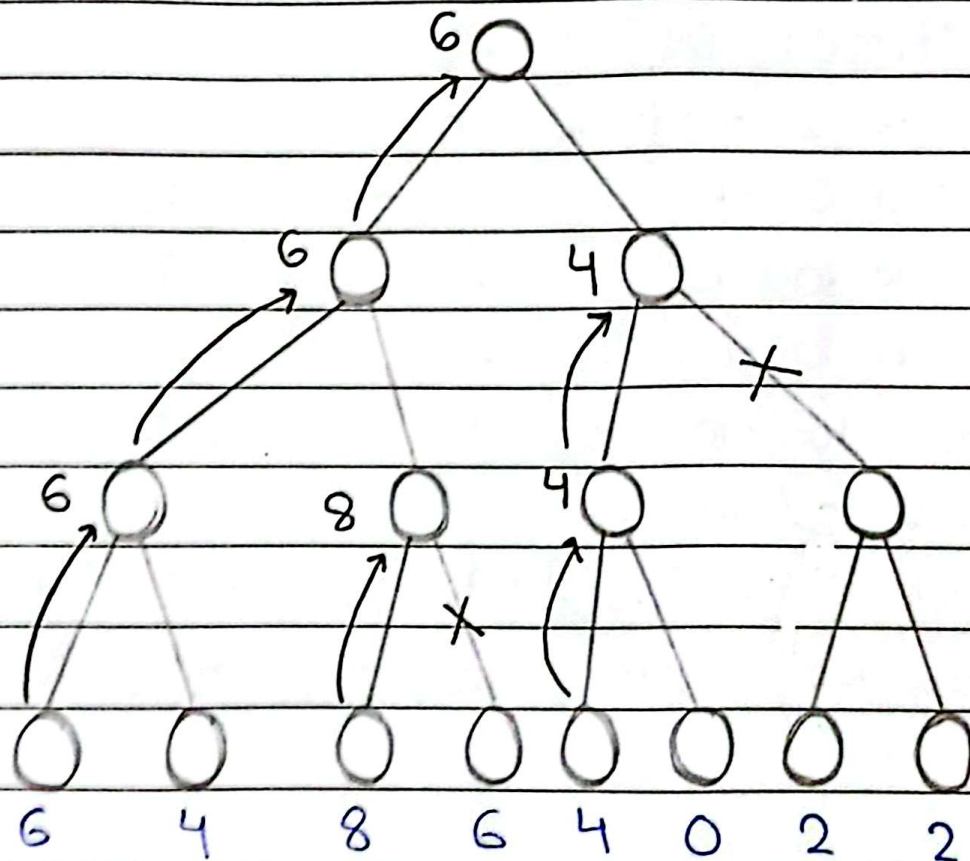
Max



B. Max

Min

Max





Q6.

a).

## 1. Players:

Max(Defender): AI-powered IDS which will defend the network from external attacks.

Min(Attacker): Its goal is to breach the network using various attacks.

## 2. Decision-Making:

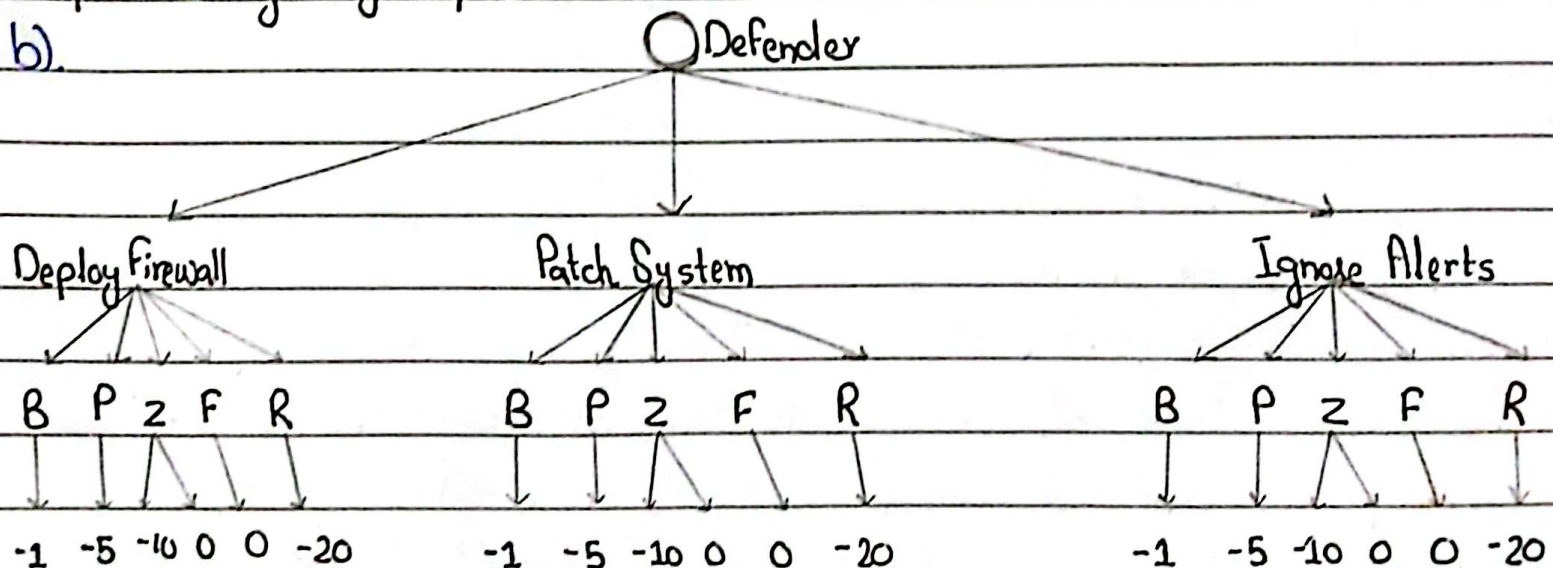
Max(Defender): Uses strategies like deploying firewalls, patching systems or ignoring alerts to minimize the damage caused while maintaining costs.

