

UNIT 3 :NORMALIZATION

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NORMALIZATION

- ◉ Normalization is a technique of organizing the data into multiple related tables to minimize *data redundancy*.

WHAT IS DATA REDUNDANCY?

WHY TO REDUCE IT?

TABLE

ROW 1			X
ROW 2			X
ROW 3			X
ROW 4			X

- Repetition of data increases the size of database.
- Other issues like:
 - Insertion Problems
 - Deletion Problems
 - Updation Problems

EXAMPLE

STUDENTS TABLE				
rollno	name	branch	hod	office_tel
1	Akon	CSE	Mr. X	53337
2	Bkon	CSE	Mr. X	53337
3	Ckon	CSE	Mr. X	53337
4	Dkon	CSE	Mr. X	53337

ISSUES OF DATA REDUNDANCY

- ◎ Insertion Anomaly

- To insert data for every new row (of student data in our case) is a data insertion problem or anomaly

- ◎ Reason for data repetition

- To different but related data is stored in the same table.

ISSUES OF DATA REDUNDANCY..CONT

◉ Deletion anomaly

- Loss of related dataset when some other dataset is deleted.

STUDENTS TABLE

rollno	name	branch	hod	office_tel
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Branch information deleted along
with Student data.

ISSUES OF DATA REDUNDANCY..CONT

◉ Updation anomaly

- When Mr. X leave and Mr. Y joins as New HOD

STUDENTS TABLE				
rollno	name	branch	hod	office_tel
1	Akon	CSE	Mr. X Mr. Y	53337
2	Bkon	CSE	Mr. X Mr. Y	53337
3	Ckon	CSE	Mr. X	53337
4	Dkon	CSE	Mr. X Mr. Y	53337

DATA REDUNDANCY

- ◉ Repetition of data hence needs extra space.
- ◉ Leads to insertion, deletion and Updation issues.

**How Normalization will
solve all these problems?**

NORMALIZATION

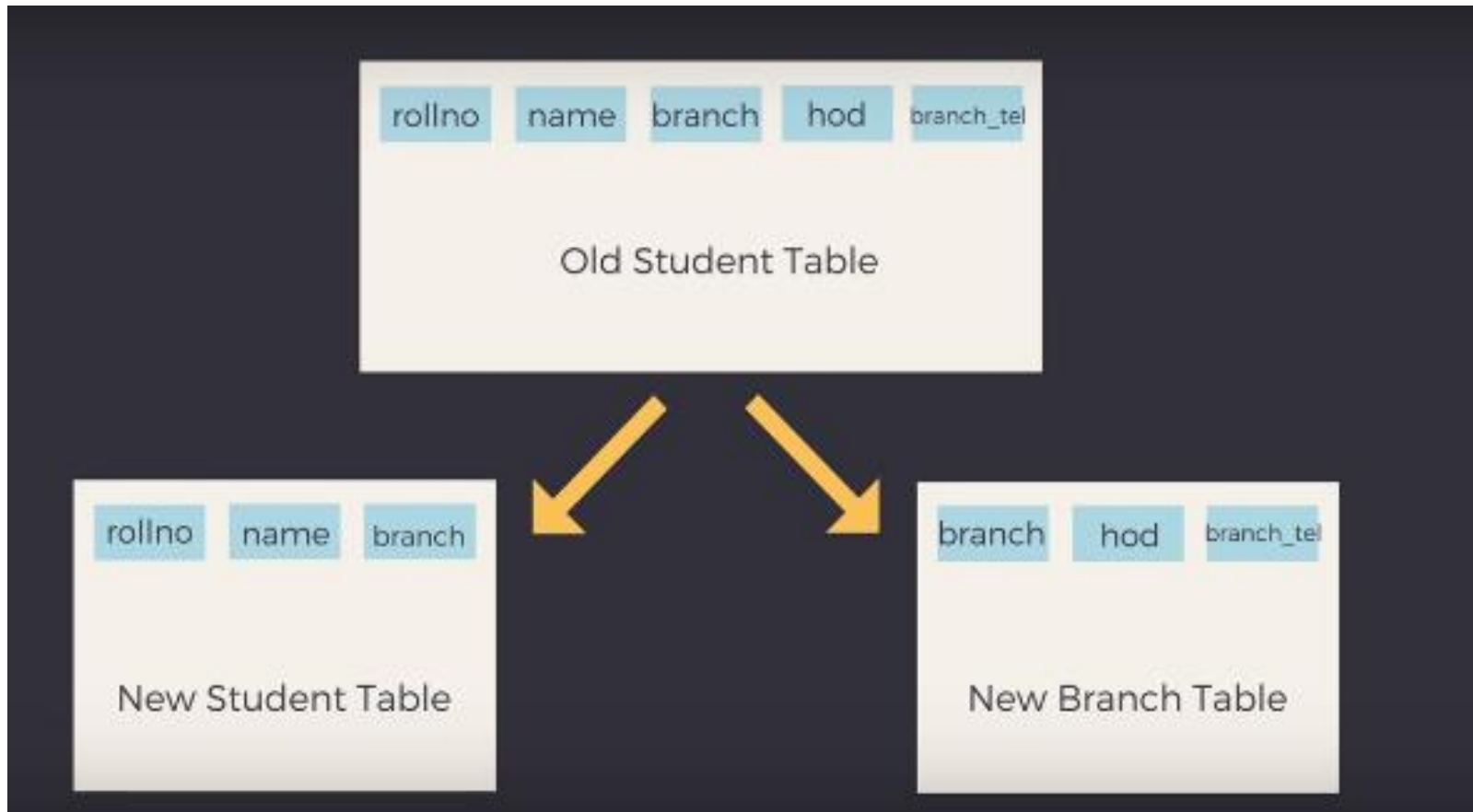
- ◉ It will break one table into two tables

