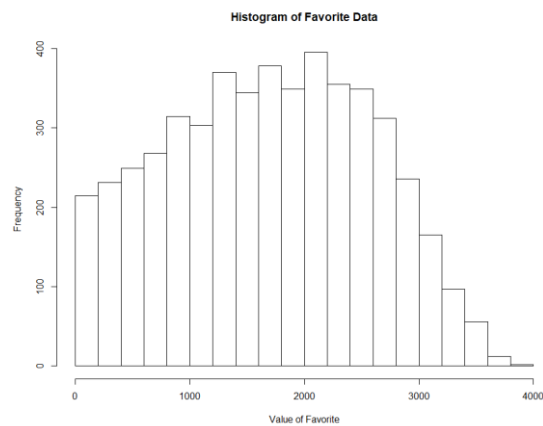
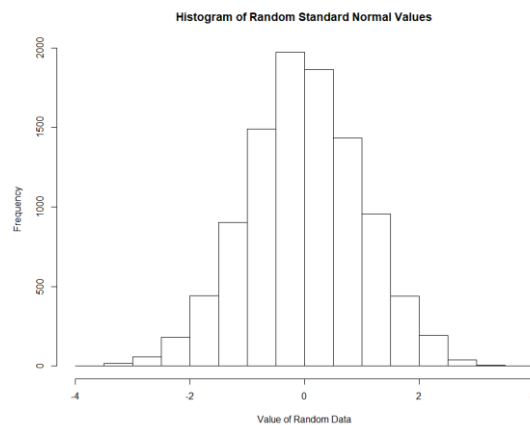


1. The following are the values for problem 1. The code is in the appendix.
  - a. The Mean: 1688.517
  - b. The Median: 1706
  - c. The Standard Deviation: 833.4741
  - d. The minimum value: 2
  - e. The maximum value: 3907
  - f. A histogram of the data:



2. Using R, 10,000 values were randomly generated from a standard normal distribution with seed set to 1. The code is in the appendix.
  - a. A histogram of the data



- b. Mean: -0.006537039, Median: -0.01592883, Standard Deviation: 1.012356
3. Both vectors 'a' and 'b' were generated using the seq() function. The code is in the appendix.
  - a. 15<sup>th</sup> element: 5,475, 16<sup>th</sup> element: 5,760, 17<sup>th</sup> element: 6,035

- b. The following are the elements of 'd' that are greater than 2,000: 2075, 2460, 2835, 3200, 3555, 3900, 4235, 4560, 4875, 5180, 5475, 5760, 6035, 6300, 6555, 6800, 7035, 7260, 7475, 7680, 7875, 8060, 8235, 8400, 8555, 8700, 8835, 8960
  - c. There are 16 elements in 'd' that are larger than 6,000.
4. The function that was created is called 'sum\_perfect\_squares' and it works by first sequencing the numbers from 1 to  $x$ . Then it takes the square root of the array, leaving integers and decimals. The decimals are filtered out by using the modulo operator and finally the remaining values are summed. The code is in the appendix.
  - a. The sum of all the perfect squares between 1 and  $x = 100$ : 385
  - b. The sum of all the perfect squares between 1 and  $x = 100,000$ : 10,568,146
5. The function that was created is called 'find\_perfect\_squares' and it works like the function in problem 4, except it does not sum the numbers and returns the array first instead. The code is in the appendix.

