

# An Introduction to Machine Learning for Economics

Quentin Batista

January 28, 2019

# Machine Learning is the Latest Fad?

## Economists are prone to fads, and the latest is machine learning

*Big data have led to the latest craze in economic research*

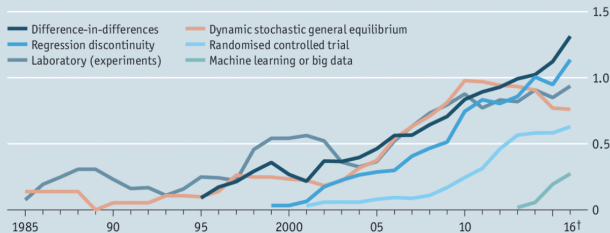
Print edition | Finance and economics >

Nov 24th 2016



### Dedicated followers of fashion

Mentions in NBER working-paper abstracts, % of total papers\*

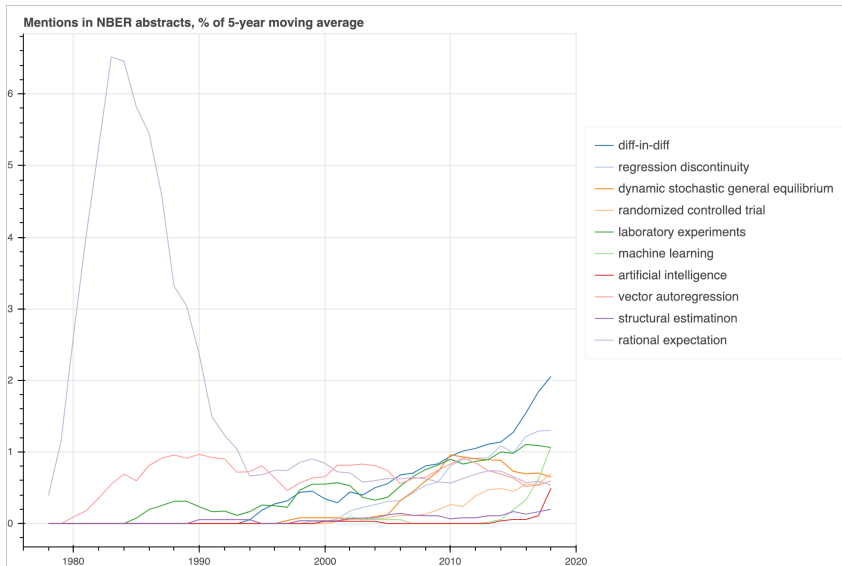


Sources: NBER; The Economist

\* Five-year moving average † To November

Economist.com

# Machine Learning is the Latest Fad?



# Application of Machine Learning: Predicting Demographic Makeup

## Using Deep Learning and Google Street View to Estimate the Demographic Makeup of the US

Timnit Gebru<sup>1</sup>, Jonathan Krause<sup>1</sup>, Yilun Wang<sup>1</sup>, Duyun Chen<sup>1</sup>, Jia Deng<sup>2</sup>, Erez Lieberman Aiden<sup>3,4</sup>,

Li Fei-Fei<sup>1</sup>

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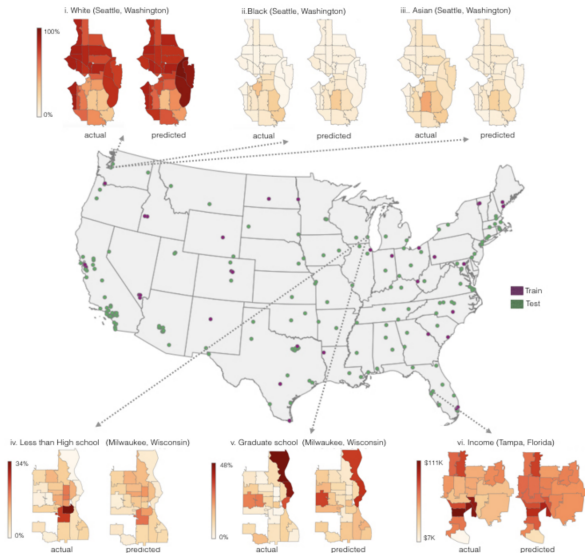
<sup>2</sup>University of Michigan, 2260 Hayward Street, Ann Arbor, MI 48109.