Student Table



Student Table + Branch Table

NORMALIZATION



NORMALIZATION

Less Redundancy.



**Fewer problems in inserting,
deleting and updating the
data.**

NORMALIZATION

STUDENTS TABLE

rollno	name	branch
1	Akon	CSE
2	Bkon	CSE
3	Ckon	CSE
4	Dkon	CSE



BRANCH TABLE

branch	hod	office_tel
CSE	Mr. Y	53337

Insertion problem solved.

NORMALIZATION

STUDENTS TABLE

rollno	name	branch

No Data

BRANCH TABLE

branch	hod	office_tel
CSE	Mr. Y	53337

Deletion problem solved.


NORMALIZATION

STUDENTS TABLE

rollno	name	branch
1	Akon	CSE
2	Bkon	CSE
3	Ckon	CSE
4	Dkon	CSE

BRANCH TABLE

branch	hod	office_tel
CSE	Mr. Y	53337



Updation problem solved.

NORMALIZATION

- ◉ It Divides data into separate independent logical entities and relating them with common key
- ◉ It can be achieved in multiple ways:
- ◉ Three basic Normal Form
 - 1NF
 - 2NF
 - 3NF
- ◉ Advance are:
 - BCNF (Higher version of 3NF)
 - 4NF
 - 5NF

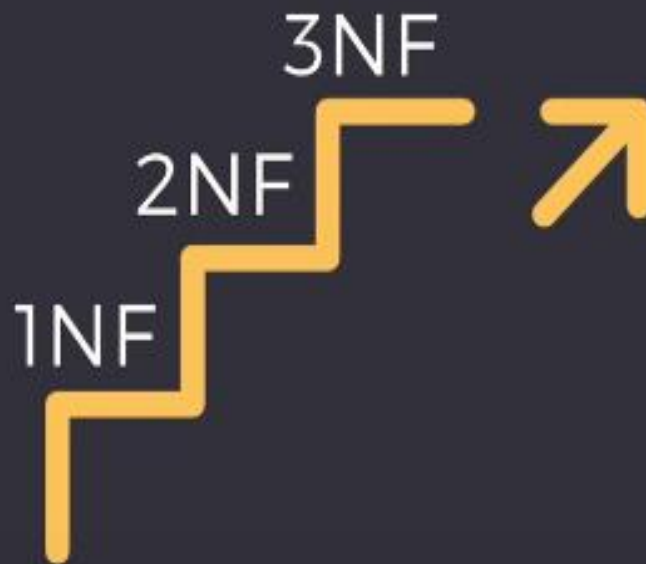
FIRST NORMAL FORM (1NF)

- ◎ For a table to be in the First Normal Form, it should follow the following 4 rules:
 1. It should only have single(atomic) valued attributes/columns.
 2. Values stored in a column should be of the same domain
 3. All the columns in a table should have unique names.
 4. And the order in which data is stored, does not matter.

FIRST NORMAL FORM (1NF)

- Every table in your database should at least be in the 1NF or else it can be considered as BAD database.

