

# DATA MINING WITH PYTHON

## Theory, Application, and Case Studies



DI WU



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# Data Mining with Python

Data is everywhere and it's growing at an unprecedented rate. But making sense of all that data is a challenge. Data Mining is the process of discovering patterns and knowledge from large data sets, and ***Data Mining with Python*** focuses on the hands-on approach to learning Data Mining. It showcases how to use Python Packages to fulfil the Data Mining pipeline, which is to collect, integrate, manipulate, clean, process, organize, and analyze data for knowledge.

The contents are organized based on the Data Mining pipeline, so readers can naturally progress step by step through the process. Topics, methods, and tools are explained in three aspects: "What it is" as a theoretical background, "why we need it" as an application orientation, and "how we do it" as a case study.

This book is designed to give students, data scientists, and business analysts an understanding of Data Mining concepts in an applicable way. Through interactive tutorials that can be run, modified, and used for a more comprehensive learning experience, this book will help its readers gain practical skills to implement Data Mining techniques in their work.

Dr. Di Wu is an Assistant Professor of Finance, Information Systems, and Economics department of Business School, Lehman College. He obtained a Ph.D. in Computer Science from the Graduate Center, CUNY. Dr. Wu's research interests include Temporal extensions to RDF and semantic web, Applied Data Science, and Experiential Learning and Pedagogy in Business Education. Dr. Wu developed and taught courses including Strategic Management, Databases, Business Statistics, Management Decision Making, Programming Languages (C++, Java, and Python), Data Structures and Algorithms, Data Mining, Big Data, and Machine Learning.

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# Data Mining with Python

## Theory, Application, and Case Studies

Di Wu



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# Foreword

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## WHY WE NEED THIS BOOK

Data is everywhere and it's growing at an unprecedented rate. But making sense of all that data is a challenge. Data Mining is the process of discovering patterns and knowledge from large data sets. This book focuses on the hands-on approach to learn Data Mining. This book is designed to give you an understanding of Data Mining concepts in an applicable way. The tutorials in this book will help you to gain practical skills to implement Data Mining techniques in your work. Whether you are a student, a data scientist, or a business analyst, this book is a must-read for you.



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# Preface

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## HOW TO USE THIS BOOK

This book is served as complementary to a theoretical Data Mining course. We intend to keep the introductions brief and simple and concentrate on detailed tutorials. The book is divided into two parts: Part 1 covers the preparation of data or Data Wrangling. Part 2 covers the analysis of data or Data Analysis. For readers' convenience, besides including all tutorials within pages, we also provide the .ipynb files with associated data sets through links. When you run the .ipynb files, please make sure the data path is updated in your local/cloud environment.

## WHY THIS BOOK IS DIFFERENT

While there are many books, websites, online courses about the topic, we differentiate our book in multiple ways:

- We organized the contents based on the Data Mining pipeline, so readers can naturally gain the formal process from raw data to knowledge step by step. Readers can have a full stack of consistent learning, rather than learning from pieces from multiple sources.
- For the topics, methods, and tools we cover in the book, we explain them in three aspects: “What it is” as a theoretical background, “Why we need it” as an application orientation, and “How we do it” as a case study.
- Our book is “LIVE”. All tutorials are runnable interactive Python notebooks in .ipynb format. Students can run them, modify them, and use them.



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# Author Bios

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Dr. Di Wu is an Assistant Professor of Finance, Information Systems, and Economics department of Business School, Lehman College. He obtained a Ph.D. in Computer Science from the Graduate Center, CUNY. Dr. Wu's research interests are 1) Temporal extensions to RDF and semantic web, 2) Applied Data Science, and 3) Experiential Learning and Pedagogy in business education. Dr. Wu developed and taught courses including Strategic Management, Databases, Business Statistics, Management Decision Making, Programming Languages (C++, Java, and Python), Data Structures and Algorithms, Data Mining, Big Data, and Machine Learning.



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# I

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## Data Wrangling



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# Data Collection

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DATA COLLECTION is a crucial step in the process of obtaining valuable insights and making informed decisions. In today's interconnected world, data can be found in a multitude of sources, ranging from traditional files such as .csv, .html, .txt, .xlsx, .html, and .json, to databases powered by SQL, websites hosting relevant information, and APIs (Application Programming Interfaces) offered by companies. To efficiently gather data from these diverse sources, various tools can be employed. These tools encompass an array of technologies, including web scraping frameworks, database connectors, data extraction libraries, and specialized APIs, all designed to facilitate the collection and extraction of data from different sources. By leveraging these tools, organizations can harness the power of data and gain valuable insights to drive their decision-making processes.

Python offers a rich ecosystem of packages for data collection. Some commonly used Python packages for data collection include: including:

- Pandas: Pandas is a powerful library for data manipulation and analysis. It provides data structures and functions to efficiently work with structured data, making it suitable for data collection from CSV files, Excel spreadsheets, and SQL databases.
- BeautifulSoup: Beautiful Soup is a Python library for web scraping. It helps parse HTML and XML documents, making it useful for extracting data from websites.
- Requests: Requests is a versatile library for making HTTP requests. It simplifies the process of interacting with web services and APIs, allowing data retrieval from various sources.
- mysql-connector-python, psycopg2, and sqlite3: These libraries are Python connectors for MySQL, PostgreSQL, and sqlite databases, respectively. They enable data collection by establishing connections to these databases, executing queries, and retrieving data.

- Yahoo Finance: The Yahoo Finance library provides an interface to access financial data from Yahoo Finance. It allows you to fetch historical stock prices, company information, and other financial data.

These are just a few examples of Python packages commonly used for data collection. We will cover them in detail with tutorials and case studies. Depending on the specific data sources and requirements, there are many more packages available to facilitate data collection in Python.

## 1.1 COLLECT DATA FROM FILES

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Storing data in different file formats allows for versatility and compatibility with various applications and tools.

- CSV (Comma-Separated Values): CSV files store tabular data in plain text format, where each line represents a row, and values are separated by commas (or other delimiters). CSV files are simple, human-readable, and widely supported. They can be easily opened and edited using spreadsheet software or text editors. However, CSV files may not support complex data structures, and there is no standardized format for metadata or data types. Pandas provides the `read_csv()` function, allowing you to read CSV files into a DataFrame object effortlessly. It automatically detects the delimiter, handles missing values, and provides convenient methods for data manipulation and analysis.
- TXT (Plain Text): TXT files contain unformatted text with no specific structure or metadata. TXT files are lightweight, widely supported, and can be easily opened with any text editor. However, TXT files lack a standardized structure or format, making it challenging to handle data that requires specific organization or metadata. Pandas offers the `read_csv()` function with customizable delimiters to read text files with structured data. By specifying the appropriate delimiter, you can read text files into a DataFrame for further analysis.
- XLSX (Microsoft Excel): XLSX is a file format used by Microsoft Excel to store spreadsheet data with multiple sheets, formatting, formulas, and metadata. XLSX files support complex spreadsheets with multiple tabs, cell formatting, and formulas. They are widely used in business and data analysis scenarios. However, XLSX files can be large, and manipulating them directly can be memory-intensive. Additionally, XLSX files require software like Microsoft Excel to view and edit. Pandas provides the `read_excel()` function, enabling the reading of XLSX files into DataFrames. It allows you to specify the sheet name, range of cells, and other parameters to extract data easily.
- JSON (JavaScript Object Notation): JSON is a lightweight, human-readable data interchange format that represents structured data as key-value pairs, lists, and nested objects. JSON is easy to read and write, supports complex nested structures, and is widely used for data interchange between systems. However, JSON files can be larger than their equivalent CSV representations, and handling

complex nested structures may require additional processing. Pandas provides the `read_json()` function to read JSON data directly into a DataFrame. It handles both simple and nested JSON structures, allowing for convenient data exploration and analysis.

- XML (eXtensible Markup Language): XML files store structured data using tags that define elements and their relationships. XML is designed to be self-descriptive and human-readable. XML files provide a flexible and extensible format for storing structured data. They are widely used for data interchange and can represent complex hierarchical structures. However, XML files can be verbose and have larger file sizes compared to other formats. Parsing XML files can be more complex due to the nested structure and the need for specialized parsing libraries. Pandas provides the `read_xml()` function to directly read XML files into a DataFrame. It provides several options for handling different XML structures, such as extracting data from specific tags, handling attributes, and parsing nested elements.
- HTML (Hypertext Markup Language): HTML files are primarily used for structuring and presenting content on the web. They consist of tags that define the structure and formatting of the data. HTML files provide a rich structure for representing web content and can include images, links, and other multimedia elements. However, HTML files are designed for web display, so extracting structured data from them can be more complex due to the presence of non-tabular content and formatting tags. Pandas provides the `read_html()` function, which can extract tabular data from HTML tables into a DataFrame.

### 1.1.1 Tutorial – Collect Data from Files

We may have stored data in multiple types of files, such as text, csv, excel, xml, html, etc. We can load them into dataframes.

```
import pandas as pd
```

#### 1.1.1.1 CSV

We have done this when we learned pandas. You can get the path of your csv file, and feed the path to the function `read_csv`.

Default setting A lot cases, default setting will do the job.

```
df = pd.read_csv('/content/ds_salaries.csv')
```

```
df.head()
```

	Unnamed: 0	work_year	experience_level	employment_type	\
0	0	2020	MI	FT	
1	1	2020	SE	FT	

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```
2      2      2020      SE      FT
3      3      2020      MI      FT
4      4      2020      SE      FT

          job_title  salary salary_currency  salary_in_usd \
0    Data Scientist    70000        EUR        79833
1  Machine Learning  260000        USD       260000
2    Big Data Engineer    85000        GBP       109024
3   Product Data Analyst    20000        USD       20000
4  Machine Learning Eng  150000        USD       150000

employee_residence  remote_ratio company_location company_size
0                  DE            0             DE           L
1                  JP            0             JP           S
2                  GB            50            GB           M
3                  HN            0             HN           S
4                  US            50            US           L
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 607 entries, 0 to 606
Data columns (total 12 columns):
 #   Column           Non-Null Count  Dtype  
 ---  --  
 0   Unnamed: 0        607 non-null    int64  
 1   work_year         607 non-null    int64  
 2   experience_level 607 non-null    object  
 3   employment_type   607 non-null    object  
 4   job_title         607 non-null    object  
 5   salary            607 non-null    int64  
 6   salary_currency   607 non-null    object  
 7   salary_in_usd    607 non-null    int64  
 8   employee_residence 607 non-null    object  
 9   remote_ratio      607 non-null    int64  
 10  company_location  607 non-null    object  
 11  company_size      607 non-null    object  
dtypes: int64(5), object(7)
memory usage: 57.0+ KB
```

Customize setting You can manipulate arguments for your specific csv file

```
df = pd.read_csv('/content/ds_salaries.csv', header = None)
df.head()
```

```
0      1      2      3   \
0  NaN  work_year  experience_level  employment_type
1  0.0      2020            MI          FT
2  1.0      2020            SE          FT
3  2.0      2020            SE          FT
4  3.0      2020            MI          FT

          4      5      6      7   \

```



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```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 607 entries, 0 to 606
Data columns (total 12 columns):
 #   Column  Non-Null Count  Dtype  
--- 
 0   0        607 non-null    int64  
 1   1        607 non-null    int64  
 2   2        607 non-null    object  
 3   3        607 non-null    object  
 4   4        607 non-null    object  
 5   5        607 non-null    int64  
 6   6        607 non-null    object  
 7   7        607 non-null    int64  
 8   8        607 non-null    object  
 9   9        607 non-null    int64  
 10  10       607 non-null    object  
 11  11       607 non-null    object  
dtypes: int64(5), object(7)
memory usage: 57.0+ KB
```

```
df = pd.read_csv('/content/ds_salaries.csv', header = None,
                 skiprows=1, skipfooter=300)
df.head()
```

```
0   1   2   3                               4   5   6   7   8   9   \
0   0   2020 MI   FT          Data Scientist  70000 EUR  79833 DE   0
1   1   2020 SE   FT  Machine Learning Scientist 260000 USD 260000 JP   0
2   2   2020 SE   FT          Big Data Engineer  85000 GBP 109024 GB   50
3   3   2020 MI   FT          Product Data Analyst 20000 USD 20000 HN   0
4   4   2020 SE   FT  Machine Learning Engineer 150000 USD 150000 US   50

10  11
0   DE  L
1   JP  S
2   GB  M
3   HN  S
4   US  L
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 307 entries, 0 to 306
Data columns (total 12 columns):
 #   Column  Non-Null Count  Dtype  
--- 
 0   0        307 non-null    int64  
 1   1        307 non-null    int64  
 2   2        307 non-null    object  
 3   3        307 non-null    object  
 4   4        307 non-null    object  
 5   5        307 non-null    int64  
 6   6        307 non-null    object
```

```

7   7      307 non-null    int64
8   8      307 non-null    object
9   9      307 non-null    int64
10 10     307 non-null    object
11 11     307 non-null    object
dtypes: int64(5), object(7)
memory usage: 28.9+ KB

```

### 1.1.1.2 TXT

If the txt follows csv format, then it can be read as a csv file

```
df = pd.read_csv('/content/ds_salaries.txt')
df
```

```

Unnamed: 0 work_year experience_level employment_type \
0          0      2020            MI        FT
1          1      2020            SE        FT
2          2      2020            SE        FT
3          3      2020            MI        FT
4          4      2020            SE        FT
...        ...
602       602      2022            SE        FT
603       603      2022            SE        FT
604       604      2022            SE        FT
605       605      2022            SE        FT
606       606      2022            MI        FT

job_title    salary salary_currency salary_in_usd \
0   Data Scientist    70000        EUR        79833
1 Machine Learning Scientist  260000        USD        260000
2   Big Data Engineer    85000        GBP        109024
3   Product Data Analyst    20000        USD        20000
4   Machine Learning Engineer 150000        USD        150000
...        ...
602   Data Engineer    154000        USD        154000
603   Data Engineer    126000        USD        126000
604   Data Analyst    129000        USD        129000
605   Data Analyst    150000        USD        150000
606   AI Scientist    200000        USD        200000

employee_residence remote_ratio company_location company_size
0             DE         0            DE           L
1             JP         0            JP           S
2             GB        50            GB           M
3             HN         0            HN           S
4             US        50            US           L
...        ...
602            US        100           US           M
603            US        100           US           M
604            US         0            US           M
605            US        100           US           M
606            IN        100           US           L

```

[607 rows x 12 columns]

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### 1.1.1.3 Excel

```
df = pd.read_excel('/content/ds_salaries.xlsx')
```

```
df.head()
```

```
Unnamed: 0    work_year  experience_level  employment_type  \
0            0        2020                 MI                FT
1            1        2020                 SE                FT
2            2        2020                 SE                FT
3            3        2020                 MI                FT
4            4        2020                 SE                FT

          job_title   salary  salary_currency  salary_in_usd  \
0      Data Scientist     70000           EUR         79833
1  Machine Learning Scientist  260000           USD        260000
2      Big Data Engineer     85000           GBP        109024
3      Product Data Analyst     20000           USD        20000
4      Machine Learning Engineer  150000           USD        150000

employee_residence  remote_ratio company_location company_size
0                  DE             0              DE             L
1                  JP             0              JP             S
2                  GB            50              GB             M
3                  HN             0              HN             S
4                  US            50              US             L
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 607 entries, 0 to 606
Data columns (total 12 columns):
 #   Column           Non-Null Count  Dtype  
 ---  --  
 0   Unnamed: 0       607 non-null    int64  
 1   work_year        607 non-null    int64  
 2   experience_level 607 non-null    object  
 3   employment_type  607 non-null    object  
 4   job_title         607 non-null    object  
 5   salary            607 non-null    int64  
 6   salary_currency  607 non-null    object  
 7   salary_in_usd   607 non-null    int64  
 8   employee_residence 607 non-null    object  
 9   remote_ratio      607 non-null    int64  
 10  company_location 607 non-null    object  
 11  company_size      607 non-null    object  
dtypes: int64(5), object(7)
memory usage: 57.0+ KB
```

#### 1.1.1.4 json

```
df = pd.read_json('/content/ds_salaries.json')
df.head()
```

```
FIELD1  work_year  experience_level  employment_type  \
0        0          2020            MI             FT
1        1          2020            SE             FT
2        2          2020            SE             FT
3        3          2020            MI             FT
4        4          2020            SE             FT

                job_title  salary  salary_currency  salary_in_usd  \
0      Data Scientist    70000           EUR          79833
1  Machine Learning Scientist   260000          USD         260000
2      Big Data Engineer    85000           GBP         109024
3      Product Data Analyst   20000           USD          20000
4      Machine Learning Eng   150000          USD         150000

employee_residence  remote_ratio  company_location  company_size
0                  DE            0                 DE              L
1                  JP            0                 JP              S
2                  GB            50                GB              M
3                  HN            0                 HN              S
4                  US            50                US              L
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 607 entries, 0 to 606
Data columns (total 12 columns):
 #   Column           Non-Null Count  Dtype  
 --- 
 0   FIELD1          607 non-null    int64  
 1   work_year        607 non-null    int64  
 2   experience_level 607 non-null    object  
 3   employment_type  607 non-null    object  
 4   job_title        607 non-null    object  
 5   salary           607 non-null    int64  
 6   salary_currency 607 non-null    object  
 7   salary_in_usd   607 non-null    int64  
 8   employee_residence 607 non-null    object  
 9   remote_ratio     607 non-null    int64  
 10  company_location 607 non-null    object  
 11  company_size     607 non-null    object  
dtypes: int64(5), object(7)
memory usage: 57.0+ KB
```

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### 1.1.1.5 XML

```
df = pd.read_xml('/content/ds_salaries.xml')
df.head()
```

```
FIELD1    work_year  experience_level  employment_type  \
0          0           2020                MI              FT
1          1           2020                SE              FT
2          2           2020                SE              FT
3          3           2020                MI              FT
4          4           2020                SE              FT

                           job_title   salary salary_currency  salary_in_usd  \
0      Data Scientist     70000        EUR            79833
1  Machine Learning Sci...  260000        USD           260000
2      Big Data Engineer   85000        GBP           109024
3      Product Data Analys...  20000        USD            20000
4      Machine Learning Engi... 150000        USD           150000

employee_residence  remote_ratio company_location company_size
0                  DE             0                 DE               L
1                  JP             0                 JP               S
2                  GB             50                GB               M
3                  HN             0                 HN               S
4                  US             50                US               L
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 607 entries, 0 to 606
Data columns (total 12 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   FIELD1          607 non-null    int64  
 1   work_year        607 non-null    int64  
 2   experience_level 607 non-null    object  
 3   employment_type  607 non-null    object  
 4   job_title         607 non-null    object  
 5   salary            607 non-null    int64  
 6   salary_currency  607 non-null    object  
 7   salary_in_usd   607 non-null    int64  
 8   employee_residence 607 non-null    object  
 9   remote_ratio     607 non-null    int64  
 10  company_location 607 non-null    object  
 11  company_size     607 non-null    object  
dtypes: int64(5), object(7)
memory usage: 57.0+ KB
```

### 1.1.1.6 HTM

```
df = pd.read_html('/content/ds_salaries.htm')[0]
df.head()
```

```
FIELD1    work_year experience_level employment_type \
0          0           2020             MI            FT
1          1           2020             SE            FT
2          2           2020             SE            FT
3          3           2020             MI            FT
4          4           2020             SE            FT

                job_title   salary salary_currency  salary_in_usd \
0      Data Scientist     70000        EUR            79833
1  Machine Learning Scientist  260000       USD            260000
2      Big Data Engineer    85000        GBP            109024
3      Product Data Analyst  20000       USD            20000
4      Machine Learning Engineer  150000       USD            150000

employee_residence  remote_ratio company_location company_size
0                  DE            0              DE            L
1                  JP            0              JP            S
2                  GB            50             GB            M
3                  HN            0              HN            S
4                  US            50             US            L
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 607 entries, 0 to 606
Data columns (total 12 columns):
 #   Column           Non-Null Count  Dtype  
 --- 
 0   FIELD1          607 non-null    int64  
 1   work_year        607 non-null    int64  
 2   experience_level 607 non-null    object  
 3   employment_type  607 non-null    object  
 4   job_title         607 non-null    object  
 5   salary            607 non-null    int64  
 6   salary_currency   607 non-null    object  
 7   salary_in_usd    607 non-null    int64  
 8   employee_residence 607 non-null    object  
 9   remote_ratio      607 non-null    int64  
 10  company_location  607 non-null    object  
 11  company_size      607 non-null    object  
dtypes: int64(5), object(7)
memory usage: 57.0+ KB
```

### 1.1.2 Documentation

It is always good to have a reference of the read files functions in pandas. You can find it via <https://pandas.pydata.org/docs/reference/io.html>

## 1.2 COLLECT DATA FROM THE WEB

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Collecting data from the web is essential for various reasons:

- Access to vast amounts of information: The web contains an immense amount of data on diverse topics. By collecting data from the web, you can tap into this vast information pool and gain insights that can inform decision-making, research, analysis, and more.
- Real-time and up-to-date data: The web provides a platform for the dissemination of real-time and up-to-date information. By collecting data from the web, you can stay informed about the latest news, trends, market updates, social media activity, and other dynamic sources of information.
- Competitive intelligence: Collecting data from the web allows you to monitor your competitors, track their activities, analyze their strategies, and gain insights into the market landscape. This can help you make informed decisions and stay ahead in a competitive environment.
- Research and analysis: Web data collection is crucial for research, analysis, and data-driven insights. By collecting data from diverse sources, you can validate hypotheses, perform statistical analysis, conduct sentiment analysis, and uncover patterns or trends that can enhance understanding and drive informed decision-making.

The web has many websites, including structured websites, semi-structured websites, and unstructured websites, that differ in terms of their organization and consistency.

- Structured Websites: Structured websites have a well-defined and organized format, making it easy to locate specific information. They often follow a consistent layout and have clearly defined sections. Structured websites generally pose fewer challenges for data collection as the information is neatly organized. However, occasional variations in page layouts or changes in website structure can introduce some level of complexity. To collect data from structured websites, you can utilize libraries like Beautiful Soup or lxml in Python. These libraries enable you to parse the HTML structure of the web pages and extract desired data using specific tags or CSS selectors.
- Semi-Structured Websites: Semi-structured websites contain a mixture of structured and unstructured data. While certain sections might be organized, others may have varying formats or lack consistent organization. The main challenge with semi-structured websites is the inconsistency in data presentation. The lack of uniformity in structure and formatting requires additional effort to identify and extract the relevant data. Similar to structured websites, libraries like Beautiful Soup or lxml can help parse and extract data from semi-structured websites. However, you may need to employ additional techniques such as regular expressions or data cleaning procedures to handle variations in data presentation.

- Unstructured Websites: Unstructured websites lack a clear organization or predefined structure. They may have free-form text, multimedia content, and unorganized data scattered across multiple pages. Unstructured websites pose the most significant challenges for data collection due to the absence of consistent structure. The data may be embedded within paragraphs, images, or other non-tabular formats, requiring sophisticated techniques for extraction. For unstructured websites, natural language processing (NLP) techniques and machine learning algorithms can be employed to extract relevant information. These methods involve parsing the web content, identifying patterns, and applying text processing algorithms to extract structured data.

In summary, structured websites provide a clear structure, making data collection relatively straightforward. Semi-structured websites introduce some variability, requiring careful handling of inconsistencies. Unstructured websites present the most significant challenges, necessitating advanced techniques such as NLP and machine learning to extract structured information. Python libraries like BeautifulSoup, lxml, and NLP frameworks can assist in parsing and extracting data from these different types of websites, adapting to their specific characteristics and complexities.

### 1.2.1 Tutorial – Collect Data from Web

```
import pandas as pd
```

#### 1.2.1.1 Wiki

Some websites maintains structured data, which is easy to read

```
table = pd.read_html('https://en.wikipedia.org/wiki/
List_of_countries_by_GDP_(nominal)#Table')
```

```
for i in table:
    print(type(i))
```

```
<class 'pandas.core.frame.DataFrame'>
```

```
for i in table:
    print(i.columns)
```

```
Int64Index([0], dtype='int64')
Int64Index([0, 1, 2], dtype='int64')
MultiIndex([( 'Country/Territory', 'Country/Territory'),
( 'UN Region', 'UN Region')],
```

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```
(      'IMF[1][13]',      'Estimate'),
(      'IMF[1][13]',      'Year'),
(  'World Bank[14]',      'Estimate'),
(  'World Bank[14]',      'Year'),
('United Nations[15]',      'Estimate'),
('United Nations[15]',      'Year']),
)
...
Int64Index([0, 1], dtype='int64')
```

```
df = table[2]
df.head()
```

Country/Territory	UN Region	IMF[1][13]	World Bank[14]	\	
Country/Territory	UN Region	Estimate	Year	Estimate	Year
0 World	-	101560901	2022	96513077	2021
1 United States	Americas	25035164	2022	22996100	2021
2 China	Asia	18321197	[n 1]2022	17734063	[n 3]2021
3 Japan	Asia	4300621	2022	4937422	2021
4 Germany	Europe	4031149	2022	4223116	2021

United Nations[15]		
	Estimate	Year
0	85328323	2020
1	20893746	2020
2	14722801	[n 1]2020
3	5057759	2020
4	3846414	2020

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 217 entries, 0 to 216
Data columns (total 8 columns):
 #   Column           Non-Null Count  Dtype  
 --- 
 0   (Country/Territory, Country/Territory)  217 non-null   object 
 1   (UN Region, UN Region)                 217 non-null   object 
 2   (IMF[1][13], Estimate)                217 non-null   object 
 3   (IMF[1][13], Year)                   217 non-null   object 
 4   (World Bank[14], Estimate)             217 non-null   object 
 5   (World Bank[14], Year)                217 non-null   object 
 6   (United Nations[15], Estimate)         217 non-null   object 
 7   (United Nations[15], Year)              217 non-null   object 
dtypes: object(8)
memory usage: 13.7+ KB
```

### 1.2.1.2 Web Scraping

Some websites are semi-structured, which has metadata, such as labels, classes, etc, so we can look into their source code, and do web scraping.

Note: You need to have a basic understanding of html, xml, in order to understand the source code and collect data from these websites.

Note: Some websites prevent users from scraping or scraping rapidly.

The first thing we'll need to do to scrape a web page is to download the page. We can download pages using the Python `requests` library.

The `requests` library will make a GET request to a web server, which will download the HTML contents of a given web page for us. There are several different types of requests we can make using `requests`, of which GET is just one. If you want to learn more, check out our API tutorial.

Let's try downloading a simple sample website, <https://dataquestio.github.io/web-scraping-pages/simple.html>.

Download by requests We'll need to first import the `requests` library, and then download the page using the `requests.get` method:

```
import requests

page = requests.get("https://dataquestio.github.io/
                     web-scraping-pages/simple.html")
page
```

<Response [200]>

After running our request, we get a `Response` object. This object has a `status_code` property, which indicates if the page was downloaded successfully:

```
page.status_code
```

200

A `status_code` of 200 means that the page downloaded successfully. We won't fully dive into status codes here, but a status code starting with a 2 generally indicates success, and a code starting with a 4 or a 5 indicates an error.

We can print out the HTML content of the page using the `content` property:

```
page.content
```

```
b'<!DOCTYPE html>\n<html>\n    <head>\n        <title>A simple example\npage</title>\n    </head>\n    <body>\n        <p>Here is some\nsimple content for this page.</p>\n    </body>\n</html>'
```

Parsing by BeautifulSoup As you can see above, we now have downloaded an HTML document.

We can use the `BeautifulSoup` library to parse this document, and extract the text from the `p` tag.

```
from bs4 import BeautifulSoup
soup = BeautifulSoup(page.content, 'html.parser')
```

We can now print out the HTML content of the page, formatted nicely, using the `prettify` method on the `BeautifulSoup` object.

```
print(soup.prettify())
```

```
<!DOCTYPE html>
<html>
  <head>
    <title>
      A simple example page
    </title>
  </head>
  <body>
    <p>
      Here is some simple content for this page.
    </p>
  </body>
</html>
```

This step isn't strictly necessary, and we won't always bother with it, but it can be helpful to look at prettified HTML to make the structure of the and where tags are nested easier to see.

**Finding Tags** Finding all instances of a tag at once What we did above was useful for figuring out how to navigate a page, but it took a lot of commands to do something fairly simple. If we want to extract a single tag, we can instead use the `find_all` method, which will find all the instances of a tag on a page.

If we are looking for the title, we can look for `<title>` tag

```
soup.find_all('title')
```

```
[<title>A simple example page</title>]
```

```
for t in soup.find_all('title'):
    print(t.get_text())
```

```
A simple example page
```

If we are looking for text, we can look for `<p>` tag

```
for t in soup.find_all('p'):
    print(t.get_text())
```

```
Here is some simple content for this page.
```

If you instead only want to find the first instance of a tag, you can use the `find` method, which will return a single BeautifulSoup object:

```
soup.find('p').get_text()
```

```
{"type": "string"}
```

Searching for tags by class and id:

Classes and ids are used by CSS to determine which HTML elements to apply certain styles to. But when we're scraping, we can also use them to specify the elements we want to scrape.

Let's try another page.

```
page = requests.get("https://dataquestio.github.io/web-scraping-pages/ids_and_classes.html")
soup = BeautifulSoup(page.content, 'html.parser')
soup
```

```
<html>
<head>
<title>A simple example page</title>
</head>
<body>
<div>
<p class="inner-text first-item" id="first">
    First paragraph.
</p>
<p class="inner-text">
    Second paragraph.
</p>
</div>
<p class="outer-text first-item" id="second">
<b>
    First outer paragraph.
</b>
</p>
<p class="outer-text">
<b>
    Second outer paragraph.
</b>
</p>
</body>
</html>
```

Now, we can use the `find_all` method to search for items by class or by id. In the below example, we'll search for any p tag that has the class `outer-text`:

```
soup.find_all('p', class_='outer-text')
```

```
[<p class="outer-text first-item" id="second">
<b>
```

```

        First outer paragraph.
    </b>
</p>, <p class="outer-text">
<b>
        Second outer paragraph.
    </b>
</p>]
```

In the below example, we'll look for any tag that has the class outer-text:

```
soup.find_all(class_="outer-text")
```

```
[<p class="outer-text first-item" id="second">
<b>
        First outer paragraph.
    </b>
</p>, <p class="outer-text">
<b>
        Second outer paragraph.
    </b>
</p>]
```

We can also search for elements by id:

```
soup.find_all(id="first")
```

```
[<p class="inner-text first-item" id="first">
        First paragraph.
    </p>]
```

## 1.2.2 Case Study – Collect Weather Data from Web

### 1.2.2.1 Downloading Weather Data

We now know enough to proceed with extracting information about the local weather from the National Weather Service website!

The local weather of Boulder, CO is: <https://forecast.weather.gov/MapClick.php?lat=40.0466&lon=-105.2523#.YwpRBy2B1f0>

Time to Start Scraping!

We now know enough to download the page and start parsing it. In the below code, we will:

- Download the web page containing the forecast.
- Create a BeautifulSoup class to parse the page.
- Find the div with id seven-day-forecast, and assign to seven\_day
- Inside seven\_day, find each individual forecast item. Extract and print the first forecast item.

```

import requests
from bs4 import BeautifulSoup

page = requests.get("https://forecast.weather.gov/
    MapClick.php?lat=40.0466&lon=-105.2523#.YwpRBy2B1f0")
soup = BeautifulSoup(page.content, 'html.parser')
seven_day = soup.find(id="seven-day-forecast")
forecast_items = seven_day.find_all(class_="tombstone-container")
print(forecast_items)

```

```

[<div class="tombstone-container">
<p class="period-name">Today<br/><br/></p>
<p><img alt="Today: Sunny...">
<p class="period-name">Tonight<br/><br/></p>
<p><img alt="Tonight: Mostly clear...">
...
tonight = forecast_items[0]
print(tonight.prettify())

```

```

<div class="tombstone-container">
<p class="period-name">
    Today
    <br/>
    <br/>
</p>
<p>
    
</p>
<p class="short-desc">
    Sunny
</p>
<p class="temp temp-high">
    High: 88 °F
</p>
</div>

```

### 1.2.2.2 Extracting Information of Tonight

As we can see, inside the forecast item tonight is all the information we want. There are four pieces of information we can extract:

- The name of the forecast item – in this case, Tonight.
- The description of the conditions – this is stored in the title property of img.
- A short description of the conditions – in this case, Sunny and hot.
- The temperature hight – in this case, 98 degrees.

We'll extract the name of the forecast item, the short description, and the temperature first, since they're all similar:

```
period = tonight.find(class_="period-name").get_text()
short_desc = tonight.find(class_="short-desc").get_text()
temp = tonight.find(class_="temp").get_text()
print(period)
print(short_desc)
print(temp)
```

```
Today
Sunny
High: 88 °F
```

Now, we can extract the title attribute from the img tag. To do this, we just treat the BeautifulSoup object like a dictionary, and pass in the attribute we want as a key:

```
img = tonight.find("img")
desc = img['title']
print(desc)
```

```
Today: Sunny,
with a high near 88.
Northwest wind 9 to 13 mph,
with gusts as high as 21 mph.
```

### 1.2.2.3 Extract all Nights!

Now that we know how to extract each individual piece of information, we can combine our knowledge with CSS selectors and list comprehensions to extract everything at once.

In the below code, we will:

Select all items with the class period-name inside an item with the class tombstone-container in seven\_day. Use a list comprehension to call the get\_text method on each BeautifulSoup object.

```
period_tags = seven_day.select(".tombstone-container .period-name")
periods = [pt.get_text() for pt in period_tags]
periods
```

```
['Today',
'Tonight',
'Sunday',
'SundayNight',
'Monday',
'MondayNight',
'Tuesday',
'TuesdayNight',
'Wednesday']
```

As we can see above, our technique gets us each of the period names, in order.

We can apply the same technique to get the other three fields:

```
short_descs = [sd.get_text() for sd in seven_day.select(
    ".tombstone-container .short-desc")]
temps = [t.get_text() for t in seven_day.select(
    ".tombstone-container .temp")]
descs = [d["title"] for d in seven_day.select(
    ".tombstone-container img")]

print(short_descs)
print(temps)
print(descs)
```

```
['Sunny', 'Mostly Clear', 'Sunny then Slight Chance T-storms', ...]
['High: 88 °F', 'Low: 59 °F', 'High: 88 °F', 'Low: 57 °F', ...]
['Today: Sunny, with a high near 88. Northwest wind 9 to 13 mph...']
```

#### 1.2.2.4 Deal with Data

We can now combine the data into a Pandas DataFrame and analyze it. A DataFrame is an object that can store tabular data, making data analysis easy.

In order to do this, we'll call the DataFrame class, and pass in each list of items that we have. We pass them in as part of a dictionary.

Each dictionary key will become a column in the DataFrame, and each list will become the values in the column:

```
import pandas as pd
weather = pd.DataFrame({
    "period": periods,
    "short_desc": short_descs,
    "temp": temps,
    "desc": descs
})
weather
```

Now let's save it to CSV.

```
weather.to_csv('data/Boulder_Weather_7_Days.csv')
```

## 1.3 COLLECT DATA FROM SQL DATABASES

---

Storing data in SQL databases offers several advantages and considerations. The advantages are:

- Advantages of Storing Data in SQL Databases: Structured Storage: SQL databases provide a structured storage model with tables, rows, and columns, allowing for efficient organization and retrieval of data.

- Data Integrity and Consistency: SQL databases enforce data integrity through constraints, such as primary keys, unique keys, and referential integrity, ensuring the accuracy and consistency of the stored data.
- Querying and Analysis: SQL databases offer powerful query languages (e.g., SQL) that enable complex data retrieval, filtering, aggregations, and analysis operations.
- ACID Compliance: SQL databases adhere to ACID (Atomicity, Consistency, Isolation, Durability) properties, ensuring reliable and transactional data operations.

To collect data from a SQL database, you need to establish a connection to the database server. This typically involves providing connection details such as server address, port, username, and password. Once connected, you can use SQL queries to extract data from the database. Queries can range from simple retrieval of specific records to complex joins, aggregations, and filtering operations. Python provides several libraries for interacting with SQL databases, such as sqlite3, psycopg2, pymysql, and pyodbc. These libraries allow you to establish connections, execute SQL queries, and retrieve the query results into Python data structures for further processing.

### 1.3.1 Tutorial – Collect Data from SQLite

#### 1.3.1.1 *What is SQLite*

A file with the .sqlite extension is a lightweight SQL database file created with the SQLite software. It is a database in a file itself and implements a self-contained, full-featured, highly-reliable SQL database engine.

We use SQLite to demonstrate the approach to access SQL databases. They follow similar steps. You just need to setup your account credentials in the `connect` so you can connect the server.

#### 1.3.1.2 *Read an SQLite Database in Python*

We use a Python package, sqlite3, to deal with SQLite databases. Once the sqlite3 package is imported, the general steps are:

1. Create a connection object that connects the SQLite database.
2. Create a cursor object
3. Create a query statement
4. Execute the query statement
5. Fetch the query result to result
6. If all work is done, close the connection.

We use the built-in SQLite database Chinook as the example here. We connect with the database, and show all the tables it contains.

```

import sqlite3

connection = sqlite3.connect('/content/ds_salaries.sqlite')
cursor = connection.cursor()

query = """
SELECT name FROM sqlite_master
WHERE type='table';
"""

cursor.execute(query)
results = cursor.fetchall()
results

```

[('ds\_salaries',)]

### 1.3.1.3 Play with the SQLite Databases

Using SQL statements, you can play with the SQLite Databases and get the data you need.

```

query = """
SELECT *
FROM ds_salaries"""

cursor.execute(query)
results = cursor.fetchall()
results

```

```

[(None,
  'work_year',
  'experience_level',
  'employment_type',
  'job_title',
  'salary',
  'salary_currency',
  'salary_in_usd',
  'employee_residence',
  'remote_ratio',
  'company_location',
  'company_size'),
(0,
  '2020',
  'MI',
  'FT',
  'Data Scientist',
  '70000',
  'EUR',
  '79833',
  'DE',
  '0',
  'DE',
  'L')]

```

```
...,
(606,
 '2022',
 'MI',
 'FT',
 'AI Scientist',
 '200000',
 'USD',
 '200000',
 'IN',
 '100',
 'US',
 'L')]
```

#### 1.3.1.4 Save Data to CSV Files

Since CSV file is much more convenient to process, we still use pandas to convert and to write to CSV files.

```
import pandas as pd

df = pd.DataFrame(results)
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 608 entries, 0 to 607
Data columns (total 12 columns):
 #   Column   Non-Null Count  Dtype  
 ---  --  
 0   0          607 non-null    float64
 1   1          608 non-null    object 
 2   2          608 non-null    object 
 3   3          608 non-null    object 
 4   4          608 non-null    object 
 5   5          608 non-null    object 
 6   6          608 non-null    object 
 7   7          608 non-null    object 
 8   8          608 non-null    object 
 9   9          608 non-null    object 
 10  10         608 non-null    object 
 11  11         608 non-null    object 
dtypes: float64(1), object(11)
memory usage: 57.1+ KB
```

```
df.iloc[0]
```

```
0              NaN
1      work_year
2  experience_level
3  employment_type
4        job_title
5          salary
6  salary_currency
```

```

7      salary_in_usd
8  employee_residence
9      remote_ratio
10   company_location
11   company_size
Name: 0, dtype: object

```

```

cols = list(df.iloc[0])
cols

```

```

[nan,
 'work_year',
 'experience_level',
 'employment_type',
 'job_title',
 'salary',
 'salary_currency',
 'salary_in_usd',
 'employee_residence',
 'remote_ratio',
 'company_location',
 'company_size']

```

```

df.columns = cols
df.info()

```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 608 entries, 0 to 607
Data columns (total 12 columns):
 #   Column            Non-Null Count  Dtype  
 ---  -- 
 0   nan               607 non-null    float64
 1   work_year         608 non-null    object 
 2   experience_level 608 non-null    object 
 3   employment_type   608 non-null    object 
 4   job_title         608 non-null    object 
 5   salary             608 non-null    object 
 6   salary_currency   608 non-null    object 
 7   salary_in_usd    608 non-null    object 
 8   employee_residence 608 non-null    object 
 9   remote_ratio      608 non-null    object 
 10  company_location 608 non-null    object 
 11  company_size      608 non-null    object 
dtypes: float64(1), object(11)
memory usage: 57.1+ KB

```

```

df.drop(0, inplace = True)
df

```

```

NaN work_year experience_level employment_type \
1   0.0       2020           MI          FT
2   1.0       2020           SE          FT
3   2.0       2020           SE          FT

```

```

4      3.0    2020        MI      FT
5      4.0    2020        SE      FT
...
603   602.0   2022        SE      FT
604   603.0   2022        SE      FT
605   604.0   2022        SE      FT
606   605.0   2022        SE      FT
607   606.0   2022        MI      FT

          job_title  salary salary_currency salary_in_usd \
1       Data Scientist    70000      EUR            79833
2  Machine Learning Scientist  260000     USD           260000
3       Big Data Engineer   85000      GBP           109024
4      Product Data Analyst  20000      USD            20000
5      Machine Learning Eng  150000     USD           150000
...
603       Data Engineer   154000     USD           154000
604       Data Engineer   126000     USD           126000
605       Data Analyst    129000     USD           129000
606       Data Analyst    150000     USD           150000
607      AI Scientist    200000     USD           200000

employee_residence remote_ratio company_location company_size
1                  DE         0          DE          L
2                  JP         0          JP          S
3                  GB        50          GB          M
4                  HN         0          HN          S
5                  US        50          US          L
...
603                 US        100          US          M
604                 US        100          US          M
605                 US         0          US          M
606                 US        100          US          M
607                 IN        100          US          L

```

[607 rows x 12 columns]

```

cursor.close()
connection.close()

```

### 1.3.2 Case Study – Collect Shopping Data from SQLite

Now you have learned how to collect data from a SQLite database. Let's practice!

The attached `shopping.sqlite` file contains a dummy shopping dataset. Try to use your knowledge of collecting data from a SQL database, and retrieve information from it.

### 1.3.2.1 Establish the connection

```
import sqlite3

connection = sqlite3.connect('/content/shopping.sqlite')
cursor = connection.cursor()

query = """
SELECT name FROM sqlite_master
WHERE type='table';
"""

cursor.execute(query)
results = cursor.fetchall()
results
```

[('customer\_shopping\_data',)]

### 1.3.2.2 Retrieve Information from the Database

```
query = """
SELECT *
FROM customer_shopping_data
Limit 3"""

cursor.execute(query)
results = cursor.fetchall()
results
```

[('I138884',  
 'C241288',  
 'Female',  
 28,  
 'Clothing',  
 5,  
 1500.4,  
 'Credit Card',  
 '5/8/2022',  
 'Kanyon'),  
 ('I317333',  
 'C111565',  
 'Male',  
 21,  
 'Shoes',  
 3,  
 1800.51,  
 'Debit Card',  
 '12/12/2021',  
 'Forum Istanbul'),  
 ('I127801',  
 'C266599',  
 'Male',  
 20,

```
'Clothing',
1,
300.08,
'Cash',
'9/11/2021',
'Metrocity']
```

### 1.3.2.3 Fetch all Records

```
query = '''SELECT *
FROM customer_shopping_data
'''

cursor.execute(query)
results = cursor.fetchall()
```

### 1.3.2.4 Columns' Names

We learned that the missing columns' names are: ['invoice\_no', 'customer\_id', 'gender', 'age', 'category', 'quantity', 'price', 'payment\_method', 'invoice\_date', 'shopping\_mall'].

Combine this information and create a DataFrame of the shopping data, then save it to a CSV file for later use.

```
cols = ['invoice_no',
        'customer_id',
        'gender',
        'age',
        'category',
        'quantity',
        'price',
        'payment_method',
        'invoice_date',
        'shopping_mall']
```

```
import pandas as pd
```

```
df = pd.DataFrame(results, columns= cols)
df.info()
```

#	Column	Non-Null Count	Dtype
0	invoice_no	16029 non-null	object
1	customer_id	16029 non-null	object
2	gender	16029 non-null	object
3	age	16029 non-null	int64
4	category	16029 non-null	object
5	quantity	16029 non-null	int64

```

6   price          16029 non-null  float64
7   payment_method 16029 non-null  object
8   invoice_date   16029 non-null  object
9   shopping_mall  16029 non-null  object
dtypes: float64(1), int64(2), object(7)
memory usage: 1.2+ MB

```

```
df.head()
```

	invoice_no	customer_id	gender	age	category	quantity	price	\
0	I138884	C241288	Female	28	Clothing	5	1500.40	
1	I317333	C111565	Male	21	Shoes	3	1800.51	
2	I127801	C266599	Male	20	Clothing	1	300.08	
3	I173702	C988172	Female	66	Shoes	5	3000.85	
4	I337046	C189076	Female	53	Books	4	60.60	

	payment_method	invoice_date	shopping_mall
0	Credit Card	5/8/2022	Kanyon
1	Debit Card	12/12/2021	Forum Istanbul
2	Cash	9/11/2021	Metrocity
3	Credit Card	16/05/2021	Metropol AVM
4	Cash	24/10/2021	Kanyon

### 1.3.2.5 Save your retrieve information as a CSV file

```
df.to_csv('/content/shopping.csv')
```

## 1.4 COLLECT DATA THROUGH APIs

Collecting data through APIs (Application Programming Interfaces) offers several advantages:

- Structured Data: APIs provide structured and standardized data formats, making it easier to consume and integrate into applications or analysis pipelines.
- Real-time and Updated Data: APIs often provide real-time or near-real-time data, allowing you to access the latest information dynamically.
- Controlled Access: APIs allow data providers to control access to their data by implementing authentication mechanisms, usage limits, and access permissions.
- Targeted Data: APIs enable you to request specific data elements or subsets of data, minimizing unnecessary data transfer and processing.
- Automation and Integration: APIs facilitate automated data collection and integration into your workflows or systems.

There are some limitations and considerations too:

- Rate Limits and Usage Restrictions: Some APIs impose rate limits, usage quotas, or require subscription plans for accessing data beyond certain thresholds.

- Data Quality and Reliability: API data quality and reliability depend on the data provider. It's important to verify the accuracy, completeness, and consistency of the data obtained through APIs.
- API Changes and Deprecation: APIs may evolve over time, and changes to endpoints, parameters, or authentication mechanisms can require updates in your data collection code.

Examples of APIs are:

- Yahoo Finance API: The Yahoo Finance API provides access to financial market data, including stock quotes, historical prices, company information, and more. By interacting with the Yahoo Finance API, you can programmatically retrieve financial data for analysis, investment strategies, or market monitoring.
- OpenWeatherMap API: The OpenWeatherMap API offers weather data for various locations worldwide. You can fetch weather conditions, forecasts, historical weather data, and other meteorological information through their API.
- Twitter API: The Twitter API enables access to Twitter's vast collection of tweets and user data. You can use the API to retrieve tweets, monitor hashtags or keywords, analyze sentiment, and gain insights from Twitter's social media data.
- Google Maps API: The Google Maps API provides access to location-based services, including geocoding, distance calculations, routing, and map visualization. It allows you to integrate maps and location data into your applications or retrieve information related to places, addresses, or geographic features.

To collect data through APIs, you need to understand the API's documentation, authentication mechanisms, request formats (often in JSON or XML), and available endpoints. Python provides libraries such as `requests` and `urllib` that facilitate making HTTP requests to interact with APIs. You typically send HTTP requests with the required parameters, handle the API responses, and process the returned data according to your needs.

### 1.4.1 Tutorial – Collect Data from Yahoo

This tutorial will demonstrate how to use Python to retrieve financial data from Yahoo Finance. Using this, we may access historical market data as well as financial information about the company (for example, financial ratios).

#### 1.4.1.1 Installation

```
!pip install yfinance  
!pip install yahoofinancials
```

### 1.4.1.2 Analysis

The yfinance package can be imported into Python programs once it has been installed. We must use the company's ticker as an example in our argument.

A security is given a specific set of letters called a ticker or a stock symbol for trading purposes. For instance:

For Amazon, it is "AMZN" For Facebook, it is "FB" For Google, it is "GOOGL" For Microsoft, it is "MSFT"

```
import yfinance as yahooFinance

# Here We are getting Google's financial information
GoogleInfo = yahooFinance.Ticker("GOOGL")
```

### 1.4.1.3 Whole Python Dictionary is Printed Here

```
print(GoogleInfo.info)
```

```
{'zip': '94043', 'sector': 'Communication Services', ...
'logo_url': 'https://logo.clearbit.com/abc.xyz', 'trailingPegRatio': 1.3474}
```

The print statement produces a Python dictionary, which we can analyze and use to get the specific financial data we're looking for from Yahoo Finance. Let's take a few financial critical metrics as an example.

The info dictionary contains all firm information. As a result, we may extract the desired elements from the dictionary by parsing it:

We can retrieve financial key metrics like Company Sector, Price Earnings Ratio, and Company Beta from the above dictionary of items easily. Let us see the below code.

```
# display Company Sector
print("Company Sector : ", GoogleInfo.info['sector'])

# display Price Earnings Ratio
print("Price Earnings Ratio : ", GoogleInfo.info['trailingPE'])

# display Company Beta
print(" Company Beta : ", GoogleInfo.info['beta'])
```

```
Company Sector : Communication Services
Price Earnings Ratio : 1.6200992
Company Beta : 1.078487
```

There are a ton of more stuff in the information. By printing the informational keys, we can view all of them:

```
# get all key value pairs that are available
for key, value in GoogleInfo.info.items():
    print(key, ":", value)
```

```
zip : 94043
sector : Communication Services
fullTimeEmployees : 174014
longBusinessSummary : Alphabet Inc. ... in Mountain View, California.
city : Mountain View
...
logo_url : https://logo.clearbit.com/abc.xyz
trailingPegRatio : 1.3474
```

We can retrieve historical market prices too and display them. Additionally, we can utilize it to get earlier market data.

We will use historical Google stock values over the past few years as our example. It is a relatively easy assignment to complete, as demonstrated below:

```
# covering the past few years.
# max->maximum number of daily prices available
# for Google.
# Valid options are 1d, 5d, 1mo, 3mo, 6mo, 1y, 2y,
# 5y, 10y and ytd.
print(GoogleInfo.history(period="max"))
```

Date	Open	High	Low	Close	Volume	\
2004-08-19	2.502503	2.604104	2.401401	2.511011	893181924	
2004-08-20	2.527778	2.729730	2.515015	2.710460	456686856	
2004-08-23	2.771522	2.839840	2.728979	2.737738	365122512	
2004-08-24	2.783784	2.792793	2.591842	2.624374	304946748	
2004-08-25	2.626627	2.702703	2.599600	2.652653	183772044	
...	...	...	...	...	...	...
2022-08-29	109.989998	110.949997	108.800003	109.419998	21191200	
2022-08-30	110.169998	110.500000	107.800003	108.940002	27513300	
2022-08-31	110.650002	110.849998	108.129997	108.220001	28627000	
2022-09-01	108.279999	110.449997	107.360001	109.739998	28360900	
2022-09-02	110.589996	110.739998	107.261597	107.849998	23528231	

Date	Dividends	Stock Splits
2004-08-19	0	0.0
2004-08-20	0	0.0
2004-08-23	0	0.0
2004-08-24	0	0.0
2004-08-25	0	0.0
...	...	...
2022-08-29	0	0.0
2022-08-30	0	0.0
2022-08-31	0	0.0
2022-09-01	0	0.0
2022-09-02	0	0.0

[4543 rows x 7 columns]

We can pass our own start and end dates.

```
import datetime

start = datetime.datetime(2012,5,31)
end = datetime.datetime(2013,1,30)
print(GoogleInfo.history(start=start, end=end))
```

Date	Open	High	Low	Close	Volume	Dividends	\
2012-05-31	14.732733	14.764765	14.489489	14.536036	118613268	0	
2012-06-01	14.309059	14.330581	14.222973	14.288789	122193684	0	
2012-06-04	14.269770	14.526777	14.264515	14.479229	97210692	0	
2012-06-05	14.400651	14.467718	14.175926	14.274525	93502404	0	
2012-06-06	14.426426	14.563814	14.354605	14.528779	83748168	0	
...	...	...	...	...	...	...	...
2013-01-23	18.418167	18.743744	18.413162	18.556055	236127636	0	
2013-01-24	18.549549	18.939690	18.531281	18.874125	135172692	0	
2013-01-25	18.788038	18.980982	18.775024	18.860611	88946964	0	
2013-01-28	18.812813	18.908909	18.715965	18.787037	65018916	0	
2013-01-29	18.687437	18.942694	18.682182	18.860861	69814116	0	

#### Stock Splits

Date	
2012-05-31	0
2012-06-01	0
2012-06-04	0
2012-06-05	0
2012-06-06	0
...	...
2013-01-23	0
2013-01-24	0
2013-01-25	0
2013-01-28	0
2013-01-29	0

[166 rows x 7 columns]

We can simultaneously download historical prices for many stocks:

The code below Pandas DataFrame including the different price data for the requested stocks. We now select the individual stock by printing df.GOOG to have the historical market data for Google:

```
df = yahooFinance.download("AMZN GOOGL",
    start="2019-01-01", end="2020-01-01", group_by="ticker")
print(df)
print(df.GOOGL)
```

[\*\*\*\*\*100%\*\*\*\*\*] 2 of 2 completed

AMZN	Open	High	Low	Close	Adj Close	Volume	\
------	------	------	-----	-------	-----------	--------	---

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```
Date
2019-01-02 73.260002 77.667999 73.046501 76.956497 76.956497 159662000
2019-01-03 76.000504 76.900002 74.855499 75.014000 75.014000 139512000
2019-01-04 76.500000 79.699997 75.915497 78.769501 78.769501 183652000
2019-01-07 80.115501 81.727997 79.459503 81.475502 81.475502 159864000
2019-01-08 83.234497 83.830498 80.830498 82.829002 82.829002 177628000
...
2019-12-24 89.690498 89.778503 89.378998 89.460503 89.460503 17626000
2019-12-26 90.050499 93.523003 89.974998 93.438499 93.438499 120108000
2019-12-27 94.146004 95.070000 93.300499 93.489998 93.489998 123732000
2019-12-30 93.699997 94.199997 92.030998 92.344498 92.344498 73494000
2019-12-31 92.099998 92.663002 91.611504 92.391998 92.391998 50130000
```

```
GOOGL
      Open      High       Low     Close   Adj Close    Volume
Date
2019-01-02 51.360001 53.039501 51.264000 52.734001 52.734001 31868000
2019-01-03 52.533501 53.313000 51.118500 51.273499 51.273499 41960000
2019-01-04 52.127998 54.000000 51.842999 53.903500 53.903500 46022000
2019-01-07 54.048500 54.134998 53.132000 53.796001 53.796001 47446000
2019-01-08 54.299999 54.667500 53.417500 54.268501 54.268501 35414000
...
2019-12-24 67.510498 67.600502 67.208504 67.221497 67.221497 13468000
2019-12-26 67.327499 68.160004 67.275497 68.123497 68.123497 23662000
2019-12-27 68.199997 68.352501 67.650002 67.732002 67.732002 23212000
2019-12-30 67.840500 67.849998 66.891998 66.985497 66.985497 19994000
2019-12-31 66.789497 67.032997 66.606499 66.969498 66.969498 19514000
```

[252 rows x 12 columns]

```
      Open      High       Low     Close   Adj Close    Volume
Date
2019-01-02 51.360001 53.039501 51.264000 52.734001 52.734001 31868000
2019-01-03 52.533501 53.313000 51.118500 51.273499 51.273499 41960000
2019-01-04 52.127998 54.000000 51.842999 53.903500 53.903500 46022000
2019-01-07 54.048500 54.134998 53.132000 53.796001 53.796001 47446000
2019-01-08 54.299999 54.667500 53.417500 54.268501 54.268501 35414000
...
2019-12-24 67.510498 67.600502 67.208504 67.221497 67.221497 13468000
2019-12-26 67.327499 68.160004 67.275497 68.123497 68.123497 23662000
2019-12-27 68.199997 68.352501 67.650002 67.732002 67.732002 23212000
2019-12-30 67.840500 67.849998 66.891998 66.985497 66.985497 19994000
2019-12-31 66.789497 67.032997 66.606499 66.969498 66.969498 19514000
```

[252 rows x 6 columns]

### 1.4.1.4 Save the Data to CSV

```
df.to_csv('data/FinanceData.csv')
```

# Data Integration

---

DATA INTEGRATION is the process of combining data from different sources into a single, unified view. It involves the combination of data from different data types, structures, and formats to form a single dataset that can be used for analysis and reporting. This step is important because it allows for the analysis of data from multiple sources, which can provide a more complete and accurate picture of the data being analyzed.

There are several Python packages that are commonly used for data integration, including:

- Pandas: A powerful library for data manipulation and analysis that provides data structures such as DataFrame and Series, that allow you to combine, filter, transform, and shape your data.
- NumPy: A powerful library for array computation that provides a high-performance multidimensional array object and tools to work with these arrays.

## 2.1 DATA INTEGRATION

---

Objective: Collect data from various files, an SQLite database, and webpages for a client.

Steps to fulfill the request:

- Understand the requirements: Schedule a meeting with the client to gather detailed requirements. Determine the specific files, SQLite database, and webpages from which the client wants to collect data. Clarify the desired data format, extraction criteria, and any specific data processing requirements.
- Data collection from files: Identify the file formats (e.g., CSV, HTML, TXT, XLSX, JSON) and their locations. Utilize the appropriate Python libraries (e.g., Pandas) to read and extract data from each file format. Iterate through the

files, apply the relevant parsing techniques, and store the extracted data in a unified format (e.g., DataFrame).

- Data collection from SQLite database: Obtain the SQLite database file and connection details. Use a Python library (e.g., sqlite3) to establish a connection to the SQLite database. Execute SQL queries to retrieve the desired data from specific tables or views. Fetch the query results into a Python data structure (e.g., DataFrame) for further processing or integration with other data.
- Data collection from webpages: Identify the target webpages and determine the appropriate approach for data extraction. If the webpages are structured or semi-structured, leverage Python libraries (e.g., BeautifulSoup) to parse the HTML/XML content and extract the required data using tags or CSS selectors. If the webpages are unstructured or require interaction, consider tools like Selenium to automate browser interactions and extract data through web scraping or API calls. Apply relevant data cleaning and transformation steps as needed.

Remember to maintain clear communication with the client throughout the process, seeking clarification when needed and delivering the final dataset according to their specifications. Regularly document your progress and keep track of any challenges faced or solutions implemented.

## 2.1.1 Tutorial – Data Integration

### 2.1.1.1 Setup

```
import numpy as np
import pandas as pd

df = pd.read_csv('/content/sample_data/california_housing_test.csv')
df.head()
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
0	-122.05	37.37	27.0	3885.0	661.0	
1	-118.30	34.26	43.0	1510.0	310.0	
2	-117.81	33.78	27.0	3589.0	507.0	
3	-118.36	33.82	28.0	67.0	15.0	
4	-119.67	36.33	19.0	1241.0	244.0	

	population	households	median_income	median_house_value
0	1537.0	606.0	6.6085	344700.0
1	809.0	277.0	3.5990	176500.0
2	1484.0	495.0	5.7934	270500.0
3	49.0	11.0	6.1359	330000.0
4	850.0	237.0	2.9375	81700.0

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
```

```
RangeIndex: 3000 entries, 0 to 2999
Data columns (total 9 columns):
 #   Column            Non-Null Count  Dtype  
--- 
 0   longitude         3000 non-null    float64
 1   latitude          3000 non-null    float64
 2   housing_median_age 3000 non-null    float64
 3   total_rooms        3000 non-null    float64
 4   total_bedrooms     3000 non-null    float64
 5   population         3000 non-null    float64
 6   households         3000 non-null    float64
 7   median_income      3000 non-null    float64
 8   median_house_value 3000 non-null    float64
dtypes: float64(9)
memory usage: 211.1 KB
```

### 2.1.1.2 Concatenation

Documentation: <https://pandas.pydata.org/pandas-docs/stable/reference/api/pandas.concat.html>

```
df_1 = df[['longitude', 'latitude', 'median_income']].sample(n=5)
df_2 = df[['longitude', 'latitude', 'median_income']].sample(n=5)
df_3 = df[['longitude', 'latitude', 'median_income']].sample(n=5)
```

df\_1

	longitude	latitude	median_income
362	-117.19	32.77	3.8571
2425	-121.32	38.62	3.0864
1863	-118.36	33.82	3.3565
1059	-119.75	36.78	2.3333
1751	-121.96	37.34	5.7910

df\_2

	longitude	latitude	median_income
2286	-122.20	37.47	4.2083
1933	-118.27	33.93	2.6458
1214	-121.00	37.60	2.6899
2372	-122.04	37.97	2.3152
483	-115.90	32.69	1.5417

df\_3

	longitude	latitude	median_income
2731	-117.69	34.04	4.0096
1902	-117.90	36.95	1.7292
2683	-118.05	34.14	8.9728
937	-121.27	38.14	2.2883
1671	-117.98	33.76	4.4545

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```
df_cat1 = pd.concat([df_1,df_2,df_3], axis=0)
df_cat1
```

```
longitude latitude median_income
362     -117.19    32.77      3.8571
2425    -121.32    38.62      3.0864
1863    -118.36    33.82      3.3565
1059    -119.75    36.78      2.3333
1751    -121.96    37.34      5.7910
2286    -122.20    37.47      4.2083
1933    -118.27    33.93      2.6458
1214    -121.00    37.60      2.6899
2372    -122.04    37.97      2.3152
483     -115.90    32.69      1.5417
2731    -117.69    34.04      4.0096
1902    -117.90    36.95      1.7292
2683    -118.05    34.14      8.9728
937     -121.27    38.14      2.2883
1671    -117.98    33.76      4.4545
```

```
df_cat1.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 15 entries, 362 to 1671
Data columns (total 3 columns):
 #   Column      Non-Null Count  Dtype  
 --- 
  0   longitude   15 non-null    float64
  1   latitude    15 non-null    float64
  2   median_income 15 non-null  float64
dtypes: float64(3)
memory usage: 480.0 bytes
```

```
df_cat2 = pd.concat([df_1,df_2,df_3], axis=1)
df_cat2
```

```
longitude latitude median_income longitude latitude median_income \
362     -117.19    32.77      3.8571      NaN       NaN      NaN
2425    -121.32    38.62      3.0864      NaN       NaN      NaN
1863    -118.36    33.82      3.3565      NaN       NaN      NaN
1059    -119.75    36.78      2.3333      NaN       NaN      NaN
1751    -121.96    37.34      5.7910      NaN       NaN      NaN
2286      NaN       NaN        NaN      -122.20    37.47      4.2083
1933      NaN       NaN        NaN      -118.27    33.93      2.6458
1214      NaN       NaN        NaN      -121.00    37.60      2.6899
2372      NaN       NaN        NaN      -122.04    37.97      2.3152
483       NaN       NaN        NaN      -115.90    32.69      1.5417
2731      NaN       NaN        NaN       NaN       NaN      NaN
1902      NaN       NaN        NaN       NaN       NaN      NaN
2683      NaN       NaN        NaN       NaN       NaN      NaN
937       NaN       NaN        NaN       NaN       NaN      NaN
1671      NaN       NaN        NaN       NaN       NaN      NaN
```

```

longitude latitude median_income
362      NaN      NaN      NaN
2425     NaN      NaN      NaN
1863     NaN      NaN      NaN
1059     NaN      NaN      NaN
1751     NaN      NaN      NaN
2286     NaN      NaN      NaN
1933     NaN      NaN      NaN
1214     NaN      NaN      NaN
2372     NaN      NaN      NaN
483      NaN      NaN      NaN
2731    -117.69   34.04    4.0096
1902    -117.90   36.95    1.7292
2683    -118.05   34.14    8.9728
937     -121.27   38.14    2.2883
1671    -117.98   33.76    4.4545

```

```
df_cat2.info()
```

```

<class 'pandas.core.frame.DataFrame'>
Int64Index: 15 entries, 362 to 1671
Data columns (total 9 columns):
 #   Column        Non-Null Count  Dtype  
--- 
 0   longitude     5 non-null      float64
 1   latitude      5 non-null      float64
 2   median_income 5 non-null      float64
 3   longitude     5 non-null      float64
 4   latitude      5 non-null      float64
 5   median_income 5 non-null      float64
 6   longitude     5 non-null      float64
 7   latitude      5 non-null      float64
 8   median_income 5 non-null      float64
dtypes: float64(9)
memory usage: 1.2 KB

```

```

df_1 = df[['longitude']] [:5]
df_2 = df[['latitude']] [:5]
df_3 = df[['median_income']] [:5]
df_1, df_2, df_3

```

```

(
longitude
0   -122.05
1   -118.30
2   -117.81
3   -118.36
4   -119.67,
latitude
0   37.37
1   34.26
2   33.78
3   33.82
4   36.33,

```

```
median_income
0      6.6085
1      3.5990
2      5.7934
3      6.1359
4      2.9375)

df_cat2 = pd.concat([df_1,df_2,df_3], axis=1)
df_cat2
```

	longitude	latitude	median_income
0	-122.05	37.37	6.6085
1	-118.30	34.26	3.5990
2	-117.81	33.78	5.7934
3	-118.36	33.82	6.1359
4	-119.67	36.33	2.9375

### 2.1.1.3 Merging

Documentation: <https://pandas.pydata.org/docs/reference/api/pandas.DataFrame.merge.html>

```
df_1=df[['longitude','median_income']][0:5]
df_1
```

	longitude	median_income
0	-122.05	6.6085
1	-118.30	3.5990
2	-117.81	5.7934
3	-118.36	6.1359
4	-119.67	2.9375

```
df_2=df[['longitude','median_house_value']][0:5]
df_2
```

	longitude	median_house_value
0	-122.05	344700.0
1	-118.30	176500.0
2	-117.81	270500.0
3	-118.36	330000.0
4	-119.67	81700.0

```
pd.merge(df_1,df_2,on=['longitude'],how='inner')
```

	longitude	median_income	median_house_value
0	-122.05	6.6085	344700.0
1	-118.30	3.5990	176500.0
2	-117.81	5.7934	270500.0
3	-118.36	6.1359	330000.0
4	-119.67	2.9375	81700.0

```
df_3=df[['longitude','population']] [2:7]
df_3
```

```
longitude population
2    -117.81      1484.0
3    -118.36       49.0
4    -119.67      850.0
5    -119.56      663.0
6    -121.43      604.0
```

```
pd.merge(df_1,df_3, on='longitude', how='inner')
```

```
longitude median_income population
0    -117.81      5.7934     1484.0
1    -118.36      6.1359      49.0
2    -119.67      2.9375     850.0
```

```
pd.merge(df_1,df_3, on='longitude', how='outer').drop_duplicates()
```

```
longitude median_income population
0    -122.05      6.6085      NaN
1    -118.30      3.5990      NaN
2    -117.81      5.7934     1484.0
3    -118.36      6.1359      49.0
4    -119.67      2.9375     850.0
5    -119.56      NaN         663.0
6    -121.43      NaN         604.0
```

##Joining

Documentation: <https://pandas.pydata.org/docs/reference/api/pandas.DataFrame.join.html>

```
df_1=df[['longitude']] [0:5]
df_1
```

```
longitude
0    -122.05
1    -118.30
2    -117.81
3    -118.36
4    -119.67
```

```
df_2=df[['latitude']] [2:7]
df_2
```

```
latitude
2     33.78
3     33.82
4     36.33
```

```
5      36.51
6      38.63
```

```
df_1.join(df_2,how='left')
```

	longitude	latitude
0	-122.05	NaN
1	-118.30	NaN
2	-117.81	33.78
3	-118.36	33.82
4	-119.67	36.33

```
df_1.join(df_2,how='right')
```

	longitude	latitude
2	-117.81	33.78
3	-118.36	33.82
4	-119.67	36.33
5	NaN	36.51
6	NaN	38.63

```
df_1.join(df_2,how='inner')
```

	longitude	latitude
2	-117.81	33.78
3	-118.36	33.82
4	-119.67	36.33

```
df_1.join(df_2,how='outer')
```

	longitude	latitude
0	-122.05	NaN
1	-118.30	NaN
2	-117.81	33.78
3	-118.36	33.82
4	-119.67	36.33
5	NaN	36.51
6	NaN	38.63

## 2.1.2 Case Study – Data Science Salary

### 2.1.2.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
```

```
df = pd.read_csv('/content/Data Science Jobs Salaries.csv', skiprows=2)
df.head()
```

```

work_year experience_level employment_type          job_title \
0      2021e             EN            FT  Data Science Consultant
1      2020              SE            FT  Data Scientist
2      2021e             EX            FT  Head of Data Science
3      2021e             EX            FT  Head of Data
4      2021e             EN            FT  Machine Learning Engineer

salary salary_currency  salary_in_usd employee_residence  remote_ratio \
0    54000           EUR        64369                  DE       50
1    60000           EUR        68428                  GR      100
2   85000            USD        85000                  RU       0
3  230000           USD       230000                  RU      50
4  125000           USD       125000                  US     100

company_location company_size
0             DE            L
1             US            L
2             RU            M
3             RU            L
4             US            S

```

df.info()

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 245 entries, 0 to 244
Data columns (total 11 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   work_year        245 non-null    object 
 1   experience_level 245 non-null    object 
 2   employment_type  245 non-null    object 
 3   job_title         245 non-null    object 
 4   salary            245 non-null    int64  
 5   salary_currency   245 non-null    object 
 6   salary_in_usd    245 non-null    int64  
 7   employee_residence 245 non-null  object 
 8   remote_ratio      245 non-null    int64  
 9   company_location  245 non-null    object 
 10  company_size      245 non-null    object 
dtypes: int64(3), object(8)
memory usage: 21.2+ KB

```

### 2.1.2.2 Concatenation

Documentation: <https://pandas.pydata.org/pandas-docs/stable/reference/api/pandas.concat.html>

```

df_1 = df[['company_location','job_title',
           'experience_level','salary_in_usd']].sample(n=5)
df_2 = df[['company_location','job_title',
           'experience_level','salary_in_usd']].sample(n=5)
df_3 = df[['company_location','job_title',
           'experience_level','salary_in_usd']].sample(n=5)

```

df\_1

	company_location	job_title	experience_level	salary_in_usd
16	US	Data Engineer	MI	90000
125	IN	Data Scientist	MI	16949
25	PL	Director of Data Science	EX	154963
22	US	ML Engineer	MI	270000
41	US	Head of Data	EX	235000

df\_2

	company_location	job_title	experience_level	salary_in_usd
216	ES	Data Scientist	MI	38776
73	US	Data Analyst	MI	93000
137	US	Data Scientist	MI	147000
28	GB	Research Scientist	EN	83000
45	DE	Data Science Consultant	EN	77481

df\_3

	company_location	job_title	experience_level	salary_in_usd
92	AE	Lead Data Scientist	MI	115000
70	US	Data Scientist	MI	105000
242	US	Data Scientist	EN	105000
130	CA	Data Analyst	SE	71968
84	GB	Data Engineer	MI	72625

```
df_cat1 = pd.concat([df_1,df_2,df_3], axis=0)
df_cat1
```

	company_location	job_title	experience_level	salary_in_usd
16	US	Data Engineer	MI	90000
125	IN	Data Scientist	MI	16949
25	PL	Director of Data Science	EX	154963
22	US	ML Engineer	MI	270000
41	US	Head of Data	EX	235000
216	ES	Data Scientist	MI	38776
73	US	Data Analyst	MI	93000
137	US	Data Scientist	MI	147000
28	GB	Research Scientist	EN	83000
45	DE	Data Science Consultant	EN	77481
92	AE	Lead Data Scientist	MI	115000
70	US	Data Scientist	MI	105000
242	US	Data Scientist	EN	105000
130	CA	Data Analyst	SE	71968
84	GB	Data Engineer	MI	72625

```
df_cat1.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 15 entries, 16 to 84
Data columns (total 4 columns):
 #   Column           Non-Null Count  Dtype  
---  --  
 0   company_location    15 non-null    object  
 1   job_title          15 non-null    object  
 2   experience_level   15 non-null    object  
 3   salary_in_usd      15 non-null    int64  
dtypes: int64(1), object(3)
memory usage: 600.0+ bytes
```

```
df_cat2 = pd.concat([df_1, df_2, df_3], axis=1)
df_cat2
```

	company_location	job_title	experience_level	\
16	US	Data Engineer	MI	
125	IN	Data Scientist	MI	
25	PL	Director of Data Science	EX	
22	US	ML Engineer	MI	
41	US	Head of Data	EX	
216	NaN	NaN	NaN	
73	NaN	NaN	NaN	
137	NaN	NaN	NaN	
28	NaN	NaN	NaN	
45	NaN	NaN	NaN	
92	NaN	NaN	NaN	
70	NaN	NaN	NaN	
242	NaN	NaN	NaN	
130	NaN	NaN	NaN	
84	NaN	NaN	NaN	

	salary_in_usd	company_location	job_title	experience_level	\
16	90000.0	NaN	NaN	NaN	
125	16949.0	NaN	NaN	NaN	
25	154963.0	NaN	NaN	NaN	
22	270000.0	NaN	NaN	NaN	
41	235000.0	NaN	NaN	NaN	
216	NaN	ES	Data Scientist	MI	
73	NaN	US	Data Analyst	MI	
137	NaN	US	Data Scientist	MI	
28	NaN	GB	Research Scientist	EN	
45	NaN	DE	Data Science Consultant	EN	
92	NaN	NaN	NaN	NaN	
70	NaN	NaN	NaN	NaN	
242	NaN	NaN	NaN	NaN	
130	NaN	NaN	NaN	NaN	
84	NaN	NaN	NaN	NaN	

	salary_in_usd	company_location	job_title	experience_level	\
16	NaN	NaN	NaN	NaN	

```

125      NaN      NaN      NaN      NaN
25       NaN      NaN      NaN      NaN
22       NaN      NaN      NaN      NaN
41       NaN      NaN      NaN      NaN
216    38776.0    NaN      NaN      NaN
73     93000.0    NaN      NaN      NaN
137   147000.0    NaN      NaN      NaN
28     83000.0    NaN      NaN      NaN
45     77481.0    NaN      NaN      NaN
92        AE    Lead Data Scientist      MI
70        US    Data Scientist        MI
242       NaN    Data Scientist        EN
130       NaN    Data Analyst        SE
84        GB    Data Engineer        MI

salary_in_usd
16      NaN
125     NaN
25      NaN
22      NaN
41      NaN
216     NaN
73      NaN
137     NaN
28      NaN
45      NaN
92    115000.0
70    105000.0
242   105000.0
130    71968.0
84    72625.0

```

```
df_cat2.info()
```

```

<class 'pandas.core.frame.DataFrame'>
Int64Index: 15 entries, 16 to 84
Data columns (total 12 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   company_location  5 non-null      object 
 1   job_title         5 non-null      object 
 2   experience_level 5 non-null      object 
 3   salary_in_usd    5 non-null      float64
 4   company_location  5 non-null      object 
 5   job_title         5 non-null      object 
 6   experience_level 5 non-null      object 
 7   salary_in_usd    5 non-null      float64
 8   company_location  5 non-null      object 
 9   job_title         5 non-null      object 
 10  experience_level 5 non-null      object 
 11  salary_in_usd    5 non-null      float64
dtypes: float64(3), object(9)
memory usage: 1.5+ KB

```

### 2.1.2.3 Merging

Documentation: <https://pandas.pydata.org/docs/reference/api/pandas.DataFrame.merge.html>

```
df_1=df[['company_location','experience_level','salary_in_usd']][0:5]
df_1
```

	company_location	experience_level	salary_in_usd
0	DE	EN	64369
1	US	SE	68428
2	RU	EX	85000
3	RU	EX	230000
4	US	EN	125000

```
df_2=df[['company_location','job_title','salary_in_usd']][0:5]
df_2
```

	company_location	job_title	salary_in_usd
0	DE	Data Science Consultant	64369
1	US	Data Scientist	68428
2	RU	Head of Data Science	85000
3	RU	Head of Data	230000
4	US	Machine Learning Engineer	125000

```
pd.merge(df_1,df_2,on='company_location',how='inner')
```

	company_location	experience_level	salary_in_usd_x	job_title	salary_in_usd_y
0	DE	EN	64369	Data Science Consultant	64369
1	US	SE	68428	Data Scientist	68428
2	US	SE	68428		
3	US	EN	125000		
4	US	EN	125000		
5	RU	EX	85000		
6	RU	EX	85000		
7	RU	EX	230000		
8	RU	EX	230000		

```
pd.merge(df_1,df_2,on='company_location',how='inner').drop_duplicates()
```

	company_location	experience_level	salary_in_usd_x	\
0	DE	EN	64369	
1	US	SE	68428	
2	US	SE	68428	
3	US	EN	125000	
4	US	EN	125000	
5	RU	EX	85000	
6	RU	EX	85000	
7	RU	EX	230000	
8	RU	EX	230000	
		job_title	salary_in_usd_y	
0	Data Science Consultant		64369	
1	Data Scientist		68428	
2	Machine Learning Engineer		125000	
3	Data Scientist		68428	
4	Machine Learning Engineer		125000	
5	Head of Data Science		85000	
6	Head of Data		230000	
7	Head of Data Science		85000	
8	Head of Data		230000	

```
df_3=df[['company_location','job_title','experience_level',]] [2:6]
df_3
```

	company_location	job_title	experience_level
2	RU	Head of Data Science	EX
3	RU	Head of Data	EX
4	US	Machine Learning Engineer	EN
5	US	Data Analytics Manager	SE

```
pd.merge(df_1,df_3,on='company_location',how='inner').drop_duplicates()
```

	company_location	experience_level_x	salary_in_usd	\
0	US	SE	68428	
1	US	SE	68428	
2	US	EN	125000	
3	US	EN	125000	
4	RU	EX	85000	
5	RU	EX	85000	
6	RU	EX	230000	
7	RU	EX	230000	
		job_title	experience_level_y	
0	Machine Learning Engineer		EN	
1	Data Analytics Manager		SE	
2	Machine Learning Engineer		EN	
3	Data Analytics Manager		SE	
4	Head of Data Science		EX	
5	Head of Data		EX	

```

6      Head of Data Science          EX
7      Head of Data                 EX
pd.merge(df_1,df_3,on='company_location',how='outer').drop_duplicates()

```

```

company_location experience_level_x  salary_in_usd \
0              DE                  EN       64369
1              US                  SE      68428
2              US                  SE      68428
3              US                  EN     125000
4              US                  EN     125000
5              RU                  EX      85000
6              RU                  EX      85000
7              RU                  EX    230000
8              RU                  EX    230000

job_title experience_level_y
0           NaN                  NaN
1 Machine Learning Engineer        EN
2 Data Analytics Manager         SE
3 Machine Learning Engineer        EN
4 Data Analytics Manager         SE
5 Head of Data Science            EX
6 Head of Data                   EX
7 Head of Data Science            EX
8 Head of Data                   EX

```

##Joining

Documentation: <https://pandas.pydata.org/docs/reference/api/pandas.DataFrame.join.html>

```

df_1=df[['experience_level']][0:5]
df_1

```

```

experience_level
0          EN
1          SE
2          EX
3          EX
4          EN

```

```

df_2=df[['job_title']][2:7]
df_2

```

```

job_title
2 Head of Data Science
3 Head of Data
4 Machine Learning Engineer
5 Data Analytics Manager
6 Research Scientist

```

```
df_1.join(df_2,how='left').drop_duplicates()
```

```
experience_level          job_title
0             EN              NaN
1             SE              NaN
2             EX      Head of Data Science
3             EX      Head of Data
4             EN  Machine Learning Engineer
```

```
df_1.join(df_2,how='right').drop_duplicates()
```

```
experience_level          job_title
2             EX      Head of Data Science
3             EX      Head of Data
4             EN  Machine Learning Engineer
5             NaN  Data Analytics Manager
6             NaN  Research Scientist
```

```
df_1.join(df_2,how='inner').drop_duplicates()
```

```
experience_level          job_title
2             EX      Head of Data Science
3             EX      Head of Data
4             EN  Machine Learning Engineer
```

```
df_1.join(df_2,how='outer').drop_duplicates()
```

```
experience_level          job_title
0             EN              NaN
1             SE              NaN
2             EX      Head of Data Science
3             EX      Head of Data
4             EN  Machine Learning Engineer
5             NaN  Data Analytics Manager
6             NaN  Research Scientist
```

# Data Statistics

---

DATA STATISTICAL UNDERSTANDING is the process of gaining insights and knowledge about the data through statistical analysis. This step involves tasks such as descriptive statistics, probability distributions, hypothesis testing, and inferential statistics. The goal is to understand the characteristics of the data, identify patterns, and make predictions about future data.

There are several Python packages that are commonly used for data statistical understanding, including:

- Pandas: It provides a wide range of built-in functions for calculating summary statistics of the data, such as mean, median, standard deviation, and more.
- NumPy: It provides tools for working with arrays and matrices, and also provides a wide range of mathematical and statistical functions.
- SciPy: It builds on NumPy and provides a wide range of scientific and technical computing tools, including optimization, signal processing, and statistics.
- statsmodels: It provides a wide range of statistical models, estimation procedures, and tests for use in data analysis.

## 3.1 DESCRIPTIVE DATA ANALYSIS

---

We begin with a thorough examination of data types. We categorize data into two distinct groups: non-numerical and numerical. Nonnumerical data encompasses qualitative information, such as categories or labels, while numerical data consists of quantitative values. Understanding the characteristics and significance of these data types is crucial for effective data analysis.

Central tendency measures are fundamental to statistical analysis. In this section, we delve into the heart of data summarization by introducing key measures, including the mean, median, and mode. These measures provide insights into the central or typical value within a dataset and are invaluable tools for data interpretation.

Our exploration continues with a focus on dispersion and location metrics. Dispersion measures, such as standard deviation and variance, quantify the spread or variability of data points. Location metrics, on the other hand, help pinpoint central positions within a dataset. We explore how these metrics contribute to a deeper understanding of data patterns and variability.

The Interquartile Range (IQR) is a powerful tool for understanding data variability. We not only explain how to calculate the IQR but also provide practical guidance on its interpretation. This measure is particularly useful for identifying outliers and assessing data distribution.

By the end of this chapter, you will have a solid foundation in these key concepts, making you better equipped to navigate the complexities of data analysis. These concepts serve as the building blocks for more advanced topics in the field and will empower you to extract meaningful insights from your datasets. As we progress through this chapter, remember that our aim is to provide you with both theoretical understanding and practical applications of these concepts, ensuring that you can confidently apply them to real-world data scenarios.

### 3.1.1 Tutorial – Statistical Understanding

#### 3.1.1.1 Setup

```
import pandas as pd
import numpy as np
```

#### 3.1.1.2 Load the Data

```
df = pd.read_csv("/content/Spotify_Youtube_Sample.csv")
df.head()
```

	Artist	Track	\
0	Gorillaz	Feel Good Inc.	
1	Gorillaz	Rhinestone Eyes	
2	Gorillaz	New Gold (feat. Tame Impala and Bootie Brown)	
3	Gorillaz	On Melancholy Hill	
4	Gorillaz	Clint Eastwood	

	Album	Album_type	Views	\
0	Demon Days	album	693555221.0	
1	Plastic Beach	album	72011645.0	
2	New Gold (feat. Tame Impala and Bootie Brown)	single	8435055.0	
3	Plastic Beach	album	211754952.0	
4	Gorillaz	album	618480958.0	

	Likes	Comments	Licensed	official_video	Stream
0	6220896.0	169907.0	True	True	1.040235e+09
1	1079128.0	31003.0	True	True	3.100837e+08
2	282142.0	7399.0	True	True	6.306347e+07
3	1788577.0	55229.0	True	True	4.346636e+08
4	6197318.0	155930.0	True	True	6.172597e+08

### 3.1.1.3 General Idea

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 20718 entries, 0 to 20717
Data columns (total 10 columns):
 #   Column            Non-Null Count  Dtype  
--- 
 0   Artist             20718 non-null   object  
 1   Track              20718 non-null   object  
 2   Album              20718 non-null   object  
 3   Album_type         20718 non-null   object  
 4   Views              20248 non-null   float64 
 5   Likes              20177 non-null   float64 
 6   Comments           20149 non-null   float64 
 7   Licensed           20248 non-null   object  
 8   official_video     20248 non-null   object  
 9   Stream              20142 non-null   float64 
dtypes: float64(4), object(6)
memory usage: 1.6+ MB
```

```
df.describe()
```

	Views	Likes	Comments	Stream
count	2.024800e+04	2.017700e+04	2.014900e+04	2.014200e+04
mean	9.393782e+07	6.633411e+05	2.751899e+04	1.359422e+08
std	2.746443e+08	1.789324e+06	1.932347e+05	2.441321e+08
min	0.000000e+00	0.000000e+00	0.000000e+00	6.574000e+03
25%	1.826002e+06	2.158100e+04	5.090000e+02	1.767486e+07
50%	1.450110e+07	1.244810e+05	3.277000e+03	4.968298e+07
75%	7.039975e+07	5.221480e+05	1.436000e+04	1.383581e+08
max	8.079649e+09	5.078865e+07	1.608314e+07	3.386520e+09

### 3.1.1.4 Non-Numerical Attributes

```
df['Artist'].value_counts()
```

Gorillaz	10
Die drei !!!	10
Hollywood Undead	10
Empire of the Sun	10
White Noise for Babies	10
	..
NewJeans	6
Alfonso Herrera	6
Jimin	3
Stars Music Chile	1
Bootie Brown	1
Name: Artist, Length: 2079, dtype: int64	

```
df['Artist'].unique()
```

```
array(['Gorillaz', 'Red Hot Chili Peppers', '50 Cent', ..., 'LE SSERAFIM',
       'ThxSoMch', 'SICK LEGEND'], dtype=object)
```

```
df['Artist'].nunique()
```

2079

```
nonnumericalcols = ['Artist', 'Track', 'Album',
                     'Album_type', 'Licensed', 'official_video']
df[nonnumericalcols].nunique()
```

Artist	2079
Track	17841
Album	11937
Album_type	3
Licensed	2
official_video	2
<b>dtype:</b>	<b>int64</b>

### 3.1.1.5 Categorical Attributes

```
album_type = pd.DataFrame({'Album_type' : df[
    'Album_type'].value_counts()})
album_type
```

	Album_type
album	14926
single	5004
compilation	788

```
licensed = pd.DataFrame({'Licensed' : df['Licensed'].value_counts()})
licensed
```

	Licensed
True	14140
False	6108

```
official_video = pd.DataFrame({'official_video' : df['official_video'].
    value_counts()})
official_video
```

	official_video
True	15723
False	4525

### 3.1.1.6 Numerical Attributes

#### Central Tendency

min, max, median, mode, midrange

```
col = 'Views'
min = df[col].min()
max = df[col].max()
median = df[col].median()
mode = df[col].mode()[0]
midrange = (max - min)/2
print('col:', col,
      '\n\tmin:', min,
      'max:', max,
      'median:', median,
      'mode:', mode,
      'midrange:', midrange)
```

```
col: Views
min: 0.0 max: 8079649362.0 median: 14501095.0 mode: 6639.0
     midrange: 4039824681.0
```

```
def getCentralTendency(col):
    min = df[col].min()
    max = df[col].max()
    median = df[col].median()
    mode = df[col].mode()[0]
    midrange = (max - min)/2
    print('col:', col,
          '\n\tmin:', min,
          'max:', max,
          'median:', median,
          'mode:', mode,
          'midrange:', midrange)

numericalcols = ['Views', 'Likes', 'Comments', 'Stream']

for col in numericalcols:
    getCentralTendency(col)
```

```
col: Views
min: 0.0 max: 8079649362.0
     median: 14501095.0 mode: 6639.0 midrange: 4039824681.0
col: Likes
min: 0.0 max: 50788652.0
     median: 124481.0 mode: 0.0 midrange: 25394326.0
col: Comments
min: 0.0 max: 16083138.0
     median: 3277.0 mode: 0.0 midrange: 8041569.0
col: Stream
min: 6574.0 max: 3386520288.0
     median: 49682981.5 mode: 169769959.0 midrange: 1693256857.0
```

## Dispersion

range, quantiles, var, std

```
col = 'Views'
range = df[col].max() - df[col].min()
quantiles = df[col].quantile([0.25, 0.5, 0.75])
IQR = quantiles[0.75] - quantiles[0.25]
var = df[col].var()
std = df[col].std()

print('col:', col,
      '\nrange:', range,
      'Q1:', quantiles[0.25],
      'Q2:', quantiles[0.5],
      'Q3:', quantiles[0.75],
      'IQR:', IQR,
      'var:', var,
      'std:', std)
```

```
col: Views
range: 8079649362.0 Q1: 1826001.5 Q2: 14501095.0 Q3: 70399749.0
IQR: 68573747.5 var: 7.542950360937822e+16 std: 274644322.0046215
```

```
def getDispersion(col):
    range = df[col].max() - df[col].min()
    quantiles = df[col].quantile([0.25, 0.5, 0.75])
    IQR = quantiles[0.75] - quantiles[0.25]
    var = df[col].var()
    std = df[col].std()
    print('col:', col,
          '\nrange:', range,
          'Q1:', quantiles[0.25],
          'Q2:', quantiles[0.5],
          'Q3:', quantiles[0.75],
          'IQR:', IQR,
          'var:', var,
          'std:', std)
numericalcols = ['Views', 'Likes', 'Comments', 'Stream']

for col in numericalcols:
    getDispersion(col)
```

```
col: Views
range: 8079649362.0 Q1: 1826001.5 Q2: 14501095.0 Q3: 70399749.0
IQR: 68573747.5 var: 7.542950360937822e+16 std: 274644322.0046215
col: Likes
range: 50788652.0 Q1: 21581.0 Q2: 124481.0 Q3: 522148.0
IQR: 500567.0 var: 3201681265274.244 std: 1789324.2482217257
col: Comments
range: 16083138.0 Q1: 509.0 Q2: 3277.0 Q3: 14360.0
```

```
IQR: 13851.0 var: 37339645168.43132 std: 193234.68935062183
col: Stream
range: 3386513714.0 Q1: 17674864.25 Q2: 49682981.5 Q3: 138358065.25
IQR: 120683201.0 var: 5.960047142258919e+16 std: 244132077.82384762
```

## Correlation

```
df[numericalcols].corr()
```

	Views	Likes	Comments	Stream
Views	1.000000	0.891101	0.431185	0.601905
Likes	0.891101	1.000000	0.631670	0.654247
Comments	0.431185	0.631670	1.000000	0.267737
Stream	0.601905	0.654247	0.267737	1.000000

### 3.1.2 Case Study – Statistical Understanding of YouTube and Spotify

You have learned how to use Pandas to get a statistical understanding of your data. It is time to apply and to practice!

