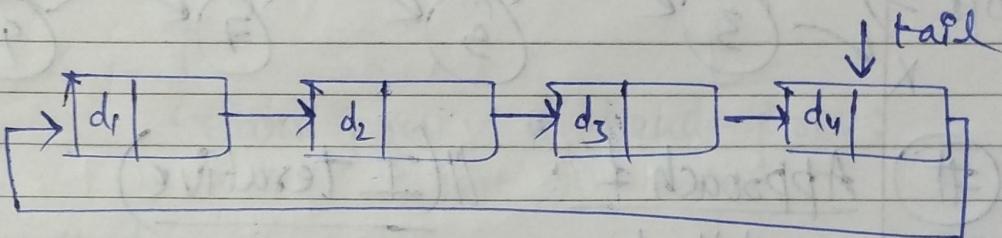


* Circular linked list :

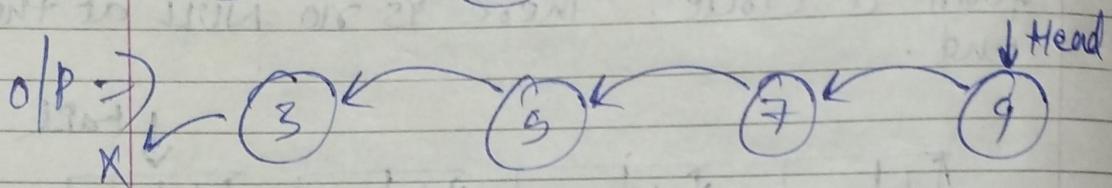
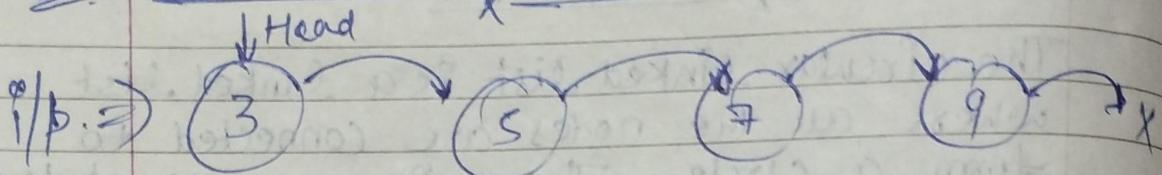
The circular linked list is a linked list where all the nodes are connected to form a circle. There is no NULL at the end.



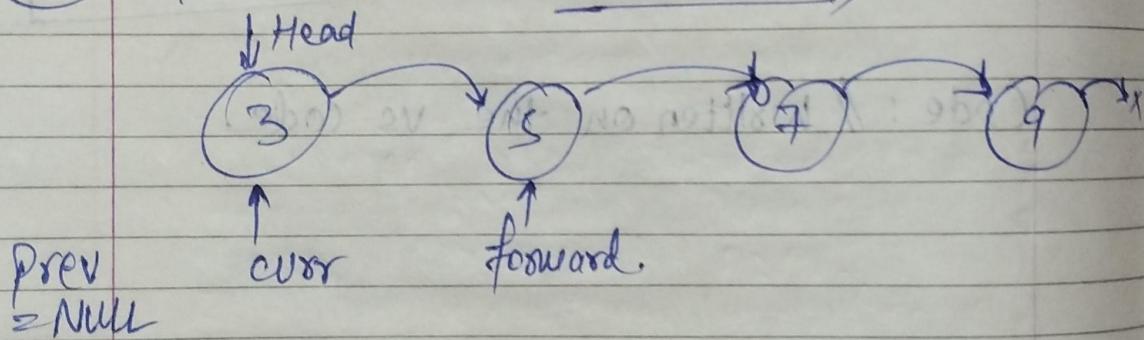
Code : // Written on the vs-code.

IMP

Reverse a linked list



Approach : II (Iterative)



{ II empty list or single Node

```
if ( head == NULL || head->next == NULL )
    return head;
```

II More than 1 Node .

Node * prev = NULL ;

Node * curr = head ;

Node * forward = NULL ;