Step 1 of the
Normalization
process

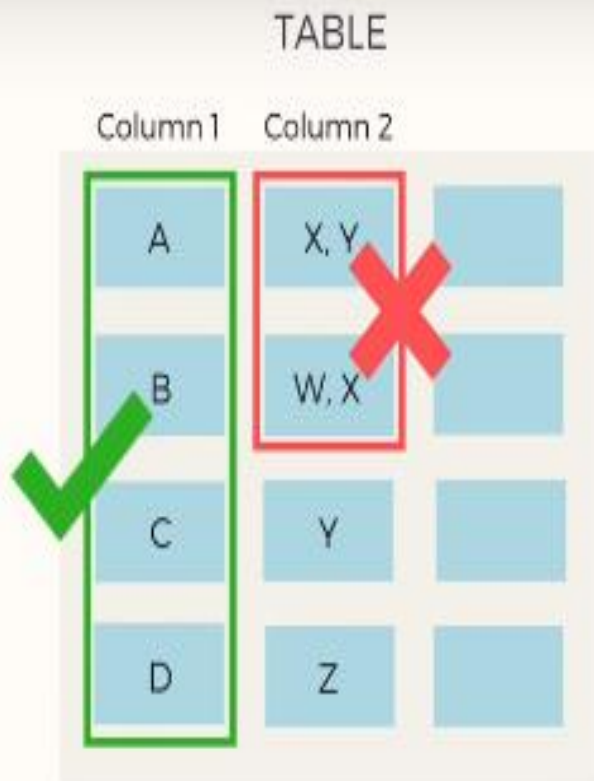


FIRST NORMAL FORM (1NF)

RULE 1

TABLE

Column 1	Column 2	
A	X, Y	
B	W, X	
C	Y	
D	Z	




- Each Column should contain atomic values.
- Entries like X, Y and W, X violate this rule.

FIRST NORMAL FORM (1NF)

RULE 2

TABLE		
DOB	Name	
26-10-89	A	
13-2-92	SK	
16-11-65	SA	
R	8-9-86	



- A Column should contain values that are of the same type.
- Do not inter-mix different types of values in any column.

FIRST NORMAL FORM (1NF)

TABLE

DOB	Name	Name
26-10-89	A	A
13-2-92	S	K
16-11-65	S	A
8-9-86	R	A



RULE 3

- Each column should have a unique name.
- Same names leads to confusion at the time of data retrieval

FIRST NORMAL FORM (1NF)

TABLE

Roll_no	F_Name	L_Name
3	A	A
4	S	K
1	S	A
2	R	A

RULE 4

- Order in which data is saved doesn't matter.
- Using SQL query, you can easily fetch data in any order from a table.

1 NF

STUDENTS TABLE		
rollno	name	subject
101	Akon	OS
101	Akon	CN
103	Ckon	JAVA
102	Bkon	C
102	Bkon	C++

SECOND NORMAL FORM (2NF)

- For a table to be in the Second Normal Form, it must satisfy two conditions:
 1. The table should be in the First Normal Form.
 2. There should be no Partial Dependency.

DEPENDENCY

◎ Functional Dependency

- We say an attribute, B, has a *functional dependency* on another attribute, A, if for any two records, which have
- the same value for A, then the values for B in these two records must be the same. We illustrate this as:
 - $A \rightarrow B$

◎ Partial Dependency

- Partial Dependency exists, when for a composite primary key, any attribute in the table depends only on a part of the primary key and not on the complete primary key.
- To remove Partial dependency, we can divide the table, remove the attribute which is causing partial dependency, and move it to some other table where it fits in well.

DEPENDENCY

◉ Transitive Dependency

- Consider attributes A, B, and C, and where


$$A \rightarrow B \text{ and } B \rightarrow C.$$

- Functional dependencies are transitive, which means that we also have the functional dependency

$$A \rightarrow C$$

- We say that C is transitively dependent on A through B.

EXAMPLE



student_id	name	reg_no	branch	address
1	Akon	CSE-18	CSE	TN
2	Akon	IT-18	IT	AP
3	Bkon	CSE-18	CSE	HR
4	Ckon	CSE-18	CSE	MH

Now let's extend our example to see if two or more columns together can act as a primary key.

SUBJECT TABLE

subject_id

subject_name

STUDENTS TABLE



student_id

name

reg_no

branch

address

1

Akon

CSE-18

CSE

TN

2

Akon

IT-18

IT

AP

3

Bkon

CSE-18

CSE

HR

4

Ckon

CSE-18

CSE

MH

EXAMPLE

Now we have

Student Table

Subject Table



Score Table




To save marks obtained by students in each subject

EXAMPLE

SCORE TABLE

score_id	student_id	subject_id	marks	teacher
1	1	1	82	Mr. J
2	1	2	77	Mr. C++
3	2	1	85	Mr. J
4	2	2	82	Mr. C++
5	2	4	95	Mr. P


EXAMPLE

Primary key  is a composition of
two columns

student_id + subject_id

EXAMPLE

score_id	student_id	subject_id	marks	teacher
1	10	1	82	Mr. J
2	10	2	77	Mr. C++
3	11	1	85	Mr. J
4	11	2	82	Mr. C++
5	11	4	95	Mr. P

