

Generation of Typical Digital Signals and Its Frequency Spectrum Analysis by Using MATLAB

Fundamentals and Experiments

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- 2. Import an Audio File to MATLAB Workspace;
- 3. Analyze Signals by Using DTFT/DFT in MATLAB;
- 4. Experiment Tasks and Goals;

1. Generate Typical Signals

```
Generate a SINE signal which angular frequency \omega = \frac{2\pi}{100}
                  % Clear workspace
   clear;
   clc; % Clear message queue
   w=2*pi/48; 02 % Set up digital angular frequency
   n=0:1:47; % Set up time index
   y=sin(w*n); 0.2 % Generate Sine signal based on the time index
   figure(1) 04 % Plot graph: set up graph number
6
   stem(n,y); " % Plot graph
   set(gca,'XLim',[0,47]); % Plot graph: set up proper axis
                               20
                                                 45
```

```
Generate an unit sample signal \delta[n]
```

-0.5

-10

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0

2

8

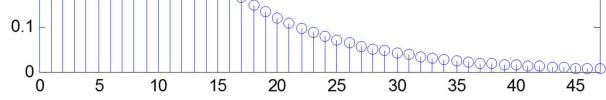
10

-2

```
Generate an unit step signal u[n]
                          % Clear workspace
   clear;
   clc;
                          % Clear message queue
                          % Set up time index
   n=-10:1:10;
   y=zeros(length(n));
                          % Generate Sine signal based on the time index
                          % Find where n not less than zero
   y(find(n>=0))=1;
   figure(1)
                          % Plot graph: set up graph number
6
   stem(n,y);
                          % Plot graph
   set(gca, 'XLim', [-10,10], 'YLim', [-0.5,1.5]); % Plot graph: set up proper axis
                   -0.5
-10
                                     -2
                                                               10
```

```
Generate a real exponential signal y = a^n u[n]

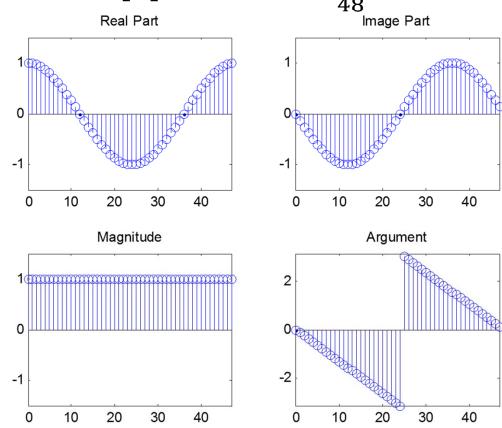
clear; % Clear workspace
clc; % Clear message queue
a=0.9; % Set up the base number
n=0:1:47; % Set up time index
y=a.^n; % Generate real exponetial signal based on the time index
figure(1) % Plot graph: set up graph number
stem(n,y); % Plot graph
set(gca,'XLim',[0,47]); % Plot graph: set up proper axis
```



Generate a complex exponential signal $y=e^{j\omega n}u[n]$, where $\omega=\frac{2\pi}{48}$