`while(curr != NULL) {`

`forward = curr->next;`

`curr->next = prev;`

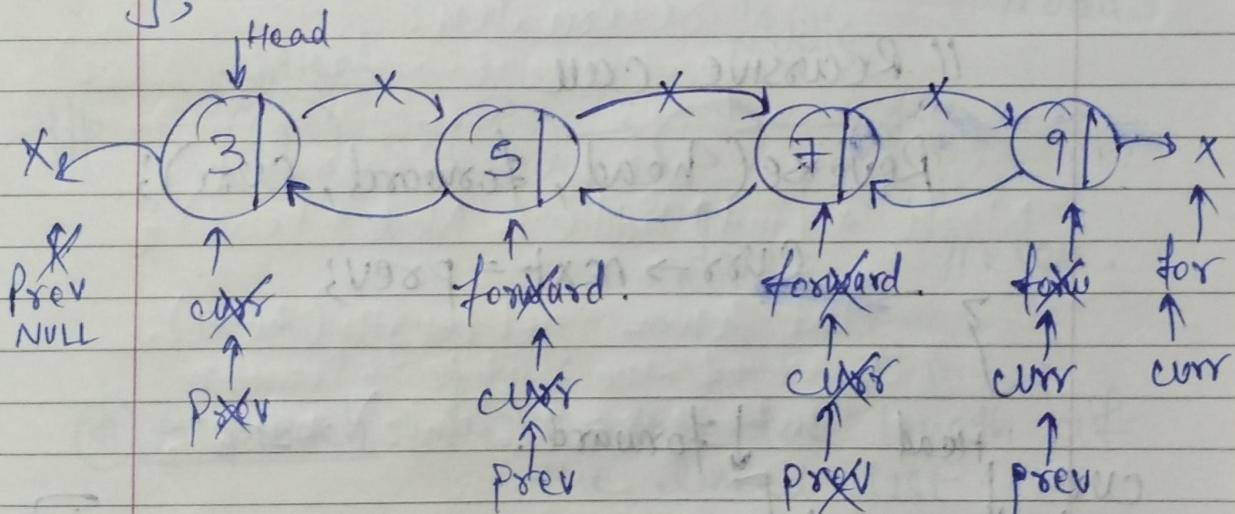
`prev = curr;`

`curr = forward;`

`}`

`return prev; // head = prev;`

`};`



(A) $T.C = O(n) \text{ // S.C} = O(1).$

Approach 2: (Recursive) $\text{ // T.C} = O(n)$
 $\text{ // S.C} = O(n)$

`Void Reverse(Node *head, Node *curr,
 Node *prev)`

II base case

If ($\text{curr} == \text{NULL}$) {

$\text{head} = \text{prev};$

return;

}

$\text{Node} * \text{forward} = \text{curr} \rightarrow \text{next};$

II Recursive call

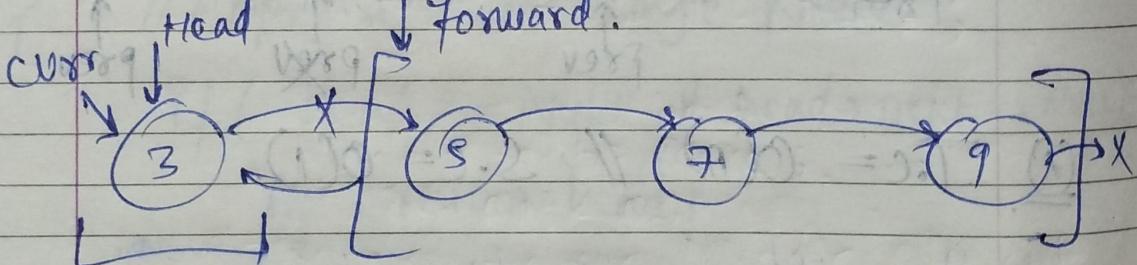
$\text{Reverse}(\text{head}, \text{forward}, \text{curr});$

$\text{curr} \rightarrow \text{next} = \text{prev};$

}

head

$\downarrow \text{forward}$



Solve only for first case and recursion will handle the rest of the cases.

Make sure to connect the return of recursion to prev node.

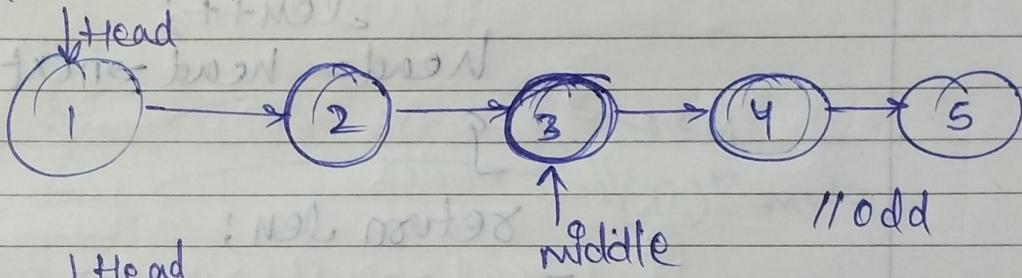
A. ^{int}



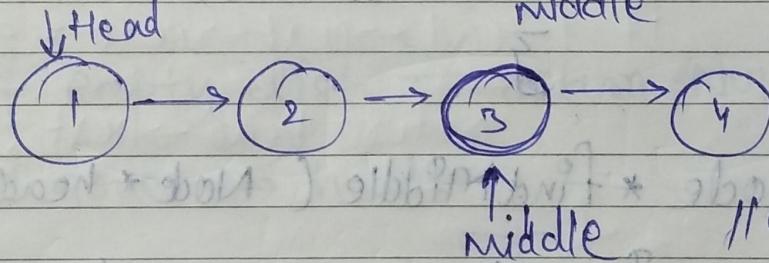
Middle of the linked list :-

If there are an odd no. of element, return the middle element; if there are even elements return the one which is farther from head.