#### 3.1.2.1 Setup

```
import pandas as pd
import numpy as np
```

#### 3.1.2.2 Load the Data

We will use the dataset “ds-salaries.csv” for the case study.

```
df = pd.read_csv("/content/ds-salaries.csv")
df.head()
```

	work_year	experience_level	employment_type	job_title	\
0	2021e	EN	FT	Data Science Consultant	
1	2020	SE	FT	Data Scientist	
2	2021e	EX	FT	Head of Data Science	
3	2021e	EX	FT	Head of Data	
4	2021e	EN	FT	Machine Learning Engineer	

	salary	salary_currency	salary_in_usd	employee_residence	remote_ratio	\
0	54000	EUR	64369	DE	50	
1	60000	EUR	68428	GR	100	
2	85000	USD	85000	RU	0	
3	230000	USD	230000	RU	50	
4	125000	USD	125000	US	100	

	company_location	company_size	
0	DE	L	
1	US	L	
2	RU	M	
3	RU	L	
4	US	S	

### 3.1.2.3 General Idea

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 245 entries, 0 to 244
Data columns (total 11 columns):
 #   Column           Non-Null Count  Dtype  
 ---  --  
 0   work_year        245 non-null    object  
 1   experience_level 245 non-null    object  
 2   employment_type  245 non-null    object  
 3   job_title         245 non-null    object  
 4   salary            245 non-null    int64  
 5   salary_currency  245 non-null    object  
 6   salary_in_usd    245 non-null    int64  
 7   employee_residence 245 non-null    object  
 8   remote_ratio      245 non-null    int64  
 9   company_location  245 non-null    object  
 10  company_size      245 non-null    object  
dtypes: int64(3), object(8)
memory usage: 21.2+ KB
```

```
df.describe()
```

	salary	salary_in_usd	remote_ratio
count	2.450000e+02	245.000000	245.000000
mean	5.025418e+05	99868.012245	69.183673
std	2.276230e+06	83983.326949	37.593421
min	4.000000e+03	2876.000000	0.000000
25%	6.000000e+04	45896.000000	50.000000
50%	1.030000e+05	81000.000000	100.000000
75%	1.740000e+05	130000.000000	100.000000
max	3.040000e+07	600000.000000	100.000000

### 3.1.2.4 Non-Numerical Attributes

```
df['work_year'].value_counts()
```

```
2021e    179
2020     66
Name: work_year, dtype: int64
```

```
df['experience_level'].value_counts()
```

```
MI     103
SE     77
EN     54
EX     11
Name: experience_level, dtype: int64
```

```
FT      231
PT       7
CT       4
FL       3
Name: employment_type, dtype: int64
```

```
df['company_location'].value_counts()
```

```
US     108
DE      19
IN      17
GB      16
FR      11
CA      11
...
CO      1
KE      1
HU      1
SG      1
MT      1
Name: company_location, dtype: int64
```

```
df['company_location'].unique()
```

```
array(['DE', 'US', 'RU', 'FR', 'AT', 'CA', 'UA', 'NG', 'IN', 'ES', 'PL',
       'GB', 'PT', 'DK', 'SG', 'MX', 'TR', 'NL', 'AE', 'JP', 'CN', 'HU',
       'KE', 'CO', 'NZ', 'IR', 'CL', 'PK', 'BE', 'GR', 'SI', 'BR', 'CH',
       'IT', 'MD', 'LU', 'VN', 'AS', 'HR', 'IL', 'MT'], dtype=object)
```

```
df['company_location'].nunique()
```

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```
nonnumericalcols = ['work_year',
                     'experience_level',
                     'employment_type',
                     'job_title',
                     'salary_currency',
                     'employee_residence',
                     'company_location',
                     'company_size']
df[nonnumericalcols].nunique()
```

work_year	2
experience_level	4
employment_type	4
job_title	43
salary_currency	15
employee_residence	45
company_location	41

```
company_size           3
dtype: int64
```

### 3.1.2.5 Categorical Attributes

```
employment_type = pd.DataFrame({'employment_type' : df[
    'employment_type'].value_counts()})
employment_type
```

	employment_type
FT	231
PT	7
CT	4
FL	3

```
salary_currency = pd.DataFrame({'salary_currency' : df[
    'salary_currency'].value_counts()})
salary_currency
```

	salary_currency
USD	126
EUR	57
INR	21
GBP	13
CAD	10
TRY	3
PLN	2
HUF	2
SGD	2
MXN	2
DKK	2
BRL	2
CLP	1
JPY	1
CNY	1

```
company_size = pd.DataFrame({'company_size' : df[
    'company_size'].value_counts()})
company_size
```

	company_size
L	132
S	58
M	55

### 3.1.2.6 Numerical Attributes

Central Tendency

min, max, median, mode, midrange

```

col = 'salary_in_usd'
min = df[col].min()
max = df[col].max()
median = df[col].median()
mode = df[col].mode()[0]
midrange = (max - min)/2
print('col:', col,
      '\n\tmin:', min,
      'max:', max,
      'median:', median,
      'mode:', mode,
      'midrange:', midrange)

```

```

col: salary_in_usd
min: 2876 max: 600000 median: 81000.0 mode: 150000 midrange: 298562.0

```

```

def getCentralTendency(col):
    min = df[col].min()
    max = df[col].max()
    median = df[col].median()
    mode = df[col].mode()[0]
    midrange = (max - min)/2
    print('col:', col,
          '\n\tmin:', min,
          'max:', max,
          'median:', median,
          'mode:', mode,
          'midrange:', midrange)

numericalcols = ['salary', 'salary_in_usd', 'remote_ratio']

for col in numericalcols:
    getCentralTendency(col)

```

```

col: salary
min: 4000 max: 30400000 median: 103000.0 mode: 80000 midrange: 15198000.0
col: salary_in_usd
min: 2876 max: 600000 median: 81000.0 mode: 150000 midrange: 298562.0
col: remote_ratio
min: 0 max: 100 median: 100.0 mode: 100 midrange: 50.0

```

## Dispersion

range, quantiles, var, std

```

col = 'salary'
range = df[col].max() - df[col].min()
quantiles = df[col].quantile([0.25, 0.5, 0.75])
IQR = quantiles[0.75] - quantiles[0.25]

```

```

var = df[col].var()
std = df[col].std()

print('col:', col,
      '\n\trange:', range,
      'Q1:', quantiles[0.25],
      'Q2:', quantiles[0.5],
      'Q3:', quantiles[0.75],
      'IQR:', IQR,
      'var:', var,
      'std:', std)

:

\index{IQR}
col: salary
range: 30396000 Q1 60000.0 Q2: 103000.0 Q3: 174000.0
IQR: 114000.0 var: 5181223548855.596 std: 2276230.117728784

def getDispersion(col):
    range = df[col].max() - df[col].min()
    quantiles = df[col].quantile([0.25, 0.5, 0.75])
    IQR = quantiles[0.75] - quantiles[0.25]
    var = df[col].var()
    std = df[col].std()
    print('col:', col,
          '\n\trange:', range,
          'Q1:', quantiles[0.25],
          'Q2:', quantiles[0.5],
          'Q3:', quantiles[0.75],
          'IQR:', IQR,
          'var:', var,
          'std:', std)
numericalcols = ['salary', 'salary_in_usd', 'remote_ratio']

for col in numericalcols:
    getDispersion(col)

col: salary
range: 30396000 Q1: 60000.0 Q2: 103000.0 Q3: 174000.0
IQR: 114000.0 var: 5181223548855.596 std: 2276230.117728784
col: salary_in_usd
range: 597124 Q1: 45896.0 Q2: 81000.0 Q3: 130000.0
IQR: 84104.0 var: 7053199205.446571 std: 83983.32694914255
col: remote_ratio
range: 100 Q1: 50.0 Q2: 100.0 Q3: 100.0
IQR: 50.0 var: 1413.265306122449 std: 37.59342104840219

```

## Correlation

```
df[numericalcols].corr()
```

	salary	salary_in_usd	remote_ratio
salary	1.000000	-0.087365	-0.004775
salary_in_usd	-0.087365	1.000000	0.171240
remote_ratio	-0.004775	0.171240	1.000000

# Data Visualization

---

DATA VISUALIZATION is the process of creating graphical representations of data in order to communicate information and insights effectively. The goal is to use visual elements such as charts, plots, and maps to make the data more accessible, understandable, and actionable for different audiences.

There are several Python packages that are commonly used for data visualization, including:

- Pandas: It integrates with other libraries such as Matplotlib and Seaborn that allow to generate various types of plots and visualizations, that can help understand the data and, identify patterns and trends.
- Matplotlib: It is a 2D plotting library that provides a wide range of tools for creating static, animated, and interactive visualizations. It is widely used as the foundation for other libraries.
- Seaborn: It is a library built on top of Matplotlib that provides a higher-level interface for creating more attractive and informative statistical graphics. It is particularly useful for data visualization in statistics and data science.
- Plotly: It is a library for creating interactive and web-based visualizations and provides a wide range of tools for creating plots, maps, and dashboards. It is particularly useful for creating interactive visualizations that can be embedded in web pages or apps.
- PyViz: It is a library that is composed of a set of libraries such as Holoviews, Geoviews, Databricks and more, for creating visualizations for complex data and large datasets.

## 4.1 DATA VISUALIZATION WITH PANDAS

---

Data visualization is a critical aspect of data analysis, and the Pandas library embraces this need by providing built-in functionalities for it. In this section, we focus on harnessing these built-in functionalities for data visualization. Whether you are new to data visualization or looking for a quick and convenient way to explore your data, Pandas provides a powerful toolset.

### 4.1.1 Tutorial – Data Visualization with Pandas

It is hard to digest many data at the same time. Data visualization is a way to make the process simple and straightforward.

Because data visualization is so important and essential in today's business, Pandas as a data-driven package provides built-in plotting functions. We will learn some of their basic usage today.

#### 4.1.1.1 Setup

```
import numpy as np
import pandas as pd
```

```
df = pd.read_csv('/content/Economy_of_US.csv')
df
```

	Year	GDP_PPP	GDP_PerCapita_PPP	GDP_Nominal	GDP_PerCapita_Nominal	\
0	1980	2857.3	12552.9	2857.3	12552.9	
1	1981	3207.0	13948.7	3207.0	13948.7	
2	1982	3343.8	14405.0	3343.8	14405.0	
3	1983	3634.0	15513.7	3634.0	15513.7	
4	1984	4037.7	17086.4	4037.7	17086.4	
...						
42	2022	25035.2	75179.6	25035.2	75179.6	
43	2023	26185.2	78421.9	26185.2	78421.9	
44	2024	27057.2	80779.3	27057.2	80779.3	
45	2025	28045.3	83463.2	28045.3	83463.2	
46	2026	29165.5	86521.2	29165.5	86521.2	
47	2027	30281.5	89546.4	30281.5	89546.4	
	GDP_Growth	Inflation	Unemployment	Inflation_Change		
0	-0.003	0.135	0.072		Nan	
1	0.025	0.104	0.076		Decrease	
2	-0.018	0.062	0.097		Decrease	
3	0.046	0.032	0.096		Decrease	
4	0.072	0.044	0.075		Increase	
...						
42	0.016	0.081	0.037		Increase	
43	0.010	0.035	0.046		Decrease	
44	0.012	0.022	0.054		Decrease	
45	0.018	0.020	0.054		Decrease	
46	0.021	0.020	0.049		No change	
47	0.019	0.020	0.047		No change	

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 48 entries, 0 to 47
Data columns (total 9 columns):
 #   Column           Non-Null Count  Dtype  
 --- 
 0   Year              48 non-null    int64  
 1   GDP_PPP           48 non-null    float64 
 2   GDP_PerCapita_PPP 48 non-null    float64 
 3   GDP_Nominal       48 non-null    float64 
 4   GDP_PerCapita_Nominal 48 non-null    float64 
 5   GDP_Growth        48 non-null    float64 
 6   Inflation         48 non-null    float64 
 7   Unemployment      48 non-null    float64 
 8   Inflation_Change  47 non-null    object  
dtypes: float64(7), int64(1), object(1)
memory usage: 3.5+ KB
```

```
df.describe()
```

	Year	GDP_PPP	GDP_PerCapita_PPP	GDP_Nominal	\
count	48.00	48.000000	48.000000	48.000000	
mean	2003.50	13182.360417	43192.318750	13182.360417	
std	14.00	7817.386178	21396.888688	7817.386178	
min	1980.00	2857.300000	12552.900000	2857.300000	
25%	1991.75	6429.750000	25120.375000	6429.750000	
50%	2003.50	11836.850000	40523.500000	11836.850000	
75%	2015.25	18328.275000	57007.275000	18328.275000	
max	2027.00	30281.500000	89546.400000	30281.500000	
	GDP_PerCapita_Nominal	GDP_Growth	Inflation	Unemployment	
count	48.000000	48.000000	48.000000	48.000000	
mean	43192.318750	0.024458	0.032208	0.060500	
std	21396.888688	0.019611	0.023672	0.016391	
min	12552.900000	-0.034000	-0.003000	0.037000	
25%	25120.375000	0.017000	0.020000	0.048500	
50%	40523.500000	0.026000	0.028000	0.055500	
75%	57007.275000	0.037250	0.035250	0.072000	
max	89546.400000	0.072000	0.135000	0.097000	

#### 4.1.1.2 Scatter Plots

```
df.plot(x = 'Year', y = 'Inflation', kind = 'scatter')
```

```
<Axes: xlabel='Year', ylabel='Inflation'>
```

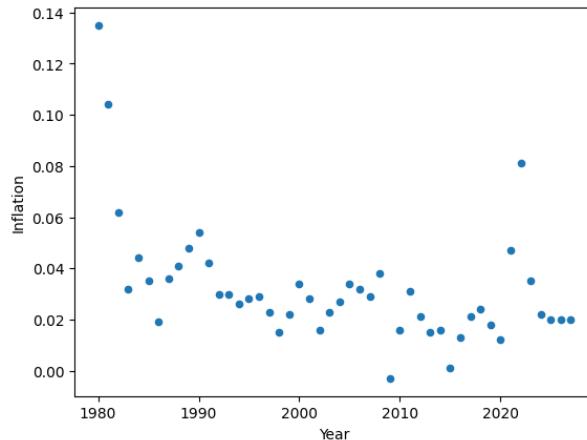


Figure 4.1 A Scatter Plot

#### 4.1.1.3 Line Plots

```
df.plot(y = 'Inflation', kind = 'line')
```

<Axes: >

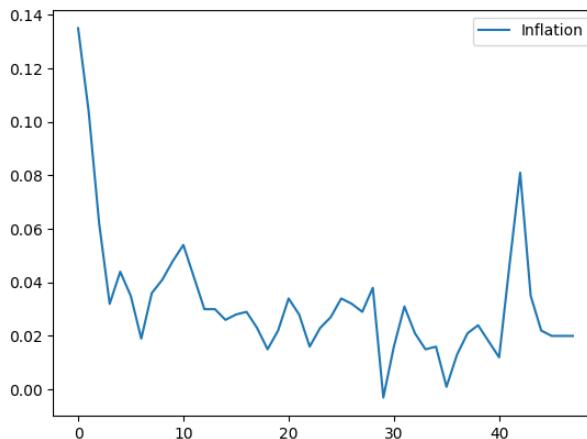


Figure 4.2 A Line Plot

```
df.plot(x = 'Year', y = 'Inflation', kind = 'line')
```

<Axes: xlabel='Year'>

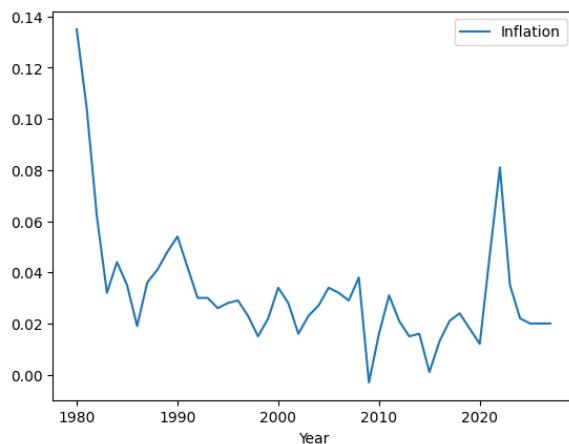


Figure 4.3 Another Line Plot

#### 4.1.1.4 Area Plots

```
df.plot(x = 'Year', y = 'GDP_PPP', kind = 'area')
```

```
<Axes: xlabel='Year'>
```

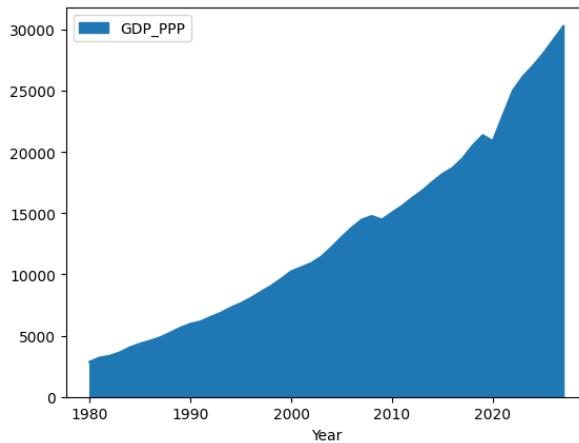


Figure 4.4 An Area Plot

```
df.plot(x = 'Year', y = 'GDP_Nominal', kind = 'area')
```

```
<Axes: xlabel='Year'>
```

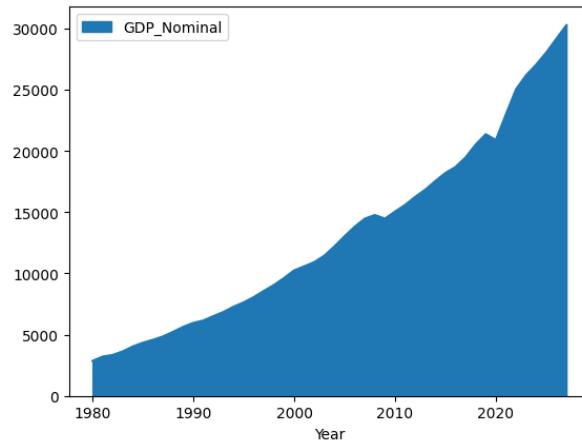


Figure 4.5 Another Area Plot

#### 4.1.1.5 Bar Charts

```
df.plot(x = 'Year', y = 'GDP_PerCapita_PPP', kind = 'bar')
```

<Axes: xlabel='Year'>

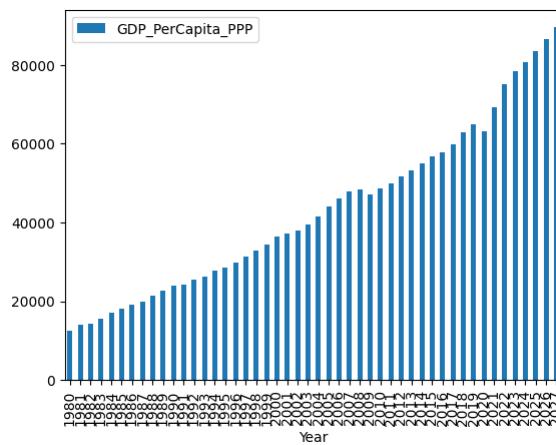


Figure 4.6 A Bar Plot

```
df.plot(x = 'Year', y = 'GDP_PerCapita_Nominal', kind = 'barh')
```

<Axes: ylabel='Year'>

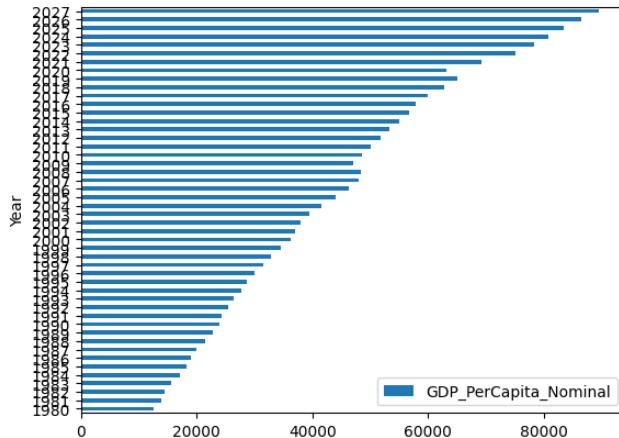


Figure 4.7 A Horizontal Bar Plot

#### 4.1.1.6 Histograms

```
df['Inflation'].plot(kind = 'hist')
```

```
<Axes: ylabel='Frequency'>
```

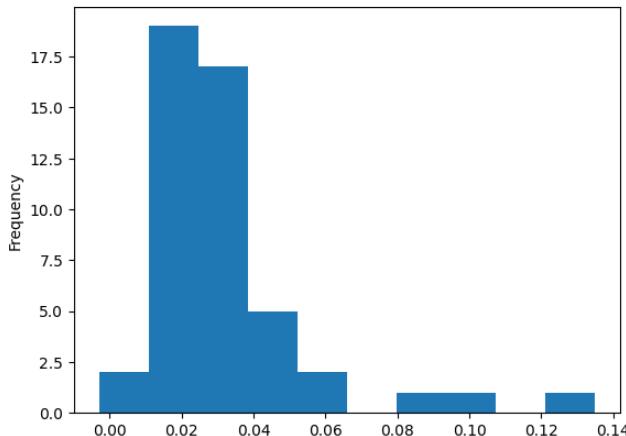


Figure 4.8 A Histogram

```
df['Inflation'].plot(kind = 'hist', bins = 100)
```

```
<Axes: ylabel='Frequency'>
```

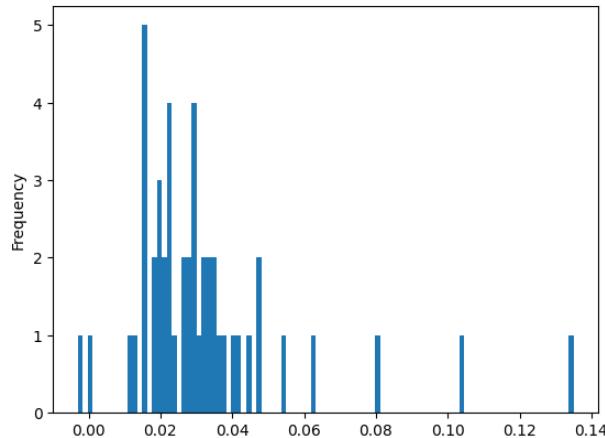


Figure 4.9 Another Histogram Plot

```
df['Unemployment'].plot(kind = 'hist')
```

```
<Axes: ylabel='Frequency'>
```

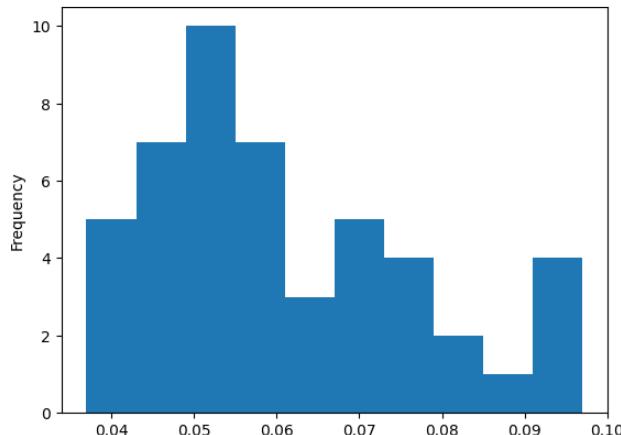


Figure 4.10 Another Histogram Plot

```
df['Unemployment'].plot(kind = 'kde')
```

```
<Axes: ylabel='Density'>
```

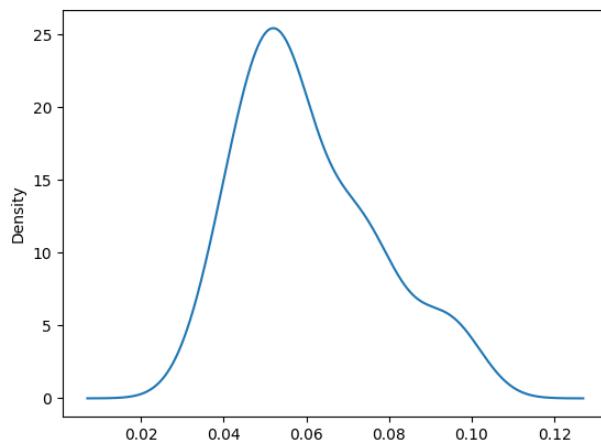


Figure 4.11 Another Histogram Plot with Density

#### 4.1.1.7 Box Plot

```
df['Inflation'].plot(kind = 'box')
```

&lt;Axes: &gt;

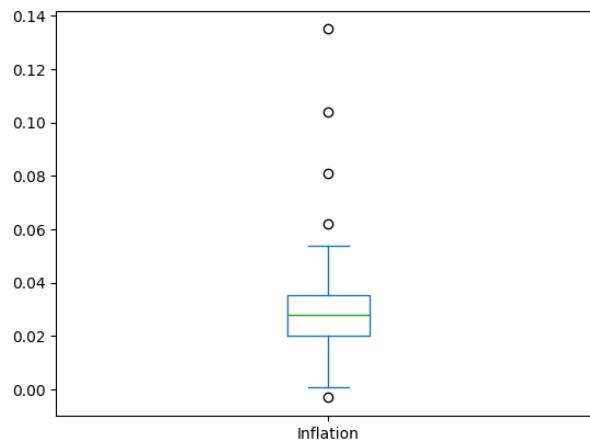


Figure 4.12 A Box Plot

```
df['Unemployment'].plot(kind = 'box')
```

&lt;Axes: &gt;

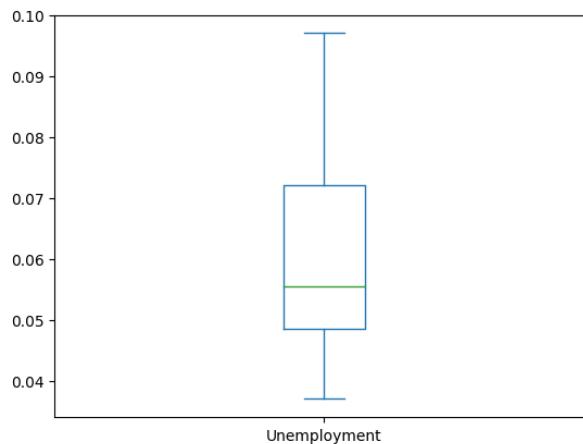


Figure 4.13 Another Box Plot

#### 4.1.1.8 Pie Charts

```
df['Inflation_Change'].value_counts()
```

```
Decrease      23
Increase      21
No change     3
Name: Inflation_Change, dtype: int64
```

```
df['Inflation_Change'].value_counts().plot(kind = 'pie')
```

```
<Axes: ylabel='Inflation_Change'>
```

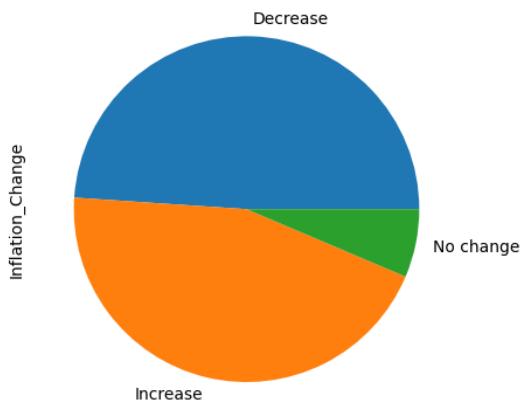


Figure 4.14 A Pie Plot

#### 4.1.1.9 Color Map

```
df.plot.scatter(x = 'Year', y = 'Inflation', c = 'Unemployment')
```

<Axes: xlabel='Year', ylabel='Inflation'>

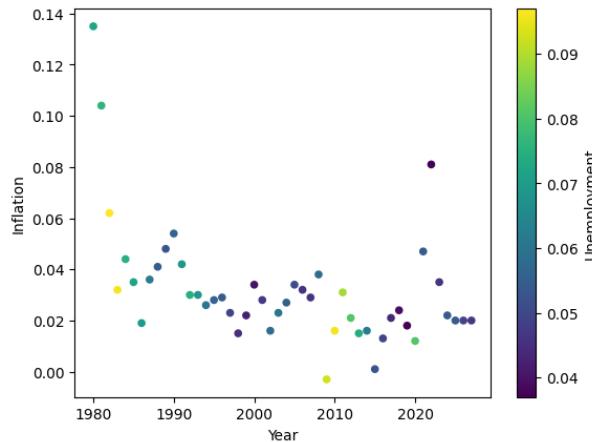


Figure 4.15 A Color Map

#### 4.1.1.10 Documentation

- You can find more details in the documentation here: <https://pandas.pydata.org/pandas-docs/stable/reference/api/pandas.DataFrame.plot.html>
- Here is another useful reference: [https://pandas.pydata.org/docs/user\\_guide/visualization.html](https://pandas.pydata.org/docs/user_guide/visualization.html)

## 4.2 DATA VISUALIZATION WITH MATPLOTLIB

While the Pandas package provides certain support for basic data visualization, users may need a more powerful tool to customize their plots. In this section, we delve into Matplotlib, a versatile Python library that grants you complete control over your visualizations. Whether you're aiming for intricate, tailor-made plots or need to visualize data in a highly specific way, Matplotlib offers the tools and flexibility to bring your vision to life.

Our exploration begins with an introduction to Matplotlib and its capabilities. We'll guide you through the basics of creating plots, charts, and figures, emphasizing the library's flexibility in terms of customization. Matplotlib is renowned for its customization options. We delve deep into the art of fine-tuning your visualizations. From adjusting colors, markers, and line styles to controlling axis scales and annotations, you'll have the tools to craft visualizations that precisely convey your insights. Multi-panel figures and subplots are essential when visualizing complex data. We explore

how Matplotlib allows you to create grids of subplots, enabling you to present multiple views of your data in a single, coherent figure.

#### 4.2.1 Tutorial – Data Visualization with Matplotlib

Document: <https://matplotlib.org>

##### 4.2.1.1 Setup

```
import matplotlib.pyplot as plt
import pandas as pd
import numpy as np

df = pd.read_csv('/content/Economy_of_US.csv')
df
```

Year	GDP_PPP	GDP_PerCapita_PPP	GDP_Nominal	GDP_PerCapita_Nominal	\
0	1980	2857.3	12552.9	2857.3	12552.9
1	1981	3207.0	13948.7	3207.0	13948.7
2	1982	3343.8	14405.0	3343.8	14405.0
3	1983	3634.0	15513.7	3634.0	15513.7
4	1984	4037.7	17086.4	4037.7	17086.4
5	1985	4339.0	18199.3	4339.0	18199.3
...					
42	2022	25035.2	75179.6	25035.2	75179.6
43	2023	26185.2	78421.9	26185.2	78421.9
44	2024	27057.2	80779.3	27057.2	80779.3
45	2025	28045.3	83463.2	28045.3	83463.2
46	2026	29165.5	86521.2	29165.5	86521.2
47	2027	30281.5	89546.4	30281.5	89546.4
...					
GDP_Growth	Inflation	Unemployment	Inflation_Change		
0	-0.003	0.135	0.072	NaN	
1	0.025	0.104	0.076	Decrease	
2	-0.018	0.062	0.097	Decrease	
3	0.046	0.032	0.096	Decrease	
4	0.072	0.044	0.075	Increase	
5	0.042	0.035	0.072	Decrease	
...					
43	0.010	0.035	0.046	Decrease	
44	0.012	0.022	0.054	Decrease	
45	0.018	0.020	0.054	Decrease	
46	0.021	0.020	0.049	No change	
47	0.019	0.020	0.047	No change	

##### 4.2.1.2 A Simple Plot

```
plt.plot(df['Year'], df['GDP_Growth'])
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

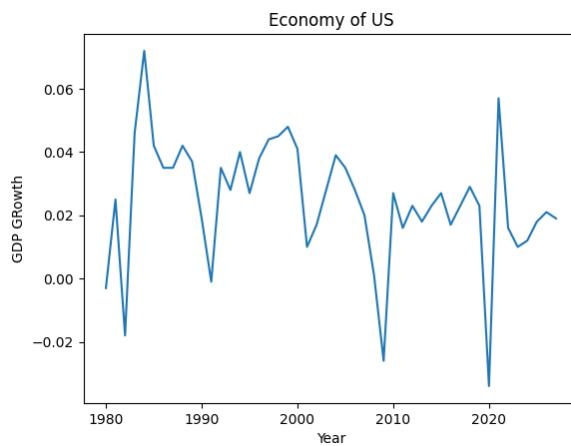


Figure 4.16 A Simple Plot

Change markers

```
plt.plot(df['Year'], df['GDP_Growth'], 'o')
plt.xlabel('Year')
plt.ylabel('GDP GRowth')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

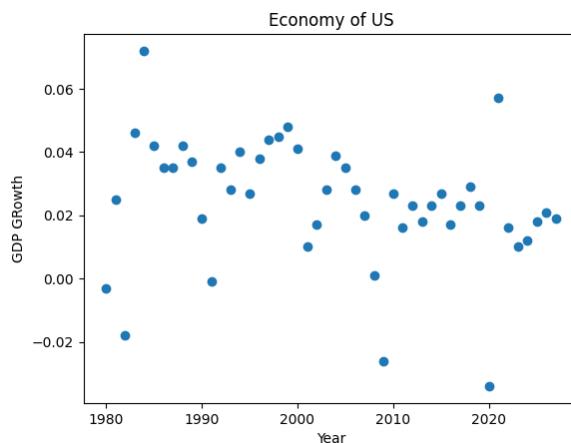


Figure 4.17 A Scatter Plot with Marker o

```

markers = ['o', '*', '.', ',', 'x', 'X', '+', 'P', 's', 'D', 'd', 'p',
           'H', 'h', 'v', '^', '<', '>', '1', '2', '3', '4', '|', '_']

for m in markers:
    print(m)
    plt.plot(df['Year'], df['GDP_Growth'], m)
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
plt.show()

```

\*

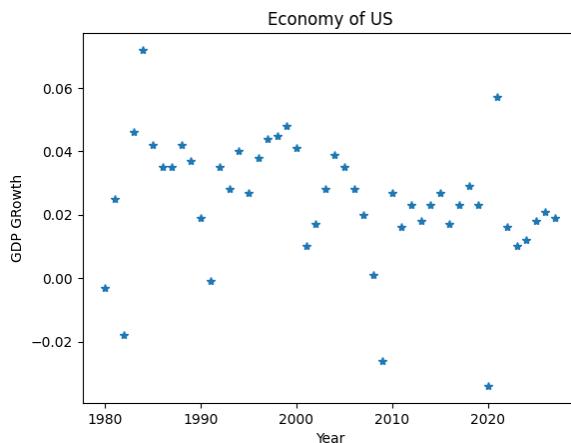


Figure 4.18 A Scatter Plot with Marker \*

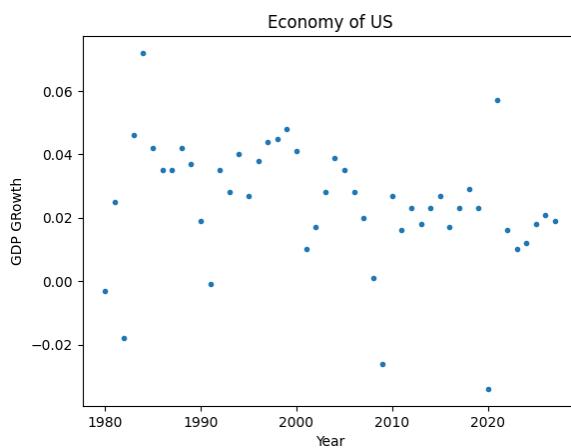


Figure 4.19 A Scatter Plot with Marker.

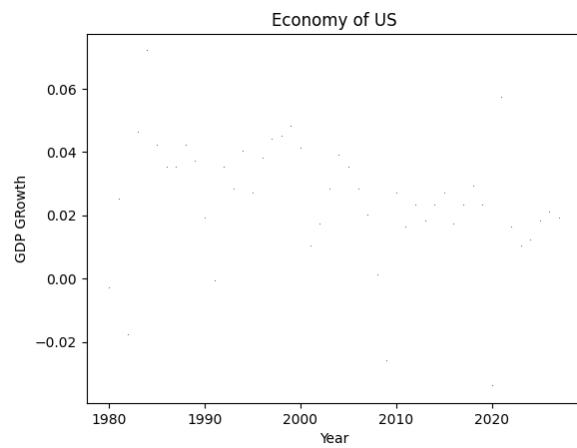


Figure 4.20 A Scatter Plot with Marker ,

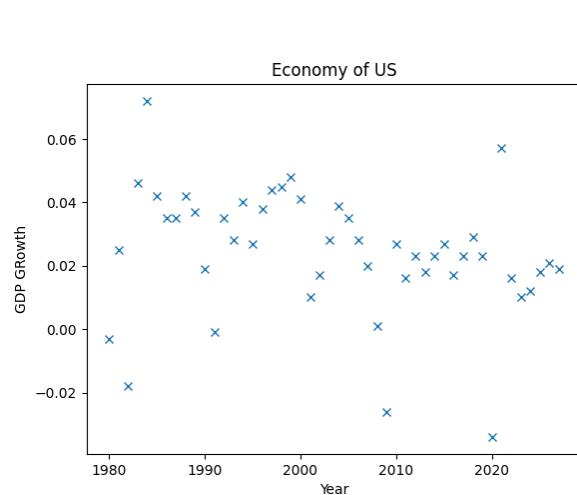


Figure 4.21 A Scatter Plot with Marker x

X

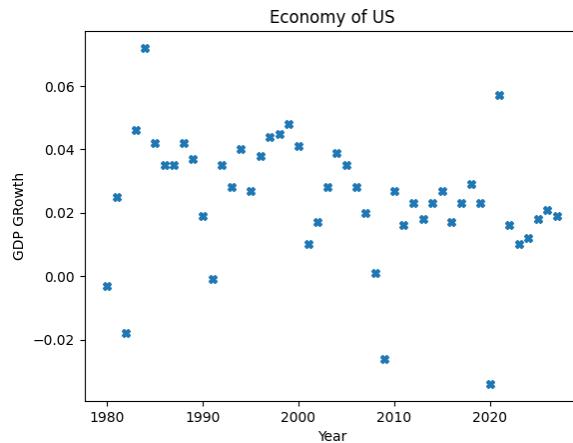


Figure 4.22 A Scatter Plot with Marker X

+

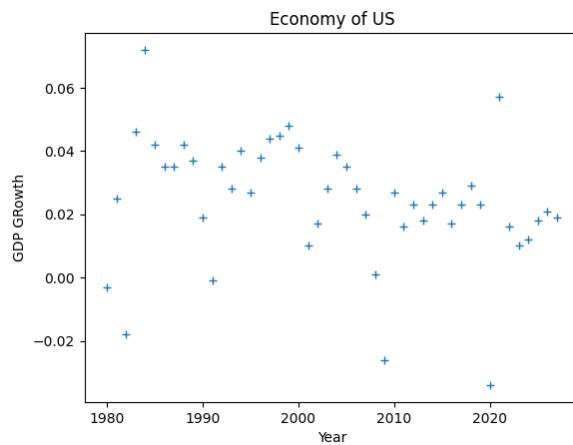


Figure 4.23 A Scatter Plot with Marker +

P

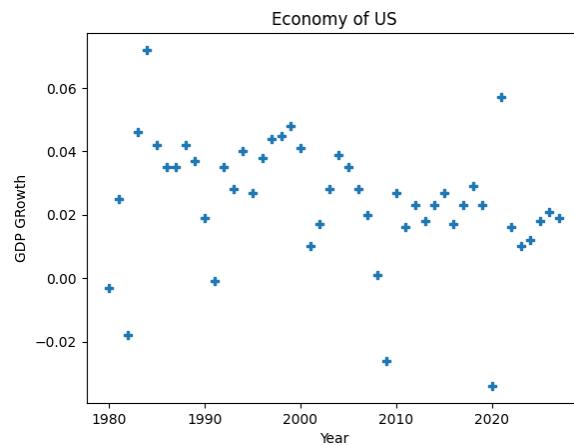


Figure 4.24 A Scatter Plot with Marker P

s

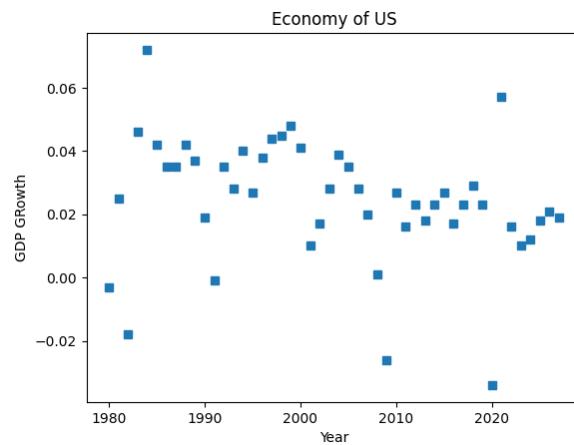


Figure 4.25 A Scatter Plot with Marker s

D

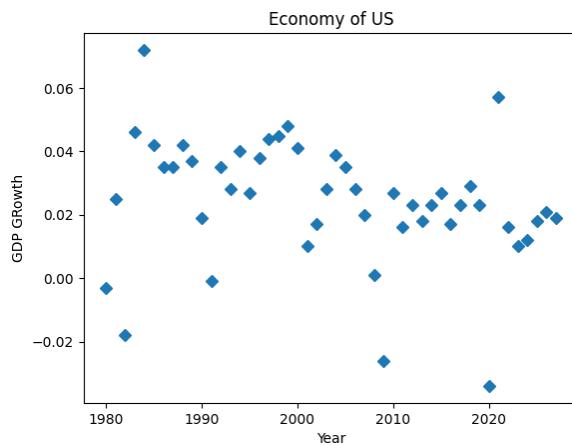


Figure 4.26 A Scatter Plot with Marker D

d

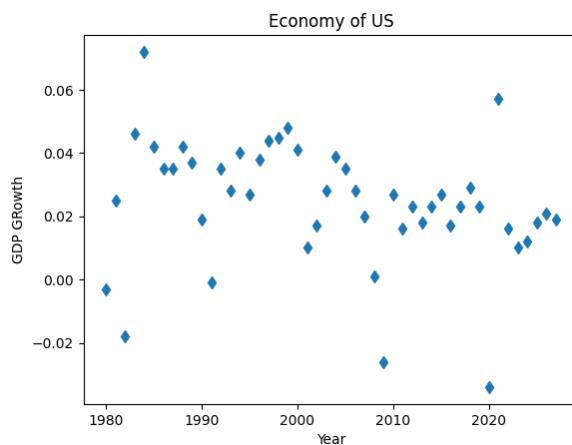


Figure 4.27 A Scatter Plot with Marker d

p

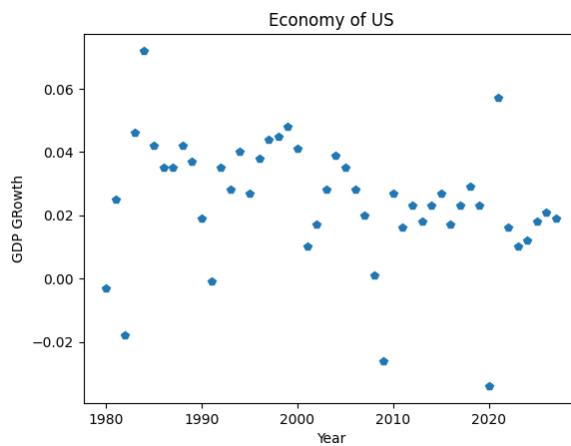


Figure 4.28 A Scatter Plot with Marker p

H

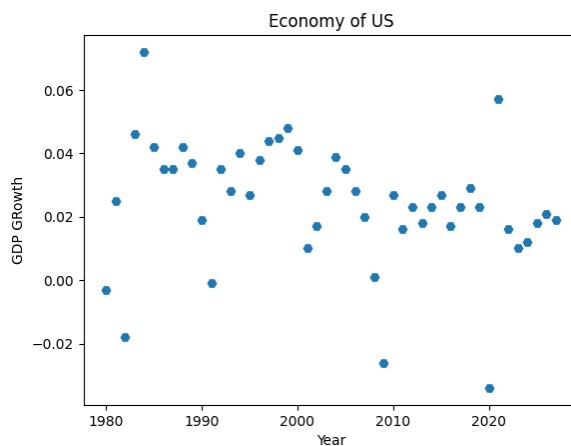


Figure 4.29 A Scatter Plot with Marker H

h

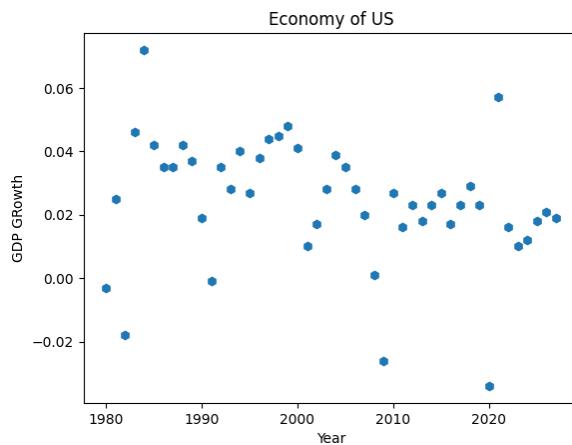


Figure 4.30 A Scatter Plot with Marker h

v

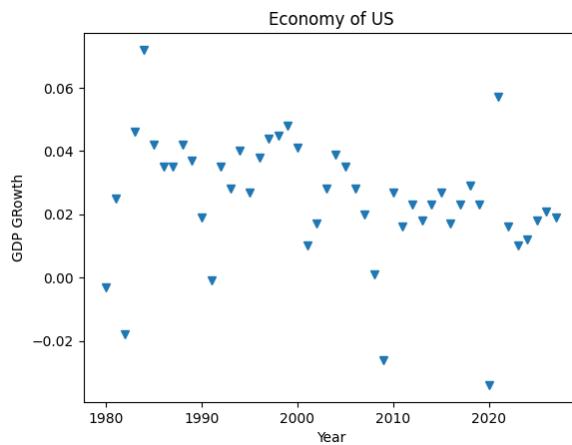


Figure 4.31 A Scatter Plot with Marker o

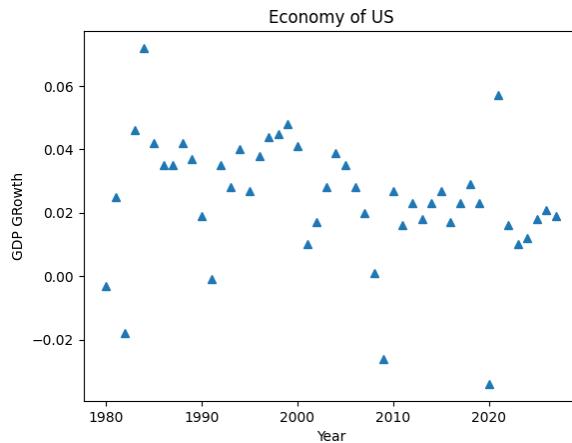


Figure 4.32 A Scatter Plot with Marker ^

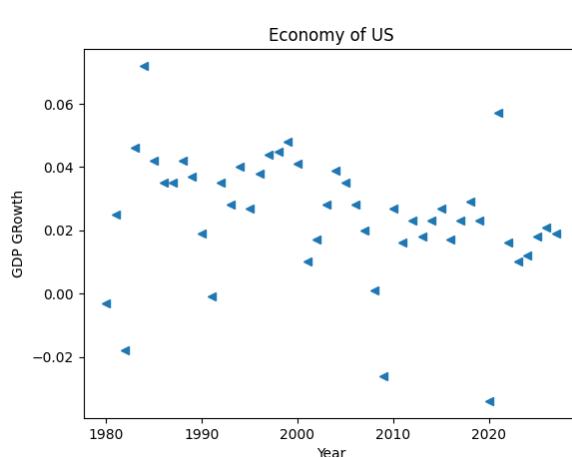


Figure 4.33 A Scatter Plot with Marker &lt;

&gt;

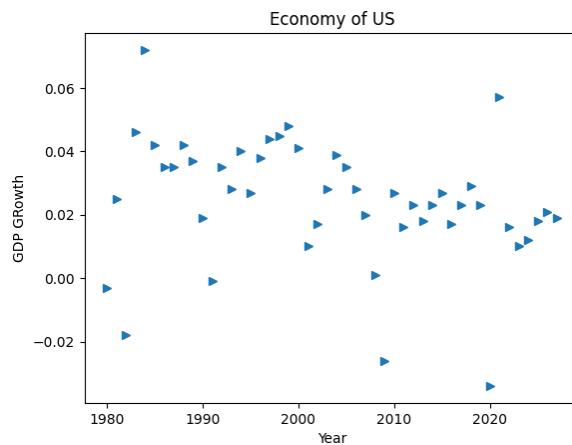


Figure 4.34 A Scatter Plot with Marker >

1

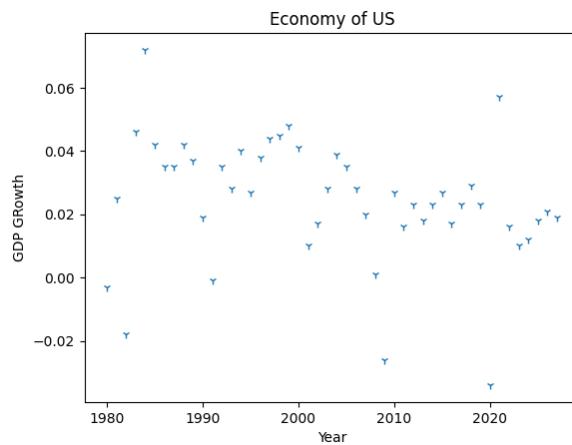


Figure 4.35 A Scatter Plot with Marker 1

2

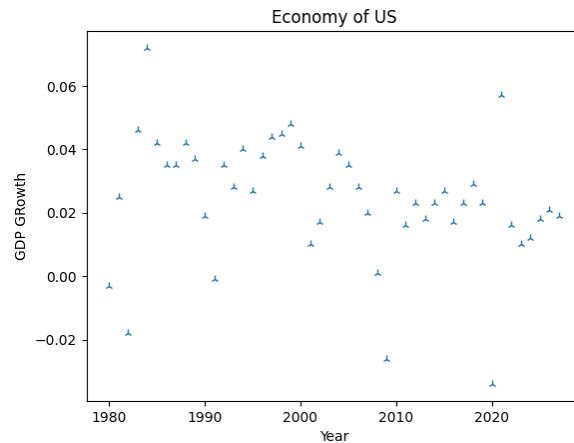


Figure 4.36 A Scatter Plot with Marker 2

3

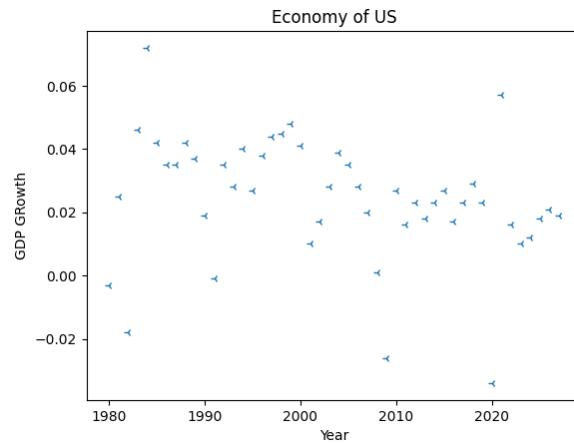


Figure 4.37 A Scatter Plot with Marker 3

4

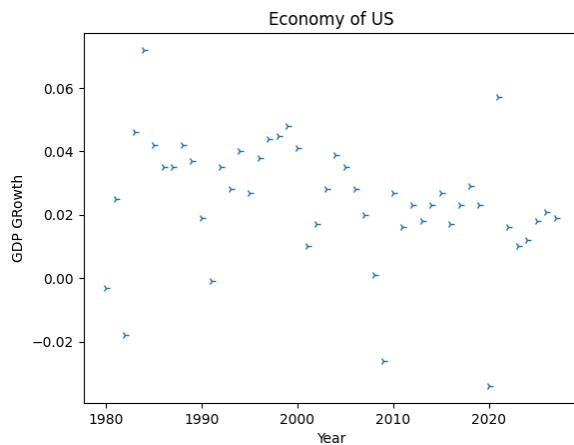


Figure 4.38 A Scatter Plot with Marker 4

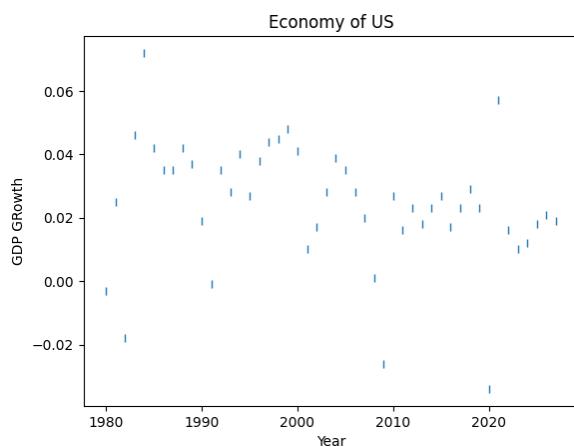


Figure 4.39 A Scatter Plot with Marker |

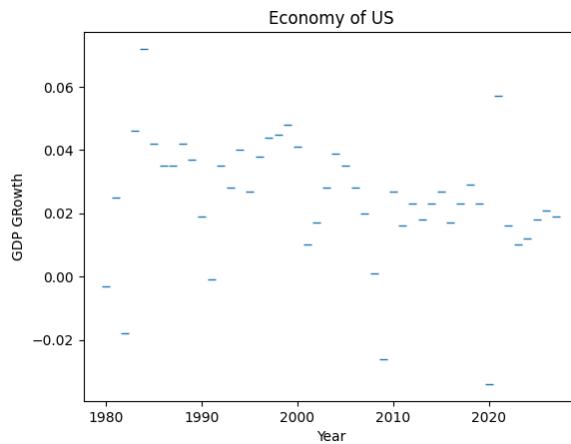


Figure 4.40 A Scatter Plot with Marker -

Change line style

```
line = ['-', ':', '--', '-.']
for l in line:
    print(l)
    l = 'o' + l + 'r'
    plt.plot(df['Year'], df['GDP_Growth'], l)
    plt.xlabel('Year')
    plt.ylabel('GDP GRowth')
    plt.title('Economy of US')
    plt.show()
```

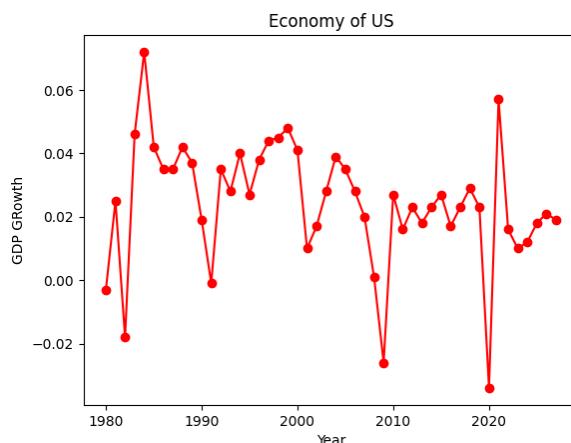


Figure 4.41 A Line Plot

:

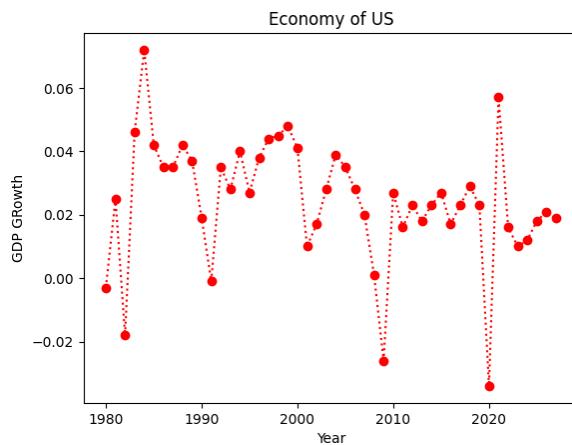


Figure 4.42 A Line Plot

--

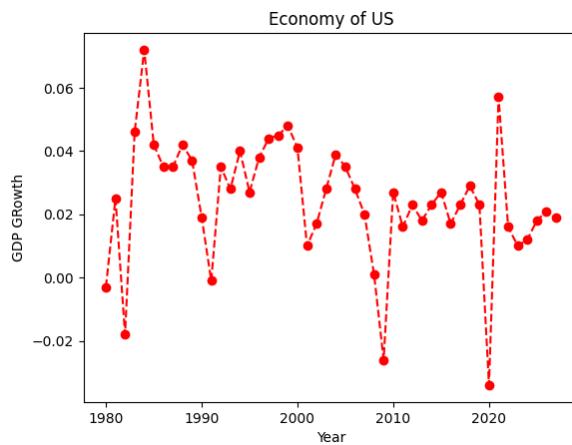


Figure 4.43 A Line Plot

- .

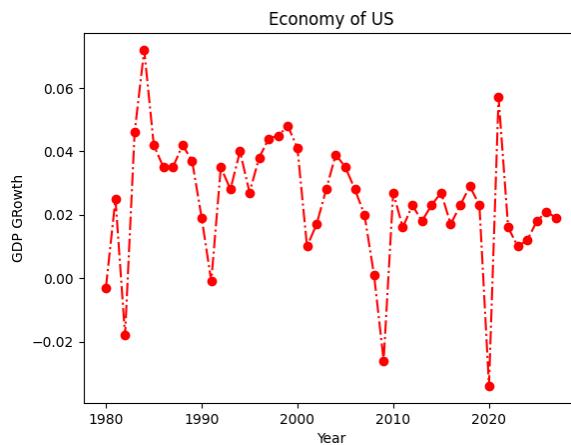


Figure 4.44 A Line Plot

Change color

```
color = ['r', 'g', 'b', 'c', 'm', 'y', 'k', 'w']
for c in color:
    print(c)
    c = 'o:' + c
    plt.plot(df['Year'], df['GDP_Growth'], c)
    plt.xlabel('Year')
    plt.ylabel('GDP GRowth')
    plt.title('Economy of US')
    plt.show()
```

r

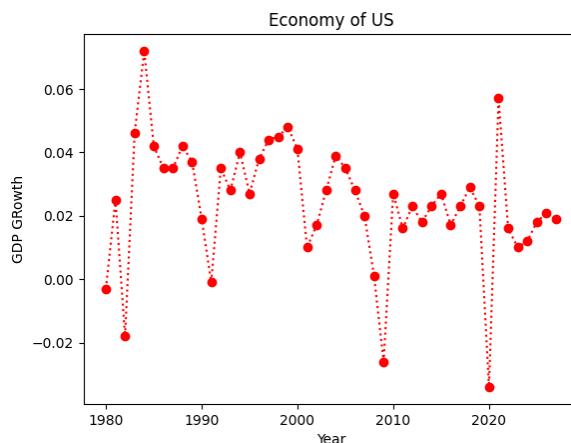


Figure 4.45 A Line Plot

g

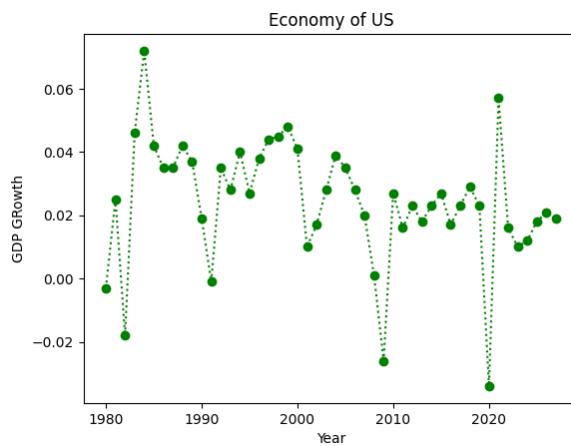


Figure 4.46 A Line Plot

b

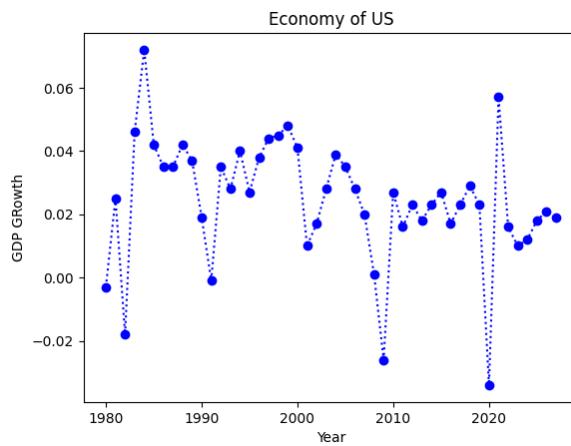


Figure 4.47 A Line Plot

C

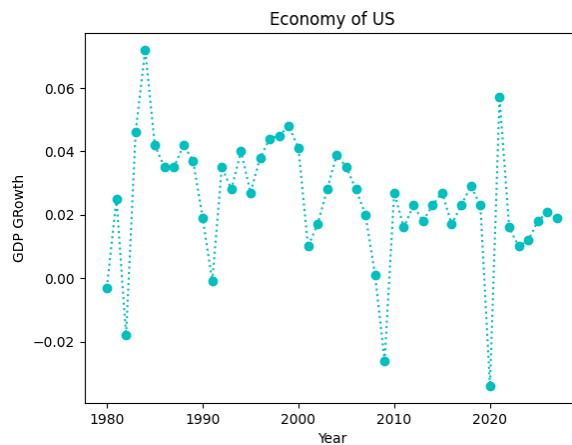


Figure 4.48 A Line Plot

m

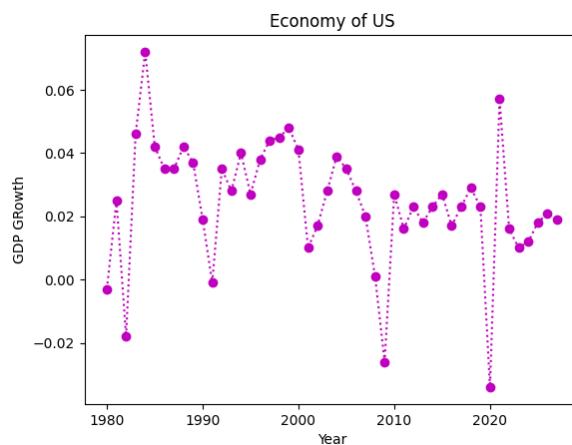


Figure 4.49 A Line Plot

y

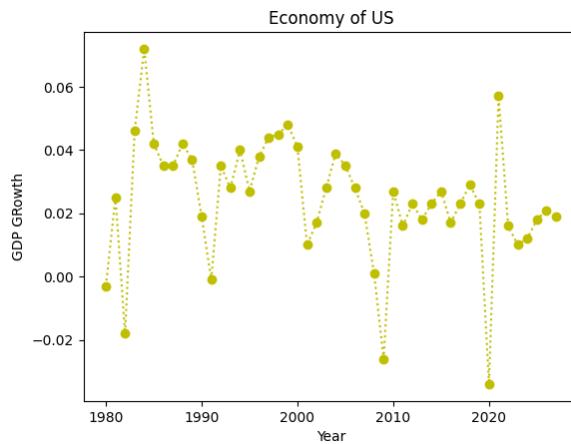


Figure 4.50 A Line Plot

k

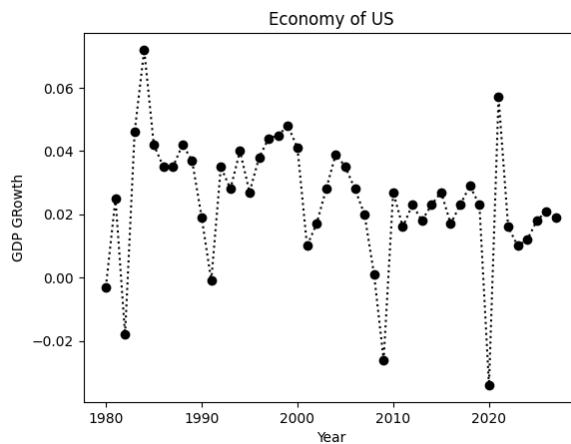


Figure 4.51 A Line Plot

W

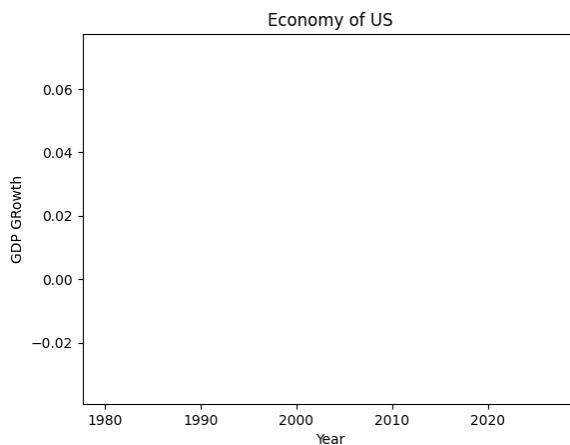


Figure 4.52 A Line Plot

Change marker size

```
plt.plot(df['Year'], df['GDP_Growth'], marker = '^', ms = 15)
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')

Text(0.5, 1.0, 'Economy of US')
```

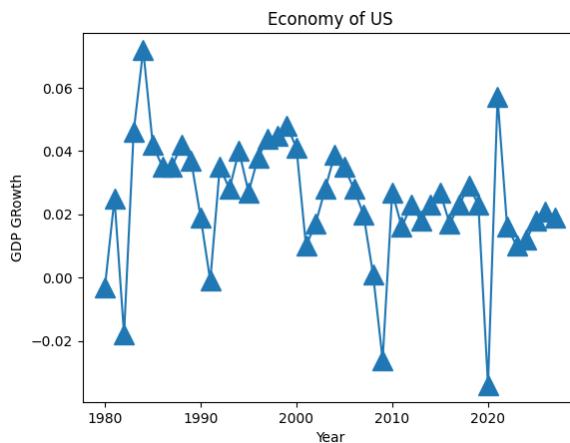


Figure 4.53 A Line Plot

#### 4.2.1.3 Scatter Plot

```
plt.plot(df['Year'], df['GDP_Growth'], 'o')
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

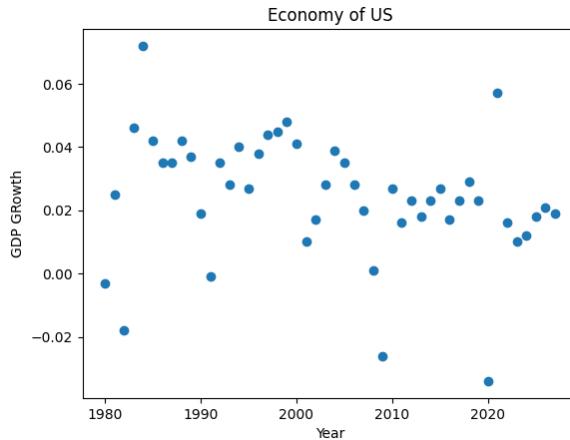


Figure 4.54 A Line Plot

```
plt.scatter(df['Year'], df['GDP_Growth'])
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

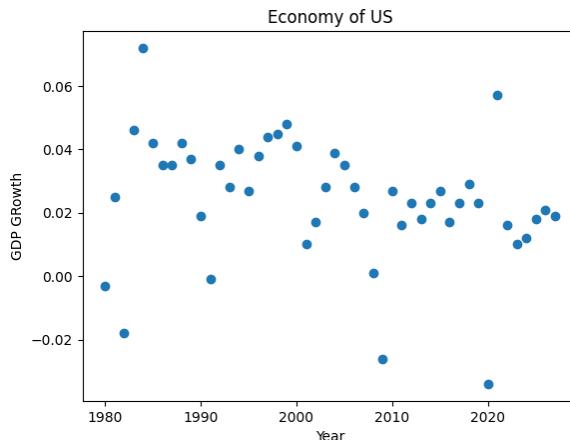


Figure 4.55 A Scatter Plot

Colorbar

```
plt.scatter(df['Year'], df['GDP_Growth'], c=df['Inflation'], cmap='hot')
plt.colorbar()
plt.xlabel('Year')
```

