



UNIVERSIDAD
DE ANTIOQUIA



Reproducción de la masa invariante de los Mesones D^+ , D^0 y D^{*+}

Santiago Galvis - Felipe Castello - Juan Esteban Ospina

Detector

CMS DETECTOR

Total weight : 14,000 tonnes
Overall diameter : 15.0 m
Overall length : 28.7 m
Magnetic field : 3.8 T

STEEL RETURN YOKE
12,500 tonnes

SILICON TRACKERS
Pixel ($100 \times 150 \mu\text{m}$) $\sim 1\text{m}^2 \sim 66\text{M}$ channels
Microstrips ($80 \times 180 \mu\text{m}$) $\sim 200\text{m}^2 \sim 9.6\text{M}$ channels

SUPERCONDUCTING SOLENOID
Niobium titanium coil carrying $\sim 18,000\text{A}$

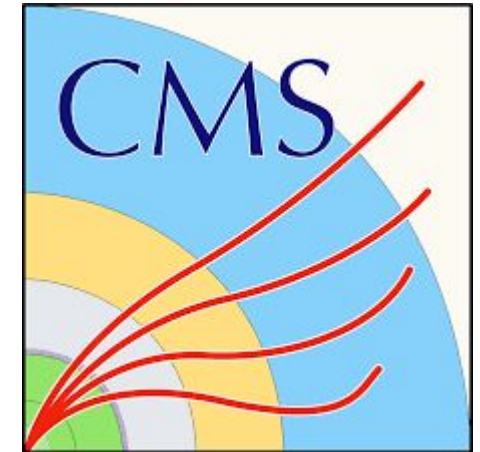
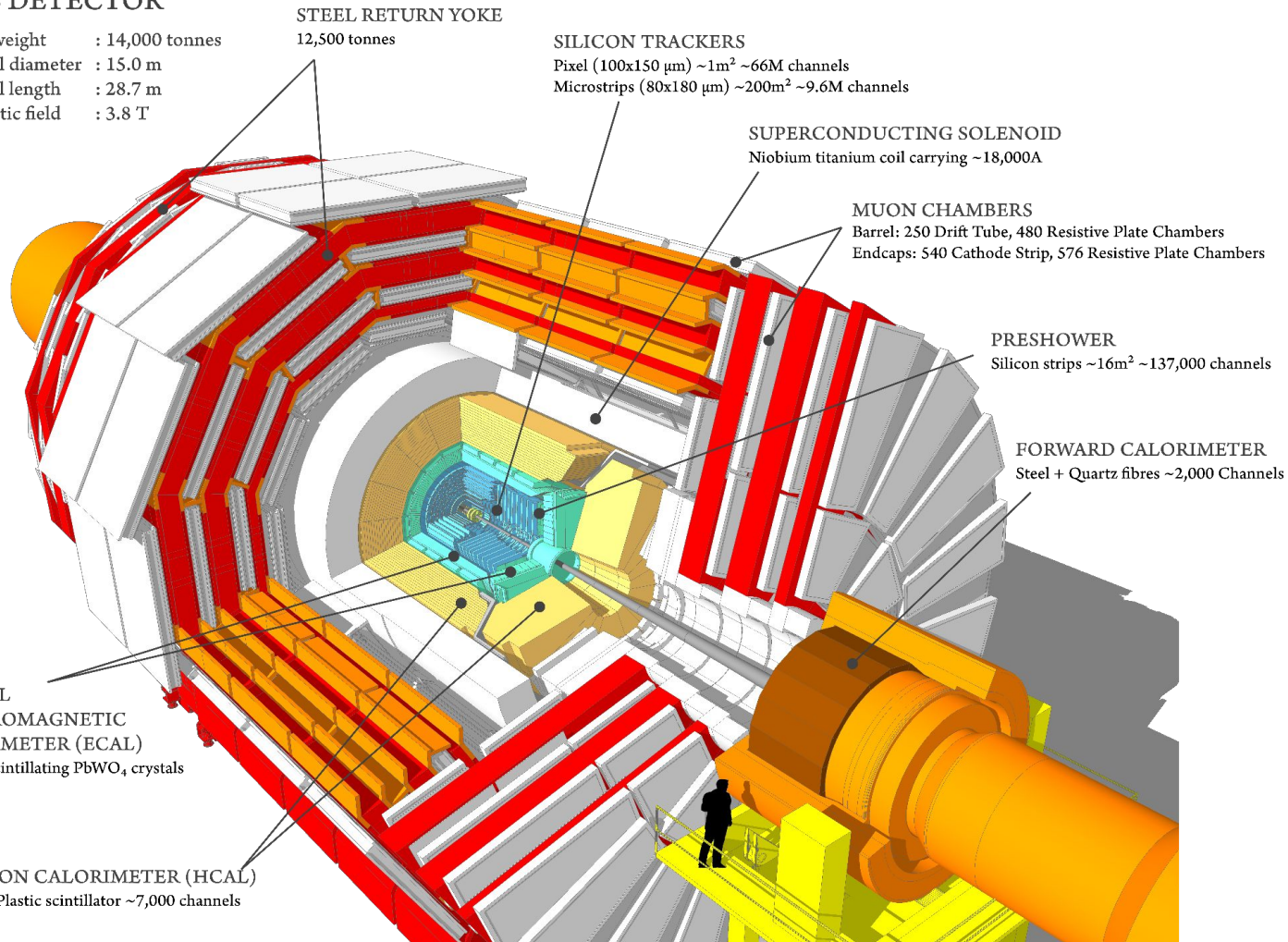
MUON CHAMBERS
Barrel: 250 Drift Tube, 480 Resistive Plate Chambers
Endcaps: 540 Cathode Strip, 576 Resistive Plate Chambers