<sup>3</sup>Baylor College of Medicine, 1 Baylor Plaza, Houston, TX 77030.

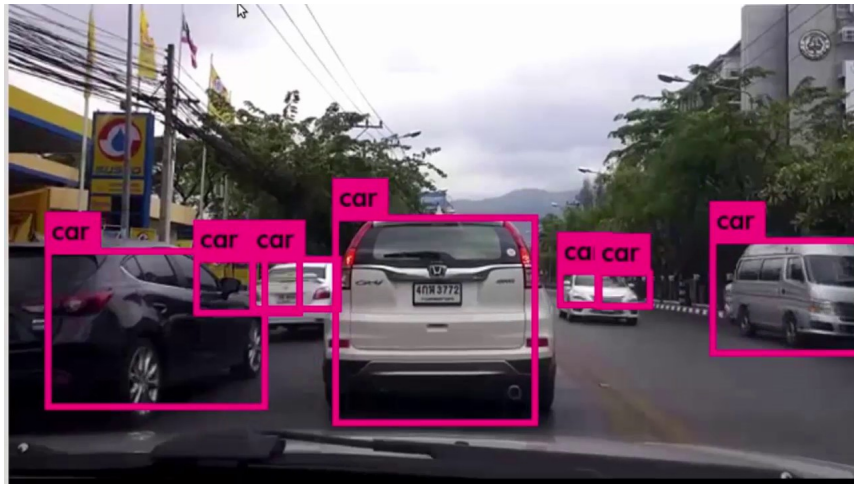
<sup>4</sup>Rice University, 6100 Main Street, Houston, TX 77005.

The United States spends more than \$1B each year on initiatives such as the American Community Survey (ACS), a labor-intensive door-to-door study that measures statistics relating to race, gender, education, occupation, unemployment, and other demographic factors <sup>1</sup>. Although a comprehensive source of data, the lag between demographic changes and their appearance in the ACS can exceed half a decade. As

# Application of Machine Learning: Predicting Demographic Makeup



# Application of Machine Learning: Predicting Demographic Makeup



# Application of Machine Learning: Measuring Labor Flows

## USING SOCIAL MEDIA TO MEASURE LABOR MARKET FLOWS

Dolan Antenucci  
Michael Cafarella  
Margaret C. Levenstein  
Christopher Ré  
Matthew D. Shapiro

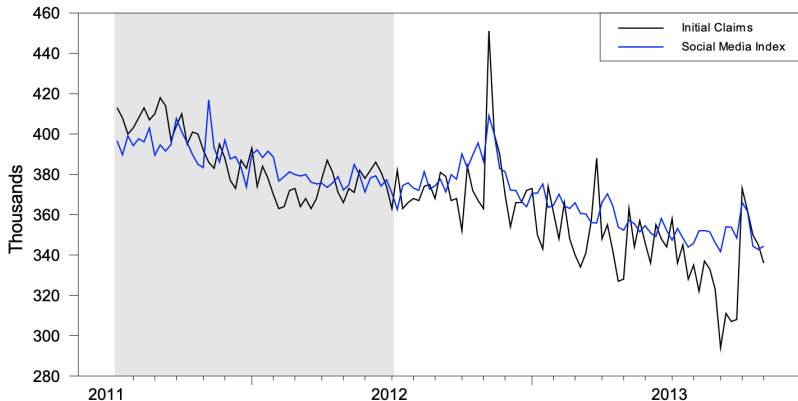
Working Paper 20010  
<http://www.nber.org/papers/w20010>

NATIONAL BUREAU OF ECONOMIC RESEARCH  
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Cambridge, MA 02138  
March 2014

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# Application of Machine Learning: Measuring Labor Flows

Figure 3. Initial Claims for Unemployment Insurance and the Social Media Job Loss Index



Note: Figure shows the Department of Labor's Initial Claims for Unemployment Insurance and the Social Media Job Loss Index. The Social Media Job Loss Index is estimated in sample in the shaded area and recursively thereafter. See text for details.