```
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

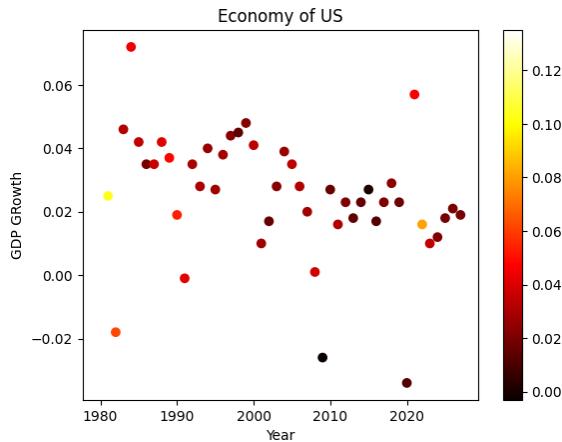


Figure 4.56 A Colorbar Plot

Size

```
plt.scatter(df['Year'], df['GDP_Growth'], s= df['Unemployment']*1000)
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

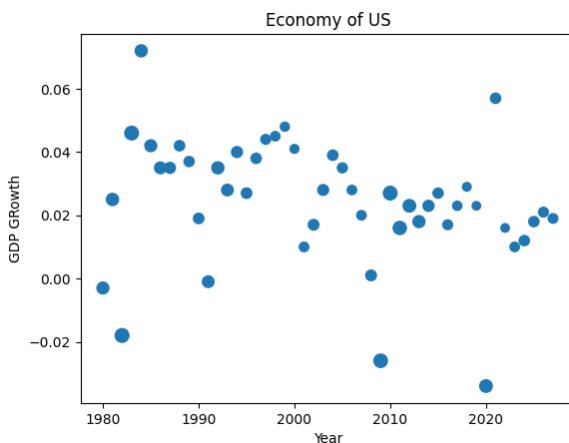


Figure 4.57 A Scatter Plot with Different Dot-Sizes

Colorbar and size

```
plt.scatter(df['Year'], df['GDP_Growth'], c=df['Inflation'], cmap='hot'
           , alpha = 0.5, s= df['Unemployment']*1000)
plt.colorbar()
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

Text(0.5, 1.0, 'Economy of US')

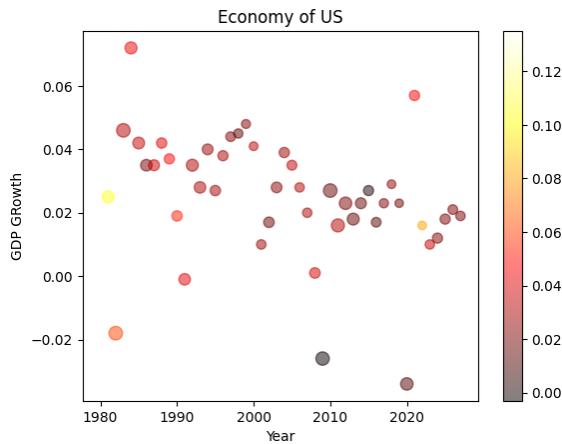


Figure 4.58 A Scatter Plot with Colorbar and Different Dot-Sizes

```
plt.bar(df['Year'], df['GDP_Growth'])
plt.xlabel('Year')
plt.ylabel('GDP Growth')
plt.title('Economy of US')
```

Text(0.5, 1.0, 'Economy of US')

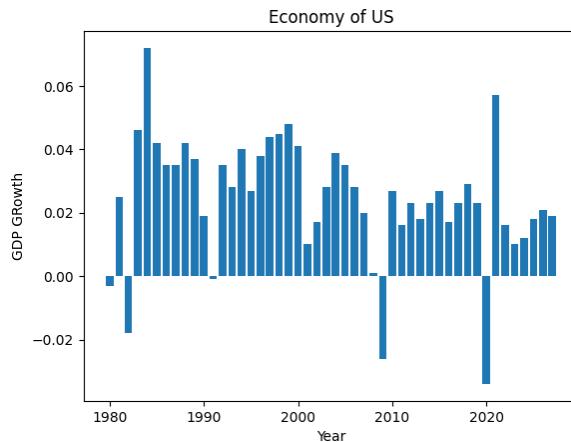


Figure 4.59 A Bar Plot

```
plt.hist(df['GDP_Growth'])
plt.xlabel('GDP Growth')
plt.ylabel('Counts')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

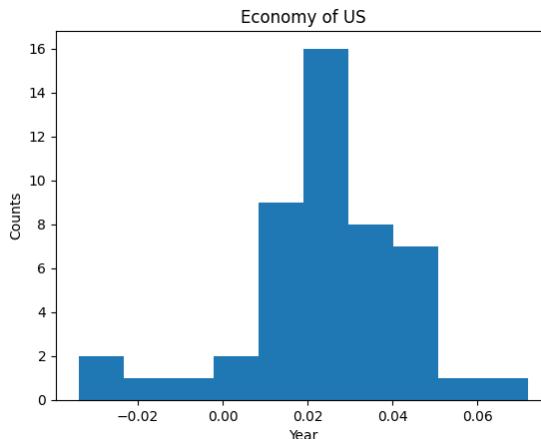


Figure 4.60 A Histogram Plot

```
plt.hist(df['GDP_Growth'], bins = 50)
plt.xlabel('GDP Growth')
plt.ylabel('Counts')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

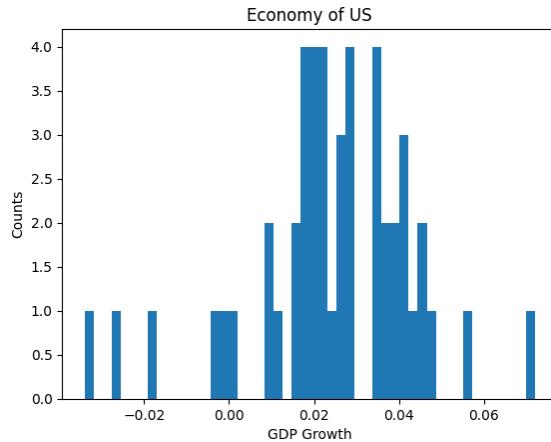


Figure 4.61 Another Histogram Plot

#### 4.2.1.4 Pie Plot

```
df['Inflation_Change'].value_counts()
```

```
Decrease      23
Increase      21
No change     3
Name: Inflation_Change, dtype: int64
```

```
plt.pie(df['Inflation_Change'].value_counts(), labels
        = ['Decrease', 'Increase', 'No change'])
plt.legend()
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

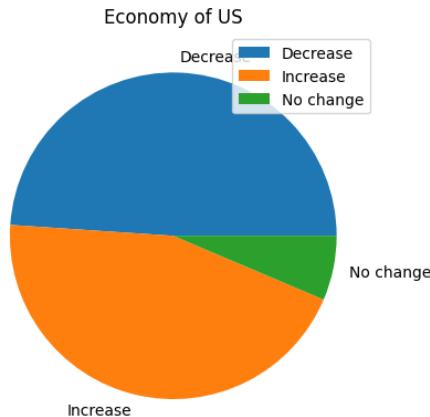


Figure 4.62 A Pie Plot

```
plt.pie(df['Inflation_Change'].value_counts(), labels =  
        ['Decrease', 'Increase', 'No change'], explode = [0.0, 0.2, 0])  
plt.legend()  
plt.title('Economy of US')
```

Text(0.5, 1.0, 'Economy of US')

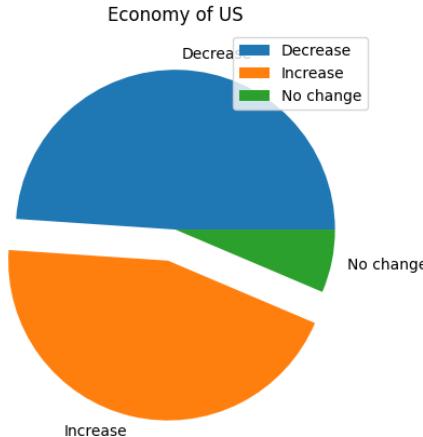


Figure 4.63 An Explode Pie Plot

#### 4.2.1.5 Box Plot

```
plt.boxplot(df['Inflation'])  
plt.ylabel('Inflation')  
plt.title('Economy of US')
```

Text(0.5, 1.0, 'Economy of US')

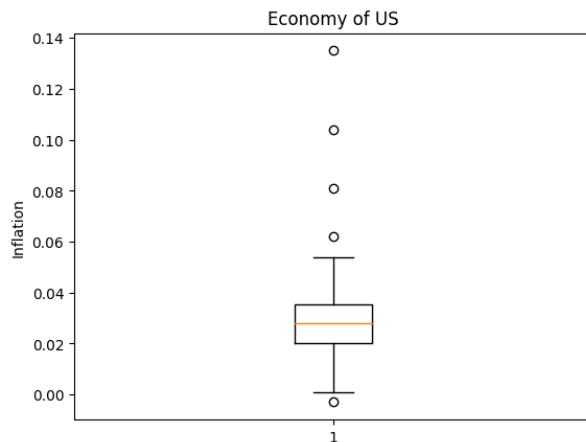


Figure 4.64 A Box Plot

#### 4.2.1.6 Violin Plot

```
plt.violinplot(df['Inflation'])
plt.ylabel('Inflation')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

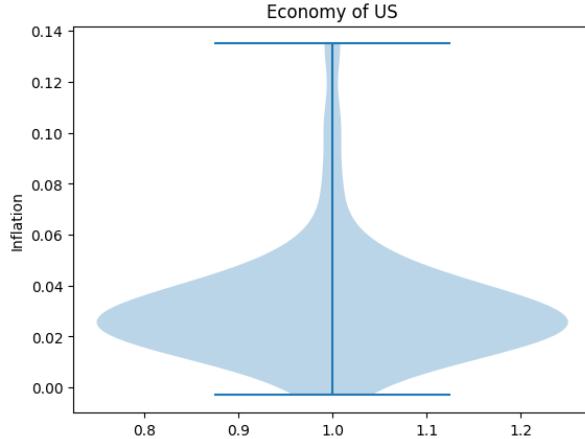


Figure 4.65 A Violin Plot

#### 4.2.1.7 Multi-Plots

```
plt.plot(df['Year'], df['GDP_Growth'])
plt.plot(df['Year'], df['Inflation'])
plt.plot(df['Year'], df['Unemployment'])
plt.xlabel('Year')
plt.title('Economy of US')
```

```
Text(0.5, 1.0, 'Economy of US')
```

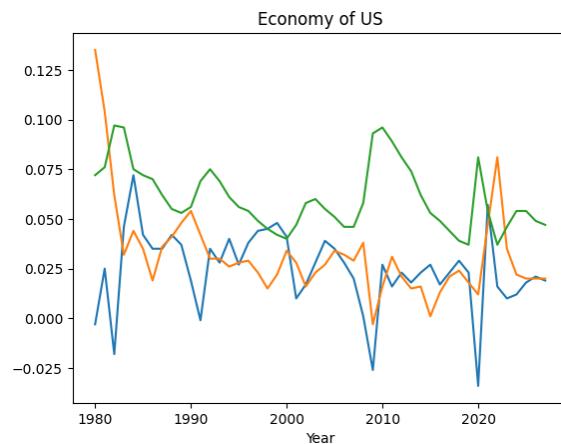


Figure 4.66 A Multi-Plot

Add legend

```
plt.plot(df['Year'], df['GDP_Growth'], label = 'GDP_Growth')
plt.plot(df['Year'], df['Inflation'], label = 'Inflation' )
plt.plot(df['Year'], df['Unemployment'], label = 'Unemployment')
plt.xlabel('Year')
plt.ylabel('Economy')
plt.grid()
plt.legend()
```

<matplotlib.legend.Legend at 0x7f27844e3e20>

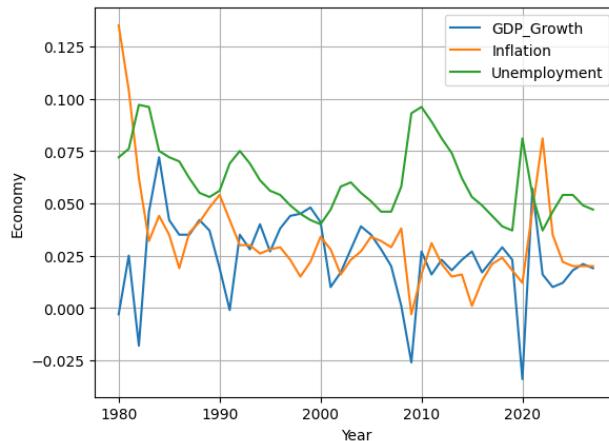


Figure 4.67 A Multi-Plot with Legend and Grid

Change arrangement

```
plt.subplot(3, 1, 1)
plt.plot(df['Year'], df['GDP_Growth'], label = 'GDP_Growth')
plt.legend()
plt.xlabel('Year')
plt.ylabel('Economy')
plt.subplot(3, 1, 2)
plt.plot(df['Year'], df['Inflation'], label = 'Inflation' )
plt.legend()
plt.xlabel('Year')
plt.ylabel('Economy')
plt.subplot(3, 1, 3)
plt.plot(df['Year'], df['Unemployment'], label = 'Unemployment')
plt.legend()
plt.xlabel('Year')
plt.ylabel('Economy')
plt.grid()
```

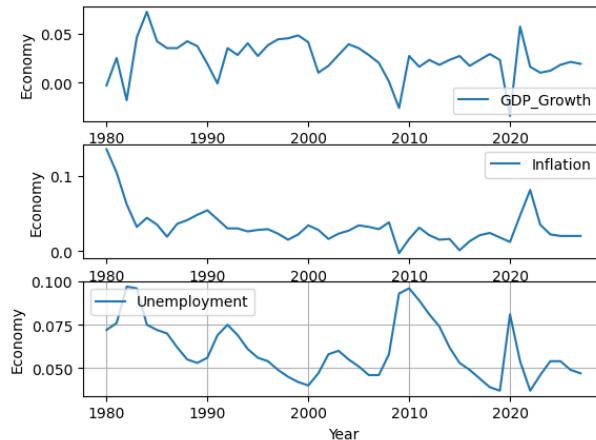


Figure 4.68 A Multi-Plot as Stacks

```
plt.subplot(1, 3, 1)
plt.plot(df['Year'], df['GDP_Growth'], label = 'GDP_Growth')
plt.legend()
plt.xlabel('Year')
plt.ylabel('Economy')
plt.subplot(1, 3, 2)
plt.plot(df['Year'], df['Inflation'], label = 'Inflation' )
plt.legend()
plt.xlabel('Year')
plt.subplot(1, 3, 3)
plt.plot(df['Year'], df['Unemployment'], label = 'Unemployment')
plt.legend()
plt.xlabel('Year')
plt.grid()
```

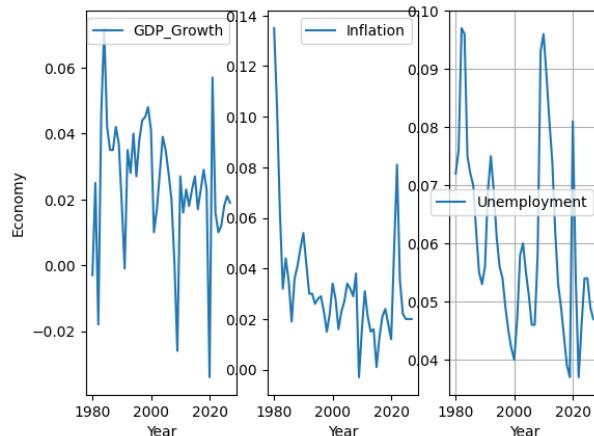


Figure 4.69 A Multi-Plot as Columns

## 4.3 DATA VISUALIZATION WITH SEABORN

In this section, we introduce Seaborn, a Python data visualization library built on Matplotlib. Seaborn strikes a balance between convenience and elegant default aesthetics, making it an excellent choice for those who want visually appealing results without sacrificing simplicity.

Our exploration begins with an introduction to Seaborn and its unique features. You'll discover how Seaborn simplifies the creation of complex visualizations by providing high-level functions and aesthetically pleasing default settings. Seaborn is renowned for its visually appealing default aesthetics, making your visualizations look polished with minimal effort. We delve into how Seaborn automatically enhances the appearance of plots, adding a layer of sophistication to your data presentations. Seaborn excels in statistical data visualization. You'll learn how to create informative statistical plots like violin plots, box plots, and regression plots, allowing you to explore and communicate data distributions and relationships effortlessly. Customizing the look of your visualizations is made easy with Seaborn's color palettes and themes. We'll guide you through the process of selecting color schemes and themes that align with your data and presentation style.

### 4.3.1 Tutorial – Data Visualization with Seaborn

Document: <https://seaborn.pydata.org>

#### 4.3.1.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns

tips = sns.load_dataset('tips')
```

#### 4.3.1.2 Relational Plots

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e5b9e6280>
```

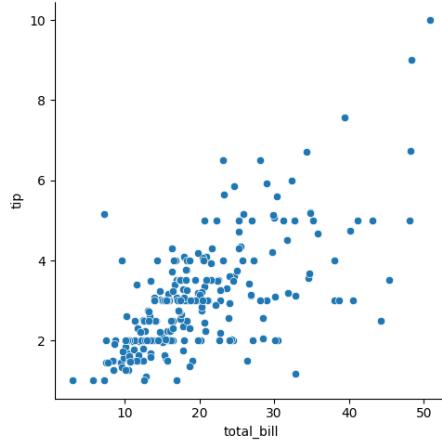


Figure 4.70 A Default Relational Plot

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4d8e1fd0>
```

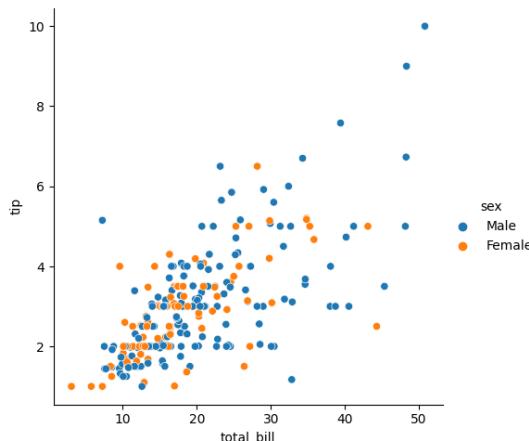


Figure 4.71 A Default Relational Plot with Gender Differentiation

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip', hue = 'day')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4b62f370>
```

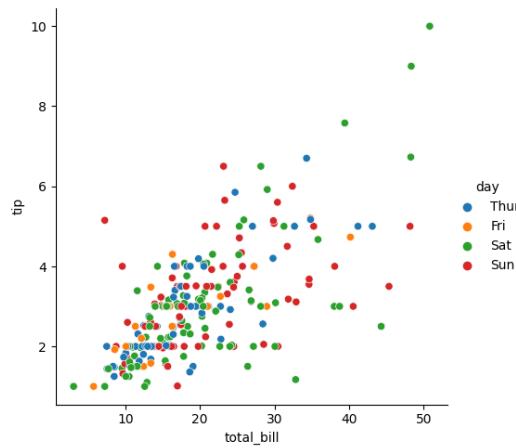


Figure 4.72 A Default Relational Plot with Day Differentiation

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip', hue = 'time')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4b54d310>
```

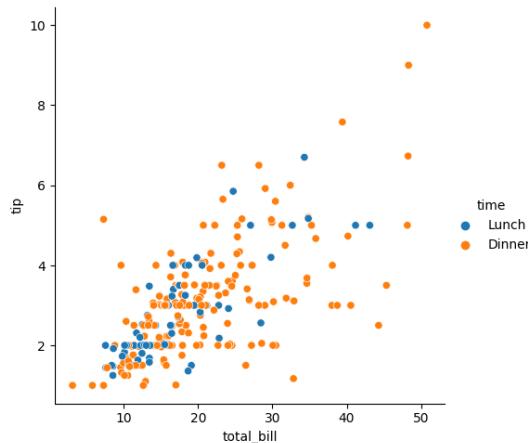


Figure 4.73 A Default Relational Plot with Time Differentiation

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip',
            hue = 'smoker', col = 'time')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e5b9e6df0>
```

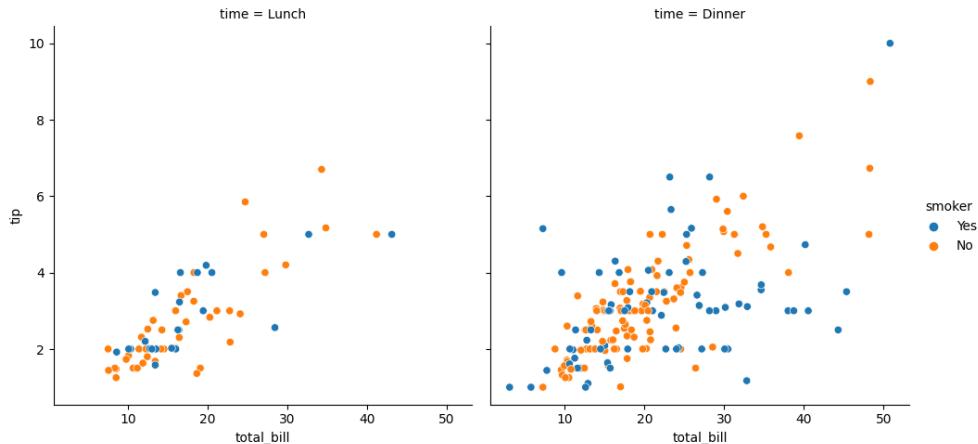


Figure 4.74 A Default Relational Plot with Time Differentiation in Multicolumns

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip'
            , hue = 'smoker')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e5b970970>
```

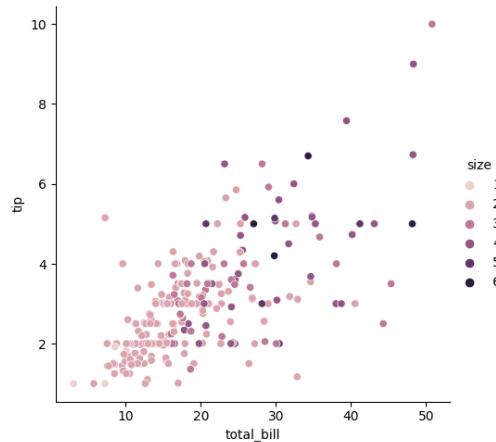


Figure 4.75 A Default Relational Plot with Size Differentiation

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip'
            , size = 'size', hue = 'size')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4b192c40>
```

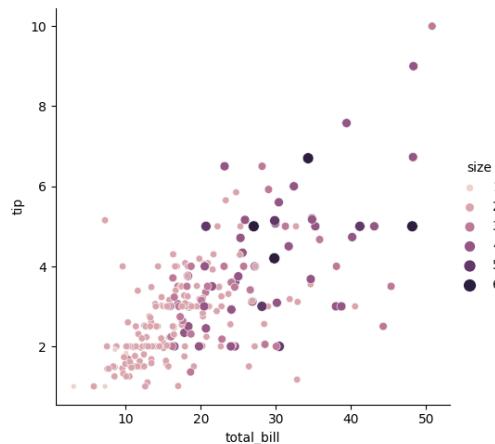


Figure 4.76 A Default Relational Plot with Size Differentiation and Different Dot-Sizes

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip'
            , size = 'size', sizes = (15, 200), hue = 'size')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4aff1f10>
```

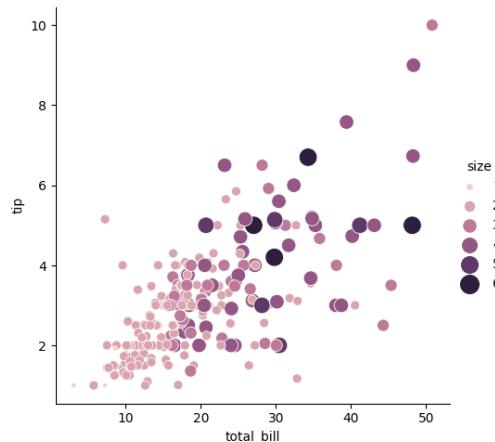


Figure 4.77 A Default Relational Plot with Large Size Differentiation

```
sns.relplot(data = tips, x = 'total_bill', y = 'tip'
            , size = 'size', sizes = (15, 200), alpha= 0.5, hue = 'size')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4ad0d370>
```

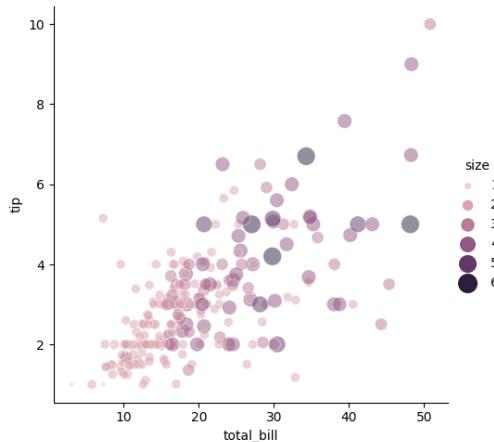


Figure 4.78 A Default Relational Plot with Large Size Differentiation and Transparency

```
sns.relplot(data = tips, x = 'day', y = 'total_bill')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4ad26310>
```

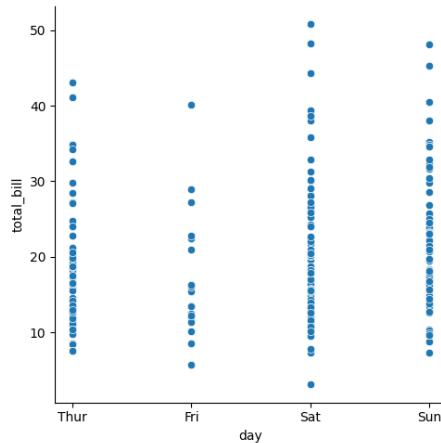


Figure 4.79 A Default Relational Plot with Categorical Xs

```
sns.relplot(data = tips, x = 'day', y = 'total_bill', kind = 'line')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4aff1ee0>
```

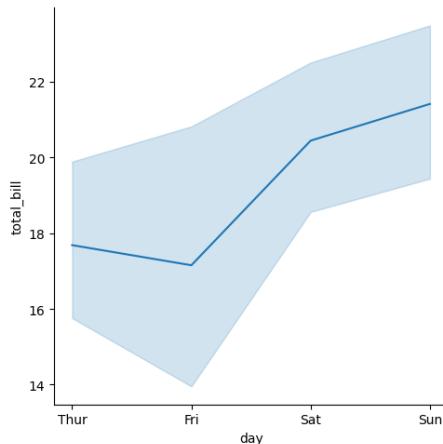


Figure 4.80 A Line Relational Plot

```
sns.relplot(data = tips, x = 'day', y = 'total_bill'
            , hue = 'sex', kind = 'line')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e48eb3400>
```

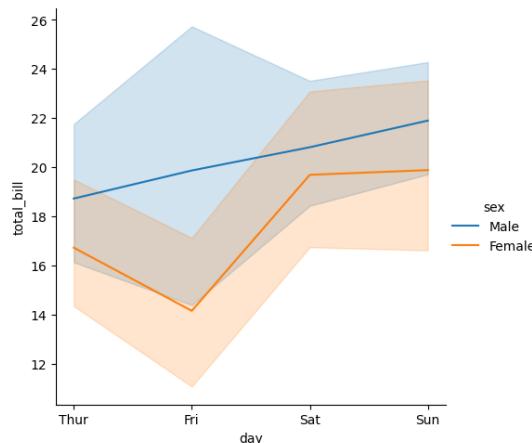


Figure 4.81 A Line Relational Plot with Gender Differentiation

```
sns.relplot(data = tips, x = 'day', y = 'total_bill'
            , hue = 'sex', kind = 'line', col = 'time')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e48d7e100>
```

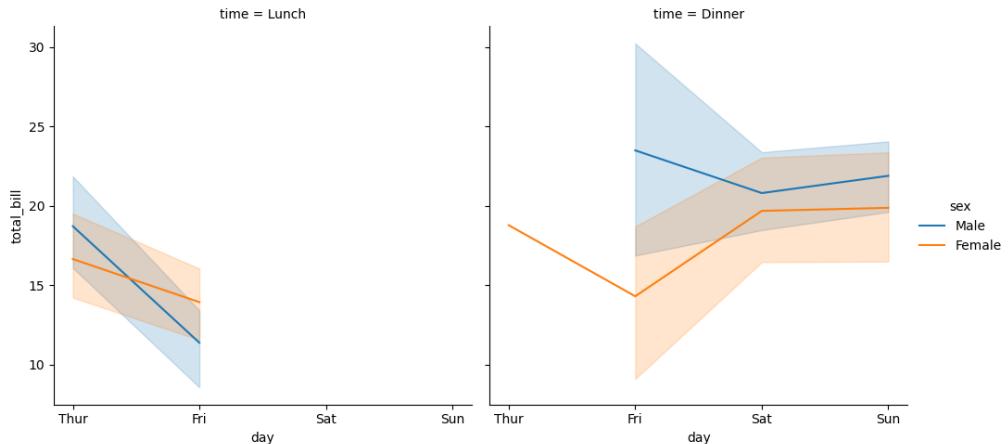


Figure 4.82 A Line Relational Plot with Gender Differentiation in Multicolumns

#### 4.3.1.3 Distribution Plots

```
sns.displot(data = tips, x = 'total_bill')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e48ccdc40>
```

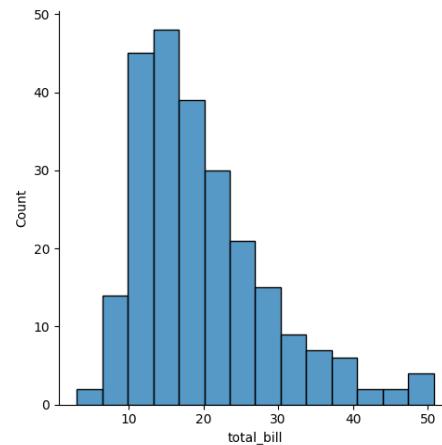


Figure 4.83 A Default Distribution Plot

```
sns.displot(data = tips, x = 'total_bill', col = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e48b70a30>
```

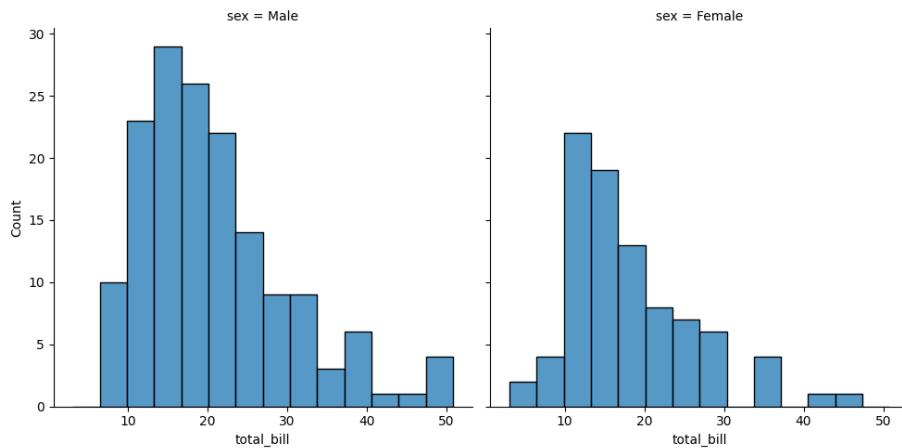


Figure 4.84 A Default Distribution Plot in Multicolumns

```
sns.displot(data = tips, x = 'total_bill', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e48a0c760>
```

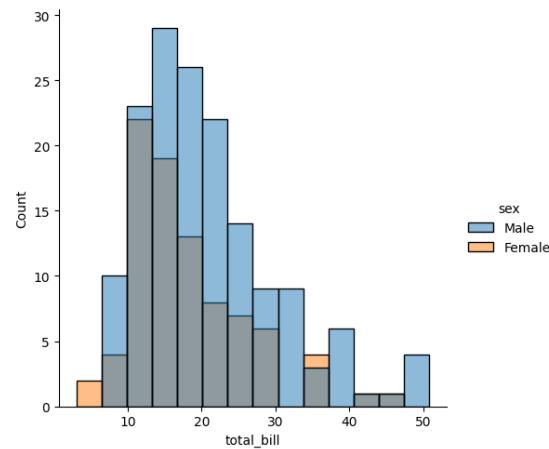


Figure 4.85 A Default Distribution Plot with Gender Differentiation

```
sns.displot(data = tips, x = 'total_bill', hue = 'sex', col = 'day')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e489e8cd0>
```

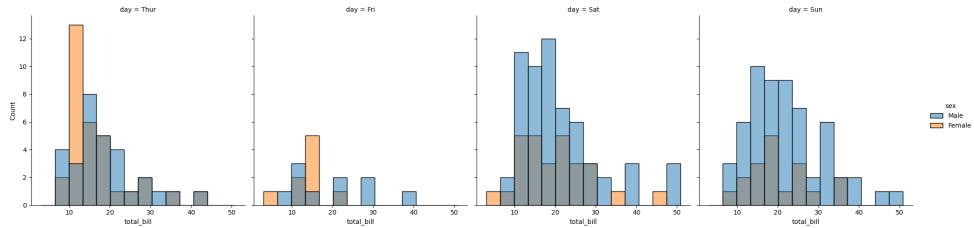


Figure 4.86 A Default Distribution Plot with Gender Differentiation in Multicolumns

```
sns.displot(data = tips, x = 'total_bill', hue = 'sex', kind = 'kde')
```

<seaborn.axisgrid.FacetGrid at 0x7f0e4b3ecfd0>

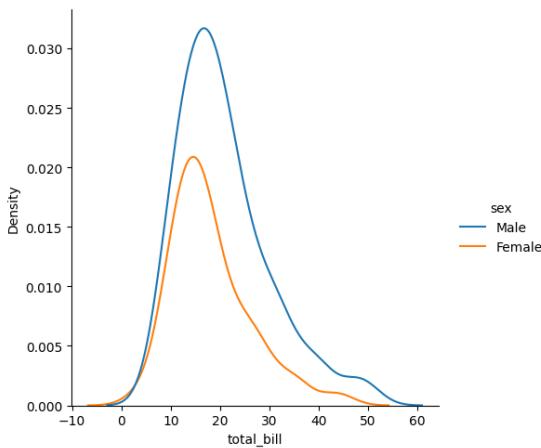


Figure 4.87 A KDE Distribution Plot with Gender Differentiation

```
sns.displot(data = tips, x = 'total_bill',
            hue = 'sex', kind = 'kde', multiple = 'stack')
```

<seaborn.axisgrid.FacetGrid at 0x7f0e482d6550>

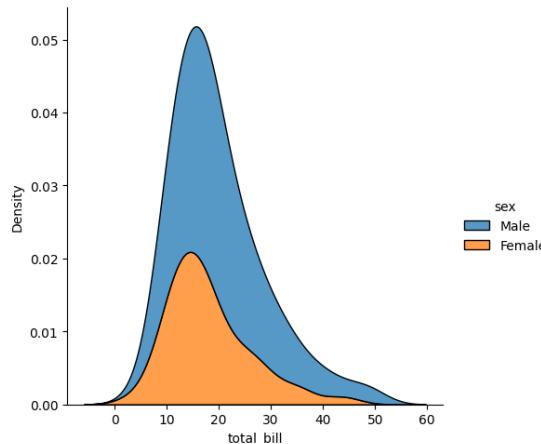


Figure 4.88 A KDE Distribution Plot with Gender Differentiation and Stacking

```
sns.displot(data = tips, x = 'total_bill'
            , hue = 'sex', kind = 'kde', col = 'day', multiple = 'stack')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e489dee50>
```

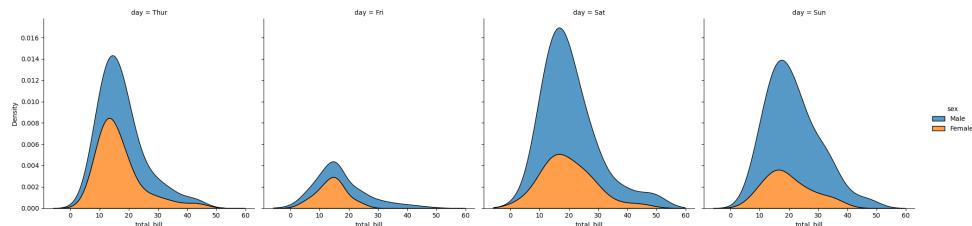


Figure 4.89 A KDE Distribution Plot with Gender Differentiation, Stacking in Multi-columns

```
sns.displot(data = tips, x = 'total_bill', y = 'tip', kind = 'kde')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e480b4fd0>
```

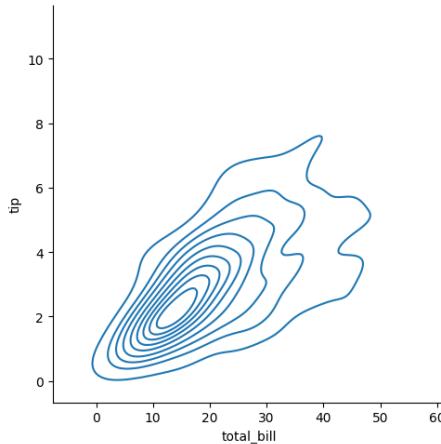


Figure 4.90 A KDE Distribution Plot with Two Attributes

```
sns.displot(data = tips, x = 'total_bill', y = 'tip'
            , kind = 'kde', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e480ac9d0>
```

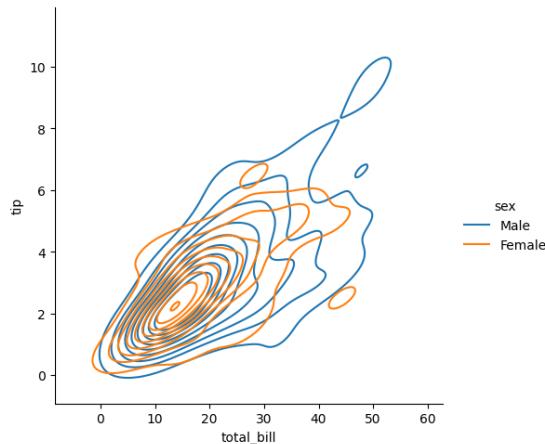


Figure 4.91 A KDE Distribution Plot with Two Attributes and Gender Differentiation

```
sns.displot(data = tips, x = 'total_bill', y = 'tip'
            , kind = 'kde', rug = True)
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e43d65640>
```

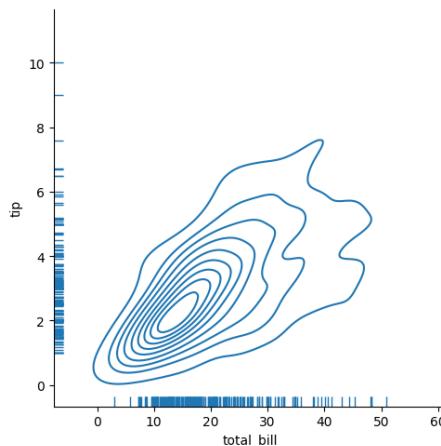


Figure 4.92 A KDE Distribution Plot with Two Attributes and Rug

```
sns.displot(data = tips, x = 'total_bill', kind = 'ecdf')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e43c4c610>
```

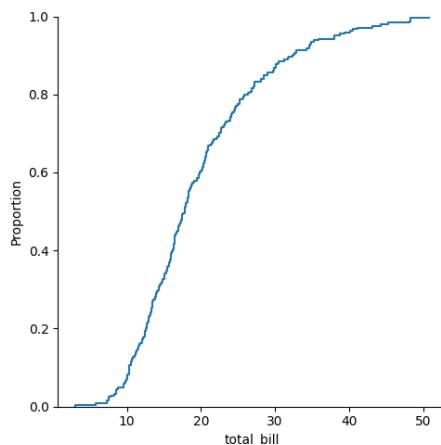


Figure 4.93 An ECDF Distribution Plot

```
sns.displot(data = tips, x = 'total_bill'
            , kind = 'ecdf', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e417a4b50>
```

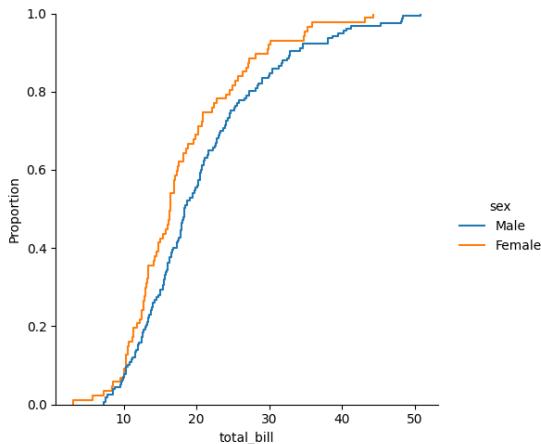


Figure 4.94 An ECDF Distribution Plot with Gender Differentiation

```
sns.displot(data = tips, x = 'total_bill', kind = 'ecdf'
            , hue = 'sex', col = 'day')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4837b0d0>
```

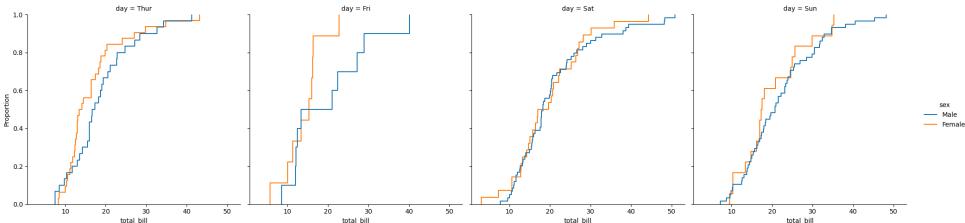


Figure 4.95 An ECDF Distribution Plot with Gender Differentiation in Multicolumns

#### 4.3.1.4 Categorical Plots

```
sns.catplot(data = tips, x = 'day', y = 'total_bill')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4159bb50>
```

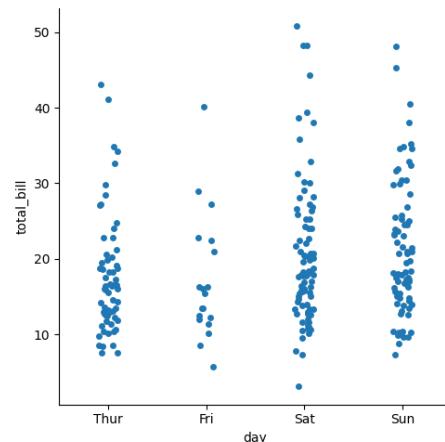


Figure 4.96 A Default Categorical Plot

```
sns.catplot(data = tips, x = 'day', y = 'total_bill', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e415ed070>
```

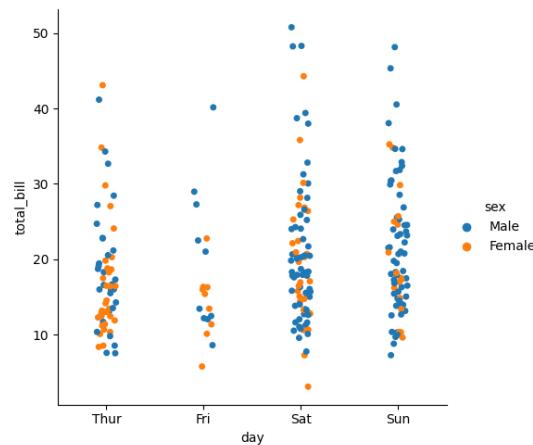


Figure 4.97 A Default Categorical Plot with Gender Differentiation

```
sns.catplot(data = tips, x = 'day', y = 'total_bill'  
, kind = 'box')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e414c6040>
```

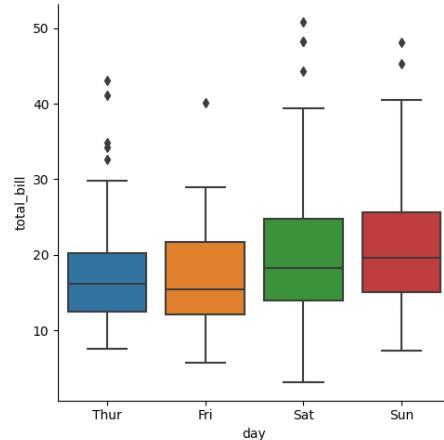


Figure 4.98 A Box Categorical Plot

```
sns.catplot(data = tips, x = 'day', y = 'total_bill',
            kind = 'box', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e413e08e0>
```

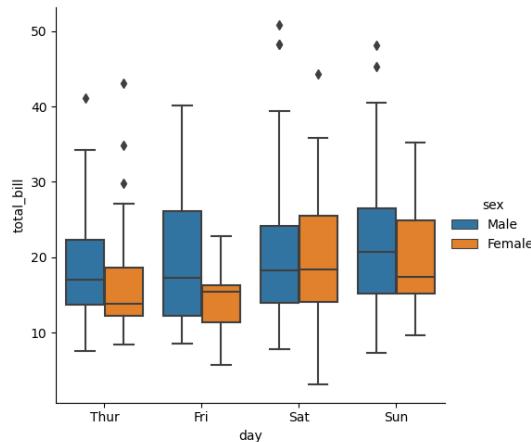


Figure 4.99 A Box Categorical Plot with Gender Differentiation

```
sns.catplot(data = tips, x = 'day', y = 'total_bill', kind = 'violin')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e4b585eb0>
```

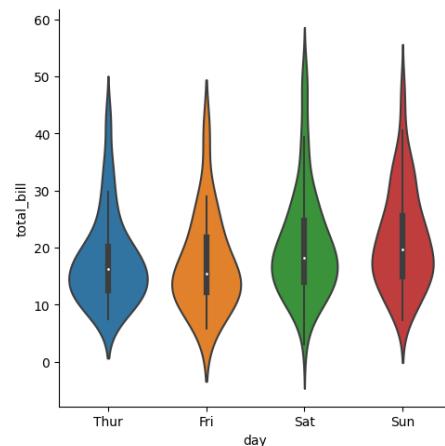


Figure 4.100 A Violin Categorical Plot

```
sns.catplot(data = tips, x = 'day', y = 'total_bill',
            kind = 'violin', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e412877c0>
```

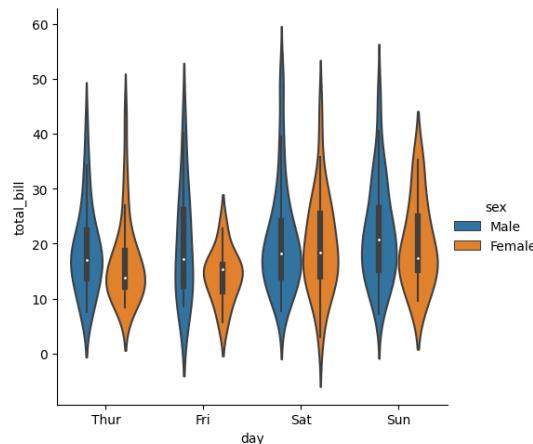


Figure 4.101 A Violin Categorical Plot with Gender Differentiation

```
sns.catplot(data = tips, x = 'day', y = 'total_bill',
            kind = 'violin', hue = 'sex', split = True)
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e412832e0>
```

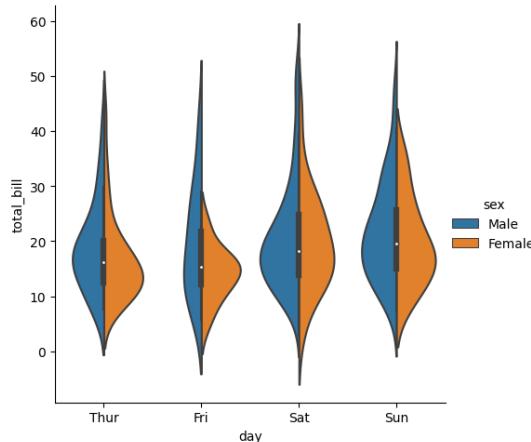


Figure 4.102 Another Violin Categorical Plot with Gender Differentiation

```
sns.violinplot(data = tips, x = 'day', y = 'total_bill'
    , hue = 'sex', split = True, inner = 'quartile')
```

```
<AxesSubplot: xlabel='day', ylabel='total_bill'>
```

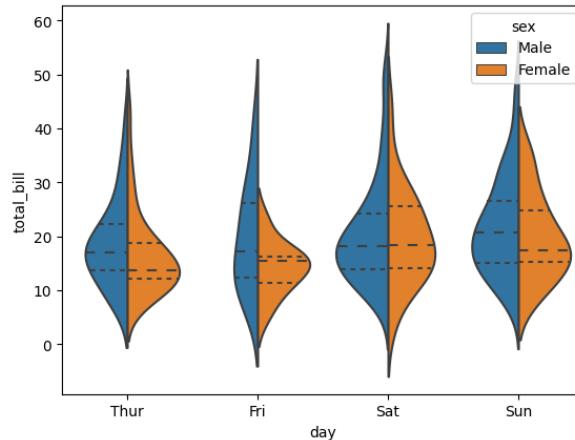


Figure 4.103 A Violin Plot with Gender Differentiation and Quartile

```
sns.catplot(data = tips, x = 'day', y= 'total_bill', kind = 'bar')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e410072b0>
```

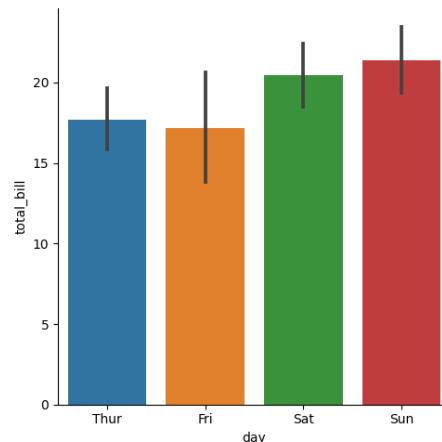


Figure 4.104 A Bar Categorical Plot

```
sns.catplot(data = tips, x = 'day', y= 'total_bill'
            , kind = 'bar', hue = 'sex')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f0e40f7f0a0>
```

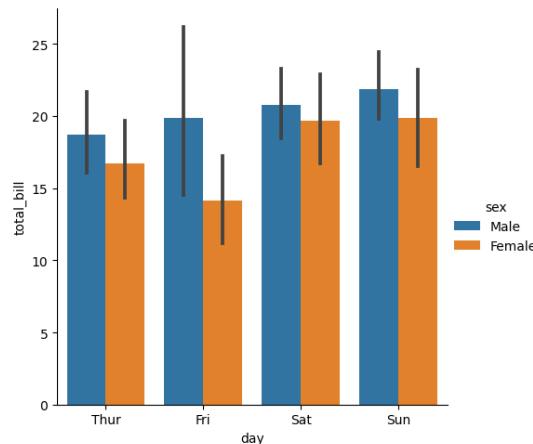


Figure 4.105 A Bar Categorical Plot with Gender Differentiation

#### 4.3.1.5 Joint Plots

```
sns.jointplot(data = tips, x = 'total_bill', y = 'tip'
               , hue = 'sex', kind = 'kde')
```

```
<seaborn.axisgrid.JointGrid at 0x7f0e40f8ab50>
```

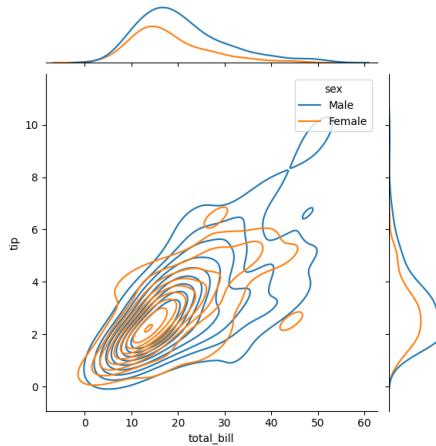


Figure 4.106 A Joint Plot

```
sns.jointplot(data = tips, x = 'total_bill', y = 'tip'
               , hue = 'sex', kind = 'scatter')
```

```
<seaborn.axisgrid.JointGrid at 0x7f0e4b641130>
```

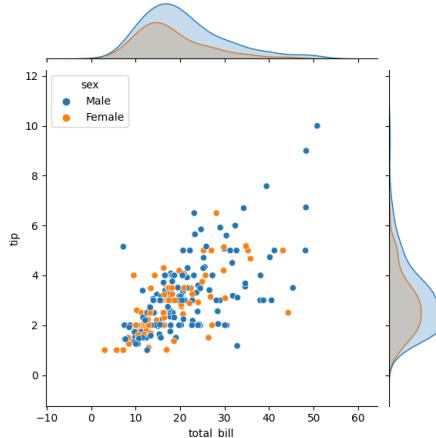


Figure 4.107 Another Joint Plot

```
kind = ['scatter', 'hist', 'hex', 'kde', 'reg', 'resid']
for k in kind:
    sns.jointplot(data = tips, x = 'total_bill', y = 'tip', kind = k)
```

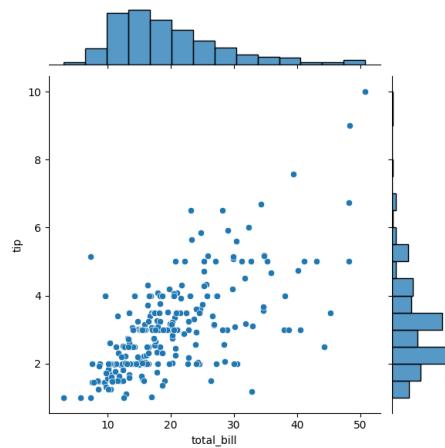


Figure 4.108 Another Joint Plot

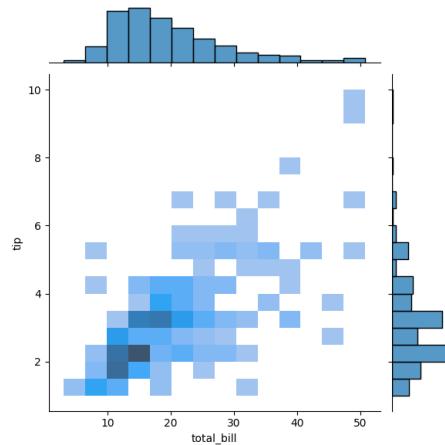


Figure 4.109 Another Joint Plot

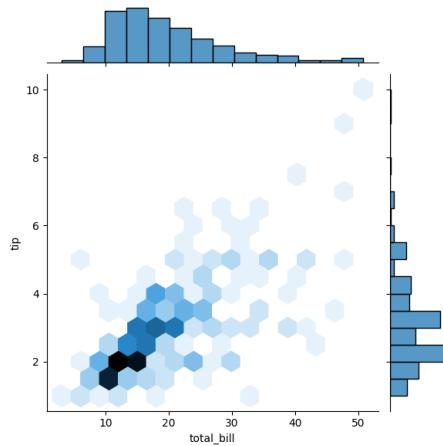


Figure 4.110 Another Joint Plot

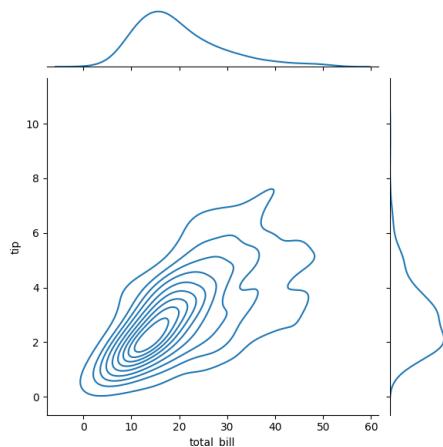


Figure 4.111 Another Joint Plot

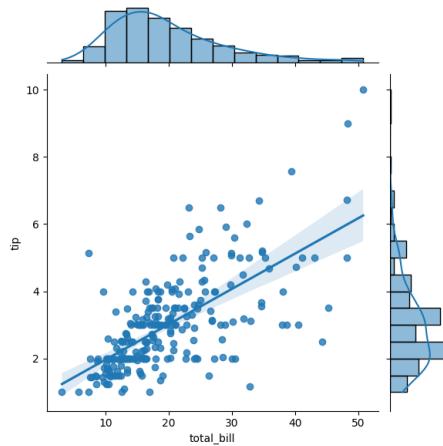


Figure 4.112 Another Joint Plot

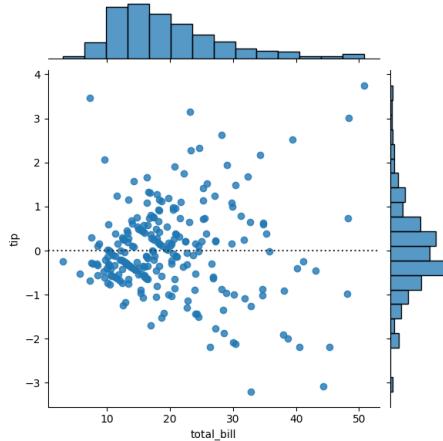


Figure 4.113 Another Joint Plot

#### 4.3.1.6 Pair Plots

```
sns.pairplot(data = tips)
```

```
<seaborn.axisgrid.PairGrid at 0x7f0e40bd8eb0>
```

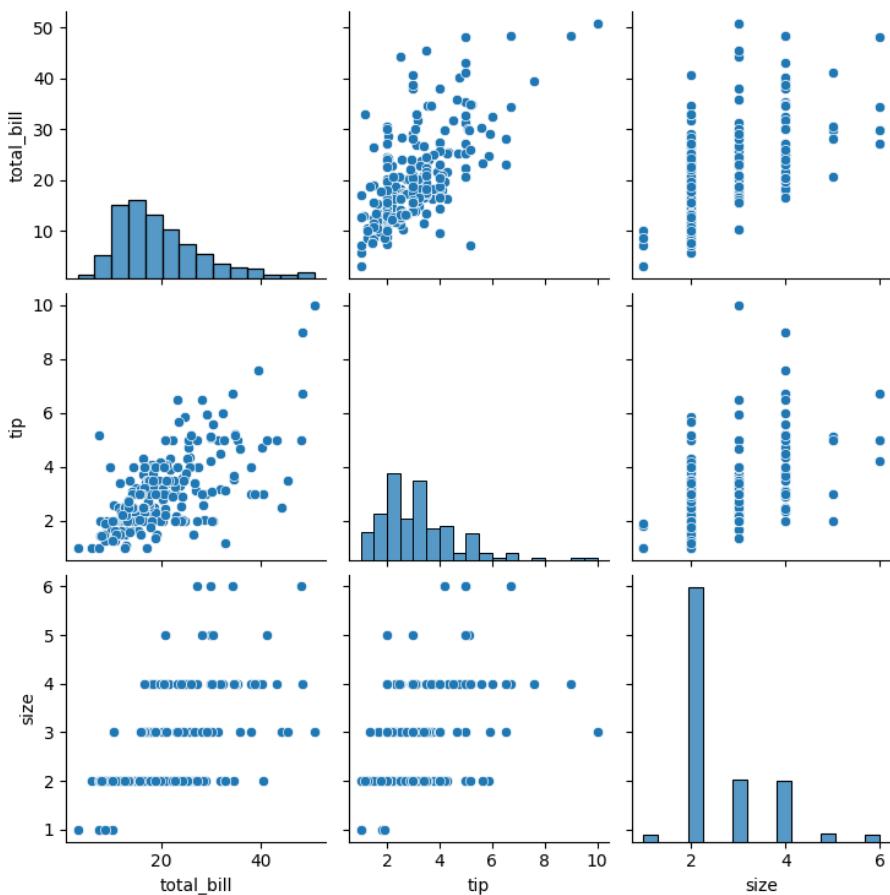


Figure 4.114 A Pair Plot

```
sns.pairplot(data = tips, hue = 'sex')
```

```
<seaborn.axisgrid.PairGrid at 0x7f0e40766490>
```

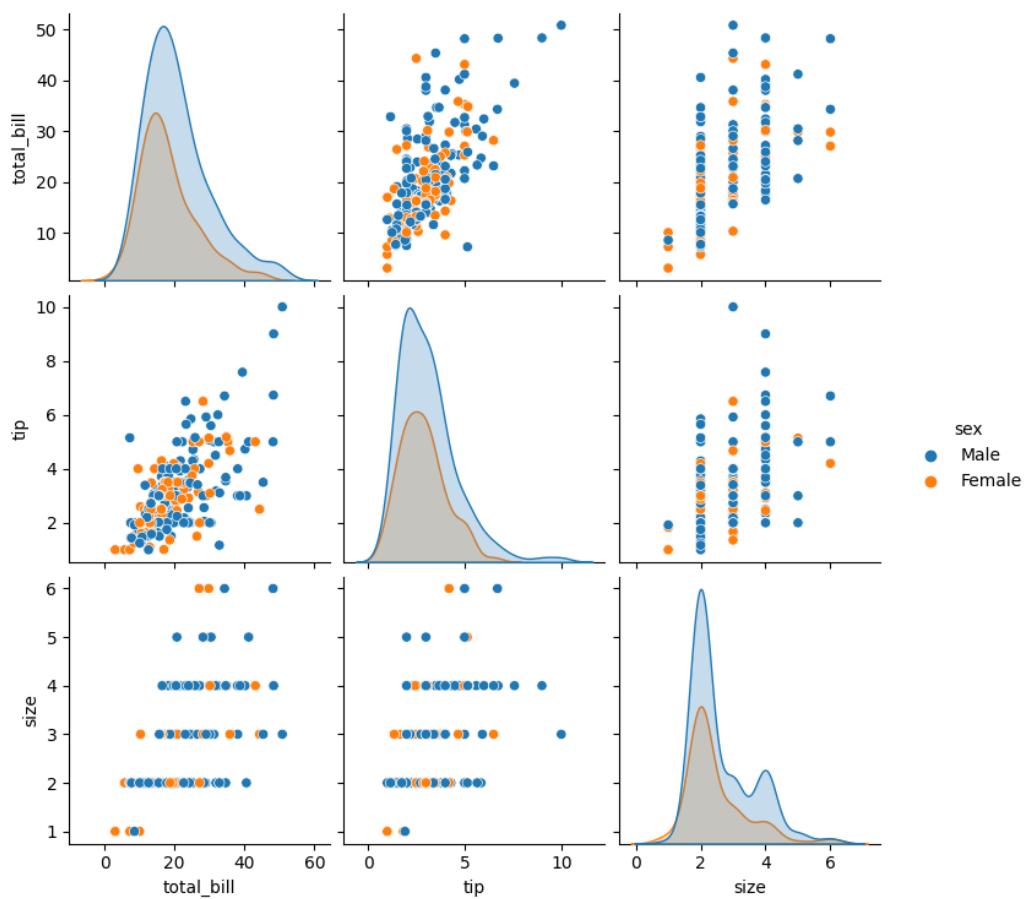


Figure 4.115 A Pair Plot with Gender Differentiation

# Data Preprocessing

---

**D**ATA PREPROCESSING is the process of cleaning, transforming, and preparing data for analysis. It is a crucial step in the Data Mining pipeline as it ensures that the data is in a format that can be easily and accurately analyzed.

There are several Python packages that are commonly used for data preprocessing, including:

- Pandas: It is a library for working with data in a tabular format and provides a wide range of tools for reading, writing, and manipulating data, such as DataFrame and series, as well as handling missing values.
- NumPy: It is a library for working with arrays and matrices of numerical data. It provides a wide range of mathematical and statistical functions and is commonly used as the foundation for other libraries.
- Scikit-learn: It is a library for machine learning in Python and provides a wide range of tools for preprocessing data, such as feature scaling, normalization, and one-hot encoding.
- NLTK: It is a library for natural language processing and provides a wide range of tools for text preprocessing, such as tokenization, stemming, and lemmatization.
- SciPy: It is a library for scientific computing in Python and provides a wide range of tools for data preprocessing, such as interpolation and smoothing.

## 5.1 DEALING WITH MISSING VALUES

---

Missing values are a common challenge that must be addressed to ensure the accuracy and reliability of your results. This section is dedicated to understanding the importance of handling missing values and equipping you with the knowledge to effectively manage them, whether by dropping them or filling them with appropriate values. We explore several approaches using Pandas to effectively manage missing data:

- Dropping missing values: One straightforward strategy is to remove rows or columns containing missing values using the `dropna()` method. This approach is appropriate when the missing data doesn't hold critical information.
- Imputing with a constant value: You can replace missing values with a constant value using the `fillna()` method. This is useful when missing data can be reasonably replaced with a specific constant, such as 0 or a placeholder.
- Imputing with central tendency measures: Imputing missing values with the mean, median, or mode of the respective column is a common technique. Pandas provides these statistics through methods like `mean()`, `median()`, and `mode()`. This approach works well when missing values can be estimated based on the central tendency of the data.
- Forward or backward fill: You can propagate the previous or next valid value to fill missing entries using the `fillna()` method with the `method` parameter set to `ffill` or `bfill`. This approach is suitable for time series or sequential data.
- Interpolation: Pandas offers interpolation methods, such as linear or polynomial interpolation, to estimate missing values based on the surrounding data points. This is particularly useful for datasets with a temporal or continuous nature.
- Other imputation methods: For more complex scenarios, you can employ machine learning algorithms to predict missing values based on other features in your dataset. This approach requires training a model to impute missing values effectively. In cases where data is grouped by a certain feature, you can use group-wise statistics, such as group means or medians, to impute missing values within each group. Pandas allows you to perform group-wise operations easily. Depending on your dataset's specific characteristics, you may need to develop custom imputation strategies. Pandas provides the flexibility to implement tailored approaches to handle missing values.

### 5.1.1 Tutorial – Handling Missing Values

#### 5.1.1.1 Setup

```
import numpy as np
import pandas as pd

df = pd.read_csv('/content/Economy_of_US_na.csv')
```

#### 5.1.1.2 Detect and Report Missing Values

```
df
```

	Year	GDP_Nominal	GDP_Growth
0	1980.0	2857.3	NaN
1	1981.0	3207.0	0.025
2	1982.0	3343.8	-0.018

```

3 1983.0      NaN      NaN
4 1984.0    4037.7    0.072
5 1985.0    4339.0      NaN
6 1986.0      NaN      NaN
7 1987.0    4855.3      NaN
8 1988.0    5236.4    0.042
9 1989.0      NaN      NaN
10 1990.0   5963.1    0.019
11 NaN        NaN      NaN
12 1992.0   6520.3    0.035

```

```
df.isnull()
```

	Year	GDP_Nominal	GDP_Growth
0	False	False	True
1	False	False	False
2	False	False	False
3	False	True	True
4	False	False	False
5	False	False	True
6	False	True	True
7	False	False	True
8	False	False	False
9	False	True	True
10	False	False	False
11	True	True	True
12	False	False	False

```

for c in df.columns:
    miss = df[c].isnull().sum()
    print("{} has {} missing value(s)".format(c,miss))

```

```

Year has 1 missing value(s)
GDP_Nominal has 4 missing value(s)
GDP_Growth has 7 missing value(s)

```

### 5.1.1.3 Dropping Missing Values

```
df2 = df.dropna()
df2
```

	Year	GDP_Nominal	GDP_Growth
1	1981.0	3207.0	0.025
2	1982.0	3343.8	-0.018
4	1984.0	4037.7	0.072
8	1988.0	5236.4	0.042
10	1990.0	5963.1	0.019
12	1992.0	6520.3	0.035

```
df
```

```

      Year  GDP_Nominal  GDP_Growth
0  1980.0        2857.3        NaN
1  1981.0        3207.0       0.025
2  1982.0        3343.8      -0.018
3  1983.0         NaN         NaN
4  1984.0        4037.7       0.072
5  1985.0        4339.0        NaN
6  1986.0         NaN         NaN
7  1987.0        4855.3        NaN
8  1988.0        5236.4       0.042
9  1989.0         NaN         NaN
10 1990.0        5963.1       0.019
11    NaN         NaN         NaN
12 1992.0        6520.3       0.035

```

```

df2 = df.dropna(axis=1)
df2

```

```

Empty DataFrame
Columns: []
Index: [0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12]

```

```

df2 = df.dropna(thresh=3)
df2

```

```

      Year  GDP_Nominal  GDP_Growth
1  1981.0        3207.0       0.025
2  1982.0        3343.8      -0.018
4  1984.0        4037.7       0.072
8  1988.0        5236.4       0.042
10 1990.0        5963.1       0.019
12 1992.0        6520.3       0.035

```

```

df2 = df.dropna(thresh=2)
df2

```

```

      Year  GDP_Nominal  GDP_Growth
0  1980.0        2857.3        NaN
1  1981.0        3207.0       0.025
2  1982.0        3343.8      -0.018
4  1984.0        4037.7       0.072
5  1985.0        4339.0        NaN
7  1987.0        4855.3        NaN
8  1988.0        5236.4       0.042
10 1990.0        5963.1       0.019
12 1992.0        6520.3       0.035

```

```

df2 = df.dropna(thresh=1)
df2

```

```

      Year  GDP_Nominal  GDP_Growth
0  1980.0        2857.3        NaN

```

```
1 1981.0      3207.0      0.025
2 1982.0      3343.8     -0.018
3 1983.0        NaN        NaN
4 1984.0      4037.7      0.072
5 1985.0      4339.0        NaN
6 1986.0        NaN        NaN
7 1987.0      4855.3        NaN
8 1988.0      5236.4      0.042
9 1989.0        NaN        NaN
10 1990.0      5963.1      0.019
12 1992.0      6520.3      0.035
```

```
df2 = df.dropna(axis = 1, thresh=7)
df2
```

```
      Year  GDP_Nominal
0 1980.0      2857.3
1 1981.0      3207.0
2 1982.0      3343.8
3 1983.0        NaN
4 1984.0      4037.7
5 1985.0      4339.0
6 1986.0        NaN
7 1987.0      4855.3
8 1988.0      5236.4
9 1989.0        NaN
10 1990.0      5963.1
11    NaN        NaN
12 1992.0      6520.3
```

```
df2 = df.dropna(axis = 1, thresh=10)
df2
```

```
      Year
0 1980.0
1 1981.0
2 1982.0
3 1983.0
4 1984.0
5 1985.0
6 1986.0
7 1987.0
8 1988.0
9 1989.0
10 1990.0
11    NaN
12 1992.0
```

### 5.1.1.4 Filling with Constant

```
df2 = df.fillna('NA')
df2
```

	Year	GDP_Nominal	GDP_Growth
0	1980.0	2857.3	NA
1	1981.0	3207.0	0.025
2	1982.0	3343.8	-0.018
3	1983.0	NA	NA
4	1984.0	4037.7	0.072
5	1985.0	4339.0	NA
6	1986.0	NA	NA
7	1987.0	4855.3	NA
8	1988.0	5236.4	0.042
9	1989.0	NA	NA
10	1990.0	5963.1	0.019
11	NA	NA	NA
12	1992.0	6520.3	0.035

```
df['Year_filled'] = df['Year'].fillna('YEAR')
df
```

	Year	GDP_Nominal	GDP_Growth	Year_filled
0	1980.0	2857.3	NaN	1980.0
1	1981.0	3207.0	0.025	1981.0
2	1982.0	3343.8	-0.018	1982.0
3	1983.0	NaN	NaN	1983.0
4	1984.0	4037.7	0.072	1984.0
5	1985.0	4339.0	NaN	1985.0
6	1986.0	NaN	NaN	1986.0
7	1987.0	4855.3	NaN	1987.0
8	1988.0	5236.4	0.042	1988.0
9	1989.0	NaN	NaN	1989.0
10	1990.0	5963.1	0.019	1990.0
11	NaN	NaN	NaN	YEAR
12	1992.0	6520.3	0.035	1992.0

### 5.1.1.5 Filling with ffill

```
df['GDP_filled_ffill'] = df['GDP_Nominal'].fillna(method = 'ffill')
df[['GDP_Nominal', 'GDP_filled_ffill']]
```

	GDP_Nominal	GDP_filled_ffill
0	2857.3	2857.3
1	3207.0	3207.0
2	3343.8	3343.8
3	NaN	3343.8
4	4037.7	4037.7
5	4339.0	4339.0
6	NaN	4339.0
7	4855.3	4855.3

```

8      5236.4      5236.4
9      NaN      5236.4
10     5963.1      5963.1
11     NaN      5963.1
12     6520.3      6520.3

```

### 5.1.1.6 Filling with bfill

```

df['GDP_filled_bfill'] = df['GDP_Nominal'].fillna(method = 'bfill')
df[['GDP_Nominal', 'GDP_filled_bfill']]

```

	GDP_Nominal	GDP_filled_bfill
0	2857.3	2857.3
1	3207.0	3207.0
2	3343.8	3343.8
3	NaN	4037.7
4	4037.7	4037.7
5	4339.0	4339.0
6	NaN	4855.3
7	4855.3	4855.3
8	5236.4	5236.4
9	NaN	5963.1
10	5963.1	5963.1
11	NaN	6520.3
12	6520.3	6520.3

### 5.1.1.7 Filling with mean

```

df['GDP_Nominal_filled_mean'] = df['GDP_Nominal'].fillna(df['GDP_Nominal']
.mean())
df[['GDP_Nominal', 'GDP_Nominal_filled_mean']]

```

	GDP_Nominal	GDP_Nominal_filled_mean
0	2857.3	2857.300000
1	3207.0	3207.000000
2	3343.8	3343.800000
3	NaN	4484.433333
4	4037.7	4037.700000
5	4339.0	4339.000000
6	NaN	4484.433333
7	4855.3	4855.300000
8	5236.4	5236.400000
9	NaN	4484.433333
10	5963.1	5963.100000
11	NaN	4484.433333
12	6520.3	6520.300000

### 5.1.1.8 Filling with mode

```
df['GDP_Nominal_filled_mode'] =
    df['GDP_Nominal'].fillna(df['GDP_Nominal'].mode()[0])
df[['GDP_Nominal', 'GDP_Nominal_filled_mode']]
```

	GDP_Nominal	GDP_Nominal_filled_mode
0	2857.3	2857.3
1	3207.0	3207.0
2	3343.8	3343.8
3	NaN	2857.3
4	4037.7	4037.7
5	4339.0	4339.0
6	NaN	2857.3
7	4855.3	4855.3
8	5236.4	5236.4
9	NaN	2857.3
10	5963.1	5963.1
11	NaN	2857.3
12	6520.3	6520.3

### 5.1.1.9 Summary

```
df['GDP_Growth_fill_NA'] =
    df['GDP_Growth'].fillna('NA')
df['GDP_Growth_fill_0'] = df['GDP_Growth'].fillna(0)
df['GDP_Growth_fill_ffill'] = df['GDP_Growth'].fillna(method = 'ffill')
df['GDP_Growth_fill_bfill'] =
    df['GDP_Growth'].fillna(method = 'bfill')
df['GDP_Growth_fill_mean'] =
    df['GDP_Growth'].fillna(df['GDP_Growth'].mean())
df['GDP_Growth_fill_mode'] =
    df['GDP_Growth'].fillna(df['GDP_Growth'].mode()[0])
df[['GDP_Growth', 'GDP_Growth_fill_NA', 'GDP_Growth_fill_0',
    'GDP_Growth_fill_ffill', 'GDP_Growth_fill_bfill',
    'GDP_Growth_fill_mean', 'GDP_Growth_fill_mode']]
```

	GDP_Growth	GDP_Growth_fill_NA	GDP_Growth_fill_0	GDP_Growth_fill_ffill	\
0	NaN	NA	0.000	NaN	
1	0.025	0.025	0.025	0.025	
2	-0.018	-0.018	-0.018	-0.018	
3	NaN	NA	0.000	0.000	
4	0.072	0.072	0.072	0.072	
5	NaN	NA	0.000	0.000	
6	NaN	NA	0.000	0.000	
7	NaN	NA	0.000	0.000	
8	0.042	0.042	0.042	0.042	
9	NaN	NA	0.000	0.000	
10	0.019	0.019	0.019	0.019	
11	NaN	NA	0.000	0.000	
12	0.035	0.035	0.035	0.035	

	GDP_Growth_fill_bfill	GDP_Growth_fill_mean	GDP_Growth_fill_mode
0	0.025	0.029167	-0.018
1	0.025	0.025000	0.025
2	-0.018	-0.018000	-0.018
3	0.072	0.029167	-0.018
4	0.072	0.072000	0.072
5	0.042	0.029167	-0.018
6	0.042	0.029167	-0.018
7	0.042	0.029167	-0.018
8	0.042	0.042000	0.042
9	0.019	0.029167	-0.018
10	0.019	0.019000	0.019
11	0.035	0.029167	-0.018
12	0.035	0.035000	0.035

## 5.2 DEALING WITH OUTLIERS

---

In the world of data analysis, outliers are data points that deviate significantly from the typical distribution of a dataset. Detecting outliers is a crucial step in data preprocessing and analysis, as these unusual data points can distort statistical measures and lead to inaccurate insights. In this section, we explore two fundamental concepts for identifying outliers.

We begin by introducing the Interquartile Range (IQR) as a robust measure of data spread. IQR analysis provides an effective method for identifying outliers by focusing on the middle 50% of the data. You will learn how to calculate the IQR and define bounds to identify potential outliers that fall outside this range. Practical exercises will guide you in applying IQR analysis to your datasets, ensuring accurate identification of outliers.

We follow by introducing a statistical understanding of data distribution; this concept allows you to identify outliers by examining how data points deviate from expected distribution patterns. You will explore various visualization techniques and statistical tests to detect outliers. These methods include visualizing data distributions, applying statistical tests like the Z-score, and interpreting statistical measures such as skewness and kurtosis.

More sophisticated outlier detection methods will be covered in [Chapter 10](#).

### 5.2.1 Tutorial – Detect Outliers Using IQR

We know that IQR is  $Q3 - Q1$ , and we can set the lower and upper bound by  $Q1 - 1.5 \text{IQR}$  and  $Q3 + 1.5 \text{IQR}$ . Boxplot automatically draws the lower/upper bound for us. We can also detect the data by defining a function.

### 5.2.1.1 Setup

```
import pandas as pd
import matplotlib.pyplot as plt

df = pd.read_csv('/content/Nov2Temp.csv')
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 118 entries, 0 to 117
Data columns (total 2 columns):
 #   Column  Non-Null Count  Dtype  
---  --     -----  --    
 0   high    118 non-null   int64  
 1   low     118 non-null   int64  
dtypes: int64(2)
memory usage: 2.0 KB
```

```
df.describe()
```

	high	low
count	118.000000	118.000000
mean	56.830508	29.262712
std	17.205796	12.877084
min	15.000000	-33.000000
25%	48.250000	24.000000
50%	57.500000	31.000000
75%	66.750000	36.750000
max	127.000000	54.000000

```
df.shape
```

```
(118, 2)
```

### 5.2.1.2 Check for Outliers in df['low']

```
df['low'].hist()
```

```
<Axes: >
```

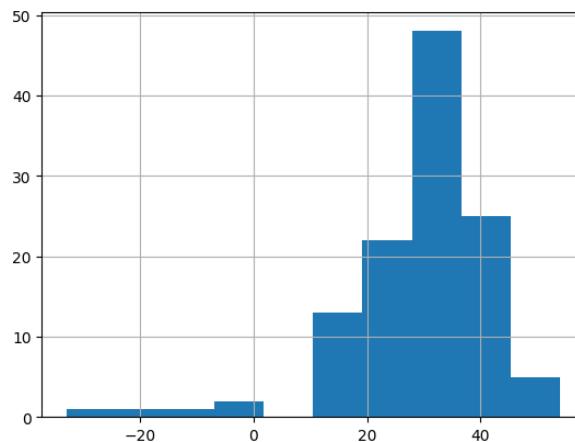


Figure 5.1 The Distribution Plot before Removing Outliers

```
plt.boxplot(df['low'])
```

```
{'whiskers': [<matplotlib.lines.Line2D at 0x7ff0f51fe640>,
 <matplotlib.lines.Line2D at 0x7ff0f51fe8e0>],
 'caps': [<matplotlib.lines.Line2D at 0x7ff0f51feb80>,
 <matplotlib.lines.Line2D at 0x7ff0f51fee20>],
 'boxes': [<matplotlib.lines.Line2D at 0x7ff0f51fe4c0>],
 'medians': [<matplotlib.lines.Line2D at 0x7ff0f5212100>],
 'fliers': [<matplotlib.lines.Line2D at 0x7ff0f52123a0>],
 'means': []}
```

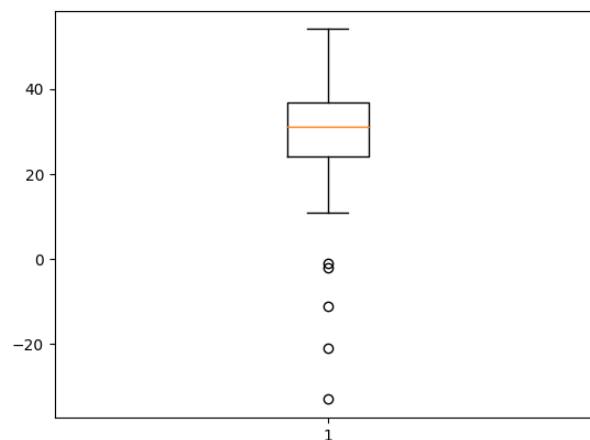


Figure 5.2 The Box Plot before Removing Outliers

### 5.2.1.3 Setup Thresholds

```
low_IQR = df['low'].quantile(0.75) - df['low'].quantile(0.25)
low_low_limit = df['low'].quantile(0.25) - 1.5 * low_IQR

print(low_low_limit)
```

4.875

```
low_high_limit = df['low'].quantile(0.75) + 1.5 * low_IQR

print(low_high_limit)
```

55.875

```
df[df['low'] < low_low_limit]
```

	high	low
41	41	-2
79	18	-1
109	48	-11
110	43	-21
111	64	-33

```
df[df['low'] > low_high_limit]
```

Empty DataFrame  
 Columns: [high, low]  
 Index: []

### 5.2.1.4 Remove Outliers

```
df.drop(df[df['low'] < low_low_limit].index, inplace = True)
```

```
df.drop(df[df['low'] > low_high_limit].index, inplace = True)
```

### 5.2.1.5 Check Results

```
df['low'].hist()
```

&lt;Axes: &gt;

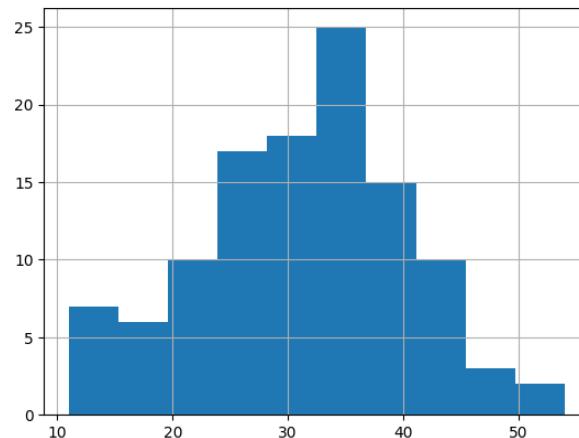


Figure 5.3 The Distribution Plot after Removing Outliers

```
plt.boxplot(df['low'])
```

```
{'whiskers': [

```

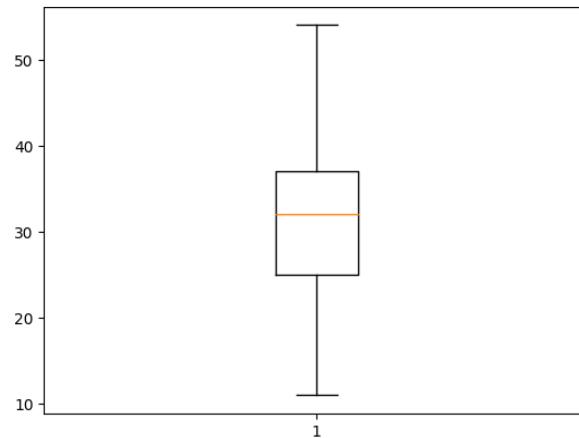


Figure 5.4 The Box Plot after Removing Outliers

#### 5.2.1.6 Practice

Let's do the same thing for df['high'].

### 5.2.2 Tutorial – Detect Outliers Using Statistics

In statistics, if a data distribution is approximately normal, then we can use the mean and standard derivation to estimate the probability of a data point falls into a certain range:

- 68% data falls in mean +/- one standard derivation
- 95% data falls in mean +/- two standard derivations
- 99.7% data falls in mean +/- three standard derivations. Thus, we can use mean +/- three standard derivations as the boundary of normal data. Any data that falls out of the boundary will be considered as outliers.

#### 5.2.2.1 Setup

```
import numpy as np
import pandas as pd

df = pd.read_csv('/content/Nov2Temp.csv')
df
```

	high	low
0	58	25
1	26	11
2	53	24
3	60	37
4	67	42
..	...	...
113	119	33
114	127	27
115	18	38
116	15	51
117	30	49

[118 rows x 2 columns]

#### 5.2.2.2 Run the Detection

```
df[(df['low'] < (df['low'].mean() - 3 * df['low'].std())) |
(df['low'] > (df['low'].mean() + 3 * df['low'].std()))]
```

	high	low
109	48	-11
110	43	-21
111	64	-33

```
df['low'].plot(kind='box')
```

<Axes: >

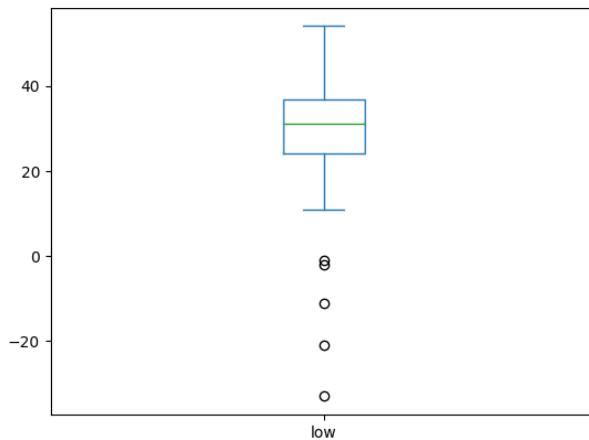


Figure 5.5 The Box Plot before Removing Outliers

#### 5.2.2.3 Remove the Outliers

```
df.drop((df[(df['low'] < (df['low'].mean() - 3 * df['low'].std())) |  
(df['low'] > (df['low'].mean() + 3 * df['low'].std()))]).index, inplace  
= True)
```

```
df['low'].plot(kind = 'box')
```

<Axes: >

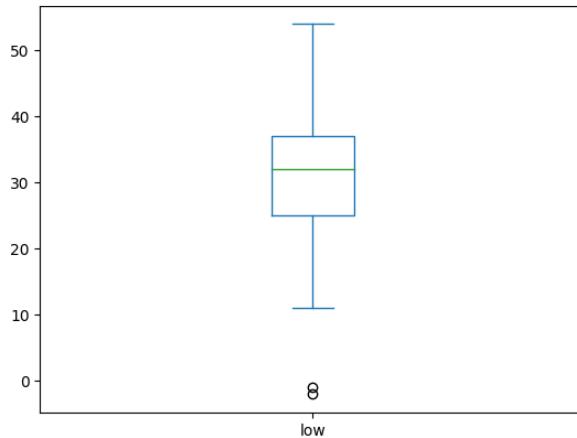


Figure 5.6 The Box Plot after Removing Outliers

#### 5.2.2.4 Practice

Play with `df['high']`.

## 5.3 DATA REDUCTION

---

In the field of data analysis, dealing with large and complex datasets is a common challenge. Data reduction techniques offer practical solutions to handle such datasets effectively. This section introduces two fundamental concepts for data reduction: Dimension elimination and data sampling.

Dimensionality reduction is a crucial technique for simplifying complex datasets by reducing the number of features or variables while retaining essential information. This concept aims to improve computational efficiency, reduce noise, and enhance the interpretability of data. Here we will learn basic dimension elimination. We will learn advanced techniques such as Principal Component Analysis (PCA) and Feature Selection in [Chapter 8](#).

Data sampling involves the selection of a subset of data points from a larger dataset. This approach is valuable for reducing the overall dataset size while retaining its statistical characteristics and patterns. Data sampling is particularly useful when working with extensive datasets, as it can significantly improve analysis efficiency.

### 5.3.1 Tutorial – Dimension Elimination

Sometimes we have our data collected with as much information as possible. However, some attributes do not contribute to our analysis, and we may need to do dimension elimination to focus in the attributes we need. Dimension elimination is one way of reducing the complexity of your data, and you can use your domain knowledge to justify the reasons.

We could also do feature extraction, such as Principal Component Analysis (PCA). We will learn that technique in Data Analysis, unsupervised learning course.

#### 5.3.1.1 Setup

```
import numpy as np
import pandas as pd
```

```
df = pd.read_csv('/content/sample_data/california_housing_train.csv')
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 9 columns):
 #   Column           Non-Null Count  Dtype  
 ---  --  
 0   longitude        17000 non-null   float64 
 1   latitude         17000 non-null   float64 
 2   housing_median_age 17000 non-null   float64 
 3   total_rooms       17000 non-null   float64 
 4   total_bedrooms    17000 non-null   float64 
 5   population        17000 non-null   float64
```

```

6   households           17000 non-null  float64
7   median_income        17000 non-null  float64
8   median_house_value   17000 non-null  float64
dtypes: float64(9)
memory usage: 1.2 MB

```

### 5.3.1.2 Dimension Elimination

```

df_sample1 = df[df.columns[2:]]
df_sample1.info()

```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 7 columns):
 #   Column            Non-Null Count  Dtype  
--- 
 0   housing_median_age 17000 non-null   float64
 1   total_rooms         17000 non-null   float64
 2   total_bedrooms     17000 non-null   float64
 3   population         17000 non-null   float64
 4   households         17000 non-null   float64
 5   median_income      17000 non-null   float64
 6   median_house_value 17000 non-null   float64
dtypes: float64(7)
memory usage: 929.8 KB

```

```

df_sample2 = df.drop(df.columns[:2], axis = 1)
df_sample2.info()

```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 7 columns):
 #   Column            Non-Null Count  Dtype  
--- 
 0   housing_median_age 17000 non-null   float64
 1   total_rooms         17000 non-null   float64
 2   total_bedrooms     17000 non-null   float64
 3   population         17000 non-null   float64
 4   households         17000 non-null   float64
 5   median_income      17000 non-null   float64
 6   median_house_value 17000 non-null   float64
dtypes: float64(7)
memory usage: 929.8 KB

```

```

needed_cols = ['total_rooms', 'total_bedrooms',
               'population', 'households']
df_sample3 = df[needed_cols]
df_sample3.info()

```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 4 columns):

```

```
#   Column      Non-Null Count Dtype
---  --
0   total_rooms    17000 non-null  float64
1   total_bedrooms 17000 non-null  float64
2   population     17000 non-null  float64
3   households     17000 non-null  float64
dtypes: float64(4)
memory usage: 531.4 KB
```

```
dontneeded_cols = ['latitude', 'longitude',
                     'median_income', 'median_house_value']
df_sample4 = df.drop(dontneeded_cols, axis = 1)
df_sample4.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 5 columns):
 #   Column      Non-Null Count Dtype
---  --
0   housing_median_age 17000 non-null  float64
1   total_rooms         17000 non-null  float64
2   total_bedrooms      17000 non-null  float64
3   population          17000 non-null  float64
4   households          17000 non-null  float64
dtypes: float64(5)
memory usage: 664.2 KB
```

### 5.3.2 Tutorial – Sampling

While dimension elimination is reducing the number of attributes, sampling is working on the number of records.