- a. The following are the numbers from 1 to 500 that are perfect squares: 1      4  
9   16   25   36   49   64   81   100   121   144   169   196   225   256  
289   324   361   400   441   484
  - b. Below is the matrix of the data when the input is set to by.row=FALSE

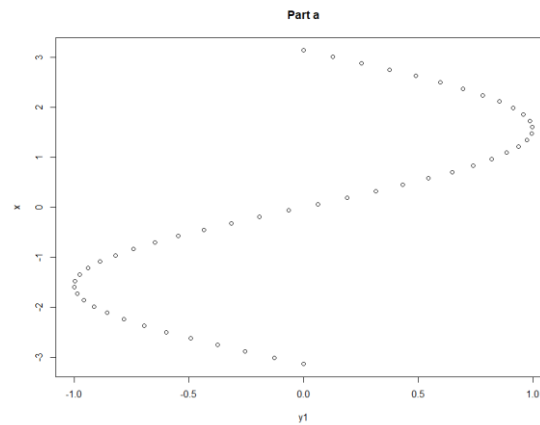
[,1]	[,2]	[,3]	[,4]
[1,]	1	6400	25281 56644
[2,]	4	6561	25600 57121
[3,]	9	6724	25921 57600
[4,]	16	6889	26244 58081
[5,]	25	7056	26569 58564
[6,]	36	7225	26896 59049
[7,]	49	7396	27225 59536
[8,]	64	7569	27556 60025
[9,]	81	7744	27889 60516
[10,]	100	7921	28224 61009
[11,]	121	8100	28561 61504
[12,]	144	8281	28900 62001
[13,]	169	8464	29241 62500
[14,]	196	8649	29584 63001
[15,]	225	8836	29929 63504
[16,]	256	9025	30276 64009

[17,]	289	9216	30625	64516
[18,]	324	9409	30976	65025
[19,]	361	9604	31329	65536
[20,]	400	9801	31684	66049
[21,]	441	10000	32041	66564
[22,]	484	10201	32400	67081
[23,]	529	10404	32761	67600
[24,]	576	10609	33124	68121
[25,]	625	10816	33489	68644
[26,]	676	11025	33856	69169
[27,]	729	11236	34225	69696
[28,]	784	11449	34596	70225
[29,]	841	11664	34969	70756
[30,]	900	11881	35344	71289
[31,]	961	12100	35721	71824
[32,]	1024	12321	36100	72361
[33,]	1089	12544	36481	72900
[34,]	1156	12769	36864	73441
[35,]	1225	12996	37249	73984
[36,]	1296	13225	37636	74529
[37,]	1369	13456	38025	75076
[38,]	1444	13689	38416	75625
[39,]	1521	13924	38809	76176
[40,]	1600	14161	39204	76729
[41,]	1681	14400	39601	77284
[42,]	1764	14641	40000	77841
[43,]	1849	14884	40401	78400
[44,]	1936	15129	40804	78961

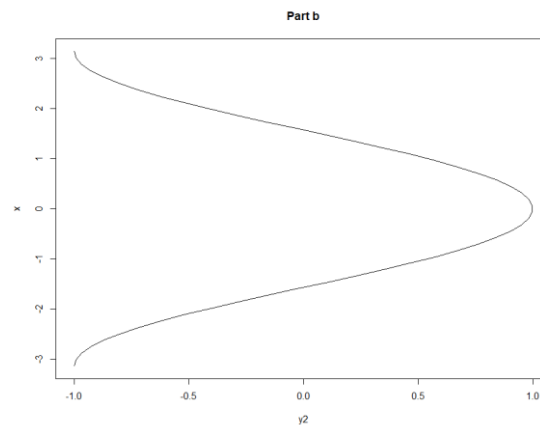
[45,] 2025 15376 41209 79524  
[46,] 2116 15625 41616 80089  
[47,] 2209 15876 42025 80656  
[48,] 2304 16129 42436 81225  
[49,] 2401 16384 42849 81796  
[50,] 2500 16641 43264 82369  
[51,] 2601 16900 43681 82944  
[52,] 2704 17161 44100 83521  
[53,] 2809 17424 44521 84100  
[54,] 2916 17689 44944 84681  
[55,] 3025 17956 45369 85264  
[56,] 3136 18225 45796 85849  
[57,] 3249 18496 46225 86436  
[58,] 3364 18769 46656 87025  
[59,] 3481 19044 47089 87616  
[60,] 3600 19321 47524 88209  
[61,] 3721 19600 47961 88804  
[62,] 3844 19881 48400 89401  
[63,] 3969 20164 48841 90000  
[64,] 4096 20449 49284 90601  
[65,] 4225 20736 49729 91204  
[66,] 4356 21025 50176 91809  
[67,] 4489 21316 50625 92416  
[68,] 4624 21609 51076 93025  
[69,] 4761 21904 51529 93636  
[70,] 4900 22201 51984 94249  
[71,] 5041 22500 52441 94864  
[72,] 5184 22801 52900 95481

```
[73,] 5329 23104 53361 96100
[74,] 5476 23409 53824 96721
[75,] 5625 23716 54289 97344
[76,] 5776 24025 54756 97969
[77,] 5929 24336 55225 98596
[78,] 6084 24649 55696 99225
[79,] 6241 24964 56169 99856
```

