

# Unit - I

## 1.2 Introduction and Basic Concepts

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## Batteries

↳ Li<sup>+</sup> - ion ✓

Lead-acid

↓  
→ 3.3V ± 1mV

## Data transfer

↳ wired

NEC



# SASTRA

ENGINEERING · MANAGEMENT · LAW · SCIENCES · HUMANITIES · EDUCATION

DEEMED TO BE UNIVERSITY  
(U/S 3 OF THE UGC ACT, 1956)

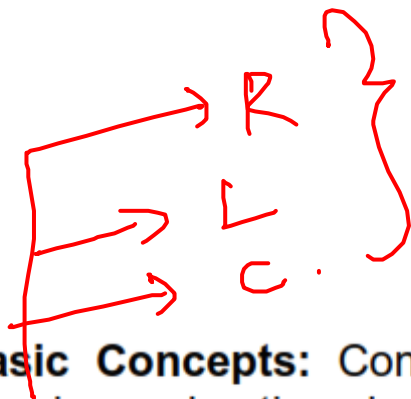
THINK MERIT · THINK TRANSPARENCY · THINK SASTRA

## UNIT – I

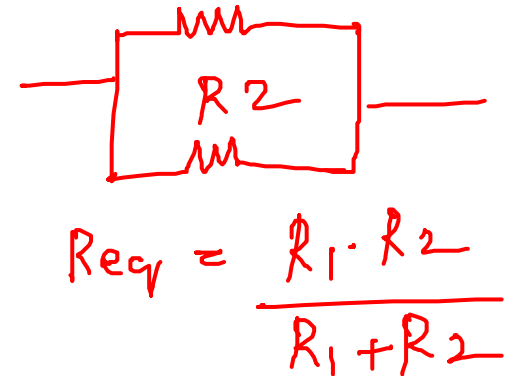
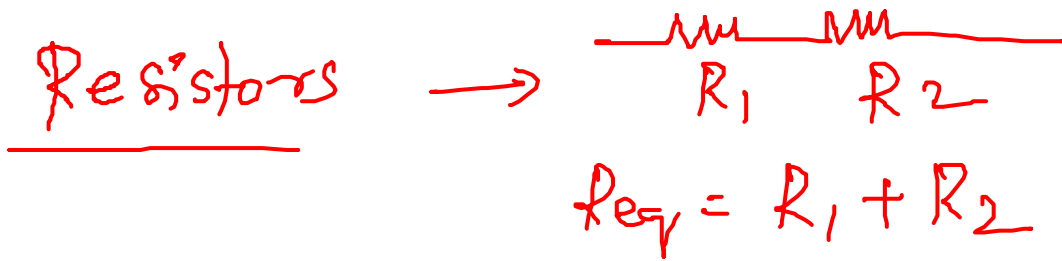
10 Periods

**Introduction and Basic Concepts:** Concept of Potential difference, voltage, current - Fundamental linear passive and active elements to their functional current-voltage relation - Terminology and symbols in order to describe electric networks - Concept of work, power, energy and conversion of energy- Principle of batteries and application.