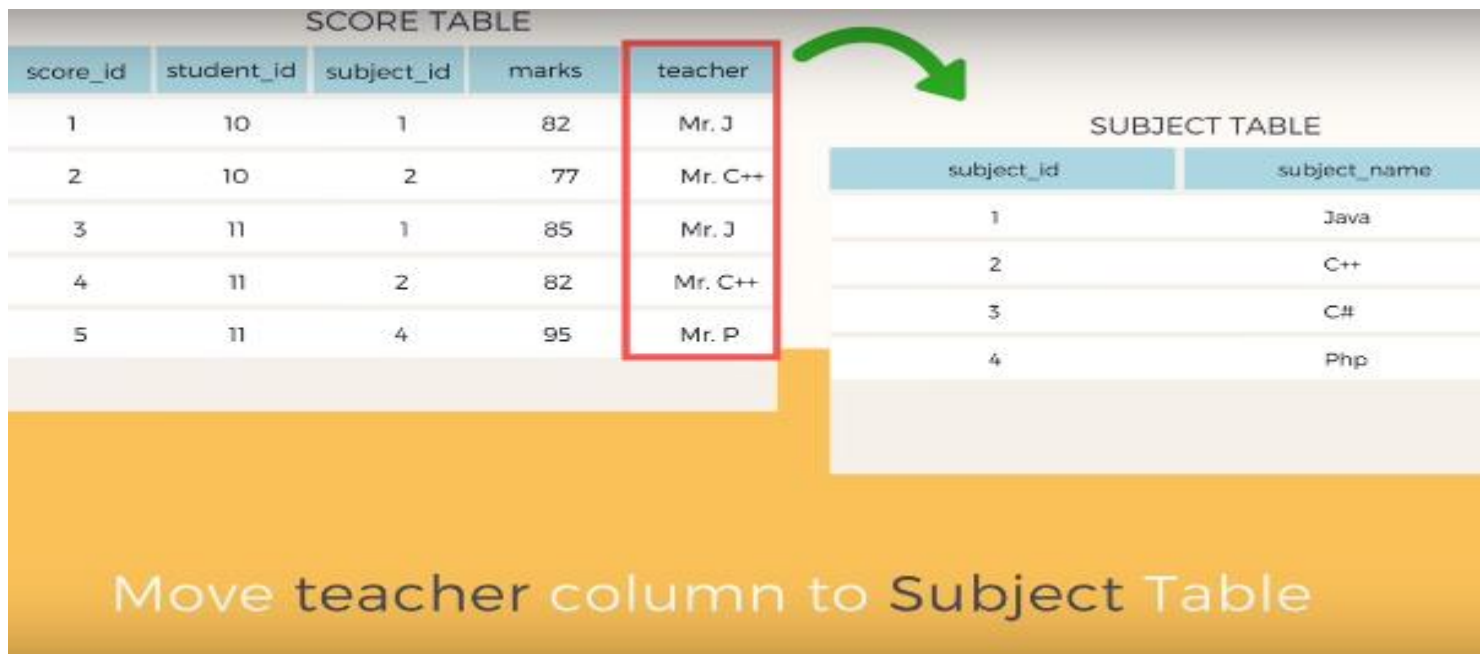


teacher column only depends on subject and not on student.

This is Partial Dependency

EXAMPLE

- How to remove partial dependency
- In example we should remove teacher column from score table to remove partial dependency.