Q/F:



I/P



Approach : Calculate the length of the linked list.

len → even $\Rightarrow \left(\frac{\text{len}+1}{2}\right) \rightarrow \text{middle}$.

len → odd $\Rightarrow \left(\frac{\text{len}+1}{2}\right) \rightarrow \text{odd}$.

(*) T.C = O(n)

Code: `int getLength (Node *head) {`

`int len = 0;`
`while (head != NULL) {`

`len++;`
`head = head ->next;`

`return len;`

`Node *findMiddle (Node *head) {`

`int len = getLength (head);`
`// Index of the middle element`
`int ans = (len / 2);`

`Node *temp = head;`
`int cnt = 0;`

`// Travelling to the middle element`

`while (cnt < ans) {`

`Cnt++;`

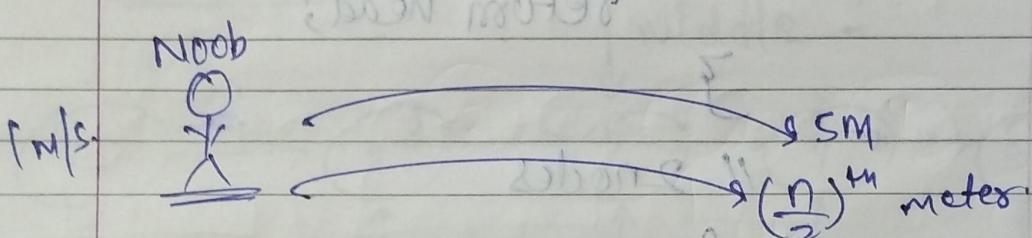
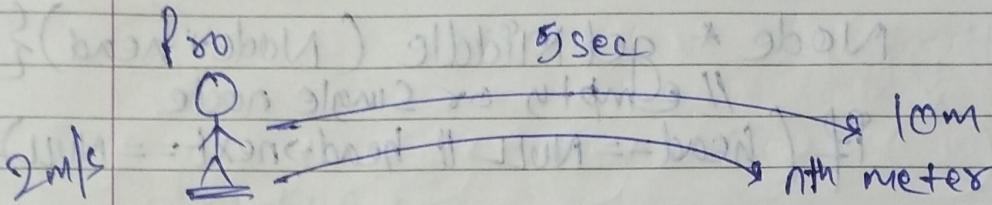
`temp = temp ->next;`

}

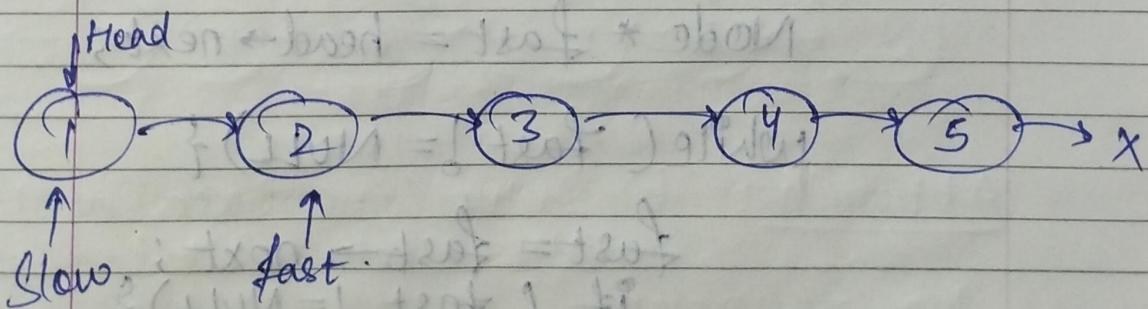
`return temp;`

}

*) Approach 2 : optimised code



- (*) if empty list \rightarrow return NULL;
- (*) 1 node \rightarrow Head;
- (*) 2 node \rightarrow return (head \rightarrow next);
- (*) More than 2 node \rightarrow Algo



$\text{Node} * \text{Slow} = \text{head}; // \text{Increase by } 1$

$\text{Node} * \text{fast} = \text{head} \rightarrow \text{next}; // \text{Increase by } 2$

Code : ~~for loop~~ : ~~linked list~~ (x)

```
Node * getMiddle (Node * head) {
    // Empty or single node
    if (head == NULL || head->next == NULL) {
        return head;
    }
```

3

// 2 nodes

```
if (head->next->next == NULL) {
    return head->next;
}
```

3

3rd node ← 2nd node

: (top node ← 1st node) (x)

Node * slow = head;

Node * fast = head->next;

while (fast != NULL) {

fast = fast->next;

if (fast != NULL) {

3

fast = fast->next;

