

Visualizing a Bayesian model

BAYESIAN REGRESSION MODELING WITH RSTANARM



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```
stan_model <- stan_glm(kid_score ~ mom_iq, data = kidiq)
tidy(stan_model)
```

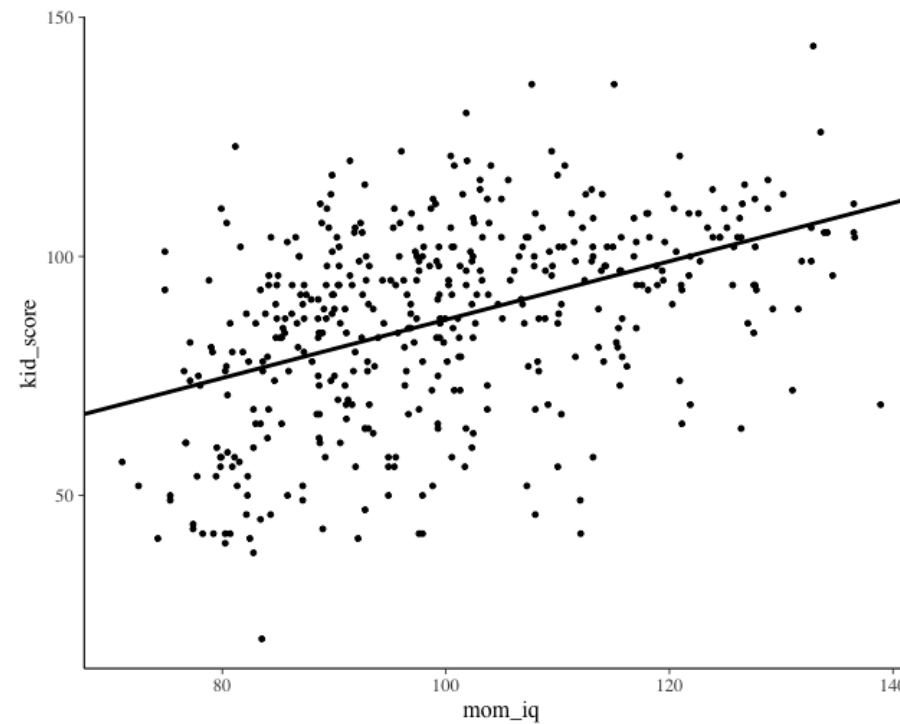
```
# A tibble: 2 x 3
  term      estimate std.error
  <chr>      <dbl>    <dbl>
1 (Intercept) 25.7      5.92
2 mom_iq      0.611     0.0590
```

```
tidy_coef <- tidy(stan_model)
model_intercept <- tidy_coef$estimate[1]
model_intercept
model_slope <- tidy_coef$estimate[2]
model_slope
```

```
25.67857
0.6110473
```

Creating a plot

```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +  
  geom_point() +  
  geom_abline(intercept = model_intercept, slope = model_slope)
```



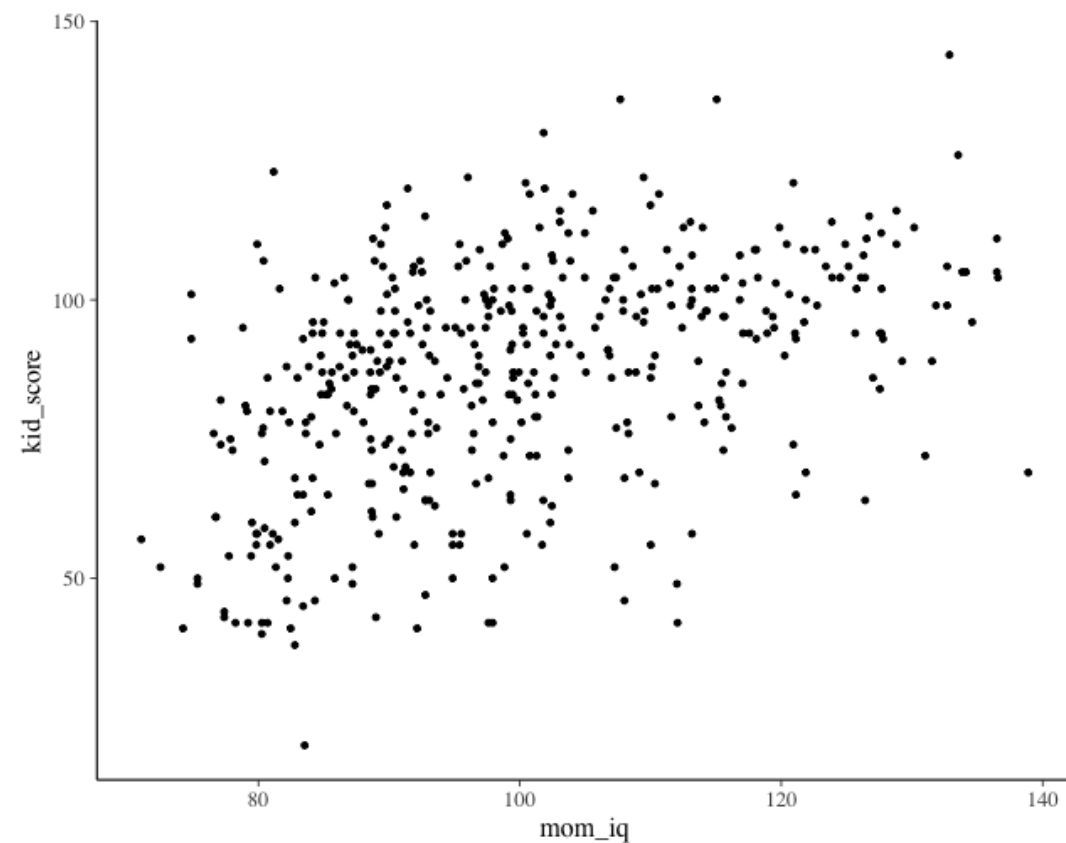
Plotting uncertainty

