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\tilde{\rho}_{\lambda} \geq 0, \forall \lambda
	ilde{\chi}_{\mathcal{E}_c} \geq 0
\operatorname{tr}(\tilde{\rho}_{c|v_{0m}}) = \operatorname{tr}(\tilde{\rho}_{c|v_{1m}}), \quad \forall m
3
\chi_{\mathcal{E}} - \tilde{\chi}_{\mathcal{E}_c} \ge 0
function alpha = rsp_alpha(chi_expt)
if chi_expt~=chi_expt'
  error('Input matrix is not a density matrix.')
else
  chi_expt=chi_expt/trace(chi_expt);
end
Not enough input arguments.
Error in rsp_alpha (line 2)
if chi_expt~=chi_expt'
```

define SDP parameters

define v_{λ} and ρ_{λ}

```
for i = 1:2
for j = 1:2
for k = 1:2

    v{i,j,k} = [i,j,k];
        rho_lambda{i,j,k} = sdpvar(2,2,'hermitian','complex');
end
end
end
end
```

define $p(v_{nm}|\lambda)$

for n=1:2

```
for m=1:3
          for i=1:2
          for j=1:2
          for k=1:2
            P_{lambda\_vnm\{i,j,k,n,m\}} = kronDel(n,v\{i,j,k\}(m));
          end
          end
          end
          end
define \tilde{\rho}_{c|v_{nm}} = \sum_{\lambda} p(\lambda|v_{nm})\rho_{\lambda}
          for n=1:2
          for m=1:3
            rho_rcs{n,m} = 0*sdpvar(2,2);
          for i=1:2
          for j=1:2
          for k=1:2
            rho_rcs\{n,m\} = rho_rcs\{n,m\} +
           P_lambda_vnm{i,j,k,n,m}*rho_lambda{i,j,k};
          end
          end
          end
          end
          end
```

construct $\tilde{\chi}_{\mathcal{E}_{a}}$

```
for i=1:2
for j=1:2
    rhoc{i,j}=0*sdpvar(2,2);
end
end
rhoc{1,1}=rho_rcs{1,3};
rhoc{1,2}=rho_rcs{1,1}+sqrt(-1)*rho_rcs{1,2}-
(1+sqrt(-1))*(rho_rcs{1,3}+rho_rcs{2,3})/2;
rhoc{2,1}=rho_rcs{1,1}-sqrt(-1)*rho_rcs{1,2}-(1-
sqrt(-1))*(rho_rcs{1,3}+rho_rcs{2,3})/2;
rhoc{2,2}=rho_rcs{2,3};
for i=1:2
    for j=1:2
        for k=1:2
            for 1=1:2
                chi_Ec(i*2+j*1-2,k*2+1*1-2)=rhoc\{i,k\}(j,l);
            end
         end
```

```
end
end
```

constraits

```
F = [];
\tilde{\rho}_{\lambda} \geq 0, \forall \lambda
            for i = 1:2
            for j = 1:2
             for k = 1:2
                      F = [F, rho\_lambda{i,j,k}>=0];
             end
             end
            end
\tilde{\chi}_{\mathcal{E}_c} \geq 0
            F = [F, chi_Ec >= 0];
\operatorname{tr}(\tilde{\rho}_{c|v_{0m}}) = \operatorname{tr}(\tilde{\rho}_{c|v_{1m}}), \forall m
              [F, trace(rho_lambda{1,1,1}+rho_lambda{1,1,2}+rho_lambda{1,2,1}+rho_lambda{1,2,2})
              [F, trace(rho_lambda{1,1,1}+rho_lambda{1,1,2}+rho_lambda{2,1,1}+rho_lambda{2,1,2})
              [F, trace(rho\_lambda\{1,1,1\}+rho\_lambda\{1,2,1\}+rho\_lambda\{2,1,1\}+rho\_lambda\{2,2,1\})]
\chi_{\mathcal{E}} - \tilde{\chi}_{\mathcal{E}_c} \ge 0
            Fa_expt=[F , chi_expt-chi_Ec >= 0];
minimize \alpha \equiv \min_{\tilde{\chi}_{\mathcal{E}_c}} 1 - \operatorname{tr}(\tilde{\chi}_{\mathcal{E}_c}) via SDP solver
```

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sums=1-trace(chi Ec);

alpha=double(sums);

sol=solvesdp(Fa_expt ,sums)