

Binary Search Tree

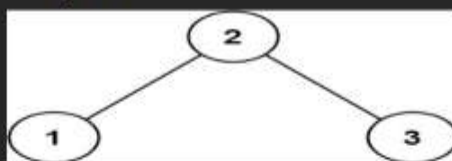
1. Validate Binary Search Tree

Given the `root` of a binary tree, determine if it is a valid binary search tree (BST).

A **valid BST** is defined as follows:

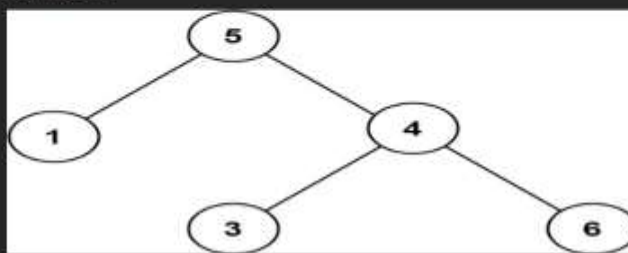
- The left **subtree** of a node contains only nodes with keys **less than** the node's key.
- The right subtree of a node contains only nodes with keys **greater than** the node's key.
- Both the left and right subtrees must also be binary search trees.

Example 1:



Input: root = [2,1,3]
Output: true

Example 2:



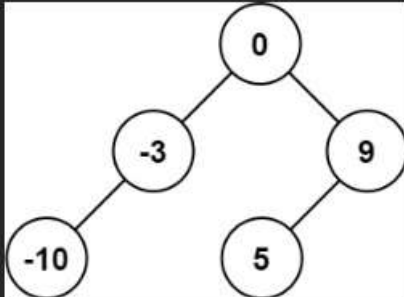
Input: root = [5,1,4,null,null,3,6]
Output: false
Explanation: The root node's value is 5 but its right child's value is 4.

```
*/  
class Solution {  
    public boolean isValidBST(TreeNode root) {  
        return valid(root,null,null);  
    }  
    public boolean valid(TreeNode root,TreeNode min,TreeNode max){  
        if(root==null){  
            return true;  
        }  
        if(min !=null && root.val<=min.val){  
            return false;  
        }  
        if(max !=null && root.val>=max.val){  
            return false;  
        }  
        return valid(root.left,min,root) && valid(root.right,root,max);  
    }  
}
```

2. Converted sorted array to BST

Given an integer array `nums` where the elements are sorted in **ascending order**, convert it to a **height-balanced** binary search tree.

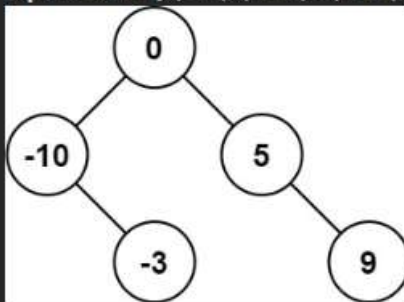
Example 1:



Input: `nums = [-10,-3,0,5,9]`

Output: `[0,-3,9,-10,null,5]`

Explanation: `[0,-10,5,null,-3,null,9]` is also accepted:



```
class Solution {
    public TreeNode sortedArrayToBST(int[] nums) {
        if(nums.length==0){
            return null;
        }

        return helper(nums,0,nums.length-1);
    }
    public TreeNode helper(int nums[],int low,int high){
        if(low>high){
            return null;
        }
        int mid=(low+high)/2;
        TreeNode node=new TreeNode(nums[mid]);
        node.left=helper(nums,low,mid-1);
        node.right=helper(nums,mid+1,high);

        return node;
    }
}
```

3.Flatten BST to sorted List

You are given a **Binary Search Tree (BST)** with **n** nodes, each node has a distinct value assigned to it. The goal is to flatten the tree such that, the **left child** of each element points to nothing (**NULL**), and the **right child** points to the next element in the sorted list of elements of the **BST** (look at the examples for clarity). You must accomplish this **without using any extra storage**, except for recursive calls, which are allowed.

Note: If your **BST** does have a **left child**, then the system will print a **-1** and will skip it, resulting in an **incorrect solution**.