Min(Attacker): Uses attacks like Brute-force, Phishing, Zero-Day Exploit, fake and real attacks to maximize the damage caused to the network.

## 3. Stochastic Elements:

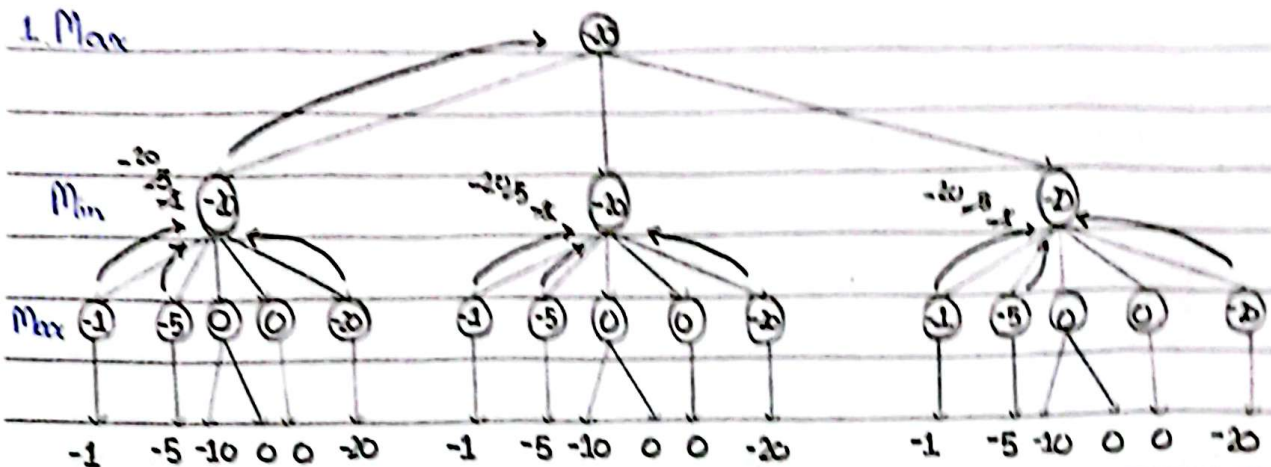
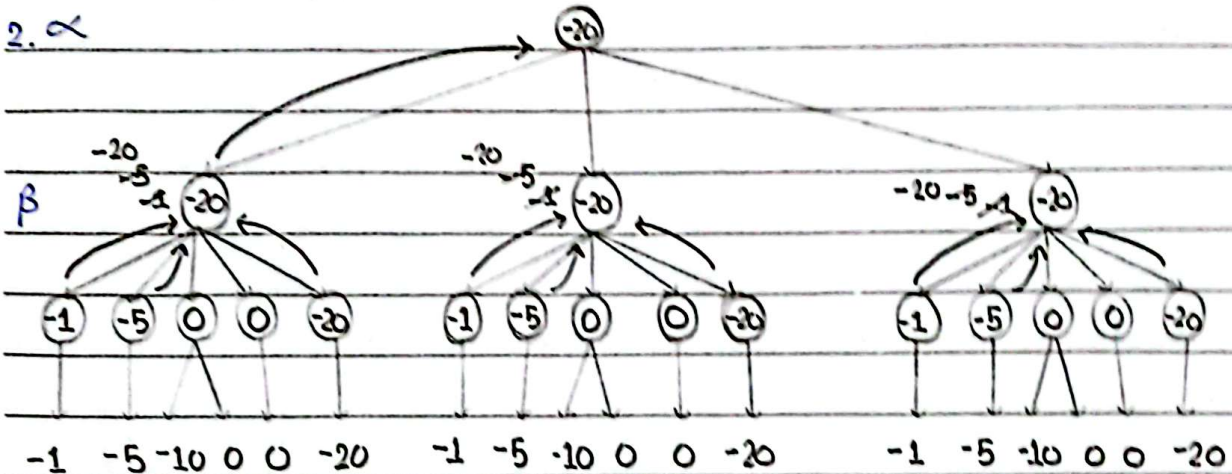
Attacks <sup>like</sup> Zero-Day exploit are probabilistic with 50% success rate. They introduce uncertainty and the defender may need to shift its focus from worst-case to average case based on probability (e.g. Expectimax).

b).



c).

1. Max

2.  $\infty$ 

d).

1. success (50%)  $\rightarrow$  damage = -10fail (50%)  $\rightarrow$  damage = 0

$$\text{Expected Value} = [0.5 \times (-10)] + [0.5 \times (0)] \Rightarrow -5$$

This means that, on average, if the attacker chooses zero-day exploit, the expected damage to the system will be -5.

2. If the defender switches to expectimax instead of minimax, it doesn't always assume the worst case, ~~noted~~ instead it also takes into account the probabilities of attack successes therefore, it may choose defenses that have lower expected damage, even if the worst case deals high damage.