```
draws <- spread_draws(stan_model, `(Intercept)`, mom_iq)
draws
```

```
# A tibble: 4,000 x 5
  .chain .iteration .draw `(Intercept)` mom_iq
  <int>    <int> <int>      <dbl>    <dbl>
1     1      1     1      28.2    0.586
2     1      2     2      28.7    0.593
3     1      3     3      13.5    0.735
4     1      4     4      30.3    0.564
5     1      5     5      34.5    0.522
6     1      6     6      19.2    0.669
7     1      7     7      34.8    0.523
8     1      8     8      16.3    0.707
# ... with 3,992 more rows
```

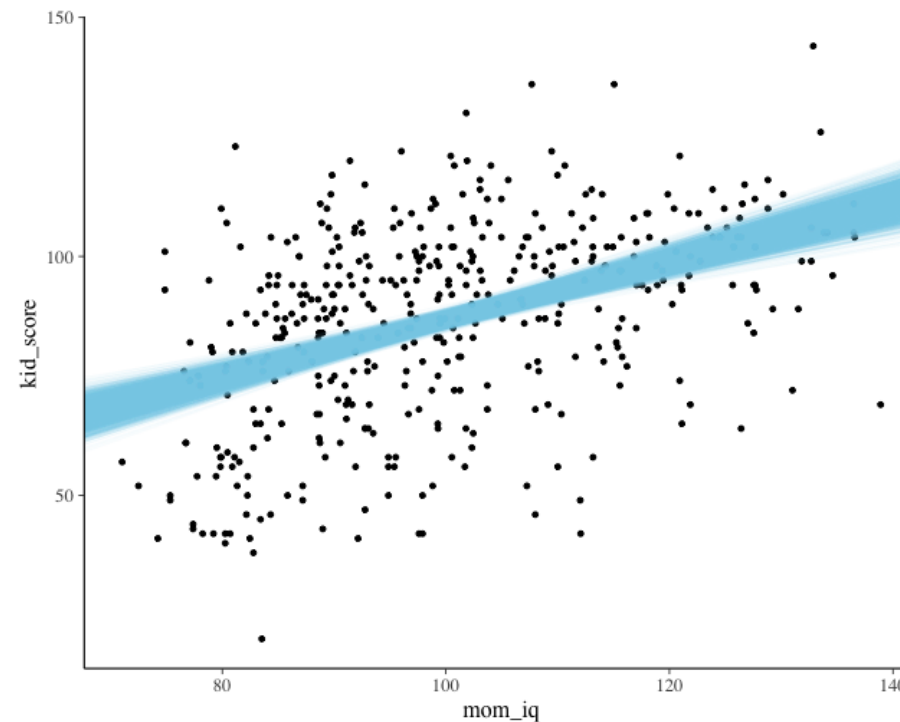
Plotting uncertainty

