



Bansilal Ramnath Agarwal Charitable Trust's  
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**Title of Assignment:** program to calculate no of nodes, depth and height, no of nodes.

**Date of Performance:** 28/11/2022

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**Problem Statement:** Program to calculate no of nodes, depth and height, no of nodes at level n for binary tree.

**Introduction to Tree Data Structure:** This data structure is a specialized method to organize and store data in the computer to be used more effectively. It consists of a central node, structural nodes, and sub-nodes, which are connected via edges. We can also say that tree data structure has roots, branches, and leaves connected with one another.

The data in a tree are not stored in a sequential manner i.e., they are not stored linearly. Instead, they are arranged on multiple levels or we can say it is a hierarchical structure. For this reason, the tree is considered to be a non-linear data structure.

## Tutorial No. 8

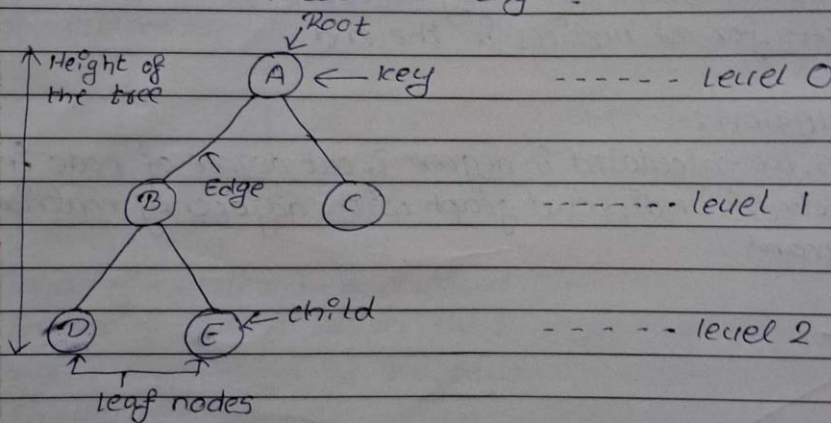
### Problem Statement:-

Write a program to calculate no. of nodes, depth & height, at level  $n$  for binary tree

### Introduction to tree data structure:-

A tree is non linear data structure & a hierarchy consisting of a collection of nodes such that each node of the tree stores a values & a list of reference to other nodes.

This data structure is a specialized method to organize & store data in the computer to be used more effectively. It consists of a central node, structural nodes & sub-nodes, which are connected via edges.



### Basic terminologies:-

- \* **Parent Node:** The node which is a predecessor of a node is called the parent node.
- \* **Child Node:** It is the immediate successor of a node.
- \* **Root Node:** The topmost node of a tree or the node which does not have any parent node. A non-empty tree must contain exactly one root node & exactly one path from the root to all other nodes of the tree.

- \* Leaf node : The nodes which do not have any child nodes.
- \* Ancestor of node : Any predecessor nodes on the path of the root to that node
- \* Descendant : Any successor node on the path from the leaf node to that node.
- \* Sibling : Children of the same parent are called siblings
- \* Level of node : The count of edges on the path from the root node to that node. The root node has level 0.

Properties of a tree:-

- \* No. of edges : An edge can be defined as the connection b/w 2 nodes. If a tree has  $N$  nodes then it will have  $(N-1)$  edges. There is only one path from each node to any other node of the tree.
- \* Depth of a node : It is defined as length of the path from the root to that node. Each edge adds 1 unit of length to the path. So, it can also be defined as the no. of edges in the path from the root of the tree to the node.
- \* Height of a node : It is defined as the length of the longest path from the node to a leaf node of the tree.
- \* Height of the tree : It is length of the longest path from the root of the tree to a leaf node of the tree.
- \* Degree of a node : Total count of subtrees attached to that node is called degree of the node. The degree of a leaf node must be 0. The degree of the tree is the maximum degree of a node among all the nodes in the tree.



### Algorithm:-

#### \* Height:

- i) If tree is empty, print -1
- ii) Otherwise,
  - a) Calculate the height of the left subtree recursively
  - b) Calculate the height of the right subtree recursively
- iii) Update height of the current node by adding 1 to the max. of the two heights obtained in the previous step. Store the height in a variable.
- iv) If the current node is equal to the given node  $k$ , print the value of variable as required answer

#### \* Depth:

- i) If the tree is empty, print -1
- ii) Otherwise, initialise a variable, say  $dist$  as -1
- iii) Check if the node  $k$  is equal to given node.
- iv) Otherwise, check if it is present in either of the subtrees, by recursively checking for the left & right subtrees respectively.
- v) If found to be true, print the value of  $dist + 1$
- vi) Otherwise, print  $dist$

#### \* No. of nodes:

- i) Construct a complete binary tree or take it from user input
- ii) Create a function to count the no. of nodes in tree. It takes root of the tree as an argument & returns the no. of nodes
- iii) If the root is null in the count function, return 0; otherwise, the sum of the no. of nodes in the left, right subtree & one.