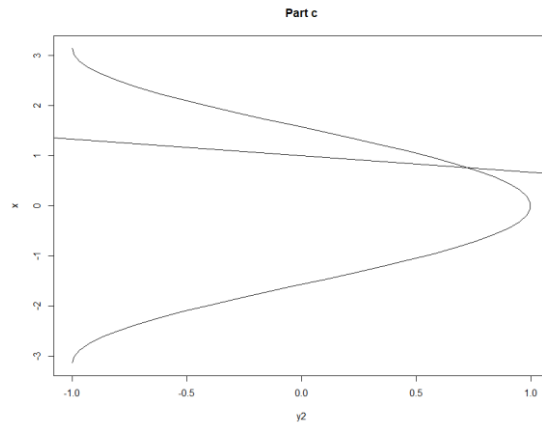
- c. The entry of the above matrix for the 15<sup>th</sup> row and 3<sup>rd</sup> column is 29,929.
6. The variables 'x', 'y1', and 'y2' were created using the seq(), sin(), and cos() functions.
- The code is in the appendix.
- a. Below is a plot of y1 vs. x:



- b. Below is a plot of y2 vs. x:



- c. Below is a plot of y2 vs. x with an intercept line:



Code Appendix:

```
# Problem 1
favorite <- read.table(file = 'favorite.data', header = FALSE)
# part a
mean(favorite[,1])

# part b
median(favorite[,1])

# part c
sd(favorite[,1])

# part d
min(favorite[,1])

# part e
max(favorite[,1])

# part f
hist(favorite[,1], main = 'Histogram of Favorite Data', xlab = 'Value of Favorite')

# Problem 2
set.seed(1)
random_values <- rnorm(n = 10000, mean = 0, sd = 1)

# part a
hist(random_values, main = 'Histogram of Random Standard Normal Values', xlab = 'Value of Random Data')

# part b
mean(random_values); median(random_values); sd(random_values)

# Problem 3
a <- seq(from = 5, to = 160, by = 5); b <- seq(from = 87, to = 56); d <- a * b

# part a
d[15:17]

# part b
```

```

d[d>2000]

# part c
length(d[d>6000])

# Problem 4
sum_perfect_squares <- function(x) {
  sum(which(sqrt(1:x) %% 1 == 0))
}
# part a
sum_perfect_squares(100)

# part b
sum_perfect_squares(100000)

# Problem 5
find_perfect_squares <- function(x) {
  which(sqrt(1:x) %% 1 == 0)
}
# part a
find_perfect_squares(500)

# part b
perfect_squares_matrix <- matrix(find_perfect_squares(100000), ncol = 4)
sink('perfect_squares_matrix.txt')
perfect_squares_matrix
sink()

# part c
perfect_squares_matrix[15, 3]

# Problem 6
x <- seq(from = -pi, to = pi, length.out = 50)
y1 <- sin(x)
y2 <- cos(x)

# part a
plot(y1, x, main = 'Part a')

# part b
plot(y2, x, type = 'l', main = 'Part b')

# part c
plot(y2, x, type = 'l', main = 'Part c')
abline(a = 1, b = -1/3)

```