```
ggplot(kid_iq, aes(x = mom_iq, y = kid_score)) +  
  geom_point()
```



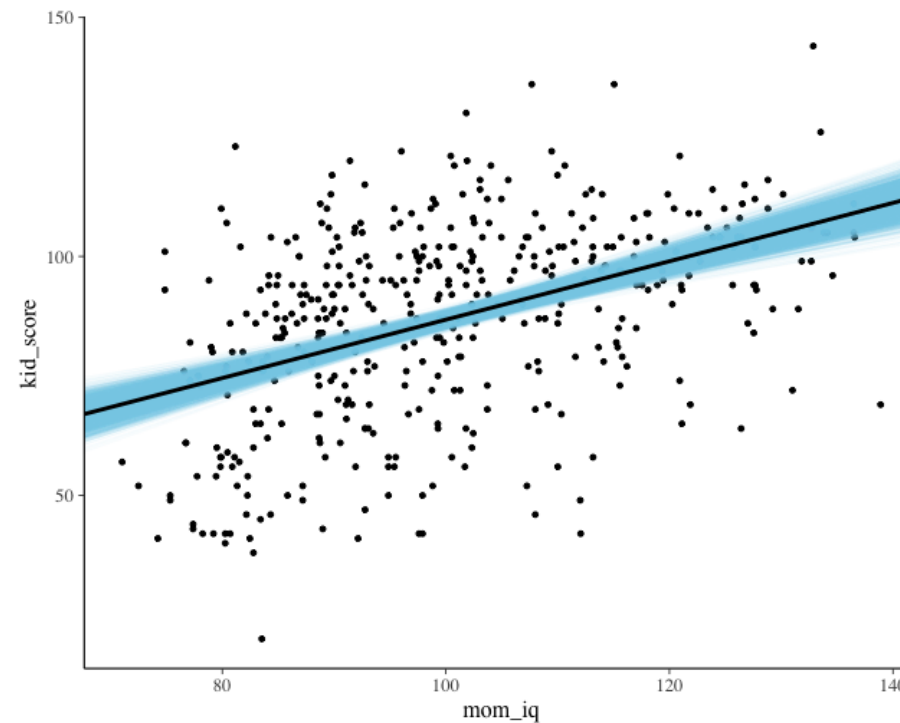
Plotting uncertainty

```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +  
  geom_point()  
  geom_abline(data = draws, aes(intercept = `(Intercept)`, slope = mom_iq),  
    size = 0.2, alpha = 0.1, color = "skyblue")
```



Plotting uncertainty

```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +  
  geom_point()  
  geom_abline(data = draws, aes(intercept = `(Intercept)`, slope = mom_iq),  
    size = 0.2, alpha = 0.1, color = "skyblue") +  
  geom_abline(intercept = model_intercept, slope = model_slope)
```



Let's practice

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Making predictions

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Making predictions for observed data

```
stan_model <- stan_glm(kid_score ~ mom_iq + mom_hs, data = kidiq)
posteriors <- posterior_predict(stan_model)
posteriors[1:10, 1:5]
```

	1	2	3	4	5
[1,]	61.08989	58.57298	80.68946	101.00810	76.37946
[2,]	111.52704	49.92284	99.09657	97.33291	72.98906
[3,]	83.36793	81.35768	94.16414	101.73570	64.69375
[4,]	118.15092	74.00476	107.28852	75.75912	91.93991
[5,]	103.95042	58.98491	128.40312	121.42753	62.70008
[6,]	102.29874	127.74050	84.10661	67.94056	82.02546
[7,]	91.39445	88.49029	75.05702	94.48594	102.50331
[8,]	93.33446	84.99589	101.49261	66.74698	68.26968
[9,]	101.85065	91.46998	123.43011	76.53226	74.93288
[10,]	79.61489	101.29745	105.97636	97.48332	99.80582

Making predictions for new data

```
predict_data <- data.frame(  
  mom_iq = 110,  
  mom_hs = c(0, 1))
```

```
predict_data
```

	mom_iq	mom_hs
1	110	0
2	110	1

Making predictions for new data

```
new_predictions <- posterior_predict(stan_model,  
                                     newdata = predict_data)  
  
new_predictions[1:10,]
```

	1	2
[1,]	90.90581	107.75710
[2,]	78.72466	139.86677
[3,]	80.67743	88.81523
[4,]	83.47852	74.06063
[5,]	69.07708	87.81177
[6,]	40.46229	85.45969
[7,]	79.41597	64.19011
[8,]	107.93867	117.49345
[9,]	95.31493	82.51476
[10,]	91.18056	94.22732

