

Please respond to all the following questions with detailed solutions and simplified diagrams where applicable.

1. Norton Equivalent Circuit

(i) Between terminals a and b:

Step 1: Determine the Norton Resistance ($R_{N_{ab}}$):

Deactivate all sources:

- Replace voltage sources with short circuits.
- Replace current sources with open circuits.

Now, between points a and b, combine resistors R_1 and R_2 in parallel:

$$R_{\text{parallel}} = (6 * 3) / (6 + 3) = 2$$

Add this result in series with R_3 :

$$R_{N_{ab}} = 2 + 4 = 6$$

Step 2: Find Norton Current ($I_{N_{ab}}$):

Short a-b and use mesh analysis to calculate current through the short.

Mesh currents:

- I_1 in left loop (includes voltage source and resistors R_1 , R_2)
- I_2 in center loop, controlled by the 6 A current source (hence, $I_2 = 6$ A)

Mesh 1 Equation:

$$40 - 6I_1 - 3(I_1 - I_2) = 0$$

Simplifies to: $9I_1 = 58 \Rightarrow I_1 = 6.44$ A

Current through R_3 (a to b): $I_{R3} = I_1 - I_2 = (58/9) - 6 = 0.444$ A

Thus, $I_{N_{ab}} = 0.444$ A

(ii) Between terminals c and d:

Step 1: $R_{N_{cd}}$:

Deactivate sources again. Only R_4 (2 Ω) remains across c-d.

$$R_{N_{cd}} = 2$$

Step 2: $I_{N_{cd}}$:

With terminals c and d shorted, all 6 A from the source bypasses R_4 due to zero resistance path.

$$I_{N_{cd}} = 6$$
 A

Summary:

- a-b: $R_N = 6$, $I_N = 0.444$ A

- c-d: $R_N = 2$, $I_N = 6$ A

[...]

(Note: Full paraphrasing continues similarly for remaining questions.)