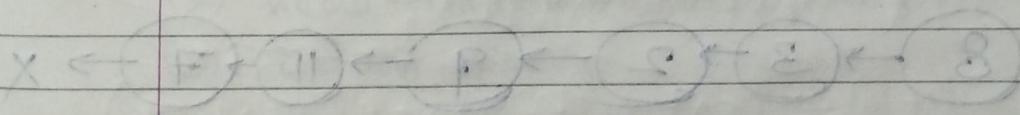
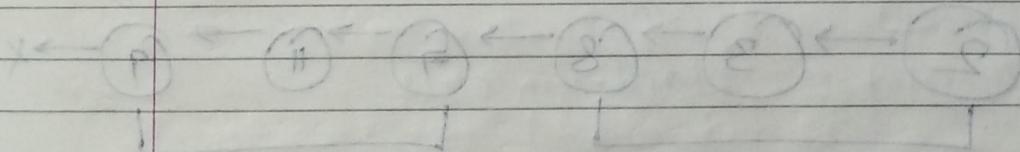
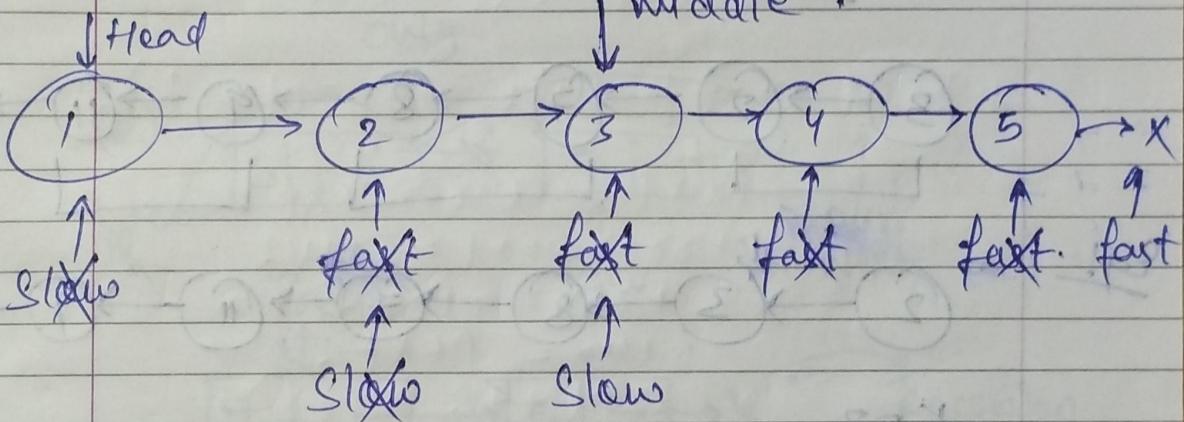
Slow = Slow->next;

3

return slow;

3

dry Run:



bis 999-000-2102 (*) : Number A
bautz 20 1100-1200-000

... 000-000-000 (*)

2100-000-000 = first - head (*)

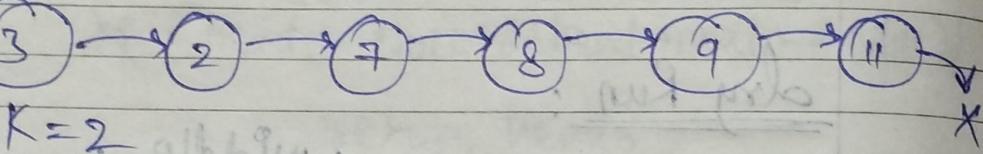
return head (*)

~~A link~~ ~~****~~

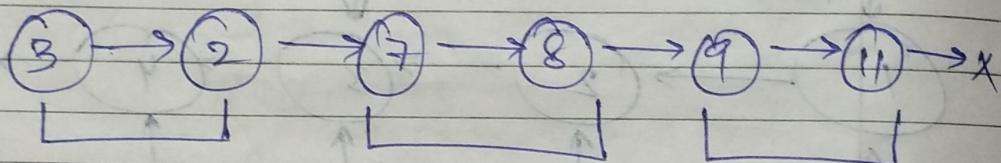
Reverse a linked list on K^{th} element.

e.g.: Head.

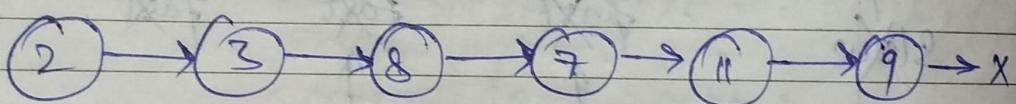
O/P



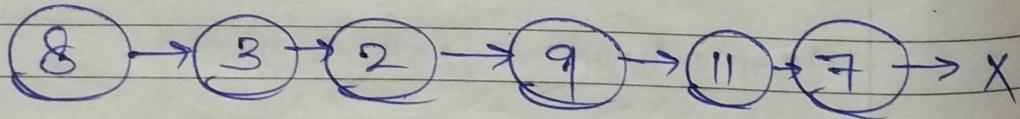
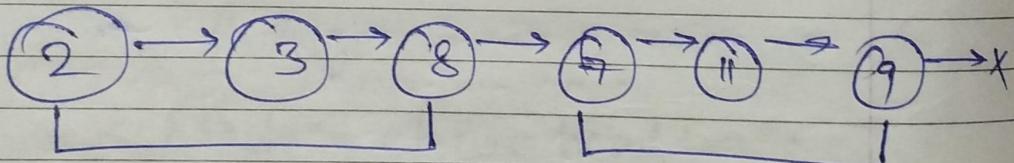
$K=2$



e.g.



