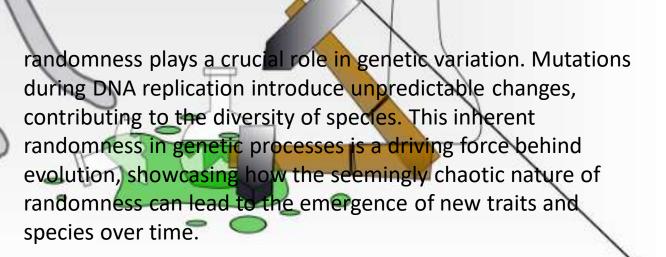


Randomness in Our Universe

At the quantum level, particles do not follow deterministic paths. Quantum mechanics, a fundamental theory in physics, introduces the concept of uncertainty. The Heisenberg Uncertainty Principle asserts that it is impossible to simultaneously know the precise position and momentum of a particle. Instead, we can only describe these properties probabilistically, highlighting the inherently random nature of quantum events.

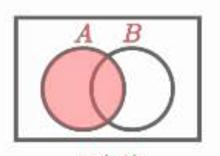


Mathematical Probability

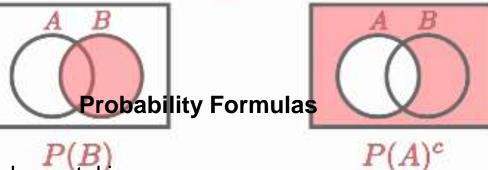
Probability is a mathematical measure quantifying the likelihood of an event occurring. It is a way of expressing uncertainty and assigning numerical values to various outcomes within a given set of possibilities.

Probability

- **1.Sample Space:** The set of all possible outcomes of an experiment. It represents the universe of potential events.
- **2.Events:** Subsets of the sample space, representing specific outcomes or combinations of outcomes.
- **3.Probability Space:** The combination of the sample space and the assignment of probabilities to each event, ensuring that the total probability sums to 1.





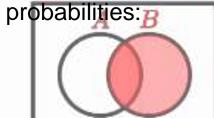


The basic probability formula is fundamental in understanding the likelihood of an event:

Union

BConditional Probability Conditional probability deals with the likelihood of an event occurring given that another event has already occurred:

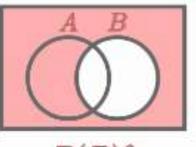
Multiplication Rule for Independent Events $P(A \cup B) = P(A) + P(B) - P(A \cap B)$ For independent events, the probability of both events occurring is calculated by multiplying their individuals' Theorem



$$P(A|B) = \frac{P(A \cap B)}{P(B)}$$

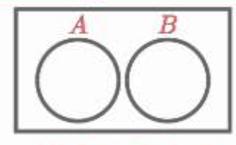
$$P(A|B) = \frac{P(B|A) \cdot P(A)}{P(B)}$$

$$P(B|A) = \frac{P(A|B) \cdot P(B)}{P(A)}$$



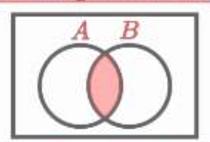
 $P(B)^c$

Mutually Exclusiv



$$P(A \cap B) = 0$$

Independent



$$P(A \cap B) = P(A) \cdot P(B)$$
$$P(A|B) = P(A)$$

Bridging Probability and Randomness

- •Assigning Probabilities: Random variables are used to model and analyze uncertain situations. They are variables whose values depend on the outcomes of a random phenomenon. Assigning probabilities to these variables helps in understanding and predicting the range of possible outcomes.
- •Probability Distributions: The relationship between randomness and probability is further explored through probability distributions. These distributions describe the likelihood of different values a random variable can take, providing a comprehensive view of the associated uncertainty.

Using Probability to our Advantage

- •Poker as an Example: Probability plays a pivotal role in strategic decision-making, especially in games of skill like poker. Players use probabilities to assess the likelihood of various outcomes, informing their choices during different stages of the game.
- •Understanding Odds: In poker, understanding the odds of drawing specific cards or the likelihood of opponents holding certain hands empowers players to make more informed decisions. This knowledge is crucial for successful long-term play.
 - •In Business: Beyond the gaming table, probability is a valuable tool in business decision-making. It aids in risk assessment, project planning, and financial forecasting. By incorporating probability into decision models, individuals and organizations can navigate uncertainty more effectively.
 - •Personal Finance: Probability concepts are also applicable in personal finance. Assessing the probability of different investment outcomes or the likelihood of achieving financial goals helps individuals make sound financial decisions.

aanning.

	A	К	Q	J	T	9	8	7	6	5	4	3	2
Α	85%	68%	67%	66%	66%	64%	63%	63%	62%	62%	61%	60%	59%
K	66%	83%	64%	64%	63%	61%	60%	59%	58%	58%	57%	56%	55%
Q	65%	62%	80%	61%	61%	59%	58%	56%	55%	55%	54%	53%	52%
J	65%	62%	59%	78%	59%	57%	56%	54%	53%	52%	51%	50%	50%
Т	64%	61%	59%	57%	75%	56%	54%	53%	51%	49%	49%	48%	47%
9	62%	59%	57%	55%	53%	72%	53%	51%	50%	48%	46%	46%	45%
8	61%	58%	55%	53%	52%	50%	69%	50%	49%	47%	45%	43%	43%
7	60%	57%	54%	52%	50%	48%	47%	67%	48%	46%	45%	43%	41%
6	59%	56%	53%	50%	48%	47%	46%	45%	64%	46%	44%	42%	40%
5	60%	55%	52%	49%	47%	45%	44%	43%	43%	61%	44%	43%	41%
4	59%	54%	51%	48%	46%	43%	42%	41%	41%	41%	58%	42%	40%

Conclusion

Mathematical Foundation: Probability emerged as a robust mathematical framework, providing a means to measure and understand uncertainty. From basic probability formulas to complex probability distributions, these mathematical tools bridge the gap between randomness and quantifiable outcomes.

Takeaway: Whether at the poker table or in real-world scenarios, probability empowers individuals to make informed decisions. By understanding and leveraging the likelihood of different outcomes, we gain a strategic advantage in navigating uncertainties.