PRESHOWER
Silicon strips $\sim 16\text{m}^2 \sim 137,000$ channels

FORWARD CALORIMETER
Steel + Quartz fibres $\sim 2,000$ Channels

CRYSTAL
ELECTROMAGNETIC
CALORIMETER (ECAL)
 $\sim 76,000$ scintillating PbWO_4 crystals

HADRON CALORIMETER (HCAL)
Brass + Plastic scintillator $\sim 7,000$ channels





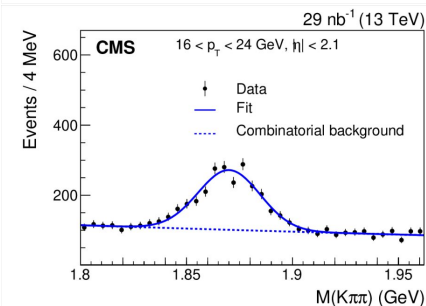
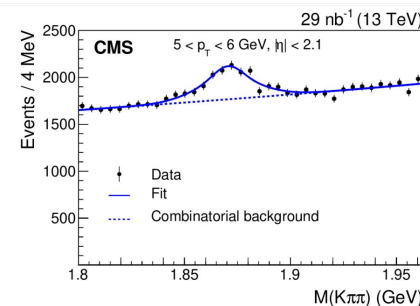
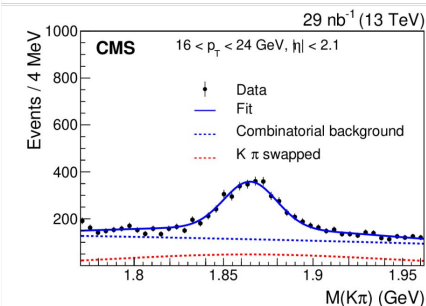
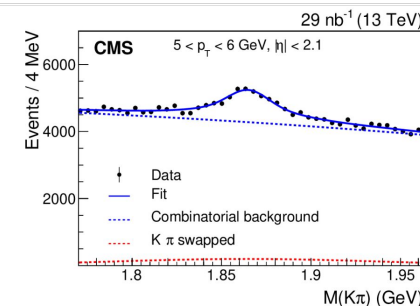
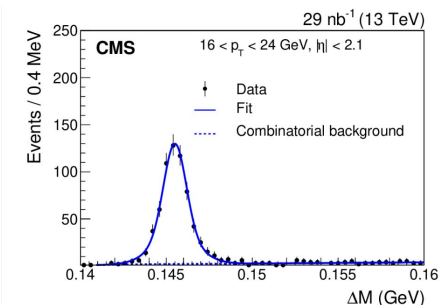
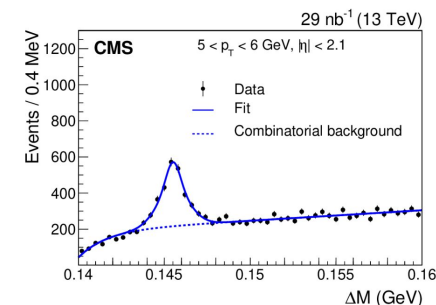
CMS-BPH-18-003



CERN-EP-2021-085
2021/12/10

Measurement of prompt open-charm production cross sections in proton-proton collisions at $\sqrt{s} = 13$ TeV

The CMS Collaboration*



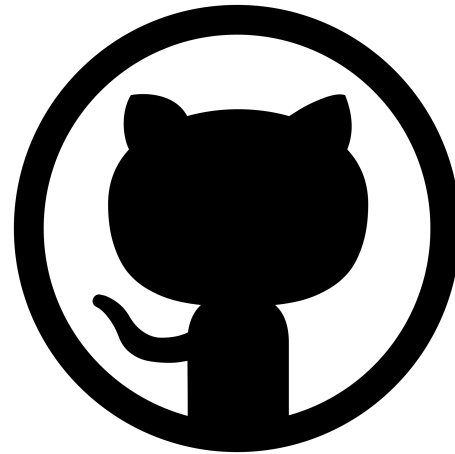
Canales de decaimiento

Nombre de la partícula	Símbolo de la partícula	Símbolo de la antipartícula	Quarks que contiene	Masa en reposo (MeV/c ²)	I ^G	J ^{PC}	S	C	B'	Tiempo de vida medio (s)	Desintegraciones frecuentes (>5% de desintegraciones)
→ Mesón D	D ⁺	D ⁻	c \bar{d}	1869.62 ± 0.20	1/2	0 ⁻	0	+1	0	(1.040 ± 0.007) × 10 ⁻¹²	
→ Mesón D extraño	D ⁺ _s	D ⁻ _s	c \bar{s}	1968.47 ± 0.33	0	0 ⁻	+1	+1	0	(5.00 ± 0.07) × 10 ⁻¹³	
→ Mesón D	D ⁰	\bar{D}^0	c \bar{u}	1864.84 ± 0.17	1/2	0 ⁻	0	+1	0	4.101 ± 0.015 × 10 ⁻¹³	
→ Mesón D	D ^{*+} (2010)	D [*] (2010)	c \bar{d}	2010.27.62 ± 0.17	1/2	1 ⁻	0	+1	0	6.9 ± 1.9 × 10 ⁻²¹	D ⁰ + π^+ D ⁺ + π^0
Mesón D	D ^{*0} (2007)	\bar{D}^{*0} (2007)	c \bar{u}	2006.97 ± 0.19	1/2	1 ⁻	0	+1	0	>3.1 × 10 ⁻²²	D ⁰ + π^0 D ⁰ + γ