Example 1:

Input:



Output: 2 3 4 5 6 7 8

Explanation:

After flattening, the tree looks like this:



Here, left of each node points to NULL and right contains the next node.

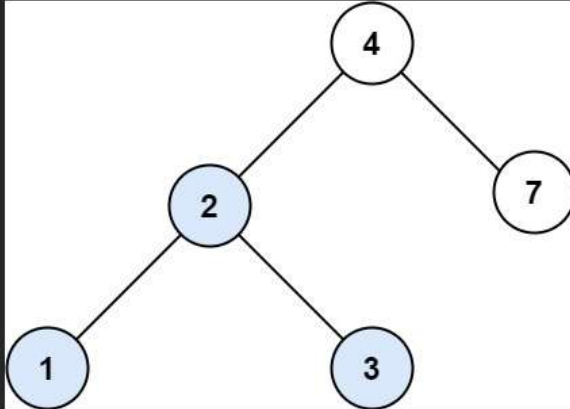
```
8 // BST Function Template for Java
79 class Solution {
80     public Node flattenBST(Node root) {
81         // Code here
82         if(root == null){
83             return null;
84         }
85
86         Node head = flattenBST(root.left);
87         root.left = null;
88
89         Node temp = head;
90         if(temp == null){
91             head = root;
92         } else {
93             while(temp != null && temp.right != null){
94                 temp = temp.right;
95             }
96             temp.right = root;
97         }
98
99         root.right = flattenBST(root.right);
100
101         return head;
102     }
103 }
104
```

4.Search in Binary Search Tree

You are given the `root` of a binary search tree (BST) and an integer `val`.

Find the node in the BST that the node's value equals `val` and return the subtree rooted with that node. If such a node does not exist, return `null`.

Example 1:



Input: `root = [4,2,7,1,3]`, `val = 2`

Output: `[2,1,3]`

```
5 | 7
6 | class Solution {
7 |     public TreeNode searchBST(TreeNode root, int val) {
8 |
9 |         if(root==null || root.val==val){
10 |             return root;
11 |         }
12 |         if(root.val>val){
13 |             return searchBST(root.left,val);
14 |         }else{
15 |             return searchBST(root.right,val);
16 |         }
17 |     }
18 | }
```

5.Preorder Traversal and Bst

Given an array `arr[]` of size `N` consisting of **distinct** integers, write a program that returns **1** if given array can represent preorder traversal of a possible BST, else returns **0**.

Example 1:

Input:

`N = 3`

`arr = {2, 4, 3}`

Output: 1

Explanation: Given `arr[]` can represent preorder traversal of following BST:

```
  2
   \
    4
   /
  3
```

Example 2:

Input:

`N = 3`

`Arr = {2, 4, 1}`

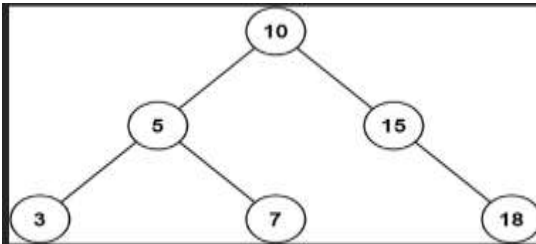
Output: 0

Explanation: Given `arr[]` cannot represent preorder traversal of a BST.

```
9 // User function Template for Java
10
11 class Solution {
12     static int canRepresentBST(int arr[], int n) {
13         // code here
14         Stack<Integer> st = new Stack<>();
15         int root = -1;
16         for(int i=0;i<n;i++) {
17             if(arr[i]<root) return 0;
18             while(!st.empty() && arr[i]>st.peek()) {
19                 root = st.peek();
20                 st.pop();
21             }
22             st.push(arr[i]);
23         }
24         return 1;
25     }
26 }
```

6.Range Sum of BST

Given the root node of a binary search tree and two integers low and high, return the sum of values of all nodes with a value in the inclusive range [low, high].