# Application of Machine Learning: Predicting Income Using Images

BIG DATA AND BIG CITIES:  
THE PROMISES AND LIMITATIONS OF IMPROVED MEASURES OF URBAN LIFE

Edward L. Glaeser  
Scott Duke Kominers  
Michael Luca  
Nikhil Naik

Working Paper 21778  
<http://www.nber.org/papers/w21778>

NATIONAL BUREAU OF ECONOMIC RESEARCH  
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# Machine Learning

- “Machine learning is the scientific study of algorithms and statistical models that computer systems use to improve their performance on a specific task.” (Wikipedia)
- “Machine learning is essentially a form of applied statistics with increased emphasis on the use of computers” ([1])
- “The goal of machine learning is to develop methods that can automatically detect patterns in data, and then to use the uncovered patterns to predict future data or other outcomes of interest”. ([2]).

# Machine Learning vs. Econometrics

- Fit and empirical performance vs. asymptotic properties
- Algorithms vs. estimation
- Reference: Susan Athey

# Machine Learning vs. Econometrics

- Suppose you have the following model:  $y_i = \mu + \varepsilon_i, \varepsilon_i \sim N(0, \sigma^2)$
- You want to solve  $\min_{\alpha} E[(y - \hat{\mu})^2]$  such that  $\hat{\mu} = \alpha \bar{y}$
- The solution is  $\alpha^* = \frac{\mu^2}{\mu^2 + \frac{\sigma^2}{n}}$
- The estimator that minimizes mean squared error is **biased**

# What is a Learning Algorithm?

## Definition

Learning Algorithm (Mitchell 1997)

A computer program is said to learn from experience  $E$  with respect to some class of tasks  $T$  and performance measure  $P$ , if its performance at tasks in  $T$ , as measured by  $P$ , improves with experience  $E$ .

- The task  $T$  is what we want the computer to achieve
- The performance measure  $P$  is a quantitative measure of prediction ability
- The experience  $E$  is some form of data

# Different Types of Data = Different Types of Learning

## Supervised Learning

Goal: Learn a mapping from inputs  $x$  to outputs  $y$  given

$$D = \{(\mathbf{x}_i, y_i)\}_{i=1}^N$$

$$\mathbf{x}_i \in \mathbb{R}^D, y_i \in \mathbb{R}$$

$(\mathbf{x}_i, y_i)$  is called an **example**

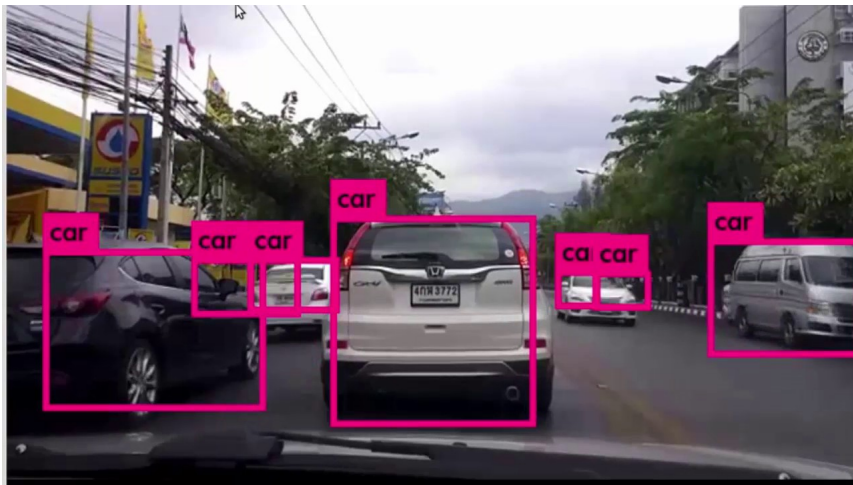
- $\mathbf{x}$  represents the set of **features** or **covariates**
- $y$  represents the **target** variable or **label**

