## Consider the grammar

lexp→atom|list

atom→number|identifier

list→(lexp-seq)

lexp-seq→lexp-seq lexp|lexp

(1) Remove the left recursion.

```
lexp→atom | list

atom→number | identifier

list→(lexp-seq)

lexp-seq→lexp lexp-seq'

lexp-seq' →lexp lexp-seq' | ε
```

(2) Construct First and Follow sets for the nonterminals of the resulting grammar.

```
First(lexp) = {number, identifier, (}

First (atom) = {number, identifier}

First (list) = {(}

First (lexp-seq) = {number, identifier, (}

First (lexp-seq') = {number, identifier, (, ε}

Follow(lexp) = {$, ), number, identifier, (}

Follow (atom) = {$, ), number, identifier, (}

Follow (list) = {$, ), number, identifier, (}

Follow (lexp-seq) = {)}

Follow (lexp-seq') = {)}
```

(3) Show that the resulting grammar is LL(1).

For every production:

```
First (atom) \cap First (list) = \emptyset
First (number) \cap First (identifier) = \emptyset
First (lexp lexp-seq') \cap First (\varepsilon) = \emptyset
```

## (4) Construct the LL(1) parsing table for the resulting grammar.

M[N,T]	number	identifier	(	)	\$
lexp	lexp→atom	lexp→atom	lexp→list		
atom	atom→number	atom→identifier			
list			list→(lexp-seq)		
lexp-seq	lexp-seq→lexp lexp-seq'	lexp-seq→lexp lexp-seq'	lexp-seq→lexp		
			lexp-seq'		
lexp-seq'	lexp-seq'→lexp lexp-seq'	lexp-seq'→lexp lexp-seq'	lexp-seq'→lexp	lexp-	
			lexp-seq'	seq'→ε	

## (5) Show the actions of the corresponding LL(1) parser, given the input string(a (b (2)) (c)).

Step	Parsing	Input	Action	
1	\$lexp	(a(b(2))(c))\$	lexp→list	
2	\$list	(a(b(2))(c))\$	list→(lexp-seq)	
3	\$)lexp-seq(	(a(b(2))(c))\$	match	
4	\$)lexp-seq	a(b(2))(c))\$	lexp-seq→lexp lexp-seq'	
5	\$)lexp-seq' lexp	a(b(2))(c))\$	lexp→atom	
6	\$)lexp-seq' atom	a(b(2))(c))\$	atom→identifier	
7	\$)lexp-seq' identifier	a(b(2))(c))\$	match	
8	\$)lexp-seq'	(b(2))(c))\$	lexp-seq' →lexp lexp-seq'	
9	\$)lexp-seq' lexp	(b(2))(c))\$	lexp→list	
10	\$)lexp-seq' list	(b(2))(c))\$	list→(lexp-seq)	
11	\$)lexp-seq' )lexp-seq(	(b(2))(c))\$	match	
12	\$)lexp-seq')lexp-seq	b(2))(c))\$	lexp-seq→lexp lexp-seq'	
13	\$)lexp-seq')lexp-seq'lexp	b(2))(c))\$	lexp→atom	

14	\$)lexp-seq' )lexp-seq' atom	b(2))(c))\$	atom→identifier
15	\$)lexp-seq' )lexp-seq' identifier	b(2))(c))\$	match
16	\$)lexp-seq' )lexp-seq'	(2))(c))\$	lexp-seq' →lexp lexp-seq'
17	\$)lexp-seq' )lexp-seq' lexp	(2))(c))\$	lexp→list
18	\$)lexp-seq' )lexp-seq' list	(2))(c))\$	list→(lexp-seq)
19	\$)lexp-seq')lexp-seq(	(2))(c))\$	match
20	\$)lexp-seq')lexp-seq	2))(c))\$	lexp-seq→lexp lexp-seq'
21	\$)lexp-seq')lexp-seq'lexp	2))(c))\$	lexp→atom
22	\$)lexp-seq')lexp-seq'atom	2))(c))\$	atom→identifier
23	\$)lexp-seq')lexp-seq' identifier	2))(c))\$	match
24	\$)lexp-seq')lexp-seq'	))(c))\$	lexp-seq' →ε
25	\$)lexp-seq')lexp-seq')	))(c))\$	match
26	\$)lexp-seq')lexp-seq'	)(c))\$	lexp-seq' →ε
27	\$)lexp-seq')	)(c))\$	match
28	\$)lexp-seq'	(c))\$	lexp-seq' →lexp lexp-seq'
29	\$)lexp-seq'lexp	(c))\$	lexp→list
30	\$)lexp-seq'list	(c))\$	list→(lexp-seq)
31	\$)lexp-seq')lexp-seq(	(c))\$	match
32	\$)lexp-seq')lexp-seq	c))\$	lexp-seq→lexp lexp-seq'
33	\$)lexp-seq') lexp-seq'lexp	c))\$	lexp→atom
34	\$)lexp-seq') lexp-seq'atom	c))\$	atom→identifier
35	\$)lexp-seq') lexp-seq' identifier	c))\$	match

36	\$)lexp-seq') lexp-seq'	))\$	lexp-seq' →ε
37	\$)lexp-seq')	))\$	match
38	\$)lexp-seq'	)\$	lexp-seq' →ε
39	\$)	)\$	match
40	\$	\$	accept

## 4.12 Questions:

- (1) Can an LL(1) grammar be ambiguous? Why or why not? LL(1)文法不会有二义性,因为它的分析表的每个入口和每个出口的产生式是唯一的。
- (2) Can an ambiguous grammar be LL(1)? Why or why not?

  二义性文法不可能是 LL(1),否则在 LL(1)的分析表中会产生各种冲突。
- (3) Must an unambiguous grammar be LL(1)? Why or why not?

非二义的文法不一定是 LL(1),因为二义文法是非 LL(1)文法的一个因素,但不是唯一的因素,如一些带有左递归的文法也不是 LL(1)文法,因为左递归文法会让它的递归下降语法分析器进入一个无限循环。