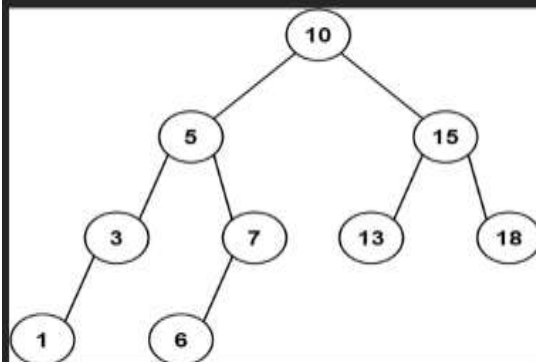


Input: root = [10,5,15,3,7,null,18], low = 7, high = 15

Output: 32

Explanation: Nodes 7, 10, and 15 are in the range [7, 15]. $7 + 10 + 15 = 32$.

Example 2:



Input: root = [10,5,15,3,7,13,18,1,null,6], low = 6, high = 10

Output: 23

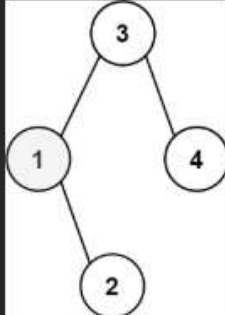
Explanation: Nodes 6, 7, and 10 are in the range [6, 10]. $6 + 7 + 10 = 23$.

```
5  */
6  class Solution {
7      public int rangeSumBST(TreeNode root, int low, int high) {
8
9          if(root==null){
10             return 0;
11         }
12         int sum=root.val>=low && root.val<=high ? root.val:0;
13
14         if(root.left !=null){
15             sum +=rangeSumBST(root.left,low,high);
16         }
17         if(root.right !=null){
18             sum +=rangeSumBST(root.right,low,high);
19         }
20         return sum;
21     }
22 }
23 }
```

7.Kth Smallest Element in BST

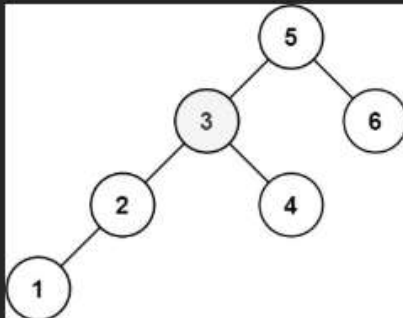
Given the `root` of a binary search tree, and an integer `k`, return the k^{th} smallest value (1-indexed) of all the values of the nodes in the tree.

Example 1:



Input: `root = [3,1,4,null,2]`, `k = 1`
Output: 1

Example 2:



Input: `root = [5,3,6,2,4,null,null,1]`, `k = 3`
Output: 3

```
15 //
16 class Solution {
17     int ans=Integer.MAX_VALUE;
18     int count=1;
19     public int kthSmallest(TreeNode root, int k) {
20         if(root==null){
21             return 0;
22         }
23         kthSmallest(root.left,k);
24         if(count==k){
25             ans=root.val;
26         }
27         count++;
28         kthSmallest(root.right,k);
29         return ans;
30     }
31 }
```

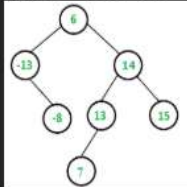
8.Remove BST key outside given range

Given a Binary Search Tree (BST) and a range [min, max], remove all keys which are outside the given range. The modified tree should also be BST.

Example 1:

Input:

Range = [-10, 13]

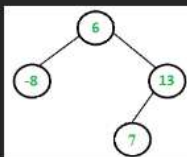


Output:

-8 6 7 13

Explanation:

Nodes with values -13, 14 and 15 are outside the given range and hence are removed from the BST.