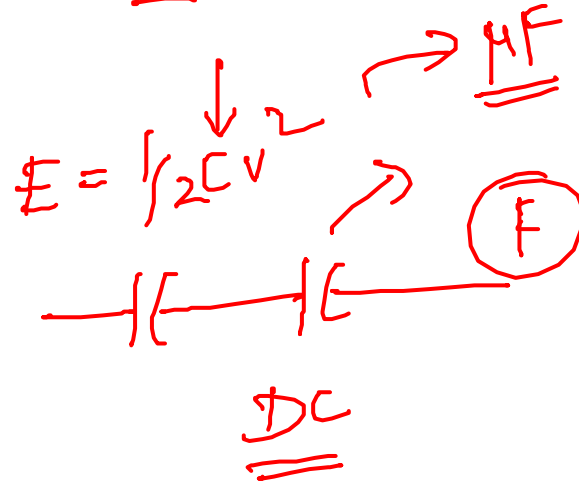
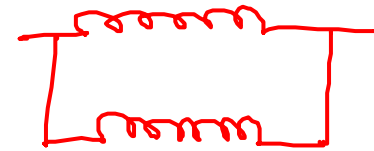
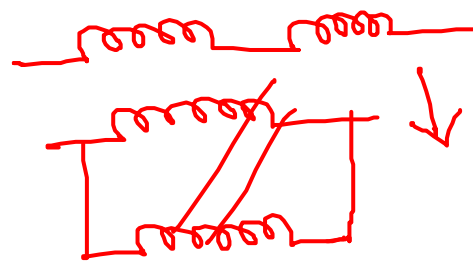
**Principles of Electrostatics:** Electrostatic field - electric field intensity - electric field strength - absolute permittivity - relative permittivity - capacitor composite – dielectric capacitors - capacitors in series & parallel - energy stored in capacitors - charging and discharging of capacitors.



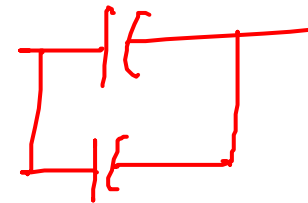
$R_1$



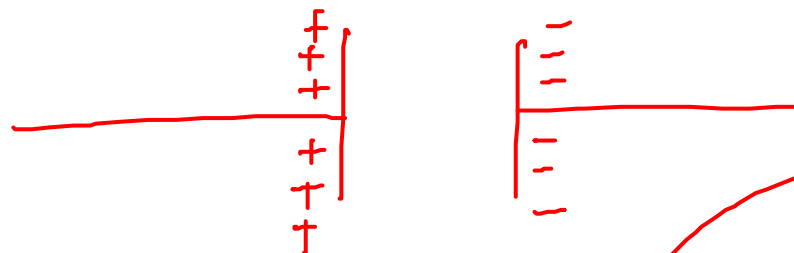
Inductors



Capacitors



# Capacitors



$$E = \frac{1}{2} CV^2$$

$$C = \frac{Q}{V}$$

← Ultracapacitors

↑ Supercapacitors ✓

↑ adsorption ←

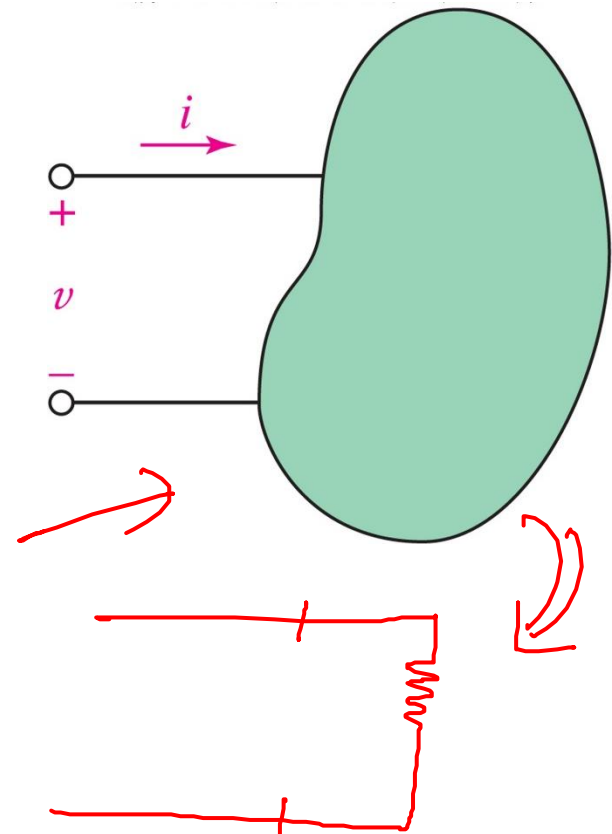
Capacity ↑ 1F,  $\frac{50F}{1.3V}$

Discharge →

# Circuit Elements

- A circuit element usually has two terminals (sometimes three or more).
- The relationship between the voltage  $v$  across the terminals and the current  $i$  through the device defines the circuit element model.