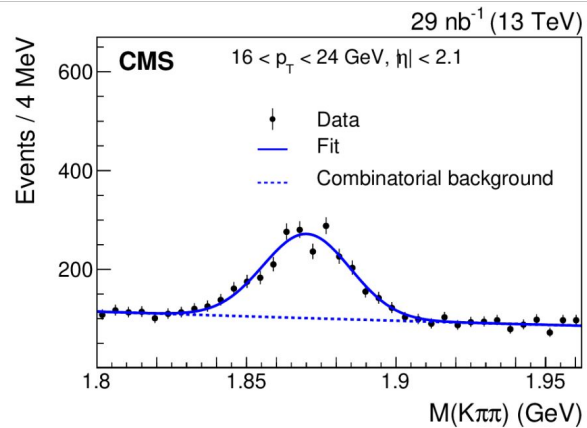
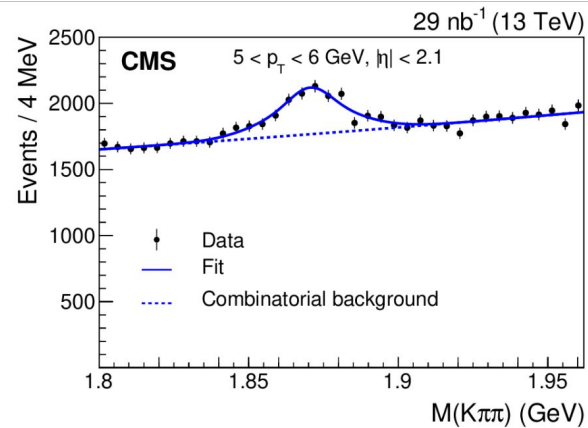
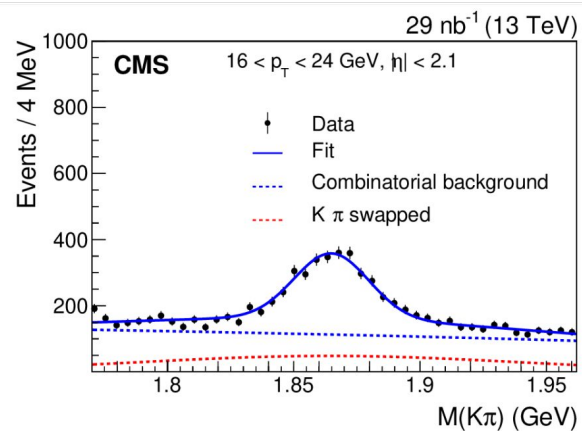
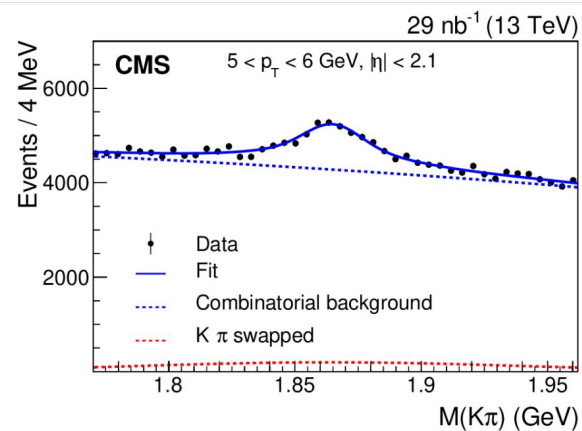
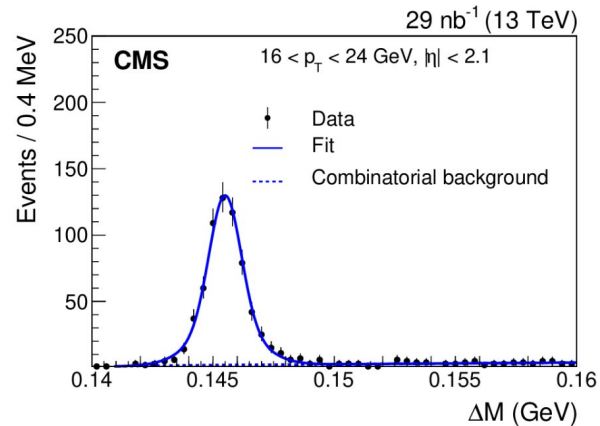
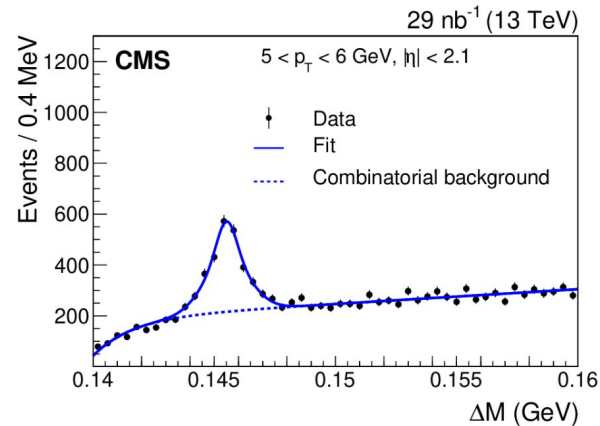
- $pp \rightarrow D^{*+} X \rightarrow D^0 \pi_s^+ X \rightarrow K^- \pi^+ \pi_s^+ X,$
- $pp \rightarrow D^0 X \rightarrow K^- \pi^+ X,$
- $pp \rightarrow D^+ X \rightarrow K^- \pi^+ \pi^+ X,$