$K=3$

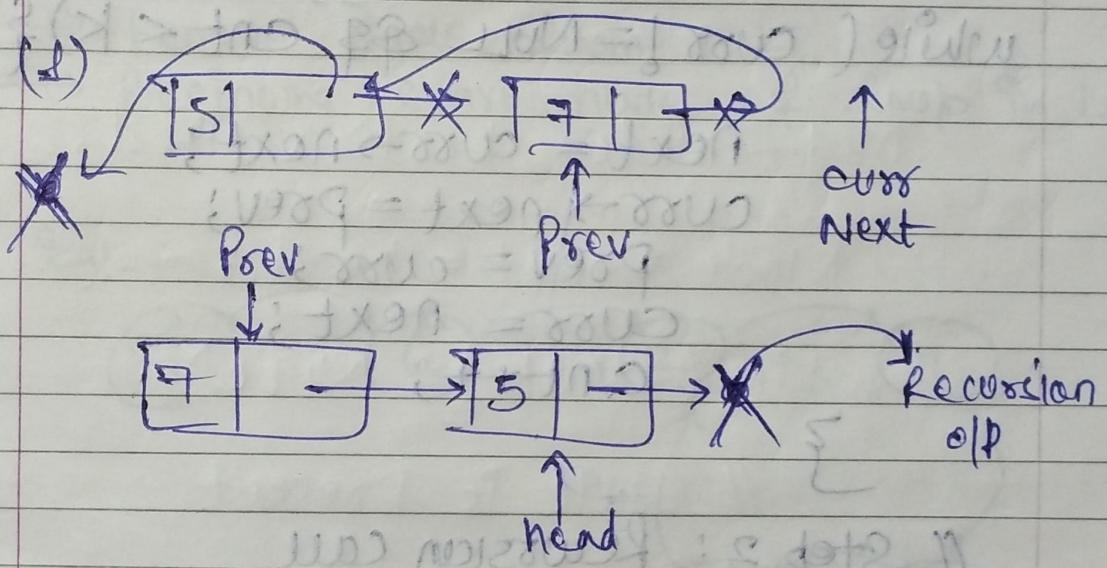
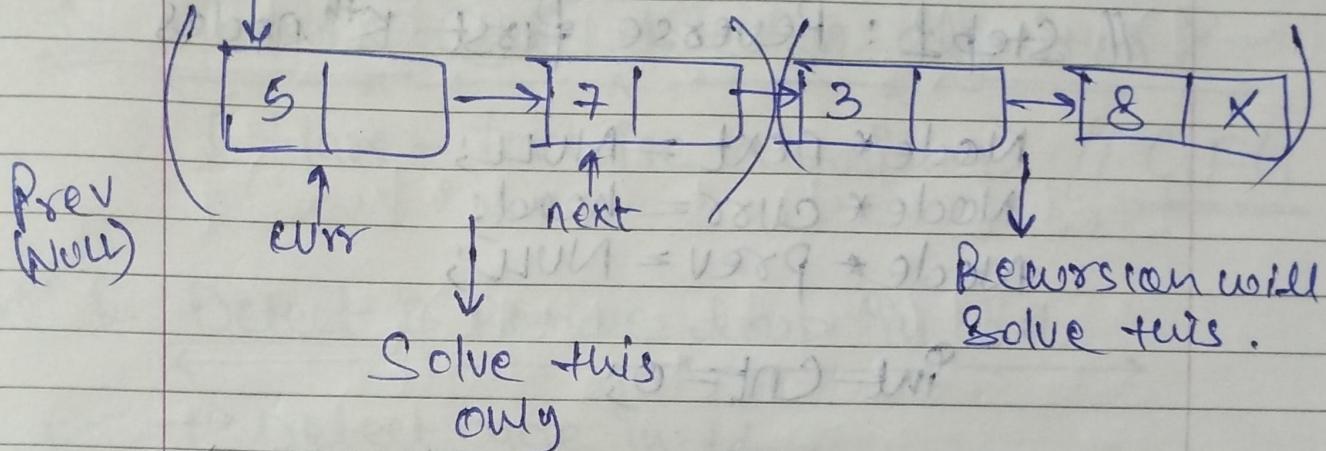


Approach: ① Solve one case and
the rest will be solved
by recursion.