EXAMPLE

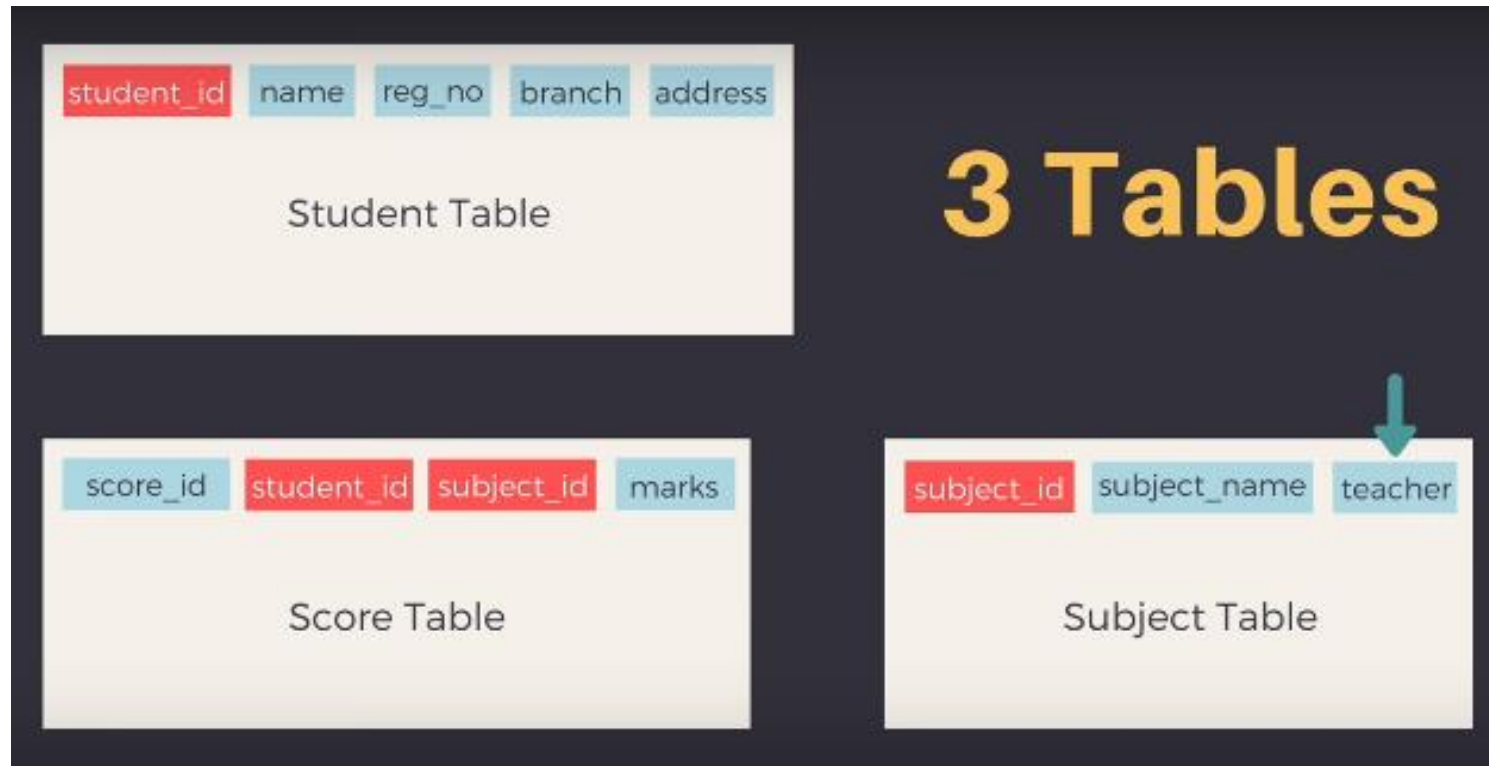
- Or we can create new Teacher table and add teachers information here.

Teacher TABLE	
teacher_id	teacher_name
1	Mr. J
2	Mr. C++
3	Mr. C#
4	Mr. P
Can even add more info. related to teachers like date of joining, salary etc.	

THIRD NORMAL FORM (3NF)

- ⦿ It should be in the 2NF.
- ⦿ And it should not have Transitive Dependency

THIRD NORMAL FORM (3NF)



EXAMPLE

- Score table in 2NF.
- Now we also want to save columns Exam_Name and Total_Marks in score table

[illegible]

EXAMPLE

Column exam_name depends on the primary key.