Lumped circuit abstraction



# Linear Elements and Circuits

- a linear circuit element has a linear voltage-current relationship:

$R, L, C$

  - if  $i(t)$  produces  $v(t)$ , then  $Ki(t)$  produces  $Kv(t)$
  - if  $i_1(t)$  produces  $v_1(t)$  and  $i_2(t)$  produces  $v_2(t)$ , then  $i_1(t) + i_2(t)$  produces  $v_1(t) + v_2(t)$ ,
- resistors, sources are linear elements<sup>1</sup>
- a linear circuit is one with only linear elements

<sup>1</sup>Dependent sources need linear control equations to be linear elements.



Voltage  
Current

Sources

Wind →

Tidal →

Hydro →

Solar PV →

→ Thermal →

Nuclear →

→ Hydrogen/Fuel.

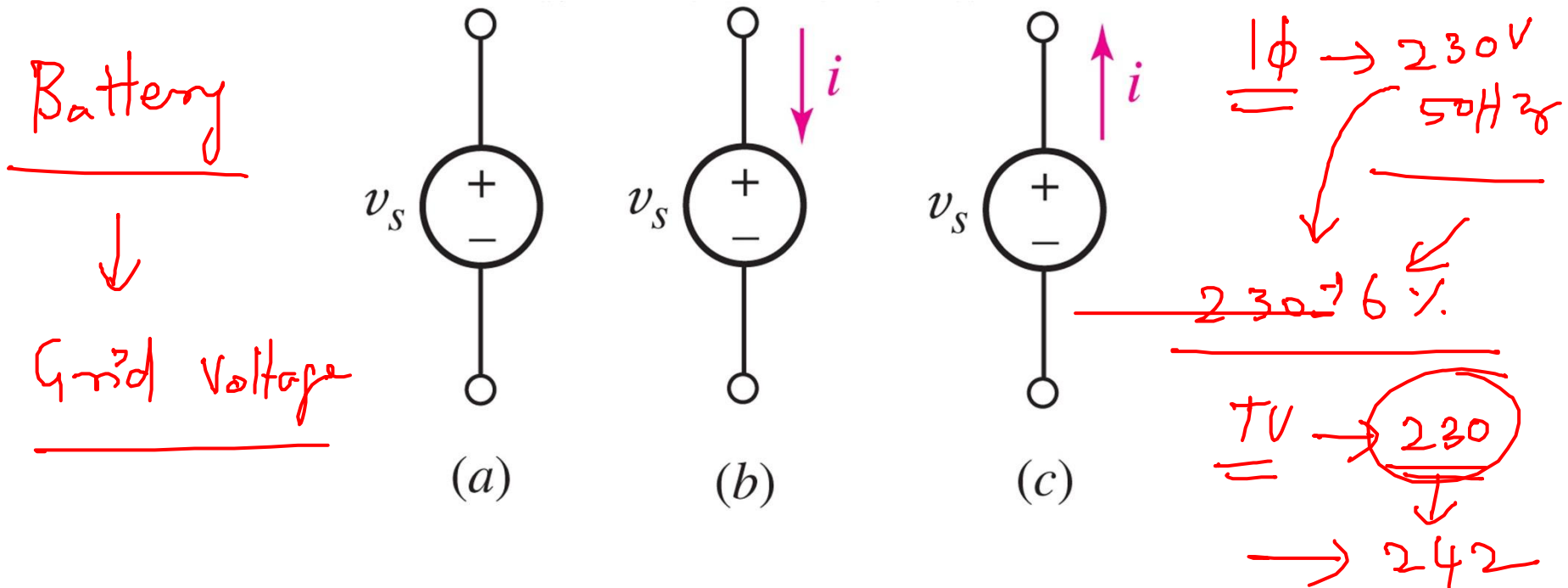
→ Fuel cells

Generators (

Batteries

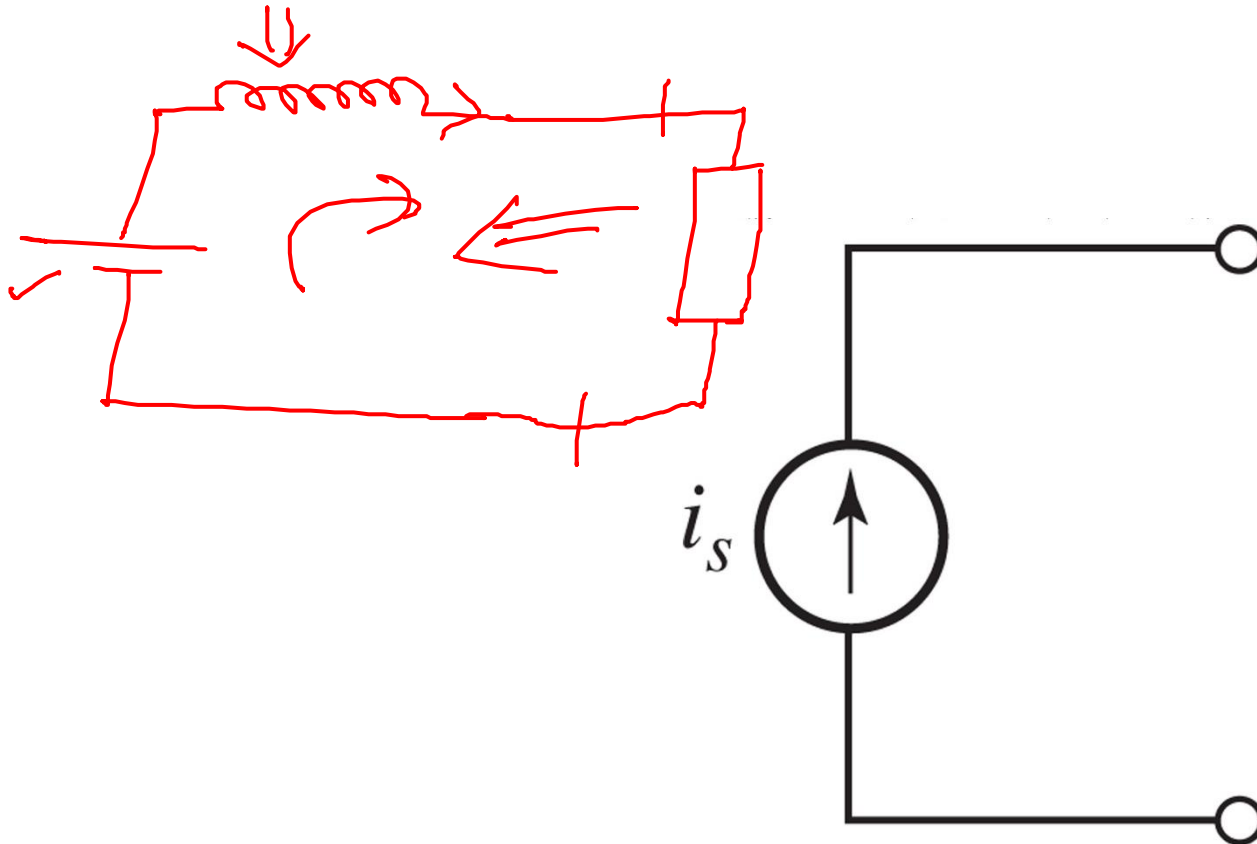
# Voltage Sources

- An ideal voltage source is a circuit element that will maintain the specified voltage  $v_s$  across its terminals.
- The current will be determined by other circuit elements.