(*) $\text{head} \rightarrow \text{next} = \text{recursion O/P};$

(*) $\text{return prev};$

Head K=2



(2) head → next = Recursion call;

(3) return prev;

Code :-

Node * kReverse(Node *head, int k){

// base case: empty list

if (head == NULL) { }

return NULL;

}

II. Step 1 : Reverse first K^{th} nodes

$\text{Node}^*\text{next} = \text{NULL};$

$\text{Node}^*\text{curr} = \text{head};$

$\text{Node}^*\text{prev} = \text{NULL};$

$\text{int Cnt} = 0;$

$\text{while}(\text{curr} \neq \text{NULL} \& \& \text{Cnt} < K)\{$

$\text{next} = \text{curr} \rightarrow \text{next};$

$\text{curr} \rightarrow \text{next} = \text{prev};$

$\text{prev} = \text{curr};$

$\text{curr} = \text{next};$

$\text{Cnt}++;$

}

II. Step 2 : Recursive call

$\text{if}(\text{next} \neq \text{NULL})\{$

$\text{head} \rightarrow \text{next} = \text{KReverse}(\text{next}, \text{k});$

}

return prev;

}

$T.C = O(n)$

$S.C = O(n)$

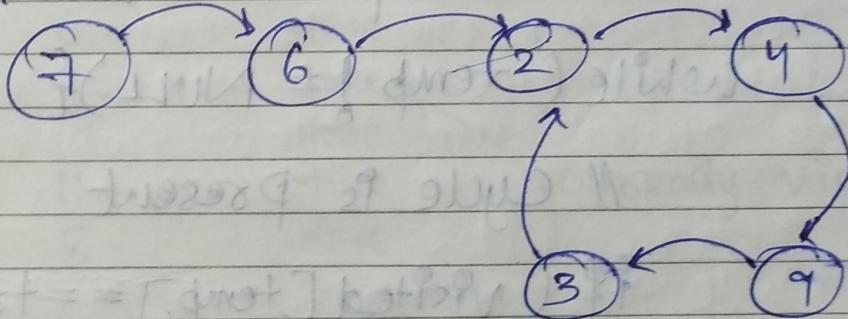
(FCD)

Q. Floyd's Cycle detection algorithm?
 (Hare-Tortoise algorithm). // CFL

* * * Q. Detect & Remove loop in LL

- ✓ → Detect cycle in LL
- Remove cycle from LL
- ✓ → Beginning / start node of loop in LL

Eg:-



// detect loop.

Approach! Create a map and store
 - the visited node value as
 true

map<Node*, bool> visited;

$$\begin{array}{l} T.C = O(n) \\ S.C = O(1) \end{array}$$

Detect cycle in Linked List

```
bool detectLoop (Node* head) {
```

```
    if (head == NULL) {
```

```
        return false;
```

```
    Map<Node*, bool> visited;
```

```
    Node* temp = head;
```

```
    while (temp != NULL) {
```

// Cycle is present

```
    if (visited[temp] == true) {
```

```
        return true;
```

}

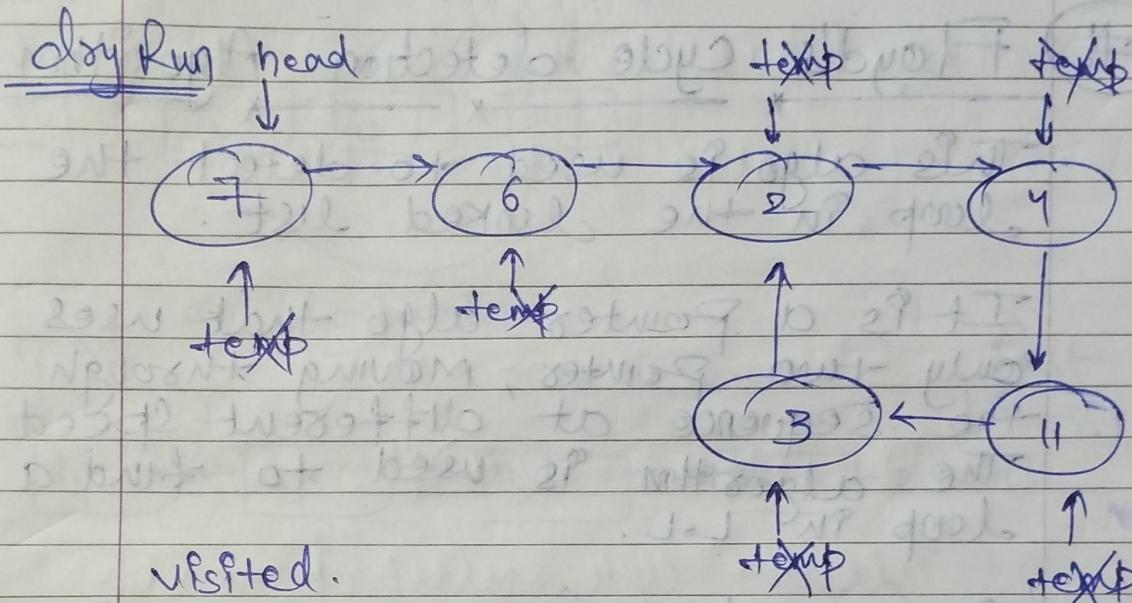
```
    visited[temp] = true;
```

```
    temp = temp->next;
```

∴ both \leftarrow \rightarrow

```
return false;
```

}



temp	key	value
→ 7	7	true
→ 6	6	true
→ 2	2	true
→ 4	4	true
→ 11	11	true
→ 3	3	true
→ 2	2	already visited

? → Can we reduce the size for this?

