RL: Introduction

What drives us?

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Winter Term 2021

AutoML: Hyperparameters of an SVM



Degree of the polynomial kernel function ('poly'), Ignored by all other kernels,

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The *hyper-parameter optimization (HPO)* problem is to find a hyper-parameter configuration that minimizes this cost:

$$\pmb{\lambda}^* \in \operatorname*{arg\,min}_{\pmb{\lambda} \in \pmb{\Lambda}} c(\mathcal{A}_{\pmb{\lambda}}, \mathcal{D}_{train}, \mathcal{D}_{valid})$$

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- Hard to apply AutoML to RL because
 - ▶ RL agents need a long time to really start learning
 - lacktriangle Learning of RL agents is very noisy \leadsto very noisy signal for AutoML

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- $c: \times D \to \mathbb{R}$ be a cost metric assessing the cost of a conf. policy $\pi \in \Pi$ on $\mathcal{D} \in D$

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the dynamic algorithm configuration problem (DAC) is to obtain a configuration policy $\pi^*: s_t \times \mathcal{D} \mapsto \lambda$ by optimizing its cost across a distribution of datasets:

$$\pi^* \in \underset{\sim}{\operatorname{arg\,min}} \int p(\mathcal{D})c(\pi,\mathcal{D}) \,\mathrm{d}\mathcal{D}$$

indauer ML-RL: Big Picture, Winter Term 2021

RL for Dynamic Algorithm Configuration

- \sim We learn π via RL!
- ▶ We showed that:
 - ▶ Dynamic Algorithm Configuration can be formulated as a RL problem [Biedenkapp et al. 2020]
 - Heuristics of planning solvers can be automatically and dynamically selected [Speck et al. 2020]
 - We can use a teacher (i.e., existing heuristics) to efficiently learn step size settings of CMA-ES [Shala et al. 2020]
 - ▶ We can speed up learning by repeating actions [Biedenkapp et al. 2020]
 - ▶ We can speed up learning by learning an efficient schedule of task instances [Eimer et al. 2020]