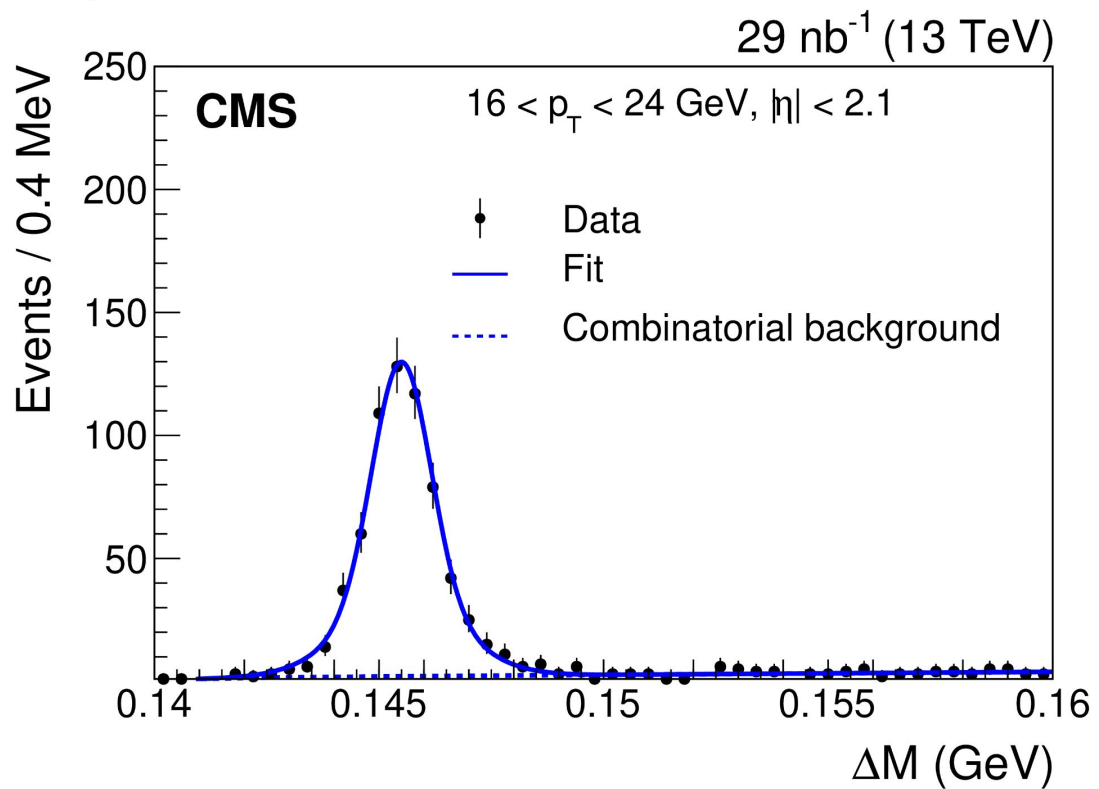
$$\Delta M = m(K\pi\pi_s^+) - m(K\pi)$$

Repositorio:

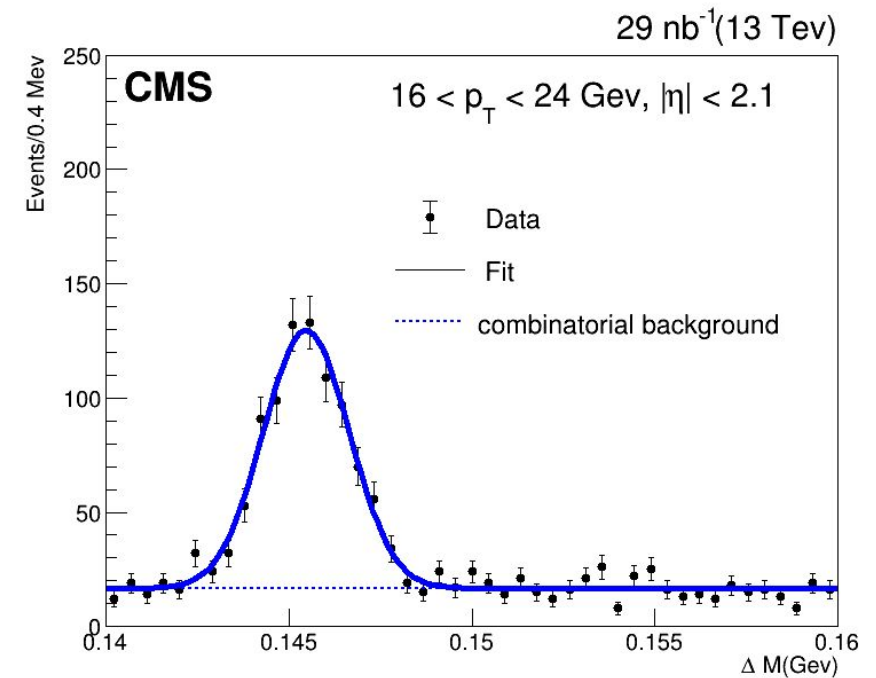


github.com/JEOspina25/Proyecto_BigData





Original



Reconstruida

Reconstrucción

```
// Declare variables x,mean,sigma, c
RooRealVar x("x", "x", 0.14, 0.16);
RooRealVar mean("mean", "mean of gaussian", 0.1455, 0.14, 0.16);
RooRealVar sigma("sigma", "width of gaussian", 0.0012, 0, 0.2);
RooGaussian gauss("gauss", "gaussian PDF", x, mean, sigma);

RooRealVar c("c","c",0,-1,1);
RooPolynomial bkg1("bkg1","Background",x,RooArgSet(c),2);

//Pesos de Background y señal
RooRealVar Ns("Ns","Ns",0.,500);
RooRealVar Nb("Nb","Nb",0.,500);
//Modelo para la masa
RooAddPdf MassModel("MassModel","MassModel",RooArgList(gauss,bkg1),RooArgList(Ns,Nb));
```