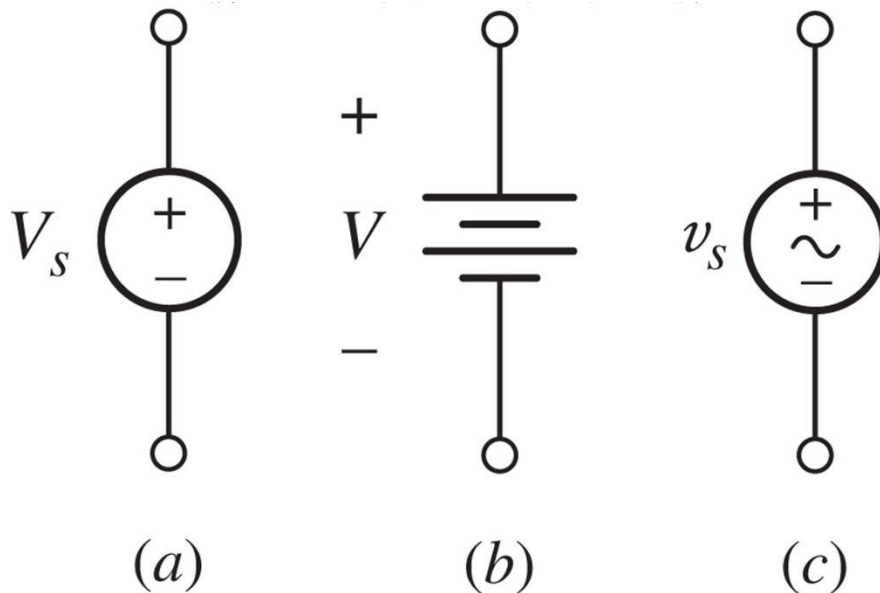
# Current Sources

- An ideal current source is a circuit element that maintains the specified current flow  $i_s$  through its terminals.
- The voltage is determined by other circuit elements.



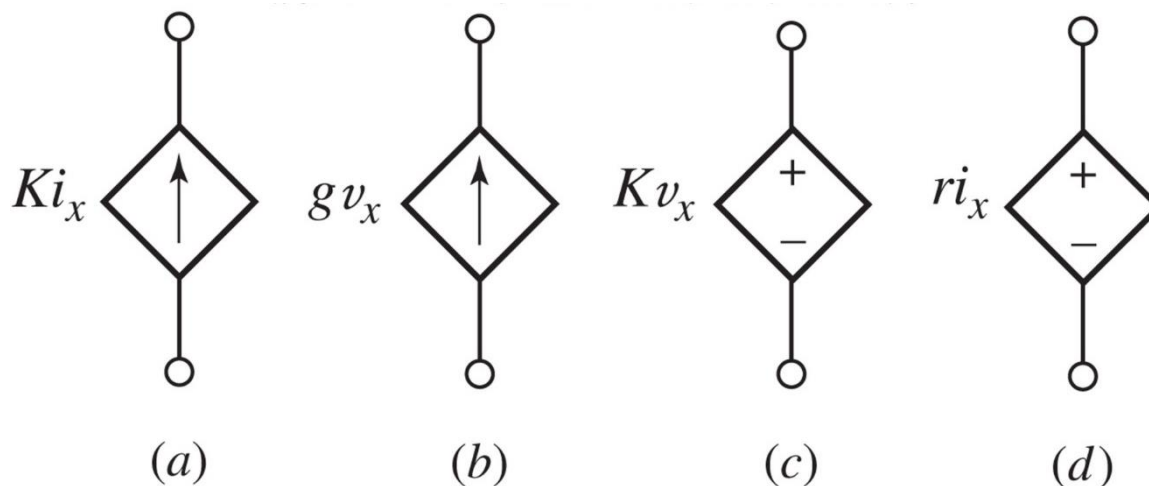
# Battery as Voltage Source

- A voltage source is an idealization (no limit on current) and generalization (voltage can be time-varying) of a battery.
- A battery supplies a constant “dc” voltage  $V$  but in practice a battery has a maximum power.