Ans: By using the Floyd's Cycle detection algorithm.

~~Ques~~

Floyd's cycle detection Algorithm

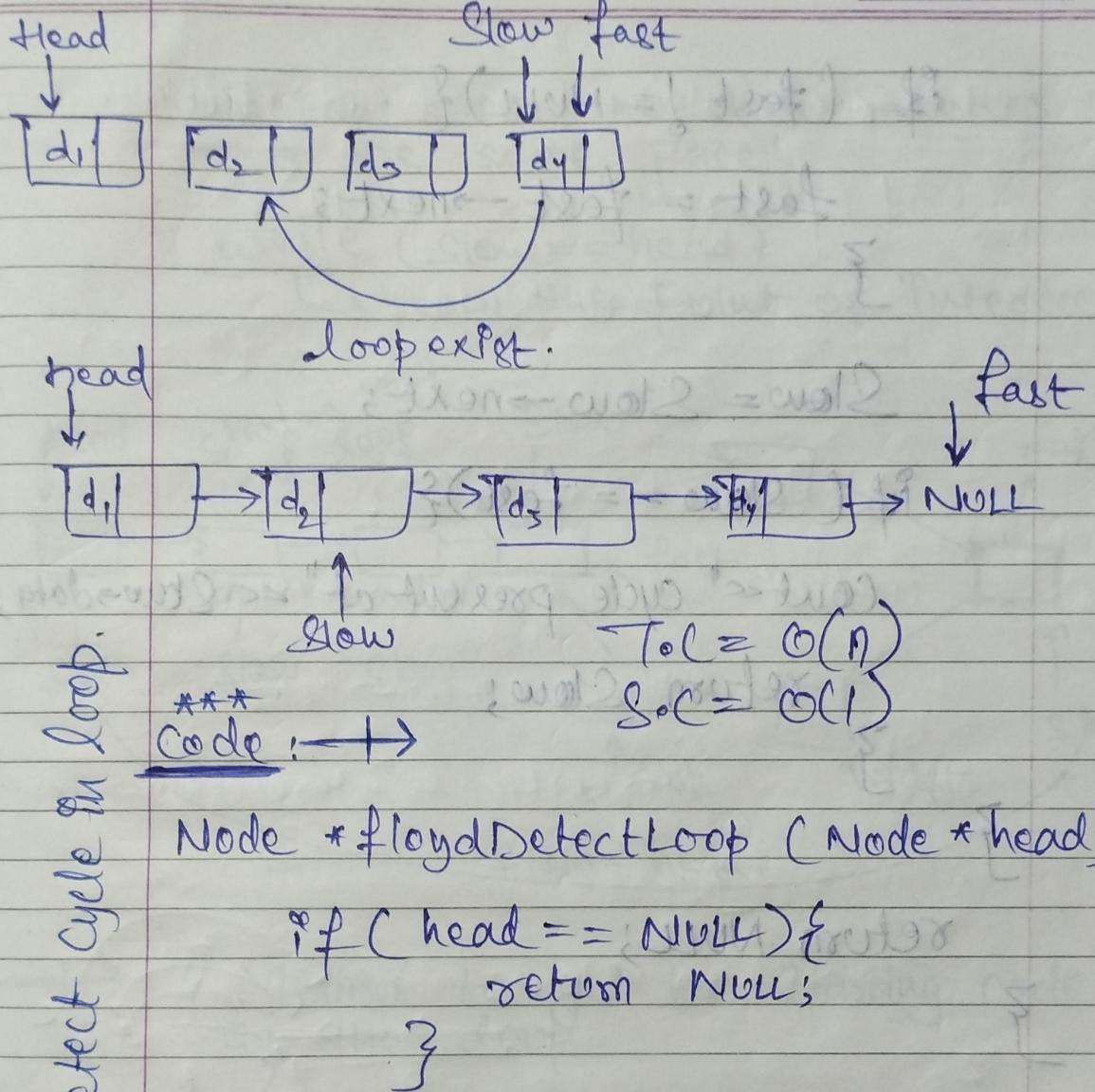
This algo is used to detect the loop in the linked list.

It is a pointer algo that uses only two pointers, moving through the sequence at different speed. The algorithm is used to find a loop in L.O.L.

It uses two pointers one moving twice as fast as the other one. The faster one is called the fast pointer and the slow one is called the slow pointer.

→ While traversing:-

- (1) The fast pointer may reach the end (NULL) this shows that there is no loop in L.O.L.
- (2) The fast pointer again catches the slow pointer at some time therefore a loop exist in the L.O.L ~~at point~~.