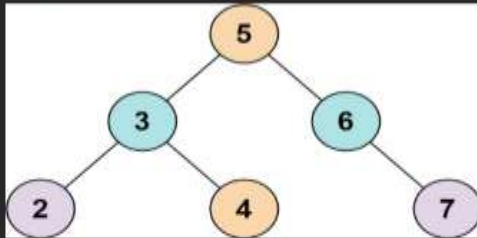
This is the resultant BST and it's inorder traversal is -8 6 7 13.

```
9
0 class Solution {
1     Node removekeys(Node root, int l, int r) {
2         // code here
3         if(root==null){
4
5             return null;
6
7         }
8
9         if(root.data>r){
10
11             return removekeys(root.left,l,r);
12
13         }
14
15         if(root.data<l){
16
17             return removekeys(root.right,l,r);
18
19         }
20
21         root.left=removekeys(root.left,l,r);
22
23         root.right=removekeys(root.right,l,r);
24
25         return root;
26
27     }
28
29 }
```


9.Two Sum IV – Input is a BST

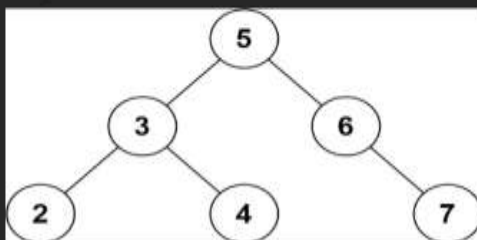
Given the `root` of a binary search tree and an integer `k`, return `true` if there exist two elements in the BST such that their sum is equal to `k`, or `false` otherwise.

Example 1:



Input: `root = [5,3,6,2,4,null,7]`, `k = 9`
Output: `true`

Example 2:



Input: `root = [5,3,6,2,4,null,7]`, `k = 28`
Output: `false`

```
15  */
16  class Solution {
17      public void inOrder(TreeNode node, ArrayList<Integer> list){
18          if(node==null){
19              return;
20          }
21          inOrder(node.left, list);
22          list.add(node.val);
23          inOrder(node.right, list);
24      }
25      public boolean findTarget(TreeNode root, int k) {
26          ArrayList<Integer> list=new ArrayList<>();
27          inOrder(root, list);
28          int left=0;
29          int right=list.size()-1;
30
31          while(left<right){
32              int sum=list.get(left)+list.get(right);
33              if(sum==k){
34                  return true;
35              }else if(sum<k){
36                  left++;
37              }else{
38                  right--;
39              }
40          }
41          return false;
42      }
43  }
44  /*
45  HashSet<Integer> set=new HashSet<>();
```

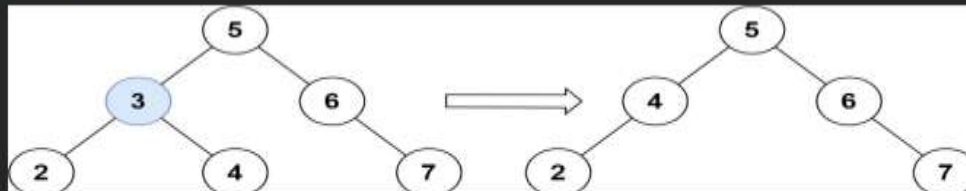
10.Delete node in a BST

Given a root node reference of a BST and a key, delete the node with the given key in the BST. Return *the root node reference (possibly updated) of the BST*.

Basically, the deletion can be divided into two stages:

1. Search for a node to remove.
2. If the node is found, delete the node.

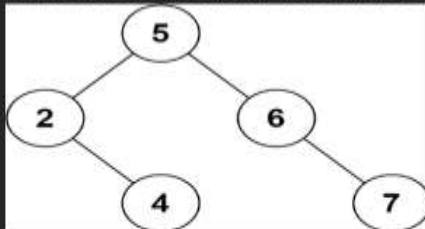
Example 1:



Input: root = [5,3,6,2,4,null,7], key = 3

Output: [5,4,6,2,null,null,7]

Explanation: Given key to delete is 3. So we find the node with value 3 and delete it. One valid answer is [5,4,6,2,null,null,7], shown in the above BST. Please notice that another valid answer is [5,2,6,null,4,null,7] and it's also accepted.



Example 2:

Input: root = [5,3,6,2,4,null,7], key = 0

Output: [5,3,6,2,4,null,7]

Explanation: The tree does not contain a node with value = 0.