student_id + subject_id

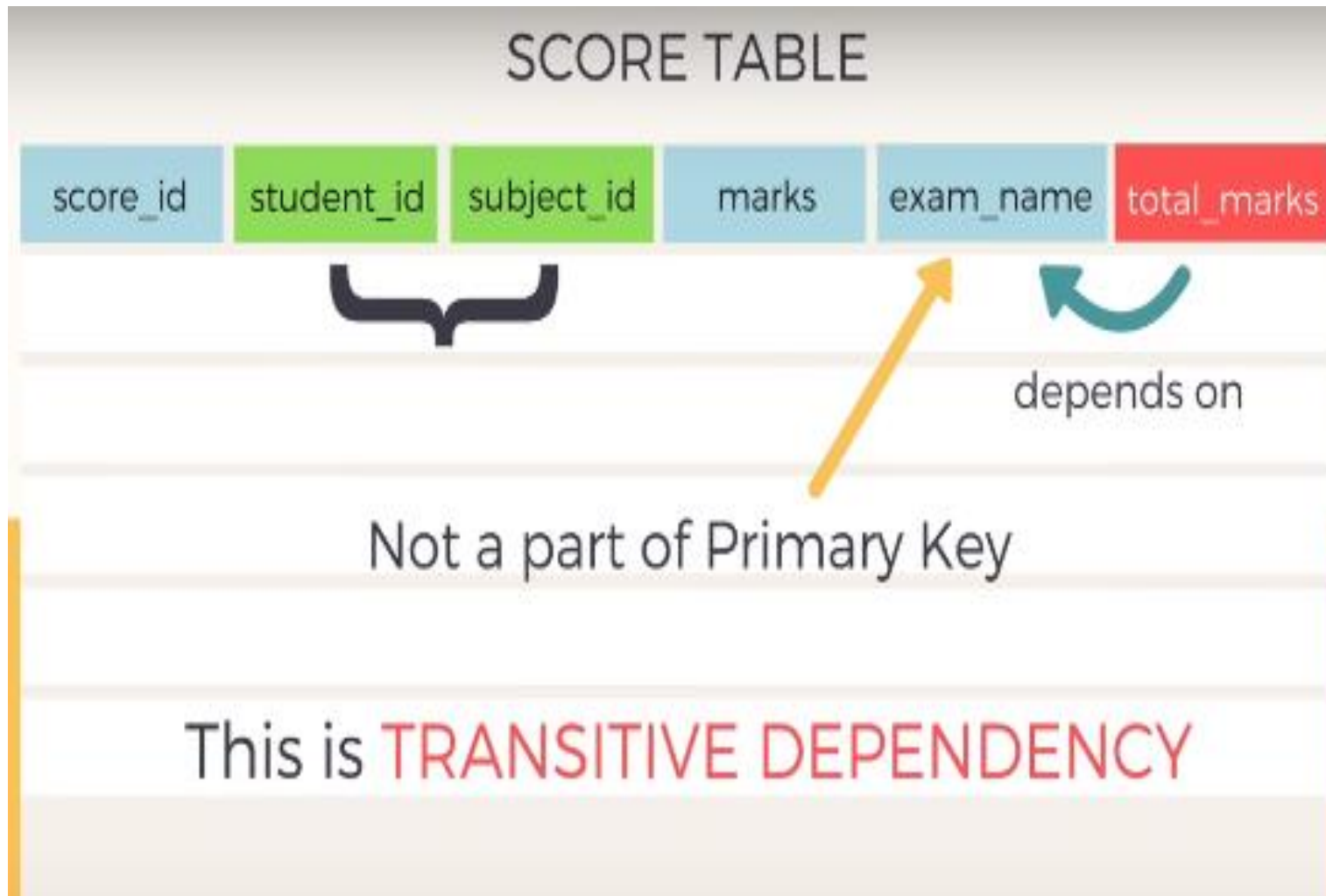
SCORE TABLE

score_id	student_id	subject_id	marks	exam_name	total_marks
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Primary Key for Score table is
a **Composite Key**

EXAMPLE



EXAMPLE

◎ Solution

SCORE TABLE					
score_id	student_id	subject_id	marks	exam_name	total_marks
				EXAM TABLE	

student_id name reg_no branch address

Student Table

subject_id subject_name teacher

Subject Table

score_id student_id subject_id marks exam_name

Score Table

exam_name total_marks

Exam Table

**In 3rd
Normal Form**

BOYCE CODD NORMAL FORM (BCNF/3.5NF)

- ⦿ BCNF is the advance version of 3NF. It is stricter than 3NF.
- ⦿ A table is in BCNF if every functional dependency $X \rightarrow Y$, X is the super key of the table.
- ⦿ it means, that for a dependency $A \rightarrow B$, A cannot be a **non-prime attribute**, if B is a **prime attribute**.
- ⦿ For BCNF, the table should be in 3NF, and for every FD, LHS is super key.

BCNF

- ◉ **Example:** Let's assume there is a company where employees work in more than one department.
- ◉ **In the given table Functional dependencies are as follows:**
- ◉ $EMP_ID \rightarrow EMP_COUNTRY$
- ◉ $EMP_DEPT \rightarrow \{DEPT_TYPE, EMP_DEPT_NO\}$

EMP_ID	EMP_COUNTRY	EMP_DEPT	DEPT_TYPE	EMP_DEPT_NO
264	India	Designing	D394	283
264	India	Testing	D394	300
364	UK	Stores	D283	232
364	UK	Developing	D283	549

FOURTH NORMAL FORM (4NF)

- ⦿ A table is said to be in the Fourth Normal Form when,
- ⦿ It is in the Boyce-Codd Normal Form.
- ⦿ And, it doesn't have Multi-Valued Dependency.

MULTIVALUED DEPENDENCY

Any dependency:

$A \rightarrow B$, is Multi-Valued Dependency

A1 < $\begin{matrix} B1 \\ B2 \end{matrix}$

MULTIVALUED DEPENDENCY

A	B
Table	

A	B	C
Table		



A table should have at least 3 columns to have Multi-valued Dependency

Multiple Rows will solve the problem.

MULTIVALUED DEPENDENCY

For a table with A, B, C columns

$A \twoheadrightarrow B$, is Multi-Valued Dependency

Then B and C should be independent of each other.

MULTIVALUED DEPENDENCY

- $A \twoheadrightarrow B$, for a single value of A , more than one value of B exist.
- Table should have at-least 3 columns.
- For this table with A, B, C columns, B and C should be independent.