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```
figure(1)
                % Plot graph: set up graph number
subplot(2,2,1)
stem(n,y re);
title('Real Part')
set(gca, 'XLim', [0,47], 'YLim', [-1.5,1.5]);
subplot(2,2,2)
stem(n,y im);
title('Image Part')
set(gca, 'XLim',[0,47], 'YLim',[-1.5,1.5]);
subplot(2,2,3)
stem(n,y mag);
title('Magnitude')
set(gca, 'XLim', [0,47], 'YLim', [-1.5,1.5]);
subplot(2,2,4)
stem(n,y arg);
title('Argument')
set(gca, 'XLim',[0,47], 'YLim',[-pi,pi]);
```



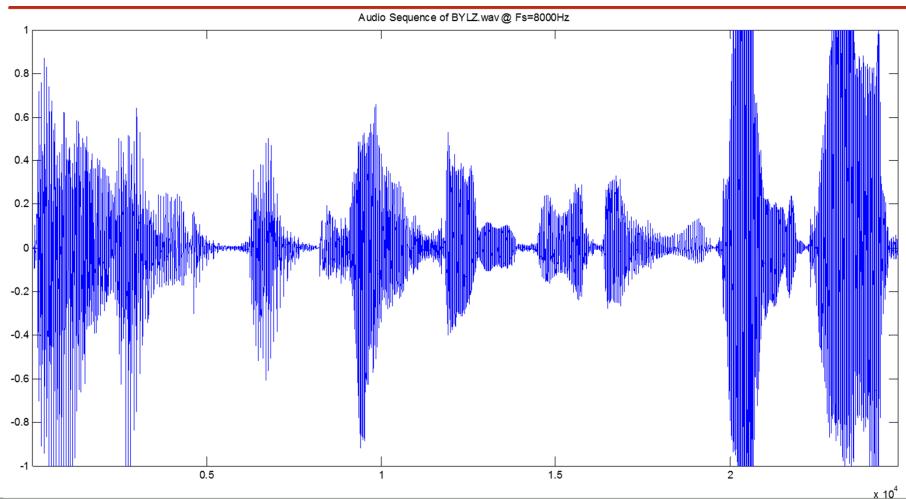
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2. Input an Audio File to Workspace

2. Import an Audio File to MATLAB Workspace

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3. Analyze Signals by Using DTFT/DFT

$$DTFT: X(e^{j\omega}) = \sum_{n=-\infty}^{\infty} x[n]e^{-j\omega n}$$

In general, the computers are conditioned by processing time and resource, which means they can not calculate the proper DTFT of an infinite signal or can not express this signal in frequency domain continuously.

If we planning to examine a signal in frequency domain by using the DTFT, we should describe this signal as a polynomial function of ω .

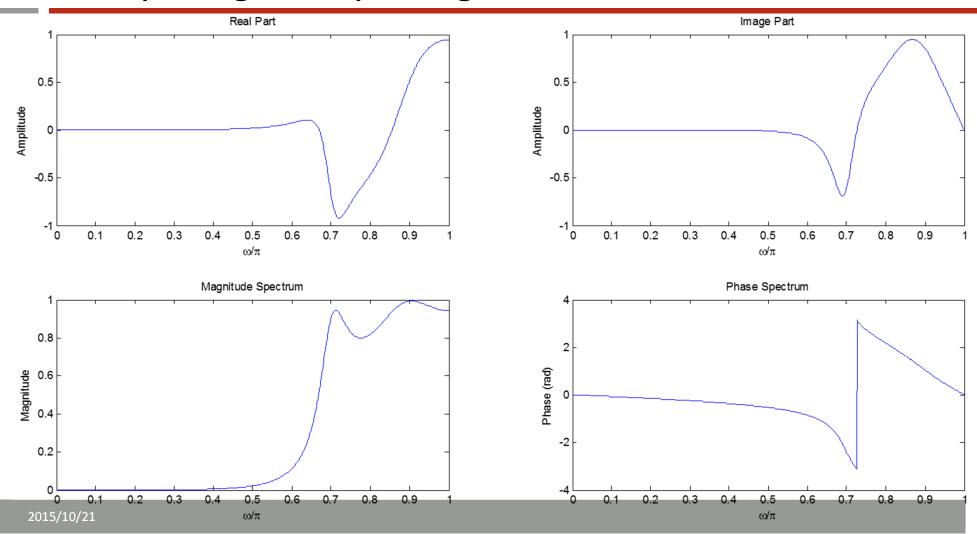
$$X(e^{j\omega}) = \frac{P(e^{j\omega})}{D(e^{j\omega})} = \frac{p_0 + p_1 e^{-j\omega} + \dots + p_M e^{-j\omega M}}{d_0 + d_1 e^{-j\omega} + \dots + d_N e^{-j\omega N}}$$

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$$[X(e^{j\omega_n}), \omega_n] = freqz([p_0, p_1, ..., p_M], [d_0, d_1, ..., d_N], \omega_n)$$

freqz is a useful MATLAB function, which can compute the complex values of DTFT of a signal sequence, which described as a rational function in $e^{j\omega}$ in the form of a polynomial at a prescribed set of discrete frequency points $\omega = \omega_n$. For reasonably accurate plot, a fairly large number of frequency points should be selected.