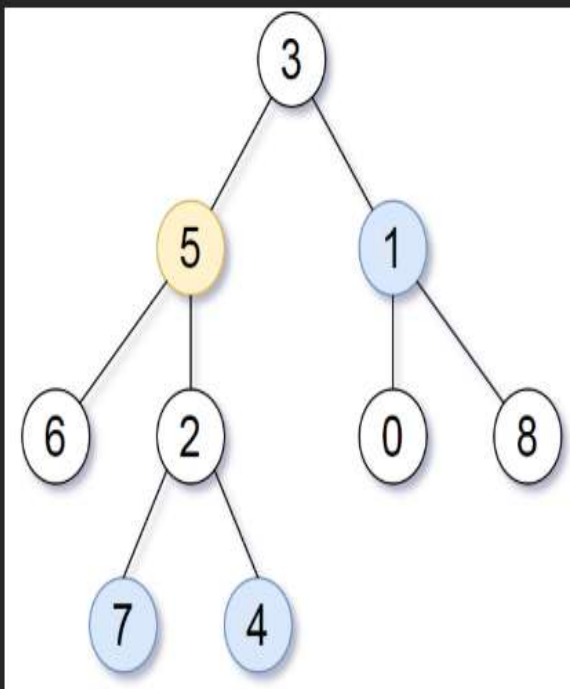
```
15  */
16  class Solution {
17  public:
18      public TreeNode deleteNode(TreeNode root, int key) {
19          if(root==null){
20              return null;
21          }
22          if(key<root.val){
23              root.left=deleteNode(root.left,key);
24          }else if(key>root.val){
25              root.right=deleteNode(root.right,key);
26          }else{
27              if(root.left==null){
28                  return root.right;
29              }else if(root.right==null){
30                  return root.left;
31              }
32              TreeNode min=findMin(root.right);
33              root.val=min.val;
34              root.right=deleteNode(root.right,root.val);
35          }
36          return root;
37      }
38      public TreeNode findMin(TreeNode root){
39          while(root.left!=null){
40              root=root.left;
41          }
42          return root;
43      }
44  }
45 }
```

11.All Node Distance K in Binary Tree

Given the `root` of a binary tree, the value of a target node `target`, and an integer `k`, return an array of the values of all nodes that have a distance `k` from the target node.

You can return the answer in **any order**.

Example 1:



Input: `root = [3,5,1,6,2,0,8,null,null,7,4]`, `target = 5`, `k = 2`

Output: `[7,4,1]`

Explanation: The nodes that are a distance 2 from the target node (with value 5) have values 7, 4, and 1.

Example 2:

Input: `root = [1]`, `target = 1`, `k = 3`

Output: `[]`

```

11 class Solution {
12     public List<Integer> distanceK(TreeNode root, TreeNode target, int K) {
13         // Step 1: Build adjacency list graph
14         Map<TreeNode, List<TreeNode>> graph = new HashMap<>();
15         buildGraph(root, null, graph);
16
17         // Step 2: Perform BFS from the target node
18         Queue<Pair<TreeNode, Integer>> queue = new LinkedList<>();
19         Set<TreeNode> visited = new HashSet<>();
20         List<Integer> result = new ArrayList<>();
21
22         queue.add(new Pair<>(target, 0));
23         visited.add(target);
24
25         while (!queue.isEmpty()) {
26             Pair<TreeNode, Integer> pair = queue.poll();
27             TreeNode node = pair.getKey();
28             int distance = pair.getValue();
29
30             if (distance == K) {
31                 result.add(node.val);
32             }
33
34             if (distance > K) {
35                 break;
36             }
37
38             for (TreeNode neighbor : graph.get(node)) {
39                 if (!visited.contains(neighbor)) {
40                     visited.add(neighbor);
41                     queue.add(new Pair<>(neighbor, distance + 1));
42                 }
43             }
44         }
45
46         return result;
47     }

```

```

45     }
46     return result;
47 }
48
49 private void buildGraph(TreeNode node, TreeNode parent, Map<TreeNode, List<TreeNode>> graph) {
50     if (node == null) {
51         return;
52     }
53
54     if (!graph.containsKey(node)) {
55         graph.put(node, new ArrayList<>());
56     }
57
58     if (parent != null) {
59         graph.get(node).add(parent);
60         graph.get(parent).add(node);
61     }
62
63     buildGraph(node.left, node, graph);
64     buildGraph(node.right, node, graph);
65 }
66 }

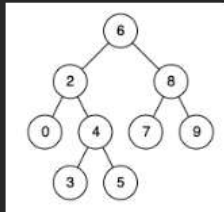
```

12.Lowest Common Ansector of a Binary Search Tree

Given a binary search tree (BST), find the lowest common ancestor (LCA) node of two given nodes in the BST.