MULTIVALUED DEPENDENCY

A	B	C
A1	B1 B2	C1 C2

Multi-valued dependency
between $A \twoheadrightarrow B$ and $A \twoheadrightarrow C$

MULTIVALUED DEPENDENCY

ENROLMENT TABLE		
s_id	course	hobby
1	Science	Cricket
1	Maths	Hockey
2	C#	Cricket
2	Php	Hockey

MULTIVALUED DEPENDENCY

ENROLMENT TABLE		
s_id	course	hobby
1	Science	Cricket
1	Maths	Hockey
1	Science	Hockey
1	Maths	Cricket

RIGHT?

because same student, same hobbies

MULTIVALUED DEPENDENCY

Student Enrollment Table



CourseOpted Table + Hobbies Table

(s_id & course)

(s_id & hobby)

MULTIVALUED DEPENDENCY

CourseOpted TABLE

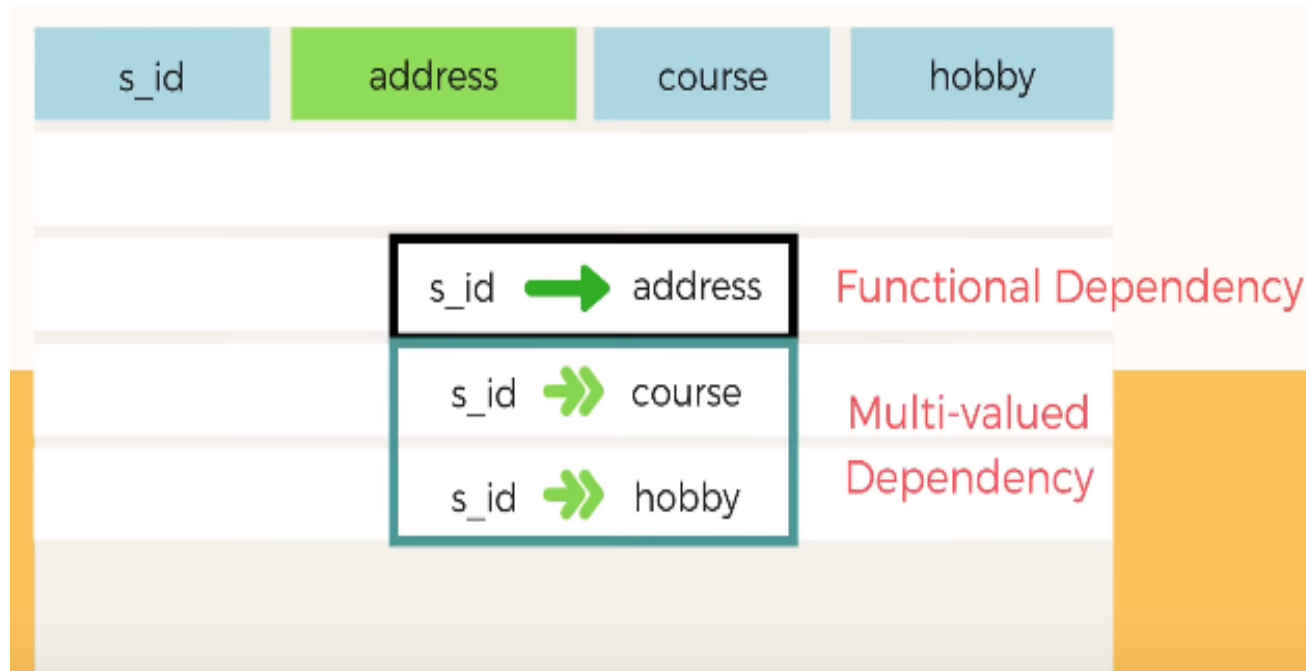
s_id	course
1	Science
1	Maths
2	C#
2	Php

Hobbies TABLE

s_id	hobby
1	Cricket
1	Hockey
2	Cricket
2	Hockey

2 independent tables

MULTIVALUED DEPENDENCY



MULTIVALUED DEPENDENCY

Student Enrollment Table



CourseOpted Table + Hobbies Table + Address Table

(s_id & course)

(s_id & hobby)

(s_id & address)

4NF

Student Table

s_id	s_name
S1	A
S2	B

Course Table

c_id	c_name
C1	C
C2	D



Good Database Design

ENROLMENT TABLE

s_id	s_name	c_id	c_name
S1	A	C1	C
S1	A	C2	D
S2	B	C1	C
S2	B	C2	D

Now Multi-valued Dependency exist

5NF

- ⦿ A relation is in 5NF if it is in 4NF and not contains any join dependency and joining should be lossless.
- ⦿ 5NF is satisfied when all the tables are broken into as many tables as possible in order to avoid redundancy.
- ⦿ 5NF is also known as Project-join normal form (PJ/NF).