#### 5.3.2.1 Setup

```
import numpy as np
import pandas as pd
```

```
df = pd.read_csv('/content/sample_data/california_housing_train.csv')
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 9 columns):
 #   Column      Non-Null Count Dtype
---  --
0   longitude    17000 non-null  float64
1   latitude     17000 non-null  float64
2   housing_median_age 17000 non-null  float64
3   total_rooms   17000 non-null  float64
4   total_bedrooms 17000 non-null  float64
5   population    17000 non-null  float64
```

```

6    households           17000 non-null   float64
7    median_income        17000 non-null   float64
8    median_house_value   17000 non-null   float64
dtypes: float64(9)
memory usage: 1.2 MB

```

##Sampling by numbers

```
df.sample(n=5)
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
15268	-122.28	37.90	49.0	3191.0	516.0	
762	-117.06	32.77	18.0	2269.0	682.0	
11262	-121.10	35.60	20.0	3389.0	704.0	
4084	-117.98	34.06	33.0	1353.0	228.0	
7767	-118.38	33.80	36.0	4421.0	702.0	
	population	households	median_income	median_house_value		
15268	1148.0	507.0	6.3538	333700.0		
762	1329.0	581.0	1.7951	161800.0		
11262	1309.0	520.0	3.2112	204500.0		
4084	1079.0	237.0	4.5417	160300.0		
7767	1433.0	624.0	8.0838	500001.0		

### 5.3.2.2 Sampling by Percentage

```
df.sample(frac=0.001)
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
352	-116.90	32.79	21.0	3770.0	491.0	
2408	-117.56	33.88	40.0	1196.0	294.0	
10461	-120.37	40.17	21.0	789.0	141.0	
...						
2349	-117.49	33.99	21.0	2050.0	392.0	
	population	households	median_income	median_house_value		
352	1410.0	446.0	6.7685	294700.0		
2408	1052.0	258.0	2.0682	113000.0		
10461	406.0	146.0	2.1198	73500.0		
...						
2349	1153.0	336.0	4.8400	116400.0		

```
df.loc[:10].sample(frac=0.9)
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
10	-114.60	33.62	16.0	3741.0	801.0	
1	-114.47	34.40	19.0	7650.0	1901.0	
4	-114.57	33.57	20.0	1454.0	326.0	
...						
3	-114.57	33.64	14.0	1501.0	337.0	
9	-114.60	34.83	46.0	1497.0	309.0	

```

population  households  median_income  median_house_value
10        2434.0       824.0      2.6797          86500.0
1         1129.0       463.0      1.8200          80100.0
4         624.0        262.0      1.9250          65500.0
7         375.0        158.0      1.7083          48500.0
...
3         515.0        226.0      3.1917          73400.0
9         787.0        271.0      2.1908          48100.0

```

### 5.3.2.3 Sampling with Replacement

```
df.loc[:10].sample(15,replace=True)
```

```

longitude  latitude  housing_median_age  total_rooms  total_bedrooms \
5        -114.58     33.63            29.0        1387.0          236.0
4        -114.57     33.57            20.0        1454.0          326.0
1        -114.47     34.40            19.0        7650.0         1901.0
...
3        -114.57     33.64            14.0        1501.0          337.0
1        -114.47     34.40            19.0        7650.0         1901.0

population  households  median_income  median_house_value
5         671.0       239.0      3.3438          74000.0
4         624.0       262.0      1.9250          65500.0
1         1129.0      463.0      1.8200          80100.0
...
3         515.0       226.0      3.1917          73400.0
1         1129.0      463.0      1.8200          80100.0

```

## 5.4 DATA DISCRETIZATION AND SCALING

---

In the realm of data analysis, preparing and transforming data to ensure it is suitable for analysis is a critical step. This section introduces two fundamental concepts for data preprocessing: Data scaling and data discretization.

Data scaling is the process of transforming data into a consistent range to ensure that no single feature disproportionately influences an analysis. This concept is vital for algorithms that rely on distance calculations or gradient descent, as well as for visualizing data with varying scales. Within this section, you will explore various data scaling methods, including Min-Max Scaling (Normalization), Z-Score Standardization, and Robust Scaling. These methods allow you to rescale data to specific ranges or standardize it to a mean of zero and a standard deviation of one, making it more amenable to analysis.

Data discretization involves the transformation of continuous data into discrete intervals or categories. This technique is beneficial for simplifying complex data, reducing noise, and making data more interpretable. Discretization can be based on statistical measures like quartiles or domain knowledge. In this section, you will explore techniques for data discretization, including Equal Width Binning and Equal Frequency Binning. These methods enable you to partition continuous data into

predefined intervals, allowing you to study data patterns and relationships more effectively.

### 5.4.1 Tutorial – Data Discretization

Many times we need to convert continuous attributes into multiple intervals, so we can reduce the data or remove some variance. This process is called discretization.

#### 5.4.1.1 Setup

```
import numpy as np
import pandas as pd
```

```
df = pd.read_csv('/content/sample_data/california_housing_train.csv')
df.head()
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
0	-114.31	34.19	15.0	5612.0	1283.0	
1	-114.47	34.40	19.0	7650.0	1901.0	
2	-114.56	33.69	17.0	720.0	174.0	
3	-114.57	33.64	14.0	1501.0	337.0	
4	-114.57	33.57	20.0	1454.0	326.0	

	population	households	median_income	median_house_value
0	1015.0	472.0	1.4936	66900.0
1	1129.0	463.0	1.8200	80100.0
2	333.0	117.0	1.6509	85700.0
3	515.0	226.0	3.1917	73400.0
4	624.0	262.0	1.9250	65500.0

```
df.describe()
```

	longitude	latitude	housing_median_age	total_rooms	\
count	17000.000000	17000.000000	17000.000000	17000.000000	
mean	-119.562108	35.625225	28.589353	2643.664412	
std	2.005166	2.137340	12.586937	2179.947071	
min	-124.350000	32.540000	1.000000	2.000000	
25%	-121.790000	33.930000	18.000000	1462.000000	
50%	-118.490000	34.250000	29.000000	2127.000000	
75%	-118.000000	37.720000	37.000000	3151.250000	
max	-114.310000	41.950000	52.000000	37937.000000	

	total_bedrooms	population	households	median_income	\
count	17000.000000	17000.000000	17000.000000	17000.000000	
mean	539.410824	1429.573941	501.221941	3.883578	
std	421.499452	1147.852959	384.520841	1.908157	
min	1.000000	3.000000	1.000000	0.499900	
25%	297.000000	790.000000	282.000000	2.566375	
50%	434.000000	1167.000000	409.000000	3.544600	
75%	648.250000	1721.000000	605.250000	4.767000	
max	6445.000000	35682.000000	6082.000000	15.000100	

```
median_house_value
count      17000.000000
mean       207300.912353
std        115983.764387
min        14999.000000
25%       119400.000000
50%       180400.000000
75%       265000.000000
max        500001.000000
```

#### 5.4.1.2 Discretize Population

```
df['popular'] = np.select([df['population'] < 1429.573941,
                           df['population'] >= 1429.573941], ['not popular', 'popular'])
df['popular']
```

```
0      not popular
1      not popular
2      not popular
3      not popular
4      not popular
...
16995    not popular
16996    not popular
16997    not popular
16998    not popular
16999    not popular
Name: popular, Length: 17000, dtype: object
```

```
df['popular'].value_counts()
```

```
not popular    10862
popular        6138
Name: popular, dtype: int64
```

#### 5.4.1.3 Discretize rooms

```
conditions = [
    (df['total_rooms'] < 1462) & (df['total_bedrooms'] < 297),
    (df['total_rooms'] > 3151) & (df['total_bedrooms'] > 648),
    (df['total_rooms'] < 2127) & (df['total_bedrooms'] > 434),
    (df['total_rooms'] > 2127) & (df['total_bedrooms'] < 434),
]

values = ['LL', 'HH', 'LH', 'HL']
df['rooms'] = np.select(conditions, values)
df['rooms']
```

```
0      HH
1      HH
2      LL
```

```

3      0
4      0
...
16995   HL
16996   0
16997   0
16998   0
16999   0
Name: rooms, Length: 17000, dtype: object

```

```
df['rooms'].value_counts()
```

```

0    7970
LL   3424
HH   3394
HL   1110
LH   1102
Name: rooms, dtype: int64

```

#### 5.4.1.4 Discretize house value

```
def house_value(value):
    if value < 119400:
        return "Low"
    elif value > 265000:
        return "High"
    else:
        return "Medium"
```

```
df['house_value_category'] = df['median_house_value'].apply(house_value)
df['house_value_category']
```

```

0      Low
1      Low
2      Low
3      Low
4      Low
...
16995   Low
16996   Low
16997   Low
16998   Low
16999   Low
Name: house_value_category, Length: 17000, dtype: object

```

```
df['house_value_category'].value_counts()
```

```

Medium    8510
High      4247
Low       4243
Name: house_value_category, dtype: int64

```

### 5.4.2 Tutorial – Data Scaling

1. Min-Max Scaling
2. Z-Score Standardization
3. Decimal Scaling

#### 5.4.2.1 Setup

```
import numpy as np
import pandas as pd

df = pd.read_csv('/content/sample_data/california_housing_train.csv')

df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 9 columns):
 #   Column           Non-Null Count  Dtype  
 ---  --  
 0   longitude        17000 non-null   float64 
 1   latitude         17000 non-null   float64 
 2   housing_median_age 17000 non-null   float64 
 3   total_rooms       17000 non-null   float64 
 4   total_bedrooms    17000 non-null   float64 
 5   population        17000 non-null   float64 
 6   households        17000 non-null   float64 
 7   median_income     17000 non-null   float64 
 8   median_house_value 17000 non-null   float64 
dtypes: float64(9)
memory usage: 1.2 MB
```

```
df['population'].describe()
```

```
count    17000.000000
mean      1429.573941
std       1147.852959
min       3.000000
25%      790.000000
50%      1167.000000
75%      1721.000000
max      35682.000000
Name: population, dtype: float64
```

#### 5.4.2.2 MinMaxScalar Scaling

It is the process of performing a linear transformation on original data.

$$v'_i = \frac{v_i - min}{max - min} (max' - min') + min'$$

where  $v_i$  is the current value,  $min$  and  $max$  are the current min and max, and  $max'$  and  $min'$  are the new boundary.  $v'_i$  is the min\_max scaled value.

Normally, we use a special case of [0, 1] as the new scale; in this case, the formula can be as simple as:

$$v'_i = \frac{v_i - \min}{\max - \min}$$

```
df['population_MinMax'] = (df['population'] - df['population'].min()) / (df['population'].max() - df['population'].min())
df['population_MinMax']
```

```
0      0.028364
1      0.031559
2      0.009249
3      0.014350
4      0.017405
...
16995   0.025337
16996   0.033381
16997   0.034782
16998   0.036296
16999   0.022506
Name: population_MinMax, Length: 17000, dtype: float64
```

```
df['population_MinMax'].describe()
```

```
count    17000.000000
mean      0.039984
std       0.032172
min       0.000000
25%      0.022058
50%      0.032624
75%      0.048152
max       1.000000
Name: population_MinMax, dtype: float64
```

#### 5.4.2.3 Z-score Normalization/standardization

In this technique, the values are normalized based on the mean and standard deviation of attribute A. Each value is subtracted with the mean; thus, we leave with the variance in terms of standard deviation.

$$v'_i = \frac{v_i - \text{mean}}{\text{std}}$$

where  $v_i$  is the current value,  $\text{mean}$  and  $\text{std}$  are current mean and standard deviation, and  $v'_i$  is the Z-score scaled value.

```
df['population_Z'] = (df['population'] - df['population'].mean()) / (df['population'].std())
df['population_Z']
```

```
0      -0.361173
1      -0.261858
```

```

2      -0.955326
3      -0.796769
4      -0.701809
...
16995   -0.455262
16996   -0.205230
16997   -0.161670
16998   -0.114626
16999   -0.543252
Name: population_Z, Length: 17000, dtype: float64

```

```
df['population_Z'].describe()
```

```

count    1.700000e+04
mean     6.687461e-17
std      1.000000e+00
min     -1.242819e+00
25%     -5.571915e-01
50%     -2.287522e-01
75%     2.538880e-01
max      2.984043e+01
Name: population_Z, dtype: float64

```

#### 5.4.2.4 Decimal Scaling

It normalizes by moving the decimal point of the values of the data.

$$v'_i = \frac{v_i}{10^t}$$

where  $v_i$  is the current value,  $t$  is the number of digits of the max absolute value + 1, and  $v'_i$  is the decimal scaled value.

Let's understand it by an example: Suppose we have a dataset in which the value ranges from -1234 to 999. In this case, the maximum absolute value is 1234 with four digits, and  $t$  is  $4 + 1 = 5$ .

So to perform decimal scaling, we divide each of the values in the dataset by  $10^5$ .

```
df['population'].max()
```

35682.0

```
df['population_decimal'] = df['population']/100000
df['population_decimal']
```

```

0      0.01015
1      0.01129
2      0.00333
3      0.00515
4      0.00624
...
16995   0.00907

```

```

16996    0.01194
16997    0.01244
16998    0.01298
16999    0.00806
Name: population_decimal, Length: 17000, dtype: float64

```

```
df['population_decimal'].describe()
```

	count	mean	std	min	25%	50%	75%	max
	17000.000000	0.014296	0.011479	0.000030	0.007900	0.011670	0.017210	0.356820

```

Name: population_decimal, dtype: float64

```

```
df[['population', 'population_MinMax',
     'population_Z', 'population_decimal']].describe()
```

	population	population_MinMax	population_Z	population_decimal
count	17000.000000	17000.000000	1.700000e+04	17000.000000
mean	1429.573941	0.039984	6.687461e-17	0.014296
std	1147.852959	0.032172	1.000000e+00	0.011479
min	3.000000	0.000000	-1.242819e+00	0.000030
25%	790.000000	0.022058	-5.571915e-01	0.007900
50%	1167.000000	0.032624	-2.287522e-01	0.011670
75%	1721.000000	0.048152	2.538880e-01	0.017210
max	35682.000000	1.000000	2.984043e+01	0.356820

## 5.5 DATA WAREHOUSE

In the field of data management and analytics, a Data Warehouse serves as a central repository for storing, organizing, and retrieving large volumes of data from various sources. This section introduces the concept of a Data Warehouse, including the essential components of Data Cubes and their dimensions, as well as the versatile built-in PivotTable tool within Pandas.

A Data Warehouse is a dedicated storage system designed to consolidate data from multiple sources, making it accessible for analytical purposes. This centralized repository ensures data consistency and provides a platform for efficient querying and reporting. As the bricks of a Data Warehouse, Data Cubes are multidimensional data structures that allow you to store and analyze data in a way that provides different perspectives or dimensions. Each dimension represents a characteristic or attribute of the data, creating a comprehensive view for analysis. Within this section, you will explore the concept of Data Cubes and their dimensions. You'll learn how to structure data into cubes to facilitate multidimensional analysis and gain insights from complex datasets.

Pandas includes a built-in PivotTable tool. This tool enables you to summarize, analyze, and present data in a dynamic and interactive format, all within the Pandas framework. You will discover how to use Pandas to create PivotTables, arrange data fields, and apply filters and calculations to gain valuable insights from your data. This practical skill is invaluable for data analysts and professionals who need to present data in a meaningful and customizable manner.

### 5.5.1 Tutorial – Data Cube

#### 5.5.1.1 Setup

```
!pip install atoti
```

```
import pandas as pd
import atoti as tt
```

#### 5.5.1.2 Create Session

```
session = tt.Session()
```

```
df = pd.read_csv('/content/Spotify_Youtube_Sample.csv')
df.head()
```

	Artist	Track	\
0	Gorillaz	Feel Good Inc.	
1	Gorillaz	Rhinestone Eyes	
2	Gorillaz	New Gold (feat. Tame Impala and Bootie Brown)	
3	Gorillaz	On Melancholy Hill	
4	Gorillaz	Clint Eastwood	

	Album	Album_type	Views	\
0	Demon Days	album	693555221.0	
1	Plastic Beach	album	72011645.0	
2	New Gold (feat. Tame Impala and Bootie Brown)	single	8435055.0	
3	Plastic Beach	album	211754952.0	
4	Gorillaz	album	618480958.0	

	Likes	Comments	Licensed	official_video	Stream
0	6220896.0	169907.0	True	True	1.040235e+09
1	1079128.0	31003.0	True	True	3.100837e+08
2	282142.0	7399.0	True	True	6.306347e+07
3	1788577.0	55229.0	True	True	4.346636e+08
4	6197318.0	155930.0	True	True	6.172597e+08

```
views = session.read_csv(
    '/content/Spotify_Youtube_Sample.csv',
    keys = ['Artist', 'Track', 'Album'],
)
views.head()
```

Album_type \			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	single
	Avemaría	Avemaria	single
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	album
	Useless	Apolonio	album
	Endlessly	Ivory (Marfil)	album
Views \			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	115121545.0
	Avemaría	Avemaria	10838443.0
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	1967236.0
	Useless	Apolonio	469551.0
	Endlessly	Ivory (Marfil)	210243.0
Likes \			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	761203.0
	Avemaría	Avemaria	96423.0
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	38113.0
	Useless	Apolonio	13611.0
	Endlessly	Ivory (Marfil)	4704.0
Comments \			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	17238.0
	Avemaría	Avemaria	6616.0
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	764.0
	Useless	Apolonio	405.0
	Endlessly	Ivory (Marfil)	123.0
Licensed \			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	True
	Avemaría	Avemaria	False
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	True
	Useless	Apolonio	True
	Endlessly	Ivory (Marfil)	True
official_video \			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	True
	Avemaría	Avemaria	True
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	True
	Useless	Apolonio	True
	Endlessly	Ivory (Marfil)	True
Stream			
Artist	Track	Album	
Ryan Castro	Wasa Wasa	Wasa Wasa	96300795.0
	Avemaría	Avemaria	9327917.0
Omar Apollo	Invincible (feat. Daniel Caesar)	Ivory	29596755.0
	Useless	Apolonio	25646394.0
	Endlessly	Ivory (Marfil)	10150327.0

### 5.5.1.3 Create a Data Cube

```
cube = session.create_cube(views, name = 'Views')
cube
```

```
m= cube.measures
m
```

```
l = cube.levels
l
```

### 5.5.1.4 Play with the Cube

Apex or 0-D

```
cube.query(m['Views.SUM'])
```

	Views.SUM
0	1,902,053,002,307.00

1D

```
cube.query(m['Views.SUM'], levels = [l['Artist']])
```

	Views.SUM
Artist	
\$NOT	110,784,903.00
\$uicideboy\$	334,135,108.00
(G) I-DLE	1,754,953,941.00
*NSYNC	1,027,832,862.00
070 Shake	96,099,359.00
...	...
will.i.am	2,831,320,166.00
Ángela Aguilar	1,385,295,291.00
Ñejo	626,680,824.00
Ñengo Flow	812,726,315.00
Øneheart	34,623,310.00

[2063 rows x 1 columns]

```
cube.query(m['Views.SUM'], levels = [l['Album']])
```

	Views.SUM
Album	
!Volare! The Very Best of the Gipsy Kings	5,760,198.00
"Awaken, My Love!"	694,453,372.00
"Heroes" (2017 Remaster)	29,328,667.00
"Let Go" Dj Pack	56.00
"Let's Rock"	14,005,512.00
...	...

[11727 rows x 1 columns]

2D

```
cube.query(m['Views.SUM'], levels = [l['Album'], l['Artist']])
```

		Views.SUM
Album	Artist	
"Volare! The Very Best of the Gipsy Kings	Gipsy Kings	5,760,198.00
"Awaken, My Love!"	Childish Gambino	694,453,372.00
"Heroes" (2017 Remaster)	David Bowie	29,328,667.00
"Let Go" Dj Pack	Dina Rae	56.00
"Let's Rock"	The Black Keys	14,005,512.00
...		...

[13955 rows x 1 columns]

## 2D with slicing

```
cube.query(m['Views.SUM'], levels = [l['Album'], l['Track']],
           filter=l['Artist'] == 'The Beatles')
```

```
cube.query(m['Views.SUM'], levels = [l['Album'], l['Track']],
           filter=l['Artist'] == 'Michael Jackson')
```

```
cube.query(m['Views.SUM'], levels = [l['Album'], l['Track']],
           filter=l['official_video'] == 'True')
```

```
cube.query(m['Views.SUM'], levels = [l['Album'], l['Track']],
           filter=l['official_video'] == 'False')
```

		Views.SUM
Album	Track	
"Miguel"	Te Amaré	30,083,671.00
...		
#1s ... and then some	Brand New Man	33,246.00
\$outh \$ide \$uicide	Cold Turkey	214,405.00
	Muddy Blunts	31,879.00
...		...

[4237 rows x 1 columns]

## 3D

```
cube.query(m['Views.SUM']
           , levels = [l['Album'], l['Track'], l['official_video']])
```

## 3D with slicing

```
cube.query(m['Views.SUM']
           , levels = [l['Album'], l['Track'], l['official_video']]
           , filter=l['Artist'] == 'Michael Jackson')
```

**Exercise** You can play with other interests in measure and try different dimension of the cube.

### 5.5.2 Tutorial – Pivot Table

- OLTP: Online Transaction Processing
- OLAP: Online Analytical Processing

#### 5.5.2.1 Setup

```
import numpy as np
import pandas as pd

df = pd.read_csv('/content/Spotify_Youtube_Sample.csv')

df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 20718 entries, 0 to 20717
Data columns (total 10 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   Artist            20718 non-null   object  
 1   Track             20718 non-null   object  
 2   Album             20718 non-null   object  
 3   Album_type        20718 non-null   object  
 4   Views             20248 non-null   float64 
 5   Likes             20177 non-null   float64 
 6   Comments          20149 non-null   float64 
 7   Licensed          20248 non-null   object  
 8   official_video    20248 non-null   object  
 9   Stream            20142 non-null   float64 
dtypes: float64(4), object(6)
memory usage: 1.6+ MB
```

```
df['Artist'].unique()[:100]
```

```
array(['Gorillaz', 'Red Hot Chili Peppers', '50 Cent', 'Metallica',
       'Coldplay', 'Daft Punk', 'Linkin Park', 'Radiohead', 'AC/DC',
       'Black Eyed Peas', 'Michael Jackson', 'P!nk', 'Eminem',
       'Pharrell Williams', 'Khalid', 'Shakira', 'Machine Gun Kelly',
       ...
       'Udit Narayan', 'Vishal-Shekhar', 'Bibi und Tina',
       'Yuvan Shankar Raja', 'Bibi Blocksberg'], dtype=object)
```

#### 5.5.2.2 Create Pivot Table

```
df_pivot = df.pivot_table(values=['Views', 'Likes', 'Comments'],
                           index=['Artist', 'Album'],
                           aggfunc='mean')

df_pivot
```

Artist	Album	Comments	Likes	\
\$NOT	- TRAGEDY +	3404.0	165966.666667	
	Beautiful Havoc	13900.5	371387.500000	
	EAT YOUR HEART OUT	735.0	19033.000000	
	Ethereal	8183.0	388334.000000	
	Fast & Furious: Drift Tape (Phonk Vol 1)	32.0	1725.000000	
...		...	...	
Øneheart	snowfall (Slowed + Reverb)	11423.0	561165.000000	
	snowfall (Sped Up)	1361.0	66128.000000	
	this feeling	516.0	32838.000000	
	watching the stars	216.0	13429.000000	
	watching the stars (Remixes)	16.0	2145.000000	
				Views
Artist	Album			
\$NOT	- TRAGEDY +	9158825.0		
	Beautiful Havoc	14683693.5		
	EAT YOUR HEART OUT	681136.0		
	Ethereal	10114989.0		
	Fast & Furious: Drift Tape (Phonk Vol 1)	76559.0		
...		...		
Øneheart	snowfall (Slowed + Reverb)	15361992.0		
	snowfall (Sped Up)	1707355.0		
	this feeling	856049.0		
	watching the stars	323775.0		
	watching the stars (Remixes)	139020.0		

[13955 rows x 3 columns]

### 5.5.2.3 Play with the Pivot Table

```
df_pivot.loc['Michael Jackson']
```

Album	Comments	Likes	Views
Bad (Remastered)	60358.5	1594227.0	2.604891e+08
Dangerous	127080.0	3085718.0	5.040573e+08
HISTORY - PAST, PRESENT AND FUTURE - BOOK I	335112.0	8312571.0	9.786800e+08
Off the Wall	88325.0	2262080.0	3.254739e+08
Thriller	383891.5	8089856.5	1.103212e+09
XSCAPE	27103.5	1064408.0	1.719371e+08

```
df_pivot.loc[['Michael Jackson', 'The Beatles', 'Beyoncé']]
```

Artist	Album	Comments	\
Michael Jackson	Bad (Remastered)	60358.50	
	Dangerous	127080.00	
	HISTORY - PAST, PRESENT AND FUTURE - BOOK I	335112.00	
	Off the Wall	88325.00	
	Thriller	383891.50	
	XSCAPE	27103.50	

The Beatles	1 (Remastered)	5300.00
	Abbey Road (Remastered)	20924.00
	Help! (Remastered)	5938.00
	Let It Be (Remastered)	15452.00
	Please Please Me (Remastered)	4309.00
	Rubber Soul (Remastered)	8607.00
	The Beatles (Remastered)	4522.00
Beyoncé	4	166002.00
	BEYONCÉ [Platinum Edition]	129479.00
	Dangerously In Love	66334.00
	I AM...SASHA FIERCE	203892.00
	Perfect Duet (Ed Sheeran & Beyoncé)	70570.00
	RENAISSANCE	3808.25

Artist	Album	Likes \
Michael Jackson	Bad (Remastered)	1594227.0
	Dangerous	3085718.0
	HISStory - PAST, PRESENT AND FUTURE - BOOK I	8312571.0
	Off the Wall	2262080.0
	Thriller	8089856.5
	XSCAPE	1064408.0
The Beatles	1 (Remastered)	368291.5
	Abbey Road (Remastered)	728453.0
	Help! (Remastered)	475089.0
	Let It Be (Remastered)	1075941.0
	Please Please Me (Remastered)	490790.0
	Rubber Soul (Remastered)	463315.0
	The Beatles (Remastered)	365297.0
Beyoncé	4	2623723.5
	BEYONCÉ [Platinum Edition]	2906283.0
	Dangerously In Love	3218858.0
	I AM...SASHA FIERCE	6931695.0
	Perfect Duet (Ed Sheeran & Beyoncé)	1998224.0
	RENAISSANCE	112728.5

Artist	Album	Views
Michael Jackson	Bad (Remastered)	2.604891e+08
	Dangerous	5.040573e+08
	HISStory - PAST, PRESENT AND FUTURE - BOOK I	9.786800e+08
	Off the Wall	3.254739e+08
	Thriller	1.103212e+09
	XSCAPE	1.719371e+08
The Beatles	1 (Remastered)	4.284411e+07
	Abbey Road (Remastered)	8.114310e+07
	Help! (Remastered)	4.285668e+07
	Let It Be (Remastered)	1.319251e+08
	Please Please Me (Remastered)	5.322836e+07
	Rubber Soul (Remastered)	6.322312e+07
	The Beatles (Remastered)	3.385295e+07
Beyoncé	4	5.347308e+08
	BEYONCÉ [Platinum Edition]	6.870312e+08
	Dangerously In Love	6.690844e+08
	I AM...SASHA FIERCE	1.357274e+09

Perfect Duet (Ed Sheeran & Beyoncé)	2.315809e+08
RENAISSANCE	7.965112e+06

#### 5.5.2.4 Sort the Values

```
df_pivot.sort_values(by = 'Views', ascending= False)
```

Comments \		
Artist	Album	
Daddy Yankee	VIDA	4252791.0
Charlie Puth	See You Again (feat. Charlie Puth)	2127346.0
Wiz Khalifa	See You Again (feat. Charlie Puth)	2127345.0
Mark Ronson	Uptown Special	598916.0
...		...
Camila	Resistiré	1.0
Peter Groeger	Der Kaiser von Dallas (Die einzige Wahrheit übe...	0.0
Deep Purple	Machine Head (2016 Version)	0.0
Christian Rode	Auf dem hohen Küstensande (Von Meer und Strand ...	0.0
Maroon 5	Hands All Over	0.0

Likes \		
Artist	Album	
Daddy Yankee	VIDA	50788626.0
Charlie Puth	See You Again (feat. Charlie Puth)	40147674.0
Wiz Khalifa	See You Again (feat. Charlie Puth)	40147618.0
Mark Ronson	Uptown Special	20067879.0
...		...
Camila	Resistiré	9.0
Peter Groeger	Der Kaiser von Dallas (Die einzige Wahrheit übe...	0.0
Deep Purple	Machine Head (2016 Version)	1.0
Christian Rode	Auf dem hohen Küstensande (Von Meer und Strand ...	0.0
Maroon 5	Hands All Over	0.0

Views		
Artist	Album	
Daddy Yankee	VIDA	8.079647e+09
Charlie Puth	See You Again (feat. Charlie Puth)	5.773798e+09
Wiz Khalifa	See You Again (feat. Charlie Puth)	5.773797e+09
Mark Ronson	Uptown Special	4.821016e+09
...		...
Camila	Resistiré	4.900000e+01
Peter Groeger	Der Kaiser von Dallas (Die einzige Wahrheit übe...	3.688889e+01
Deep Purple	Machine Head (2016 Version)	3.100000e+01
Christian Rode	Auf dem hohen Küstensande (Von Meer und Strand ...	2.800000e+01
Maroon 5	Hands All Over	2.600000e+01

[13955 rows x 3 columns]

```
df_pivot.sort_values(by = ['Artist', 'Views'], ascending= False)
```

Comments \ Likes \		
Artist	Album	
Øneheart	snowfall	11423.0 561165.000000
	snowfall (Slowed + Reverb)	11423.0 561165.000000

			Comments	Likes	Views
	snowfall (Sped Up)		1361.0	66128.000000	
	this feeling		516.0	32838.000000	
	apathy		419.0	23615.000000	
...			...	...	
\$NOT	Ethereal		8183.0	388334.000000	
	- TRAGEDY +		3404.0	165966.666667	
	SIMPLE		2317.0	95313.000000	
	EAT YOUR HEART OUT		735.0	19033.000000	
	Fast & Furious: Drift Tape (Phonk Vol 1)		32.0	1725.000000	
					Views
Artist	Album				
Øneheart	snowfall				15361992.0
	snowfall (Slowed + Reverb)				15361992.0
	snowfall (Sped Up)				1707355.0
	this feeling				856049.0
	apathy				597163.0
...					...
\$NOT	Ethereal				10114989.0
	- TRAGEDY +				9158825.0
	SIMPLE				1967700.0
	EAT YOUR HEART OUT				681136.0
	Fast & Furious: Drift Tape (Phonk Vol 1)				76559.0

[13955 rows x 3 columns]

```
df_pivot.sort_values(by = ['Artist', 'Views'], ascending= False
).loc[['Daddy Yankee']]
```

Album	Comments	Likes	Views
VIDA	4252791.0	5.078863e+07	8.079647e+09
Con Calma	384865.0	1.303660e+07	2.626439e+09
LEGENDADDY	16214.0	8.849240e+05	8.708415e+07
Barrio Fino (Bonus Track Version)	4184.0	1.790017e+05	2.172502e+07
ULALA (OOH LA LA)	3837.0	2.278240e+05	9.058435e+06
Talento de Barrio	1675.0	3.271800e+04	3.647171e+06
El Cartel: The Big Boss	193.0	1.036000e+04	8.649900e+05
YHLQMDLG	1.0	1.180000e+02	1.084500e+04

```
df_pivot.sort_values(by = ['Artist', 'Views'], ascending= False
).loc[['Coldplay', 'The Beatles']]
```

Artist	Album	Comments	Likes	\
Coldplay	Memories...Do Not Open	270444.0	10282499.0	
	A Head Full of Dreams	377666.0	13515772.0	
	Mylo Xyloto	343020.0	8497224.0	
	A Rush of Blood to the Head	124357.0	5532787.0	
	Viva La Vida or Death and All His Friends	261790.0	4370461.0	
	Ghost Stories	79974.0	3741300.0	
	X&Y	114460.0	2962029.0	
	Parachutes	59966.5	2694138.0	

	Music Of The Spheres	432726.0	8867547.0
The Beatles	Let It Be (Remastered)	15452.0	1075941.0
	Abbey Road (Remastered)	20924.0	728453.0
	Rubber Soul (Remastered)	8607.0	463315.0
	Please Please Me (Remastered)	4309.0	490790.0
	Help! (Remastered)	5938.0	475089.0
	1 (Remastered)	5300.0	368291.5
	The Beatles (Remastered)	4522.0	365297.0

Views		
Artist	Album	
Coldplay	Memories...Do Not Open	2.118019e+09
	A Head Full of Dreams	1.828242e+09
	Mylo Xyloto	1.665814e+09
	A Rush of Blood to the Head	1.082588e+09
	Viva La Vida or Death and All His Friends	7.895815e+08
	Ghost Stories	7.864046e+08
	X&Y	5.662392e+08
	Parachutes	4.528667e+08
	Music Of The Spheres	2.546560e+08
The Beatles	Let It Be (Remastered)	1.319251e+08
	Abbey Road (Remastered)	8.114310e+07
	Rubber Soul (Remastered)	6.322312e+07
	Please Please Me (Remastered)	5.322836e+07
	Help! (Remastered)	4.285668e+07
	1 (Remastered)	4.284411e+07
	The Beatles (Remastered)	3.385295e+07



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# II

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## Data Analysis



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# Classification

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C LASSIFICATION is a method of supervised learning in which an algorithm is trained to assign one or more predefined labels to a given input. The goal of classification is to learn a function that can accurately predict the class label of an unseen input, based on the class labels of a set of labeled training data. Classification algorithms typically take as input a set of feature values for a given input and use these features to predict the class label. Common examples of classification problems include image recognition, spam detection, and natural language processing.

There are many different classification methods we use with Scikit-learn, but some of the most common include:

- Logistic Regression: A linear model that is often used for binary classification, where the goal is to predict one of two possible classes.
- Decision Trees: A tree-based model that uses a series of if-then rules to make predictions.
- Random Forest: An ensemble method that combines many decision trees to improve the accuracy of predictions.
- Naive Bayes: A probabilistic model that makes predictions based on the probability of each class given the input features.
- Support Vector Machines (SVMs): A linear model that finds the best boundary between classes by maximizing the margin between them.
- K-Nearest Neighbors: A simple method that uses the k closest labeled examples to the input in question to make a prediction.
- Gradient Boosting: An ensemble method that combines many weak models to improve the accuracy of predictions.

## 6.1 NEAREST NEIGHBOR CLASSIFIERS

---

In the field of machine learning and pattern recognition, Nearest Neighbor Classifiers are fundamental algorithms that leverage the proximity of data points to make predictions or classifications. This section introduces two essential Nearest Neighbor Classifiers, K-Nearest Neighbors (KNN) and Radius Neighbors (RNN), and demonstrates their practical implementation using the Scikit-learn package. K-Nearest Neighbors (KNN) is a supervised machine learning algorithm used for classification and regression tasks. It operates on the principle that data points with similar features tend to belong to the same class or category. Throughout this section, you will explore the KNN algorithm's core concepts and practical implementation using Scikit-learn.

Radius Neighbors (RNN) is an extension of the KNN algorithm that focuses on data points within a specific radius or distance from a query point. This approach is useful when you want to identify data points that are similar to a given reference point. Within this section, you will delve into the RNN algorithm's fundamental concepts and practical implementation using Scikit-learn

### 6.1.1 Tutorial – Iris Binary Classification Using KNN

Documentation: <https://scikit-learn.org/stable/modules/generated/sklearn.neighbors.KNeighborsClassifier.html>

#### 6.1.1.1 Setup

Environment

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()

df = pd.DataFrame({'Sepal length': iris.data[:,0],
                    'Sepal width': iris.data[:,1],
                    'Petal length':iris.data[:,2],
                    'Petal width':iris.data[:,3],
                    'Species':iris.target})

df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] != 0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
---  --  
 0   Sepal length  100 non-null   float64 
 1   Sepal width   100 non-null   float64 
 2   Petal length  100 non-null   float64 
 3   Petal width   100 non-null   float64 
 4   Species       100 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
             , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7c8ff7e55ed0>
```

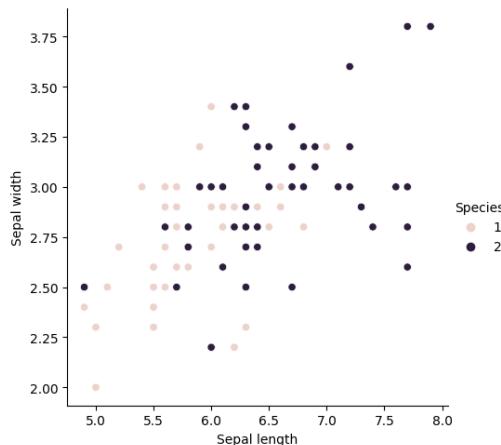


Figure 6.1 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:2]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.50)
```

```
X_train[:5]
```

	Sepal length	Sepal width
99	5.7	2.8
51	6.4	3.2
57	4.9	2.4
134	6.1	2.6
59	5.2	2.7

Scaling

```
from sklearn.preprocessing import StandardScaler

scaler = StandardScaler()
scaler.fit(X_train)
X_train = scaler.transform(X_train)
X_test = scaler.transform(X_test)
```

```
X_train[:5]
```

```
array([[-0.83327391, -0.12378458],
       [ 0.1454035 ,  1.33250465],
       [-1.95176237, -1.58007382],
       [-0.27402967, -0.8519292 ],
       [-1.5323292 , -0.48785689]])
```

### 6.1.1.2 Train your model

```
k = 1
```

```
from sklearn.neighbors import KNeighborsClassifier

classifier = KNeighborsClassifier(n_neighbors = k)
classifier.fit(X_train, y_train)
```

```
KNeighborsClassifier(n_neighbors=1)
```

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
      import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
result1 = classification_report(y_test, y_pred)
print("Classification Report:",)
print (result1)
result2 = accuracy_score(y_test,y_pred)
print("Accuracy:",result2)
```

```
Confusion Matrix:
```

```
[[13  9]
 [14 14]]
```

```
Classification Report:
```

	precision	recall	f1-score	support
1	0.48	0.59	0.53	22
2	0.61	0.50	0.55	28
accuracy			0.54	50
macro avg	0.55	0.55	0.54	50
weighted avg	0.55	0.54	0.54	50

```
Accuracy: 0.54
```

### 6.1.1.3 Best k

```
def knn_tuning(k):
    classifier = KNeighborsClassifier(n_neighbors = k)
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
knn_tuning(1)
```

```
0.54
```

```
knn_tuning(5)
```

```
0.6
```

```
knn_results = pd.DataFrame({ 'K':np.arange(1, len(X_train), 5)})
```

```
knn_results['K']
```

```
0      1
1      6
2     11
3     16
4     21
5     26
6     31
7     36
8     41
9     46
Name: K, dtype: int64
```

```
knn_results['Accuracy'] = knn_results['K'].apply(knn_tuning)
knn_results['Accuracy']
```

```

0    0.54
1    0.54
2    0.66
3    0.66
4    0.64
5    0.58
6    0.62
7    0.58
8    0.60
9    0.44
Name: Accuracy, dtype: float64

```

knn\_results

	K	Accuracy
0	1	0.54
1	6	0.54
2	11	0.66
3	16	0.66
4	21	0.64
5	26	0.58
6	31	0.62
7	36	0.58
8	41	0.60
9	46	0.44

#### 6.1.1.4 Optimize weights

```

def knn_tuning_uniform(k):
    classifier = KNeighborsClassifier(n_neighbors = k, weights= 'uniform')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy

```

```

def knn_tuning_distance(k):
    classifier = KNeighborsClassifier(n_neighbors = k, weights= 'distance')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy

```

```

knn_results['Uniform'] = knn_results['K'].apply(knn_tuning_uniform)
knn_results['Distance'] = knn_results['K'].apply(knn_tuning_distance)
knn_results

```

	K	Accuracy	Uniform	Distance
0	1	0.54	0.54	0.54
1	6	0.54	0.54	0.60
2	11	0.66	0.66	0.58
3	16	0.66	0.66	0.60
4	21	0.64	0.64	0.58

```

5 26      0.58      0.58      0.56
6 31      0.62      0.62      0.58
7 36      0.58      0.58      0.58
8 41      0.60      0.60      0.58
9 46      0.44      0.44      0.56

```

### 6.1.2 Tutorial – Iris Multiclass Classification Using KNN

Documentation: <https://scikit-learn.org/stable/modules/generated/sklearn.neighbors.KNeighborsClassifier.html>

#### 6.1.2.1 Setup

Environment

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets

```

Load the dataset iris

```
iris = datasets.load_iris()
```

```

df = pd.DataFrame({
    'Sepal length': iris.data[:,0],
    'Sepal width': iris.data[:,1],
    'Petal length':iris.data[:,2],
    'Petal width':iris.data[:,3],
    'Species':iris.target})
df.head()

```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()
```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column        Non-Null Count  Dtype  
 --- 
 0   Sepal length  150 non-null   float64
 1   Sepal width   150 non-null   float64
 2   Petal length  150 non-null   float64
 3   Petal width   150 non-null   float64
 4   Species       150 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 6.0 KB

```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
             hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7e6a2a8a3430>
```

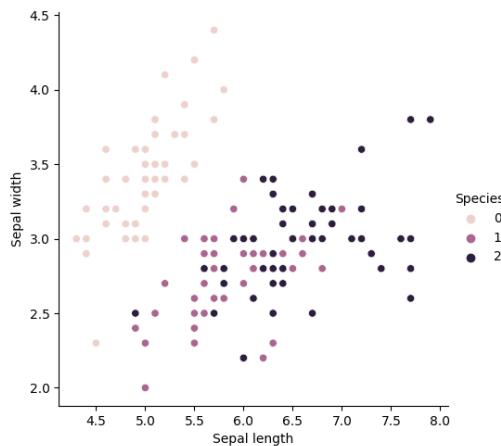


Figure 6.2 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)

X_train[:5]
```

	Sepal length	Sepal width	Petal length	Petal width
118	7.7	2.6	6.9	2.3
120	6.9	3.2	5.7	2.3
93	5.0	2.3	3.3	1.0
69	5.6	2.5	3.9	1.1
24	4.8	3.4	1.9	0.2

Scaling

```
from sklearn.preprocessing import StandardScaler

scaler = StandardScaler()
scaler.fit(X_train)
X_train = scaler.transform(X_train)
X_test = scaler.transform(X_test)
```

```
X_train[:5]
```

```
array([[ 2.27184218, -1.02396111,  1.80797693,  1.54156604],
       [ 1.30809119,  0.34894764,  1.12998558,  1.54156604],
       [-0.98081741, -1.71041548, -0.22599712, -0.2074107 ],
       [-0.25800417, -1.25277923,  0.11299856, -0.07287403],
       [-1.22175516,  0.80658389, -1.01698703, -1.28370408]])
```

### 6.1.2.2 K-Nearest Neighbors

```
k = 1
```

```
from sklearn.neighbors import KNeighborsClassifier

classifier = KNeighborsClassifier(n_neighbors = k)
classifier.fit(X_train, y_train)
```

```
KNeighborsClassifier(n_neighbors=1)
```

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
      import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
result1 = classification_report(y_test, y_pred)
print("Classification Report:")
print (result1)
result2 = accuracy_score(y_test,y_pred)
print("Accuracy:",result2)
```

Confusion Matrix:

```
[[ 8  0  0]
 [ 0  8  2]
 [ 0  0 12]]
```

Classification Report:

	precision	recall	f1-score	support
0	1.00	1.00	1.00	8
1	1.00	0.80	0.89	10
2	0.86	1.00	0.92	12
accuracy			0.93	30
macro avg	0.95	0.93	0.94	30
weighted avg	0.94	0.93	0.93	30

Accuracy: 0.9333333333333333

## 6.1.2.3 Best k

```
def knn_tuning(k):
    classifier = KNeighborsClassifier(n_neighbors = k)
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
knn_tuning(1)
```

0.9333333333333333

```
knn_tuning(5)
```

0.9333333333333333

```
knn_results = pd.DataFrame({'K':np.arange(1, len(X_train), 5)})
```

```
knn_results['K']
```

```
0      1
1      6
2     11
3     16
4     21
5     26
6     31
7     36
8     41
9     46
10    51
11    56
12    61
13    66
14    71
15    76
16    81
17    86
18    91
19    96
20   101
21   106
22   111
23   116
Name: K, dtype: int64
```

```
knn_results['Accuracy'] = knn_results['K'].apply(knn_tuning)
knn_results['Accuracy']
```

```
0    0.933333
1    1.000000
2    1.000000
3    0.966667
4    0.966667
5    0.966667
6    0.966667
7    0.933333
8    0.933333
9    0.933333
10   0.933333
11   0.933333
12   0.833333
13   0.833333
14   0.866667
15   0.666667
16   0.600000
17   0.633333
18   0.633333
19   0.600000
20   0.600000
21   0.600000
22   0.600000
23   0.566667
Name: Accuracy, dtype: float64
```

```
knn_results
```

	K	Accuracy
0	1	0.933333
1	6	1.000000
2	11	1.000000
3	16	0.966667
4	21	0.966667
5	26	0.966667
6	31	0.966667
7	36	0.933333
8	41	0.933333
9	46	0.933333
10	51	0.933333
11	56	0.933333
12	61	0.833333
13	66	0.833333
14	71	0.866667
15	76	0.666667
16	81	0.600000
17	86	0.633333
18	91	0.633333
19	96	0.600000
20	101	0.600000
21	106	0.600000
22	111	0.600000
23	116	0.566667

#### 6.1.2.4 Optimize weights

```
def knn_tuning_uniform(k):
    classifier = KNeighborsClassifier(n_neighbors = k, weights= 'uniform')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
def knn_tuning_distance(k):
    classifier = KNeighborsClassifier(n_neighbors = k, weights= 'distance')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
knn_results['Uniform'] = knn_results['K'].apply(knn_tuning_uniform)
knn_results['Distance'] = knn_results['K'].apply(knn_tuning_distance)
knn_results
```

	K	Accuracy	Uniform	Distance
0	1	0.933333	0.933333	0.933333
1	6	1.000000	1.000000	0.966667
2	11	1.000000	1.000000	1.000000
3	16	0.966667	0.966667	0.966667
4	21	0.966667	0.966667	0.966667
5	26	0.966667	0.966667	0.966667
6	31	0.966667	0.966667	0.966667
7	36	0.933333	0.933333	0.966667
8	41	0.933333	0.933333	0.966667
9	46	0.933333	0.933333	0.933333
10	51	0.933333	0.933333	0.933333
11	56	0.933333	0.933333	0.933333
12	61	0.833333	0.833333	0.933333
13	66	0.833333	0.833333	0.966667
14	71	0.866667	0.866667	0.966667
15	76	0.666667	0.666667	0.966667
16	81	0.600000	0.600000	0.966667
17	86	0.633333	0.633333	0.966667
18	91	0.633333	0.633333	0.966667
19	96	0.600000	0.600000	0.966667
20	101	0.600000	0.600000	0.966667
21	106	0.600000	0.600000	0.966667
22	111	0.600000	0.600000	0.966667
23	116	0.566667	0.566667	0.966667

#### 6.1.3 Tutorial – Iris Binary Classification Using RNN

Documentation: <https://scikit-learn.org/stable/modules/generated/sklearn.neighbors.RadiusNeighborsClassifier.html>

### 6.1.3.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets

iris = datasets.load_iris()

df = pd.DataFrame({'Sepal length': iris.data[:,0],
                    'Sepal width': iris.data[:,1],
                    'Petal length':iris.data[:,2],
                    'Petal width':iris.data[:,3],
                    'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] != 0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          -----          ----- 
 0   Sepal length  100 non-null   float64 
 1   Sepal width   100 non-null   float64 
 2   Petal length  100 non-null   float64 
 3   Petal width   100 non-null   float64 
 4   Species       100 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7b63ed91fb20>
```

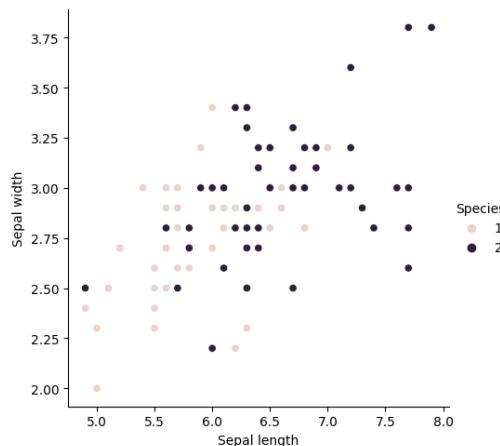


Figure 6.3 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:2]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

```
X_train[:5]
```

	Sepal length	Sepal width
113	5.7	2.5
53	5.5	2.3
70	5.9	3.2
94	5.6	2.7
71	6.1	2.8

```
from sklearn.preprocessing import StandardScaler

scaler = StandardScaler()
scaler.fit(X_train)
X_train = scaler.transform(X_train)
X_test = scaler.transform(X_test)
```

```
X_train[:5]
```

```
array([[-0.85622399, -1.19846152],
       [-1.1718826 , -1.83551748],
       [-0.54056538,  1.03123433],
       [-1.0140533 , -0.56140556],
       [-0.22490676, -0.24287758]])
```

### 6.1.3.2 R-Nearest Neighbors

```
r = 1

from sklearn.neighbors import RadiusNeighborsClassifier

classifier = RadiusNeighborsClassifier(radius = r)
classifier.fit(X_train, y_train)

RadiusNeighborsClassifier(radius=1)

y_pred = classifier.predict(X_test)

from sklearn.metrics
    import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
result1 = classification_report(y_test, y_pred)
print("Classification Report:")
print(result1)
result2 = accuracy_score(y_test,y_pred)
print("Accuracy:",result2)
```

Confusion Matrix:  
[[4 4]  
 [4 8]]

Classification Report:

	precision	recall	f1-score	support
1	0.50	0.50	0.50	8
2	0.67	0.67	0.67	12
accuracy			0.60	20
macro avg	0.58	0.58	0.58	20
weighted avg	0.60	0.60	0.60	20

Accuracy: 0.6

### 6.1.3.3 Best r

```
def rnn_tuning(r):
    classifier = RadiusNeighborsClassifier(radius = r)
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
rnn_tuning(1)
```

0.6

```
rnn_tuning(5)
```

0.45

```
rnn_results = pd.DataFrame({'R':np.arange(1, 10, 0.5)})
```

```
rnn_results['R']
```

```
0    1.0
1    1.5
2    2.0
3    2.5
4    3.0
5    3.5
6    4.0
7    4.5
8    5.0
9    5.5
10   6.0
11   6.5
12   7.0
13   7.5
14   8.0
15   8.5
16   9.0
17   9.5
```

Name: R, dtype: float64

```
rnn_results['Accuracy'] = rnn_results['R'].apply(rnn_tuning)
rnn_results['Accuracy']
```

```
0    0.60
1    0.55
2    0.55
3    0.60
4    0.55
5    0.50
6    0.45
7    0.45
8    0.45
9    0.45
10   0.40
11   0.40
12   0.40
13   0.40
14   0.40
15   0.40
16   0.40
17   0.40
```

Name: Accuracy, dtype: float64

```
rnn_results
```

	R	Accuracy
0	1.0	0.60
1	1.5	0.55
2	2.0	0.55
3	2.5	0.60
4	3.0	0.55
5	3.5	0.50
6	4.0	0.45
7	4.5	0.45
8	5.0	0.45
9	5.5	0.45
10	6.0	0.40
11	6.5	0.40
12	7.0	0.40
13	7.5	0.40
14	8.0	0.40
15	8.5	0.40
16	9.0	0.40
17	9.5	0.40

#### 6.1.3.4 Optimize weights

```
def rnn_tuning_uniform(r):
    classifier = RadiusNeighborsClassifier(radius = r, weights= 'uniform')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
def rnn_tuning_distance(k):
    classifier = RadiusNeighborsClassifier(radius = k, weights= 'distance')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
rnn_results['Uniform'] = rnn_results['R'].apply(rnn_tuning_uniform)
rnn_results['Distance'] = rnn_results['R'].apply(rnn_tuning_distance)
rnn_results
```

	R	Accuracy	Uniform	Distance
0	1.0	0.60	0.60	0.50
1	1.5	0.55	0.55	0.45
2	2.0	0.55	0.55	0.45
3	2.5	0.60	0.60	0.45
4	3.0	0.55	0.55	0.45
5	3.5	0.50	0.50	0.45
6	4.0	0.45	0.45	0.45
7	4.5	0.45	0.45	0.45
8	5.0	0.45	0.45	0.45

```

9   5.5      0.45      0.45      0.45
10  6.0      0.40      0.40      0.45
11  6.5      0.40      0.40      0.45
12  7.0      0.40      0.40      0.45
13  7.5      0.40      0.40      0.45
14  8.0      0.40      0.40      0.45
15  8.5      0.40      0.40      0.45
16  9.0      0.40      0.40      0.45
17  9.5      0.40      0.40      0.45

```

#### 6.1.4 Tutorial – Iris Multiclass Classification Using RNN

Documentation: <https://scikit-learn.org/stable/modules/generated/sklearn.neighbors.RadiusNeighborsClassifier.html>

##### 6.1.4.1 Setup

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets

iris = datasets.load_iris()

df = pd.DataFrame({'Sepal length': iris.data[:,0],
                    'Sepal width': iris.data[:,1],
                    'Petal length':iris.data[:,2],
                    'Petal width':iris.data[:,3],
                    'Species':iris.target})
df.head()

```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()
```

```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column        Non-Null Count  Dtype  
 ---  -- 
 0   Sepal length  150 non-null   float64
 1   Sepal width   150 non-null   float64
 2   Petal length  150 non-null   float64
 3   Petal width   150 non-null   float64
 4   Species       150 non-null   int64  
dtypes: float64(4), int64(1)

```

```
memory usage: 6.0 KB
```

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x79783b73e890>
```

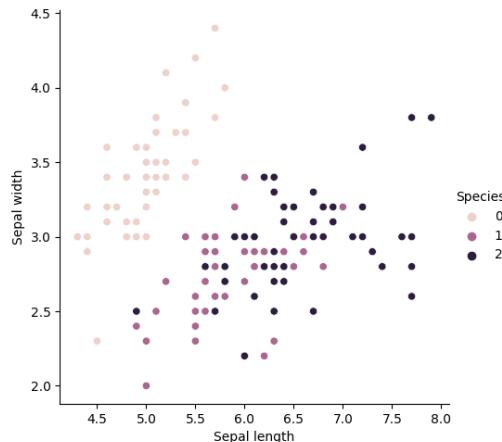


Figure 6.4 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

```
X_train[:5]
```

	Sepal length	Sepal width	Petal length	Petal width
71	6.1	2.8	4.0	1.3
97	6.2	2.9	4.3	1.3
95	5.7	3.0	4.2	1.2
129	7.2	3.0	5.8	1.6
148	6.2	3.4	5.4	2.3

```
from sklearn.preprocessing import StandardScaler

scaler = StandardScaler()
scaler.fit(X_train)
X_train = scaler.transform(X_train)
X_test = scaler.transform(X_test)
```

```
X_train[:5]
```

```
array([[ 0.3344104 , -0.62374154,  0.16477965,  0.15444797],
       [ 0.46020741, -0.40163773,  0.33475294,  0.15444797],
       [-0.16877766, -0.17953392,  0.27809517,  0.02300289],
       [ 1.71817755, -0.17953392,  1.18461934,  0.54878321],
       [ 0.46020741,  0.70888134,  0.9579883 ,  1.46889877]])
```

#### 6.1.4.2 R-Nearest Neighbors

```
r = 1
```

```
from sklearn.neighbors import RadiusNeighborsClassifier

classifier = RadiusNeighborsClassifier(radius = r)
classifier.fit(X_train, y_train)
```

```
RadiusNeighborsClassifier(radius=1)
```

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
      import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
result1 = classification_report(y_test, y_pred)
print("Classification Report:")
print (result1)
result2 = accuracy_score(y_test,y_pred)
print("Accuracy:",result2)
```

Confusion Matrix:

```
[[ 8  0  0]
 [ 0 12  0]
 [ 0  0 10]]
```

Classification Report:

	precision	recall	f1-score	support
0	1.00	1.00	1.00	8
1	1.00	1.00	1.00	12
2	1.00	1.00	1.00	10
accuracy			1.00	30
macro avg	1.00	1.00	1.00	30
weighted avg	1.00	1.00	1.00	30

Accuracy: 1.0

#### 6.1.4.3 Best $r$

```
def rnn_tuning(r):
    classifier = RadiusNeighborsClassifier(radius = r)
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
rnn_tuning(1)
```

1.0

```
rnn_tuning(5)
```

0.4

```
rnn_results = pd.DataFrame({'R':np.arange(1, 10, 0.5)})
```

```
rnn_results['R']
```

	R
0	1.0
1	1.5
2	2.0
3	2.5
4	3.0
5	3.5
6	4.0
7	4.5
8	5.0
9	5.5
10	6.0
11	6.5
12	7.0
13	7.5
14	8.0
15	8.5
16	9.0
17	9.5

Name: R, dtype: float64

```
rnn_results['Accuracy'] = rnn_results['R'].apply(rnn_tuning)
rnn_results['Accuracy']
```

	Accuracy
0	1.000000
1	0.933333
2	0.866667
3	0.900000
4	0.866667
5	0.700000

```

6      0.600000
7      0.500000
8      0.400000
9      0.366667
10     0.300000
11     0.266667
12     0.266667
13     0.266667
14     0.266667
15     0.266667
16     0.266667
17     0.266667
Name: Accuracy, dtype: float64

```

rnn\_results

	R	Accuracy
0	1.0	1.000000
1	1.5	0.933333
2	2.0	0.866667
3	2.5	0.900000
4	3.0	0.866667
5	3.5	0.700000
6	4.0	0.600000
7	4.5	0.500000
8	5.0	0.400000
9	5.5	0.366667
10	6.0	0.300000
11	6.5	0.266667
12	7.0	0.266667
13	7.5	0.266667
14	8.0	0.266667
15	8.5	0.266667
16	9.0	0.266667
17	9.5	0.266667

#### 6.1.4.4 Optimize Weights

```

def rnn_tuning_uniform(r):
    classifier = RadiusNeighborsClassifier(radius = r, weights= 'uniform')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy

```

```

def rnn_tuning_distance(k):
    classifier = RadiusNeighborsClassifier(radius = k, weights= 'distance')
    classifier.fit(X_train, y_train)
    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy

```

```
rnn_results['Uniform'] = rnn_results['R'].apply(rnn_tuning_uniform)
rnn_results['Distance'] = rnn_results['R'].apply(rnn_tuning_distance)
rnn_results
```

	R	Accuracy	Uniform	Distance
0	1.0	1.000000	1.000000	1.000000
1	1.5	0.933333	0.933333	0.966667
2	2.0	0.866667	0.866667	1.000000
3	2.5	0.900000	0.900000	1.000000
4	3.0	0.866667	0.866667	0.966667
5	3.5	0.700000	0.700000	0.966667
6	4.0	0.600000	0.600000	0.966667
7	4.5	0.500000	0.500000	0.966667
8	5.0	0.400000	0.400000	0.966667
9	5.5	0.366667	0.366667	0.966667
10	6.0	0.300000	0.300000	0.966667
11	6.5	0.266667	0.266667	0.966667
12	7.0	0.266667	0.266667	0.966667
13	7.5	0.266667	0.266667	0.966667
14	8.0	0.266667	0.266667	0.966667
15	8.5	0.266667	0.266667	0.966667
16	9.0	0.266667	0.266667	0.966667
17	9.5	0.266667	0.266667	0.966667

### 6.1.5 Case Study – Breast Cancer Classification Using Nearest Neighbor Classifiers

We will create a tutorial for the Nearest Neighbor algorithm, including K-Nearest Neighbors (KNN) and Radius Neighbors (RNN), using the Breast Cancer dataset. We will demonstrate how the choices of k and radius affect the classification results and compare the performance of different models. To aid understanding, we will visualize the prediction results.

#### 6.1.5.1 Setup

Import necessary libraries and load the Breast Cancer dataset.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_breast_cancer
from sklearn.model_selection import train_test_split
from sklearn.neighbors
    import KNeighborsClassifier, RadiusNeighborsClassifier
from sklearn.metrics
    import accuracy_score, classification_report, confusion_matrix

# Load the Breast Cancer dataset
data = load_breast_cancer()
X = pd.DataFrame(data.data, columns=data.feature_names)
y = pd.Series(data.target)
```

### 6.1.5.2 Split the Dataset into Training and Testing Set

```
# Split the dataset into training and testing sets (80% train, 20% test)
X_train, X_test, y_train, y_test =
    train_test_split(X, y, test_size=0.2, random_state=42)
```

### 6.1.5.3 Create and Train the K-Nearest Neighbors (KNN) Model

```
# Create a list of k values for KNN
k_values = [1, 5, 11, 15, 21]

# Train KNN models with different k values and store the results
knn_results = {}
for k in k_values:
    knn_model = KNeighborsClassifier(n_neighbors=k)
    knn_model.fit(X_train, y_train)
    y_pred_knn = knn_model.predict(X_test)
    knn_results[k] = {
        'model': knn_model,
        'y_pred': y_pred_knn,
        'accuracy': accuracy_score(y_test, y_pred_knn)
    }
```

### 6.1.5.4 Create and Train the Radius Neighbors (RNN) Model

```
# Create a list of radius values for RNN
radius_values = [350, 400, 450, 500, 550, 600]

# Train RNN models with different radius values and store the results
rnn_results = {}
for radius in radius_values:
    rnn_model = RadiusNeighborsClassifier(radius=radius)
    rnn_model.fit(X_train, y_train)
    y_pred_rnn = rnn_model.predict(X_test)
    rnn_results[radius] = {
        'model': rnn_model,
        'y_pred': y_pred_rnn,
        'accuracy': accuracy_score(y_test, y_pred_rnn)
    }
```

### 6.1.5.5 Compare the Performance of KNN and RNN Models

```
# Print the accuracy of KNN models
print("KNN Accuracy:")
for k, result in knn_results.items():
    print(f"K = {k}: {result['accuracy']:.2f}")

# Print the accuracy of RNN models
print("\nRNN Accuracy:")
```

```
for radius, result in rnn_results.items():
    print(f"Radius = {radius}: {result['accuracy']:.2f}")
```

KNN Accuracy:

K = 1: 0.93  
 K = 5: 0.96  
 K = 11: 0.98  
 K = 15: 0.96  
 K = 21: 0.96

RNN Accuracy:

Radius = 350: 0.94  
 Radius = 400: 0.94  
 Radius = 450: 0.94  
 Radius = 500: 0.91  
 Radius = 550: 0.90  
 Radius = 600: 0.90

#### 6.1.5.6 Visualize the Prediction Results for KNN and RNN

```
# Visualize the accuracy of KNN models
k_values = [k for k in knn_results.keys()]
k_accuracies = [result['accuracy'] for result in knn_results.values()]

plt.figure(figsize=(8, 4))
plt.plot(k_values, k_accuracies, marker='o')
plt.xlabel('K Value')
plt.ylabel('Accuracy')
plt.title('Accuracy of KNN models')
plt.grid(True)
plt.show()

# Visualize the accuracy of RNN models
radius_values = [radius for radius in rnn_results.keys()]
radius_accuracies = [result['accuracy'] for result in rnn_results.values()]

plt.figure(figsize=(8, 4))
plt.plot(radius_values, radius_accuracies, marker='o')
plt.xlabel('Radius Value')
plt.ylabel('Accuracy')
plt.title('Accuracy of RNN models')
plt.grid(True)
plt.show()
```

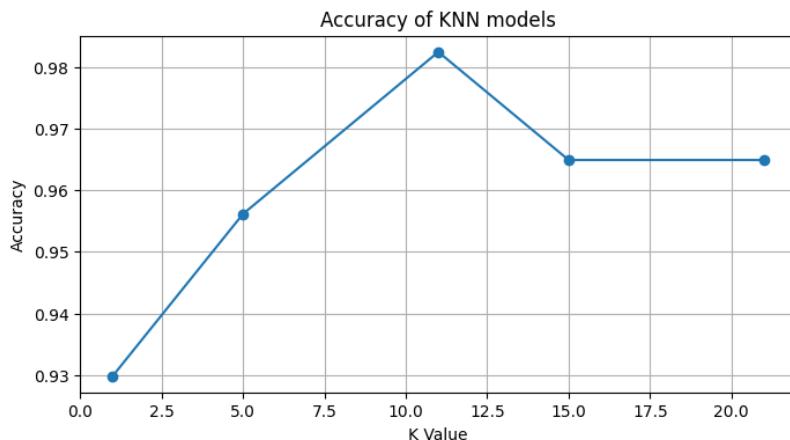


Figure 6.5 Accuracy of KNN Models

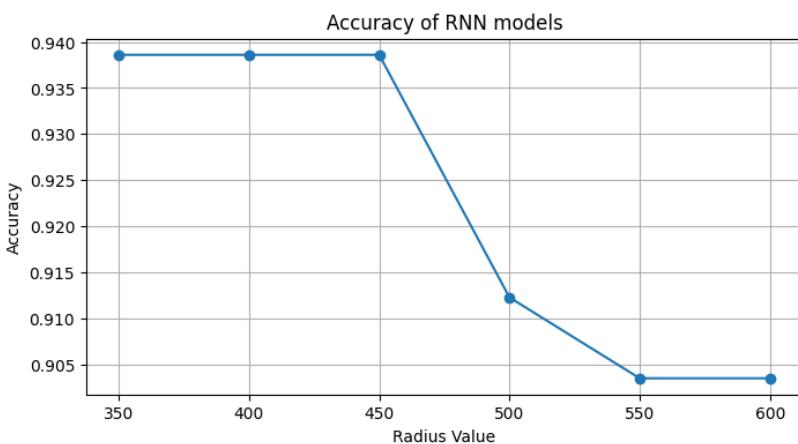


Figure 6.6 Accuracy of RNN Models

#### 6.1.5.7 $K$ and $R$

Feel free to experiment with different values of  $k$  and  $r$  to observe how they affect the accuracy of the models.

## 6.2 DECISION TREE CLASSIFIERS

Decision Trees are powerful machine learning algorithms that are widely used for classification tasks due to their interpretability and simplicity. This section introduces Decision Tree Classifiers using the Scikit-learn package, covering classification, visualization, and model tuning aspects.

Decision Tree Classifiers are versatile algorithms used for both classification and regression tasks. They operate by recursively splitting the dataset based on the

most informative features to make predictions. Visualizing Decision Trees is essential for interpreting model decisions and gaining insights into how the algorithm works. Decision Trees can be fine-tuned by selecting different splitting criteria and applying pruning techniques to improve model generalization and prevent overfitting. In this section, you will learn how to implement Decision Tree classification, visualize the result, and tune your decision tree model using Scikit-learn.

### 6.2.1 Tutorial – Iris Binary Classification Using Decision Tree

Documentation: <https://scikit-learn.org/stable/modules/generated/sklearn.tree.DecisionTreeClassifier.html>

#### 6.2.1.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

#### 6.2.1.2 Load the Dataset *iris*

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] !=0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          --          --      
 0   Sepal length  100 non-null   float64 
 1   Sepal width   100 non-null   float64 
 2   Petal length  100 non-null   float64
```

```
3  Petal width    100 non-null      float64
4  Species        100 non-null      int64
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width'
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7efc06708a90>
```

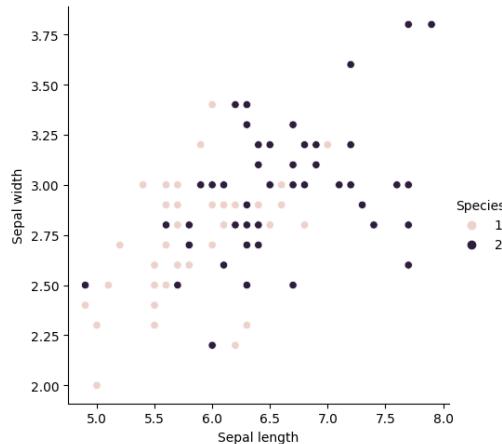


Figure 6.7 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

#### 6.2.1.3 Train-test Split

Training and testing datasets are split with `test_size` as ratio. Here we use 80% for training and 20% for testing.