According to the [definition of LCA on Wikipedia](#): "The lowest common ancestor is defined between two nodes p and q as the lowest node in T that has both p and q as descendants (where we allow a node to be a descendant of itself)."

Example 1:

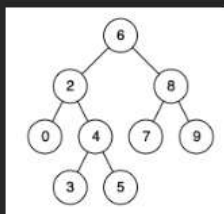


Input: root = [6,2,8,0,4,7,9,null,null,3,5], p = 2, q = 8

Output: 6

Explanation: The LCA of nodes 2 and 8 is 6.

Example 2:



Input: root = [6,2,8,0,4,7,9,null,null,3,5], p = 2, q = 4

Output: 2

Explanation: The LCA of nodes 2 and 4 is 2, since a node can be a descendant of itself according to the LCA definition.

```
9  */
10
11 public class Solution {
12     public TreeNode lowestCommonAncestor(TreeNode root, TreeNode p, TreeNode q) {
13         if(root.val > p.val && root.val > q.val){
14             return lowestCommonAncestor(root.left, p, q);
15         }else if(root.val < p.val && root.val < q.val){
16             return lowestCommonAncestor(root.right, p, q);
17         }else{
18             return root;
19         }
20     }
21 }
```

13.Inorder Succesor in BST

Given a BST, and a reference to a Node **k** in the BST. Find the Inorder Succesor of the given node in the BST. If there is no successor, return -1.

Examples :

Input: root = [2, 1, 3], k = 2



Output: 3

Explanation: Inorder traversal : 1 2 3 Hence, inorder successor of 2 is 3.

Input: root = [20, 8, 22, 4, 12, N, N, N, N, 10, 14], k = 8



Output: 10

Explanation: Inorder traversal: 4 8 10 12 14 20 22. Hence, successor of 8 is 10.

Input: root = [2, 1, 3], k = 3



Output: -1

Explanation: Inorder traversal : 1 2 3 Hence, inorder successor of 3 is null.

```
//
class Solution {
    // returns the inorder successor of the Node x in BST (rooted at 'root')
    public int inorderSuccessor(Node root, Node x) {
        // add code here.
        int successor=-1;
        while(root!=null){
            if(x.data<root.data){
                successor=root.data;
                root=root.left;
            }
            else root=root.right;
        }
        return successor;
    }
}
```

14.Ceil in BST

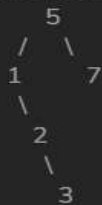
Given a BST and a number **X**, find **Ceil of X**.

Note: Ceil(X) is a number that is either equal to X or is immediately greater than X.

If Ceil could not be found, return -1.

Example 1:

Input: root = [5, 1, 7, N, 2, N, N, N, 3], X = 3



Output: 3

Explanation: We find 3 in BST, so ceil of 3 is 3.

Example 2:

Input: root = [10, 5, 11, 4, 7, N, N, N, N, N, 8], X = 6



Output: 7

Explanation: We find 7 in BST, so ceil of 6 is 7.

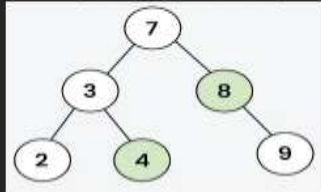
```
09
10~ class Tree {
11     // Function to return the ceil of given number in BST.
12~     int findCeil(Node root, int key) {
13         if (root == null) return -1;
14         // Code here
15         if (root == null) return -1;
16         int ceil=-1;
17~         while(root!=null){
18             if(key==root.data)return root.data;
19~             else if(key<root.data){
20                 ceil=root.data;
21                 root=root.left;
22             }
23             else root=root.right;
24         }
25         return ceil;
26     }
27 }
28
```

15. Pair Sum in BST

Given a Binary Search Tree(BST) and a **target**. Check whether there's a pair of Nodes in the BST with value summing up to the target.