SUBJECT	LECTURER	SEMESTER
Computer	Anshika	Semester 1
Computer	John	Semester 1
Math	John	Semester 1
Math	Akash	Semester 2
Chemistry	Praveen	Semester 1

- ⊙ In the above table, John takes both Computer and Math class for Semester 1 but he doesn't take Math class for Semester 2. In this case, combination of all these fields required to identify a valid data.
- ⊙ Suppose we add a new Semester as Semester 3 but do not know about the subject and who will be taking that subject so we leave Lecturer and Subject as NULL. But all three columns together acts as a primary key, so we can't leave other two columns blank.
- ⊙ So to make the above table into 5NF, we can decompose it into three relations P1, P2 & P3:

P1

SEMESTER	SUBJECT
Semester 1	Computer
Semester 1	Math
Semester 1	Chemistry
Semester 2	Math

P2

SUBJECT	LECTURER
Computer	Anshika
Computer	John
Math	John
Math	Akash

P3

SEMSTER	LECTURER
Semester 1	Anshika
Semester 1	John
Semester 1	John
Semester 2	Akash
Semester 1	Praveen

JOIN DEPENDENCY

Types of Join dependency

- Lossless Join and
- Dependency Preserving Decomposition
- ⦿ Decomposition of a relation is done when a relation in relational model is not in appropriate normal form.
- ⦿ Relation R is decomposed into two or more relations if decomposition is lossless join as well as dependency preserving.

LOSSLESS JOIN DECOMPOSITION

- ⊙ If we decompose a relation R into relations R1 and R2,
 - Decomposition is lossy if $R1 \bowtie R2 \supset R$
 - Decomposition is lossless if $R1 \bowtie R2 = R$
- ⊙ **To check for lossless join decomposition using FD set, following conditions must hold:**
- ⊙ Union of Attributes of R1 and R2 must be equal to attribute of R.
 - Each attribute of R must be either in R1 or in R2.

$$\text{Att}(R1) \cup \text{Att}(R2) = \text{Att}(R)$$

- ⊙ Intersection of Attributes of R1 and R2 must not be NULL.

$$\text{Att}(R1) \cap \text{Att}(R2) \neq \Phi$$

- ⊙ Common attribute must be a key for at least one relation (R1 or R2)

$$\text{Att}(R1) \cap \text{Att}(R2) \rightarrow \text{Att}(R1) \text{ or } \text{Att}(R1) \cap \text{Att}(R2) \rightarrow \text{Att}(R2)$$

EXAMPLE

- ⊙ A relation R (A, B, C, D) with FD set{A->BC} is decomposed into R1(ABC) and R2(AD) which is a lossless join decomposition as:
- ⊙ First condition holds true as $\text{Att}(R1) \cup \text{Att}(R2) = (ABC) \cup (AD) = (ABCD) = \text{Att}(R)$.
- ⊙ Second condition holds true as $\text{Att}(R1) \cap \text{Att}(R2) = (ABC) \cap (AD) \neq \Phi$
- ⊙ Third condition holds true as $\text{Att}(R1) \cap \text{Att}(R2) = A$ is a key of R1(ABC) because A->BC is given.

DEPENDENCY PRESERVING DECOMPOSITION

- ◉ If we decompose a relation R into relations R_1 and R_2 , All dependencies of R either must be a part of R_1 or R_2 or must be derivable from combination of FD's of R_1 and R_2 .
- ◉ For Example, A relation $R(A, B, C, D)$ with FD set $\{A \rightarrow BC\}$ is decomposed into $R_1(ABC)$ and $R_2(AD)$ which is dependency preserving because FD $A \rightarrow BC$ is a part of $R_1(ABC)$.

EXAMPLE

- Consider a schema $R(A,B,C,D)$ and functional dependencies $A \rightarrow B$ and $C \rightarrow D$. Then the decomposition of R into $R_1(AB)$ and $R_2(CD)$ is ____.
- A. dependency preserving and lossless join
- B. lossless join but not dependency preserving
- C. dependency preserving but not lossless join
- D. not dependency preserving and not lossless join

Answer:

For lossless join decomposition, these conditions must hold true:

$$\text{Att}(R_1) \cup \text{Att}(R_2) = ABCD = \text{Att}(R)$$

$$\text{Att}(R_1) \cap \text{Att}(R_2) = \Phi,$$

which violates the condition of lossless join decomposition. Hence the decomposition is not lossless.

For dependency preserving decomposition,

$A \rightarrow B$ can be ensured in $R_1(AB)$ and $C \rightarrow D$ can be ensured in $R_2(CD)$. Hence it is dependency preserving decomposition.

So, the correct option is C.

END