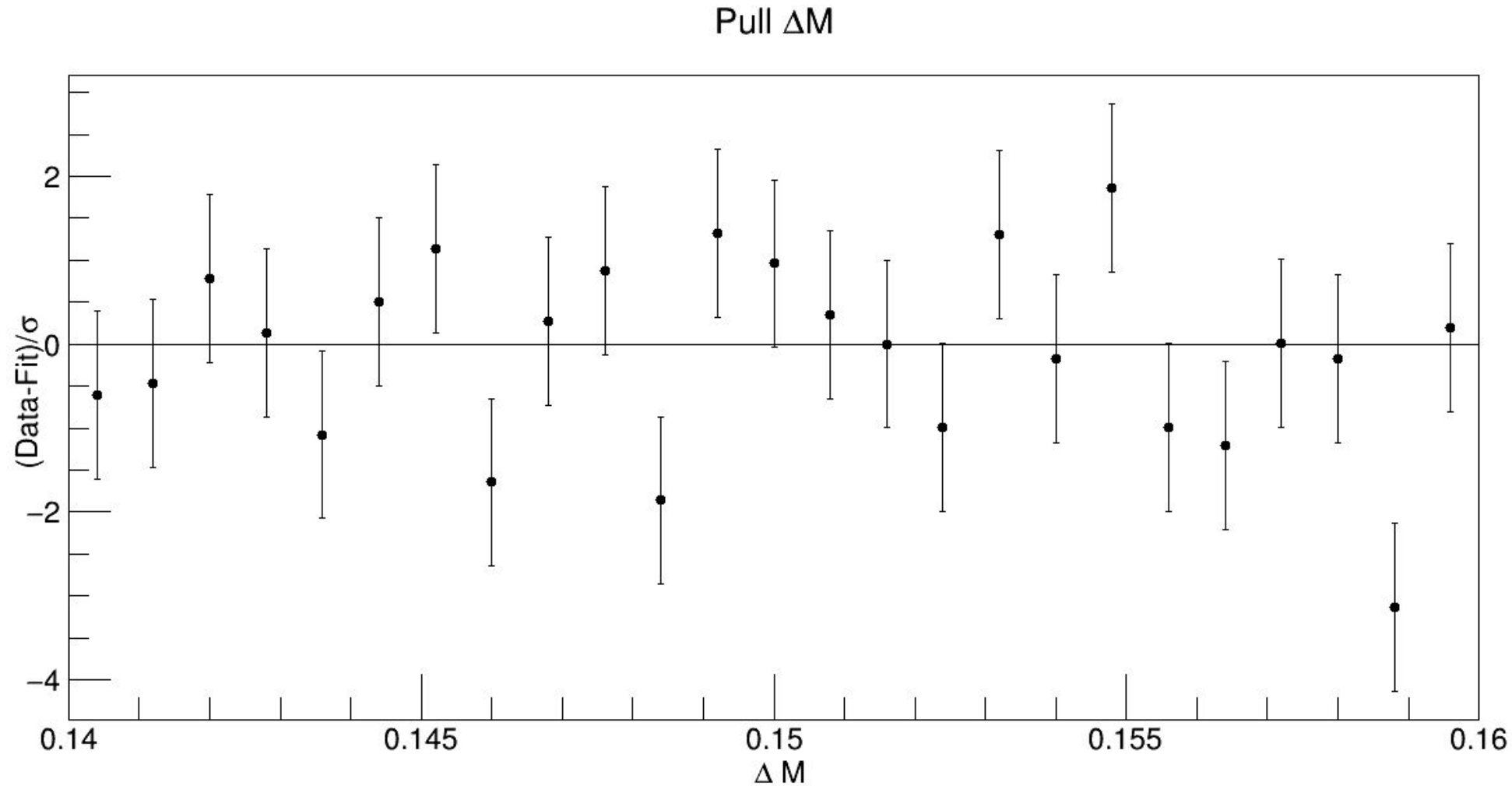

Reconstrucción

```
// Generate a dataset of events in x from MassModel
RooDataSet *data = MassModel.generate(x, datos);

// Fit pdf to data
RooFitResult* fitres = MassModel.fitTo(*data,Extended(),Minos(kFALSE),Save(kTRUE), NumCPU(4));
RooPlot *xframe2 = x.frame();
```

```
//Pull
RooPlot* Mframe = x.frame(0.14,0.16,((0.16-0.14)/0.0008)+1);
data->plotOn(Mframe,DataError(RooAbsData::SumW2),MarkerSize(1.0),XErrorSize(0));
MassModel.plotOn(Mframe,DrawOption("F"),FillColor(0),LineWidth(2),Name("fittotal"));
RooHist* hpullm2 = Mframe->pullHist() ;
```