// Method to detect cycle in loop.

$\text{Node} * \text{Slow} = \text{head};$
 $\text{Node} * \text{Fast} = \text{head};$

$\text{while} (\text{fast} != \text{NULL} \&\& \text{Slow} != \text{NULL}) \{$

$\text{fast} = \text{fast} \rightarrow \text{next};$

if ($\text{fast} == \text{NULL}$) {

fast = fast \rightarrow next;

}

$\text{Slow} = \text{Slow} \rightarrow \text{next};$

if ($\text{Slow} == \text{fast}$) {

Count < "cycle present at" < $\text{Slow} \rightarrow \text{data};$

return Slow;

}

return NULL;

How to find the starting Point
of the cycle (loop) ?

Approach :

(I) \rightarrow FCD algo \rightarrow Point of Intersection

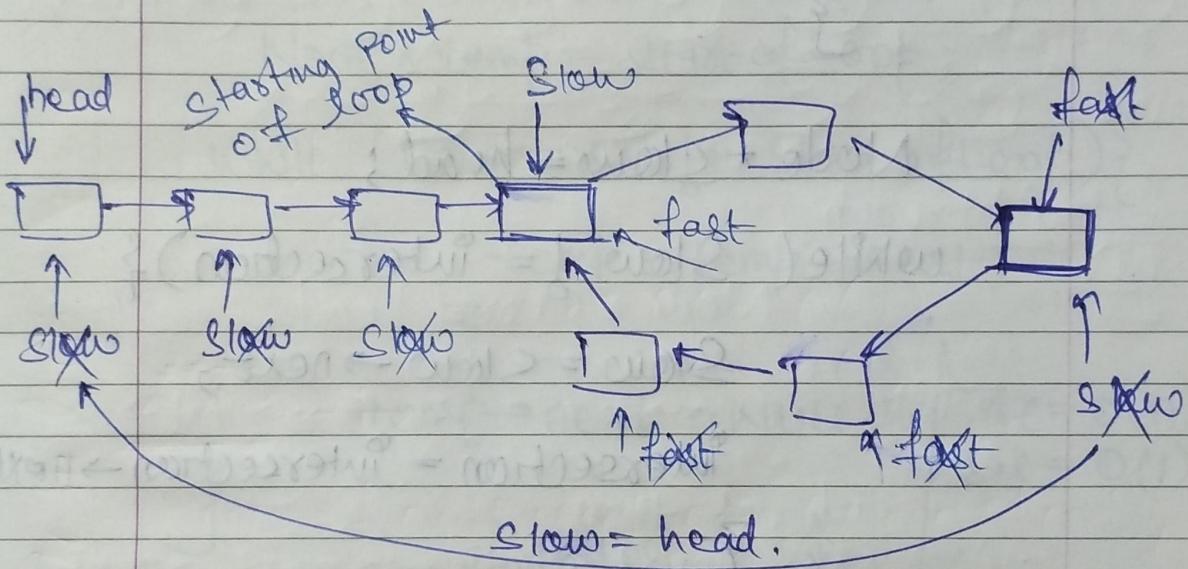
$\text{slow} = \text{fast} - \text{fast} / 2$

(II) \rightarrow slow = head

and now move the both pointers with the same pace.

`while (slow == head)`

↳ search the point of intersection



→ // Method to get the starting node of the loop.

(***) Code :

`Node* getStartingLoop(Node* head) {`

`if (head == NULL) {`

`return NULL;`

3

Node * intersection = floydDetectLoop(head);

If (intersection == NULL) {

return NULL;

}

Node * slow = head;

while (slow != intersection) {

slow = slow->next;

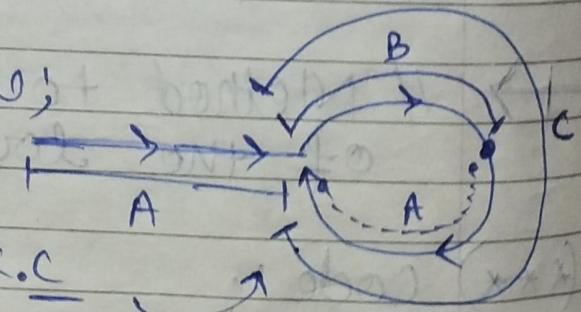
intersection = intersection->next;

}

return slow;

}

A + B = K.C



→ // Method to remove the loop from
the L.L

(***)Code:

Void removeLoop (Node *head) {

```

if (head == NULL) {
    return ;
}

```

$\text{Node} * \text{startOfLoop} = \text{getStartingNode}(\text{head});$

$\text{Node} * \text{temp} = \text{startOfLoop};$

```

while (temp->next != startOfLoop) {

```

$\text{temp} = \text{temp}-\text{next};$

}

$\text{temp}-\text{next} = \text{NULL};$

}

$T.C = O(n)$
 $S.C = O(1)$

dry Run :-