Conclusion: Thus, we calculate no. of node, depth & height at level  $n$  for binary tree using program.

Program Input:

C dmtut8.c X

VS Code > C dmtut8.c > ...

```
1  #include <stdio.h>
2  #include <stdlib.h>
3
4  struct node
5  {
6      struct node *lchild;
7      int info;
8      struct node *rchild;
9  };
10 struct node *insert(struct node *ptr, int ikey);
11 void display(struct node *ptr, int level);
12 int NodesAtLevel(struct node *ptr, int level);
13
14
15 int main()
16 {
17     struct node *root=NULL, *root1=NULL,*ptr;
18     int choice,k,item,level;
19
20     while(1)
21     {
22         printf("\n");
23         printf("1.Insert Tree \n");
24         printf("2.Display Tree \n");
25         printf("3.Number of Nodes \n");
26         printf("4.Quit \n");
27         printf("\nEnter your choice: ");
28         scanf("%d",&choice);
```

```
29
30         switch(choice)
31         {
32
33             case 1:
34                 printf("\nEnter the key to be inserted : ");
35                 scanf("%d",&k);
36                 root = insert(root,k);
37                 break;
38
39             case 2:
40                 printf("\n");
41                 display(root,0);
42                 printf("\n");
43                 break;
44
45
46             case 3:
47                 printf("\n");
48                 printf("Enter any level :: ");
49                 scanf("%d",&level);
50                 printf("\n Number of nodes at [ %d ] Level :: %d\n",level,NodesAtLevel(root,level));
51                 break;
52             case 4:
53                 exit(1);
54             default:
55                 printf("\nWrong choice\n");
56
57         }
58     }
59 }
60
61 return 0;
```

```

62 }
63 struct node *insert(struct node *ptr,int ikey)
64 {
65     if(ptr==NULL)
66     {
67         ptr = (struct node*) malloc(sizeof(struct node));
68         ptr->info = ikey;
69         ptr->lchild = NULL;
70         ptr->rchild = NULL;
71     }
72     else if(ikey < ptr->info)
73         ptr->lchild = insert(ptr->lchild ,ikey);
74     else if(ikey > ptr->info)
75         ptr->rchild = insert(ptr->rchild,ikey);
76     else
77         printf("\nDuplicate key\n");
78     return(ptr);
79 }
80 void display(struct node *ptr,int level)
81 {
82     int i;
83     if(ptr==NULL )
84         return;
85     else
86     {
87         display(ptr->rchild,level+1);
88         printf("\n");
89         for (i=0; i< level; i ++ )
90             printf(" ");
91         printf("%d",ptr->info);
92         display(ptr->lchild,level+1);
93     }
94 }
95

```

```

96 int NodesAtLevel(struct node * ptr,int level)
97 {
98     if(ptr==NULL)
99         return 0;
100     if(level==0)
101         return 1;
102     return NodesAtLevel(ptr->lchild,level-1) + NodesAtLevel(ptr->rchild,level-1);
103 }

```

Program Output:

```
PS C:\Users\ABC\Downloads\VS Code> cd "c:\Users\ABC"
```

- 1.Insert Tree
- 2.Display Tree
- 3.Number of Nodes
- 4.Quit

Enter your choice: 1

Enter the key to be inserted : 5

- 1.Insert Tree
- 2.Display Tree
- 3.Number of Nodes
- 4.Quit

Enter your choice: 1

Enter the key to be inserted : 6

- 1.Insert Tree
- 2.Display Tree
- 3.Number of Nodes
- 4.Quit

Enter your choice: 1

Enter the key to be inserted : 8

- 1.Insert Tree
- 2.Display Tree
- 3.Number of Nodes
- 4.Quit

Enter your choice: 2

8  
6  
5

- 1.Insert Tree
- 2.Display Tree
- 3.Number of Nodes
- 4.Quit

Enter your choice: 3

Enter any level :: 2

Number of nodes at [ 2 ] Level :: 1

- 1.Insert Tree
- 2.Display Tree
- 3.Number of Nodes
- 4.Quit

Enter your choice: 4