## Unsupervised Learning

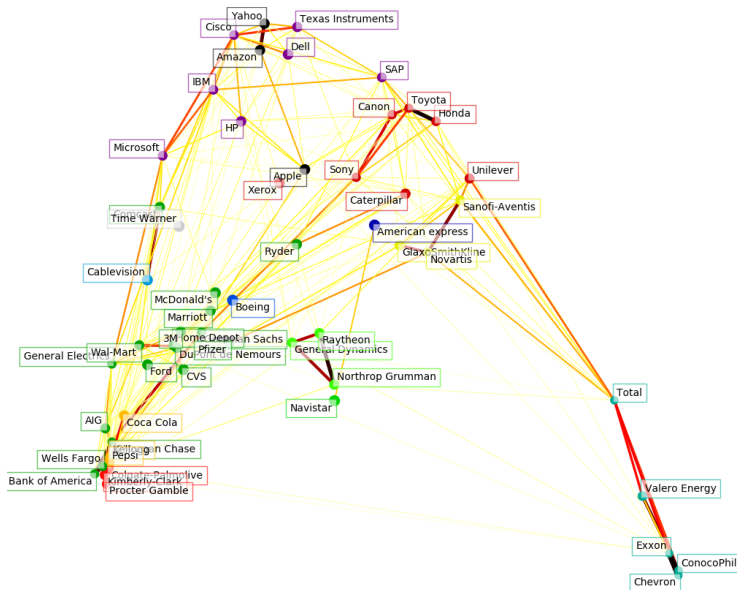
Goal: Find “interesting” patterns in  $D = \{\mathbf{x}_i\}_{i=1}^N$

$$\mathbf{x}_i \in \mathbb{R}^D$$

# Supervised Learning: An Example



# Unsupervised Learning: An Example





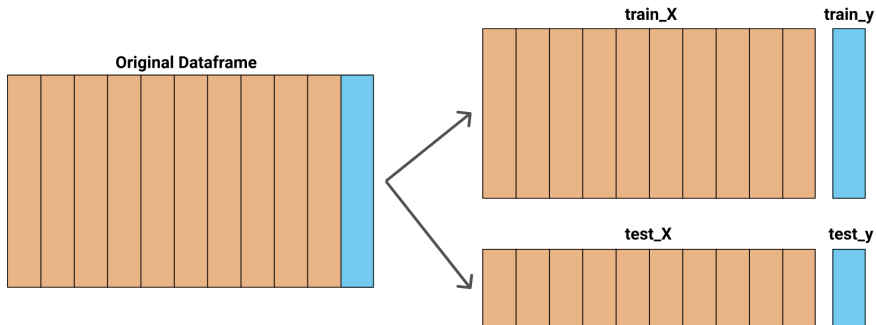
# Capacity, Overfitting and Underfitting

- The objective of ML algorithms is to perform well on previously unseen examples, i.e., **generalize**
- However, performance on unseen inputs is not observable
- Question 1: How do you estimate performance on unseen examples?
- Question 2: How do you choose among different models?

# Estimating Generalization Performance

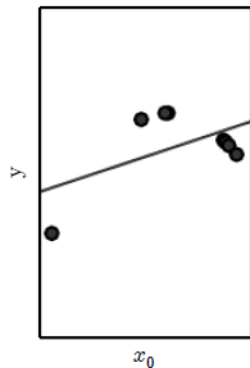
- Split your dataset into a **training** set and a **test** set
- Estimate the performance of your model on the test set to get an unbiased estimate of the performance
- About 30% of your data for small datasets
- About 1% of your data for large datasets