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)

X_train
```

	Sepal length	Sepal width	Petal length	Petal width
76	6.8	2.8	4.8	1.4
51	6.4	3.2	4.5	1.5
67	5.8	2.7	4.1	1.0
109	7.2	3.6	6.1	2.5
104	6.5	3.0	5.8	2.2
..	...	...	...	...
58	6.6	2.9	4.6	1.3
108	6.7	2.5	5.8	1.8
117	7.7	3.8	6.7	2.2

```
55          5.7      2.8      4.5      1.3
66          5.6      3.0      4.5      1.5
```

[80 rows x 4 columns]

#### 6.2.1.4 Train Your Model

```
from sklearn.tree import DecisionTreeClassifier
classifier = DecisionTreeClassifier()
classifier.fit(X_train, y_train)
```

DecisionTreeClassifier()

#### 6.2.1.5 Evaluate Your Model

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
import classification_report, confusion_matrix, accuracy_score
print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))
```

```
[[10  0]
 [ 1  9]]
Accuracy: 0.95
```

#### 6.2.1.6 Visualize the Result

```
from sklearn import tree

text_representation = tree.export_text(classifier)
print(text_representation)
```

```
|--- feature_3 <= 1.75
|   |--- feature_2 <= 4.95
|   |   |--- feature_3 <= 1.65
|   |   |   |--- class: 1
|   |   |   |--- feature_3 >  1.65
|   |   |   |--- class: 2
|   |--- feature_2 >  4.95
|   |   |--- feature_3 <= 1.55
|   |   |   |--- class: 2
|   |   |   |--- feature_3 >  1.55
|   |   |   |--- class: 1
|--- feature_3 >  1.75
|   |--- feature_2 <= 4.85
|   |   |--- feature_1 <= 3.10
|   |   |   |--- class: 2
|   |   |   |--- feature_1 >  3.10
|   |   |   |--- class: 1
```

```
|   |--- feature_2 > 4.85
|   |   |--- class: 2

import matplotlib.pyplot as plt

fig = plt.figure(figsize=(10,8))
_ = tree.plot_tree(classifier,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)
```

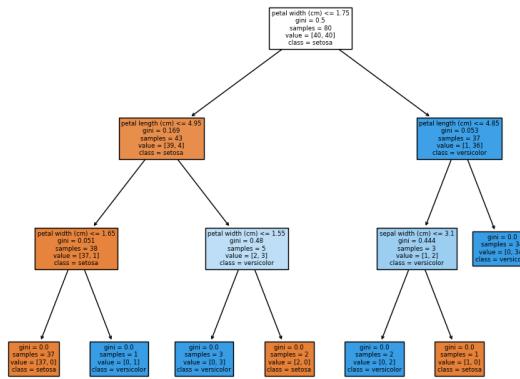


Figure 6.8 A Default Decision Tree

### 6.2.1.7 Tune the Model

Change hyperparameters, such as criterion, max\_depth.

```
classifier = DecisionTreeClassifier(criterion= 'entropy')
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)

fig = plt.figure(figsize=(10,8))
_ = tree.plot_tree(classifier,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)
```

```
[[10  0]
 [ 1  9]]
Accuracy: 0.95
|--- feature_3 <= 1.75
|   |--- feature_2 <= 4.95
|   |   |--- feature_3 <= 1.65
|   |   |   --- class: 1
|   |   |--- feature_3 >  1.65
|   |   |   --- class: 2
|   |--- feature_2 >  4.95
|   |   |--- feature_3 <= 1.55
|   |   |   --- class: 2
|   |   |--- feature_3 >  1.55
|   |   |   --- class: 1
|--- feature_3 >  1.75
|   |--- feature_2 <= 4.85
|   |   |--- feature_1 <= 3.10
|   |   |   --- class: 2
|   |   |--- feature_1 >  3.10
|   |   |   --- class: 1
|   |--- feature_2 >  4.85
|   |   |--- class: 2
```

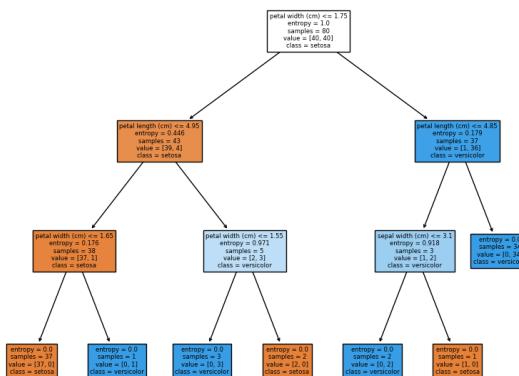


Figure 6.9 A Decision Tree Trained with Entropy

```
classifier = DecisionTreeClassifier(max_depth=1)
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)
```

```
fig = plt.figure()
_ = tree.plot_tree(classifier,
                    feature_names=iris.feature_names,
                    class_names=iris.target_names,
                    filled=True)
```

```
[[10  0]
 [ 1  9]]
Accuracy: 0.95
|--- feature_3 <= 1.75
|   |--- class: 1
|--- feature_3 >  1.75
|   |--- class: 2
```

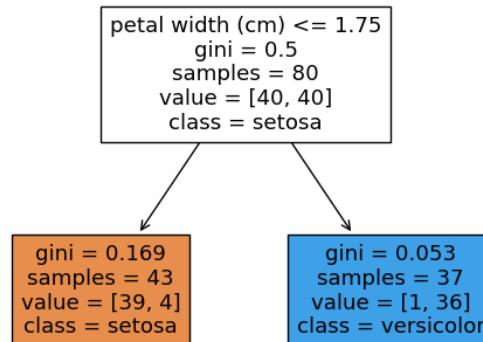


Figure 6.10 A Decision Tree Trained with Max Depth as 1

```
classifier = DecisionTreeClassifier(max_depth=2)
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)

fig = plt.figure(figsize=(10,8))
_ = tree.plot_tree(classifier,
                    feature_names=iris.feature_names,
                    class_names=iris.target_names,
                    filled=True)
```

```
[[10  0]
 [ 0 10]]
Accuracy: 1.0
|--- feature_3 <= 1.75
|   |--- feature_2 <= 4.95
|   |   |--- class: 1
|   |   |--- feature_2 >  4.95
|   |   |   |--- class: 2
|--- feature_3 >  1.75
|   |--- feature_2 <= 4.85
|   |   |--- class: 2
|   |--- feature_2 >  4.85
|   |   |--- class: 2
```

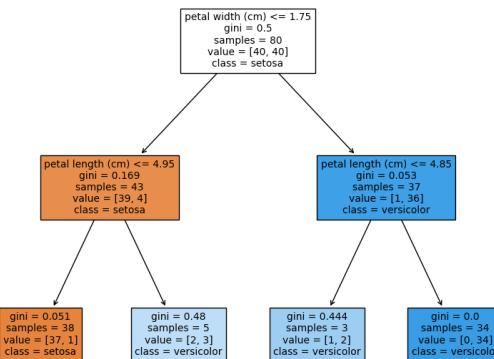


Figure 6.11 A Decision Tree Trained with Max Depth as 3

```
classifier = DecisionTreeClassifier(max_depth=3)
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)
```

```
[[10  0]
 [ 1  9]]
Accuracy: 0.95
|--- feature_3 <= 1.75
|   |--- feature_2 <= 4.95
|   |   |--- feature_3 <= 1.65
|   |   |   |--- class: 1
|   |   |--- feature_3 >  1.65
```

```

|   |   |   |--- class: 2
|   |--- feature_2 >  4.95
|   |   |--- feature_3 <= 1.55
|   |   |   |--- class: 2
|   |   |--- feature_3 >  1.55
|   |   |   |--- class: 1
|--- feature_3 >  1.75
|   |--- feature_2 <= 4.85
|   |   |--- feature_1 <= 3.10
|   |   |   |--- class: 2
|   |   |--- feature_1 >  3.10
|   |   |   |--- class: 1
|--- feature_2 >  4.85
|   |   |--- class: 2

```

```

def tree_depth_tuning(d):
    classifier = DecisionTreeClassifier(max_depth=d)
    classifier.fit(X_train, y_train)

    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy

```

```
tree_results = pd.DataFrame({'D':np.arange(1, 10)})
```

```
tree_results['Accuracy'] = tree_results['D'].apply(tree_depth_tuning)
tree_results
```

D	Accuracy	
0	1	0.95
1	2	1.00
2	3	0.95
3	4	0.95
4	5	0.95
5	6	0.95
6	7	0.95
7	8	0.95
8	9	0.95

## 6.2.2 Tutorial – Iris Multiclass Classification Using Decision Tree

Documentation: <https://scikit-learn.org/stable/modules/generated/sklearn.tree.DecisionTreeClassifier.html>

### 6.2.2.1 Setup

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets

```

### 6.2.2.2 Load the Dataset *iris*

```
iris = datasets.load_iris()

df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          -----          ----- 
 0   Sepal length  150 non-null   float64 
 1   Sepal width   150 non-null   float64 
 2   Petal length  150 non-null   float64 
 3   Petal width   150 non-null   float64 
 4   Species       150 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 6.0 KB
```

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f10608b6b20>
```

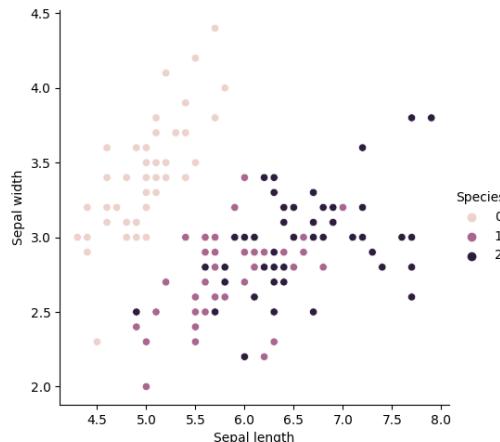


Figure 6.12 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

### 6.2.2.3 Train-test Split

Training and testing datasets are split with `test_size` as ratio. Here we use 80% for training and 20% for testing.

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

```
X_train
```

	Sepal length	Sepal width	Petal length	Petal width
21	5.1	3.7	1.5	0.4
66	5.6	3.0	4.5	1.5
34	4.9	3.1	1.5	0.2
80	5.5	2.4	3.8	1.1
79	5.7	2.6	3.5	1.0
..	...	...	...	...
93	5.0	2.3	3.3	1.0
115	6.4	3.2	5.3	2.3
8	4.4	2.9	1.4	0.2
149	5.9	3.0	5.1	1.8
43	5.0	3.5	1.6	0.6

```
[120 rows x 4 columns]
```

#### 6.2.2.4 Train Your Model

```
from sklearn.tree import DecisionTreeClassifier
classifier = DecisionTreeClassifier()
classifier.fit(X_train, y_train)
```

DecisionTreeClassifier()

#### 6.2.2.5 Evaluate Your Model

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
import classification_report, confusion_matrix, accuracy_score
print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))
```

```
[[12  0  0]
 [ 0  9  1]
 [ 0  1  7]]
Accuracy: 0.9333333333333333
```

#### 6.2.2.6 Visualize the Result

```
from sklearn import tree

text_representation = tree.export_text(classifier)
print(text_representation)
```

```
|--- feature_3 <= 0.80
|   |--- class: 0
|--- feature_3 >  0.80
|   |--- feature_3 <= 1.75
|   |   |--- feature_2 <= 5.35
|   |   |   |--- feature_0 <= 4.95
|   |   |   |   |--- class: 2
|   |   |   |   |--- feature_0 >  4.95
|   |   |   |   |--- feature_2 <= 4.95
|   |   |   |   |   |--- class: 1
|   |   |   |   |--- feature_2 >  4.95
|   |   |   |   |   |--- feature_1 <= 2.45
|   |   |   |   |   |   |--- class: 2
|   |   |   |   |   |--- feature_1 >  2.45
|   |   |   |   |   |--- class: 1
|   |   |--- feature_2 >  5.35
|   |   |   |--- class: 2
|--- feature_3 >  1.75
|   |--- feature_2 <= 4.85
|   |   |--- feature_0 <= 5.95
|   |   |   |--- class: 1
```

```

|   |   |   |--- feature_0 >  5.95
|   |   |   |--- class: 2
|   |   |--- feature_2 >  4.85
|   |   |--- class: 2

```

```

import matplotlib.pyplot as plt

fig = plt.figure(figsize=(10,8))
_ = tree.plot_tree(classifier,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)

```

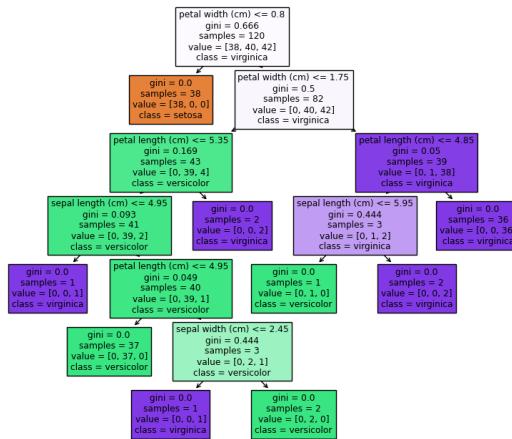


Figure 6.13 A Default Decision Tree

#### 6.2.2.7 Tune the Model

Change hyperparameters, such as criterion, max\_depth.

```

classifier = DecisionTreeClassifier(criterion= 'entropy')
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)

fig = plt.figure(figsize=(10,8))
_ = tree.plot_tree(classifier,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)

```

```
[[12  0  0]
 [ 0  9  1]
 [ 0  1  7]]
Accuracy: 0.9333333333333333
|--- feature_2 <= 2.45
|   |--- class: 0
|--- feature_2 >  2.45
|   |--- feature_3 <= 1.75
|   |   |--- feature_2 <= 4.95
|   |   |   |--- feature_0 <= 4.95
|   |   |   |   |--- class: 2
|   |   |   |   |--- feature_0 >  4.95
|   |   |   |   |--- class: 1
|   |   |--- feature_2 >  4.95
|   |   |   |--- feature_1 <= 2.65
|   |   |   |   |--- class: 2
|   |   |   |--- feature_1 >  2.65
|   |   |   |   |--- feature_2 <= 5.45
|   |   |   |   |   |--- class: 1
|   |   |   |   |--- feature_2 >  5.45
|   |   |   |   |   |--- class: 2
|--- feature_3 >  1.75
|   |--- feature_2 <= 4.85
|   |   |--- feature_0 <= 5.95
|   |   |   |--- class: 1
|   |   |   |--- feature_0 >  5.95
|   |   |   |--- class: 2
|   |--- feature_2 >  4.85
|   |   |--- class: 2
```

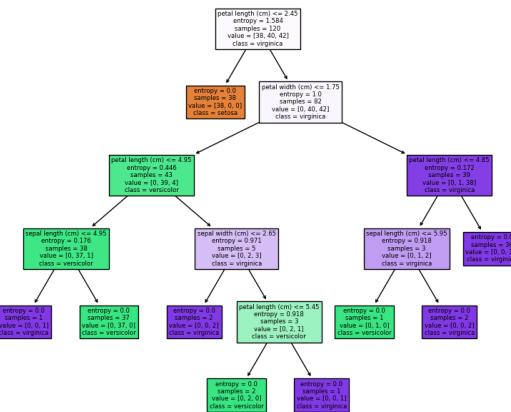


Figure 6.14 A Decision Tree Trained with Entropy

```
classifier = DecisionTreeClassifier(max_depth=1)
classifier.fit(X_train, y_train)
```

```

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)

fig = plt.figure()
_ = tree.plot_tree(classifier,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)

```

```

[[12  0  0]
 [ 0  0 10]
 [ 0  0  8]]
Accuracy: 0.6666666666666666
|--- feature_3 <= 0.80
|   |--- class: 0
|--- feature_3 >  0.80
|   |--- class: 2

```

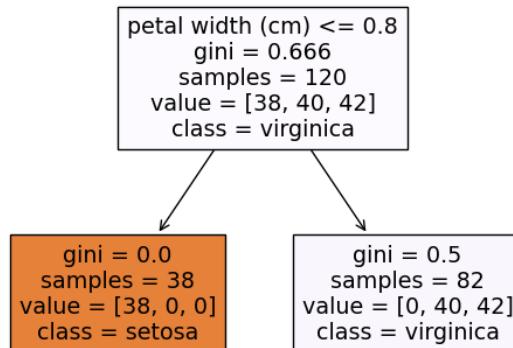


Figure 6.15 A Decision Tree Trained with Max Depth as 1

```

classifier = DecisionTreeClassifier(max_depth=2)
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)

```

```
print(text_representation)

fig = plt.figure(figsize=(10,8))
_ = tree.plot_tree(classifier,
                   feature_names=iris.feature_names,
                   class_names=iris.target_names,
                   filled=True)
```

```
[[12  0  0]
 [ 0 10  0]
 [ 0  1  7]]
Accuracy: 0.9666666666666667
|--- feature_2 <= 2.45
|   |--- class: 0
|--- feature_2 >  2.45
|   |--- feature_3 <= 1.75
|   |   |--- class: 1
|   |--- feature_3 >  1.75
|   |   |--- class: 2
```

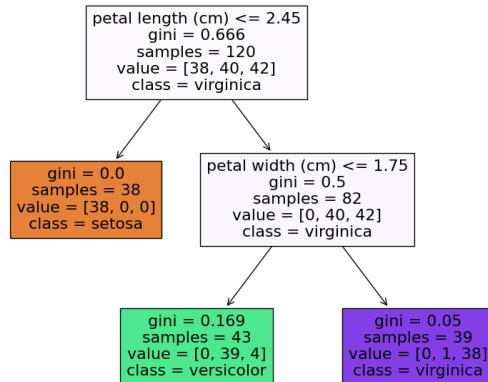


Figure 6.16 A Decision Tree Trained with Max Depth as 3

```
classifier = DecisionTreeClassifier(max_depth=3)
classifier.fit(X_train, y_train)

y_pred = classifier.predict(X_test)

print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))

text_representation = tree.export_text(classifier)
print(text_representation)
```

```
[[12  0  0]
 [ 0 10  0]
 [ 0  1  7]]
Accuracy: 0.9666666666666667
|--- feature_2 <= 2.45
|   |--- class: 0
|--- feature_2 >  2.45
|   |--- feature_3 <= 1.75
|   |   |--- feature_2 <= 5.35
|   |   |   |--- class: 1
|   |   |   |--- feature_2 >  5.35
|   |   |   |--- class: 2
|   |--- feature_3 >  1.75
|   |   |--- feature_2 <= 4.85
|   |   |   |--- class: 2
|   |   |   |--- feature_2 >  4.85
|   |   |   |--- class: 2
```

```
def tree_depth_tuning(d):
    classifier = DecisionTreeClassifier(max_depth=d)
    classifier.fit(X_train, y_train)

    y_pred = classifier.predict(X_test)
    accuracy = accuracy_score(y_test,y_pred)
    return accuracy
```

```
tree_results = pd.DataFrame({'D':np.arange(1, 10)})
```

```
tree_results['Accuracy'] = tree_results['D'].apply(tree_depth_tuning)
tree_results
```

D	Accuracy	
0	1	0.666667
1	2	0.966667
2	3	0.966667
3	4	0.933333
4	5	0.933333
5	6	0.933333
6	7	0.933333
7	8	0.966667
8	9	0.933333

### 6.2.3 Case Study – Breast Cancer Classification Using Decision Tree

Let's prepare a step-by-step tutorial for the Decision Tree algorithm using the Breast Cancer dataset. We'll demonstrate how the choices of different splitting criteria (Information and Gini Index) and tree pruning (max depth) affect the classification results. We'll print the results of the classification and visualize the accuracy vs hyperparameters for comparison.

### 6.2.3.1 Setup

Import necessary libraries and load the Breast Cancer dataset.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_breast_cancer
from sklearn.model_selection import train_test_split
from sklearn.tree import DecisionTreeClassifier
from sklearn.metrics import accuracy_score

# Load the Breast Cancer dataset
data = load_breast_cancer()
X = pd.DataFrame(data.data, columns=data.feature_names)
y = pd.Series(data.target)
```

### 6.2.3.2 Split the Dataset into Training and Testing Sets

```
# Split the dataset into training and testing sets (80% train, 20% test)
X_train, X_test, y_train, y_test =
    train_test_split(X, y, test_size=0.2, random_state=42)
```

### 6.2.3.3 Create and Train Decision Tree Models with Different Splitting Criteria and Max Depth

```
# Create a list of splitting criteria
splitting_criteria = ['entropy', 'gini']

# Create a list of max depth values
max_depth_values = range(1, 20, 2)

# Create an empty dictionary to store the results
results = {}

# Train Different Decision Tree models
for criterion in splitting_criteria:
    for max_depth in max_depth_values:
        dt_model =
            DecisionTreeClassifier(criterion=criterion, max_depth=max_depth)
        dt_model.fit(X_train, y_train)
        y_pred = dt_model.predict(X_test)
        accuracy = accuracy_score(y_test, y_pred)
        results[(criterion, max_depth)] = {
            'model': dt_model,
            'accuracy': accuracy
        }
```

### 6.2.3.4 Print the Results of the Classification

```
# Print the results of the classification
print("Results of Decision Tree Classification:")
for (criterion, max_depth), result in results.items():
    print(f"Criterion: {criterion}"
          , Max Depth: {max_depth}
          , Accuracy: {result['accuracy']:.2f})
```

```
Results of Decision Tree Classification:
Criterion: entropy, Max Depth: 1, Accuracy: 0.89
Criterion: entropy, Max Depth: 3, Accuracy: 0.96
Criterion: entropy, Max Depth: 5, Accuracy: 0.96
Criterion: entropy, Max Depth: 7, Accuracy: 0.95
Criterion: entropy, Max Depth: 9, Accuracy: 0.95
Criterion: entropy, Max Depth: 11, Accuracy: 0.95
Criterion: entropy, Max Depth: 13, Accuracy: 0.96
Criterion: entropy, Max Depth: 15, Accuracy: 0.95
Criterion: entropy, Max Depth: 17, Accuracy: 0.96
Criterion: entropy, Max Depth: 19, Accuracy: 0.94
Criterion: gini, Max Depth: 1, Accuracy: 0.89
Criterion: gini, Max Depth: 3, Accuracy: 0.95
Criterion: gini, Max Depth: 5, Accuracy: 0.94
Criterion: gini, Max Depth: 7, Accuracy: 0.93
Criterion: gini, Max Depth: 9, Accuracy: 0.93
Criterion: gini, Max Depth: 11, Accuracy: 0.95
Criterion: gini, Max Depth: 13, Accuracy: 0.94
Criterion: gini, Max Depth: 15, Accuracy: 0.95
Criterion: gini, Max Depth: 17, Accuracy: 0.94
Criterion: gini, Max Depth: 19, Accuracy: 0.94
```

### 6.2.3.5 Visualize the Accuracy vs Hyperparameters for Comparison

```
# Visualize the accuracy vs max depth for each splitting criterion
plt.figure(figsize=(10, 6))
for criterion in splitting_criteria:
    accuracies = [result['accuracy'] for (c, md),
                  result in results.items() if c == criterion]
    plt.plot(max_depth_values, accuracies, marker='o',
              label=f'Splitting Criterion: {criterion}')
plt.xlabel('Max Depth')
plt.ylabel('Accuracy')
plt.title('Accuracy vs Max Depth for Different Splitting Criteria')
plt.legend()
plt.grid(True)
plt.show()
```

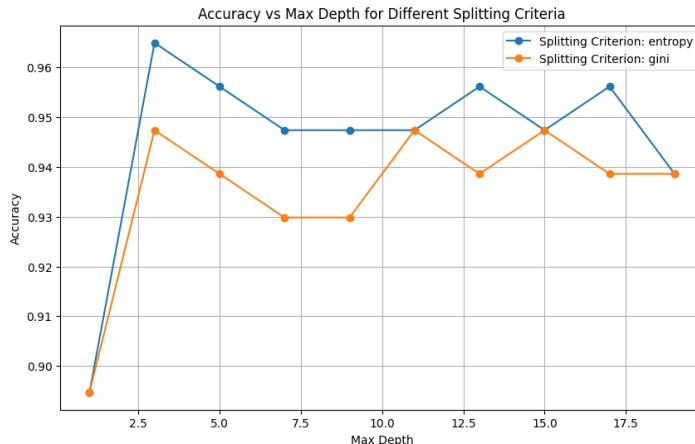


Figure 6.17 Accuracy VS Max Depth for Different Splitting Criteria

#### 6.2.3.6 Conclusion

This tutorial covers the Decision Tree algorithm using the Breast Cancer dataset. It demonstrates how different splitting criteria (Information Gain and Gini Index) and tree pruning (max depth) affect the classification results. The tutorial prints the accuracy of the models with different hyperparameters and visualizes the accuracy vs max depth for each splitting criterion for comparison.

Feel free to adjust the `max_depth` values and add other hyperparameters to explore their effects on the decision tree's performance.

## 6.3 SUPPORT VECTOR MACHINE CLASSIFIERS

---

Support Vector Machines (SVMs) are powerful and versatile machine learning algorithms used for classification and regression tasks. This section introduces SVM Classifiers using the Scikit-learn package, covering their theory, implementation, and practical applications.

Support Vector Machine Classifiers (SVMs) are supervised learning algorithms that excel in both linear and non-linear classification tasks. They work by finding the optimal hyperplane that best separates data into distinct classes. Scikit-learn provides a robust library for implementing SVM Classifiers with ease. You will explore practical implementation steps, including using the SVC (Support Vector Classification) class in Scikit-learn to create SVM Classifier models and understanding the role of hyperparameters such as the kernel type, regularization parameter ( $C$ ), and gamma in SVM model performance.

### 6.3.1 Tutorial – Iris Binary Classification Using SVM

<https://scikit-learn.org/stable/modules/svm.html>

### 6.3.1.1 Setup

Environment

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] !=0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          --          --      
 0   Sepal length  100 non-null   float64 
 1   Sepal width   100 non-null   float64 
 2   Petal length  100 non-null   float64 
 3   Petal width   100 non-null   float64 
 4   Species       100 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f8358fbff80>
```

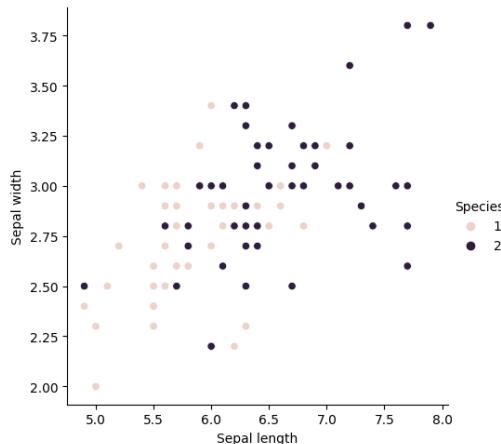


Figure 6.18 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:2]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

```
X_train[:5]
```

	Sepal length	Sepal width
131	7.9	3.8
86	6.7	3.1
64	5.6	2.9
138	6.0	3.0
94	5.6	2.7

### 6.3.1.2 Train Your Model

```
from sklearn import svm

model = svm.SVC(kernel='linear')
classifier = model.fit(X_train, y_train)
```

### 6.3.1.3 Evaluate Your Model

```
y_pred = classifier.predict(X_test)

from sklearn.metrics
    import classification_report, confusion_matrix, accuracy_score
print(confusion_matrix(y_test, y_pred))
print(classification_report(y_test, y_pred))
print(accuracy_score(y_test,y_pred))
```

```
[[11  1]
 [ 1  7]]
      precision    recall   f1-score   support
1         0.92      0.92      0.92       12
2         0.88      0.88      0.88        8
accuracy                          0.90       20
macro avg          0.90      0.90      0.90       20
weighted avg        0.90      0.90      0.90       20
```

0.9

### 6.3.2 Tutorial – Iris Multiclass Classification Using SVM

<https://scikit-learn.org/stable/modules/svm.html>

#### 6.3.2.1 Setup

Environment

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()

df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column            Non-Null Count  Dtype  
 ---  -- 
 0   Sepal length     150 non-null   float64
```

```

1 Sepal width 150 non-null float64
2 Petal length 150 non-null float64
3 Petal width 150 non-null float64
4 Species 150 non-null int64
dtypes: float64(4), int64(1)
memory usage: 6.0 KB

```

A simple visualization

```

sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width'
            , hue = 'Species')

```

```
<seaborn.axisgrid.FacetGrid at 0x7aaccd3501f0>
```

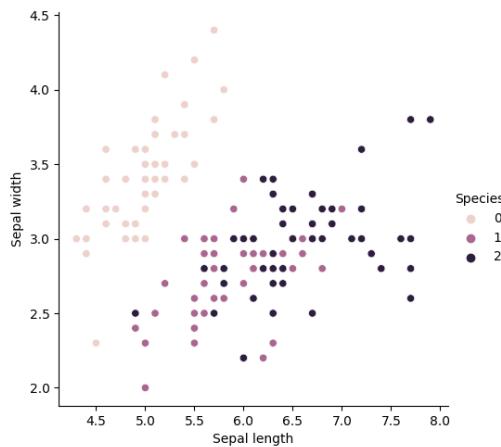


Figure 6.19 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```

from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)

X_train[:5]

```

	Sepal length	Sepal width	Petal length	Petal width
51	6.4	3.2	4.5	1.5
8	4.4	2.9	1.4	0.2
99	5.7	2.8	4.1	1.3
117	7.7	3.8	6.7	2.2
144	6.7	3.3	5.7	2.5

### 6.3.2.2 Train Your Model

```
from sklearn import svm

model = svm.SVC(kernel='linear')
classifier = model.fit(X_train, y_train)
```

### 6.3.2.3 Evaluate Your Model

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
import classification_report, confusion_matrix, accuracy_score
print(confusion_matrix(y_test, y_pred))
print(accuracy_score(y_test,y_pred))
```

```
[[12  0  0]
 [ 0  8  1]
 [ 0  0  9]]
0.9666666666666667
```

### 6.3.3 Case Study – Breast Cancer Classification Using SVM

Let's prepare a step-by-step tutorial for the SVM (Support Vector Machine) algorithm using the Breast Cancer dataset. We'll demonstrate the difference between soft and hard margin SVM and show how the regularization parameter (C) affects the classification results. We'll print the results of the classification and visualize the accuracy vs hyperparameter (C) at the end for comparison.

#### 6.3.3.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_breast_cancer
from sklearn.model_selection import train_test_split
from sklearn.svm import SVC
from sklearn.metrics import accuracy_score

# Load the Breast Cancer dataset
data = load_breast_cancer()
X = pd.DataFrame(data.data, columns=data.feature_names)
y = pd.Series(data.target)

# Split the dataset into training and testing sets (80% train, 20% test)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2
, random_state=42)
```

### 6.3.3.2 Create and Train SVM Models with Different Regularization Parameters (C)

```
# Create a list of regularization parameter values
C_values = [0.01, 0.1, 1, 10, 100]

# Create an empty dictionary to store the results
results = {}

# Train SVM models with different C values
for C in C_values:
    svm_model = SVC(C=C, kernel='linear')
    svm_model.fit(X_train, y_train)
    y_pred = svm_model.predict(X_test)
    accuracy = accuracy_score(y_test, y_pred)
    results[C] = {
        'model': svm_model,
        'accuracy': accuracy
    }
```

### 6.3.3.3 Print the Results of the Classification

```
# Print the results of the classification
print("Results of SVM Classification:")
for C, result in results.items():
    print(f"C = {C}, Accuracy: {result['accuracy']:.4f}")
```

Results of SVM Classification:  
C = 0.01, Accuracy: 0.9561  
C = 0.1, Accuracy: 0.9649  
C = 1, Accuracy: 0.9561  
C = 10, Accuracy: 0.9561  
C = 100, Accuracy: 0.9561

### 6.3.3.4 Visualize the Accuracy vs Regularization Parameter (C) for Comparison

```
# Visualize the accuracy vs regularization parameter (C)
accuracies = [result['accuracy'] for C, result in results.items()]

plt.figure(figsize=(8, 4))
plt.plot(C_values, accuracies, marker='o')
plt.xscale('log')
plt.xlabel('Regularization Parameter (C)')
plt.ylabel('Accuracy')
plt.title('Accuracy vs Regularization Parameter (C) for SVM')
plt.grid(True)
plt.show()
```

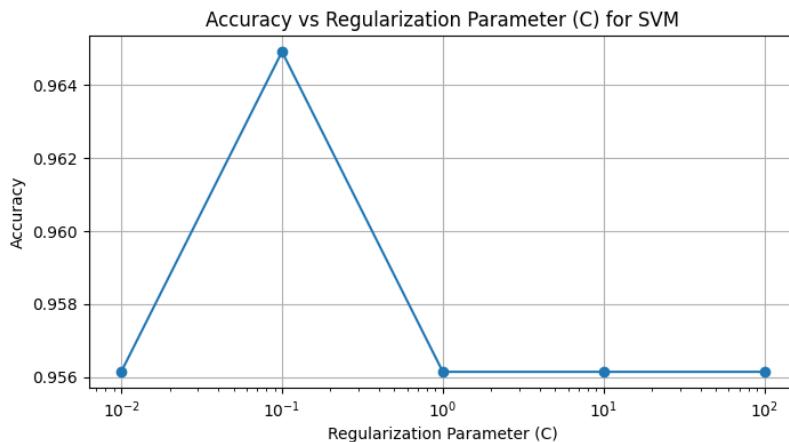


Figure 6.20 Accuracy VS Regularization Parameter (C) for SVM

#### 6.3.3.5 Conclusion

This tutorial covers the SVM algorithm using the Breast Cancer dataset. It demonstrates the difference between soft and hard margin SVM and shows how the regularization parameter (C) affects the classification results. The tutorial prints the accuracy of the models with different values of C and visualizes the accuracy vs regularization parameter (C) for comparison.

Feel free to adjust the `C_values` list and try other kernel types (e.g., 'rbf', 'poly') to explore their effects on SVM's performance.

## 6.4 NAIVE BAYES CLASSIFIERS

---

Naive Bayes classifiers are probabilistic machine learning algorithms commonly used for classification tasks, particularly in natural language processing and text analysis. This section introduces Naive Bayes classifiers using the Scikit-learn package, covering their theory, implementation, and practical applications.

Naive Bayes classifiers are based on Bayes' theorem and assume that features are conditionally independent, hence the term "naive". They are known for their simplicity, efficiency, and effectiveness in various classification tasks. Scikit-learn provides a user-friendly environment for implementing Naive Bayes classifiers. You will explore practical implementation steps, including using the `MultinomialNB`, `GaussianNB`, and `BernoulliNB` classes in Scikit-learn for different types of Naive Bayes models and understanding the Laplace smoothing technique to handle unseen features and improve model performance.

### 6.4.1 Tutorial – Iris Binary Classification Using Naive Bayes

Documentation: [https://scikit-learn.org/stable/modules/naive\\_bayes.html](https://scikit-learn.org/stable/modules/naive_bayes.html)

#### 6.4.1.1 Setup

Environment

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] != 0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          --          --      
 0   Sepal length  100 non-null   float64 
 1   Sepal width   100 non-null   float64 
 2   Petal length  100 non-null   float64 
 3   Petal width   100 non-null   float64 
 4   Species       100 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x79b596653b80>
```

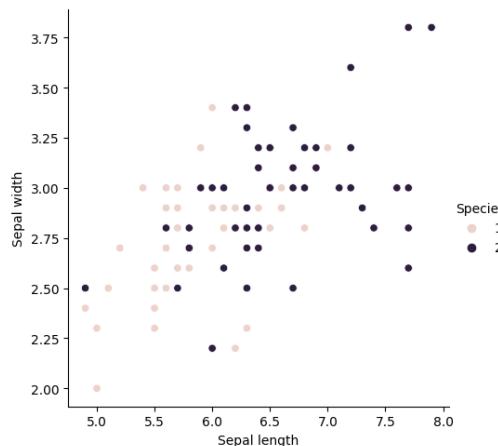


Figure 6.21 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:2]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)

X_train[:5]
```

	Sepal length	Sepal width
76	6.8	2.8
109	7.2	3.6
88	5.6	3.0
62	6.0	2.2
51	6.4	3.2

#### 6.4.1.2 Train the Model

```
from sklearn.naive_bayes import GaussianNB

classifier = GaussianNB()
classifier.fit(X_train, y_train)
y_pred = classifier.predict(X_test)

from sklearn.metrics
    import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
result1 = classification_report(y_test, y_pred)
print("Classification Report:",)
```

```

print (result1)
result2 = accuracy_score(y_test,y_pred)
print("Accuracy:",result2)

```

Confusion Matrix:

```
[[9 2]
```

```
[1 8]]
```

Classification Report:

	precision	recall	f1-score	support
1	0.90	0.82	0.86	11
2	0.80	0.89	0.84	9
accuracy			0.85	20
macro avg	0.85	0.85	0.85	20
weighted avg	0.86	0.85	0.85	20

Accuracy: 0.85

## 6.4.2 Tutorial – Iris Multiclass Classification Using Naive Bayes

Documentation: [https://scikit-learn.org/stable/modules/naive\\_bayes.html](https://scikit-learn.org/stable/modules/naive_bayes.html)

### 6.4.2.1 Setup

Environment

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets

```

Load the dataset iris

```
iris = datasets.load_iris()
```

```

df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()

```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          -----          Dtype  
 0   Sepal length  150 non-null   float64 
 1   Sepal width   150 non-null   float64 
 2   Petal length  150 non-null   float64 
 3   Petal width   150 non-null   float64 
 4   Species       150 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 6.0 KB
```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width'
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7e90b4584700>
```

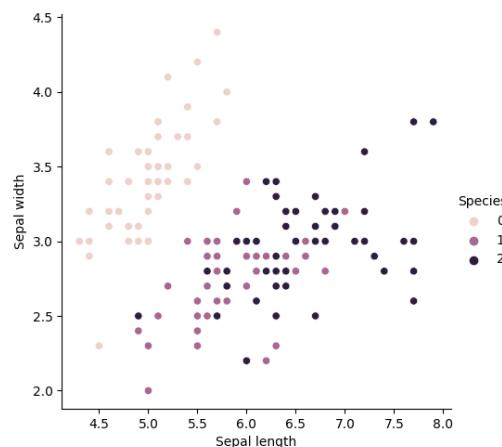


Figure 6.22 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

```
X_train[:5]
```

	Sepal length	Sepal width	Petal length	Petal width
59	5.2	2.7	3.9	1.4
146	6.3	2.5	5.0	1.9
89	5.5	2.5	4.0	1.3
65	6.7	3.1	4.4	1.4
129	7.2	3.0	5.8	1.6

#### 6.4.2.2 Train the Model

```
from sklearn.naive_bayes import GaussianNB

classifier = GaussianNB()
classifier.fit(X_train, y_train)
y_pred = classifier.predict(X_test)

from sklearn.metrics
    import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
result1 = classification_report(y_test, y_pred)
print("Classification Report:")
print(result1)
result2 = accuracy_score(y_test,y_pred)
print("Accuracy:",result2)
```

Confusion Matrix:  
[[ 7 0 0]  
 [ 0 8 2]  
 [ 0 0 13]]

Classification Report:

	precision	recall	f1-score	support
0	1.00	1.00	1.00	7
1	1.00	0.80	0.89	10
2	0.87	1.00	0.93	13
accuracy			0.93	30
macro avg	0.96	0.93	0.94	30
weighted avg	0.94	0.93	0.93	30

Accuracy: 0.9333333333333333

#### 6.4.3 Case Study – Breast Cancer Classification Using Naive Bayes

Let's prepare a step-by-step tutorial for the Naive Bayes algorithm using the Breast Cancer dataset. We'll demonstrate how the Naive Bayes algorithm works for classification.

#### 6.4.3.1 Setup

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_breast_cancer
from sklearn.model_selection import train_test_split
from sklearn.naive_bayes import GaussianNB
from sklearn.metrics import accuracy_score

# Load the Breast Cancer dataset
data = load_breast_cancer()
X = pd.DataFrame(data.data, columns=data.feature_names)
y = pd.Series(data.target)

# Split the dataset into training and testing sets (80% train, 20% test)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2
    , random_state=42)

```

#### 6.4.3.2 Create and Train the Naive Bayes Model

```

# Create the Naive Bayes model
nb_model = GaussianNB()

# Train the model
nb_model.fit(X_train, y_train)

# Make predictions on the test set
y_pred = nb_model.predict(X_test)

# Calculate the accuracy of the model
accuracy = accuracy_score(y_test, y_pred)

```

#### 6.4.3.3 Print the Results of the Classification

```

# Print the accuracy of the Naive Bayes model
print("Accuracy of Naive Bayes model:", accuracy)

```

Accuracy of Naive Bayes model: 0.9736842105263158

#### 6.4.3.4 Conclusion

This tutorial covers the Naive Bayes algorithm using the Breast Cancer dataset. It demonstrates how to create and train the Naive Bayes model for classification and prints the accuracy of the model on the test set.

Naive Bayes is a simple yet powerful algorithm for classification tasks, especially when dealing with text or categorical data.

## 6.5 LOGISTIC REGRESSION CLASSIFIERS

---

Logistic Regression is a widely used statistical and machine learning technique for binary classification tasks. This section introduces Logistic Regression classifiers using the Scikit-learn package, covering their theory, implementation, and practical applications.

Logistic Regression is a fundamental classification algorithm that models the probability of a binary outcome based on one or more predictor variables. Despite its name, it is used for classification rather than regression tasks. Scikit-learn offers a convenient environment for implementing Logistic Regression classifiers. You will explore practical implementation steps, including using the LogisticRegression class in Scikit-learn to create Logistic Regression models and training Logistic Regression models on labeled datasets and making binary classification predictions.

### 6.5.1 Tutorial – Iris Binary Classification Using Logistic Regression

Documentation: [https://scikit-learn.org/stable/modules/generated/sklearn.linear\\_model.LogisticRegression.html](https://scikit-learn.org/stable/modules/generated/sklearn.linear_model.LogisticRegression.html)

#### 6.5.1.1 Setup

Environment

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] != 0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
--- 
 0   Sepal length    100 non-null   float64 
 1   Sepal width     100 non-null   float64 
 2   Petal length    100 non-null   float64 
 3   Petal width     100 non-null   float64 
 4   Species         100 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width'
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x77fc4c650100>
```

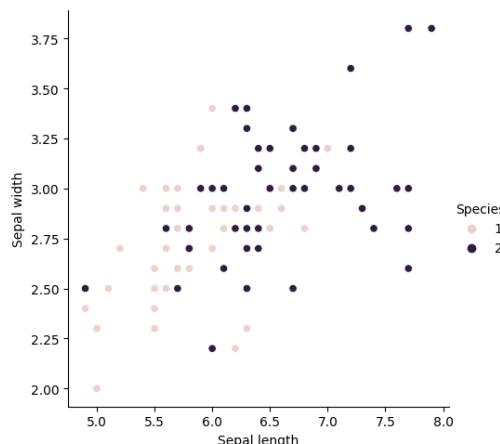


Figure 6.23 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:2]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)

X_train[:5]
```

	Sepal length	Sepal width
107	7.3	2.9
52	6.9	3.1

146	6.3	2.5
77	6.7	3.0
71	6.1	2.8

### 6.5.1.2 Train the Model

```
from sklearn.linear_model import LogisticRegression

classifier = LogisticRegression().fit(X, y)
classifier.fit(X_train, y_train)
```

```
LogisticRegression()

y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics
      import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(result)
report = classification_report(y_test, y_pred)
print("Classification Report:")
print (report)
accuracy = accuracy_score(y_test,y_pred)
print("Accuracy:",accuracy)
```

```
Confusion Matrix:
[[6 1]
 [4 9]]
Classification Report:
      precision    recall  f1-score   support
          1       0.60      0.86      0.71        7
          2       0.90      0.69      0.78       13
   accuracy                           0.75      20
  macro avg       0.75      0.77      0.74      20
weighted avg       0.80      0.75      0.76      20

Accuracy: 0.75
```

### 6.5.2 Tutorial – Iris Multiclass Classification Using Logistic Regression

Documentation: [https://scikit-learn.org/stable/modules/generated/sklearn.linear\\_model.LogisticRegression.html](https://scikit-learn.org/stable/modules/generated/sklearn.linear_model.LogisticRegression.html)

#### 6.5.2.1 Setup

Environment

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame({'Sepal length': iris.data[:,0],
                   'Sepal width': iris.data[:,1],
                   'Petal length':iris.data[:,2],
                   'Petal width':iris.data[:,3],
                   'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          -----          ----- 
 0   Sepal length  150 non-null   float64 
 1   Sepal width   150 non-null   float64 
 2   Petal length  150 non-null   float64 
 3   Petal width   150 non-null   float64 
 4   Species       150 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 6.0 KB
```

A simple visualization

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7e3b5deaa890>
```

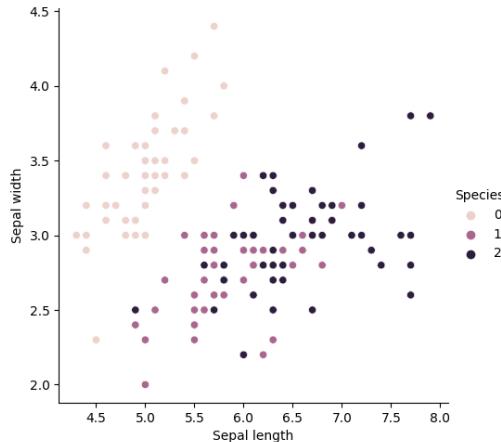


Figure 6.24 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)

X_train[:5]
```

	Sepal length	Sepal width	Petal length	Petal width
5	5.4	3.9	1.7	0.4
76	6.8	2.8	4.8	1.4
24	4.8	3.4	1.9	0.2
99	5.7	2.8	4.1	1.3
15	5.7	4.4	1.5	0.4

### 6.5.2.2 Train the Model

```
from sklearn.linear_model import LogisticRegression

classifier = LogisticRegression().fit(X, y)
classifier.fit(X_train, y_train)

LogisticRegression()

y_pred = classifier.predict(X_test)

from sklearn.metrics
    import classification_report, confusion_matrix, accuracy_score

result = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
```

```

print(result)
report = classification_report(y_test, y_pred)
print("Classification Report:")
print(report)
accuracy = accuracy_score(y_test,y_pred)
print("Accuracy:",accuracy)

```

Confusion Matrix:

```

[[11  0  0]
 [ 0  9  1]
 [ 0  1  8]]

```

Classification Report:

	precision	recall	f1-score	support
0	1.00	1.00	1.00	11
1	0.90	0.90	0.90	10
2	0.89	0.89	0.89	9
accuracy			0.93	30
macro avg	0.93	0.93	0.93	30
weighted avg	0.93	0.93	0.93	30

Accuracy: 0.9333333333333333

### 6.5.3 Case Study – Breast Cancer Classification Using Logistic Regression

Let's prepare a step-by-step tutorial for the Logistic Regression algorithm using the Breast Cancer dataset. We'll demonstrate how the Logistic Regression algorithm works for classification and visualize the accuracy vs hyperparameter for comparison.

#### 6.5.3.1 Setup

```

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_breast_cancer
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
from sklearn.metrics import accuracy_score

# Load the Breast Cancer dataset
data = load_breast_cancer()
X = pd.DataFrame(data.data, columns=data.feature_names)
y = pd.Series(data.target)

# Split the dataset into training and testing sets (80% train, 20% test)
X_train, X_test, y_train, y_test =
    train_test_split(X, y, test_size=0.2, random_state=42)

```

### 6.5.3.2 Create and Train the Logistic Regression Model with Different Regularization Parameters

```
# Create a list of regularization parameter values
C_values = [0.001, 0.01, 0.1, 1, 10, 100, 1000]

# Create an empty dictionary to store the results
results = {}

# Train Logistic Regression models with different C values
for C in C_values:
    lr_model = LogisticRegression(C=C, random_state=42, max_iter=2000)
    lr_model.fit(X_train, y_train)
    y_pred = lr_model.predict(X_test)
    accuracy = accuracy_score(y_test, y_pred)
    results[C] = {
        'model': lr_model,
        'accuracy': accuracy
    }
```

### 6.5.3.3 Print the Results of the Classification

```
# Print the results of the classification
print("Results of Logistic Regression Classification:")
for C, result in results.items():
    print(f"C = {C}, Accuracy: {result['accuracy']:.4f}")
```

Results of Logistic Regression Classification:  
C = 0.001, Accuracy: 0.9649  
C = 0.01, Accuracy: 0.9649  
C = 0.1, Accuracy: 0.9649  
C = 1, Accuracy: 0.9561  
C = 10, Accuracy: 0.9561  
C = 100, Accuracy: 0.9649  
C = 1000, Accuracy: 0.9649

### 6.5.3.4 Visualize the Accuracy vs Regularization Parameter (C) for Comparison

```
# Visualize the accuracy vs regularization parameter (C)
accuracies = [result['accuracy'] for C, result in results.items()]

plt.figure(figsize=(8, 4))
plt.plot(C_values, accuracies, marker='o')
plt.xscale('log')
plt.xlabel('Regularization Parameter (C)')
plt.ylabel('Accuracy')
plt.title('Accuracy vs Regularization Parameter (C)')
plt.grid(True)
plt.show()
```

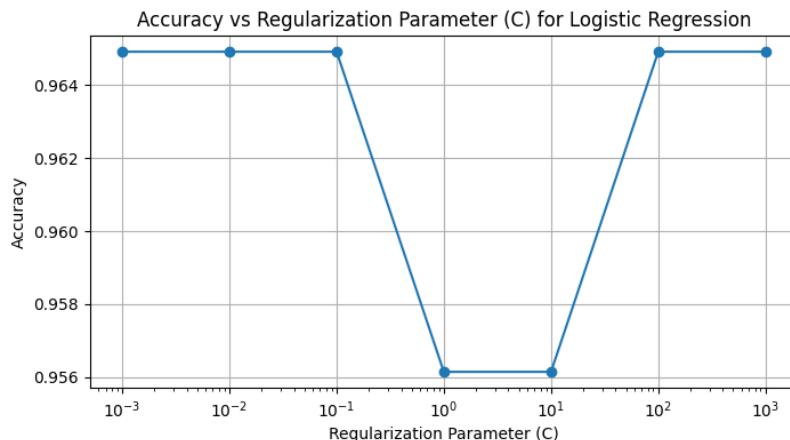


Figure 6.25 Accuracy VS Regularization Parameter (C)

#### 6.5.3.5 Conclusion

This tutorial covers the Logistic Regression algorithm using the Breast Cancer dataset. It demonstrates how to create and train the Logistic Regression model for classification and prints the accuracy of the model with different values of the regularization parameter (C). The tutorial also visualizes the accuracy vs regularization parameter (C) for comparison.

Feel free to experiment with different values of C to observe how it affects the model's performance.

## 6.6 CLASSIFICATION METHODS' COMPARISON

---

In this section, we will conduct a comprehensive case study to explore and compare the performance of various classification methods we have introduced using a single dataset. This hands-on approach will provide you with a practical understanding of how different classifiers behave and perform in real-world scenarios.

The case study aims to demonstrate the strengths and weaknesses of different classification methods, allowing you to make informed choices when selecting the most appropriate algorithm for a specific task. You will work with a dataset that is suitable for classification and apply all classifiers we have covered. Based on the case study results, you will gain insights into which classifier(s) perform best for the given dataset and classification task. You will also learn how to choose the most suitable classifier based on the specific requirements and characteristics of a problem.

### 6.6.1 Case Study – Wine Classification Using Multiple Classifiers

Let's proceed with the Wine Dataset and apply the same classification methods we used before, including K-Nearest Neighbors (KNN), Decision Trees, SVM, Naive Bayes, and Logistic Regression. We will explore each method with different hyperparameters

and summarize their performance in terms of accuracy. At the end, we will visualize the results for comparison.

The Wine Dataset is a popular dataset for classification tasks, where the target class represents the origin of different wines. It contains 13 features that describe various properties of the wines.

#### 6.6.1.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_wine
from sklearn.model_selection import train_test_split
from sklearn.neighbors import KNeighborsClassifier
from sklearn.tree import DecisionTreeClassifier
from sklearn.svm import SVC
from sklearn.naive_bayes import GaussianNB
from sklearn.linear_model import LogisticRegression
from sklearn.metrics import accuracy_score

# Load the Wine dataset
data = load_wine()
X = pd.DataFrame(data.data, columns=data.feature_names)
y = pd.Series(data.target, name='target')

# Split the dataset into training and testing sets (80% train, 20% test)
X_train, X_test, y_train, y_test =
    train_test_split(X, y, test_size=0.2, random_state=42)
```

#### 6.6.1.2 Apply K-Nearest Neighbors (KNN) with Different Values of k

```
# Create a list of k values
k_values = range(1, 51, 4)

# Create an empty dictionary to store the results
knn_results = {}

# Train KNN models with different k values
for k in k_values:
    knn_model = KNeighborsClassifier(n_neighbors=k)
    knn_model.fit(X_train, y_train)
    y_pred = knn_model.predict(X_test)
    accuracy = accuracy_score(y_test, y_pred)
    knn_results[k] = accuracy
```

#### 6.6.1.3 Apply Decision Trees with Different Values of max depth

```
# Create a list of max depth values
max_depth_values = range(1, 21, 2)

# Create an empty dictionary to store the results
dt_results = {}

# Train Decision Tree models with different max depth values
for max_depth in max_depth_values:
    dt_model = DecisionTreeClassifier(max_depth=max_depth)
    dt_model.fit(X_train, y_train)
    y_pred = dt_model.predict(X_test)
    accuracy = accuracy_score(y_test, y_pred)
    dt_results[max_depth] = accuracy
```

#### 6.6.1.4 Apply SVM with Different Values of C

```
# Create a list of C values
C_values = [0.001, 0.01, 0.1, 1, 10, 100, 200]

# Create an empty dictionary to store the results
svm_results = {}

# Train SVM models with different C values
for C in C_values:
    svm_model = SVC(C=C)
    svm_model.fit(X_train, y_train)
    y_pred = svm_model.predict(X_test)
    accuracy = accuracy_score(y_test, y_pred)
    svm_results[C] = accuracy
```

#### 6.6.1.5 Apply Naive Bayes (GaussianNB)

```
# Train Naive Bayes model
nb_model = GaussianNB()
nb_model.fit(X_train, y_train)
y_pred = nb_model.predict(X_test)
nb_accuracy = accuracy_score(y_test, y_pred)
```

#### 6.6.1.6 Apply Logistic Regression with Different Values of C

```
# Create an empty dictionary to store the results
logreg_results = {}

# Train Logistic Regression models with different C values
for C in C_values:
    lr_model = LogisticRegression(C=C, random_state=42)
    lr_model.fit(X_train, y_train)
    y_pred = lr_model.predict(X_test)
```

```
accuracy = accuracy_score(y_test, y_pred)
logreg_results[C] = accuracy
```

#### 6.6.1.7 Summarize the Performance of each Method in Terms of Accuracy

```
# Print the results of each method
print("Results of Classification Methods:")
print("KNN:")
for k, accuracy in knn_results.items():
    print(f"k = {k}, Accuracy: {accuracy:.2f}")

print("\nDecision Trees:")
for max_depth, accuracy in dt_results.items():
    print(f"Max Depth = {max_depth}, Accuracy: {accuracy:.2f}")

print("\nSVM:")
for C, accuracy in svm_results.items():
    print(f"C = {C}, Accuracy: {accuracy:.2f}")

print("\nNaive Bayes:")
print(f"Accuracy: {nb_accuracy:.2f}")

print("\nLogistic Regression:")
for C, accuracy in logreg_results.items():
    print(f"C = {C}, Accuracy: {accuracy:.2f})
```

Results of Classification Methods:

KNN:

```
k = 1, Accuracy: 0.78
k = 5, Accuracy: 0.72
k = 9, Accuracy: 0.72
k = 13, Accuracy: 0.72
k = 17, Accuracy: 0.78
k = 21, Accuracy: 0.78
k = 25, Accuracy: 0.78
k = 29, Accuracy: 0.78
k = 33, Accuracy: 0.78
k = 37, Accuracy: 0.81
k = 41, Accuracy: 0.81
k = 45, Accuracy: 0.81
k = 49, Accuracy: 0.75
```

Decision Trees:

```
Max Depth = 1, Accuracy: 0.67
Max Depth = 3, Accuracy: 0.94
Max Depth = 5, Accuracy: 0.94
Max Depth = 7, Accuracy: 0.94
Max Depth = 9, Accuracy: 0.94
Max Depth = 11, Accuracy: 0.94
Max Depth = 13, Accuracy: 0.94
Max Depth = 15, Accuracy: 0.94
Max Depth = 17, Accuracy: 0.94
```

```
Max Depth = 19, Accuracy: 0.94
```

SVM:

```
C = 0.001, Accuracy: 0.39
C = 0.01, Accuracy: 0.39
C = 0.1, Accuracy: 0.78
C = 1, Accuracy: 0.81
C = 10, Accuracy: 0.78
C = 100, Accuracy: 0.83
C = 200, Accuracy: 0.83
```

Naive Bayes:

```
Accuracy: 1.00
```

Logistic Regression:

```
C = 0.001, Accuracy: 0.89
C = 0.01, Accuracy: 1.00
C = 0.1, Accuracy: 1.00
C = 1, Accuracy: 0.97
C = 10, Accuracy: 0.94
C = 100, Accuracy: 0.94
C = 200, Accuracy: 0.94
```

#### 6.6.1.8 Visualize the Accuracy for each Method

```
# Visualize the accuracy vs hyperparameter for each method
plt.figure(figsize=(12, 6))
plt.subplot(2, 2, 1)
plt.plot(list(knn_results.keys()), list(knn_results.values()), marker='o')
plt.xlabel('k Value')
plt.ylabel('Accuracy')
plt.title('Accuracy vs k for KNN')

plt.subplot(2, 2, 2)
plt.plot(list(dt_results.keys()), list(dt_results.values()), marker='o')
plt.xlabel('Max Depth')
plt.ylabel('Accuracy')
plt.title('Accuracy vs Max Depth for Decision Trees')

plt.subplot(2, 2, 3)
plt.plot(C_values, list(svm_results.values()), marker='o')
plt.xscale('log')
plt.xlabel('C Value')
plt.ylabel('Accuracy')
plt.title('Accuracy vs C for SVM')

plt.subplot(2, 2, 4)
plt.plot(C_values, list(logreg_results.values()), marker='o')
plt.xscale('log')
plt.xlabel('C Value')
plt.ylabel('Accuracy')
plt.title('Accuracy vs C for Logistic Regression')
```

```
plt.tight_layout()
plt.show()
```

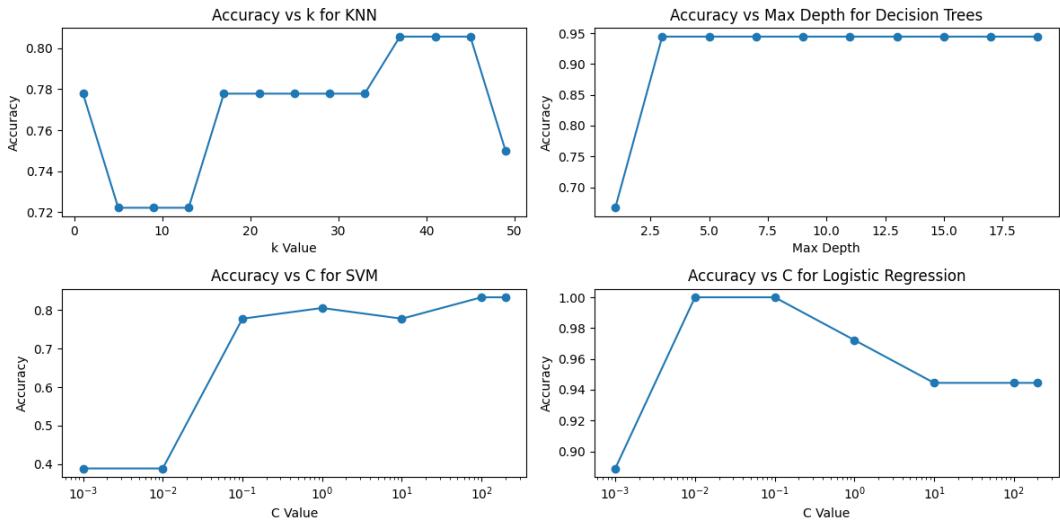


Figure 6.26 Accuracy Comparison Among Classification Methods

#### 6.6.1.9 Conclusion

This tutorial covers various classification methods (KNN, Decision Trees, SVM, Naive Bayes, and Logistic Regression) using the Wine Dataset. It demonstrates how to apply each method with different hyperparameters, summarizes their performance in terms of accuracy, and visualizes the accuracy for comparison.

Feel free to experiment with other classification algorithms, hyperparameters, or additional datasets to further explore different classification techniques.

# Regression

---

REGRESSION is a supervised learning task in which an algorithm learns to predict a continuous output value (or target) based on input features. The goal of regression is to find the best model that accurately predicts the target value for new, unseen inputs.

There are many different regression methods we use with Scikit-learn, but some of the most common include:

- Linear Regression: A simple model that finds the best linear relationship between the input features and the target value.
- Polynomial Regression: A non-linear extension of Linear Regression that uses polynomial functions of the input features to fit the data.
- Ridge Regression: A Linear Regression model that includes a regularization term to prevent overfitting.
- Lasso Regression: A Linear Regression model that includes a regularization term to shrink the coefficient of less important features to zero.
- Decision Tree Regression: A tree-based model that uses a series of if-then rules to make predictions.
- Random Forest Regression: An ensemble method that combines many decision trees to improve the accuracy of predictions.
- Gradient Boosting Regression: An ensemble method that combines many weak models to improve the accuracy of predictions.

## 7.1 SIMPLE REGRESSION

---

Simple Regression, also known as Linear Regression, is a fundamental statistical and machine learning technique used for modeling and analyzing the linear relationship

between two variables: one independent variable (predictor) and one dependent variable (outcome). Simple Regression is a powerful method for modeling linear relationships between variables. It is commonly used for making predictions and understanding how changes in one variable affect another. Scikit-learn provides a user-friendly environment for implementing Simple Regression models. You will explore practical implementation steps, including data preparation and exploration, which involve cleaning and visualizing the dataset to identify trends and relationships, using the LinearRegression class in Scikit-learn to fit a Linear Regression model to the data, and assessing the goodness of fit and model performance using metrics like R-squared and residual analysis.

### 7.1.1 Tutorial – California Housing Price

Documentation: [https://scikit-learn.org/stable/modules/generated/sklearn.linear\\_model.LinearRegression.html](https://scikit-learn.org/stable/modules/generated/sklearn.linear_model.LinearRegression.html)

#### 7.1.1.1 Setup

```
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt

df = pd.read_csv('/content/sample_data/california_housing_train.csv')
df.head()
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
0	-114.31	34.19	15.0	5612.0	1283.0	
1	-114.47	34.40	19.0	7650.0	1901.0	
2	-114.56	33.69	17.0	720.0	174.0	
3	-114.57	33.64	14.0	1501.0	337.0	
4	-114.57	33.57	20.0	1454.0	326.0	

	population	households	median_income	median_house_value
0	1015.0	472.0	1.4936	66900.0
1	1129.0	463.0	1.8200	80100.0
2	333.0	117.0	1.6509	85700.0
3	515.0	226.0	3.1917	73400.0
4	624.0	262.0	1.9250	65500.0

#### 7.1.1.2 Try total\_rooms with total\_bedrooms

Simple visualization

```
sns.relplot(data = df, x = 'total_rooms', y = 'total_bedrooms')
```

<seaborn.axisgrid.FacetGrid at 0x7f840ad533d0>

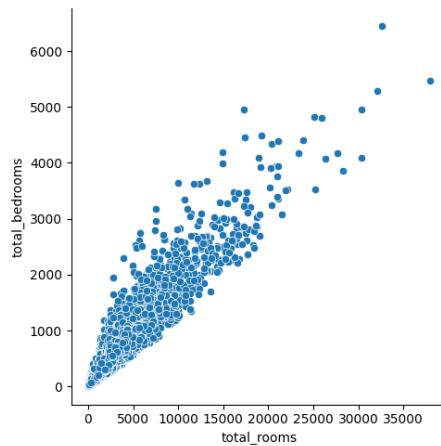


Figure 7.1 A Scatter Plot of Total Rooms VS Total Bedrooms

Prepare independent

```
x = np.array(df['total_rooms']).reshape(-1, 1)
```

Prepare dependent

```
y = np.array(df['total_bedrooms']).reshape(-1, 1)
```

Split train and test data

```
from sklearn.model_selection import train_test_split

x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.20)
```

Train the model

```
from sklearn.linear_model import LinearRegression

reg = LinearRegression()
model = reg.fit(x_train, y_train)

model.coef_, model.intercept_
```

```
(array([[0.18070511]]), array([61.86755768]))
```

Evaluate the model

```
from sklearn.metrics
    import mean_absolute_error, mean_squared_error, r2_score

y_pred = model.predict(x_test)
mae = mean_absolute_error(y_true=y_test, y_pred=y_pred)
mse = mean_squared_error(y_true=y_test, y_pred=y_pred)
```

```
rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))
```

MAE: 101.35888011777651  
MSE: 23752.731604495282  
RMSE: 154.1192123146731  
R<sup>2</sup> 0.8637647401970822

Visualize your result

```
plt.scatter(x_test, y_test)
plt.scatter(x_test, y_pred)
```

<matplotlib.collections.PathCollection at 0x7f840540fbe0>

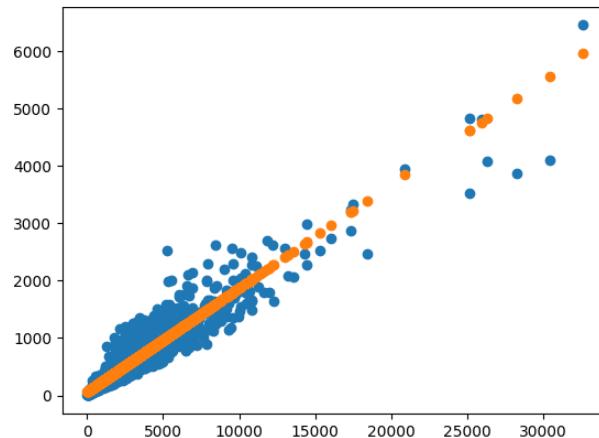


Figure 7.2 A Comparison with Predicted and True Values

### 7.1.1.3 Try Median Income with Median House Value

Simple visualization

```
sns.relplot(data = df, x = 'median_income', y = 'median_house_value')
```

<seaborn.axisgrid.FacetGrid at 0x7f84053cedc0>

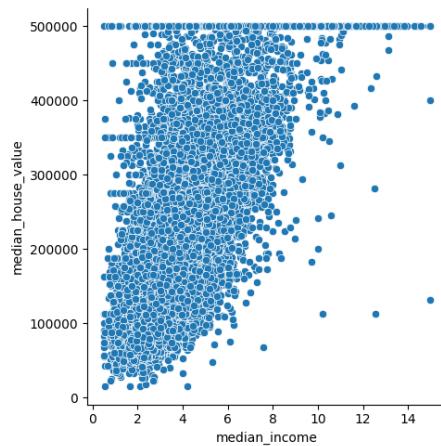


Figure 7.3 A Scatter Plot of Median Income VS Median House Value

Prepare independent variable

```
x = np.array(df['median_income']).reshape(-1,1)
```

Prepare dependent variable

```
y = np.array(df['median_house_value']).reshape(-1,1)
```

Split train and test data

```
from sklearn.model_selection import train_test_split

x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.20)
```

Train the model

```
from sklearn.linear_model import LinearRegression

reg = LinearRegression()
model = reg.fit(x_train, y_train)
```

Evaluate the model

```
from sklearn.metrics
    import mean_absolute_error,mean_squared_error, r2_score

y_pred = model.predict(x_test)
mae = mean_absolute_error(y_true=y_test,y_pred=y_pred)
mse = mean_squared_error(y_true=y_test,y_pred=y_pred)
rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))
```

```
MAE: 61776.93574574111
MSE: 6756173988.71918
RMSE: 82195.94873665721
R^2 0.4940654658976973
```

Visualize your result

```
model.coef_, model.intercept_
```

```
(array([[41854.98097901]]), array([44955.95374405]))
```

```
plt.scatter(x_test, y_test)
plt.scatter(x_test, y_pred)
```

```
<matplotlib.collections.PathCollection at 0x7f8403b29f40>
```

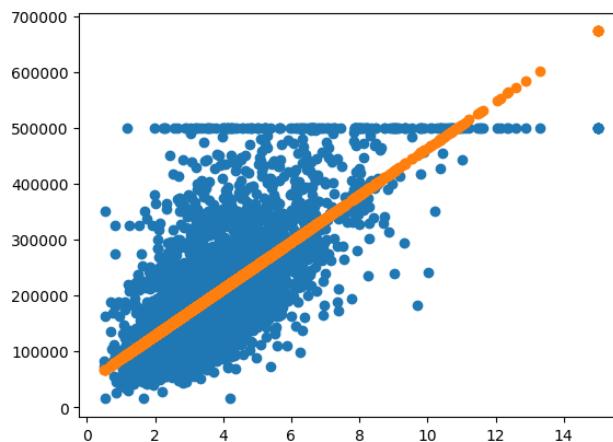


Figure 7.4 A Comparison with Predicted and True Values

#### 7.1.1.4 Try Households with Population

Simple visualization

```
sns.relplot(data = df, x = 'households', y = 'population')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f8405370a00>
```

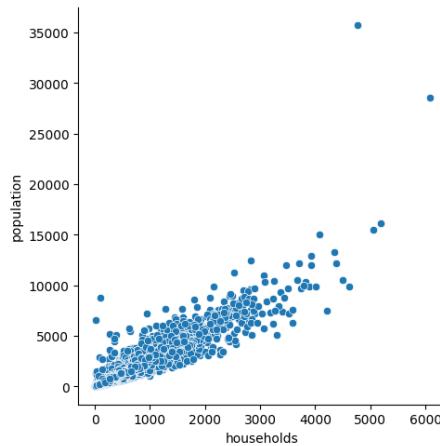


Figure 7.5 A Scatter Plot of Households VS Population

Prepare independent variable

```
x = np.array(df['households']).reshape(-1,1)
```

Prepare dependent variable

```
y = np.array(df['population']).reshape(-1,1)
```

Split train and test data

```
from sklearn.model_selection import train_test_split

x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.20)
```

Train the model

```
from sklearn.linear_model import LinearRegression

reg = LinearRegression()
model = reg.fit(x_train, y_train)
```

```
model.coef_, model.intercept_
```

```
(array([[2.74182763]]), array([55.92258466]))
```

Evaluate the model

```
from sklearn.metrics
    import mean_absolute_error,mean_squared_error, r2_score

y_pred = model.predict(x_test)
mae = mean_absolute_error(y_true=y_test,y_pred=y_pred)
mse = mean_squared_error(y_true=y_test,y_pred=y_pred)
```

```

rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))

```

MAE: 270.2469967472556  
MSE: 184962.76253804995  
RMSE: 430.07297350339275  
R<sup>2</sup> 0.8435552238188913

Visualize your result

```

plt.scatter(x_test, y_test)
plt.scatter(x_test, y_pred)

```

<matplotlib.collections.PathCollection at 0x7f84039d3c10>

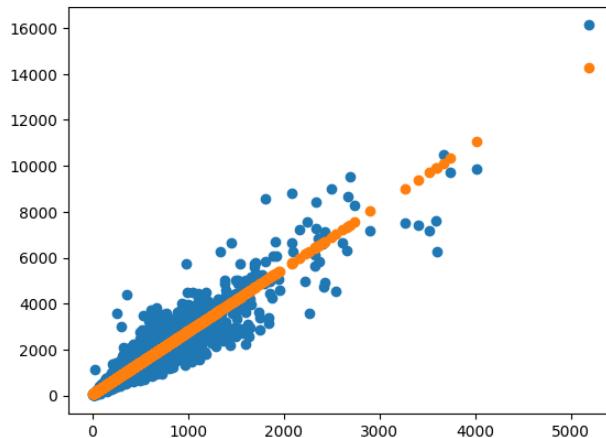


Figure 7.6 A Comparison with Predicted and True Values

### 7.1.2 Tutorial – California Housing Price

Documentation: [https://scikit-learn.org/stable/modules/linear\\_model.html#polynomial-regression-extending-linear-models-with-basis-functions](https://scikit-learn.org/stable/modules/linear_model.html#polynomial-regression-extending-linear-models-with-basis-functions)

#### 7.1.2.1 Setup

```

import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt

```

### 7.1.2.2 Try Simple Linear Regression first

Prepare independent variable

```
x = np.random.uniform(-3, 3,(100)).reshape(-1,1)
```

Prepare dependent variable

```
y = x * x - x - 1
error = np.random.rand((100)).reshape(-1, 1)
y = y + error*2
y = y.reshape(-1, 1)
```

Simple visualization

```
plt.scatter(x, y)
```

```
<matplotlib.collections.PathCollection at 0x79d0267957e0>
```

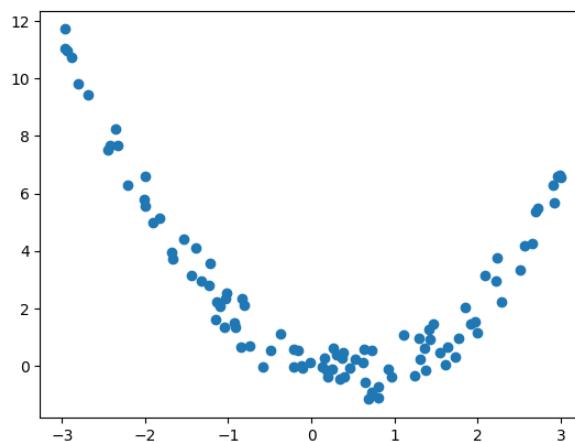


Figure 7.7 A Scatter Plot of X VS Y

Split train and test data

```
from sklearn.model_selection import train_test_split
```

```
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.20)
```

Train the model

```
from sklearn.linear_model import LinearRegression
```

```
reg = LinearRegression()
model = reg.fit(x_train, y_train)
```

```
model.coef_, model.intercept_
```

```
(array([[-0.84541517]]), array([2.72343055]))
```

Evaluate the model

```
from sklearn.metrics
    import mean_absolute_error,mean_squared_error, r2_score

y_pred = model.predict(x_test)
mae = mean_absolute_error(y_true=y_test,y_pred=y_pred)
mse = mean_squared_error(y_true=y_test,y_pred=y_pred)
rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))
```

MAE: 2.7050964291043655  
MSE: 8.22603426094628  
RMSE: 2.868106389405086  
R<sup>2</sup> 0.0913959729699606

Visualize your result

```
plt.scatter(x, y)
plt.scatter(x_test, y_pred)
```

<matplotlib.collections.PathCollection at 0x79d0266ba2f0>

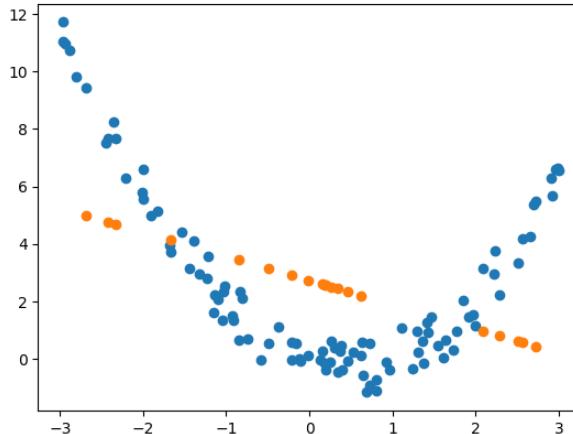


Figure 7.8 A Scatter Plot of X VS Y

Not so good, isn't it?

#### 7.1.2.3 Try polynomial features

```
from sklearn.model_selection import train_test_split

x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.20)
```

```
from sklearn.preprocessing import PolynomialFeatures

poly = PolynomialFeatures(degree=2)
poly_train = poly.fit_transform(x_train.reshape(-1, 1))
poly_test = poly.fit_transform(x_test.reshape(-1, 1))
```

poly\_train

```
array([[ 1.00000000e+00, -1.21969425e+00,  1.48765407e+00],
       [ 1.00000000e+00, -3.69662985e-01,  1.36650722e-01],
       [ 1.00000000e+00, -2.35481836e+00,  5.54516950e+00],
       ...
       [ 1.00000000e+00,  1.30722306e+00,  1.70883212e+00],
       [ 1.00000000e+00,  2.71660146e+00,  7.37992350e+00]])
```

Train the model with polynomial features

```
from sklearn.linear_model import LinearRegression

poly_reg_model = LinearRegression()
poly_reg_model.fit(poly_train, y_train)
```

LinearRegression()

Evaluate the model

```
from sklearn.metrics
      import mean_absolute_error, mean_squared_error, r2_score

y_pred = poly_reg_model.predict(poly_test)
mae = mean_absolute_error(y_true=y_test, y_pred=y_pred)
mse = mean_squared_error(y_true=y_test, y_pred=y_pred)
rmse = mean_squared_error(y_true=y_test, y_pred=y_pred, squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))
```

```
MAE: 0.39897424716689717
MSE: 0.22466684994348615
RMSE: 0.4739903479433797
R^2 0.9596978093663853
```

Visualize the model

```
plt.scatter(x, y)
plt.scatter(x_test, y_pred)
```

```
<matplotlib.collections.PathCollection at 0x79d026554760>
```

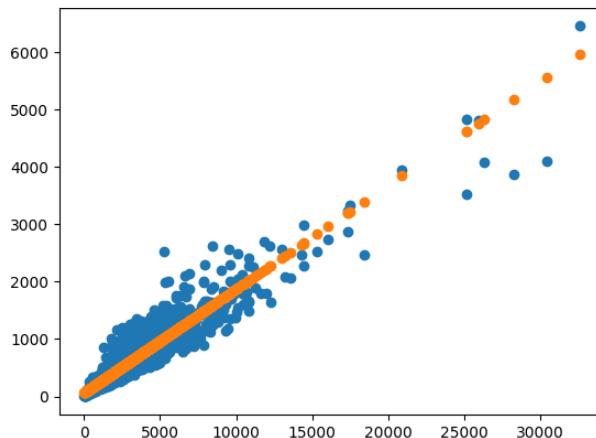


Figure 7.9 A Comparison with Predicted and True Values

Much better! Isn't it? Is the degree higher, the result better? How about we do a degree as 51?

```

poly = PolynomialFeatures(degree=51)
poly_train = poly.fit_transform(x_train.reshape(-1, 1))
poly_test = poly.fit_transform(x_test.reshape(-1, 1))
poly_reg_model = LinearRegression()
poly_reg_model.fit(poly_train, y_train)
y_pred = poly_reg_model.predict(poly_train)
mae = mean_absolute_error(y_true=y_train,y_pred=y_pred)
mse = mean_squared_error(y_true=y_train,y_pred=y_pred)
rmse = mean_squared_error(y_true=y_train,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_train, y_pred)
r2 = r2_score(y_train, y_pred)

print('''Training:
      MAE: {}
      MSE: {}
      RMSE: {}
      R^2 {}'''.format(mae, mse, rmse, r2))

y_pred = poly_reg_model.predict(poly_test)
mae = mean_absolute_error(y_true=y_test,y_pred=y_pred)
mse = mean_squared_error(y_true=y_test,y_pred=y_pred)
rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)
print('''Testing:
      MAE: {}
      MSE: {}
      RMSE: {}
      R^2 {}'''.format(mae, mse, rmse, r2))

```

Training:

```
MAE: 0.9300192606660586
MSE: 1.7181920444211911
RMSE: 1.3107982470316288
R^2 0.8398154972074873
```

Testing:

```
MAE: 1.62949110030523
MSE: 4.890215068197883
RMSE: 2.2113830668154
R^2 0.12276163587346123
```

```
plt.scatter(x, y)
plt.scatter(x_test, y_pred)
```

```
<matplotlib.collections.PathCollection at 0x79d028a3d270>
```

```
<matplotlib.collections.PathCollection at 0x79d026554760>
```

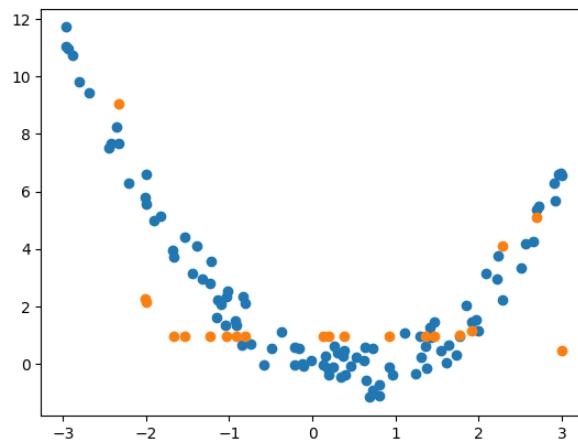


Figure 7.10 A Comparison with Predicted and True Values

Nope! High-degree Polynomial Regression may result in overfitting – Training result is better, but testing result is poor!