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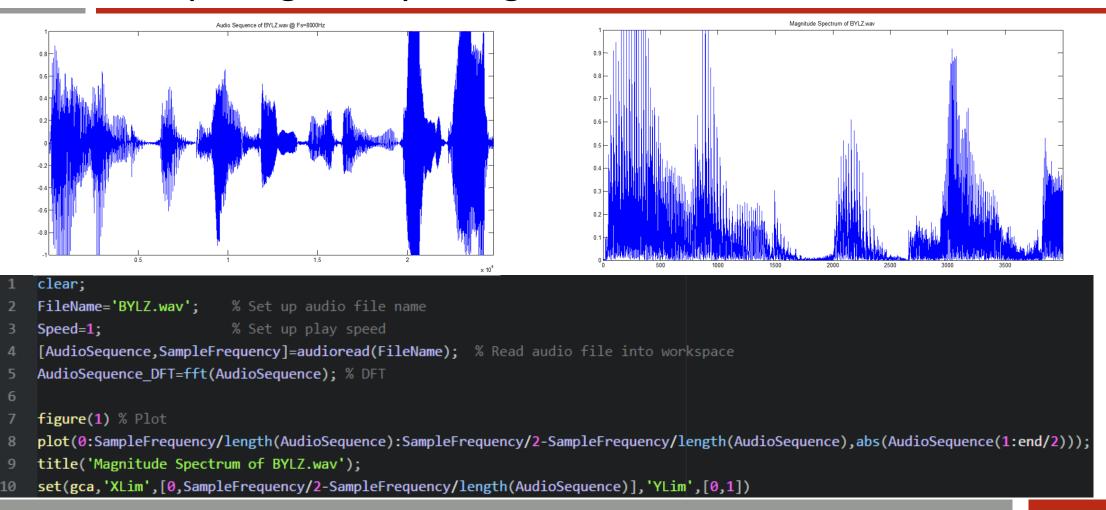


$$DFT: X(k) = X(e^{j\omega})|_{\omega=2\pi k/N} = \sum_{n=0}^{N-1} x[n]e^{-j2\pi kn/N}, 0 \le k \le N-1$$

The signals we dealing with in practice are finite discrete time sequences. In addition, they are continuous in frequency domain. Thus we can not obtain a polynomial function of ω of this signal directly.

However, DFT provide an approach to compute the discrete frequency spectrum based on a N-length sequence in time domain.

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4. Experiment Tasks and Goals

Experiment Tasks and Goals

Generate Typical Signals	 Unit sampling sequence; Unit step sequence; Real exponential sequence; Complex exponential sequence; Sine sequence;
Frequency Analyze the Signal from above	1.DTFT: $X(e^{j\omega}) = \frac{1+0.3544e^{-j\omega}+0.3508e^{-j2\omega}+0.1736e^{-j3\omega}+0.2401e^{-j4\omega}}{1-1.3817e^{-j\omega}+1.5632e^{-j2\omega}-0.8843e^{-j3\omega}+0.4096e^{-j4\omega}}$; 2.DFT: Signal 1~5 in above;
Import an Audio File and Analyze It by using Techniques Learn From This Lesson.	 Record both male and female saying "Hello World" speech signals and import them to MATLAB; Using DFT method to analyze these two signals and find the difference.
Further Goals for Advanced Learners	 Try to plot the complex exponential sequence in 3-D(Real Axis, Imaginary Axis and Time Index Axis) with different ω; Try to realize the DFT all by yourself instead of using fft(). Compare the performance of fft() and the DFT realized by yourself by using tic\toc;

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Thank You!

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