Pull al modelo de masa



Montecarlo

```

for(Int t n=0;n<ntotal;n++)
{
// cout<<"entro"<<endl;
mean.setVal(0.145);
mean.setError(0.000055);
width.setVal(0.0012);
c.setVal(0.0001);
Ns.setVal(1500);
Ns.setError(0.995);
Nb.setVal(500);
mui = 0.145;
nsi = 500;

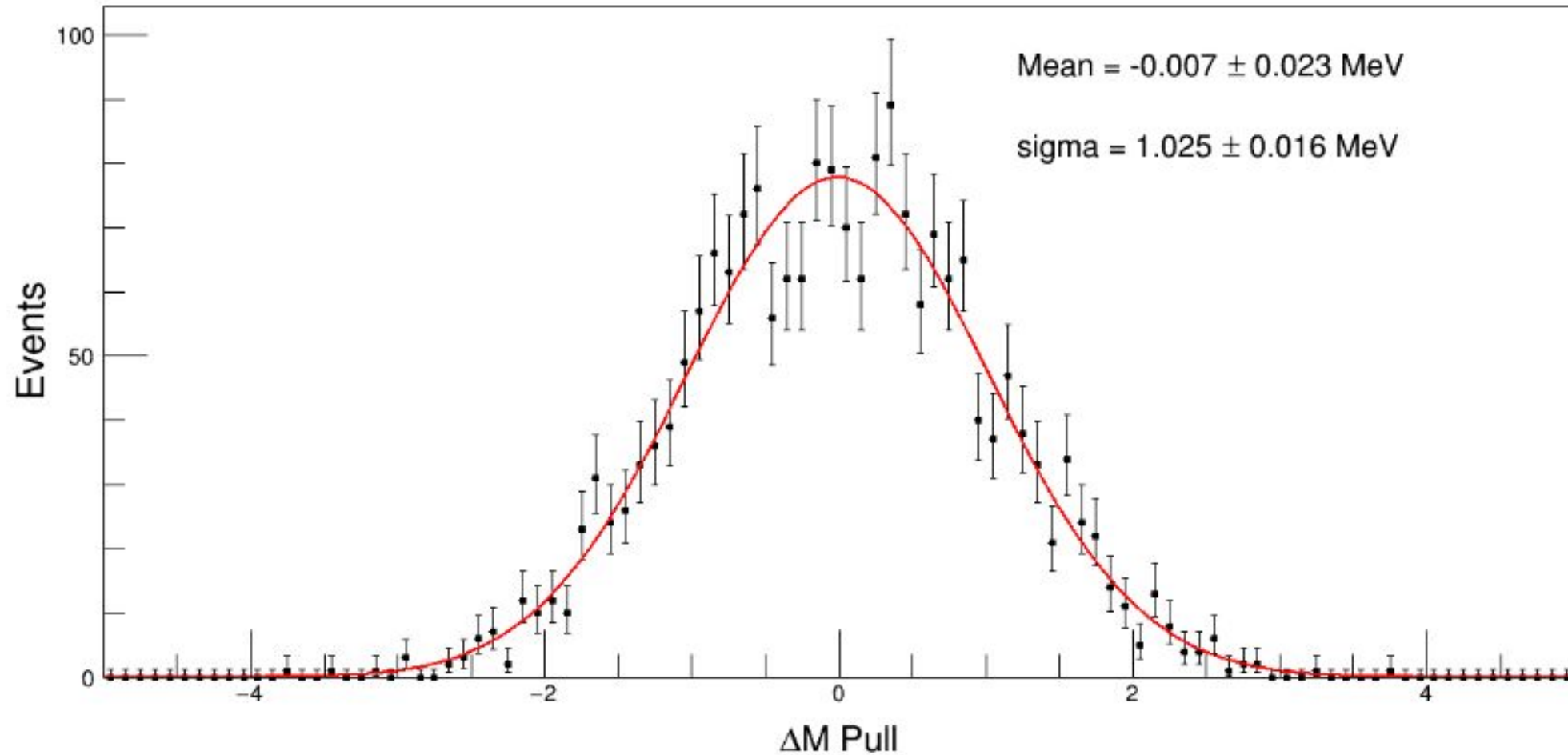
//Generar montecarlo
RooDataSet *dataToy = MassModel.generate(RooArgSet(M), Extended(kTRUE));

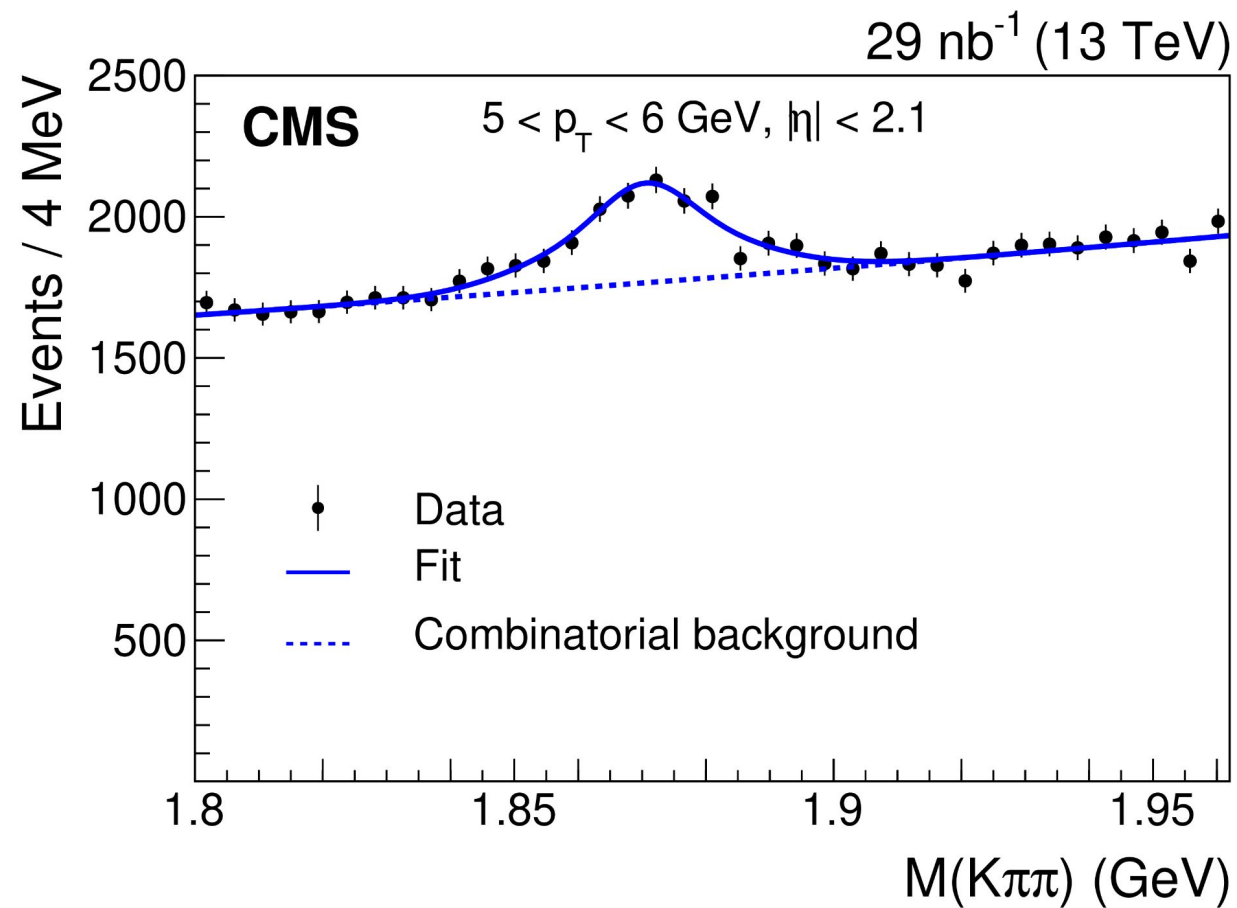
//Fit a estos datos
RooFitResult* fitres = MassModel.fitTo(*dataToy,Extended(),Minos(kFALSE),Save(kTRUE), NumCPU(6));

tree->Fill();

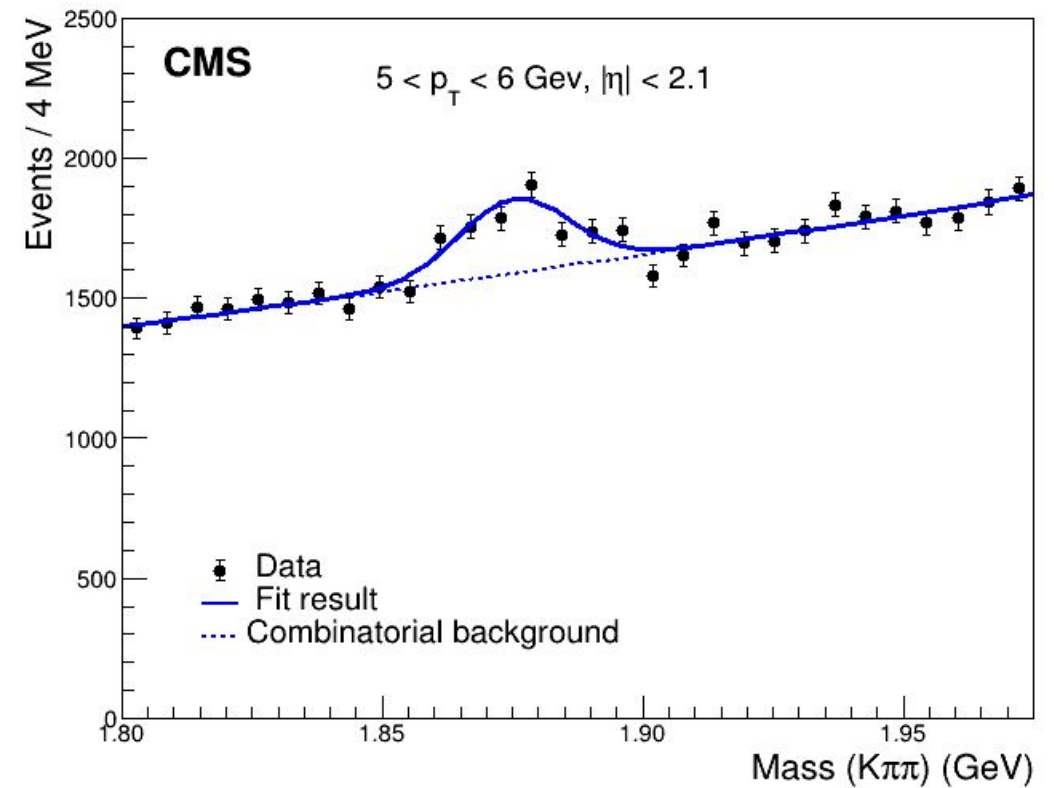
```