## 7.2 MULTIPLE REGRESSION

Multiple Regression is a powerful statistical and machine learning technique used for modeling and analyzing the relationship between multiple independent variables (predictors) and a single dependent variable (outcome). Multiple Regression extends the concepts of Simple Regression to model complex relationships involving multiple predictors. It allows us to understand how changes in multiple variables affect a single outcome. Scikit-learn provides a versatile environment for implementing Multiple Regression models. You will explore practical implementation steps, including data

preparation and exploration, including feature selection and handling multicollinearity, using the LinearRegression class in Scikit-learn to fit a Multiple Regression model to the data, and evaluating model performance and assessing the significance of predictors using hypothesis tests and regression metrics.

### 7.2.1 Tutorial – California Housing Price

Documentation: [https://scikit-learn.org/stable/modules/generated/sklearn.linear\\_model.LinearRegression.html](https://scikit-learn.org/stable/modules/generated/sklearn.linear_model.LinearRegression.html)

#### 7.2.1.1 Setup

```
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
```

```
df = pd.read_csv('/content/sample_data/california_housing_train.csv')
df.head()
```

	longitude	latitude	housing_median_age	total_rooms	total_bedrooms	\
0	-114.31	34.19	15.0	5612.0	1283.0	
1	-114.47	34.40	19.0	7650.0	1901.0	
2	-114.56	33.69	17.0	720.0	174.0	
3	-114.57	33.64	14.0	1501.0	337.0	
4	-114.57	33.57	20.0	1454.0	326.0	

	population	households	median_income	median_house_value
0	1015.0	472.0	1.4936	66900.0
1	1129.0	463.0	1.8200	80100.0
2	333.0	117.0	1.6509	85700.0
3	515.0	226.0	3.1917	73400.0
4	624.0	262.0	1.9250	65500.0

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17000 entries, 0 to 16999
Data columns (total 9 columns):
 #   Column           Non-Null Count  Dtype  
 ---  -- 
 0   longitude        17000 non-null   float64
 1   latitude         17000 non-null   float64
 2   housing_median_age 17000 non-null   float64
 3   total_rooms      17000 non-null   float64
 4   total_bedrooms   17000 non-null   float64
 5   population       17000 non-null   float64
 6   households       17000 non-null   float64
 7   median_income    17000 non-null   float64
 8   median_house_value 17000 non-null   float64
dtypes: float64(9)
```

```
memory usage: 1.2 MB
```

### 7.2.1.2 Try Dependent as Median House Value, and two Independent Variables

Prepare independent variable

```
X = np.array(df[['total_rooms', 'median_income']]).reshape(-1,2)
```

Prepare dependent variable

```
y = np.array(df['total_bedrooms']).reshape(-1, 1)
```

Split train and test data

```
from sklearn.model_selection import train_test_split
```

```
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

Train the model

```
from sklearn.linear_model import LinearRegression
```

```
reg = LinearRegression()
model = reg.fit(X_train, y_train)
```

```
model.coef_, model.intercept_
```

```
(array([[ 0.18665909, -44.67553951]]), array([218.63519336]))
```

Evaluate the model

```
from sklearn.metrics
    import mean_absolute_error,mean_squared_error, r2_score

y_pred = model.predict(X_test)
mae = mean_absolute_error(y_true=y_test,y_pred=y_pred)
mse = mean_squared_error(y_true=y_test,y_pred=y_pred)
rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))
```

```
MAE: 82.63220433916297
```

```
MSE: 18266.31046933536
```

```
RMSE: 135.1529151344334
```

```
R^2 0.8964203264448544
```

Visualize your result

```
plt.scatter(y_pred, y_test)
plt.xlabel('y-pred')
plt.ylabel('y-actual')
```

```
Text(0, 0.5, 'y-actual')
```

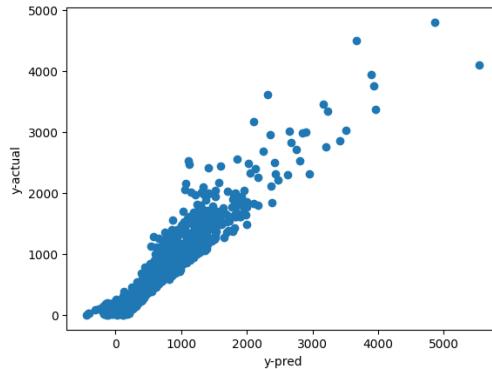


Figure 7.11 A Comparison with Predicted and True Values

### 7.2.1.3 Try with More Independent Variables

Prepare independent variable

```
X = np.array(df[['housing_median_age',
                  'total_rooms',
                  'population',
                  'households',
                  'median_income',
                  'median_house_value']]).reshape(-1, 6)
```

Prepare dependent variable

```
y = np.array(df['total_bedrooms']).reshape(-1, 1)
```

Split train and test data

```
from sklearn.model_selection import train_test_split
```

```
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

Train the model

```
from sklearn.linear_model import LinearRegression
```

```
reg = LinearRegression()
model = reg.fit(X_train, y_train)
```

```
model.coef_, model.intercept_
```

```
(array([[-5.94684469e-01,  5.52456541e-02, -3.56695472e-02,
       8.76891707e-01, -2.09843990e+01,  8.70098041e-05]]),
array([85.2479423]))
```

Evaluate the model

```
from sklearn.metrics
import mean_absolute_error,mean_squared_error, r2_score

y_pred = model.predict(X_test)
mae = mean_absolute_error(y_true=y_test,y_pred=y_pred)
mse = mean_squared_error(y_true=y_test,y_pred=y_pred)
rmse = mean_squared_error(y_true=y_test,y_pred=y_pred,squared=False)
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)

print('MAE: {} MSE: {} RMSE: {} R^2 {}'.format(mae, mse, rmse, r2))
```

```
MAE: 37.49868335804146
MSE: 4751.900928762269
RMSE: 68.9340331676761
R^2 0.9751011683609353
```

Visualize your result

```
plt.scatter(y_pred, y_test)
plt.xlabel('y-pred')
plt.ylabel('y-actual')
```

```
Text(0, 0.5, 'y-actual')
```

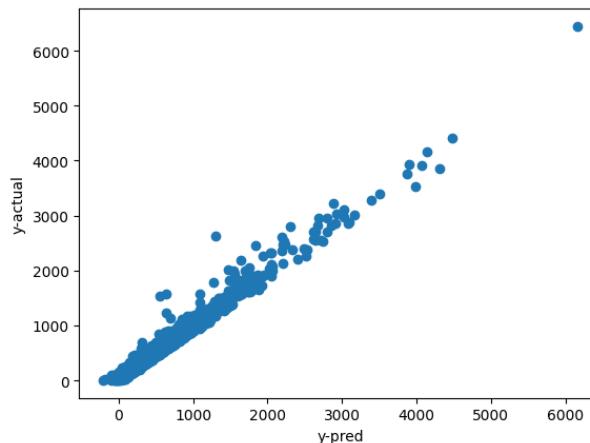


Figure 7.12 A Comparison with Predicted and True Values

## 7.3 REGULARIZATION

---

Regularization is a crucial technique in machine learning that helps prevent overfitting, a common problem where a model learns the training data too well but struggles to generalize to unseen data. Overfitting occurs when a model fits the training data noise instead of capturing the underlying patterns. Regularization is a set of techniques designed to mitigate overfitting by adding constraints to the model. Scikit-learn provides tools to implement regularization techniques effectively. You will explore practical implementation steps, including using regularization techniques such as Ridge (L2 regularization) and Lasso (L1 regularization) with the appropriate Ridge and Lasso classes in Scikit-learn, tuning hyperparameters to control the strength of regularization and balance bias and variance, and assessing model performance and comparing regularized models with non-regularized ones.

### 7.3.1 Tutorial – Regularization

Below is a step-by-step Python tutorial for regression analysis using a dataset, demonstrating Linear Regression, Polynomial Regression, and regularization techniques (Ridge, Lasso, Elastic Net) to handle overfitting.

#### 7.3.1.1 Setup

You can either use a real dataset or generate a dummy dataset for this tutorial. For simplicity, let's create a dummy dataset using NumPy.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression, Ridge, Lasso, ElasticNet
from sklearn.preprocessing import PolynomialFeatures
from sklearn.metrics import r2_score, mean_squared_error
```

```
# Generating a dummy dataset
X = np.linspace(0, 5, 100).reshape(-1, 1)
y = -5*X + X**2 + np.random.normal(0, 0.5, X.shape[0]).reshape(-1, 1)

plt.scatter(X, y)
```

```
<matplotlib.collections.PathCollection at 0x79a048d0e680>
```

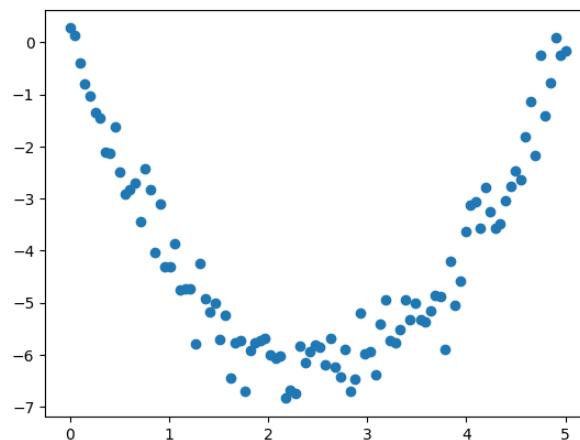


Figure 7.13 A Scatter Plot of X VS Y

### 7.3.1.2 Linear Regression

Let's start with Linear Regression to see how well it fits the data.

```
# Split the data into training and testing sets
X_train, X_test, y_train, y_test =
    train_test_split(X, y, test_size=0.2, random_state=0)

# Create and fit the linear regression model
linear_model = LinearRegression()
linear_model.fit(X_train, y_train)

# Make predictions on training and testing data
y_train_pred = linear_model.predict(X_train)
y_test_pred = linear_model.predict(X_test)

# Calculate R-squared and mean squared error for evaluation
linear_r2_train = r2_score(y_train, y_train_pred)
linear_r2_test = r2_score(y_test, y_test_pred)
linear_mse_train = mean_squared_error(y_train, y_train_pred)
linear_mse_test = mean_squared_error(y_test, y_test_pred)

print(f"Linear Regression:")
print(f"Training R-squared: {linear_r2_train:.4f}")
    , Training MSE: {linear_mse_train:.4f}")
print(f"Testing R-squared: {linear_r2_test:.4f}")
    , Testing MSE: {linear_mse_test:.4f}")
```

Linear Regression:  
 Training R-squared: 0.0008, Training MSE: 3.9027  
 Testing R-squared: -0.0453, Testing MSE: 3.5428

### 7.3.1.3 Polynomial Regression with Degree of 2

Now, let's perform Polynomial Regression with a degree of 2 to capture more complex relationships in the data.

```
# Transform the features to include polynomial features of degree 2
poly = PolynomialFeatures(degree=2)
X_poly = poly.fit_transform(X)

# Split the polynomial features into training and testing sets
X_poly_train, X_poly_test, y_train, y_test
    = train_test_split(X_poly, y, test_size=0.2, random_state=0)

# Create and fit the polynomial regression model
poly_model = LinearRegression()
poly_model.fit(X_poly_train, y_train)

# Make predictions on training and testing data
y_train_pred_poly = poly_model.predict(X_poly_train)
y_test_pred_poly = poly_model.predict(X_poly_test)

# Calculate R-squared and mean squared error for evaluation
poly_r2_train = r2_score(y_train, y_train_pred_poly)
poly_r2_test = r2_score(y_test, y_test_pred_poly)
poly_mse_train = mean_squared_error(y_train, y_train_pred_poly)
poly_mse_test = mean_squared_error(y_test, y_test_pred_poly)

print(f"\nPolynomial Regression (Degree 2):")
print(f"Training R-squared: {poly_r2_train:.4f}")
    , Training MSE: {poly_mse_train:.4f}")
print(f"Testing R-squared: {poly_r2_test:.4f}")
    , Testing MSE: {poly_mse_test:.4f}")
```

```
Polynomial Regression (Degree 2):
Training R-squared: 0.9529, Training MSE: 0.1841
Testing R-squared: 0.9229, Testing MSE: 0.2612
```

### 7.3.1.4 Polynomial Regression with Higher Degree

Next, let's perform Polynomial Regression with a higher degree to observe overfitting. The training result is better than the testing result.

```
# Transform the features to include polynomial features of higher
degree = 21
poly_high_degree = PolynomialFeatures(degree=degree)
X_poly_high_degree = poly_high_degree.fit_transform(X)

# Split the high-degree polynomial features into training and testing sets
X_poly_high_degree_train, X_poly_high_degree_test, y_train, y_test
    = train_test_split(X_poly_high_degree, y, test_size=0.2)
```

```

    , random_state=0)

# Create and fit the high-degree polynomial regression model
poly_model_high_degree = LinearRegression()
poly_model_high_degree.fit(X_poly_high_degree_train, y_train)

# Make predictions on training and testing data
y_train_pred_high_degree
    = poly_model_high_degree.predict(X_poly_high_degree_train)
y_test_pred_high_degree
    = poly_model_high_degree.predict(X_poly_high_degree_test)

# Calculate R-squared and mean squared error for evaluation
poly_r2_train_high_degree
    = r2_score(y_train, y_train_pred_high_degree)
poly_r2_test_high_degree
    = r2_score(y_test, y_test_pred_high_degree)
poly_mse_train_high_degree
    = mean_squared_error(y_train, y_train_pred_high_degree)
poly_mse_test_high_degree
    = mean_squared_error(y_test, y_test_pred_high_degree)

print(f"\nPolynomial Regression (Degree {degree}):\n")
print(f"Training R-squared: {poly_r2_train_high_degree:.4f}\n"
      , Training MSE: {poly_mse_train_high_degree:.4f}")
print(f"Testing R-squared: {poly_r2_test_high_degree:.4f}\n"
      , Testing MSE: {poly_mse_test_high_degree:.4f})
```

Polynomial Regression (Degree 21):  
 Training R-squared: 0.9616, Training MSE: 0.1501  
 Testing R-squared: 0.9100, Testing MSE: 0.3049

### 7.3.1.5 Regularization (Ridge, Lasso, Elastic Net)

Finally, let's introduce regularization techniques to mitigate overfitting in the high-degree Polynomial Regression.

```

# Regularization strengths
alpha_ridge = 0.001
alpha_lasso = 0.001
alpha_elasticnet = 0.001
l1_ratio_elasticnet = 0.5

# Create and fit the Ridge, Lasso, and ElasticNet regression models
ridge_model = Ridge(alpha=alpha_ridge)
ridge_model.fit(X_poly_high_degree_train, y_train)

lasso_model = Lasso(alpha=alpha_lasso)
lasso_model.fit(X_poly_high_degree_train, y_train)
```

```

elasticnet_model = ElasticNet(alpha=alpha_elasticnet
    , l1_ratio=l1_ratio_elasticnet)
elasticnet_model.fit(X_poly_high_degree_train, y_train)

# Make predictions on training and testing data for all regularized models
y_train_pred_ridge = ridge_model.predict(X_poly_high_degree_train)
y_test_pred_ridge = ridge_model.predict(X_poly_high_degree_test)

y_train_pred_lasso = lasso_model.predict(X_poly_high_degree_train)
y_test_pred_lasso = lasso_model.predict(X_poly_high_degree_test)

y_train_pred_elasticnet = elasticnet_model.predict(X_poly_high_degree_train)
y_test_pred_elasticnet = elasticnet_model.predict(X_poly_high_degree_test)

# Calculate R-squared and mean squared error for evaluation
ridge_r2_train = r2_score(y_train, y_train_pred_ridge)
ridge_r2_test = r2_score(y_test, y_test_pred_ridge)
ridge_mse_train = mean_squared_error(y_train, y_train_pred_ridge)
ridge_mse_test = mean_squared_error(y_test, y_test_pred_ridge)

lasso_r2_train = r2_score(y_train, y_train_pred_lasso)
lasso_r2_test = r2_score(y_test, y_test_pred_lasso)
lasso_mse_train = mean_squared_error(y_train, y_train_pred_lasso)
lasso_mse_test = mean_squared_error(y_test, y_test_pred_lasso)

elasticnet_r2_train = r2_score(y_train, y_train_pred_elasticnet)
elasticnet_r2_test = r2_score(y_test, y_test_pred_elasticnet)
elasticnet_mse_train = mean_squared_error(y_train, y_train_pred_elasticnet)
elasticnet_mse_test = mean_squared_error(y_test, y_test_pred_elasticnet)

print("\nRegularization:")
print(f"Ridge Regression - Training R-squared: {ridge_r2_train:.4f}")
    , Testing R-squared: {ridge_r2_test:.4f}")
print(f"Lasso Regression - Training R-squared: {lasso_r2_train:.4f}")
    , Testing R-squared: {lasso_r2_test:.4f}")
print(f"ElasticNet Regression - Training R-squared: {elasticnet_r2_
train:.4f}
    , Testing R-squared: {elasticnet_r2_test:.4f}")

```

#### Regularization:

Ridge Regression - Training R-squared: 0.9627, Testing R-squared: 0.9151  
Lasso Regression - Training R-squared: 0.9554, Testing R-squared: 0.9225  
ElasticNet Regression - Training R-squared: 0.9552, Testing R-squared: 0.9228

### 7.3.2 Case Study – California Housing Price

Let's use the California Housing Prices dataset to create a regularization tutorial for regression analysis. We will perform Ridge, Lasso, and Elastic Net regularization techniques to handle overfitting in a Linear Regression model.

This tutorial demonstrates the use of different regularization techniques (Ridge, Lasso, Elastic Net) for regression analysis on the California Housing Prices dataset. Users will be able to understand how regularization helps in controlling overfitting and improving the generalization of Linear Regression models. They can further explore other real-world datasets and apply different regularization strategies to improve the performance of regression models effectively.

### 7.3.2.1 Setup

We'll start by importing the necessary libraries for data manipulation, visualization, and regression analysis.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import fetch_california_housing
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression, Ridge, Lasso, ElasticNet
from sklearn.preprocessing import PolynomialFeatures, StandardScaler
from sklearn.metrics import r2_score, mean_squared_error
```

### 7.3.2.2 Load and Prepare the Dataset

Next, we'll load the California Housing Prices dataset and prepare it for regression analysis.

```
# Load the California Housing Prices dataset
data = fetch_california_housing()
X = data.data
y = data.target

# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2
                                                    , random_state=42)

# Standardize the features
scaler = StandardScaler()
X_train_scaled = scaler.fit_transform(X_train)
X_test_scaled = scaler.transform(X_test)
```

### 7.3.2.3 Linear Regression (Baseline)

Let's start with a Simple Linear Regression model as a baseline.

```
# Create and fit the linear regression model
linear_model = LinearRegression()
linear_model.fit(X_train_scaled, y_train)

# Make predictions on training and testing data
y_train_pred = linear_model.predict(X_train_scaled)
y_test_pred = linear_model.predict(X_test_scaled)
```

```
# Calculate R-squared and mean squared error for evaluation
linear_r2_train = r2_score(y_train, y_train_pred)
linear_r2_test = r2_score(y_test, y_test_pred)
linear_mse_train = mean_squared_error(y_train, y_train_pred)
linear_mse_test = mean_squared_error(y_test, y_test_pred)

print(f"Linear Regression (Baseline):")
print(f"Training R-squared: {linear_r2_train:.4f}")
    , Training MSE: {linear_mse_train:.4f}")
print(f"Testing R-squared: {linear_r2_test:.4f}")
    , Testing MSE: {linear_mse_test:.4f}")
```

```
Linear Regression (Baseline):
Training R-squared: 0.6126, Training MSE: 0.5179
Testing R-squared: 0.5758, Testing MSE: 0.5559
```

#### 7.3.2.4 Polynomial Regression

Next, let's perform Polynomial Regression with different degrees.

```
# Polynomial degrees
degrees = [2, 3, 4]

# Create and fit the polynomial regression models with different degrees
polynomial_models = []
polynomial_r2_train_scores = []
polynomial_r2_test_scores = []

for degree in degrees:
    poly_features = PolynomialFeatures(degree=degree)
    X_train_poly = poly_features.fit_transform(X_train_scaled)
    X_test_poly = poly_features.transform(X_test_scaled)

    model = LinearRegression()
    model.fit(X_train_poly, y_train)
    polynomial_models.append(model)

    # Make predictions on training and testing data
    y_train_pred = model.predict(X_train_poly)
    y_test_pred = model.predict(X_test_poly)

    # Calculate R-squared for evaluation
    polynomial_r2_train = r2_score(y_train, y_train_pred)
    polynomial_r2_test = r2_score(y_test, y_test_pred)

    polynomial_r2_train_scores.append(polynomial_r2_train)
    polynomial_r2_test_scores.append(polynomial_r2_test)

# Find the best degree based on the testing R-squared score
best_degree = degrees[np.argmax(polynomial_r2_test_scores)]
```

```
print(f"\nPolynomial Regression:")
print(f"Best Degree: {best_degree}")
print(f"Training R-squared Scores: {polynomial_r2_train_scores}")
print(f"Testing R-squared Scores: {polynomial_r2_test_scores}")
```

```
Polynomial Regression:
Best Degree: 2
Training R-squared Scores:
[0.6852681982344955, 0.7441415681335484, 0.7893228446487628]
Testing R-squared Scores:
[0.6456819729261878, -18.38870805843526, -11476.104183339065]
```

### 7.3.2.5 Ridge Regression

Now, let's perform Ridge Regression with different alpha values.

```
# Regularization strengths (alpha values)
alphas = [0.001, 0.01, 0.1, 1, 10, 30, 50]

poly_features = PolynomialFeatures(degree=2)
X_train_poly = poly_features.fit_transform(X_train_scaled)
X_test_poly = poly_features.transform(X_test_scaled)

# Create and fit the Ridge regression models with different alpha values
ridge_models = []
ridge_r2_train_scores = []
ridge_r2_test_scores = []

for alpha in alphas:
    ridge_model = Ridge(alpha=alpha)
    ridge_model.fit(X_train_poly, y_train)
    ridge_models.append(ridge_model)

    # Make predictions on training and testing data
    y_train_pred = ridge_model.predict(X_train_poly)
    y_test_pred = ridge_model.predict(X_test_poly)

    # Calculate R-squared for evaluation
    ridge_r2_train = r2_score(y_train, y_train_pred)
    ridge_r2_test = r2_score(y_test, y_test_pred)

    ridge_r2_train_scores.append(ridge_r2_train)
    ridge_r2_test_scores.append(ridge_r2_test)

# Find the best alpha based on the testing R-squared score
best_alpha_ridge = alphas[np.argmax(ridge_r2_test_scores)]

print(f"\nRidge Regression:")
print(f"Best Alpha: {best_alpha_ridge:.4f}")
```

```
print(f"Training R-squared Scores: {ridge_r2_train_scores}")
print(f"Testing R-squared Scores: {ridge_r2_test_scores}")
```

```
Ridge Regression:
Best Alpha: 50.0000
Training R-squared Scores:
[0.6852681982309979, 0.6852681978848241, 0.6852681633541837,
 0.685264794671512, 0.6849940748677977, 0.6835523857209759,
 0.6816443257072609]
Testing R-squared Scores:
[0.645683225805578, 0.6456944994375847, 0.6458070098962285,
 0.6469096540341595, 0.6558501677208112, 0.6655692803642396,
 0.6672535561034868]
```

### 7.3.2.6 Lasso Regression

Next, let's perform Lasso Regression with different alpha values.

```
# Create and fit the Lasso regression models with different alpha values
lasso_models = []
lasso_r2_train_scores = []
lasso_r2_test_scores = []

for alpha in alphas:
    lasso_model = Lasso(alpha=alpha)
    lasso_model.fit(X_train_poly, y_train)
    lasso_models.append(lasso_model)

    # Make predictions on training and testing data
    y_train_pred = lasso_model.predict(X_train_poly)
    y_test_pred = lasso_model.predict(X_test_poly)

    # Calculate R-squared for evaluation
    lasso_r2_train = r2_score(y_train, y_train_pred)
    lasso_r2_test = r2_score(y_test, y_test_pred)

    lasso_r2_train_scores.append(lasso_r2_train)
    lasso_r2_test_scores.append(lasso_r2_test)

# Find the best alpha based on the testing R-squared score
best_alpha_lasso = alphas[np.argmax(lasso_r2_test_scores)]

print(f"\nLasso Regression:")
print(f"Best Alpha: {best_alpha_lasso:.4f}")
print(f"Training R-squared Scores: {lasso_r2_train_scores}")
print(f"Testing R-squared Scores: {lasso_r2_test_scores}")
```

```
Lasso Regression:
Best Alpha: 0.0010
Training R-squared Scores:
```

```
[0.6830030979089348, 0.6305732853769765, 0.500981674817156,
0.033220008724097694, 0.0, 0.0,
0.0]
Testing R-squared Scores:
[0.6686741743527673, 0.533056472931786, 0.4823562161721351,
0.032132551538488596, -0.00021908714592466794, -0.00021908714592466794,
-0.00021908714592466794]
```

### 7.3.2.7 Elastic Net Regression

Finally, let's perform Elastic Net Regression with different alpha and l1\_ratio values.

```
# ElasticNet parameters (alpha and l1_ratio values)
alphas_elasticnet = [0.001, 0.01, 0.1, 1, 10, 50]
l1_ratios = [0.2, 0.5, 0.7, 0.9]

# Create and fit the models with different alpha and l1_ratio values
elasticnet_models = []
elasticnet_r2_train_scores = []
elasticnet_r2_test_scores = []

for alpha in alphas_elasticnet:
    for l1_ratio in l1_ratios:
        elasticnet_model = ElasticNet(alpha=alpha, l1_ratio=l1_ratio)
        elasticnet_model.fit(X_train_poly, y_train)
        elasticnet_models.append(elasticnet_model)

        # Make predictions on training and testing data
        y_train_pred = elasticnet_model.predict(X_train_poly)
        y_test_pred = elasticnet_model.predict(X_test_poly)

        # Calculate R-squared for evaluation
        elasticnet_r2_train = r2_score(y_train, y_train_pred)
        elasticnet_r2_test = r2_score(y_test, y_test_pred)

        elasticnet_r2_train_scores.append(elasticnet_r2_train)
        elasticnet_r2_test_scores.append(elasticnet_r2_test)

# Find the best alpha and l1_ratio based on the testing R-squared score
best_alpha_elasticnet, best_l1_ratio_elasticnet =
    alphas_elasticnet[np.argmax(elasticnet_r2_test_scores)//len(l1_ratios)], 
    l1_ratios[np.argmax(elasticnet_r2_test_scores) % len(l1_ratios)]

print(f"\nElasticNet Regression:")
print(f"Best Alpha: {best_alpha_elasticnet:.4f}")
    , Best l1_ratio: {best_l1_ratio_elasticnet:.1f}")
print(f"Training R-squared Scores: {elasticnet_r2_train_scores}")
print(f"Testing R-squared Scores: {elasticnet_r2_test_scores}")
```

```
ElasticNet Regression:
Best Alpha: 0.0010, Best l1_ratio: 0.9
```

Training R-squared Scores:

```
[0.6840310978294589, 0.6837217689230024, 0.6834122448233106,
0.6831585830280078, 0.6641895730066483, 0.654089814353995,
0.6463124687609253, 0.6364839821265846, 0.5619051580675156,
0.5325527976563843, 0.5104019630875991, 0.5043656964193155,
0.3174625276332542, 0.21148526134241852, 0.08567216955936541,
0.05311242187826348, 0.0, 0.0,
0.0, 0.0, 0.0,
```

Testing R-squared Scores:

```
[0.665131384671392, 0.6672768269417034, 0.6679746333269325,
0.6687496873021064, 0.5953794418651244, 0.534895420337363,
0.5324894830873397, 0.53544136023843, 0.5437773103890866,
0.5153003945070083, 0.49307869728746057, 0.4864961977437864,
0.30776990091131096, 0.2058625168336501, 0.0831325334530788,
0.051496641763479345, -0.00021908714592466794, -0.00021908714592466794,
-0.00021908714592466794, -0.00021908714592466794, -0.00021908714592466794,
-0.00021908714592466794, -0.00021908714592466794]
```

### 7.3.2.8 Visualization

You can visualize the R-squared scores for different regularization techniques.

```
# Plotting R-squared scores for different regularization techniques
plt.figure(figsize=(12, 6))

plt.subplot(1, 2, 1)
plt.plot(alphas, ridge_r2_test_scores, label="Ridge Regression")
plt.plot(alphas, lasso_r2_test_scores, label="Lasso Regression")
plt.plot(elasticnet_r2_test_scores, label="ElasticNet Regression")
plt.xlabel("Alpha (Regularization Strength)")
plt.ylabel("Testing R-squared")
plt.title("R-squared Scores for Different Regularization Techniques")
plt.legend()

plt.subplot(1, 2, 2)
plt.plot(degrees, polynomial_r2_test_scores, marker='o')
plt.xlabel("Polynomial Degree")
plt.ylabel("Testing R-squared")
plt.title("R-squared Scores for Different Polynomial Degrees")
plt.xticks(degrees)
plt.tight_layout()
plt.show()
```

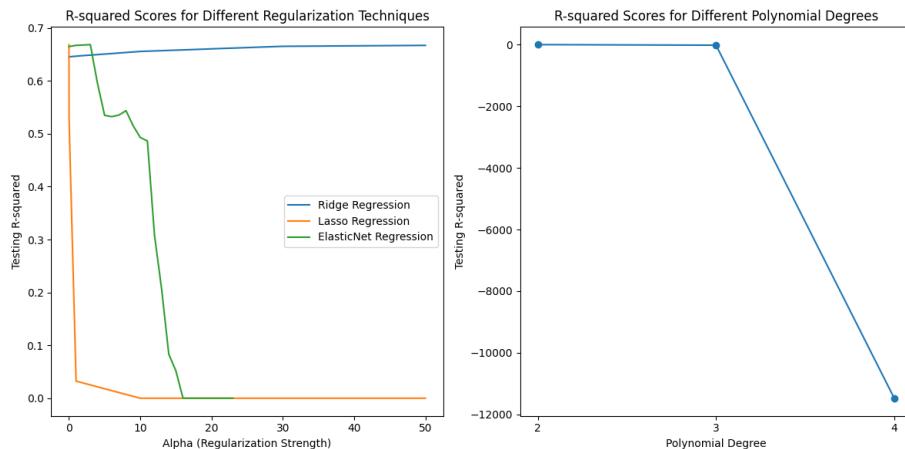


Figure 7.14 Performance Comparison between Polynomial Regression and Regularization

## 7.4 CROSS-VALIDATION

Cross-validation is a technique used to estimate how well a model will perform on unseen data by systematically splitting the dataset into multiple subsets. It helps in mitigating issues like overfitting and provides a more robust evaluation of model performance. Scikit-learn provides user-friendly tools to implement cross-validation effectively. You will explore practical implementation steps, including using the KFold or StratifiedKFold classes in Scikit-learn to create cross-validation folds, employing the cross\_val\_score function to evaluate model performance using cross-validation, and understanding the use of different scoring metrics (e.g., accuracy, mean squared error) for evaluation.

### 7.4.1 Tutorial – Cross-Validation

We will generate a dummy dataset for regression and demonstrate how to perform 3-fold, 5-fold, 10-fold, and leave-one-out cross-validation for regression models. Finally, we will compare the results to understand the performance of each approach.

#### 7.4.1.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.model_selection import KFold, LeaveOneOut
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error
```

#### 7.4.1.2 Generate Dummy Dataset

Let's generate a dummy dataset for regression analysis using NumPy.

```
# Generating a dummy dataset
np.random.seed(0)
X = np.linspace(0, 10, 100).reshape(-1, 1)
y = X + np.random.normal(0, 1, X.shape[0]).reshape(-1, 1)
plt.scatter(X, y)
```

```
<matplotlib.collections.PathCollection at 0x7c68f21d7e50>
```

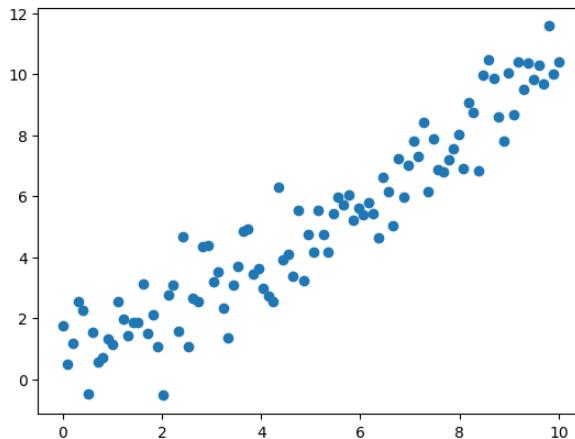


Figure 7.15 A Scatter Plot of X VS Y

#### 7.4.1.3 Cross-Validation

Now, we'll perform cross-validation using different techniques and compare the results.

```
# Create a list to store the MSEs for different techniques
mse_scores = []

# List of cross-validation techniques to be used
cv_methods = ['3-fold', '5-fold', '10-fold', 'Leave-One-Out']

for cv_method in cv_methods:
    if cv_method == '3-fold':
        cv = KFold(n_splits=3, shuffle=True, random_state=0)
    elif cv_method == '5-fold':
        cv = KFold(n_splits=5, shuffle=True, random_state=0)
    elif cv_method == '10-fold':
        cv = KFold(n_splits=10, shuffle=True, random_state=0)
    else:
        cv = LeaveOneOut()
```

```

# Create and fit the linear regression model using cross-validation
model = LinearRegression()
mse_scores_cv = []

for train_idx, test_idx in cv.split(X):
    X_train, X_test = X[train_idx], X[test_idx]
    y_train, y_test = y[train_idx], y[test_idx]

    model.fit(X_train, y_train)
    y_pred = model.predict(X_test)

    mse = mean_squared_error(y_test, y_pred)
    mse_scores_cv.append(mse)

mse_scores.append(np.mean(mse_scores_cv))

# Display the mean squared errors for different cross-validation techniques
for i, cv_method in enumerate(cv_methods):
    print(f"{cv_method}")
    Cross-Validation - Mean Squared Error: {mse_scores[i]:.4f}")

```

3-fold Cross-Validation - Mean Squared Error: 1.0650  
 5-fold Cross-Validation - Mean Squared Error: 1.0840  
 10-fold Cross-Validation - Mean Squared Error: 1.0566  
 Leave-One-Out Cross-Validation - Mean Squared Error: 1.0510

#### 7.4.1.4 Visualization

We can also visualize the mean squared errors for different cross-validation techniques using a bar plot.

```

# Plotting mean squared errors for different cross-validation techniques
plt.figure(figsize=(8, 6))
plt.bar(cv_methods, mse_scores)
plt.xlabel("Cross-Validation Method")
plt.ylabel("Mean Squared Error")
plt.title("Mean Squared Error for Different Cross-Validation Techniques")
plt.show()

```

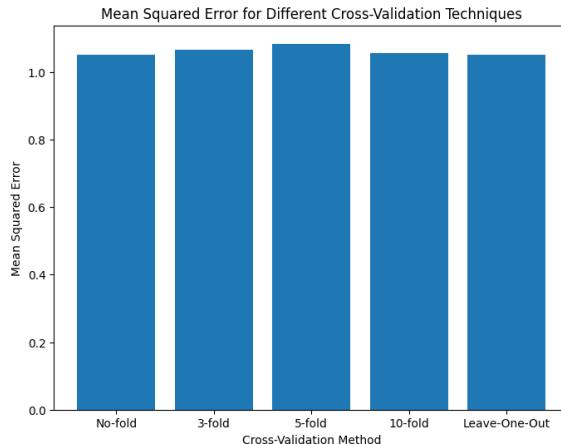


Figure 7.16 Mean Squared Error for Different Cross-Validation Techniques

### 7.4.2 Case Study – California Housing Price

Let's use the California Housing Prices dataset, which is available in Scikit-learn, for this tutorial. We'll perform cross-validation using 5-fold and leave-one-out techniques and compare the results.

#### 7.4.2.1 Setup

We'll start by importing the necessary libraries for data manipulation, cross-validation, regression, and dataset loading.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import fetch_california_housing
from sklearn.model_selection import KFold, LeaveOneOut
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error
```

#### 7.4.2.2 Load and Explore the Dataset

Next, we'll load the California Housing Prices dataset and explore its features and target variable.

```
# Load the California Housing Prices dataset
data = fetch_california_housing()
X = data.data
y = data.target

# Convert the dataset to a DataFrame for easier exploration
df = pd.DataFrame(data=np.c_[X, y],
                   columns=data.feature_names + ['target'])
```

```
# Print the first few rows of the dataset
print(df.head())
```

	MedInc	HouseAge	AveRooms	AveBedrms	Population	AveOccup	Latitude	Longitude	target
0	8.3252	41.0	6.984127	1.023810	322.0	2.555556	37.88	-122.23	4.526
1	8.3014	21.0	6.238137	0.971880	2401.0	2.109842	37.86	-122.22	3.585
2	7.2574	52.0	8.288136	1.073446	496.0	2.802260	37.85	-122.24	3.521
3	5.6431	52.0	5.817352	1.073059	558.0	2.547945	37.85	-122.25	3.413
4	3.8462	52.0	6.281853	1.081081	565.0	2.181467	37.85	-122.25	3.422

#### 7.4.2.3 Cross-Validation

Now, we'll perform cross-validation using different techniques and compare the results.

```
# Create a list to store the MSEs for different techniques
mse_scores = []

# List of cross-validation techniques to be used
cv_methods = ['3-fold', '5-fold', '10-fold', 'Leave-One-Out']

for cv_method in cv_methods:
    if cv_method == '3-fold':
        cv = KFold(n_splits=3, shuffle=True, random_state=0)
    elif cv_method == '5-fold':
        cv = KFold(n_splits=5, shuffle=True, random_state=0)
    elif cv_method == '10-fold':
        cv = KFold(n_splits=10, shuffle=True, random_state=0)
    else:
        cv = LeaveOneOut()

    # Create and fit the linear regression model using cross-validation
    model = LinearRegression()
    mse_scores_cv = []

    for train_idx, test_idx in cv.split(X):
        X_train, X_test = X[train_idx], X[test_idx]
        y_train, y_test = y[train_idx], y[test_idx]

        model.fit(X_train, y_train)
        y_pred = model.predict(X_test)

        mse = mean_squared_error(y_test, y_pred)
        mse_scores_cv.append(mse)
```

```

mse_scores.append(np.mean(mse_scores_cv))

# Display the mean squared errors for different cross-validation techniques
for i, cv_method in enumerate(cv_methods):
    print(f"{cv_method}
          Cross-Validation - Mean Squared Error: {mse_scores[i]:.4f}")

```

3-fold Cross-Validation - Mean Squared Error: 0.5264  
 5-fold Cross-Validation - Mean Squared Error: 0.5277  
 10-fold Cross-Validation - Mean Squared Error: 0.5279  
 Leave-One-Out Cross-Validation - Mean Squared Error: 0.5282

#### 7.4.2.4 Visualization

We can visualize the mean squared errors for different cross-validation techniques using a bar plot.

```

# Plotting mean squared errors for different cross-validation techniques
plt.figure(figsize=(8, 6))
plt.bar(cv_methods, mse_scores)
plt.xlabel("Cross-Validation Method")
plt.ylabel("Mean Squared Error")
plt.title("Mean Squared Error for Different Cross-Validation Techniques")
plt.show()

```

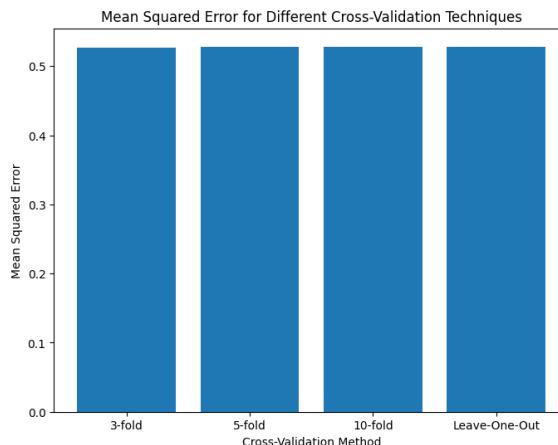


Figure 7.17 Mean Squared Error for Different Cross-Validation Techniques

## 7.5 ENSEMBLE METHODS

Ensemble methods are powerful techniques in machine learning that combine the predictions of multiple models to improve overall predictive performance. Ensemble methods leverage the wisdom of crowds by combining multiple models to make predictions that are often more accurate and robust than those of individual models.

They are particularly effective in reducing overfitting and improving generalization. In this section, you will gain a foundational understanding of ensemble methods. Bagging is an ensemble technique that builds multiple base models in parallel, each trained on a different subset of the training data. Boosting is an ensemble technique that builds base models sequentially, with each model focusing on the mistakes made by the previous ones. Stacking is an advanced ensemble technique that combines the predictions of multiple base models using a meta-learner. In this section, you will learn a comprehensive understanding of ensemble methods, including Bagging, Boosting, and Stacking, using the Scikit-learn package.

### 7.5.1 Tutorial – Iris Binary Classification Using Random Forests

<https://scikit-learn.org/stable/modules/generated/sklearn.ensemble.RandomForestClassifier.html>

#### 7.5.1.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame(
    {'Sepal length': iris.data[:, 0],
     'Sepal width': iris.data[:, 1],
     'Petal length': iris.data[:, 2],
     'Petal width': iris.data[:, 3],
     'Species': iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df = df[df['Species'] != 0]
```

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 100 entries, 50 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype 

```

```
0   Sepal length  100 non-null    float64
1   Sepal width   100 non-null    float64
2   Petal length  100 non-null    float64
3   Petal width   100 non-null    float64
4   Species       100 non-null    int64
dtypes: float64(4), int64(1)
memory usage: 4.7 KB
```

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width',
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7fe5f92a1d30>
```

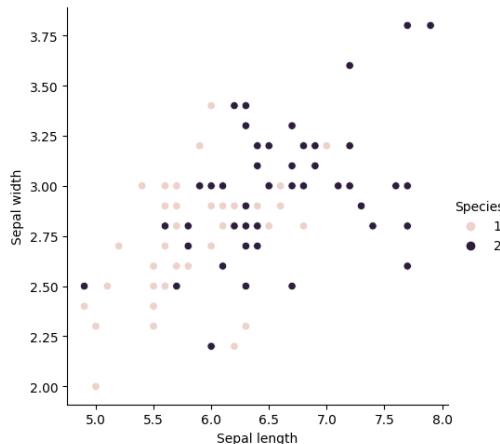


Figure 7.18 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split training and testing datasets are split with `test_size` as ratio. Here we use 80% for training and 20% for testing

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

```
X_train
```

	Sepal length	Sepal width	Petal length	Petal width
147	6.5	3.0	5.2	2.0
109	7.2	3.6	6.1	2.5
69	5.6	2.5	3.9	1.1
92	5.8	2.6	4.0	1.2
145	6.7	3.0	5.2	2.3
..	...	...	...	...
136	6.3	3.4	5.6	2.4

```
138      6.0      3.0      4.8      1.8
76       6.8      2.8      4.8      1.4
114      5.8      2.8      5.1      2.4
55       5.7      2.8      4.5      1.3
```

[80 rows x 4 columns]

### 7.5.1.2 Train Your Model

```
from sklearn.ensemble import RandomForestClassifier
classifier = RandomForestClassifier(n_estimators=10)
classifier.fit(X_train, y_train)
```

RandomForestClassifier(n\_estimators=10)

### 7.5.1.3 Evaluate Your Model

```
y_pred = classifier.predict(X_test)
```

```
from sklearn.metrics import classification_report
, confusion_matrix, accuracy_score
print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))
```

```
[[10  0]
 [ 1  9]]
Accuracy: 0.95
```

## 7.5.2 Tutorial – Iris Multi Classification Using Random Forests

<https://scikit-learn.org/stable/modules/generated/sklearn.ensemble.RandomForestClassifier.html>

### 7.5.2.1 Setup

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn import datasets
```

Load the dataset iris

```
iris = datasets.load_iris()
```

```
df = pd.DataFrame(
{'Sepal length': iris.data[:,0],
 'Sepal width': iris.data[:,1],
 'Petal length':iris.data[:,2],
```

```
'Petal width':iris.data[:,3],
'Species':iris.target})
df.head()
```

	Sepal length	Sepal width	Petal length	Petal width	Species
0	5.1	3.5	1.4	0.2	0
1	4.9	3.0	1.4	0.2	0
2	4.7	3.2	1.3	0.2	0
3	4.6	3.1	1.5	0.2	0
4	5.0	3.6	1.4	0.2	0

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          
 0   Sepal length  150 non-null   float64 
 1   Sepal width   150 non-null   float64 
 2   Petal length  150 non-null   float64 
 3   Petal width   150 non-null   float64 
 4   Species       150 non-null   int64  
dtypes: float64(4), int64(1)
memory usage: 6.0 KB
```

```
sns.relplot(data = df, x = 'Sepal length', y = 'Sepal width'
            , hue = 'Species')
```

```
<seaborn.axisgrid.FacetGrid at 0x7fe8817e8cd0>
```

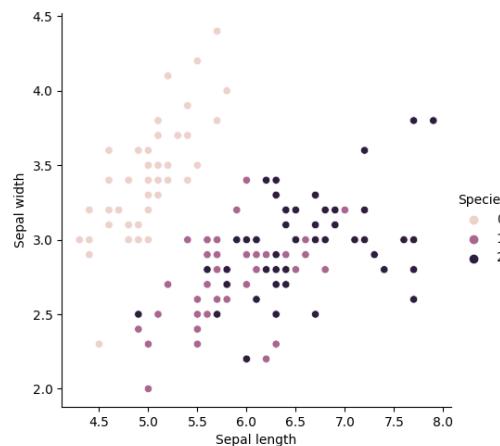


Figure 7.19 A Scatter Plot of Sepal Length VS Sepal Width with Species Differentiation

Train-test split training and testing datasets are split with test\_size as ratio. Here we use 80% for training and 20% for testing

```
from sklearn.model_selection import train_test_split

X = df[df.columns[:4]]
y = df[df.columns[-1]]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.20)
```

X\_train

	Sepal length	Sepal width	Petal length	Petal width
118	7.7	2.6	6.9	2.3
45	4.8	3.0	1.4	0.3
28	5.2	3.4	1.4	0.2
57	4.9	2.4	3.3	1.0
98	5.1	2.5	3.0	1.1
..	...	...	...	...
126	6.2	2.8	4.8	1.8
91	6.1	3.0	4.6	1.4
43	5.0	3.5	1.6	0.6
90	5.5	2.6	4.4	1.2
110	6.5	3.2	5.1	2.0

[120 rows x 4 columns]

### 7.5.2.2 Train Your Model

```
from sklearn.ensemble import RandomForestClassifier
classifier = RandomForestClassifier(n_estimators=10)
classifier.fit(X_train, y_train)
```

RandomForestClassifier(n\_estimators=10)

### 7.5.2.3 Evaluate Your Model

y\_pred = classifier.predict(X\_test)

```
from sklearn.metrics import classification_report
    , confusion_matrix, accuracy_score
print(confusion_matrix(y_test, y_pred))
print('Accuracy:', accuracy_score(y_test,y_pred))
```

```
[[11  0  0]
 [ 0  6  0]
 [ 0  1 12]]
Accuracy: 0.9666666666666667
```

### 7.5.3 Case Study – California Housing Price

Let's create a comprehensive tutorial that includes Linear Regression, Polynomial Regression, Polynomial Regression with regularization, Multivariable Regression (using multiple features), and ensemble methods using the California Housing Prices dataset.

We will explore three popular ensemble techniques: Bagging, Boosting, and Stacking. For this tutorial, we'll use the Gradient Boosting Regressor, Random Forest Regressor, and a Simple Linear Regression as base models.

This comprehensive tutorial covers various regression techniques, including Linear Regression, Polynomial Regression, Polynomial Regression with regularization (Ridge, Lasso, Elastic Net), Multivariable Regression, and Random Forest Regression using ensemble methods. Users will be able to understand the strengths and weaknesses of each method and how to select appropriate models for different regression tasks. They can further explore other real-world datasets and apply these regression models to make accurate predictions.

#### 7.5.3.1 Import Libraries

We'll start by importing the necessary libraries for data manipulation, visualization, and regression analysis.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import fetch_california_housing
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression, Ridge, Lasso, ElasticNet
from sklearn.preprocessing import PolynomialFeatures, StandardScaler
from sklearn.metrics import r2_score, mean_squared_error
from sklearn.ensemble import RandomForestRegressor
```

#### 7.5.3.2 Load and Prepare the Dataset

Next, we'll load the California Housing Prices dataset and prepare it for regression analysis.

```
# Load the California Housing Prices dataset
data = fetch_california_housing()
X = data.data
y = data.target

# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2
, random_state=42)

# Standardize the features
scaler = StandardScaler()
X_train_scaled = scaler.fit_transform(X_train)
X_test_scaled = scaler.transform(X_test)
```

#### 7.5.3.3 Linear Regression (Baseline)

Let's start with a Simple Linear Regression model as a baseline.

```
# Create and fit the linear regression model
linear_model = LinearRegression()
linear_model.fit(X_train_scaled, y_train)

# Make predictions on training and testing data
y_train_pred_linear = linear_model.predict(X_train_scaled)
y_test_pred_linear = linear_model.predict(X_test_scaled)

# Calculate R-squared and mean squared error for evaluation
linear_r2_train = r2_score(y_train, y_train_pred_linear)
linear_r2_test = r2_score(y_test, y_test_pred_linear)
linear_mse_train = mean_squared_error(y_train, y_train_pred_linear)
linear_mse_test = mean_squared_error(y_test, y_test_pred_linear)

print(f"Linear Regression (Baseline):")
print(f"Training R-squared: {linear_r2_train:.4f}")
    , Training MSE: {linear_mse_train:.4f}")
print(f"Testing R-squared: {linear_r2_test:.4f}")
    , Testing MSE: {linear_mse_test:.4f}")
```

Linear Regression (Baseline):  
 Training R-squared: 0.6126, Training MSE: 0.5179  
 Testing R-squared: 0.5758, Testing MSE: 0.5559

#### 7.5.3.4 Polynomial Regression

Next, let's perform Polynomial Regression with different degrees.

```
# Polynomial degrees
degrees = [2, 3, 4]

# Create and fit the polynomial regression models with different degrees
polynomial_models = []
polynomial_r2_train_scores = []
polynomial_r2_test_scores = []

for degree in degrees:
    poly_features = PolynomialFeatures(degree=degree)
    X_train_poly = poly_features.fit_transform(X_train_scaled)
    X_test_poly = poly_features.transform(X_test_scaled)

    model = LinearRegression()
    model.fit(X_train_poly, y_train)
    polynomial_models.append(model)

    # Make predictions on training and testing data
    y_train_pred = model.predict(X_train_poly)
    y_test_pred = model.predict(X_test_poly)

    # Calculate R-squared for evaluation
```

```

polynomial_r2_train = r2_score(y_train, y_train_pred)
polynomial_r2_test = r2_score(y_test, y_test_pred)

polynomial_r2_train_scores.append(polynomial_r2_train)
polynomial_r2_test_scores.append(polynomial_r2_test)

# Find the best degree based on the testing R-squared score
best_degree = degrees[np.argmax(polynomial_r2_test_scores)]

print(f"\nPolynomial Regression:")
print(f"Best Degree: {best_degree}")
print(f"Training R-squared Scores: {polynomial_r2_train_scores}")
print(f"Testing R-squared Scores: {polynomial_r2_test_scores}")

```

Polynomial Regression:  
 Best Degree: 2  
 Training R-squared Scores:  
 [0.6852681982344955, 0.7441415681335484, 0.7893228446487628]  
 Testing R-squared Scores:  
 [0.6456819729261878, -18.38870805843526, -11476.104183339065]

#### 7.5.3.5 Polynomial Regression with Regularization

Now, let's perform Polynomial Regression with regularization using Ridge, Lasso, and Elastic Net.

```

# Continue with degree of 2
poly_features = PolynomialFeatures(degree=2)
X_train_poly = poly_features.fit_transform(X_train_scaled)
X_test_poly = poly_features.transform(X_test_scaled)

# Regularization strengths (alpha values)
alphas = [0.001, 0.01, 0.1, 1, 10, 50]

# Create and fit the regression models with different alpha values
ridge_models = []
ridge_r2_train_scores = []
ridge_r2_test_scores = []

lasso_models = []
lasso_r2_train_scores = []
lasso_r2_test_scores = []

elasticnet_models = []
elasticnet_r2_train_scores = []
elasticnet_r2_test_scores = []

for alpha in alphas:
    ridge_model = Ridge(alpha=alpha)
    ridge_model.fit(X_train_poly, y_train)

```

```

ridge_models.append(ridge_model)

# Make predictions on training and testing data
y_train_pred = ridge_model.predict(X_train_poly)
y_test_pred = ridge_model.predict(X_test_poly)

# Calculate R-squared for evaluation
ridge_r2_train = r2_score(y_train, y_train_pred)
ridge_r2_test = r2_score(y_test, y_test_pred)

ridge_r2_train_scores.append(ridge_r2_train)
ridge_r2_test_scores.append(ridge_r2_test)

lasso_model = Lasso(alpha=alpha)
lasso_model.fit(X_train_poly, y_train)
lasso_models.append(lasso_model)

# Make predictions on training and testing data
y_train_pred = lasso_model.predict(X_train_poly)
y_test_pred = lasso_model.predict(X_test_poly)

# Calculate R-squared for evaluation
lasso_r2_train = r2_score(y_train, y_train_pred)
lasso_r2_test = r2_score(y_test, y_test_pred)

lasso_r2_train_scores.append(lasso_r2_train)
lasso_r2_test_scores.append(lasso_r2_test)

for l1_ratio in [0.2, 0.5, 0.7, 0.9]:
    elasticnet_model = ElasticNet(alpha=alpha, l1_ratio=l1_ratio)
    elasticnet_model.fit(X_train_poly, y_train)
    elasticnet_models.append(elasticnet_model)

    # Make predictions on training and testing data
    y_train_pred = elasticnet_model.predict(X_train_poly)
    y_test_pred = elasticnet_model.predict(X_test_poly)

    # Calculate R-squared for evaluation
    elasticnet_r2_train = r2_score(y_train, y_train_pred)
    elasticnet_r2_test = r2_score(y_test, y_test_pred)

    elasticnet_r2_train_scores.append(elasticnet_r2_train)
    elasticnet_r2_test_scores.append(elasticnet_r2_test)

# Find the best alpha and l1_ratio based on the testing R-squared score
best_alpha_ridge = alphas[np.argmax(ridge_r2_test_scores)]
best_alpha_lasso = alphas[np.argmax(lasso_r2_test_scores)]
best_alpha_elasticnet = alphas[np.argmax(elasticnet_r2_test_scores)]
best_l1_ratio_elasticnet = [0.2, 0.5, 0.7, 0.9]
[ $\text{np.argmax}(\text{elasticnet r2 test scores}) \% 4$ ]

```

```

print(f"\nPolynomial Regression with Regularization:")
print(f"Best Alpha (Ridge): {best_alpha_ridge:.4f}")
print(f"Best Alpha (Lasso): {best_alpha_lasso:.4f}")
print(f"Best Alpha (ElasticNet): {best_alpha_elasticnet:.4f}")
print(f"Best l1_ratio (ElasticNet): {best_l1_ratio_elasticnet:.1f}")
print(f"Ridge Training R-squared Scores: {ridge_r2_train_scores}")
print(f"Ridge Testing R-squared Scores: {ridge_r2_test_scores}")
print(f"Lasso Training R-squared Scores: {lasso_r2_train_scores}")
print(f"Lasso Testing R-squared Scores: {lasso_r2_test_scores}")
print(f"ElasticNet Training R-squared Scores: {elasticnet_r2_train_scores}")
print(f"ElasticNet Testing R-squared Scores: {elasticnet_r2_test_scores}")

```

Polynomial Regression with Regularization:

Best Alpha (Ridge): 50.0000

Best Alpha (Lasso): 0.0010

Best Alpha (ElasticNet): 1.0000

Best l1\_ratio (ElasticNet): 0.9

Ridge Training R-squared Scores:

```
[0.6852681982309979, 0.6852681978848241, 0.6852681633541837,
 0.685264794671512, 0.6849940748677977, 0.6816443257072609]
```

Ridge Testing R-squared Scores:

```
[0.645683225805578, 0.6456944994375847, 0.6458070098962285,
 0.6469096540341595, 0.6558501677208112, 0.6672535561034868]
```

Lasso Training R-squared Scores:

```
[0.6830030979089348, 0.6305732853769765, 0.500981674817156,
 0.033220008724097694, 0.0, 0.0]
```

Lasso Testing R-squared Scores:

```
[0.6686741743527673, 0.533056472931786, 0.4823562161721351,
 0.032132551538488596, -0.00021908714592466794, -0.00021908714592466794]
```

ElasticNet Training R-squared Scores:

```
[0.6840310978294589, 0.6837217689230024, 0.6834122448233106,
 0.6831585830280078, 0.6641895730066483, 0.654089814353995,
 0.6463124687609253, 0.6364839821265846, 0.5619051580675156,
 0.5325527976563843, 0.5104019630875991, 0.5043656964193155,
 0.3174625276332542, 0.21148526134241852, 0.08567216955936541,
 0.05311242187826348, 0.0, 0.0, 0.0, 0.0, 0.0, 0.0, 0.0]
```

ElasticNet Testing R-squared Scores:

```
[0.665131384671392, 0.6672768269417034, 0.6679746333269325,
 0.6687496873021064, 0.5953794418651244, 0.534895420337363,
 0.5324894830873397, 0.53544136023843, 0.5437773103890866,
 0.5153003945070083, 0.49307869728746057, 0.4864961977437864,
 0.30776990091131096, 0.2058625168336501, 0.0831325334530788,
 0.051496641763479345, -0.00021908714592466794, -0.00021908714592466794,
 -0.00021908714592466794, -0.00021908714592466794, -0.00021908714592466794,
 -0.00021908714592466794, -0.00021908714592466794, -0.00021908714592466794]
```

### 7.5.3.6 Multivariable Regression

Now, let's perform Multivariable Regression using all available features.

```

# Create and fit the multivariable regression model
multi_model = LinearRegression()

```

```

multi_model.fit(X_train_scaled, y_train)

# Make predictions on training and testing data
y_train_pred_multi = multi_model.predict(X_train_scaled)
y_test_pred_multi = multi_model.predict(X_test_scaled)

# Calculate R-squared and mean squared error for evaluation
multi_r2_train = r2_score(y_train, y_train_pred_multi)
multi_r2_test = r2_score(y_test, y_test_pred_multi)
multi_mse_train = mean_squared_error(y_train, y_train_pred_multi)
multi_mse_test = mean_squared_error(y_test, y_test_pred_multi)

print(f"\nMultivariable Regression:")
print(f"Training R-squared: {multi_r2_train:.4f}")
    , Training MSE: {multi_mse_train:.4f}"))
print(f"Testing R-squared: {multi_r2_test:.4f}")
    , Testing MSE: {multi_mse_test:.4f}"))

```

Multivariable Regression:  
 Training R-squared: 0.6126, Training MSE: 0.5179  
 Testing R-squared: 0.5758, Testing MSE: 0.5559

### 7.5.3.7 Ensemble Methods – Random Forest Regression

Finally, let's apply ensemble methods, specifically Random Forest Regression, to the dataset.

```

# Create and fit the Random Forest regression model
rf_model = RandomForestRegressor(n_estimators=100, random_state=42)
rf_model.fit(X_train_scaled, y_train)

# Make predictions on training and testing data
y_train_pred_rf = rf_model.predict(X_train_scaled)
y_test_pred_rf = rf_model.predict(X_test_scaled)

# Calculate R-squared and mean squared error for evaluation
rf_r2_train = r2_score(y_train, y_train_pred_rf)
rf_r2_test = r2_score(y_test, y_test_pred_rf)
rf_mse_train = mean_squared_error(y_train, y_train_pred_rf)
rf_mse_test = mean_squared_error(y_test, y_test_pred_rf)

print(f"\nRandom Forest Regression:")
print(f"Training R-squared: {rf_r2_train:.4f}")
    , Training MSE: {rf_mse_train:.4f}"))
print(f"Testing R-squared: {rf_r2_test:.4f}")
    , Testing MSE: {rf_mse_test:.4f}"))

```

Random Forest Regression:  
 Training R-squared: 0.9736, Training MSE: 0.0353  
 Testing R-squared: 0.8053, Testing MSE: 0.2552

### 7.5.3.8 Visualization

You can visualize the R-squared scores for different models.

```
# Plotting R-squared scores for different models
plt.figure(figsize=(12, 6))

models = ['Linear Regression', f'Polynomial (Degree {best_degree})',
          'Polynomial (Regularized)', 'Multivariable Regression',
          'Random Forest']

train_scores = [linear_r2_train
               , polynomial_r2_train_scores[np.argmax(polynomial_r2_test_scores)],
               max(ridge_r2_train_scores), multi_r2_train, rf_r2_train]

test_scores = [linear_r2_test
              , polynomial_r2_test_scores[np.argmax(polynomial_r2_test_scores)],
              max(ridge_r2_test_scores), multi_r2_test, rf_r2_test]

x = np.arange(len(models))
width = 0.35

plt.bar(x - width/2, train_scores, width, label='Training R-squared')
plt.bar(x + width/2, test_scores, width, label='Testing R-squared')

plt.xticks(x, models, rotation=45)
plt.ylabel('R-squared')
plt.title('R-squared Scores for Different Models')
plt.legend()
plt.tight_layout()
plt.show()
```

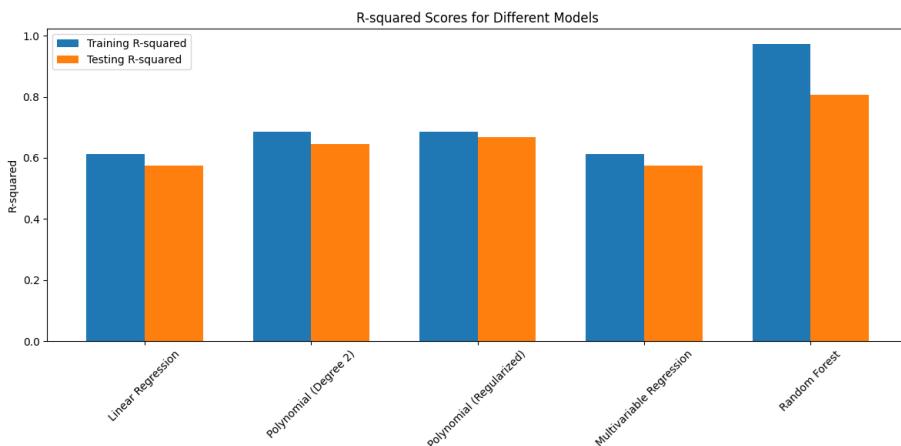


Figure 7.20 R-Squared Scores for Different Models

## 7.6 REGRESSION METHODS' COMPARISON

In this section, we will conduct a comprehensive case study to explore and compare the performance of various regression methods we have introduced using a single dataset. This hands-on approach will provide you with a practical understanding of how different regression techniques perform in real-world scenarios.

The case study aims to demonstrate the strengths and weaknesses of different regression methods, allowing you to make informed choices when selecting the most appropriate technique for a specific regression task. You will work with a dataset that is suitable for regression and apply the regression methods we have covered. Based on the case study results, you will gain insights into which regression method(s) perform best for the given dataset and regression task. You will also learn how to choose the most suitable regression technique based on specific requirements and characteristics of a problem.

### 7.6.1 Case Study – Diabetes

Let's play with the complete case study using the "Diabetes" dataset. We'll demonstrate all regression methods, including Simple Linear Regression, Polynomial Linear Regression, Polynomial Linear Regression with regularization (Ridge, Lasso, Elastic Net), Multivariable Regression, cross-validation with different folds (3, 5, 10), and ensemble methods (Bagging, Boosting, Stacking). At the end, we'll visualize the results of these models for comparison.

#### 7.6.1.1 Setup the Dataset

Let's load the diabetes dataset from sklearn datasets. As the "Diabetes" dataset is already clean, there might not be significant data preprocessing steps required.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_diabetes
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression, Ridge, Lasso, ElasticNet
from sklearn.preprocessing import PolynomialFeatures
from sklearn.metrics import r2_score, mean_squared_error
from sklearn.model_selection import cross_val_score
from sklearn.ensemble import RandomForestRegressor
    , GradientBoostingRegressor, StackingRegressor

# Load the Diabetes dataset
data = load_diabetes()
X, y = data.data, data.target

# Convert to DataFrame for easier manipulation (optional)
df = pd.DataFrame(data=np.c_[X, y])
```

```

    , columns=data.feature_names + ['target'])

# Explore the dataset
print(df.head())
print(df.describe())
print(df.info())

# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2
    , random_state=42)

```

```

      age      sex      bmi      bp      s1      s2      s3  \
0  0.038076  0.050680  0.061696  0.021872 -0.044223 -0.034821 -0.043401
1 -0.001882 -0.044642 -0.051474 -0.026328 -0.008449 -0.019163  0.074412
2  0.085299  0.050680  0.044451 -0.005670 -0.045599 -0.034194 -0.032356
3 -0.089063 -0.044642 -0.011595 -0.036656  0.012191  0.024991 -0.036038
4  0.005383 -0.044642 -0.036385  0.021872  0.003935  0.015596  0.008142

...
      target
count  442.000000
mean   152.133484
std    77.093005
min   25.000000
25%   87.000000
50%  140.500000
75%  211.500000
max  346.000000
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 442 entries, 0 to 441
Data columns (total 11 columns):
 #   Column  Non-Null Count  Dtype  
---  -- 
 0   age     442 non-null   float64
 1   sex     442 non-null   float64
 2   bmi     442 non-null   float64
 3   bp      442 non-null   float64
 4   s1      442 non-null   float64
 5   s2      442 non-null   float64
 6   s3      442 non-null   float64
 7   s4      442 non-null   float64
 8   s5      442 non-null   float64
 9   s6      442 non-null   float64
 10  target   442 non-null   float64
dtypes: float64(11)
memory usage: 38.1 KB
None

```

### 7.6.1.2 Simple Linear Regression

```
# Create and fit the simple linear regression model
simple_linear_model = LinearRegression()
simple_linear_model.fit(X_train, y_train)

# Make predictions on training and testing data
y_train_pred_slr = simple_linear_model.predict(X_train)
y_test_pred_slr = simple_linear_model.predict(X_test)

# Calculate R-squared and mean squared error for evaluation
slr_r2_train = r2_score(y_train, y_train_pred_slr)
slr_r2_test = r2_score(y_test, y_test_pred_slr)
slr_mse_train = mean_squared_error(y_train, y_train_pred_slr)
slr_mse_test = mean_squared_error(y_test, y_test_pred_slr)

print(f"Simple Linear Regression:")
print(f"Training R-squared: {slr_r2_train:.4f}")
    , Training MSE: {slr_mse_train:.4f}")
print(f"Testing R-squared: {slr_r2_test:.4f}")
    , Testing MSE: {slr_mse_test:.4f}")
```

Simple Linear Regression:  
 Training R-squared: 0.5279, Training MSE: 2868.5497  
 Testing R-squared: 0.4526, Testing MSE: 2900.1936

### 7.6.1.3 Polynomial Linear Regression

```
# Polynomial degrees
degrees = [2, 3, 4]

# Create and fit the polynomial regression models with different degrees
polynomial_models = []
polynomial_r2_train_scores = []
polynomial_r2_test_scores = []

for degree in degrees:
    poly_features = PolynomialFeatures(degree=degree)
    X_train_poly = poly_features.fit_transform(X_train)
    X_test_poly = poly_features.transform(X_test)

    model = LinearRegression()
    model.fit(X_train_poly, y_train)
    polynomial_models.append(model)

    # Make predictions on training and testing data
    y_train_pred = model.predict(X_train_poly)
    y_test_pred = model.predict(X_test_poly)

    # Calculate R-squared for evaluation
```

```

polynomial_r2_train = r2_score(y_train, y_train_pred)
polynomial_r2_test = r2_score(y_test, y_test_pred)

polynomial_r2_train_scores.append(polynomial_r2_train)
polynomial_r2_test_scores.append(polynomial_r2_test)

# Find the best degree based on the testing R-squared score
best_degree = degrees[np.argmax(polynomial_r2_test_scores)]

print(f"\nPolynomial Linear Regression:")
print(f"Best Degree: {best_degree}")
print(f"Training R-squared Scores: {polynomial_r2_train_scores}")
print(f"Testing R-squared Scores: {polynomial_r2_test_scores}")

```

```

Polynomial Linear Regression:
Best Degree: 2
Training R-squared Scores:
[0.6061583502354679, 0.6311213891847405, 1.0]
Testing R-squared Scores:
[0.41563993364080387, -15.50164602091279, -26.72808338196219]

```

#### 7.6.1.4 Polynomial Linear Regression with Regularization

```

# Continue with degree of 2
poly_features = PolynomialFeatures(degree=degree)
X_train_poly = poly_features.fit_transform(X_train)
X_test_poly = poly_features.transform(X_test)

# Regularization strengths (alpha values)
alphas = [0.001, 0.01, 0.1, 1, 10]

# Create and fit the regression models with different alpha values
ridge_models = []
ridge_r2_train_scores = []
ridge_r2_test_scores = []

lasso_models = []
lasso_r2_train_scores = []
lasso_r2_test_scores = []

elasticnet_models = []
elasticnet_r2_train_scores = []
elasticnet_r2_test_scores = []

for alpha in alphas:
    ridge_model = Ridge(alpha=alpha)
    ridge_model.fit(X_train_poly, y_train)
    ridge_models.append(ridge_model)

# Make predictions on training and testing data

```

```

y_train_pred = ridge_model.predict(X_train_poly)
y_test_pred = ridge_model.predict(X_test_poly)

# Calculate R-squared for evaluation
ridge_r2_train = r2_score(y_train, y_train_pred)
ridge_r2_test = r2_score(y_test, y_test_pred)

ridge_r2_train_scores.append(ridge_r2_train)
ridge_r2_test_scores.append(ridge_r2_test)

lasso_model = Lasso(alpha=alpha)
lasso_model.fit(X_train_poly, y_train)
lasso_models.append(lasso_model)

# Make predictions on training and testing data
y_train_pred = lasso_model.predict(X_train_poly)
y_test_pred = lasso_model.predict(X_test_poly)

# Calculate R-squared for evaluation
lasso_r2_train = r2_score(y_train, y_train_pred)
lasso_r2_test = r2_score(y_test, y_test_pred)

lasso_r2_train_scores.append(lasso_r2_train)
lasso_r2_test_scores.append(lasso_r2_test)

for l1_ratio in [0.2, 0.5, 0.8]:
    elasticnet_model = ElasticNet(alpha=alpha, l1_ratio=l1_ratio)
    elasticnet_model.fit(X_train_poly, y_train)
    elasticnet_models.append(elasticnet_model)

# Make predictions on training and testing data
y_train_pred = elasticnet_model.predict(X_train_poly)
y_test_pred = elasticnet_model.predict(X_test_poly)

# Calculate R-squared for evaluation
elasticnet_r2_train = r2_score(y_train, y_train_pred)
elasticnet_r2_test = r2_score(y_test, y_test_pred)

elasticnet_r2_train_scores.append(elasticnet_r2_train)
elasticnet_r2_test_scores.append(elasticnet_r2_test)

# Find the best alpha values based on the testing R-squared scores
best_alpha_ridge = alphas[np.argmax(ridge_r2_test_scores)]
best_alpha_lasso = alphas[np.argmax(lasso_r2_test_scores)]
best_alpha_elasticnet = alphas[np.argmax(elasticnet_r2_test_scores)]
best_l1_ratio_elasticnet = [0.2, 0.5, 0.8]
    [np.argmax(elasticnet_r2_test_scores) // len(alphas)]

print(f"\nPolynomial Linear Regression with Regularization:")
print(f"Best Alpha (Ridge): {best_alpha_ridge:.4f}")

```

```

print(f"Best Alpha (Lasso): {best_alpha_lasso:.4f}")
print(f"Best Alpha (ElasticNet): {best_alpha_elasticnet:.4f}")
print(f"Best l1_ratio (ElasticNet): {best_l1_ratio_elasticnet:.1f}")
print(f"Ridge Training R-squared Scores: {ridge_r2_train_scores}")
print(f"Ridge Testing R-squared Scores: {ridge_r2_test_scores}")
print(f"Lasso Training R-squared Scores: {lasso_r2_train_scores}")
print(f"Lasso Testing R-squared Scores: {lasso_r2_test_scores}")
print(f"ElasticNet Training R-squared Scores: {elasticnet_r2_train_scores}")
print(f"ElasticNet Testing R-squared Scores: {elasticnet_r2_test_scores}")

```

Polynomial Linear Regression with Regularization:

Best Alpha (Ridge): 0.0010

Best Alpha (Lasso): 0.0010

Best Alpha (ElasticNet): 0.1000

Best l1\_ratio (ElasticNet): 0.2

Ridge Training R-squared Scores:

```
[0.5738225696816797, 0.5440556284976665, 0.523889352263707,
 0.44298458284557574, 0.16350659610783913]
```

Ridge Testing R-squared Scores:

```
[0.510800687894738, 0.48429539225652785, 0.46593781159184344,
 0.41958874692366066, 0.161269221757383]
```

Lasso Training R-squared Scores:

```
[0.5892701490358648, 0.5419119318329695, 0.5169410847799543,
 0.3646309911295581, 0.0]
```

Lasso Testing R-squared Scores:

```
[0.5012980759269188, 0.49076078413751045, 0.4718547867276227,
 0.3575918767219115, -0.011962984778542296]
```

ElasticNet Training R-squared Scores:

```
[0.5084098826948718, 0.5174639557698948, 0.5261690969450569,
 0.3283982611115136, 0.3856811985013552, 0.4671799800159241,
 0.0708338916850505, 0.1032878083423916, 0.19726642133866978,
 0.007112124669544362, 0.008901600088515704, 0.0162621249186663,
 2.5348994849738737e-05, 0.0, 0.0]
```

ElasticNet Testing R-squared Scores:

```
[0.4610622729458884, 0.4643024301889397, 0.4665388951249436,
 0.3230312951444442, 0.37379052990319994, 0.43739385153422194,
 0.06419070712846853, 0.09865702265671039, 0.1960777104890853,
 -0.0042988350408805776, -0.0024652131111431164, 0.005259228957128381,
 -0.011937606996639039, -0.011962984778542296, -0.011962984778542296]
```

### 7.6.1.5 Multivariable Regression

```

# Create and fit the multivariable regression model
multi_linear_model = LinearRegression()
multi_linear_model.fit(X_train, y_train)

# Make predictions on training and testing data
y_train_pred_multi = multi_linear_model.predict(X_train)
y_test_pred_multi = multi_linear_model.predict(X_test)

# Calculate R-squared and mean squared error for evaluation
multi_r2_train = r2_score(y_train, y_train_pred_multi)

```

```

multi_r2_test = r2_score(y_test, y_test_pred_multi)
multi_mse_train = mean_squared_error(y_train, y_train_pred_multi)
multi_mse_test = mean_squared_error(y_test, y_test_pred_multi)

print(f"\nMultivariable Regression:")
print(f"Training R-squared: {multi_r2_train:.4f}")
    , Training MSE: {multi_mse_train:.4f}")
print(f"Testing R-squared: {multi_r2_test:.4f}")
    , Testing MSE: {multi_mse_test:.4f}")

```

Multivariable Regression:  
 Training R-squared: 0.5279, Training MSE: 2868.5497  
 Testing R-squared: 0.4526, Testing MSE: 2900.1936

### 7.6.1.6 Cross-Validation

We will perform cross-validation using 3-folds, 5-folds, and 10-folds to assess the performance of different regression models.

```

# Define a function to perform cross-validation
def perform_cross_validation(model, X, y, cv):
    cv_scores = cross_val_score(model, X, y, scoring='r2', cv=cv)
    mean_cv_score = np.mean(cv_scores)
    return mean_cv_score

# Cross-validation with 3-folds
cv_3folds_score = perform_cross_validation(multi_linear_model, X, y, cv=3)
print(f"Cross Validation (3-folds) R-squared: {cv_3folds_score:.4f}")

# Cross-validation with 5-folds
cv_5folds_score = perform_cross_validation(multi_linear_model, X, y, cv=5)
print(f"Cross Validation (5-folds) R-squared: {cv_5folds_score:.4f}")

# Cross-validation with 10-folds
cv_10folds_score = perform_cross_validation(multi_linear_model, X, y, cv=10)
print(f"Cross Validation (10-folds) R-squared: {cv_10folds_score:.4f}")

```

Cross Validation (3-folds) R-squared: 0.4887  
 Cross Validation (5-folds) R-squared: 0.4823  
 Cross Validation (10-folds) R-squared: 0.4620

### 7.6.1.7 Ensemble Methods

Now, let's apply ensemble methods using Bagging, Boosting, and Stacking techniques.

