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> -----
      name: <unnamed>
      log: C:\Users\saiomkark\OneDrive - The University of Chicago\AdvStats\PS7\Stat
> a_Sai_Omkar_K_PS8.log
      log type: text
      opened on: 8 Dec 2021, 16:48:04

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. use "C:\Users\saiomkark\OneDrive - The University of Chicago\AdvStats\PS8\homework_8
> .dta"

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. summarize

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Variable	Obs	Mean	Std. Dev.	Min	Max
treated	722	.4113573	.4924209	0	1
age	722	24.52078	6.625947	17	55
educ	722	10.26731	1.704774	3	16
black	722	.800554	.3998609	0	1
married	722	.1620499	.368752	0	1
hisp	722	.1052632	.307105	0	1
work	722	.7285319	.4450253	0	1

```

. *1. Using the experimental data, test whether the those treated are more likely to w
> ork in the year after treatment.
. *A Use the t-test command;
.
. ttest work, by(treated) unequal level(95) welch

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Two-sample t test with unequal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
0	425	.6964706	.022329	.4603237	.6525813	.7403599
1	297	.7744108	.024294	.4186752	.7265999	.8222216
combined	722	.7285319	.0165621	.4450253	.6960161	.7610476
diff		-.0779402	.0329967		-.1427288	-.0131516

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      diff = mean(0) - mean(1)                                t = -2.3621
Ho: diff = 0                                                  Welch's degrees of freedom = 674.454

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      Ha: diff < 0              Ha: diff != 0              Ha: diff > 0
Pr(T < t) = 0.0092             Pr(|T| > |t|) = 0.0185       Pr(T > t) = 0.9908

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. *Observed p-value for the t-test with a 95% confidence interval is 0.0185. This valu
> e is less than 0.05. So, the Null hypothesis can be rejected and Alternative Hypothe
> sis(that the true
> difference in means of work in the year between treated and not treated people is no
> t equal to 0) cannot be rejected.

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. *B Use the chi-square test;
. tabi 230 67 \ 296 129, chi2

```

row	col 1	col 2	Total
1	230	67	297
2	296	129	425
Total	526	196	722

Pearson chi2(1) = 5.3699 Pr = 0.020

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.
. *Observed p-value here is 0.020 for this test. As the observed p-value is less than
> 0.05, we can reject the Null Hypothesis. And we cannot reject the alternate hypothesis
> is that probability
> of working in the year is same for treated and not treated is not equal.
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.
. *C Use Fisher's exact test;
. cci 230 67 296 129, exact
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	Exposed	Unexposed	Total	Proportion exposed
Cases	230	67	297	0.7744
Controls	296	129	425	0.6965
Total	526	196	722	0.7285
	Point estimate		[95% Conf. Interval]	
Odds ratio	1.496067		1.049635	2.141541 (exact)
Attr. frac. ex.	.3315807		.047288	.5330465 (exact)
Attr. frac. pop	.2567797			
1-sided Fisher's exact P = 0.0124				
2-sided Fisher's exact P = 0.0218				

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.
. *Observed p-value is 0.0218 for the two-tail fisher exact test. As this p-value is less
> than 0.05, we can reject the Null hypothesis that the probability of work is same
> for both treated
> and not treated is equal to 1 i.e true odds ratio is equal to 1. Also, we cannot reject
> the Alternate Hypothesis that the probability of work between people with treatment
> and no treatment
> is not same i.e true odds ratio is not equal to 1.
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. *D Why do the p-values on the two-sided test differ? Which should you believe?
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. *We observed the following p values
. * t-test : 0.0185 , Chi-square test : 0.02, Fisher exact test : 0.0218
. * As we compare the different tests, Fisher exact test is preferred as its an asymptotic
> test and fits for the binary data such as to compare the treated/non treated data.
> Fisher test also
> so provides an accurate significance level without relying on the assumptions where
> as asymptotic tests make assumptions about the data. When we have extremely large sample
> size, then it
> is infeasible to perform Fisher test. In such situations, we can prefer Chi-square
> test as the accuracy increases as the sample size increases.
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. *2. Using the regression command, test whether the those treated are more likely to
> work in the year after treatment.
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.
. *A Regress work against the treatment indicator and test the hypothesis;
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. regress work treated
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Source	SS	df	MS	Number of obs	=	722
Model	1.062016	1	1.062016	F(1, 720)	=	5.40
Residual	141.730228	720	.196847539	Prob > F	=	0.0205
				R-squared	=	0.0074
				Adj R-squared	=	0.0061
Total	142.792244	721	.198047495	Root MSE	=	.44368

work	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
treated	.0779402	.0335553	2.32	0.020	.0120623	.1438181
_cons	.6964706	.0215214	32.36	0.000	.6542184	.7387228

```
.
. *Observed p-value = 0.0205 with a 95% confidence interval is less than 0.05. So, we
> can reject the null hypothesis and not the Alternate hypothesis that the true differ
> ence in means of w
> ork in year between treated and not treated is not equal to 0.
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.
. *B Regress work against the treatment indicator and all other covariates in the data
> set.
```

```
. regress work treated age educ black married hisp
```