Examples:

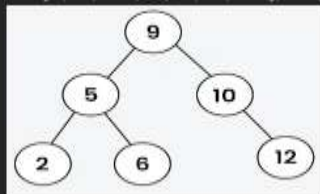
Input: root = [7, 3, 8, 2, 4, N, 9], target = 12



Output: True

Explanation: In the binary tree above, there are two nodes (8 and 4) that add up to 12.

Input: root = [9, 5, 10, 2, 6, N, 12], target = 23



Output: False

Explanation: In the binary tree above, there are no such two nodes exists that add up to 23.

```
class Solution {
    public void inOrder(Node node, ArrayList<Integer> list){
        if(node==null){
            return;
        }
        inOrder(node.left,list);
        list.add(node.data);
        inOrder(node.right,list);
    }
    boolean findTarget(Node root, int target) {
        // Write your code here
        ArrayList<Integer> list=new ArrayList<>();
        inOrder(root,list);

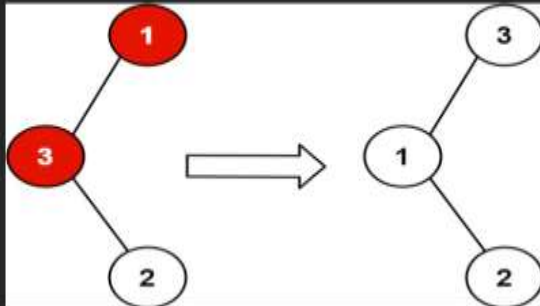
        int left=0;
        int right=list.size()-1;

        while(left<right){
            int sum=list.get(left)+list.get(right);
            if(sum==target){
                return true;
            }else if(sum<target){
                left++;
            }else{
                right--;
            }
        }
        return false;
    }
}
```


16.Recover Binary Search Tree

You are given the `root` of a binary search tree (BST), where the values of **exactly** two nodes of the tree were swapped by mistake. *Recover the tree without changing its structure.*

Example 1:

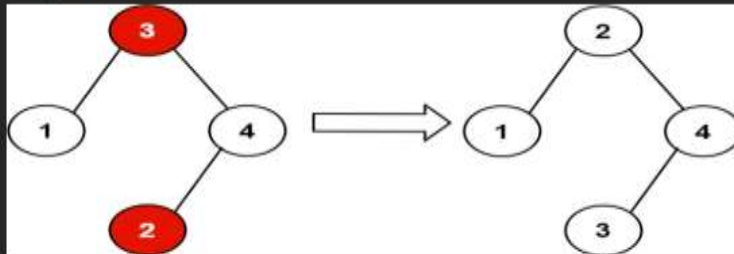


Input: `root = [1,3,null,null,2]`

Output: `[3,1,null,null,2]`

Explanation: 3 cannot be a left child of 1 because $3 > 1$. Swapping 1 and 3 makes the BST valid.

Example 2:



Input: `root = [3,1,4,null,null,2]`

Output: `[2,1,4,null,null,3]`

Explanation: 2 cannot be in the right subtree of 3 because $2 < 3$. Swapping 2 and 3 makes the BST valid.

```
15 */
16 class Solution {
17     TreeNode prev=null,first=null,second=null;
18     void inorder(TreeNode root){
19         if(root==null)
20             return ;
21         inorder(root.left);
22         if(prev!=null&&root.val<prev.val){
23             if(first==null)
24                 first=prev;
25             second=root;
26         }
27         prev=root;
28         inorder(root.right);
29     }
30     public void recoverTree(TreeNode root) {
31         if(root==null)
32             return ;
33         inorder(root);
34         int temp=first.val;
35         first.val=second.val;
36         second.val=temp;
37     }
38 }
```

<https://leetcode.com/problems/serialize-and-deserialize-bst/>**<https://leetcode.com/problems/serialize-and-deserialize-bst/>**