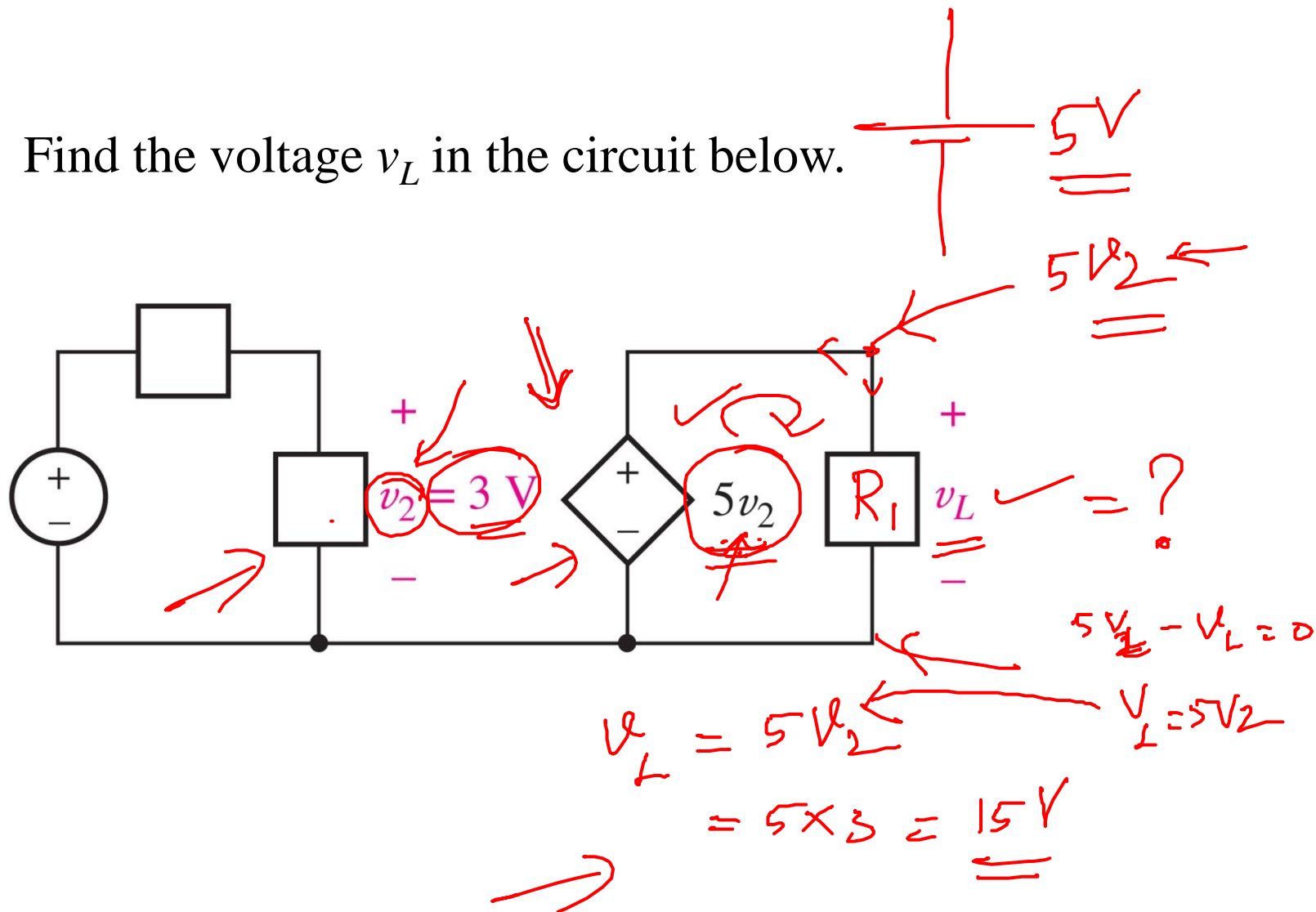
# Dependent Sources

- Dependent current sources (a) and (b) maintain a *current* specified by another circuit variable.
- Dependent voltage sources (c) and (d) maintain a *voltage* specified by another circuit variable.