Source	SS	df	MS	Number of obs	=	722
Model	5.43080183	6	.905133638	F(6, 715)	=	4.71
Residual	137.361442	715	.192113905	Prob > F	=	0.0001
Total	142.792244	721	.198047495	R-squared	=	0.0380
				Adj R-squared	=	0.0300
				Root MSE	=	.43831

work	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
treated	.0775439	.0332208	2.33	0.020	.0123219 .1427658
age	-.0033748	.0025473	-1.32	0.186	-.0083758 .0016263
educ	.0023976	.0097303	0.25	0.805	-.0167057 .0215009
black	-.1856225	.0563087	-3.30	0.001	-.2961727 -.0750724
married	.0526475	.0454938	1.16	0.248	-.0366699 .141965
hisp	-.0121452	.0742777	-0.16	0.870	-.1579737 .1336834
_cons	.8961161	.1315736	6.81	0.000	.6377994 1.154433

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.
. * What happens to the R2of the regression equation?
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.
. *We observed a higher adjusted R square value. This means that the additional input
> variables are adding value to the model. In univariate regression model , we observe
> d a adjusted R squa
> re value of 0.0061 where are the adjusted R square value is 0.0300 with the muti var
> iate regressin model. This means a better fit of the model.
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.
. *What happens to the treatment indicator? Explain why you see these results. Compare
> them to the results in Problem 1.
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.
. *Univariate model
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work	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
treated	.0779402	.0335553	2.32	0.020	.0120623 .1438181

```
.
. *Multivariate model
```

work	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
treated	.0775439	.0332208	2.33	0.020	.0123219 .1427658

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.
. *As seen above, the treatment indicator Coeff/estimate decreases slightly, but howev
> er it can still be considered that the treatment indicator still has majority of inf
> luence on the work
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.
. This slight decrease may be because of the introducing other variables into the e
> quation. This is same in the case of Standard error and residual standard error wher
> e both decrease du
> e to the introduction of other variables into the regression model.
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```
.
. * p-value t-test : 0.0185 , Chi-square test : 0.02, Fisher exact test : 0.0218
. * p-value for univariate model : 0.0205 and 0.0001 for multivariate. Comparing the p
> -values , regression is a better alternative model to the models used in the questio
> n 1.
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. *3. Given the data from the experiment, do the following:
. *A Derive the marginal pmf of work when treated;
. *B Derive the marginal pmf of work when not treated;
. tab treated work, row
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+-----+
| Key |
+-----+
| frequency |
| row percentage |
+-----+
```

```
indicator: |
1 if |
treated, 0 |
if not |
treated | work
0 1 | Total
-----+-----+-----+
0 | 129 296 | 425
| 30.35 69.65 | 100.00
-----+-----+-----+
1 | 67 230 | 297
| 22.56 77.44 | 100.00
-----+-----+-----+
Total | 196 526 | 722
| 27.15 72.85 | 100.00
```

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.
.
. *C Derive the Frechet-Hoeffding bounds for the joint distribution.
.
. * People who benefots from treatment : Bounds of joint distribution are [0.07, 0.30]
. * People who loses from the treatment : Bounds of joint distribution are [0.00, 0.23
> ]
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.
.
. *4 4. Consider the following mythical experiment. There are two treatment arms: vacc
> ination with the Moderna vaccine (n = 14, 598) and vaccination with the Pfizer vacci
> ne (n = 21, 669).
> Suppose 100 of those with the Pfizer vaccine develop Covid and 269 of those with Mod
> erna vaccine have Covid.
. *A Test the hypothesis that the vaccines are equally effective against the alternati
> ve that they are not.
```

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.
. *From above information
. *
. *Moderna Not affected Affected
. *Pfizer 14329 269
. 21569 100
```

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.
. *Fisher exact test
. cci 14329 269 21569 100, exact
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| Exposed Unexposed | Total Proportion
-----+-----+-----+
Cases | 14329 269 | 14598 0.9816
Controls | 21569 100 | 21669 0.9954
-----+-----+-----+
Total | 35898 369 | 36267 0.9898
| Point estimate | [95% Conf. Interval]
-----+-----+-----+
Odds ratio | .246964 | .1941703 .3121746 (exact)
Prev. frac. ex. | .753036 | .6878254 .8058297 (exact)
Prev. frac. pop | .7495609 |
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1-sided Fisher's exact P = 0.0000
2-sided Fisher's exact P = 0.0000

.
. *Observed p-value 0 for two-tail fisher exact test is less than 0.05. So we can reje
> ct the null hypothesis that vaccines are equally effective (or) i.e true odds ratio
> is equal to 1)=. A
> lso we cannot reject the alternate hypothesis that the vaccines are not equally effe
> ctive (or) efficacy is not same for both i.e true odds ratio is not equal to 1.
.
.
. * B These are the actually numbers from the treated observations of the Moderna and
> Pfizer clinical trials. Explain why this is not a legitimate experimental trial.
.
. *Two arguments here. One is we donot have data of a person in two cases where in one
> case a vaccine is administered and other case where the vaccine is not administered
> . In case, we have
> both the data of a person, we can effectively compare the results in both the cases
> i.e vaccinated state and unvaccinated state. As we donot have the complete data, we
> cannot construct
> a counterfactual which deems these experimental trials cannot be considered legitima
> te. Thus, the comparision of efficacies of two vaccines cannot be considered legit.
.
. *Another argument is, because we do not have a treatment and control group. If we we
> re to have data of both the treatment and control group, then we can treat this expe
> riment triel as le
> gitimate. Thus the insights we got from comparison of efficacies of the two vaccines
> based on only the treatment group data is not legitimate.
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. log close
  name: <unnamed>
  log: C:\Users\saiomkark\OneDrive - The University of Chicago\AdvStats\PS7\Stat
> a_Sai_Omkar_K_PS8.log
  log type: text
  closed on: 8 Dec 2021, 16:48:04
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