Montecarlo





Original



Reconstruida

Reconstrucción

```
// Variables a usar
RooRealVar M("M", "Mass (K#pi#pi) (GeV)", Mmin, Mmax);
// -Parámetros Señal-
RooRealVar mean("mean", " Mass mean", 1.875, 1.7, 1.9, "GeV");
// Gausiana 1
RooRealVar width("width", " Mass width", 0.010, 0.001, 0.012, "GeV"); // Sigma1
RooGaussian Sig("Sig", " Signal PDF", M, mean, width);
// Gausiana 2
RooRealVar width2("width2", " Mass width2 ", 0.015, 0.001, 0.05, "GeV"); // Sigma2
RooGaussian Sig2("Sig2", " Signal PDF B", M, mean, width2);
// -Parámetros Background-
RooRealVar c0("c0", "c0", 0.0, 10000.0);
RooRealVar c1("c1", "c1", 0.0, 1.0);
RooPolynomial Bkg("Bkg", "Exp. Background", M, RooArgList(c0, c1), 3);
// Cantidad de datos por cada componente
RooRealVar Ns("Ns", "Ns", 0., 500);
RooRealVar Nb("Nb", "Nb", 1500., 20000);
RooRealVar fs("fs", "fs", 10, 0., 1.);
// Suma de las dos gaussianas
RooAddPdf Sumgaus("sumgau", "sumgau", RooArgList(Sig, Sig2), RooArgList(fs));
// Modelo de masa (2 Gaussianas + Exponencial)
RooAddPdf MassModel("MassModel", "MassModel", RooArgList(Sumgaus, Bkg), RooArgList(Ns, Nb));
```