# Example: Dependent Sources

Find the voltage  $v_L$  in the circuit below.



# Ohm's Law: Resistance

- A (linear) resistor is an element for which

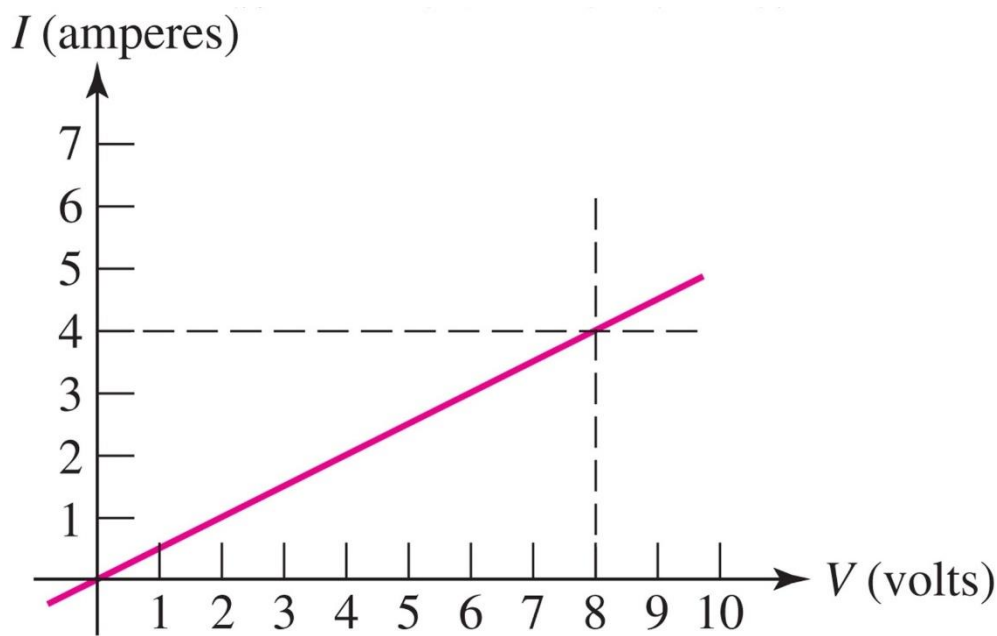
$$v = iR$$

- where the constant  $R$  is a resistance.
- The equation is known as “Ohm’s Law.”
- The unit of resistance is ohm ( $\Omega$ ).



# The i-v Graph for a Resistor

For a resistor, the plot of current versus voltage is a straight line:



In this example, the slope is  $4 \text{ A} / 8 \text{ V}$  or  $0.5 \Omega^{-1}$ .

This is the graph for a 2 ohm resistor.



# Power Absorption

Resistors absorb power: since  $v=iR$


$$p=vi = v^2/R = i^2 R$$

Positive power means the device is absorbing energy.  
Power is always positive for a resistor!



## Example: Resistor Power

A  $560\ \Omega$  resistor is connected to a circuit which causes a current of  $42.4\ \text{mA}$  to flow through it. Calculate the voltage across the resistor and the power it is dissipating.