```
summary(new_predictions[, 1])
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
20.90	75.26	87.64	87.68	100.02	156.00

```
summary(new_predictions[, 2])
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
34.78	81.32	93.49	93.66	105.62	159.82

Let's practice

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Visualizing predictions

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Plotting new predictions

```
stan_model <- stan_glm(kid_score ~ mom_iq + mom_hs, data = kidiq)
predict_data <- data.frame(mom_iq = 110, mom_hs = c(0, 1))
posterior <- posterior_predict(stan_model, newdata = predict_data)
posterior[1:10,]
```

	1	2
[1,]	76.75484	96.26407
[2,]	74.39001	100.38898
[3,]	90.90370	70.00591
[4,]	70.43835	120.82787
[5,]	113.98411	82.40497
[6,]	56.15829	121.84269
[7,]	90.46640	92.77966
[8,]	98.56337	110.17948
[9,]	108.86147	123.67762
[10,]	94.29429	83.77102

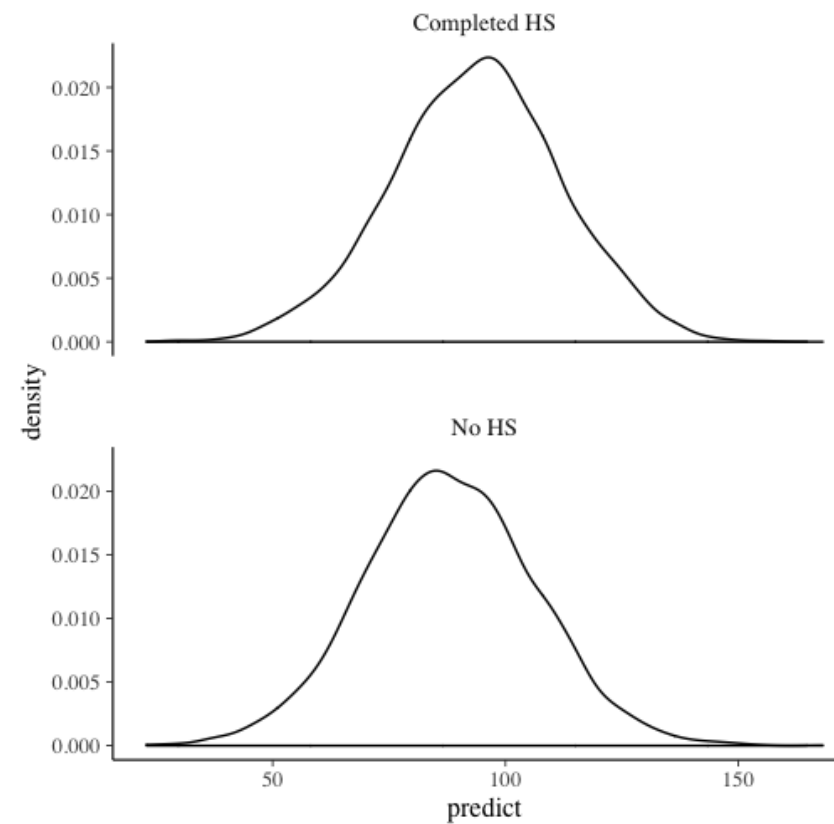
Formatting the data

```
posterior <- as.data.frame(posterior)
colnames(posterior) <- c("No HS", "Completed HS")
plot_posterior <- gather(posterior, key = "HS", value = "predict")
head(plot_posterior)
```

	HS	predict
1	No HS	76.75484
2	No HS	74.39001
3	No HS	90.90370
4	No HS	70.43835
5	No HS	113.98411
6	No HS	56.15829

Creating the plot

```
ggplot(plot_posterior, aes(x = predict)) +  
  facet_wrap(~ HS, ncol = 1) +  
  geom_density()
```



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Conclusion

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What we've learned

- How to estimate a Bayesian regression model
 - Differences between frequentist and Bayesian approaches
 - Importance of making correct inferences
- Modifying a Bayesian model
 - Size of the posterior distribution
 - Prior distributions
 - Estimation algorithm

What we've learned

- Evaluate model fit
 - R-squared
 - Posterior predictive model checks
 - Model comparisons
- Using the model
 - Model visualizations
 - Predictions

What we've missed

- Math behind posterior calculations and LOO approximation
- Choosing a prior distribution
- Causes of estimation errors

What comes next?

- More DataCamp courses
 - Bayesian Modeling with RJAGS
- **rstanarm** documentation
 - mc-stan.org/rstanarm
- *Bayesian Data Analysis*, Gelman et al., (2013)

Thank you!

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