# $\label{eq:Week in the constraint} \mbox{Week } \infty$ A Sample TeX SIGma Presentation

Ma, Sig

## Outline

# **Updates!**

#### Weekly updates:

- SIGma is an excellent SIG.
- I'm out of ideas for updates.

# Section 1

Basics

The proof uses reductio ad absurdum.

#### Theorem

There is no largest prime number.

1. Suppose p were the largest prime number.

The proof uses reductio ad absurdum.

#### Theorem

- 1. Suppose p were the largest prime number.
- 2. Let q be the product of the first p primes.

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- 4. But q + 1 is greater than 1, thus divisible by some prime number not in the first p numbers.

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#### Theorem

- 1. Suppose p were the largest prime number.
- 2. Let q be the product of the first p primes.
- 3. Then q + 1 is not divisible by any of them.
- 4. But q + 1 is greater than 1, thus divisible by some prime number not in the first p numbers.
- 5. There exists a prime larger than p.

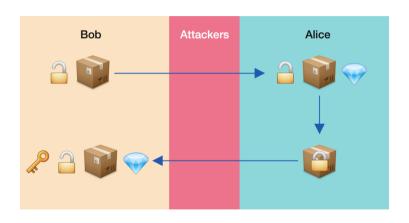
# Section 2

RSA

## Subsection 1

Some Intuition

# **Image**



#### Subsection 2

The Math

## **Key Generation**

- 1. Find primes p, q. Compute n = pq.
- 2. Compute  $\phi = (p-1)(q-1)$ .
- 3. Let e be a number coprime to n.
- 4. Compute  $d = e^{-1} \pmod{\phi}$ .
- 5. (n, e) is the **public key** tuple, d is the **private key**.

## Message Exchange

- 1. To send message m to Alice, Bob computes  $c = m^e \pmod{n}$  using Alice's public key (n, e) and sends c to Alice.
- 2. Alice computes  $m = c^d \pmod{n}$  to recover m.

# Some Math Mode Testing

$$\frac{x^2 + 3}{y^2 + 7}$$

$$\mathcal{L}_{\mathcal{T}}(\vec{\lambda}) = \sum_{(\mathbf{x}, \mathbf{s}) \in \mathcal{T}} \log P(\mathbf{s} \mid \mathbf{x}) - \sum_{i=1}^{m} \frac{\lambda_i^2}{2\sigma^2}$$

$$\int_0^8 f(x) dx$$

# Some Sample Code

# Section 3

Conclusion