Reconstrucción

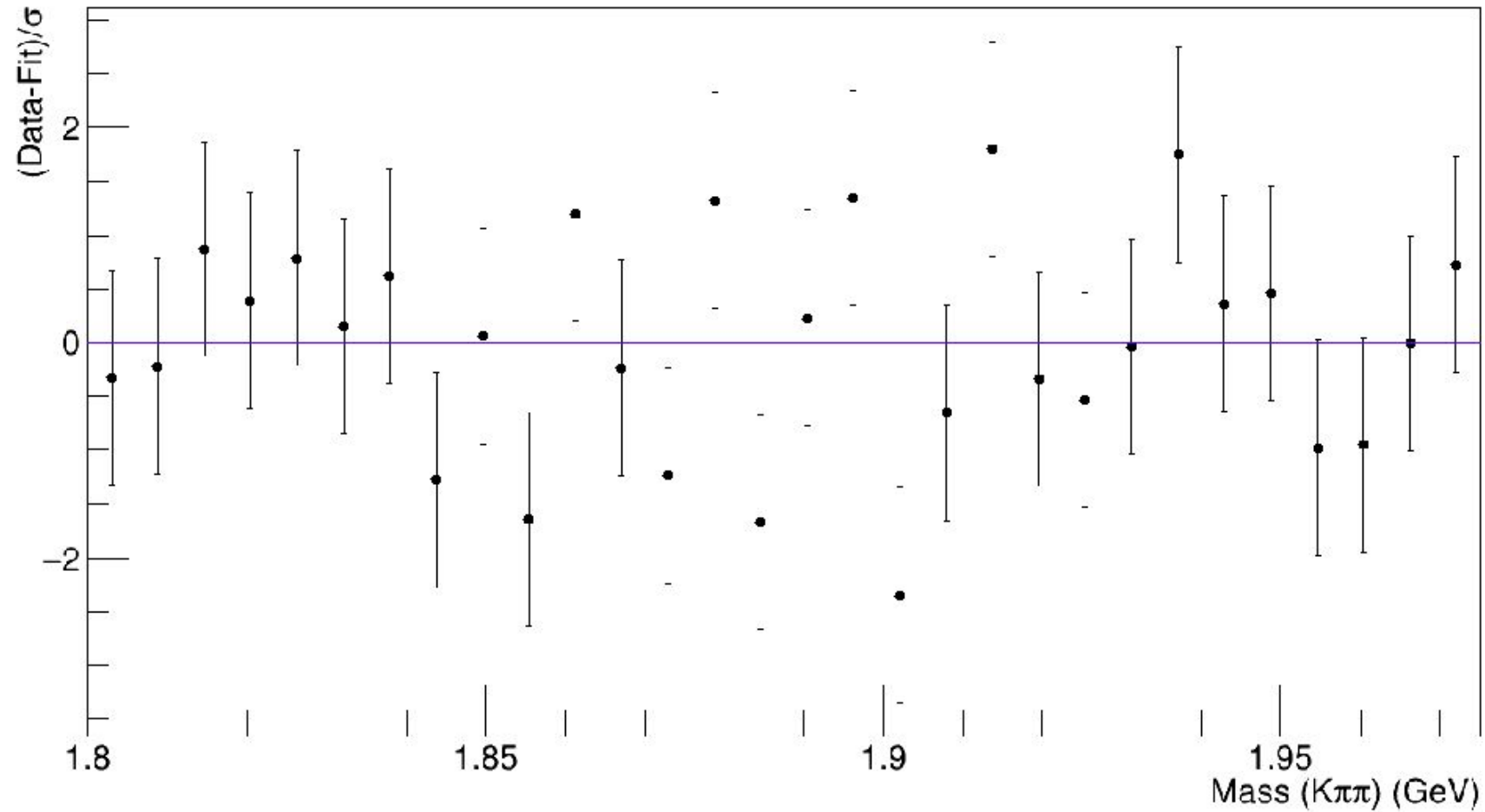
```
// Generación
RooDataSet* Data_M = MassModel.generate(M,datos);
// ---- Fitting ----
RooFitResult* ResultFit = MassModel.fitTo(*Data_M,Extended(),Minos(kFALSE),Save(kTRUE));
```

```
// Creando frame
RooPlot* Mframe = M.frame(infM,supM,nbin);
// Se dibujan los datos y el ajuste
Data_M->plotOn(Mframe,DataError(RooAbsData::SumW2),MarkerSize(1.0),XErrorSize(0));
MassModel.plotOn(Mframe,DrawOption("F"),FillColor(0),LineWidth(2),Name("fittotal"));

// Histograma Pull
RooHist* hpullm2 = Mframe->pullHist();
```

Pull al modelo de masa

Pull $K\pi\pi$ M



Implementación en una Clase de Root

Muchas gracias