# Estimating Generalization Performance

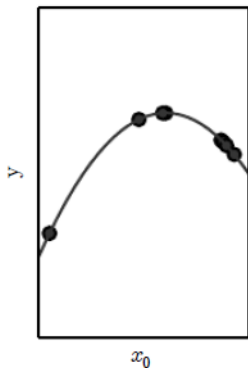


# Capacity, Overfitting and Underfitting

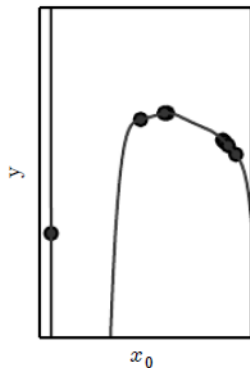
Underfitting



Appropriate capacity



Overfitting

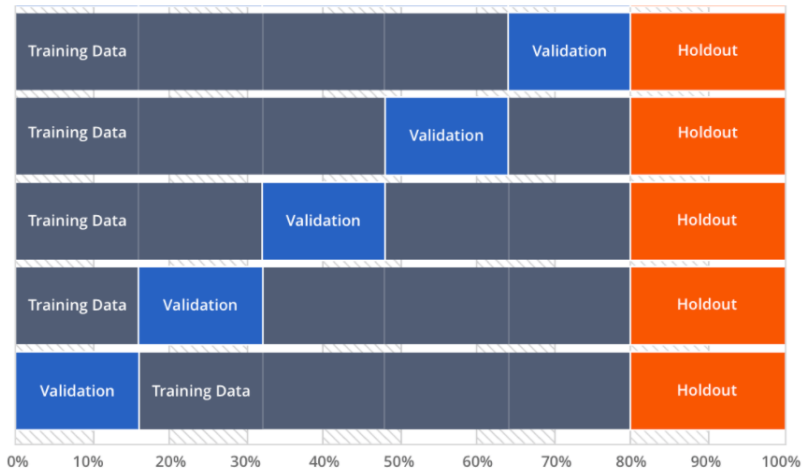


# Choosing Among Models

## *Hold-out validation scheme*

- Split your **training** set into a **training (!)** set and a **validation** set
- Choose the model with the best performance on the validation set

# Cross-Validation



# Regularization

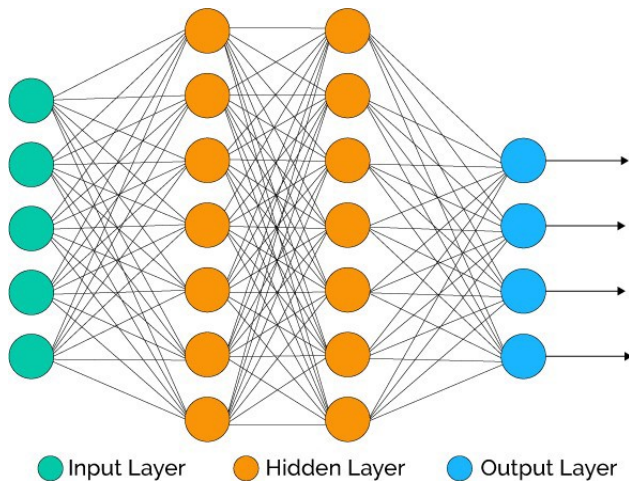
- The idea of regularization is to penalize complex models

Example: Linear Regression

$$\min_{\beta} \left\{ \frac{1}{n} \|y - X\beta\|_2^2 + \lambda R(\beta) \right\}$$

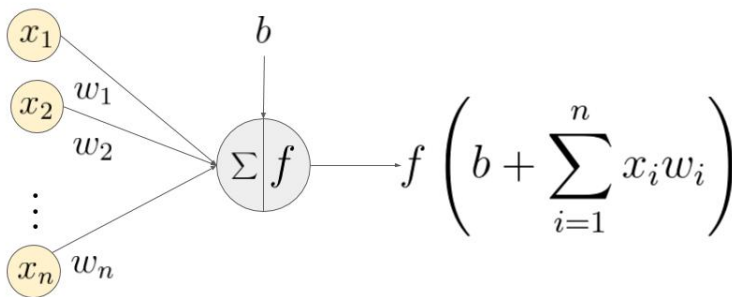
- LASSO:  $R(\beta) = \|\beta\|_1 = \sum_{i=1}^n |\beta_i|$
- Ridge:  $R(\beta) = \|\beta\|_2^2 = \sum_{i=1}^n \beta_i^2$
- Choose  $\lambda$  using the validation scheme

## Example: Neural Networks





## Example: Neural Networks



An example of a neuron showing the input ( $x_1 - x_n$ ), their corresponding weights ( $w_1 - w_n$ ), a bias ( $b$ ) and the activation function  $f$  applied to the weighted sum of the inputs.

# Example: Neural Networks

<https://playground.tensorflow.org/>

# References



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