Bagging – Random Forest Regression

```

# Create and fit the Random Forest regression model
rf_model = RandomForestRegressor(n_estimators=100, max_features=3
    , random_state=42)

```

```

rf_model.fit(X_train, y_train)

# Make predictions on training and testing data
y_train_pred_rf = rf_model.predict(X_train)
y_test_pred_rf = rf_model.predict(X_test)

# Calculate R-squared and mean squared error for evaluation
rf_r2_train = r2_score(y_train, y_train_pred_rf)
rf_r2_test = r2_score(y_test, y_test_pred_rf)
rf_mse_train = mean_squared_error(y_train, y_train_pred_rf)
rf_mse_test = mean_squared_error(y_test, y_test_pred_rf)

print(f"\nRandom Forest Regression (Bagging):")
print(f"Training R-squared: {rf_r2_train:.4f}")
    , Training MSE: {rf_mse_train:.4f}")
print(f"Testing R-squared: {rf_r2_test:.4f}")
    , Testing MSE: {rf_mse_test:.4f}")

```

Random Forest Regression (Bagging):  
 Training R-squared: 0.9206, Training MSE: 482.5544  
 Testing R-squared: 0.4669, Testing MSE: 2824.4323

### Boosting – Gradient Boosting Regression

```

# Create and fit the Gradient Boosting regression model
gb_model = GradientBoostingRegressor(n_estimators=100, learning_rate=0.1
    , random_state=42)
gb_model.fit(X_train, y_train)

# Make predictions on training and testing data
y_train_pred_gb = gb_model.predict(X_train)
y_test_pred_gb = gb_model.predict(X_test)

# Calculate R-squared and mean squared error for evaluation
gb_r2_train = r2_score(y_train, y_train_pred_gb)
gb_r2_test = r2_score(y_test, y_test_pred_gb)
gb_mse_train = mean_squared_error(y_train, y_train_pred_gb)
gb_mse_test = mean_squared_error(y_test, y_test_pred_gb)

print(f"\nGradient Boosting Regression (Boosting):")
print(f"Training R-squared: {gb_r2_train:.4f}")
    , Training MSE: {gb_mse_train:.4f}")
print(f"Testing R-squared: {gb_r2_test:.4f}")
    , Testing MSE: {gb_mse_test:.4f}")

```

Gradient Boosting Regression (Boosting):  
 Training R-squared: 0.8359, Training MSE: 997.1211  
 Testing R-squared: 0.4529, Testing MSE: 2898.4367

## Stacking – Stacking Regressor

```
# Create a list of base models for stacking
base_models = [
    ('ridge', Ridge(alpha=best_alpha_ridge)),
    ('lasso', Lasso(alpha=best_alpha_lasso)),
    ('elasticnet', ElasticNet(alpha=best_alpha_elasticnet
        , l1_ratio=best_l1_ratio_elasticnet))
]

# Create and fit the Stacking Regressor
stacking_model = StackingRegressor(estimators=base_models
    , final_estimator=multi_linear_model)
stacking_model.fit(X_train, y_train)

# Make predictions on training and testing data
y_train_pred_stack = stacking_model.predict(X_train)
y_test_pred_stack = stacking_model.predict(X_test)

# Calculate R-squared and mean squared error for evaluation
stack_r2_train = r2_score(y_train, y_train_pred_stack)
stack_r2_test = r2_score(y_test, y_test_pred_stack)
stack_mse_train = mean_squared_error(y_train, y_train_pred_stack)
stack_mse_test = mean_squared_error(y_test, y_test_pred_stack)

print(f"\nStacking Regressor (Stacking):")
print(f"Training R-squared: {stack_r2_train:.4f}")
    , Training MSE: {stack_mse_train:.4f}")
print(f"Testing R-squared: {stack_r2_test:.4f}")
    , Testing MSE: {stack_mse_test:.4f}")
```

```
Stacking Regressor (Stacking):
Training R-squared: 0.5264, Training MSE: 2877.9006
Testing R-squared: 0.4548, Testing MSE: 2888.4670
```

## 7.6.1.8 Visualize the Comparison

Let's visualize the R-squared scores of different regression methods. This bar chart will show the comparison of different regression methods, cross-validation, and ensemble methods based on their training and testing R-squared scores. The higher the R-squared score, the better the model fits the data. The chart will help you understand which regression method performs best for the 'Diabetes' dataset.

```
# Create a DataFrame to store the R-squared scores
method_names = ['Simple Linear', f'Polynomial Degree {best_degree}''
    , 'Ridge', 'Lasso', 'ElasticNet', 'Multivariable Regression'
    , 'Bagging(Random Forest)', 'Boosting(Gradient Boosting)', 'Stacking']
train_r2_scores = [slr_r2_train
    , polynomial_r2_train_scores[np.argmax(polynomial_r2_test_scores)]]
    , ridge_r2_train_scores[np.argmax(ridge_r2_test_scores)]]
```

```

    , lasso_r2_train_scores[np.argmax(lasso_r2_test_scores)],
    , elasticnet_r2_train_scores[np.argmax(elasticnet_r2_test_scores)]
    , multi_r2_train, rf_r2_train, gb_r2_train, stack_r2_train]

test_r2_scores = [slr_r2_test
    , polynomial_r2_test_scores[np.argmax(polynomial_r2_test_scores)]
    , ridge_r2_test_scores[np.argmax(ridge_r2_test_scores)]
    , lasso_r2_test_scores[np.argmax(lasso_r2_test_scores)]
    , elasticnet_r2_test_scores[np.argmax(elasticnet_r2_test_scores)]
    , multi_r2_test, rf_r2_test, gb_r2_test, stack_r2_test]

r2_scores_df = pd.DataFrame({'Method': method_names
    , 'Training R-squared': train_r2_scores
    , 'Testing R-squared': test_r2_scores})

# Visualize the R-squared scores
plt.figure(figsize=(12, 6))
plt.bar(method_names,train_r2_scores,label='Training R-squared',alpha=0.7)
plt.bar(method_names,test_r2_scores,label='Testing R-squared',alpha=0.7)
plt.xlabel('Regression Method')
plt.ylabel('R-squared Score')
plt.title('Comparison of Regression Methods on Diabetes Dataset')
plt.legend()
plt.xticks(rotation=45, ha='right')
plt.ylim(0, 1)
plt.tight_layout()
plt.show()

```

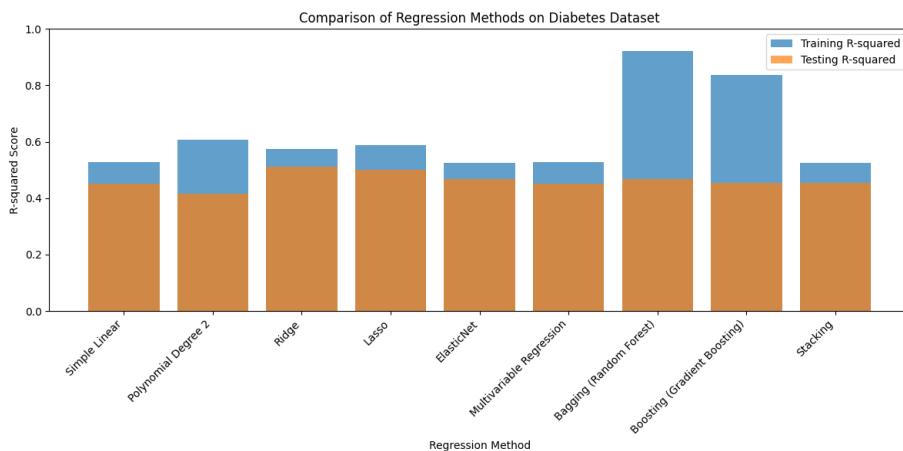


Figure 7.21 Comparison of Regression Methods on Diabetes Dataset

# Clustering

---

CLUSTERING is an unsupervised learning task in which an algorithm groups a set of objects in such a way that objects in the same group (called a cluster) are more similar to each other than to those in other groups (clusters). The goal of clustering is to discover the inherent groupings or structure in the data.

There are many different clustering methods we use with Scikit-learn, but some of the most common include:

- K-Means: A method that partitions a dataset into  $k$  clusters, where each cluster is defined by the mean of the points assigned to that cluster.
- Hierarchical Clustering: A method that builds a hierarchy of clusters, where each cluster is split into smaller clusters or merged with other clusters.
- DBSCAN (Density-Based Spatial Clustering of Applications with Noise): A density-based clustering method that groups together points that are close to each other, while marking as outliers points that are isolated.
- Gaussian Mixture Model: A probabilistic model that represents a dataset as a mixture of Gaussian distributions.

## 8.1 PARTITION CLUSTERING

---

Partition clustering is a fundamental technique in unsupervised machine learning used to group similar data points into clusters or partitions. This section introduces partition clustering methods, including K-Means and K-Medoids, using the Scikit-learn package.

Partition clustering aims to discover natural groupings or clusters within a dataset, where data points within the same cluster are more similar to each other than to those in other clusters. It is widely used in various domains, including customer segmentation, image processing, and anomaly detection. Scikit-learn provides

user-friendly tools to implement partition clustering methods effectively. You will explore practical implementation steps, including using the K-Means and K-Medoids classes in Scikit-learn to perform clustering on a dataset, determining the optimal number of clusters using techniques like the elbow method or silhouette analysis, and visualizing cluster assignments and centroids/medoids for interpretation.

### 8.1.1 Tutorial

We learned both K-Means and K-Medoids as basic clustering methods. Let's play with them and observe the differences.

#### 8.1.1.1 Prepare the Packages

- K-Means is included in sklearn package; we can import it directly.
- K-Medoids is included in sklearn extra package; we should install it first and then import it.
- We will need NumPy and Pandas to create some dummy dataset
- We will need Seaborn to visualize the result.

```
!pip install scikit-learn-extra
```

```
import numpy as np
import pandas as pd
from sklearn.cluster import KMeans
from sklearn_extra.cluster import KMedoids
import matplotlib.pyplot as plt
import seaborn as sns
```

#### 8.1.1.2 Round 1: Let's Create Some Simple Dataset

For visualization purpose, we create datapoints with two dimensions.

Create three clusters of data points. Each cluster has 1,000 data points, and each data point has two dimensions. Data points have normal distribution with specified mean and std.

```
c1 = np.random.normal(5, 3, (100, 2))
c2 = np.random.normal(15, 5, (100, 2))
c3 = np.random.normal(-5, 2, (100, 2))
d = np.concatenate((c1, c2, c3), axis = 0)
d.shape
```

(300, 2)

Let's visualize the dataset using Seaborn

```
sns.scatterplot(data = d, x = d[:,0], y = d[:,1])
```

<matplotlib.axes.\_subplots.AxesSubplot at 0x7f547096a2d0>

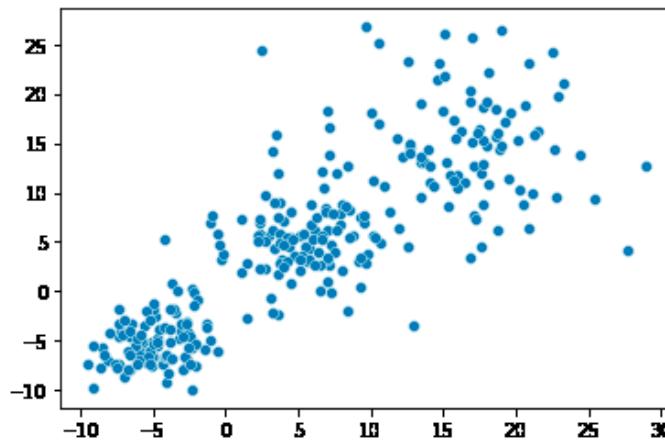


Figure 8.1 A Scatter Plot of X VS Y

Let's train a model using K-Means

```
kmeans = KMeans(n_clusters=3, random_state=0).fit(d)
```

```
sns.scatterplot(data = d, x = d[:,0], y = d[:,1],hue = kmeans.predict(d))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f546ef3fa10>
```

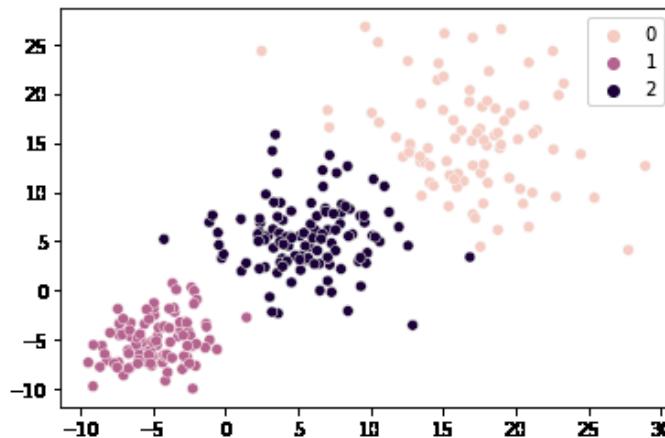


Figure 8.2 K-Means Result with Cluster Differentiation

Let's train a model using K-Medoids

```
kmmedoids = KMedoids(n_clusters=3, random_state=0).fit(d)
```

Visualize the result

```
sns.scatterplot(data = d, x = d[:,0], y = d[:,1],hue = kmmedoids.predict(d))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f54679ccc50>
```

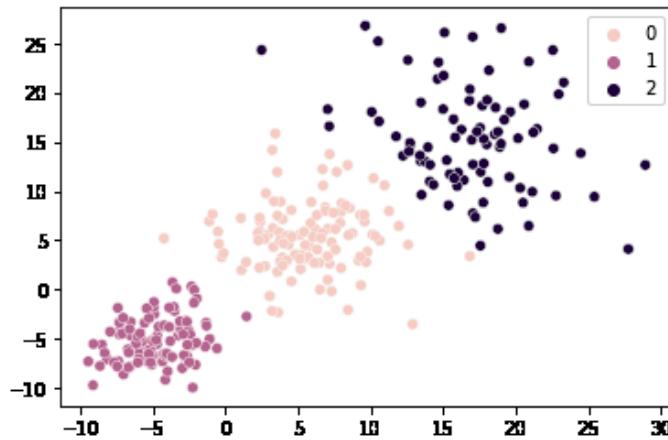


Figure 8.3 KMedoids Result with Cluster Differentiation

Conclusion: K-Means and K-Medoids did equally well for this dataset.

#### 8.1.1.3 Round 2: Let Us Add One Outlier to the Dataset

Create the same random clusters

```
c1 = np.random.normal(5, 3, (100, 2))
c2 = np.random.normal(15, 5, (100, 2))
c3 = np.random.normal(-5, 2, (100, 2))
```

Create an outlier. The outlier is far away from all other data points.

```
outlier = np.array([[100, 100]])
d = np.concatenate((c1, c2, c3, outlier), axis = 0)
```

Visualize the dataset

```
sns.scatterplot(data = d, x = d[:,0], y = d[:,1])
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f54678f9a90>
```

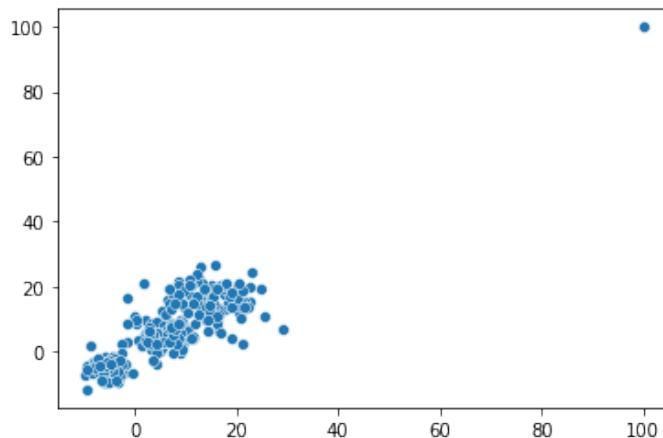


Figure 8.4 A Scatter Plot of X VS Y

Train a model using K-Means

```
kmeans = KMeans(n_clusters=3, random_state=0).fit(d)
```

Visualize the result

```
sns.scatterplot(data = d, x = d[:,0], y = d[:,1], hue = kmeans.predict(d))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f54678f6690>
```

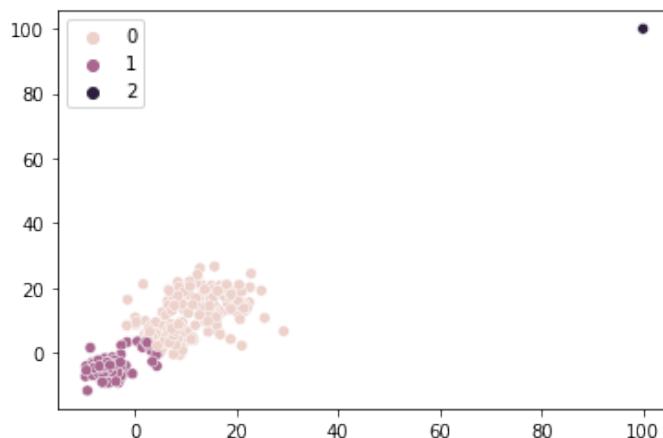


Figure 8.5 K-Means Result with Cluster Differentiation

Train a model using K-Medoids

```
kmmedoids = KMedoids(n_clusters=3, random_state=0).fit(d)
```

Visualize the result

```
sns.scatterplot(data = d, x = d[:,0], y = d[:,1], hue = kmmedoids.predict(d))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f5467861390>
```

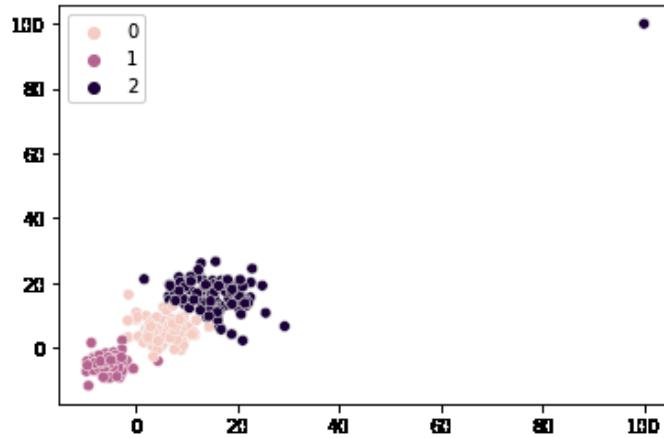


Figure 8.6 K-Medoids Result with Cluster Differentiation

Conclusion: K-Medoids did well even with an outlier. K-Means failed.

#### 8.1.1.4 Round 3: Let's Create a More Realistic Dataset Using Pandas

Create a dataset

```
df = pd.DataFrame({'x': np.random.normal(5, 3, (100)),
                   'y': np.random.normal(-2, 2, (100))})
df = df.append(pd.DataFrame({'x': np.random.normal(15, 2, (100)),
                            'y': np.random.normal(22, 2, (100))}))
df = df.append(pd.DataFrame({'x': np.random.normal(-5, 3, (100)),
                            'y': np.random.normal(8, 2, (100))}))
```

Visualize the dataset

```
sns.relplot(data = df, x = 'x', y = 'y')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f5467792910>
```

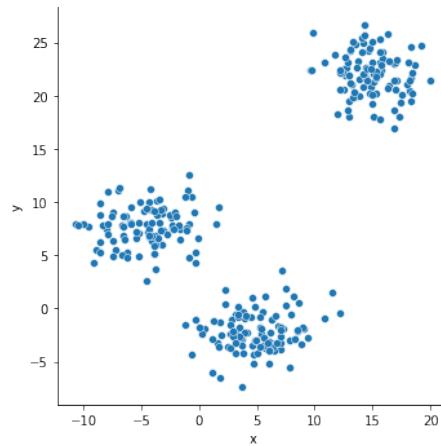


Figure 8.7 A Scatter Plot of X VS Y

Train a model using K-Means

```
kmeans = KMeans(n_clusters=3, random_state=0).fit(df)
```

Visualize the result

```
sns.scatterplot(data = df, x = 'x', y = 'y', hue = kmeans.predict(df))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f5467754890>
```

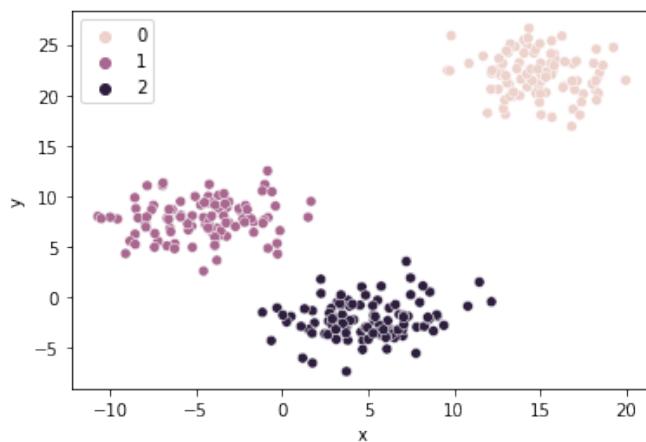


Figure 8.8 K-Means Result with Cluster Differentiation

Train a model using K-Medoids

```
kmmedoids = KMedoids(n_clusters=3, random_state=0).fit(df)
```

Visualize the result

```
sns.scatterplot(data = df, x = 'x', y = 'y', hue = kmedoids.predict(df))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f5467685b90>
```

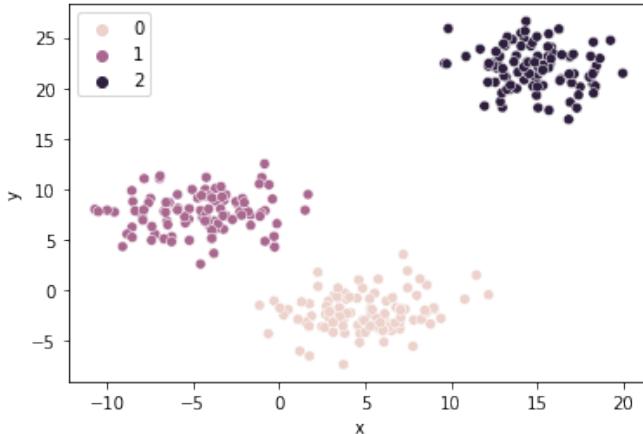


Figure 8.9 K-Medoids Result with Cluster Differentiation

Conclusion: K-Means and K-Medoids did equally well.

#### 8.1.1.5 Round 4: Let's Add an Outlier

Create a dataset with an outlier

```
df = pd.DataFrame({'x': np.random.normal(5, 3, (100)),
                   'y': np.random.normal(-2, 2, (100))})
df = df.append(pd.DataFrame({'x': np.random.normal(15, 2, (100)),
                           'y': np.random.normal(22, 2, (100))}))
df = df.append(pd.DataFrame({'x': np.random.normal(-5, 3, (100)),
                           'y': np.random.normal(8, 2, (100))}))
#outlier
df = df.append(pd.DataFrame({'x': [100], 'y': [100]}))
```

Visualize the dataset

```
sns.relplot(data = df, x = 'x', y = 'y')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f54676c6250>
```

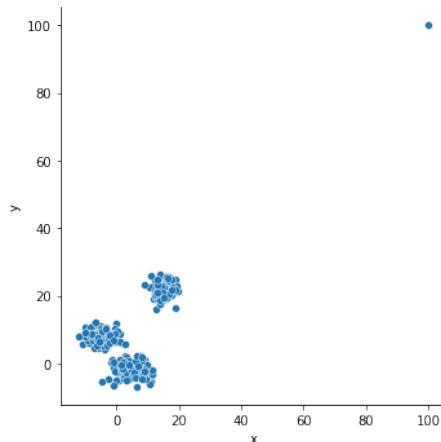


Figure 8.10 A Scatter Plot of X VS Y

Train a model using K-Means

```
kmeans = KMeans(n_clusters=3, random_state=0).fit(df)
```

Visualize the result

```
sns.scatterplot(data = df, x = 'x', y = 'y', hue = kmeans.predict(df))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f546786dbd0>
```

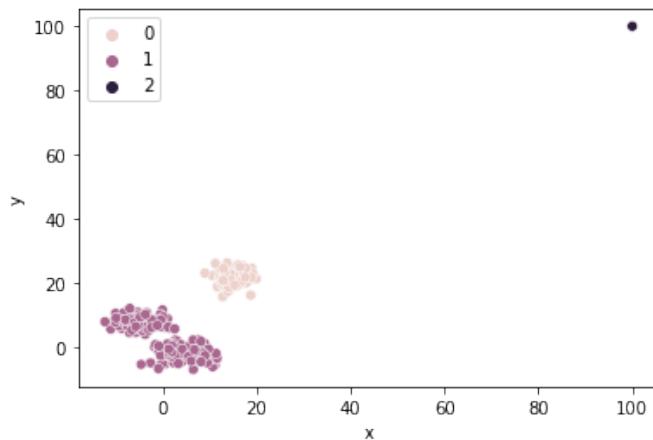


Figure 8.11 K-Means Result with Cluster Differentiation

Train a model using K-Medoids

```
kmedoids = KMedoids(n_clusters=3, random_state=0).fit(df)
```

Visualize the result

```
sns.scatterplot(data = df, x = 'x', y = 'y', hue = kmedoids.predict(df))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f5467634bd0>
```

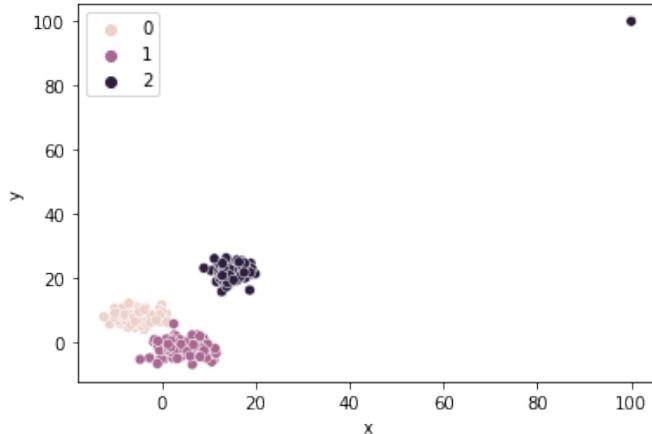


Figure 8.12 K-Medoids Result with Cluster Differentiation

Conclusion: K-Medoids did well even with an outlier. K-Means failed.

#### 8.1.1.6 Round 5: Let's Add Two Outliers

Create a dataset with an outlier

```
df = pd.DataFrame({'x': np.random.normal(5, 3, (100)),
                   'y': np.random.normal(-2, 2, (100))})
df = df.append(pd.DataFrame({'x': np.random.normal(15, 2, (100)),
                            'y': np.random.normal(22, 2, (100))}))
df = df.append(pd.DataFrame({'x': np.random.normal(-5, 3, (100)),
                            'y': np.random.normal(8, 2, (100))}))
#outlier
df = df.append(pd.DataFrame({'x': [200], 'y': [200]}))
df = df.append(pd.DataFrame({'x': [-200], 'y': [-200]}))
```

Visualize the dataset

```
sns.relplot(data = df, x = 'x', y = 'y')
```

```
<seaborn.axisgrid.FacetGrid at 0x7f54673ce1d0>
```

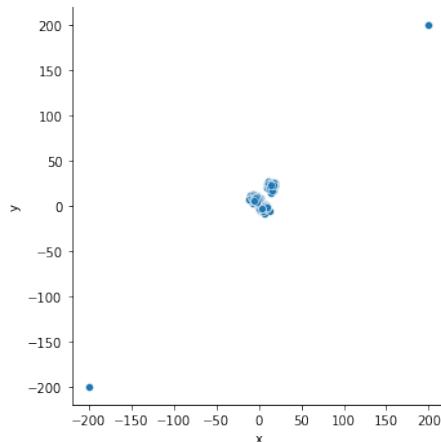


Figure 8.13 A Scatter Plot of X VS Y

Train a model using K-Means

```
kmeans = KMeans(n_clusters=3).fit(df)
```

Visualize the result

```
sns.scatterplot(data = df, x = 'x', y = 'y', hue = kmeans.predict(df))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f54673b0890>
```

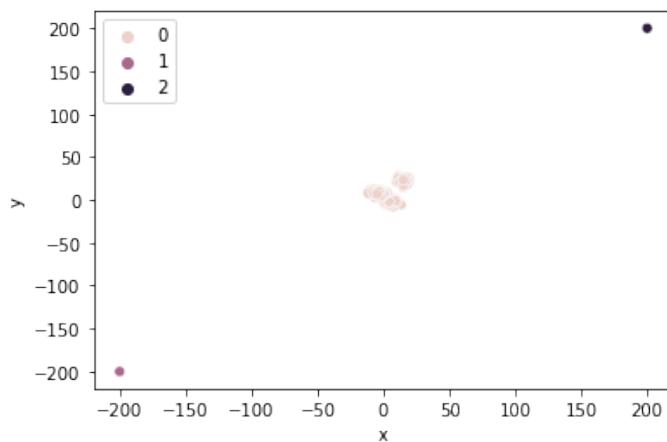


Figure 8.14 K-Means Result with Cluster Differentiation

Train a model using K-Medoids

```
kmmedoids = KMedoids(n_clusters=3, random_state=0).fit(df)
```

Visualize the result

```
sns.scatterplot(data = df, x = 'x', y = 'y', hue = kmedoids.predict(df))
```

```
<matplotlib.axes._subplots.AxesSubplot at 0x7f54672d65d0>
```

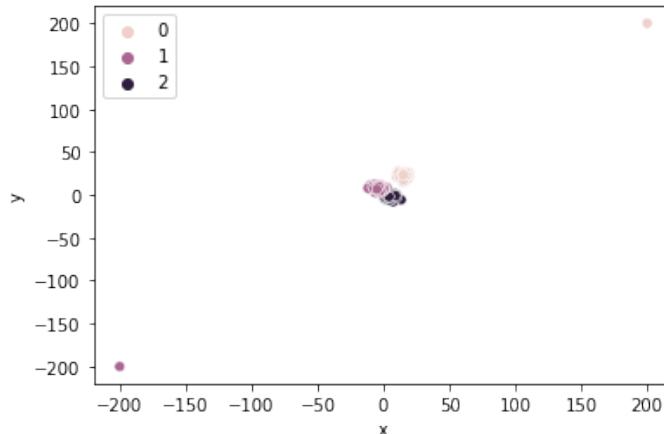


Figure 8.15 K-Medoids Result with Cluster Differentiation

Conclusion: K-Medoids did well even with more outliers. K-Means failed.

### 8.1.2 Case Study

Let's proceed with the tutorial on clustering analysis using the "Iris" dataset. We will demonstrate two popular clustering algorithms: K-Means and K-Medoids. We will compare these two methods based on their performance and clusters they form.

#### 8.1.2.1 Setup

Dataset loading and exploration

```
!pip install scikit-learn-extra
```

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_iris
from sklearn.preprocessing import StandardScaler
from sklearn.cluster import KMeans
from sklearn_extra.cluster import KMedoids
from sklearn.metrics import silhouette_score, adjusted_rand_score

# Load the Iris dataset
data = load_iris()
X, y = data.data, data.target
```

```
# Convert to DataFrame for easier manipulation (optional)
df = pd.DataFrame(data=np.c_[X, y],
                    columns=data.feature_names + ['target'])

# Explore the dataset
print(df.head())
print(df.describe())
print(df.info())
```

```
sepal length (cm)  sepal width (cm)  petal length (cm)  petal width (cm) \
0                 5.1              3.5                1.4             0.2
1                 4.9              3.0                1.4             0.2
2                 4.7              3.2                1.3             0.2
3                 4.6              3.1                1.5             0.2
4                 5.0              3.6                1.4             0.2

target
0      0.0
1      0.0
2      0.0
3      0.0
4      0.0

sepal length (cm)  sepal width (cm)  petal length (cm) \
count       150.000000     150.000000    150.000000
mean        5.843333      3.057333     3.758000
std         0.828066      0.435866     1.765298
min         4.300000      2.000000     1.000000
25%        5.100000      2.800000     1.600000
50%        5.800000      3.000000     4.350000
75%        6.400000      3.300000     5.100000
max         7.900000      4.400000     6.900000

petal width (cm)  target
count       150.000000  150.000000
mean        1.199333   1.000000
std         0.762238   0.819232
min         0.100000   0.000000
25%        0.300000   0.000000
50%        1.300000   1.000000
75%        1.800000   2.000000
max         2.500000   2.000000

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column            Non-Null Count  Dtype  
 ---  -- 
 0   sepal length (cm)  150 non-null   float64
 1   sepal width (cm)  150 non-null   float64
 2   petal length (cm) 150 non-null   float64
 3   petal width (cm)  150 non-null   float64
 4   target            150 non-null   float64
dtypes: float64(5)
memory usage: 6.0 KB
```

None

### 8.1.2.2 Data Preprocessing

Before applying clustering algorithms, we need to preprocess the data to standardize the features.

```
# Standardize the features
scaler = StandardScaler()
X_scaled = scaler.fit_transform(X)
```

### 8.1.2.3 K-Means Clustering

```
# Initialize the K-means clustering algorithm with a specific k
kmeans = KMeans(n_clusters=3, random_state=42)

# Fit the model to the data
kmeans.fit(X_scaled)

# Get the cluster assignments for each sample
kmeans_labels = kmeans.labels_

# Calculate the silhouette score
kmeans_silhouette_score = silhouette_score(X_scaled, kmeans_labels)

# Calculate the adjusted Rand Index (ARI) score
kmeans_ari_score = adjusted_rand_score(y, kmeans_labels)

print(f"K-means Clustering:")
print(f"Silhouette Score: {kmeans_silhouette_score:.4f}")
print(f"Adjusted Rand Index Score: {kmeans_ari_score:.4f}")
```

K-means Clustering:  
 Silhouette Score: 0.4599  
 Adjusted Rand Index Score: 0.6201

### 8.1.2.4 K-Medoids Clustering

```
# Initialize the K-medoids clustering algorithm with a specific k
kmedoids = KMedoids(n_clusters=3, random_state=42)

# Fit the model to the data
kmedoids.fit(X_scaled)

# Get the cluster assignments for each sample
kmedoids_labels = kmedoids.labels_

# Calculate the silhouette score
kmedoids_silhouette_score = silhouette_score(X_scaled, kmedoids_labels)
```

```
# Calculate the adjusted Rand Index (ARI) score
kmedoids_ari_score = adjusted_rand_score(y, kmedoids_labels)

print(f"\nK-medoids Clustering:")
print(f"Silhouette Score: {kmedoids_silhouette_score:.4f}")
print(f"Adjusted Rand Index Score: {kmedoids_ari_score:.4f}")
```

K-medoids Clustering:  
 Silhouette Score: 0.4590  
 Adjusted Rand Index Score: 0.6312

#### 8.1.2.5 Compare K-Means and K-Medoids

```
# Visualization of K-means and K-medoids Clusters
plt.figure(figsize=(12, 6))
plt.subplot(1, 2, 1)
plt.scatter(X_scaled[:, 0], X_scaled[:, 1]
            , c=kmeans_labels, cmap='viridis')
plt.scatter(kmeans.cluster_centers_[:, 0]
            , kmeans.cluster_centers_[:, 1]
            , marker='X', s=200, c='red', label='Centroids')
plt.title('K-means Clustering')
plt.xlabel('Sepal Length (Scaled)')
plt.ylabel('Sepal Width (Scaled)')
plt.legend()

plt.subplot(1, 2, 2)
plt.scatter(X_scaled[:, 0]
            , X_scaled[:, 1], c=kmedoids_labels, cmap='viridis')
plt.scatter(kmedoids.cluster_centers_[:, 0]
            , kmedoids.cluster_centers_[:, 1]
            , marker='X', s=200, c='red', label='Medoids')
plt.title('K-medoids Clustering')
plt.xlabel('Sepal Length (Scaled)')
plt.ylabel('Sepal Width (Scaled)')
plt.legend()

plt.tight_layout()
plt.show()
```

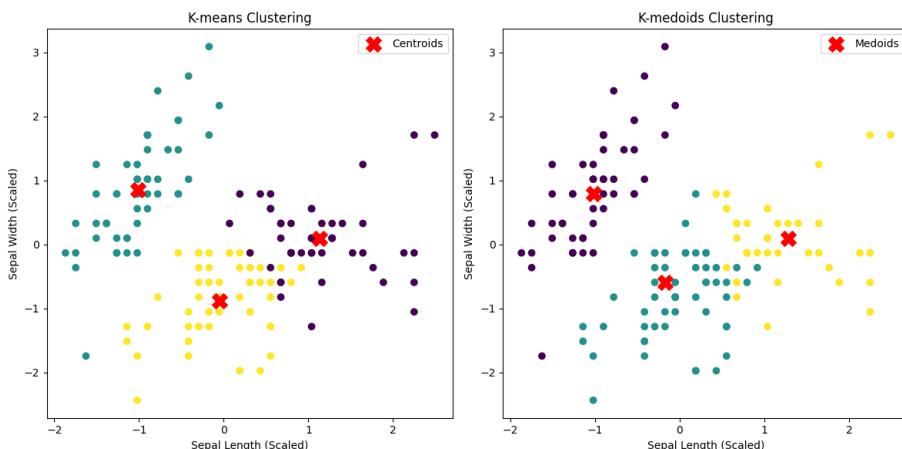


Figure 8.16 A Comparison with K-Means and K-Medoids Clustering

## 8.2 HIERARCHICAL CLUSTERING

Hierarchical clustering is a powerful technique in unsupervised machine learning used to discover hierarchical structures and natural groupings within a dataset. This section introduces hierarchical clustering using the Scikit-learn package.

Hierarchical clustering is a versatile method for exploring data with hierarchical relationships between clusters. It creates a tree-like structure (dendrogram) that visually represents the data's nested groupings. Scikit-learn provides tools to implement hierarchical clustering effectively. You will explore practical implementation steps, including using the `AgglomerativeClustering` class in Scikit-learn for agglomerative hierarchical clustering, customizing linkage methods (e.g., Ward, complete, average) to control the clustering strategy, and visualizing dendograms and cluster assignments for interpretation.

### 8.2.1 Tutorial

Let's create a dummy dataset and demonstrate agglomerative hierarchical clustering using different numbers of clusters. We will observe how the number of clusters affects the clustering results and the dendrogram visualization.

#### 8.2.1.1 Create a Dummy Dataset

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import make_blobs
from sklearn.preprocessing import StandardScaler
from sklearn.cluster import AgglomerativeClustering
from sklearn.metrics import silhouette_score
```

```
# Create a random dummy dataset with 100 samples and 2 features
X, y = make_blobs(n_samples=100, centers=4, n_features=2
                  , random_state=42, cluster_std=1.5)

# Convert to DataFrame for easier manipulation (optional)
df = pd.DataFrame(data=np.c_[X, y]
                    , columns=['Feature1', 'Feature2', 'Cluster'])

# Explore the dataset
print(df.head())
print(df.describe())
print(df.info())
```

```
Feature1  Feature2  Cluster
0 -10.108518  5.051252    3.0
1 -5.659351 -8.726406    2.0
2 -3.213409  9.828126    0.0
3 -4.775436 -8.982886    2.0
4 -8.301647  8.164700    3.0

      Feature1      Feature2      Cluster
count  100.000000  100.000000  100.000000
mean   -3.582871   2.901643   1.500000
std    5.268073   6.293456   1.123666
min   -10.904832  -8.982886  0.000000
25%  -8.161044  -1.552449  0.750000
50%  -4.751208   4.685694  1.500000
75%  0.072281   8.205229  2.250000
max   6.856720  11.792703  3.000000
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 100 entries, 0 to 99
Data columns (total 3 columns):
 #   Column      Non-Null Count  Dtype  
 ---  --          --          --      
 0   Feature1    100 non-null    float64 
 1   Feature2    100 non-null    float64 
 2   Cluster     100 non-null    float64 
dtypes: float64(3)
memory usage: 2.5 KB
None
```

```
plt.scatter(df['Feature1'], df['Feature2'])
```

```
<matplotlib.collections.PathCollection at 0x7c20b88d3dc0>
```

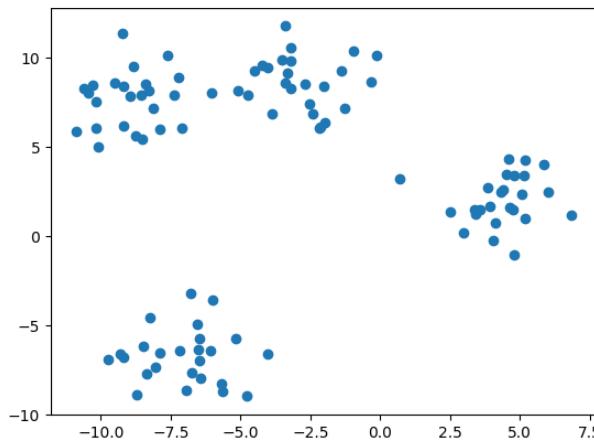


Figure 8.17 A Scatter Plot of Feature1 VS Feature2

### 8.2.1.2 Data Preprocessing

```
# Standardize the features
scaler = StandardScaler()
X_scaled = scaler.fit_transform(X)
```

### 8.2.1.3 Agglomerative Hierarchical Clustering

```
# Number of clusters to try
num_clusters_range = range(2, 8)

# Perform agglomerative hierarchical clustering with different numbers
for num_clusters in num_clusters_range:
    agglomerative = AgglomerativeClustering(n_clusters=num_clusters)
    agglomerative_labels = agglomerative.fit_predict(X_scaled)

    print(f"\nAgglomerative Hierarchical Clustering with
          {num_clusters} Clusters:")
    print(f"Cluster Assignments: {agglomerative_labels}")

    # Calculate the silhouette score
    silhouette_avg = silhouette_score(X_scaled, agglomerative_labels)
    print(f"Silhouette Score: {silhouette_avg:.4f}\n")
```

Agglomerative Hierarchical Clustering with 2 Clusters:  
Cluster Assignments: [0 1 0 1 0 1 ... 0 0 0 0 0]  
Silhouette Score: 0.5268

Agglomerative Hierarchical Clustering with 3 Clusters:  
Cluster Assignments: [0 1 0 1 0 1 ... 0 0 2 0 2]  
Silhouette Score: 0.6894

```
Agglomerative Hierarchical Clustering with 4 Clusters:
Cluster Assignments: [3 0 1 0 3 0 ... 1 1 1 2 3 2]
Silhouette Score: 0.6966
```

```
Agglomerative Hierarchical Clustering with 5 Clusters:
Cluster Assignments: [1 3 0 3 1 4 ... 0 0 0 2 1 2]
Silhouette Score: 0.5915
```

```
Agglomerative Hierarchical Clustering with 6 Clusters:
Cluster Assignments: [1 3 5 3 1 4 ... 5 5 2 0 1 0]
Silhouette Score: 0.5058
```

```
Agglomerative Hierarchical Clustering with 7 Clusters:
Cluster Assignments: [0 1 5 1 0 4 ... 5 5 2 6 0 3]
Silhouette Score: 0.4200
```

## 8.2.2 Case Study

Let's proceed with the tutorial on hierarchical clustering using the "Iris" dataset. We will demonstrate the agglomerative hierarchical clustering method, which is a popular hierarchical clustering approach.

### 8.2.2.1 Setup

Dataset loading and exploration

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_iris
from sklearn.preprocessing import StandardScaler
from sklearn.cluster import AgglomerativeClustering
from scipy.cluster.hierarchy import dendrogram, linkage

# Load the Iris dataset
data = load_iris()
X, y = data.data, data.target

# Convert to DataFrame for easier manipulation (optional)
df = pd.DataFrame(data=np.c_[X, y],
                   columns=data.feature_names + ['target'])

# Explore the dataset
print(df.head())
print(df.describe())
print(df.info())
```

```

    sepal length (cm)  sepal width (cm)  petal length (cm)  petal width (cm) \
0                  5.1              3.5                1.4               0.2
1                  4.9              3.0                1.4               0.2
2                  4.7              3.2                1.3               0.2
3                  4.6              3.1                1.5               0.2
4                  5.0              3.6                1.4               0.2

   target
0  0.0
1  0.0
2  0.0
3  0.0
4  0.0

    sepal length (cm)  sepal width (cm)  petal length (cm) \
count      150.000000      150.000000      150.000000
mean       5.843333       3.057333       3.758000
std        0.828066       0.435866       1.765298
min        4.300000       2.000000       1.000000
25%       5.100000       2.800000       1.600000
50%       5.800000       3.000000       4.350000
75%       6.400000       3.300000       5.100000
max       7.900000       4.400000       6.900000

    petal width (cm)  target
count      150.000000  150.000000
mean       1.199333   1.000000
std        0.762238   0.819232
min        0.100000   0.000000
25%       0.300000   0.000000
50%       1.300000   1.000000
75%       1.800000   2.000000
max       2.500000   2.000000
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   sepal length (cm)  150 non-null   float64
 1   sepal width (cm)  150 non-null   float64
 2   petal length (cm) 150 non-null   float64
 3   petal width (cm)  150 non-null   float64
 4   target            150 non-null   float64
dtypes: float64(5)
memory usage: 6.0 KB
None

```

### 8.2.2.2 Data Preprocessing

Before applying hierarchical clustering, we need to preprocess the data to standardize the features.

```
# Standardize the features
scaler = StandardScaler()
X_scaled = scaler.fit_transform(X)
```

### 8.2.2.3 Agglomerative Hierarchical Clustering

```
# Initialize the Agglomerative clustering algorithm
agglomerative = AgglomerativeClustering(n_clusters=3)

# Fit the model to the data
agglomerative.fit(X_scaled)

# Get the cluster assignments for each sample
agglomerative_labels = agglomerative.labels_

print(f"Agglomerative Hierarchical Clustering:")
print(f"Cluster Assignments: {agglomerative_labels}")
```

Agglomerative Hierarchical Clustering:  
Cluster Assignments: [1 1 1 1 1 ... 0 0 0 0]

## 8.3 DENSITY-BASED CLUSTERING

Density-based clustering is a powerful technique in unsupervised machine learning used to discover clusters of varying shapes and sizes based on data density. This section introduces density-based clustering, specifically focusing on the DBSCAN algorithm using the Scikit-learn package.

Density-based clustering algorithms, such as DBSCAN (Density-Based Spatial Clustering of Applications with Noise), identify clusters based on the density of data points in the feature space. It is particularly useful for discovering clusters of irregular shapes and handling noise. Scikit-learn provides tools to implement DBSCAN effectively. You will explore practical implementation steps, including using the DBSCAN class in Scikit-learn to perform density-based clustering on a dataset, customizing DBSCAN parameters, such as epsilon (neighborhood distance) and minimum samples, and visualizing the resulting clusters and identifying noise points.

### 8.3.1 Tutorial

#### 8.3.1.1 Setup

```
import numpy as np

from sklearn.cluster import DBSCAN
from sklearn import metrics
from sklearn.datasets import make_blobs
from sklearn.preprocessing import StandardScaler
```

```
# Generate sample data
centers = [[1, 1], [-1, -1], [1, -1]]
X, labels_true = make_blobs(
    n_samples=750, centers=centers, cluster_std=0.4, random_state=0
)

X = StandardScaler().fit_transform(X)
```

### 8.3.1.2 DBSCAN

```
# Compute DBSCAN
db = DBSCAN(eps=0.3, min_samples=10).fit(X)
core_samples_mask = np.zeros_like(db.labels_, dtype=bool)
core_samples_mask[db.core_sample_indices_] = True
labels = db.labels_
# Number of clusters in labels, ignoring noise if present.
n_clusters_ = len(set(labels)) - (1 if -1 in labels else 0)
n_noise_ = list(labels).count(-1)

print("Estimated number of clusters: %d" % n_clusters_)
print("Estimated number of noise points: %d" % n_noise_)
print("Homogeneity: %0.3f" %
      metrics.homogeneity_score(labels_true, labels))
print("Completeness: %0.3f" %
      metrics.completeness_score(labels_true, labels))
print("V-measure: %0.3f" %
      metrics.v_measure_score(labels_true, labels))
print("Adjusted Rand Index: %0.3f" %
      metrics.adjusted_rand_score(labels_true, labels))
print("Adjusted Mutual Information: %0.3f" %
      metrics.adjusted_mutual_info_score(labels_true, labels))
print("Silhouette Coefficient: %0.3f" %
      metrics.silhouette_score(X, labels))

# Plot result
import matplotlib.pyplot as plt

# Black removed and is used for noise instead.
unique_labels = set(labels)
colors = [plt.cm.Spectral(each) for each in
          np.linspace(0, 1, len(unique_labels))]
for k, col in zip(unique_labels, colors):
    if k == -1:
        # Black used for noise.
        col = [0, 0, 0, 1]

    class_member_mask = labels == k

    xy = X[class_member_mask & core_samples_mask]
    plt.plot(
```

```

xy[:, 0],
xy[:, 1],
"o",
markerfacecolor=tuple(col),
markeredgecolor="k",
markersize=14,
)

xy = X[class_member_mask & ~core_samples_mask]
plt.plot(
    xy[:, 0],
    xy[:, 1],
    "o",
    markerfacecolor=tuple(col),
    markeredgecolor="k",
    markersize=6,
)
plt.title("Estimated number of clusters: %d" % n_clusters_)
plt.show()

```

Estimated number of clusters: 3  
 Estimated number of noise points: 18  
 Homogeneity: 0.953  
 Completeness: 0.883  
 V-measure: 0.917  
 Adjusted Rand Index: 0.952  
 Adjusted Mutual Information: 0.916  
 Silhouette Coefficient: 0.626

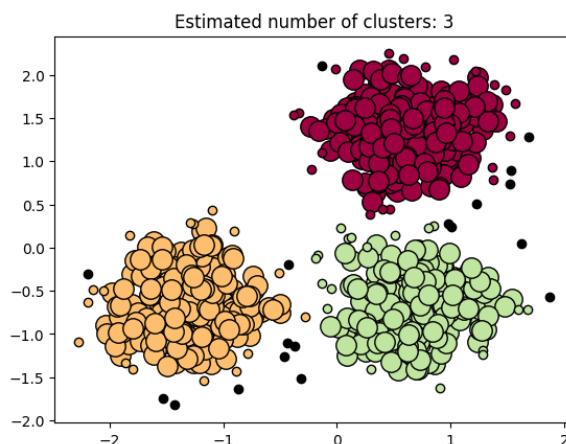


Figure 8.18 DBSCAN Result with Three Clusters

### 8.3.2 Case Study

Let's proceed with the tutorial on density-based clustering using the "Iris" dataset. We will demonstrate the DBSCAN (Density-Based Spatial Clustering of Applications with Noise) algorithm with multiple values of `eps` and `min_samples` for comparison.

#### 8.3.2.1 Setup

Before applying DBSCAN, we need to preprocess the data to standardize the features.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load_iris
from sklearn.preprocessing import StandardScaler
from sklearn.cluster import DBSCAN
from sklearn.metrics import silhouette_score, adjusted_rand_score

# Load the Iris dataset
data = load_iris()
X, y = data.data, data.target

# Convert to DataFrame for easier manipulation (optional)
df = pd.DataFrame(data=np.c_[X, y],
                   columns=data.feature_names + ['target'])

# Explore the dataset
print(df.head())
print(df.describe())
print(df.info())

# Standardize the features
scaler = StandardScaler()
X_scaled = scaler.fit_transform(X)
```

	sepal length (cm)	sepal width (cm)	petal length (cm)	petal width (cm)	\
0	5.1	3.5	1.4	0.2	
1	4.9	3.0	1.4	0.2	
2	4.7	3.2	1.3	0.2	
3	4.6	3.1	1.5	0.2	
4	5.0	3.6	1.4	0.2	

	target
0	0.0
1	0.0
2	0.0
3	0.0
4	0.0

	sepal length (cm)	sepal width (cm)	petal length (cm)	\
count	150.000000	150.000000	150.000000	
mean	5.843333	3.057333	3.758000	
std	0.828066	0.435866	1.765298	
min	4.300000	2.000000	1.000000	

25%	5.100000	2.800000	1.600000
50%	5.800000	3.000000	4.350000
75%	6.400000	3.300000	5.100000
max	7.900000	4.400000	6.900000

```

petal width (cm)      target
count        150.000000  150.000000
mean         1.199333   1.000000
std          0.762238   0.819232
min          0.100000   0.000000
25%          0.300000   0.000000
50%          1.300000   1.000000
75%          1.800000   2.000000
max          2.500000   2.000000
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 150 entries, 0 to 149
Data columns (total 5 columns):
 #   Column            Non-Null Count  Dtype  
---  --  
 0   sepal length (cm)  150 non-null    float64 
 1   sepal width (cm)  150 non-null    float64 
 2   petal length (cm) 150 non-null    float64 
 3   petal width (cm)  150 non-null    float64 
 4   target             150 non-null    float64 
dtypes: float64(5)
memory usage: 6.0 KB
None

```

### 8.3.2.2 DBSCAN

DBSCAN clustering with different `eps` and `min_samples`

```

# Define a range of `eps` and `min_samples` values to try
eps_values = [0.2, 0.3, 0.4, 0.5]
min_samples_values = [2, 3, 4]

# Perform DBSCAN clustering
fig, axs = plt.subplots(len(eps_values), len(min_samples_values),
                       figsize=(15, 15))
fig.subplots_adjust(hspace=0.5)

for i, eps in enumerate(eps_values):
    for j, min_samples in enumerate(min_samples_values):
        dbSCAN = DBSCAN(eps=eps, min_samples=min_samples)
        dbSCAN_labels = dbSCAN.fit_predict(X_scaled)

        # Number of clusters in labels, ignoring noise if present
        n_clusters_ = len(set(dbSCAN_labels)) -
        (1 if -1 in dbSCAN_labels else 0)

        # Calculate the silhouette score and adjusted Rand Index score
        silhouette_avg = silhouette_score(X_scaled, dbSCAN_labels)
        ari_score = adjusted_rand_score(y, dbSCAN_labels)

```

```

# Scatter plot for each combination of eps and min_samples
for i in range(3):
    for j in range(3):
        axs[i, j].scatter(X_scaled[:, 0], X_scaled[:, 1],
                           c=dbSCAN_labels, cmap='viridis', s=50)
        axs[i, j].set_title(f'DBSCAN Clustering (eps={eps},\nmin_samples={min_samples})\n' +
                            f'Clusters: {n_clusters_},\nSilhouette Score: {silhouette_avg:.2f},\n' +
                            f'ARI: {ari_score:.2f}')
        axs[i, j].set_xlabel('Feature 1 (Scaled)')
        axs[i, j].set_ylabel('Feature 2 (Scaled)')

plt.show()

```

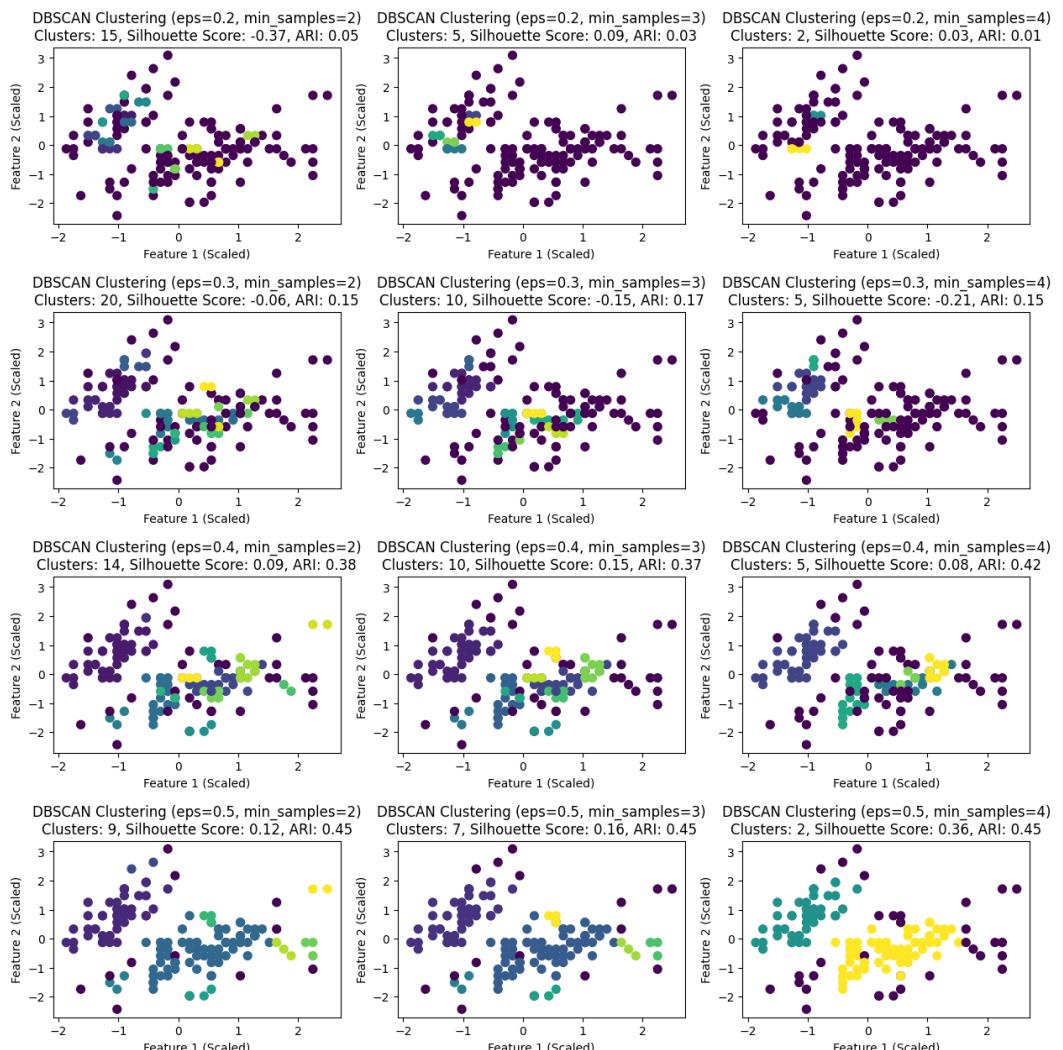


Figure 8.19 Comparison among DBSCAN Results

## 8.4 GRID-BASED CLUSTERING

Grid-based clustering is an innovative technique in unsupervised machine learning that partitions the feature space into a grid and then identifies clusters within these grid cells. This section introduces grid-based clustering methods, specifically focusing on STING (Statistical Information Grid) and OPTICS (Ordering Points To Identify Clustering Structure) using the Scikit-learn package.

Grid-based clustering methods offer a unique approach to cluster discovery by dividing the feature space into a grid of cells and identifying clusters within these cells. This technique is particularly useful for datasets with non-uniform density. Scikit-learn provides tools to implement grid-based clustering techniques effectively. You will explore practical implementation steps, including using the STING and OPTICS classes in Scikit-learn to perform grid-based clustering on a dataset, customizing parameters, such as grid cell size and density thresholds, to control the clustering process, and visualizing the identified clusters and their hierarchical relationships (OPTICS).

### 8.4.1 Tutorial

#### 8.4.1.1 Setup

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.datasets import make_blobs

# Generate a dummy dataset with grid-like structure
X, y = make_blobs(n_samples=500, centers=4
                  , cluster_std=1.5, random_state=42)

# Plot the dataset
plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c='b', s=50)
plt.title("Dummy Grid-like Dataset")
plt.xlabel("Feature 1")
plt.ylabel("Feature 2")
plt.show()
```

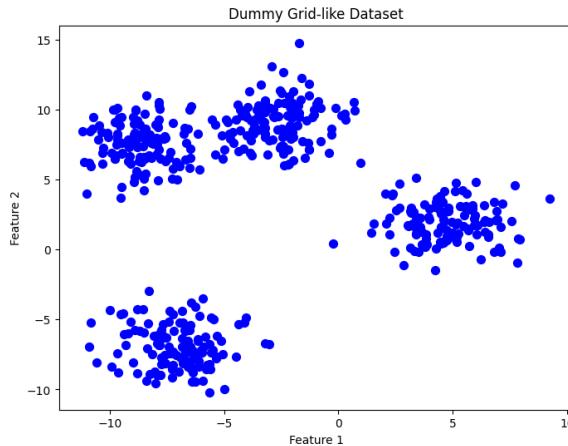


Figure 8.20 A Scatter Plot of Feature1 VS Feature2

```
!pip install scikit-learn-extra
```

#### 8.4.1.2 STING

```
from sklearn_extra.cluster import KMedoids

# Perform STING clustering using KMedoids
grid_size = 10
# STING uses KMedoids as its clustering algorithm
sting = KMedoids(n_clusters=4, random_state=42)
sting_labels = sting.fit_predict(X)

print(f"STING Clustering:")
print(f"Cluster Assignments: {sting_labels}")
```

STING Clustering:  
Cluster Assignments: [2 0 1 3 0 ... 2 3 0 0 1]

```
# Visualization of Clustering Results
plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c=sting_labels, cmap='viridis', s=50)
plt.title('STING Clustering')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')

plt.tight_layout()
plt.show()
```

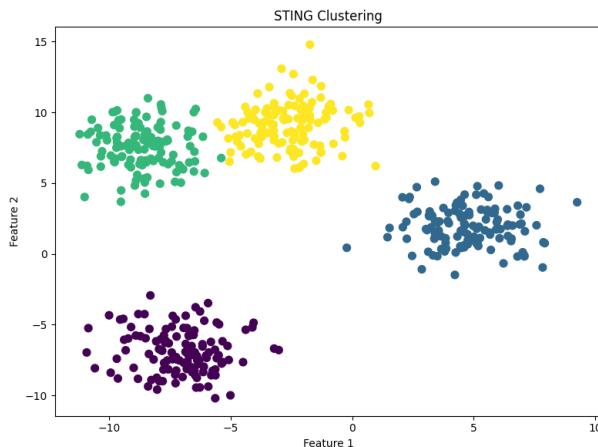


Figure 8.21 STING Clustering Result

#### 8.4.1.3 CLIQUE

```
!pip install pyclustering

from pyclustering.cluster.clique import clique, clique_visualizer

# Perform CLIQUE clustering
# create CLIQUE algorithm for processing

# defines amount of cells in grid in each dimension
intervals = 20
# lets consider each point as non-outlier
threshold = 3
clique_instance = clique(X.tolist(), intervals, threshold)

# start clustering process and obtain results
clique_instance.process()

# allocated clusters
clusters = clique_instance.get_clusters()
# points that are considered as outliers (in this example should be empty)
noise = clique_instance.get_noise()
# CLIQUE blocks that forms grid
cells = clique_instance.get_cells()

print("Amount of clusters:", len(clusters))

# visualize clustering results
# show grid that has been formed by the algorithm
clique_visualizer.show_grid(cells, X.tolist())
# show clustering results
clique_visualizer.show_clusters(X.tolist(), clusters, noise)
```

Amount of clusters: 4

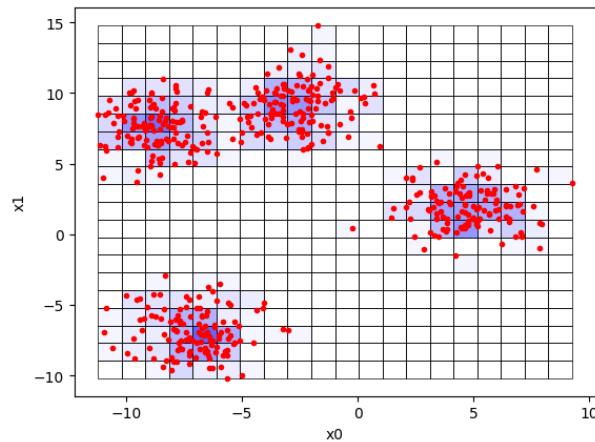


Figure 8.22 CLIQUE Clustering Result

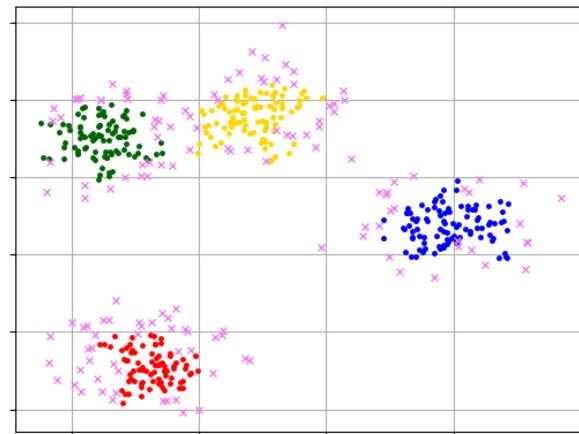


Figure 8.23 CLIQUE Clustering Result

#### 8.4.2 Case Study

Grid clustering methods are particularly suitable for datasets with a spatial or grid-like structure, where data points are organized on a regular grid or lattice. One such dataset that is commonly used for grid clustering methods is the “Two Moons” dataset.

The “Two Moons” dataset consists of two crescent-shaped clusters that are not linearly separable, making it a good choice for demonstrating grid and density clustering algorithms.

Let’s proceed with the “Two Moons” dataset and demonstrate STING, OPTICS, and DBSCAN.

#### 8.4.2.1 Setup

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.datasets import make_moons

# Generate the "Two Moons" dataset
X, y = make_moons(n_samples=500, noise=0.05, random_state=42)

# Plot the dataset
plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c='b', s=50)
plt.title("Two Moons Dataset")
plt.xlabel("Feature 1")
plt.ylabel("Feature 2")
plt.show()
```

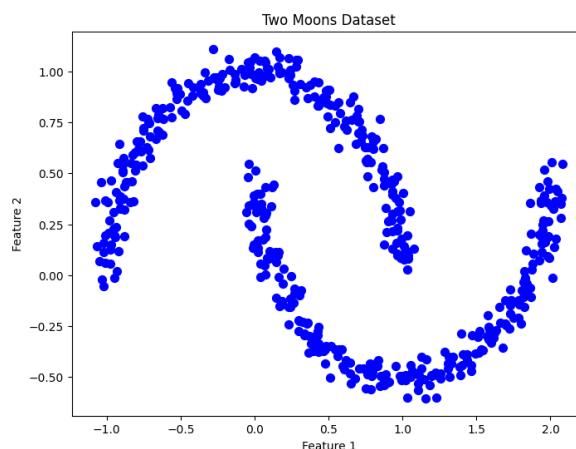


Figure 8.24 A Scatter Plot of Feature1 VS Feature2

#### 8.4.2.2 STING Clustering

STING (STatistical INformation Grid) is a grid-based clustering method that partitions the dataset into a hierarchical grid and then groups cells based on statistical properties.

```
!pip install scikit-learn-extra

from sklearn_extra.cluster import KMedoids
from sklearn.cluster import DBSCAN
from sklearn.metrics import adjusted_rand_score

# Perform STING clustering
grid_size = 2
sting = KMedoids(n_clusters=2, random_state=42)
sting_labels = sting.fit_predict(X)
```

```
# Calculate the Adjusted Rand Index (ARI) score
ari_score_sting = adjusted_rand_score(y, sting_labels)

print(f"STING Clustering:")
print(f"Adjusted Rand Index Score: {ari_score_sting:.4f}")
```

STING Clustering:  
Adjusted Rand Index Score: 0.2816

```
# Visualization of Clustering Results
plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c=sting_labels, cmap='viridis', s=50)
plt.title('STING Clustering')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')

plt.tight_layout()
plt.show()
```

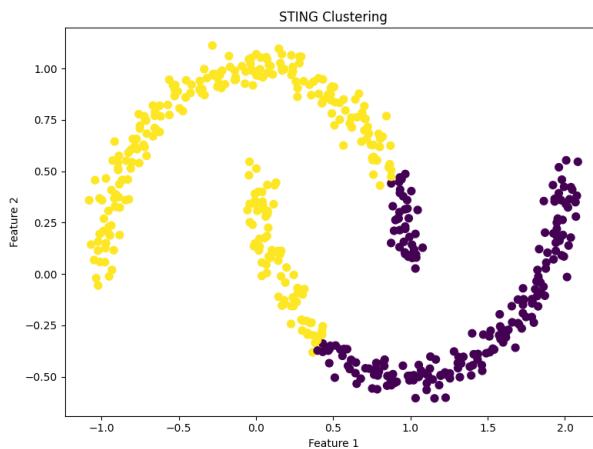


Figure 8.25 STING Clustering Result

Actually, density-based clustering methods are better for this dataset.

#### 8.4.2.3 OPTICS Clustering

OPTICS is a density-based clustering method that builds a reachability plot to identify clusters with varying density.

```
from sklearn.cluster import OPTICS
from sklearn.metrics import adjusted_rand_score

# Perform OPTICS clustering
optics = OPTICS(min_samples=10, xi=0.15, min_cluster_size=0.15)
optics_labels = optics.fit_predict(X)
```

```
# Calculate the Adjusted Rand Index (ARI) score
ari_score_optics = adjusted_rand_score(y, optics_labels)

print(f"OPTICS Clustering:")
print(f"Adjusted Rand Index Score: {ari_score_optics:.4f}")
```

OPTICS Clustering:  
Adjusted Rand Index Score: 1.0000

```
# Visualization of OPTICS Clustering Results
plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c=optics_labels, cmap='viridis', s=50)
plt.title('OPTICS Clustering')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.show()
```

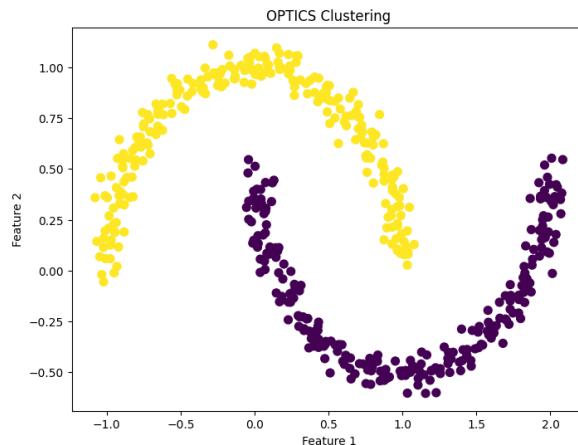


Figure 8.26 OPTICS Clustering Result

```
from sklearn.cluster import DBSCAN
from sklearn.metrics import adjusted_rand_score

# Perform DBSCAN clustering
dbscan = DBSCAN(eps=0.15, min_samples=10)
dbscan_labels = dbscan.fit_predict(X)

# Calculate the Adjusted Rand Index (ARI) score
ari_score_dbscan = adjusted_rand_score(y, dbscan_labels)

print(f"DBSCAN Clustering:")
print(f"Adjusted Rand Index Score: {ari_score_dbscan:.4f}")
```

DBSCAN Clustering:  
Adjusted Rand Index Score: 1.0000

```
# Visualization of DBSCAN Clustering Results
plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c=dbSCAN_labels, cmap='viridis', s=50)
plt.title('DBSCAN Clustering')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.show()
```

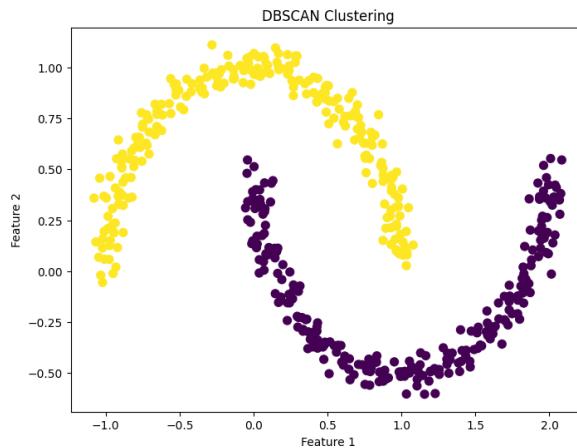


Figure 8.27 DBSCAN Clustering Result

## 8.5 PRINCIPAL COMPONENT ANALYSIS

Principal Component Analysis (PCA) is a fundamental dimensionality reduction technique widely used in machine learning and data analysis. This section introduces PCA, including both number-based and variance-based methods, using the Scikit-learn package.

PCA is a dimensionality reduction technique that aims to capture the most important information in a dataset by transforming the original features into a new set of orthogonal variables called principal components. It is used for data compression, visualization, and feature selection. Number-based PCA selection methods involve choosing a specific number of principal components based on the desired dimensionality reduction. Variance-based PCA selection methods aim to retain a sufficient amount of the total variance in the data. Scikit-learn provides user-friendly tools to implement PCA effectively. You will explore practical implementation steps, including using the PCA class in Scikit-learn to perform PCA on a dataset, determining the number of principal components to retain using methods like explained variance or cumulative variance, and transforming data into the PCA space for analysis or visualization.

### 8.5.1 Tutorial

#### 8.5.1.1 Round 1: Using Digits Dataset

##Load dataset and preprocess it

```
from sklearn.datasets import load_digits
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression

dataset = load_digits()
dataset.keys()
```

```
dict_keys(['data', 'target', 'frame',
          'feature_names', 'target_names', 'images', 'DESCR'])
```

```
dataset.data.shape
```

```
(1797, 64)
```

```
dataset.data[0]
```

```
array([ 0.,  0.,  5., 13.,  9.,  1.,  0.,  0.,  0.,  0., 13., 15., 10.,
       15.,  5.,  0.,  0.,  3., 15.,  2.,  0., 11.,  8.,  0.,  0.,  4.,
      12.,  0.,  0.,  8.,  8.,  0.,  0.,  5.,  8.,  0.,  0.,  9.,  8.,
      0.,  0.,  4., 11.,  0.,  1., 12.,  7.,  0.,  0.,  2., 14.,  5.,
     10., 12.,  0.,  0.,  0.,  6., 13., 10.,  0.,  0.,  0.])
```

```
dataset.data[0].reshape(8,8)
```

```
array([[ 0.,  0.,  5., 13.,  9.,  1.,  0.,  0.],
       [ 0.,  0., 13., 15., 10., 15.,  5.,  0.],
       [ 0.,  3., 15.,  2.,  0., 11.,  8.,  0.],
       [ 0.,  4., 12.,  0.,  0.,  8.,  8.,  0.],
       [ 0.,  5.,  8.,  0.,  0.,  9.,  8.,  0.],
       [ 0.,  4., 11.,  0.,  1., 12.,  7.,  0.],
       [ 0.,  2., 14.,  5., 10., 12.,  0.,  0.],
       [ 0.,  0.,  6., 13., 10.,  0.,  0.,  0.]])
```

```
plt.gray()
plt.matshow(dataset.data[0].reshape(8,8))
```

```
<matplotlib.image.AxesImage at 0x7fa60ce2d2d0>
```

```
<Figure size 432x288 with 0 Axes>
```

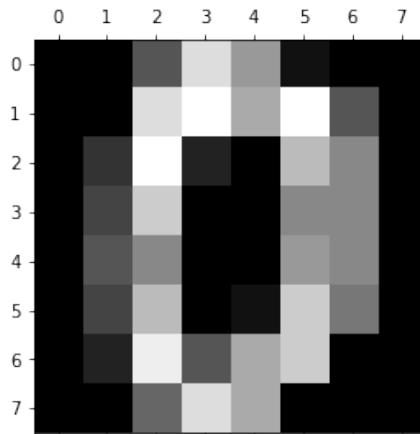


Figure 8.28 Digit 0

```
for i in range(10):  
    plt.matshow(dataset.data[i].reshape(8,8))
```

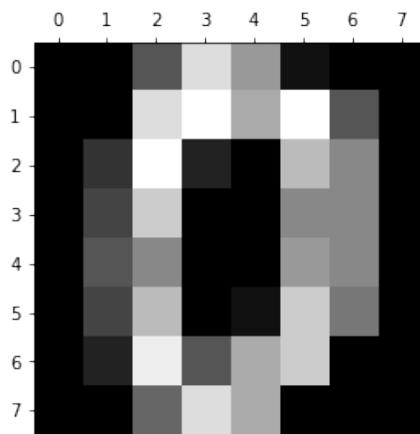


Figure 8.29 Digit 0

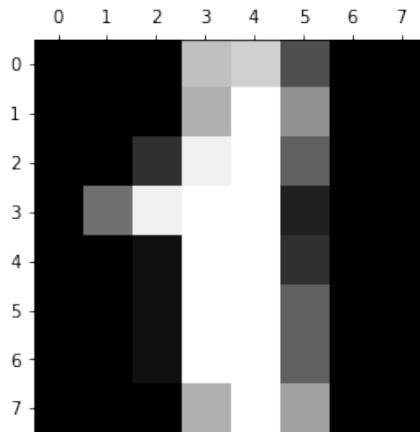


Figure 8.30 Digit 1

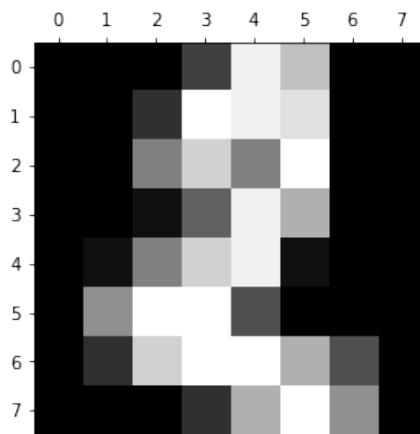


Figure 8.31 Digit 2

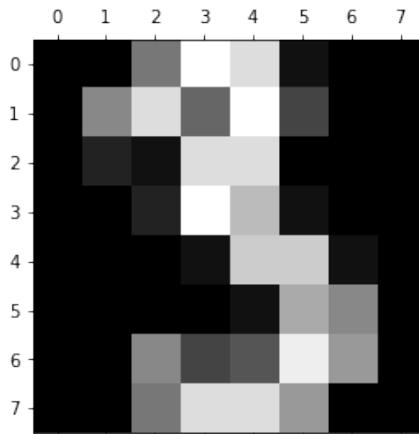


Figure 8.32 Digit 3

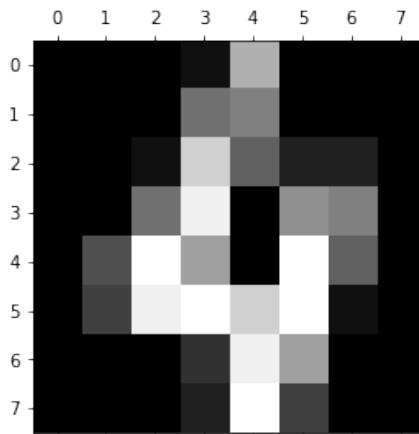


Figure 8.33 Digit 4

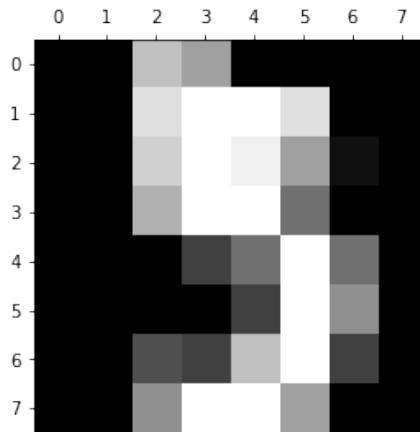


Figure 8.34 Digit 5

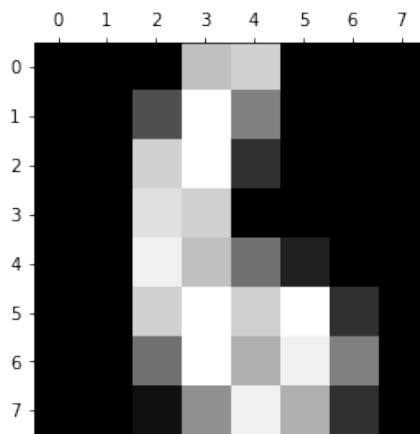


Figure 8.35 Digit 6

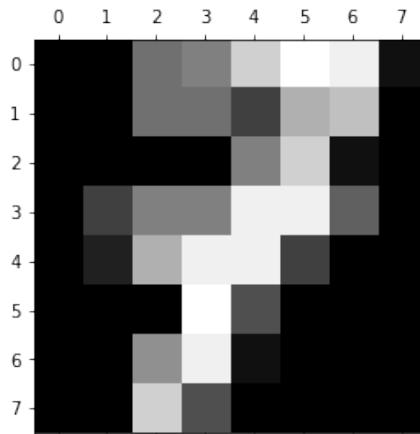


Figure 8.36 Digit 7

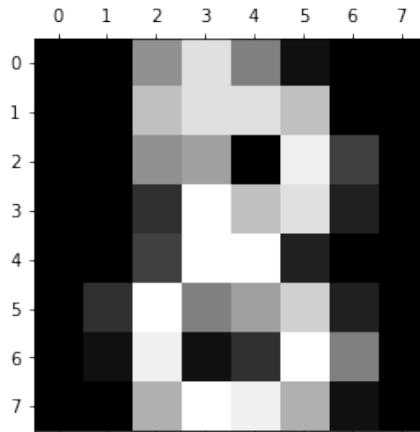


Figure 8.37 Digit 8

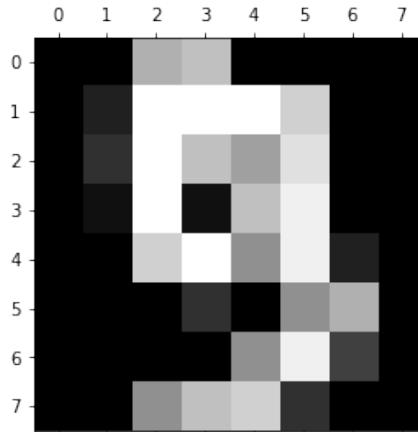


Figure 8.38 Digit 9

```
dataset.target
```

```
array([0, 1, 2, ..., 8, 9, 8])
```

```
df = pd.DataFrame(dataset.data, columns=dataset.feature_names)
df.head()
```

	pixel_0_0	pixel_0_1	pixel_0_2	...	pixel_7_6	pixel_7_7
0	0.0	0.0	5.0	...	0.0	0.0
1	0.0	0.0	0.0	...	0.0	0.0
2	0.0	0.0	0.0	...	0.0	0.0
3	0.0	0.0	7.0	...	0.0	0.0
4	0.0	0.0	0.0	...	0.0	0.0

[5 rows x 64 columns]

```
df.describe()
```

	pixel_0_0	pixel_0_1	pixel_0_2	...	pixel_7_7
count	1797.0	1797.000000	1797.000000	...	1797.000000
mean	0.0	0.303840	5.204786	...	0.364496
std	0.0	0.907192	4.754826	...	1.860122
min	0.0	0.000000	0.000000	...	0.000000
25%	0.0	0.000000	1.000000	...	0.000000
50%	0.0	0.000000	4.000000	...	0.000000
75%	0.0	0.000000	9.000000	...	0.000000
max	0.0	8.000000	16.000000	...	16.000000

[8 rows x 64 columns]

```
X = df
y = dataset.target
```

```
scaler = StandardScaler()
X = scaler.fit_transform(X)
X
```

```
array([[ 0.        , -0.33501649, -0.04308102, ... , -1.14664746,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -1.09493684, ... ,  0.54856067,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -1.09493684, ... ,  1.56568555,
       1.6951369 , -0.19600752],
       ... ,
       [ 0.        , -0.33501649, -0.88456568, ... , -0.12952258,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -0.67419451, ... ,  0.8876023 ,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649,  1.00877481, ... ,  0.8876023 ,
       -0.26113572, -0.19600752]])
```

Train a simple Logistic Regression classifier

```
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2
                                                 , random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train, y_train)
model.score(X_test, y_test)
```

0.9722222222222222

Conclusion: With 100% information (64 features), we can achieve 97.2% accuracy.

