

RL: Policy Search

The Big Picture

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Automated
Machine Learning
Hannover

Policy-Based Reinforcement Learning

- In the last lecture we approximated the value or action-value function using parameters \mathbf{w} ,

$$V_{\mathbf{w}}(s) \approx V^{\pi}(s)$$

$$Q_{\mathbf{w}}(s, a) \approx Q^{\pi}(s, a)$$

- A policy was generated directly from the value function
 - ▶ e.g., using ϵ -greedy
- Now, we will directly parametrize the policy, and will typically use θ to show parameterization:

$$\pi_{\theta}(s, a) = \mathbb{P}[a \mid s; \theta]$$

- Goal is to find a policy π with the highest value function V^{π}
- We will focus again on model-free reinforcement learning

Value-Based and Policy-Based RL

- Value-based
 - ▶ Learn Value function
 - ▶ implicit policy (e.g., ϵ -greedy)
- Policy-based
 - ▶ No explicit value function
 - ▶ learnt policy
- Actor-Critic
 - ▶ Learn Value Function
 - ▶ Learn Policy

Types of Policies to Search Over

- So far have focused on deterministic policies
- Now we are thinking about direct policy search in RL, will focus heavily on stochastic policies

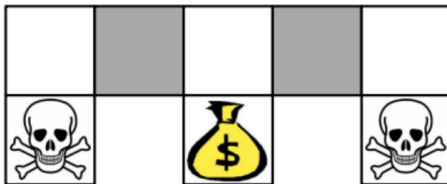
Example: Rock-Paper-Scissors

- Two-player game of rock-paper-scissors
 - ▶ Scissors beats paper
 - ▶ Rock beats scissors
 - ▶ Paper beats rock
- Let state be history of prior actions (rock, paper and scissors) and if won or lost
- Is deterministic policy optimal? Why or why not?

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 - Is deterministic policy optimal? Why or why not?
- stochastic (random) policy is the Nash equilibrium

Example: Aliased Gridworld (1)



- Consider features of the following form (for all N, E, S, W)

$$\phi(s, a) = 1(s = \text{"wall to N"}, a = \text{"move E"})$$

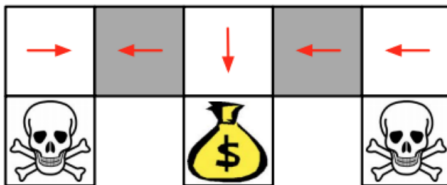
- State representation is not Markov
 - The agent **cannot** differentiate the gray states
- Compare value-based RL, using an approximate value function

$$Q_{\theta}(s, a) = f(\phi(s, a); \theta)$$

- To policy-based RL, using a parametrized policy

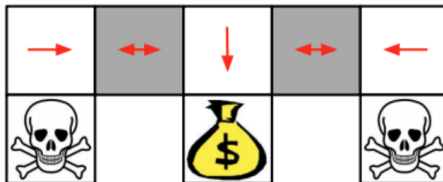
$$\pi_{\theta}(s, a) = g(\phi(s, a); \theta)$$

Example: Aliased Gridworld (2)



- Under aliasing, an optimal **deterministic** policy will either
 - ▶ Move W in both gray states
 - ▶ Move E in both gray states
- Either way, it can get stuck and never reach the money
- Value-based RL learns a near-deterministic policy
- So it will traverse the corridor for a long time

Example: Aliased Gridworld (3)



- An optimal **stochastic** policy will randomly move E or W in grey states

$$\pi_{\theta}(\text{wall to N and S, move E}) = 0.5$$

$$\pi_{\theta}(\text{wall to N and S, move W}) = 0.5$$

- It will reach the goal state in a few steps with high probability
- Policy-based RL can learn the optimal stochastic policy

Policy Objective Functions

- Goal: given a policy $\pi_\theta(s, a)$ with parameters θ , find best θ^*
- But how do we measure the quality for a policy π_θ
- In episodic environments, we can use policy value at start state $V(s_0, \theta)$
- For simplicity, we will mostly discuss the episodic case