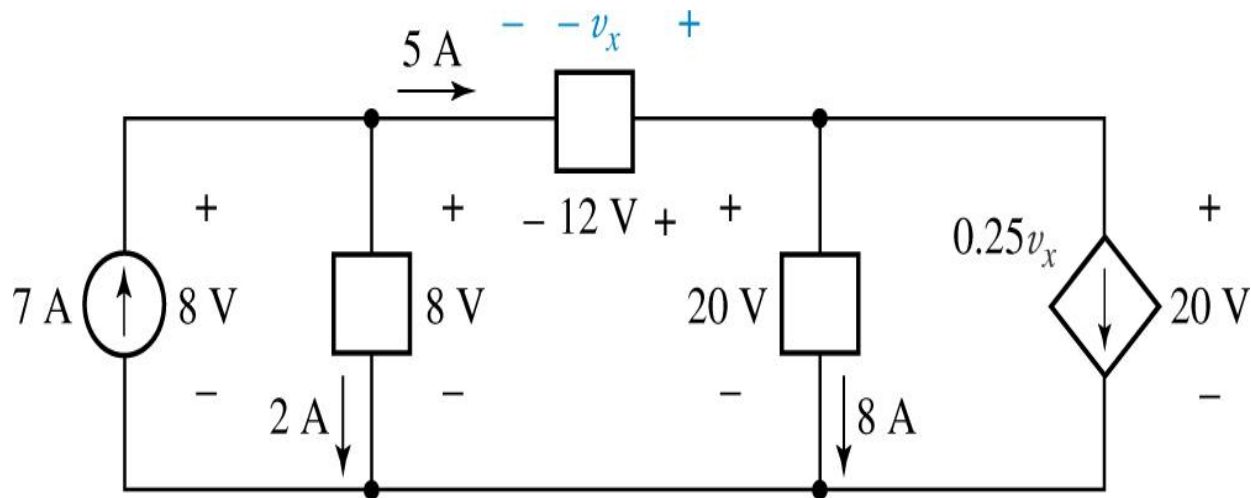

$$v = iR = (0.0424)(560) = 23.7\ \text{V}$$

$$p = i^2 R = (0.0424)^2(560) = 1.007\ \text{W}$$

# Power

Exercise

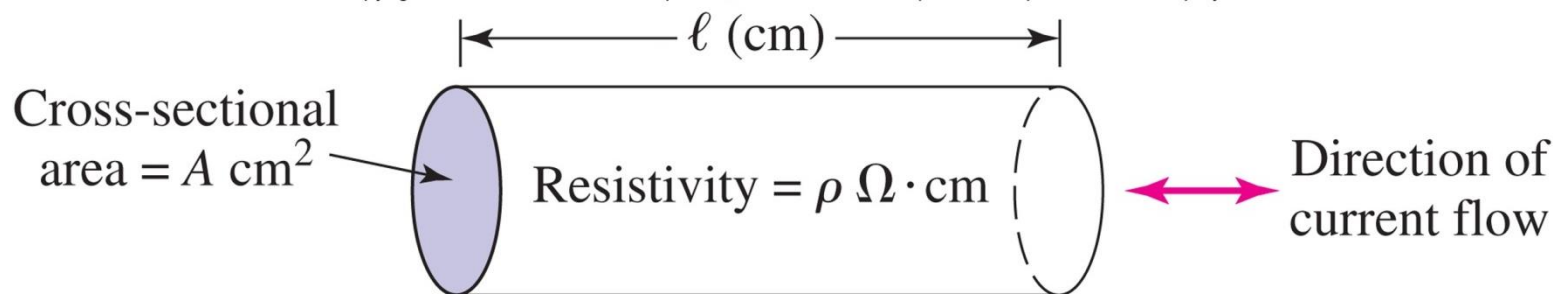
Find the power absorbed by each element in the circuit below.



# Wire Gauge and Resistivity

The resistance of a wire is determined by the resistivity of the conductor as well as the geometry:

$$R = \rho l / A$$



[In most cases, the resistance of wires can be assumed to be 0 ohms.]

- We sometimes prefer to work with *the reciprocal of resistance* ( $1/R$ ), which is called conductance (symbol  $G$ , unit siemens (S)).
- A resistor  $R$  has conductance  $G=1/R$ .
- The  $i$ - $v$  equation (i.e. Ohm's law) can be written as

$$i=Gv$$

# Summary

Iron box