### 8.5.1.2 Round 2: Use PCA with 0.95 for Analysis

Keep 95% information PCA for dimension deduction

```
X
```

```
array([[ 0.        , -0.33501649, -0.04308102, ... , -1.14664746,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -1.09493684, ... ,  0.54856067,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -1.09493684, ... ,  1.56568555,
       1.6951369 , -0.19600752],
       ... ,
       [ 0.        , -0.33501649, -0.88456568, ... , -0.12952258,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -0.67419451, ... ,  0.8876023 ,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649,  1.00877481, ... ,  0.8876023 ,
       -0.26113572, -0.19600752]])
```

```
X.shape
```

(1797, 64)

```
from sklearn.decomposition import PCA

pca = PCA(0.95)
X_pca = pca.fit_transform(X)
X_pca.shape
```

(1797, 40)

```
pca.explained_variance_ratio_
```

```
array([0.12033916, 0.09561054, 0.08444415, 0.06498408, 0.04860155,
       0.0421412 , 0.03942083, 0.03389381, 0.02998221, 0.02932003,
       0.02781805, 0.02577055, 0.02275303, 0.0222718 , 0.02165229,
       0.01914167, 0.01775547, 0.01638069, 0.0159646 , 0.01489191,
       0.0134797 , 0.01271931, 0.01165837, 0.01057647, 0.00975316,
       0.00944559, 0.00863014, 0.00836643, 0.00797693, 0.00746471,
       0.00725582, 0.00691911, 0.00653909, 0.00640793, 0.00591384,
       0.00571162, 0.00523637, 0.00481808, 0.00453719, 0.00423163])
```

```
pca.n_components_
```

40

```
X_pca
```

```
array([[ 1.91421366, -0.95450157, -3.94603482, ...,  0.81405925,
       0.0249306 ,  0.32193146],
       [ 0.58898033,  0.9246358 ,  3.92475494, ...,  0.20026094,
       0.08710843, -0.48914299],
       [ 1.30203906, -0.31718883,  3.02333293, ..., -0.214596 ,
       -1.2788745 ,  0.54583387],
       ...,
       [ 1.02259599, -0.14791087,  2.46997365, ...,  0.60136463,
       0.41238798,  1.20886377],
       [ 1.07605522, -0.38090625, -2.45548693, ...,  0.43756556,
       -0.69863483, -0.44339963],
       [-1.25770233, -2.22759088,  0.28362789, ..., -0.38108638,
       0.12855104,  1.32137195]])
```

```
X_train_pca, X_test_pca, y_train, y_test
= train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.9638888888888889

Conclusion: With 95% information (40 features), we achieved 96.4% accuracy.

### 8.5.1.3 Round 3: Use PCA with 0.80 for Analysis

Keep 80% information PCA for dimension deduction

```
X
```

```
array([[ 0.          , -0.33501649, -0.04308102, ... , -1.14664746,
       -0.5056698 , -0.19600752],
       [ 0.          , -0.33501649, -1.09493684, ... ,  0.54856067,
       -0.5056698 , -0.19600752],
       [ 0.          , -0.33501649, -1.09493684, ... ,  1.56568555,
       1.6951369 , -0.19600752],
       ... ,
       [ 0.          , -0.33501649, -0.88456568, ... , -0.12952258,
       -0.5056698 , -0.19600752],
       [ 0.          , -0.33501649, -0.67419451, ... ,  0.8876023 ,
       -0.5056698 , -0.19600752],
       [ 0.          , -0.33501649,  1.00877481, ... ,  0.8876023 ,
       -0.26113572, -0.19600752]])
```

```
X.shape
```

(1797, 64)

```
pca = PCA(0.80)
X_pca = pca.fit_transform(X)
X_pca.shape
```

(1797, 21)

```
pca.explained_variance_ratio_
```

```
array([0.12033916, 0.09561054, 0.08444415, 0.06498408, 0.04860155,
       0.0421412 , 0.03942083, 0.03389381, 0.02998221, 0.02932003,
       0.02781805, 0.02577055, 0.02275303, 0.0222718 , 0.02165229,
       0.01914167, 0.01775547, 0.01638069, 0.0159646 , 0.01489191,
       0.0134797 ])
```

```
pca.n_components_
```

21

```
X_pca
```

```
array([[ 1.91421366, -0.95450157, -3.94603482, ... ,  0.41275404,
       0.43051695,  0.45099368],
       [ 0.58898033,  0.9246358 ,  3.92475494, ... ,  0.55308473,
       -0.06967631,  0.90981832],
       [ 1.30203906, -0.31718883,  3.02333293, ... , -1.06555601,
```

```
-1.13345406, -0.52591658],
...,
[ 1.02259599, -0.14791087,  2.46997365, ... , -1.61210006,
 0.18230257,  0.16666651],
[ 1.07605522, -0.38090625, -2.45548693, ... , -1.76918064,
 0.77471846, -0.13566828],
[-1.25770233, -2.22759088,  0.28362789, ... , -2.43897852,
 -1.13276155, -1.11458695]])
```

```
X_train_pca, X_test_pca, y_train, y_test
= train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.9472222222222222

Conclusion: With 80% information (21 features), we achieved 94.7% accuracy.

#### 8.5.1.4 Round 4: Use PCA with two features for analysis

Keep only two features PCA for dimension deduction

```
X
```

```
array([[ 0.        , -0.33501649, -0.04308102, ... , -1.14664746,
 -0.5056698 , -0.19600752],
 [ 0.        , -0.33501649, -1.09493684, ... ,  0.54856067,
 -0.5056698 , -0.19600752],
 [ 0.        , -0.33501649, -1.09493684, ... ,  1.56568555,
  1.6951369 , -0.19600752],
 ...,
 [ 0.        , -0.33501649, -0.88456568, ... , -0.12952258,
 -0.5056698 , -0.19600752],
 [ 0.        , -0.33501649, -0.67419451, ... ,  0.8876023 ,
 -0.5056698 , -0.19600752],
 [ 0.        , -0.33501649,  1.00877481, ... ,  0.8876023 ,
 -0.26113572, -0.19600752]])
```

```
X.shape
```

(1797, 64)

```
pca = PCA(n_components=2)
X_pca = pca.fit_transform(X)
X_pca.shape
```

(1797, 2)

```
pca.explained_variance_ratio_
```

```
array([0.12033916, 0.09561054])
```

```
pca.n_components_
```

2

```
X_pca
```

```
array([[ 1.91424073, -0.95439324],
       [ 0.58897815,  0.92467342],
       [ 1.30201409, -0.31731852],
       ...,
       [ 1.02261234, -0.14785558],
       [ 1.07607531, -0.38081854],
       [-1.25768733, -2.22764474]])
```

```
X_train_pca, X_test_pca, y_train, y_test
= train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.5666666666666667

Conclusion: With two features, we achieved 56.7% accuracy.

### 8.5.1.5 Round 5: Use PCA with ten Features for Analysis

Keep ten features PCA for dimension deduction

```
X
```

```
array([[ 0.        , -0.33501649, -0.04308102, ... , -1.14664746,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -1.09493684, ... ,  0.54856067,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -1.09493684, ... ,  1.56568555,
       1.6951369 , -0.19600752],
       ...,
       [ 0.        , -0.33501649, -0.88456568, ... , -0.12952258,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649, -0.67419451, ... ,  0.8876023 ,
       -0.5056698 , -0.19600752],
       [ 0.        , -0.33501649,  1.00877481, ... ,  0.8876023 ,
       -0.26113572, -0.19600752]])
```

```
X.shape
```

(1797, 64)

```
pca = PCA(n_components=10)
X_pca = pca.fit_transform(X)
X_pca.shape
```

(1797, 10)

```
pca.explained_variance_ratio_
```

```
array([0.12033916, 0.09561054, 0.08444414, 0.06498408, 0.04860031,
       0.04214069, 0.03941622, 0.03389025, 0.029981 , 0.0293009 ])
```

```
pca.n_components_
```

10

```
X_pca
```

```
array([[ 1.91419104, -0.95423662, -3.94596682, ...,  1.4875945 ,
        0.12958659, -0.80696961],
       [ 0.58907886,  0.92487031,  3.92502708, ...,  0.59412615,
        1.06303429,  0.01646066],
       [ 1.3020011 , -0.31734768,  3.02340561, ...,  1.15692023,
        0.78248132, -1.12782067],
       ...,
       [ 1.02278526, -0.14720481,  2.47042764, ...,  0.49576054,
        2.06471226, -1.94244605],
       [ 1.07606776, -0.38072138, -2.45549994, ...,  0.73116892,
        1.10143024, -0.22800896],
       [-1.25767195, -2.22777791,  0.2834488 , ..., -1.2334956 ,
        0.83499124, -1.77802894]])
```

```
X_train_pca, X_test_pca, y_train, y_test
= train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.8805555555555555

Conclusion: With ten features, we achieved 88.1% accuracy.

## 8.5.2 Case Study

### 8.5.2.1 Round 1: Using Wine Dataset

```
##Load dataset and preprocess it
```

```
from sklearn.datasets import load_wine
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
```

```
dataset = load_wine()
dataset.keys()
```

```
dict_keys(['data', 'target', 'frame',
          'target_names', 'DESCR', 'feature_names'])
```

```
dataset.data.shape
```

```
(178, 13)
```

```
dataset.data[0]
```

```
array([1.423e+01, 1.710e+00, 2.430e+00, 1.560e+01, 1.270e+02, 2.800e+00,
       3.060e+00, 2.800e-01, 2.290e+00, 5.640e+00, 1.040e+00, 3.920e+00,
       1.065e+03])
```

```
dataset.target
```

```
array([0, 0, 0, 0, 0, ... 2, 2, 2,
       2, 2])
```

```
df = pd.DataFrame(dataset.data, columns=dataset.feature_names)
df.head()
```

```
df.describe()
```

```
X = df
y = dataset.target
```

```
scaler = StandardScaler()
X = scaler.fit_transform(X)
X
```

```
array([[ 1.51861254, -0.5622498 ,  0.23205254, ... ,  0.36217728,
         1.84791957,  1.01300893],
       [ 0.24628963, -0.49941338, -0.82799632, ... ,  0.40605066,
         1.1134493 ,  0.96524152],
       [ 0.19687903,  0.02123125,  1.10933436, ... ,  0.31830389,
         0.78858745,  1.39514818],
       ... ,
       [ 0.33275817,  1.74474449, -0.38935541, ... , -1.61212515,
        -1.48544548,  0.28057537],
```

```
[ 0.20923168,  0.22769377,  0.01273209, ..., -1.56825176,
-1.40069891,  0.29649784],
[ 1.39508604,  1.58316512,  1.36520822, ..., -1.52437837,
-1.42894777, -0.59516041]])
```

Train a simple Logistic Regression classifier

```
X_train, X_test, y_train, y_test
= train_test_split(X, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train, y_train)
model.score(X_test, y_test)
```

```
0.9722222222222222
```

Conclusion: With 100% information (13 features), we can achieve 97.2% accuracy.

### 8.5.2.2 Round 2: Use PCA with 0.95 for Analysis

Keep 95% information PCA for dimension deduction

```
X
```

```
array([[ 1.51861254, -0.5622498 ,  0.23205254, ...,  0.36217728,
       1.84791957,  1.01300893],
       [ 0.24628963, -0.49941338, -0.82799632, ...,  0.40605066,
       1.1134493 ,  0.96524152],
       [ 0.19687903,  0.02123125,  1.10933436, ...,  0.31830389,
       0.78858745,  1.39514818],
       ...,
       [ 0.33275817,  1.74474449, -0.38935541, ..., -1.61212515,
      -1.48544548,  0.28057537],
       [ 0.20923168,  0.22769377,  0.01273209, ..., -1.56825176,
      -1.40069891,  0.29649784],
       [ 1.39508604,  1.58316512,  1.36520822, ..., -1.52437837,
      -1.42894777, -0.59516041]])
```

```
X.shape
```

```
(178, 13)
```

```
from sklearn.decomposition import PCA

pca = PCA(0.95)
X_pca = pca.fit_transform(X)
X_pca.shape
```

```
(178, 10)
```

```
pca.explained_variance_ratio_
```

```
array([0.36198848, 0.1920749 , 0.11123631, 0.0706903 , 0.06563294,
       0.04935823, 0.04238679, 0.02680749, 0.02222153, 0.01930019])
```

```
pca.n_components_
```

10

```
X_pca
```

```
array([[ 3.31675081e+00, -1.44346263e+00, -1.65739045e-01, ...,
       6.51390947e-02,  6.41442706e-01,  1.02095585e+00],
       [ 2.20946492e+00,  3.33392887e-01, -2.02645737e+00, ...,
       1.02441595e+00, -3.08846753e-01,  1.59701372e-01],
       [ 2.51674015e+00, -1.03115130e+00,  9.82818670e-01, ...,
       -3.44216131e-01, -1.17783447e+00,  1.13360857e-01],
       ...,
       [-2.67783946e+00, -2.76089913e+00, -9.40941877e-01, ...,
       4.70238043e-02,  1.22214687e-03, -2.47997312e-01],
       [-2.38701709e+00, -2.29734668e+00, -5.50696197e-01, ...,
       3.90828774e-01,  5.74476725e-02,  4.91489502e-01],
       [-3.20875816e+00, -2.76891957e+00,  1.01391366e+00, ...,
       -2.92913734e-01,  7.41660423e-01, -1.17969019e-01]])
```

```
X_train_pca, X_test_pca, y_train, y_test
    = train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.9722222222222222

Conclusion: With 95% information (ten features), we achieved 97.2% accuracy (equally good as using 13 features).

### 8.5.2.3 Round 3: Use PCA with 0.80 for Analysis

Keep 80% information PCA for dimension deduction

```
X
```

```
array([[ 1.51861254, -0.5622498 ,  0.23205254, ...,  0.36217728,
       1.84791957,  1.01300893],
       [ 0.24628963, -0.49941338, -0.82799632, ...,  0.40605066,
       1.1134493 ,  0.96524152],
       [ 0.19687903,  0.02123125,  1.10933436, ...,  0.31830389,
       0.78858745,  1.39514818],
       ...,
       [ 0.33275817,  1.74474449, -0.38935541, ..., -1.61212515,
       -1.48544548,  0.28057537],
       [ 0.20923168,  0.22769377,  0.01273209, ..., -1.56825176,
```

```
-1.40069891,  0.29649784],  
[ 1.39508604,  1.58316512,  1.36520822,  ..., -1.52437837,  
-1.42894777, -0.59516041]])
```

X.shape

(178, 13)

```
pca = PCA(0.80)  
X_pca = pca.fit_transform(X)  
X_pca.shape
```

(178, 5)

pca.explained\_variance\_ratio\_

```
array([0.36198848, 0.1920749 , 0.11123631, 0.0706903 , 0.06563294])
```

pca.n\_components\_

5

X\_pca

```
array([[ 3.31675081e+00, -1.44346263e+00, -1.65739045e-01,  
-2.15631188e-01,  6.93042841e-01],  
[ 2.20946492e+00,  3.33392887e-01, -2.02645737e+00,  
-2.91358318e-01, -2.57654635e-01],  
[ 2.51674015e+00, -1.03115130e+00,  9.82818670e-01,  
7.24902309e-01, -2.51033118e-01],  
...  
[-2.38701709e+00, -2.29734668e+00, -5.50696197e-01,  
-6.88284548e-01,  8.13955219e-01],  
[-3.20875816e+00, -2.76891957e+00,  1.01391366e+00,  
5.96903186e-01, -8.95192588e-01]])
```

```
X_train_pca, X_test_pca, y_train, y_test  
= train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)  
model.fit(X_train_pca, y_train)  
model.score(X_test_pca, y_test)
```

0.9722222222222222

Conclusion: With 80% information (five features), we achieved 97.2% accuracy.

#### 8.5.2.4 Round 4: Use PCA with two features for Analysis

Keep only two features PCA for dimension deduction

```
X
```

```
array([[ 1.51861254, -0.5622498 ,  0.23205254, ...,  0.36217728,
       1.84791957,  1.01300893],
       [ 0.24628963, -0.49941338, -0.82799632, ...,  0.40605066,
       1.1134493 ,  0.96524152],
       [ 0.19687903,  0.02123125,  1.10933436, ...,  0.31830389,
       0.78858745,  1.39514818],
       ...,
       [ 0.33275817,  1.74474449, -0.38935541, ..., -1.61212515,
       -1.48544548,  0.28057537],
       [ 0.20923168,  0.22769377,  0.01273209, ..., -1.56825176,
       -1.40069891,  0.29649784],
       [ 1.39508604,  1.58316512,  1.36520822, ..., -1.52437837,
       -1.42894777, -0.59516041]])
```

```
X.shape
```

(178, 13)

```
pca = PCA(n_components=2)
X_pca = pca.fit_transform(X)
X_pca.shape
```

(178, 2)

```
pca.explained_variance_ratio_
```

```
array([0.36198848, 0.1920749 ])
```

```
pca.n_components_
```

2

```
X_pca
```

```
array([[ 3.31675081, -1.44346263],
       [ 2.20946492,  0.33339289],
       [ 2.51674015, -1.0311513 ],
       ...,
       [-2.67783946, -2.76089913],
       [-2.38701709, -2.29734668],
       [-3.20875816, -2.76891957]])
```

```
X_train_pca, X_test_pca, y_train, y_test
= train_test_split(X_pca, y, test_size=0.2, random_state=30)
```

```
model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.9722222222222222

Conclusion: With two features, we achieved 96.2% accuracy.

### 8.5.2.5 Round 5: Use PCA with one Feature for Analysis

Keep one feature PCA for dimension deduction

X

```
array([[ 1.51861254, -0.5622498 ,  0.23205254, ...,  0.36217728,
       1.84791957,  1.01300893],
       [ 0.24628963, -0.49941338, -0.82799632, ...,  0.40605066,
       1.1134493 ,  0.96524152],
       [ 0.19687903,  0.02123125,  1.10933436, ...,  0.31830389,
       0.78858745,  1.39514818],
       ...,
       [ 0.33275817,  1.74474449, -0.38935541, ..., -1.61212515,
       -1.48544548,  0.28057537],
       [ 0.20923168,  0.22769377,  0.01273209, ..., -1.56825176,
       -1.40069891,  0.29649784],
       [ 1.39508604,  1.58316512,  1.36520822, ..., -1.52437837,
       -1.42894777, -0.59516041]])
```

X.shape

(178, 13)

```
pca = PCA(n_components=1)
X_pca = pca.fit_transform(X)
X_pca.shape
```

(178, 1)

pca.explained\_variance\_ratio\_

array([0.36198848])

pca.n\_components\_

1

X\_pca

```
array([[ 3.31675081],
       [ 2.20946492],
```

```
[ 2.51674015],
...
[-2.38701709],
[-3.20875816])

X_train_pca, X_test_pca, y_train, y_test
= train_test_split(X_pca, y, test_size=0.2, random_state=30)

model = LogisticRegression(max_iter=1000)
model.fit(X_train_pca, y_train)
model.score(X_test_pca, y_test)
```

0.8888888888888888

Conclusion: With just one feature, we achieved 88.9% accuracy.

## 8.6 CLUSTERING METHODS' COMPARISON

---

In this section, we will conduct a comprehensive case study to explore and compare the performance of various clustering methods we have introduced using a single dataset. This hands-on approach will provide you with practical insights into how different clustering techniques perform in real-world scenarios.

The case study aims to evaluate and compare the performance of different clustering methods, allowing you to make informed choices when selecting the most appropriate technique for a specific clustering task. You will work with a dataset suitable for clustering and apply the clustering methods we have covered. Based on the case study results, you will gain insights into which clustering method(s) perform best for the given dataset and clustering task. You will also learn how to choose the most suitable clustering technique based on specific requirements and characteristics of a problem.

### 8.6.1 Case Study

Let's proceed with the clustering case study using the "penguins" dataset. We'll demonstrate four types of clustering methods: (1) partitioning methods, (2) hierarchical methods, and (3) density-based methods. We will visualize the clustering results and compare them using the Silhouette Score.

#### 8.6.1.1 Setup

Load and explore the "penguins" dataset

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns

# Load the "penguins" dataset from Seaborn
```

```

penguins = sns.load_dataset('penguins')

# Explore the basic information about the dataset
print(penguins.head())
print(penguins.info())
print(penguins.describe())

# Drop rows with missing values
penguins = penguins.dropna()

# Convert categorical variables to numerical using one-hot encoding
penguins = pd.get_dummies(penguins
    , columns=['species', 'island', 'sex'], drop_first=True)

# Extract the feature columns for clustering
X = penguins.drop('species_Chinstrap', axis=1)

```

```

species      island  bill_length_mm  bill_depth_mm  flipper_length_mm \
0  Adelie    Torgersen        39.1          18.7            181.0
1  Adelie    Torgersen        39.5          17.4            186.0
2  Adelie    Torgersen        40.3          18.0            195.0
3  Adelie    Torgersen        NaN            NaN            NaN
4  Adelie    Torgersen        36.7          19.3            193.0

body_mass_g      sex
0      3750.0   Male
1      3800.0  Female
2      3250.0  Female
3        NaN      NaN
4      3450.0  Female
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 344 entries, 0 to 343
Data columns (total 7 columns):
 #   Column           Non-Null Count  Dtype  
--- 
 0   species          344 non-null    object 
 1   island            344 non-null    object 
 2   bill_length_mm    342 non-null    float64
 3   bill_depth_mm    342 non-null    float64
 4   flipper_length_mm 342 non-null    float64
 5   body_mass_g       342 non-null    float64
 6   sex               333 non-null    object 
dtypes: float64(4), object(3)
memory usage: 18.9+ KB
None
      bill_length_mm  bill_depth_mm  flipper_length_mm  body_mass_g
count    342.000000    342.000000    342.000000    342.000000
mean     43.921930    17.151170    200.915205   4201.754386
std      5.459584     1.974793     14.061714    801.954536
min     32.100000    13.100000    172.000000   2700.000000
25%    39.225000    15.600000    190.000000   3550.000000
50%    44.450000    17.300000    197.000000   4050.000000
75%    48.500000    18.700000    213.000000   4750.000000

```

max	59.600000	21.500000	231.000000	6300.000000
-----	-----------	-----------	------------	-------------

### 8.6.1.2 Clustering with Partitioning Methods

```
from sklearn.cluster import KMeans
from sklearn.metrics import silhouette_score

# Perform K-means clustering
kmeans = KMeans(n_clusters=3, random_state=42)
kmeans_labels = kmeans.fit_predict(X)

# Visualize K-means clustering results
plt.scatter(X['bill_length_mm'], X['bill_depth_mm'],
            c=kmeans_labels, cmap='viridis', s=50)
plt.title('K-means Clustering')
plt.xlabel('Bill Length (mm)')
plt.ylabel('Bill Depth (mm)')
plt.show()

# Calculate the Silhouette Score for K-means clustering
silhouette_score_kmeans = silhouette_score(X, kmeans_labels)
print(f"Silhouette Score (K-means): {silhouette_score_kmeans:.4f}")
```

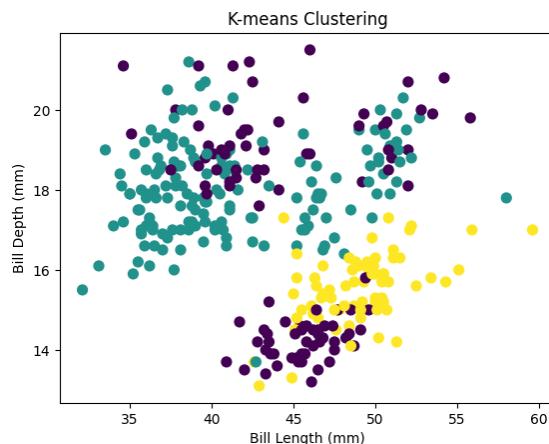


Figure 8.39 K-Means Clustering

Silhouette Score (K-means): 0.5752

### 8.6.1.3 Clustering with Hierarchical Methods

```
from sklearn.cluster import AgglomerativeClustering

# Perform Agglomerative Clustering
agglomerative = AgglomerativeClustering(n_clusters=3)
agglomerative_labels = agglomerative.fit_predict(X)
```

```
# Visualize Agglomerative Clustering results
plt.scatter(X['bill_length_mm'], X['bill_depth_mm']
            , c=agglomerative_labels, cmap='viridis', s=50)
plt.title('Agglomerative Clustering')
plt.xlabel('Bill Length (mm)')
plt.ylabel('Bill Depth (mm)')
plt.show()

# Calculate the Silhouette Score for Agglomerative Clustering
silhouette_score_agglomerative = silhouette_score(X, agglomerative_labels)
print(f"Silhouette Score (Agglomerative Clustering): {silhouette_score_agglomerative:.4f}")
```

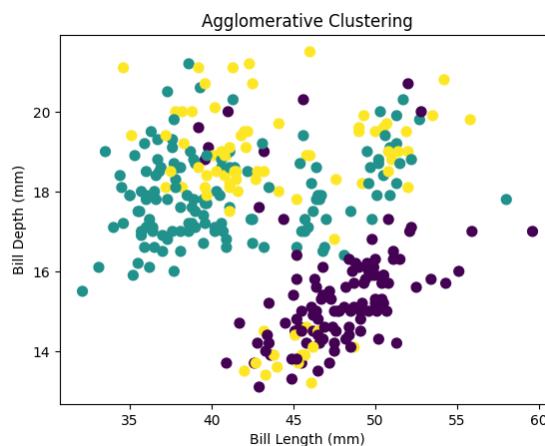


Figure 8.40 Agglomerative Clustering

Silhouette Score (Agglomerative Clustering): 0.5164

#### 8.6.1.4 Clustering with Density-Based Methods

```
from sklearn.cluster import DBSCAN

# Perform DBSCAN clustering
dbscan = DBSCAN(eps=20, min_samples=2)
dbscan_labels = dbscan.fit_predict(X)

# Visualize DBSCAN clustering results
plt.scatter(X['bill_length_mm'], X['bill_depth_mm']
            , c=dbscan_labels, cmap='viridis', s=50)
plt.title('DBSCAN Clustering')
plt.xlabel('Bill Length (mm)')
plt.ylabel('Bill Depth (mm)')
plt.show()
```

```
# Calculate the Silhouette Score for DBSCAN clustering
silhouette_score_dbSCAN = silhouette_score(X, dbSCAN_labels)
print(f"Silhouette Score (DBSCAN): {silhouette_score_dbSCAN:.4f}")
```

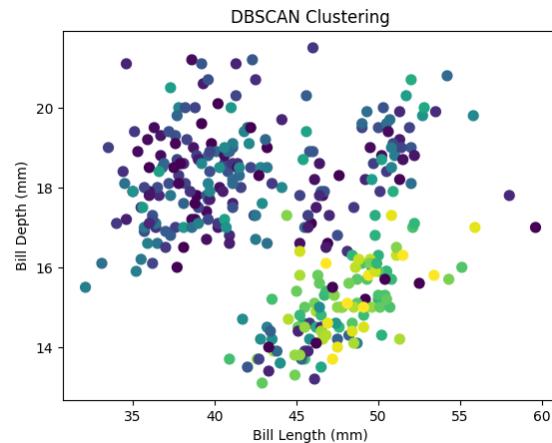


Figure 8.41 DBSCAN Clustering

Silhouette Score (DBSCAN): 0.6150

#### 8.6.1.5 Compare the Results and Conclusion

```
# Compare the Silhouette Scores
silhouette_scores = [silhouette_score_kmeans
    , silhouette_score_agglomerative
    , silhouette_score_dbSCAN]
method_names = ['K-means', 'Agglomerative', 'DBSCAN']

for i, score in enumerate(silhouette_scores):
    print(f"Silhouette Score ({method_names[i]}): {score:.4f}")
```

Silhouette Score (K-means): 0.5752  
 Silhouette Score (Agglomerative): 0.5164  
 Silhouette Score (DBSCAN): 0.6150

# Frequent Patterns

---

**F**REQUENT-PATTERN mining is a Data Mining task that aims to discover patterns or associations in a dataset that occur frequently. These patterns can be used to uncover relationships among items in the dataset and can be used for tasks such as market basket analysis, recommendation systems, and fraud detection.

There are many different frequent-pattern methods we use with Scikit-learn, but some of the most common include:

- Apriori: An algorithm that generates frequent itemsets by iteratively removing itemsets that do not meet a minimum support threshold.
- FP-Growth: An algorithm that generates frequent itemsets by building a compact data structure called a frequent-pattern tree, which allows for efficient generation of frequent itemsets.

## 9.1 FREQUENT ITEMSET AND ASSOCIATION RULES

---

Frequent itemset mining and association rule analysis are fundamental techniques in Data Mining used to discover associations and patterns within transactional datasets. This section introduces frequent itemsets and association rules using the mlxtend package, a versatile library for association analysis.

Frequent itemset mining identifies sets of items that frequently co-occur in transactions, while association rule analysis uncovers meaningful relationships and dependencies among items. These techniques provide valuable insights into customer behavior, product recommendations, and more. The mlxtend package offers a user-friendly environment to perform frequent itemset mining and association rule analysis efficiently. You will explore practical implementation steps, including using the apriori function in mlxtend to discover frequent itemsets based on specified support thresholds, extracting association rules from frequent itemsets using the association\_rules function, and

visualizing itemset relationships, rule metrics, and support-confidence trade-offs for interpretation.

### 9.1.1 Tutorial – Finding Frequent Itemset

Below is a step-by-step tutorial on how to recognize frequent itemsets based on minimum support using the Apriori algorithm in Python.

#### 9.1.1.1 Setup

Before proceeding, make sure you have the mlxtend library installed, which provides an efficient implementation of the Apriori algorithm.

```
!pip install mlxtend
```

#### 9.1.1.2 Load and Preprocess the Dataset

For this tutorial, we'll use a sample dataset representing transactions (e.g., purchases in a store). Each transaction is represented as a list of items.

```
import pandas as pd
from mlxtend.preprocessing import TransactionEncoder

# Sample dataset (list of transactions)
dataset = [
    ['Milk', 'Bread', 'Eggs'],
    ['Bread', 'Eggs', 'Butter'],
    ['Milk', 'Eggs'],
    ['Milk', 'Bread', 'Eggs', 'Butter'],
    ['Milk', 'Bread'],
    ['Bread', 'Eggs'],
    ['Milk', 'Bread', 'Butter'],
]

# Convert the dataset into a one-hot encoded format
te = TransactionEncoder()
te_ary = te.fit(dataset).transform(dataset)
df = pd.DataFrame(te_ary, columns=te.columns_)
print(df)
```

	Bread	Butter	Eggs	Milk
0	True	False	True	True
1	True	True	True	False
2	False	False	True	True
3	True	True	True	True
4	True	False	False	True
5	True	False	True	False
6	True	True	False	True

### 9.1.1.3 Perform Frequent Itemset Mining using Apriori

Now, we'll use the Apriori algorithm to mine frequent itemsets from the one-hot encoded dataset based on a minimum support threshold.

```
from mlxtend.frequent_patterns import apriori

# Define the minimum support threshold
min_support = 0.4

# Perform frequent itemset mining using Apriori
frequent_itemsets = apriori(df, min_support=min_support, use_colnames=True)

print(frequent_itemsets)
```

	support	itemsets
0	0.857143	(Bread)
1	0.428571	(Butter)
2	0.714286	(Eggs)
3	0.714286	(Milk)
4	0.428571	(Butter, Bread)
5	0.571429	(Eggs, Bread)
6	0.571429	(Milk, Bread)
7	0.428571	(Eggs, Milk)

### 9.1.1.4 Analyze and Interpret the Results

The output will be a DataFrame containing frequent itemsets, their corresponding support values, and the length of each itemset. The support value represents the percentage of transactions in which the itemset appears.

You can analyze and interpret the results to identify the most frequent itemsets and their support. These frequent itemsets represent the combinations of items that appear frequently in the transactions and can provide valuable insights into item co-occurrences.

In this tutorial, we demonstrated how to recognize frequent itemsets based on a minimum support threshold using the Apriori algorithm in Python. You can adjust the `min_support` threshold to obtain more or fewer frequent itemsets based on your specific use case.

Frequent itemset mining is a powerful technique for identifying interesting associations between items in transactional data and can be applied to various domains, such as market basket analysis, customer behavior analysis, and recommendation systems.

## 9.1.2 Tutorial – Detecting Association Rules

In this tutorial, we'll create a dummy dataset, use the Apriori algorithm to find frequent itemsets, and display the support, confidence, lift, and other association rule metrics.

### 9.1.2.1 Setup

Install required packages: Make sure you have the mlxtend library installed, as it provides an efficient implementation of the Apriori algorithm.

```
!pip install mlxtend
```

### 9.1.2.2 Create and Preprocess the Dummy Dataset

For this tutorial, we'll create a simple dummy dataset representing transactions (e.g., purchases in a store). Each transaction is represented as a list of items.

```
import pandas as pd
from mlxtend.preprocessing import TransactionEncoder

# Sample dataset (list of transactions)
dataset = [
    ['Milk', 'Bread', 'Eggs'],
    ['Bread', 'Eggs', 'Butter'],
    ['Milk', 'Eggs'],
    ['Milk', 'Bread', 'Eggs', 'Butter'],
    ['Milk', 'Bread'],
    ['Bread', 'Eggs'],
    ['Milk', 'Bread', 'Butter'],
]

# Convert the dataset into a one-hot encoded format
te = TransactionEncoder()
te_ary = te.fit(dataset).transform(dataset)
df = pd.DataFrame(te_ary, columns=te.columns_)
print(df)
```

	Bread	Butter	Eggs	Milk
0	True	False	True	True
1	True	True	True	False
2	False	False	True	True
3	True	True	True	True
4	True	False	False	True
5	True	False	True	False
6	True	True	False	True

### 9.1.2.3 Perform Frequent Itemset Mining using Apriori

Now, we'll use the Apriori algorithm to mine frequent itemsets from the one-hot encoded dataset.

```
from mlxtend.frequent_patterns import apriori, association_rules

# Define the minimum support threshold
min_support = 0.4
```

```
# Perform frequent itemset mining using Apriori
frequent_itemsets = apriori(df, min_support=min_support, use_colnames=True)

print("Frequent Itemsets:")
print(frequent_itemsets)
```

Frequent Itemsets:

	support	itemsets
0	0.857143	(Bread)
1	0.428571	(Butter)
2	0.714286	(Eggs)
3	0.714286	(Milk)
4	0.428571	(Butter, Bread)
5	0.571429	(Eggs, Bread)
6	0.571429	(Milk, Bread)
7	0.428571	(Eggs, Milk)

#### 9.1.2.4 Generate Association Rules

Next, we'll use the frequent itemsets to generate association rules and calculate various association metrics such as confidence and lift.

```
# Generate association rules with minimum confidence threshold (e.g., 0.6)
min_confidence = 0.6
association_rules_df = association_rules(frequent_itemsets
    , metric="confidence", min_threshold=min_confidence)

print("\nAssociation Rules:")
print(association_rules_df[['antecedents', 'consequents',
    'support', 'confidence', 'lift']])
```

Association Rules:

	antecedents	consequents	support	confidence	lift
0	(Butter)	(Bread)	0.428571	1.000000	1.166667
1	(Eggs)	(Bread)	0.571429	0.800000	0.933333
2	(Bread)	(Eggs)	0.571429	0.666667	0.933333
3	(Milk)	(Bread)	0.571429	0.800000	0.933333
4	(Bread)	(Milk)	0.571429	0.666667	0.933333
5	(Eggs)	(Milk)	0.428571	0.600000	0.840000
6	(Milk)	(Eggs)	0.428571	0.600000	0.840000

#### 9.1.2.5 Interpret the Results

The output will be DataFrames containing frequent itemsets and association rules along with the corresponding support, confidence, lift, and other metrics.

You can interpret the results to identify significant associations between items in transactions. The association rules represent interesting patterns of item co-occurrences with high confidence, indicating that if the antecedent of the rule is present in a transaction, the consequent is likely to be present as well.

In this tutorial, we demonstrated how to perform association rule mining using the Apriori algorithm in Python. The Apriori algorithm is a powerful technique for finding frequent itemsets and generating association rules, and it is widely used for market basket analysis and recommendation systems.

Feel free to experiment with different dataset examples and adjust the support and confidence thresholds to discover more or less frequent itemsets and association rules based on your specific use case.

## 9.2 APRIORI AND FP-GROWTH ALGORITHMS

---

Apriori and FP-Growth are classic algorithms used in frequent itemset mining and association rule analysis. This section introduces these two influential algorithms using the mlxtend package.

Apriori and FP-Growth are prominent algorithms for discovering frequent itemsets and generating association rules from transactional data. They play a crucial role in understanding customer behavior, product recommendations, and market basket analysis. The mlxtend package provides user-friendly tools to implement Apriori and FP-Growth efficiently. You will explore practical implementation steps, including using the `apriori` and `fpgrowth` functions in mlxtend to discover frequent itemsets based on specified support thresholds, extracting association rules from frequent itemsets using the `association_rules` function, and comparing the efficiency and performance of Apriori and FP-Growth.

### 9.2.1 Tutorial – Apriori Algorithm

Let's play with a tutorial for association rule mining using the Apriori algorithm with a dummy dataset representing transactions in a grocery store.

#### 9.2.1.1 Setup

Make sure you have the mlxtend library installed, as it provides an efficient implementation of the Apriori algorithm.

You can install the mlxtend library using pip:

```
!pip install mlxtend
```

#### 9.2.1.2 Create a Dummy Dataset

For this tutorial, we'll create a dummy dataset representing 1,000 transactions in a grocery store. Each transaction will contain a random selection of items from a list of ten unique items.

```
import pandas as pd
import numpy as np
from mlxtend.preprocessing import TransactionEncoder
```

```
# Set a random seed for reproducibility
np.random.seed(42)

# Number of records (transactions) in the dataset
num_records = 1000

# Number of unique items in the grocery store
num_items = 10

# Generate the dummy dataset
transactions = []
for _ in range(num_records):
    num_items_in_transaction = np.random.randint(1, num_items + 1)
    items = np.random.choice(range(1, num_items + 1),
                             num_items_in_transaction, replace=False)
    transactions.append([f"Item{item}" for item in items])

# Convert the dataset into a one-hot encoded format
te = TransactionEncoder()
te_ary = te.fit(transactions).transform(transactions)
df_encoded = pd.DataFrame(te_ary, columns=te.columns_)
print(df_encoded)
```

	Item1	Item10	Item2	Item3	Item4	Item5	Item6	Item7	Item8	Item9
0	True	True	True	True	False	False	True	True	False	True
1	True	True	True	True	False	False	True	True	True	True
2	False	False	False	True	False	False	False	True	False	False
3	True	True	True	True	True	True	True	True	True	True
4	True	True	True	True	True	True	True	False	True	True
..	...	...	...	...	...	...	...	...	...	...
995	True	False	True	True	False	False	False	False	False	True
996	False	False	False	False	False	False	False	True	False	False
997	True	False	False	True	True	True	False	True	False	True
998	False	True	False	True	False	False	False	True	False	False
999	False	False	False	False	True	False	False	True	True	True

[1000 rows x 10 columns]

### 9.2.1.3 Perform Frequent Itemset Mining using Apriori

Now, we'll use the Apriori algorithm to mine frequent itemsets from the one-hot encoded “Online Retail” dataset.

```
from mlxtend.frequent_patterns import apriori

# Define the minimum support threshold
min_support = 0.35

# Perform frequent itemset mining using Apriori
frequent_itemsets = apriori(df_encoded, min_support=min_support)
```

```
, use_colnames=True)

print("Frequent Itemsets:")
print(frequent_itemsets)
```

Frequent Itemsets:

	support	itemsets
0	0.530	(Item1)
1	0.546	(Item10)
2	0.543	(Item2)
3	0.545	(Item3)
4	0.527	(Item4)
5	0.540	(Item5)
6	0.533	(Item6)
7	0.532	(Item7)
8	0.533	(Item8)
9	0.545	(Item9)
10	0.358	(Item1, Item5)
11	0.358	(Item2, Item10)
12	0.359	(Item3, Item10)
13	0.351	(Item4, Item10)
14	0.353	(Item5, Item10)
15	0.364	(Item9, Item10)
16	0.351	(Item2, Item4)
17	0.357	(Item2, Item6)
18	0.352	(Item8, Item2)
19	0.362	(Item2, Item9)
20	0.354	(Item3, Item4)
21	0.362	(Item3, Item5)
22	0.357	(Item3, Item6)
23	0.360	(Item3, Item7)
24	0.362	(Item3, Item8)
25	0.356	(Item3, Item9)
26	0.358	(Item4, Item5)
27	0.350	(Item8, Item4)
28	0.352	(Item4, Item9)
29	0.352	(Item5, Item6)
30	0.352	(Item8, Item5)
31	0.356	(Item5, Item9)
32	0.354	(Item8, Item6)
33	0.355	(Item8, Item9)

#### 9.2.1.4 Generate Association Rules

Next, we'll use the frequent itemsets to generate association rules and calculate various association metrics such as confidence, lift, and support.

```
from mlxtend.frequent_patterns import association_rules

# Generate association rules with minimum confidence threshold (e.g., 0.5)
min_confidence = 0.67
association_rules_df = association_rules(frequent_itemsets,
                                           metric="confidence", min_threshold=min_confidence)
```

```
print("\nAssociation Rules:")
print(association_rules_df)
```

Association Rules:

	antecedents	consequents	antecedent support	consequent support	support \
0	(Item1)	(Item5)	0.530	0.540	0.358
1	(Item4)	(Item3)	0.527	0.545	0.354
2	(Item5)	(Item3)	0.540	0.545	0.362
3	(Item7)	(Item3)	0.532	0.545	0.360
4	(Item8)	(Item3)	0.533	0.545	0.362
5	(Item4)	(Item5)	0.527	0.540	0.358

	confidence	lift	leverage	conviction	zhangs_metric
0	0.675472	1.250874	0.071800	1.417442	0.426721
1	0.671727	1.232526	0.066785	1.386040	0.398855
2	0.670370	1.230037	0.067700	1.380337	0.406558
3	0.676692	1.241636	0.070060	1.407326	0.415836
4	0.679174	1.246192	0.071515	1.418216	0.423031
5	0.679317	1.257994	0.073420	1.434438	0.433581

## 9.2.2 Tutorial – FP-Growth Algorithm

Let's go through the step-by-step tutorial for association rule mining using the FP-Growth algorithm with a dummy dataset. We'll generate the dataset, apply FP-Growth to find frequent itemsets, and mine association rules.

### 9.2.2.1 Setup

Import necessary libraries.

```
!pip install mlxtend
```

```
import pandas as pd
from mlxtend.preprocessing import TransactionEncoder
from mlxtend.frequent_patterns import fpgrowth, association_rules
```

### 9.2.2.2 Prepare the Dataset

Generate the dummy dataset and convert the dataset into a one-hot encoded format.

```
# Sample dataset (list of transactions)
dataset = [
    ['Milk', 'Bread', 'Eggs'],
    ['Bread', 'Eggs', 'Butter'],
    ['Milk', 'Eggs'],
    ['Milk', 'Bread', 'Eggs', 'Butter'],
    ['Milk', 'Bread'],
    ['Bread', 'Eggs'],
    ['Milk', 'Bread', 'Butter'],
]
```

```
# Convert the dataset into a one-hot encoded format
te = TransactionEncoder()
te_ary = te.fit(dataset).transform(dataset)
df = pd.DataFrame(te_ary, columns=te.columns_)
print(df)
```

	Bread	Butter	Eggs	Milk
0	True	False	True	True
1	True	True	True	False
2	False	False	True	True
3	True	True	True	True
4	True	False	False	True
5	True	False	True	False
6	True	True	False	True

### 9.2.2.3 Apply FP-Growth to Find Frequent Itemsets

```
# Apply FP-growth to find frequent itemsets
frequent_itemsets = fpgrowth(df, min_support=0.4, use_colnames=True)

print(frequent_itemsets)
```

	support	itemsets
0	0.857143	(Bread)
1	0.714286	(Milk)
2	0.714286	(Eggs)
3	0.428571	(Butter)
4	0.571429	(Milk, Bread)
5	0.571429	(Eggs, Bread)
6	0.428571	(Eggs, Milk)
7	0.428571	(Butter, Bread)

### 9.2.2.4 Mine Association Rules from Frequent Itemsets

```
# Generate association rules with minimum confidence threshold (e.g., 0.6)
min_confidence = 0.6
association_rules_df = association_rules(frequent_itemsets
    , metric="confidence", min_threshold=min_confidence)

print("\nAssociation Rules:")
print(association_rules_df[['antecedents', 'consequents',
    'support', 'confidence', 'lift']])
```

Association Rules:

	antecedents	consequents	support	confidence	lift
0	(Milk)	(Bread)	0.571429	0.800000	0.933333
1	(Bread)	(Milk)	0.571429	0.666667	0.933333
2	(Eggs)	(Bread)	0.571429	0.800000	0.933333
3	(Bread)	(Eggs)	0.571429	0.666667	0.933333
4	(Eggs)	(Milk)	0.428571	0.600000	0.840000
5	(Milk)	(Eggs)	0.428571	0.600000	0.840000

```
6      (Butter)      (Bread)  0.428571  1.000000  1.166667
```

### 9.2.3 Case Study – Online Retail

Let's play with a Market Basket Analysis Data for Apriori algorithm and association rule mining.

#### 9.2.3.1 Setup

Make sure you have the mlxtend library installed, as it provides an efficient implementation of the Apriori algorithm.

You can install the mlxtend library using pip:

```
!pip install mlxtend
```

#### 9.2.3.2 Load the Dataset

For this tutorial, we'll use a dataset “Market Basket Analysis Data”. You should upload the .csv file to your Google Colab. Also, don't forget to set `index_col = 0` when you use `pd.read_csv()`.

```
import pandas as pd
from mlxtend.preprocessing import TransactionEncoder

# Upload the dataset
df = pd.read_csv('/content/basket_analysis.csv', index_col=0)
print(df.info())
df[:10]
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 999 entries, 0 to 998
Data columns (total 16 columns):
 #   Column      Non-Null Count  Dtype  
---  --  
 0   Apple        999 non-null   bool    
 1   Bread         999 non-null   bool    
 2   Butter        999 non-null   bool    
 3   Cheese        999 non-null   bool    
 4   Corn          999 non-null   bool    
 5   Dill          999 non-null   bool    
 6   Eggs          999 non-null   bool    
 7   Ice cream     999 non-null   bool    
 8   Kidney Beans 999 non-null   bool    
 9   Milk          999 non-null   bool    
 10  Nutmeg        999 non-null   bool    
 11  Onion          999 non-null   bool    
 12  Sugar          999 non-null   bool    
 13  Unicorn        999 non-null   bool    
 14  Yogurt         999 non-null   bool    
 15  chocolate     999 non-null   bool    
dtypes: bool(16)
```

```
memory usage: 23.4 KB
```

```
None
```

	Apple	Bread	Butter	Cheese	Corn	Dill	Eggs	Ice cream	Kidney Beans	\
0	False	True	False	False	True	True	False	True		False
1	False	False	False	False	False	False	False	False		False
2	True	False	True	False	False	True	False	True		False
3	False	False	True	True	False	True	False	False		False
4	True	True	False	False	False	False	False	False		False
5	True	True	True	True	False	True	False	True		False
6	False	False	True	False	False	False	True	True		True
7	True	False	False	True	False	False	True	False		False
8	True	False	False	False	True	True	True	True		False
9	True	False	False	False	False	True	True	True		False

	Milk	Nutmeg	Onion	Sugar	Unicorn	Yogurt	chocolate
0	False	False	False	True	False	True	True
1	True	False	False	False	False	False	False
2	True	False	False	False	False	True	True
3	True	True	True	False	False	False	False
4	False	False	False	False	False	False	False
5	False	True	False	False	True	True	True
6	True	True	True	False	False	True	False
7	False	True	False	True	False	True	False
8	True	True	True	True	True	True	True
9	True	False	True	True	True	False	True

### 9.2.3.3 Perform Frequent Itemset Mining using Apriori

Now, we'll use the Apriori algorithm to mine frequent itemsets from the one-hot encoded "Online Retail" dataset.

```
from mlxtend.frequent_patterns import apriori

# Define the minimum support threshold
min_support = 0.2

# Perform frequent itemset mining using Apriori
frequent_itemsets = apriori(df, min_support=min_support, use_colnames=True)

print("Frequent Itemsets:")
print(frequent_itemsets)
```

Frequent Itemsets:

	support	itemsets
0	0.383383	(Apple)
1	0.384384	(Bread)
2	0.420420	(Butter)
3	0.404404	(Cheese)
4	0.407407	(Corn)
5	0.398398	(Dill)
6	0.384384	(Eggs)

```

7  0.410410      (Ice cream)
8  0.408408      (Kidney Beans)
9  0.405405      (Milk)
10 0.401401      (Nutmeg)
11 0.403403      (Onion)
12 0.409409      (Sugar)
13 0.389389      (Unicorn)
14 0.420420      (Yogurt)
15 0.421421      (chocolate)
16 0.207207      (Butter, Ice cream)
17 0.202202      (Butter, Kidney Beans)
18 0.202202      (Butter, chocolate)
19 0.200200      (Cheese, Kidney Beans)
20 0.202202      (chocolate, Ice cream)
21 0.211211      (Milk, chocolate)

```

#### 9.2.3.4 Generate Association Rules

Next, we'll use the frequent itemsets to generate association rules and calculate various association metrics such as confidence, lift, and support.

```

from mlxtend.frequent_patterns import association_rules

# Generate association rules with minimum confidence threshold (e.g., 0.5)
min_confidence = 0.5
association_rules_df = association_rules(frequent_itemsets
    , metric="confidence", min_threshold=min_confidence)

print("\nAssociation Rules:")
print(association_rules_df)

```

Association Rules:						
	antecedents	consequents	antecedent support	consequent support	support	\
0	(Ice cream)	(Butter)	0.410410	0.420420	0.207207	
1	(Milk)	(chocolate)	0.405405	0.421421	0.211211	
2	(chocolate)	(Milk)	0.421421	0.405405	0.211211	
	confidence	lift	leverage	conviction	zhangs_metric	
0	0.504878	1.200889	0.034662	1.170579	0.283728	
1	0.520988	1.236263	0.040365	1.207857	0.321413	
2	0.501188	1.236263	0.040365	1.192021	0.330310	

#### 9.2.3.5 Interpret the Results

The output will be DataFrames containing frequent itemsets and association rules along with the corresponding support, confidence, lift, and other metrics.

You can interpret the results to identify significant associations between items in transactions. The association rules represent interesting patterns of item co-occurrences with high confidence, indicating that if the antecedent of the rule is present in a transaction, the consequent is likely to be present as well.

In this case study, we demonstrated how to perform association rule mining using the Apriori algorithm with the “Groceries” dataset. The Apriori algorithm is a powerful technique for finding frequent itemsets and generating association rules, and it is widely used for market basket analysis and recommendation systems.

Feel free to experiment with different datasets and adjust the support and confidence thresholds to discover more or less frequent itemsets and association rules based on your specific use case.

# Outlier Detection

---

OUTLIER DETECTION, also known as anomaly detection, is a technique used to identify observations in a dataset that deviate significantly from the majority of the data. These observations are often referred to as “outliers” or “anomalies”. Outlier detection is useful in a variety of fields such as finance, healthcare, and cybersecurity, for identifying unusual patterns, fraud, or errors in data.

There are many different outlier detection methods we use with Scikit-learn, but some of the most common include:

- Isolation Forest: A method that isolates observations by randomly selecting a feature and then randomly selecting a split value between the maximum and minimum values of the selected feature.
- Local Outlier Factor (LOF): A method that calculates the local density of a data point and compares it with the densities of its neighbors. Data points with a low local density are considered outliers.
- One-Class SVM: A method that learns a boundary that separates the majority of the data from the outlier data.
- DBSCAN: A density-based clustering algorithm that can be used for outlier detection. DBSCAN groups together data points that are close to each other based on a density threshold, called Eps, and a minimum number of points, called MinPts. Data points that are not part of any dense group are considered outliers.
- IQR: A statistical measure that can be used to detect outliers in a dataset. It is defined as the difference between the third quartile (Q3) and the first quartile (Q1) of a dataset. The IQR is a measure of the spread of the middle 50% of the data, and it is robust to outliers.

## 10.1 OUTLIER DETECTION

---

Outlier detection is a critical task in data analysis, aiming to identify data points that deviate significantly from the norm. This section introduces various outlier detection methods using the Scikit-learn package.

Outliers are data points that exhibit unusual behavior compared to the majority of data in a dataset. Detecting outliers is essential in various domains, including fraud detection, quality control, and anomaly detection. Scikit-learn offers a wide range of tools to implement outlier detection methods efficiently. You will explore practical implementation steps, including using Scikit-learn's modules to apply various outlier detection techniques, such as Z-score, IQR, One-Class SVM, Isolation Forest, DBSCAN, and LOF, customizing parameters and thresholds for each method to adapt to specific datasets, and visualizing outlier detection results to understand data anomalies.

### 10.1.1 Tutorial

#### 10.1.1.1 Dataset Creation

In this code, we generate 500 normal data points following a normal distribution with mean [5, 10] and standard deviation [1, 2]. Then, we introduce 50 outliers by adding noise to the data with mean [20, 30] and standard deviation [5, 8]. The dataset is then combined, and a binary target variable (Outlier) is assigned to indicate whether a data point is an outlier (1) or not (0).

The scatter plot visualizes the dataset, where outliers are shown in a different color.

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt

# Set a random seed for reproducibility
np.random.seed(42)

# Number of data points (normal data points and outliers)
num_data_points = 500

# Mean and standard deviation for the normal distribution
mean_normal = [5, 10]
std_normal = [1, 2]

# Generate normal data points
normal_data_points = np.random.normal(loc=mean_normal,
                                        scale=std_normal, size=(num_data_points, 2))

# Introduce outliers by adding noise to the data
outliers = np.random.normal(loc=[20, 30], scale=[5, 8], size=(50, 2))

# Combine normal data points and outliers
data = np.vstack([normal_data_points, outliers])
```

```

target = np.hstack([np.zeros(num_data_points), np.ones(50)])

# Create a DataFrame for the dataset
df = pd.DataFrame(data, columns=['Feature1', 'Feature2'])
df['Outlier'] = target.astype(int)

# Visualize the dataset
plt.scatter(df['Feature1'], df['Feature2'],
            c=df['Outlier'], cmap='viridis')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Dummy Dataset for Outlier Detection')
plt.colorbar(label='Outlier (1: Yes, 0: No)')
plt.show()

```

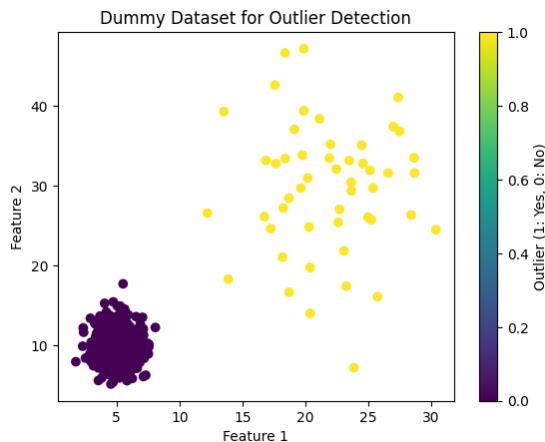


Figure 10.1 A Scatter Plot of Feature1 VS Feature2 with Colorbar

#### 10.1.1.2 Z-score

In this code, we calculate the Z-scores for each data point with respect to both Feature1 and Feature2. We set a threshold value (in this case, 3) to determine outliers. Data points with a Z-score greater than the threshold in either feature are considered outliers.

The scatter plot visualizes the dataset, where normal data points are shown in blue, and the outliers detected by the Z-score method are shown in red.

```

from scipy import stats

# Apply Z-score method for outlier detection
z_scores = np.abs(stats.zscore(df[['Feature1', 'Feature2']]))

threshold = 3 # Adjust the threshold based on your preference

# Identify outliers based on the threshold
outliers_zscore = df[(z_scores['Feature1'] > threshold) |
                     (z_scores['Feature2'] > threshold)]

```

```
# Visualize the dataset with outliers detected by Z-score method
plt.scatter(df['Feature1'], df['Feature2'],
            c='blue', label='Normal Data Points')
plt.scatter(outliers_zscore['Feature1'],
            outliers_zscore['Feature2'], c='red', label='Outliers (Z-score)')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Outlier Detection using Z-score')
plt.legend()
plt.show()
```

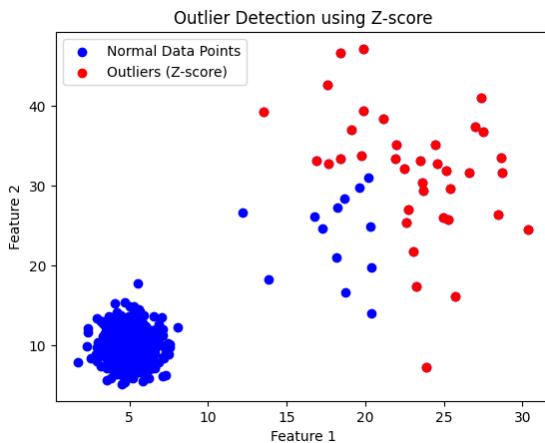


Figure 10.2 Outlier Detection by Z-Score

#### 10.1.1.3 IQR

Let's use the same dummy dataset and apply the Interquartile Range (IQR) method for outlier detection. The IQR method is based on the range between the first quartile (Q1) and the third quartile (Q3) of the data. Data points outside a specified range (usually defined as  $Q1 - 1.5 * IQR$  and  $Q3 + 1.5 * IQR$ ) are considered outliers.

In this code, we calculate the first quartile (Q1), third quartile (Q3), and IQR for each feature (Feature1 and Feature2). We then define the outlier range as  $Q1 - 1.5 * IQR$  and  $Q3 + 1.5 * IQR$  for each feature. Data points falling outside this range in either feature are considered outliers.

The scatter plot visualizes the dataset, where normal data points are shown in blue, and the outliers detected by the IQR method are shown in red.

```
# Calculate Q1, Q3, and IQR for each feature
Q1 = df[['Feature1', 'Feature2']].quantile(0.25)
Q3 = df[['Feature1', 'Feature2']].quantile(0.75)
IQR = Q3 - Q1

# Define the outlier range based on IQR
```

```

outlier_range_lower = Q1 - 1.5 * IQR
outlier_range_upper = Q3 + 1.5 * IQR

# Identify outliers based on the IQR range
outliers_iqr = df[
    (df['Feature1'] < outlier_range_lower['Feature1']) |
    (df['Feature1'] > outlier_range_upper['Feature1']) |
    (df['Feature2'] < outlier_range_lower['Feature2']) |
    (df['Feature2'] > outlier_range_upper['Feature2'])
]

# Visualize the dataset with outliers detected by IQR method
plt.scatter(df['Feature1'], df['Feature2'],
            c='blue', label='Normal Data Points')
plt.scatter(outliers_iqr['Feature1'], outliers_iqr['Feature2'],
            c='red', label='Outliers (IQR)')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Outlier Detection using IQR')
plt.legend()
plt.show()

```

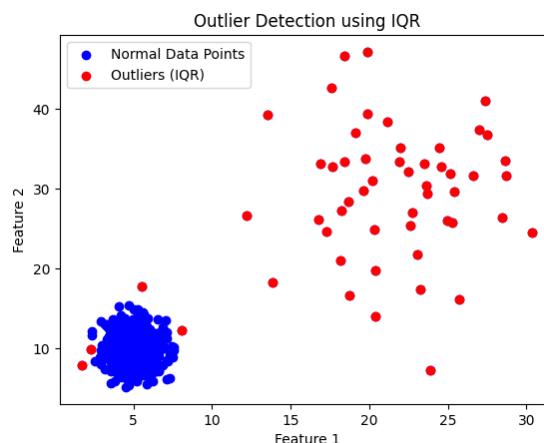


Figure 10.3 Outlier Detection by IQR

#### 10.1.1.4 One-Class SVM

Let's continue with the same dummy dataset and apply the One-Class SVM method for outlier detection. One-Class SVM is a machine learning algorithm that is useful for novelty detection, where the goal is to identify data points that deviate significantly from the majority of the data.

In this code, we fit the One-Class SVM model to the combined feature array  $X$ , which contains both Feature1 and Feature2. The  $\nu$  hyperparameter controls the fraction of data points considered as outliers by the model. You can adjust the  $\nu$  value based on your preference and the nature of your data.

The ocsvm.predict(X) method returns an array of predictions, where -1 indicates an outlier and 1 indicates an inlier. We convert the predictions to Boolean values, where True represents an outlier and False represents an inlier.

The scatter plot visualizes the dataset, where normal data points are shown in blue, and the outliers detected by the One-Class SVM method are shown in red.

```
from sklearn.svm import OneClassSVM

# Combine the features into a single array
X = df[['Feature1', 'Feature2']].values

# Fit the One-Class SVM model
ocsvm = OneClassSVM(nu=0.15)
ocsvm.fit(X)

# Predict outliers using the One-Class SVM model
outliers_ocsvm = ocsvm.predict(X)
outliers_ocsvm = outliers_ocsvm == -1

# Visualize the dataset with outliers detected by One-Class SVM method
plt.scatter(X[:, 0], X[:, 1], c='blue', label='Normal Data Points')
plt.scatter(X[outliers_ocsvm, 0], X[outliers_ocsvm, 1],
            c='red', label='Outliers (One-Class SVM)')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Outlier Detection using One-Class SVM')
plt.legend()
plt.show()
```

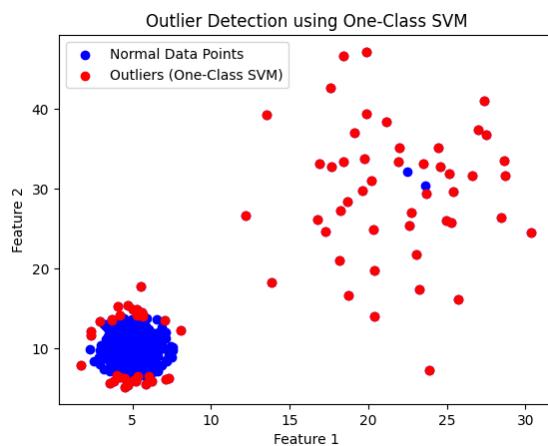


Figure 10.4 Outlier Detection by One-Class SVM

### 10.1.1.5 Isolation Forest

Let's continue with the same dummy dataset and apply the Isolation Forest method for outlier detection. The Isolation Forest algorithm is another popular unsupervised outlier detection technique based on the concept of isolating anomalies (outliers) in the data.

In this code, we fit the Isolation Forest model to the combined feature array X, which contains both Feature1 and Feature2. The contamination parameter controls the expected proportion of outliers in the data. You can adjust the contamination value based on your preference and the nature of your data.

The isolation\_forest.predict(X) method returns an array of predictions, where -1 indicates an outlier and 1 indicates an inlier. We convert the predictions to Boolean values, where True represents an outlier and False represents an inlier.

The scatter plot visualizes the dataset, where normal data points are shown in blue, and the outliers detected by the Isolation Forest method are shown in red.

```
from sklearn.ensemble import IsolationForest

# Combine the features into a single array
X = df[['Feature1', 'Feature2']].values

# Fit the Isolation Forest model
isolation_forest = IsolationForest(contamination=0.09)
isolation_forest.fit(X)

# Predict outliers using the Isolation Forest model
outliers_isolation_forest = isolation_forest.predict(X)
outliers_isolation_forest = outliers_isolation_forest == -1

# Visualize the dataset with outliers detected by Isolation Forest method
plt.scatter(X[:, 0], X[:, 1], c='blue', label='Normal Data Points')
plt.scatter(X[outliers_isolation_forest, 0], X[outliers_isolation_forest, 1]
           , c='red', label='Outliers (Isolation Forest)')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Outlier Detection using Isolation Forest')
plt.legend()
plt.show()
```

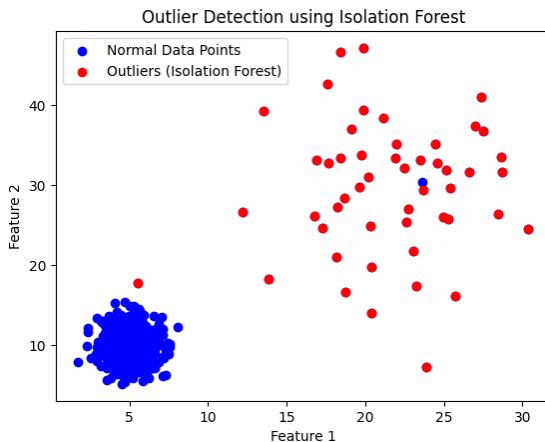


Figure 10.5 Outlier Detection by Isolation Forest

#### 10.1.1.6 DBSCAN

Let's continue with the same dummy dataset and apply the Density-Based Spatial Clustering of Applications with Noise (DBSCAN) algorithm for outlier detection. DBSCAN is a density-based clustering algorithm that can be used for outlier detection by identifying points that are not part of any dense cluster.

In this code, we fit the DBSCAN model to the combined feature array X, which contains both Feature1 and Feature2. The eps parameter defines the maximum distance between two samples for them to be considered as part of the same cluster. The min\_samples parameter specifies the minimum number of samples in a neighborhood for a point to be considered as a core point.

The dbSCAN.labels\_ attribute contains the cluster labels assigned by DBSCAN. Points that are not part of any cluster are assigned the label -1, which indicates outliers.

The scatter plot visualizes the dataset, where normal data points are shown in blue, and the outliers detected by the DBSCAN algorithm are shown in red.

```
from sklearn.cluster import DBSCAN

# Combine the features into a single array
X = df[['Feature1', 'Feature2']].values

# Fit the DBSCAN model
dbSCAN = DBSCAN(eps=2.5, min_samples=10)
dbSCAN.fit(X)

# Identify outliers based on the DBSCAN clustering results
outliers_dbSCAN = dbSCAN.labels_ == -1 # DBSCAN assigns -1 to outliers

# Visualize the dataset with outliers detected by DBSCAN
plt.scatter(X[:, 0], X[:, 1], c='blue', label='Normal Data Points')
```

```
plt.scatter(X[outliers_dbSCAN, 0], X[outliers_dbSCAN, 1]
            , c='red', label='Outliers (DBSCAN)')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Outlier Detection using DBSCAN')
plt.legend()
plt.show()
```

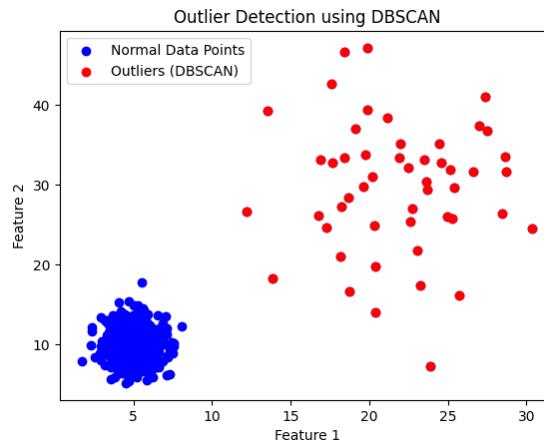


Figure 10.6 Outlier Detection by DBSCAN

#### 10.1.1.7 LOF

Let's continue with the same dummy dataset and apply the Local Outlier Factor (LOF) method for outlier detection. LOF is a density-based outlier detection method that measures the local density deviation of a data point with respect to its neighbors. Outliers are identified as data points with significantly lower local density compared to their neighbors.

In this code, we fit the LOF model to the combined feature array  $X$ , which contains both Feature1 and Feature2. The `n_neighbors` parameter defines the number of neighbors considered for calculating the local density deviation of each data point. The `contamination` parameter controls the expected proportion of outliers in the data.

The `lof.fit_predict( $X$ )` method returns an array of predictions, where -1 indicates an outlier and 1 indicates an inlier. We convert the predictions to Boolean values, where `True` represents an outlier and `False` represents an inlier.

The scatter plot visualizes the dataset, where normal data points are shown in blue, and the outliers detected by the LOF method are shown in red.

```
from sklearn.neighbors import LocalOutlierFactor

# Combine the features into a single array
X = df[['Feature1', 'Feature2']].values
```

```

# Fit the LOF model
lof = LocalOutlierFactor(n_neighbors=100, contamination=0.10)
outliers_lof = lof.fit_predict(X)

# Identify outliers based on the LOF scores
outliers_lof = outliers_lof == -1 # LOF assigns -1 to outliers

# Visualize the dataset with outliers detected by LOF
plt.scatter(X[:, 0], X[:, 1], c='blue', label='Normal Data Points')
plt.scatter(X[outliers_lof, 0], X[outliers_lof, 1],
            c='red', label='Outliers (LOF)')
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('Outlier Detection using Local Outlier Factor (LOF)')
plt.legend()
plt.show()

```

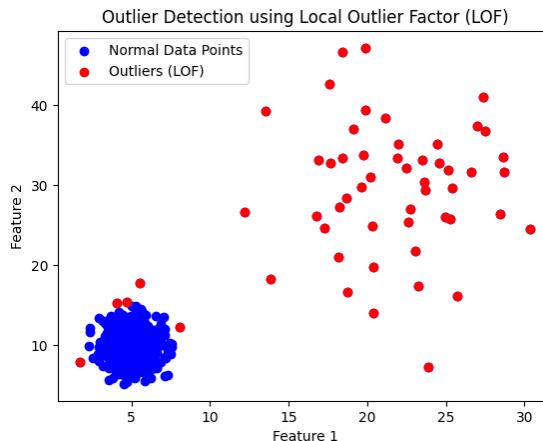


Figure 10.7 Outlier Detection by LOF

### 10.1.2 Case Study

Let's proceed with the tutorial for outlier detection using the "Credit Card Fraud Detection" dataset. We'll cover the following steps:

1. Load the dataset.
2. Apply Z-score method for outlier detection.
3. Apply IQR method for outlier detection.
4. Apply One-Class SVM method for outlier detection.
5. Apply Isolation Forest method for outlier detection.
6. Apply DBSCAN method for outlier detection.
7. Apply LOF method for outlier detection.
8. Let's start with Step 1: Load the dataset.

### 10.1.2.1 Load the Dataset

In this code, we load the dataset into a Pandas DataFrame named df using the pd.read\_csv() function. We then print the first few rows of the dataset using df.head(), display the data types and non-null counts of each column using df.info(), and provide basic statistical summaries using df.describe().

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.decomposition import PCA
from sklearn.svm import OneClassSVM
from sklearn.ensemble import IsolationForest
from sklearn.neighbors import LocalOutlierFactor
from sklearn.cluster import DBSCAN

# Step 1: Load the dataset
df = pd.read_csv('/content/creditcard.csv')
df= df.sample(10000)
# Explore the dataset
print(df.head())
print(df.info())
print(df.describe())
```

	Time	V1	V2	V3	V4	V5	V6	\
128634	78785.0	-0.659717	1.183753	0.483915	1.210817	-0.035700	0.188756	
224924	144024.0	1.997011	0.110559	-1.608624	0.337948	0.447722	-0.561137	
266887	162525.0	2.047366	0.081031	-1.782673	0.251559	0.558326	-0.433816	
72073	54554.0	1.377808	-1.975197	0.013025	-1.915389	0.035267	4.520147	
145549	87041.0	-1.690957	2.297320	0.088259	-1.348462	1.239065	-1.195810	
	V7	V8	V9	...	V21	V22	V23	\
128634	0.587158	0.505609	-0.997043	...	0.248231	0.827323	0.105537	
224924	0.109484	-0.100417	0.157042	...	-0.286172	-0.745629	0.344806	
266887	0.059302	-0.059358	0.291644	...	-0.330798	-0.896494	0.302621	
72073	-2.459011	1.203601	-0.376902	...	-0.340203	-0.349072	-0.073197	
145549	2.715813	-2.112286	3.660540	...	-0.446350	1.275375	-0.325042	
	V24	V25	V26	V27	V28	Amount	Class	
128634	0.051588	-0.439095	-0.252372	0.335354	0.191205	74.00	0	
224924	0.621968	-0.315746	0.146097	-0.061768	-0.037233	8.99	0	
266887	0.248781	-0.267571	0.169080	-0.068661	-0.043473	1.98	0	
72073	1.032692	0.533805	-0.069993	0.106404	0.032108	52.95	0	
145549	0.023081	-0.428979	-0.423186	0.290195	-0.963410	1.38	0	

[5 rows x 31 columns]  
<class 'pandas.core.frame.DataFrame'>  
Int64Index: 10000 entries, 128634 to 133610  
Data columns (total 31 columns):  
 # Column Non-Null Count Dtype  
---

```

0    Time    10000 non-null   float64
1    V1     10000 non-null   float64
2    V2     10000 non-null   float64
3    V3     10000 non-null   float64
4    V4     10000 non-null   float64
5    V5     10000 non-null   float64
6    V6     10000 non-null   float64
7    V7     10000 non-null   float64
8    V8     10000 non-null   float64
9    V9     10000 non-null   float64
10   V10    10000 non-null   float64
11   V11    10000 non-null   float64
12   V12    10000 non-null   float64
13   V13    10000 non-null   float64
14   V14    10000 non-null   float64
15   V15    10000 non-null   float64
16   V16    10000 non-null   float64
17   V17    10000 non-null   float64
18   V18    10000 non-null   float64
19   V19    10000 non-null   float64
20   V20    10000 non-null   float64
21   V21    10000 non-null   float64
22   V22    10000 non-null   float64
23   V23    10000 non-null   float64
24   V24    10000 non-null   float64
25   V25    10000 non-null   float64
26   V26    10000 non-null   float64
27   V27    10000 non-null   float64
28   V28    10000 non-null   float64
29   Amount  10000 non-null   float64
30   Class   10000 non-null   int64
dtypes: float64(30), int64(1)
memory usage: 2.4 MB
None
      Time          V1          V2          V3          V4  \
count  10000.000000  10000.000000  10000.000000  10000.000000  10000.000000
mean   94887.874900   0.002672  -0.020461   0.006153  -0.007649
std    47357.353834   1.927744   1.588162   1.511947   1.409433
min    9.000000  -34.148234  -25.041752  -33.680984  -4.678263
25%   54267.250000  -0.940641  -0.617593  -0.879722  -0.869958
50%   85197.500000   0.019107   0.038539   0.174602  -0.019430
75%  139291.000000   1.332319   0.774920   1.042169   0.768741
max   172764.000000   2.412720   18.902453   3.877099   9.074932

      V5          V6          V7          V8          V9  \
count  10000.000000  10000.000000  10000.000000  10000.000000  10000.000000
mean   0.000447  -0.006421   0.002671   0.008939   0.010266
std    1.368033   1.322849   1.208984   1.112960   1.103543
min   -23.669726  -13.591286  -24.419483  -37.353443  -4.679402
25%  -0.694127  -0.762416  -0.549120  -0.208433  -0.643822
50%  -0.062717  -0.259929   0.043512   0.016011  -0.039315
75%   0.604511   0.399681   0.558851   0.321598   0.621245
max   19.180525  15.568823   28.069822  16.635979   6.965981

      ...          V21         V22         V23         V24  \

```

```

count ... 10000.000000 10000.000000 10000.000000 10000.000000
mean ... 0.011401 0.005769 0.003773 0.001991
std ... 0.685554 0.707334 0.553777 0.599677
min ... -9.332602 -8.887017 -16.136984 -2.659700
25% ... -0.223521 -0.525469 -0.162007 -0.353868
50% ... -0.025647 0.019093 -0.014429 0.041452
75% ... 0.191557 0.521004 0.148461 0.440166
max ... 27.202839 4.858497 17.768462 3.664552

          V25        V26        V27        V28      Amount \
count 10000.000000 10000.000000 10000.000000 10000.000000 10000.000000
mean  0.002423 -0.003846 -0.002565 0.004327 89.248071
std   0.516714 0.486862 0.418014 0.392181 235.961113
min  -3.919077 -1.732008 -9.895244 -8.310167 0.000000
25%  -0.318246 -0.333213 -0.068061 -0.053335 5.980000
50%  0.027028 -0.064101 0.002981 0.011874 23.000000
75%  0.356523 0.249469 0.093867 0.078157 79.917500
max  3.655826 2.733698 5.352193 15.866721 7766.600000

          Class
count 10000.000000
mean  0.00160
std   0.03997
min  0.00000
25% 0.00000
50% 0.00000
75% 0.00000
max 1.00000

```

[8 rows x 31 columns]

```
df['Class'].value_counts()
```

```

0    9984
1     16
Name: Class, dtype: int64

```

### 10.1.2.2 Apply Z-score Method

```

# Step 2: Apply Z-score method for outlier detection
z_scores = np.abs(StandardScaler().fit_transform(df.drop('Class', axis=1)))
threshold = 3

# Identify outliers based on the threshold
outliers_zscore = (z_scores > threshold).any(axis=1)

# Visualize the number of outliers detected by Z-score method
plt.bar(['Normal', 'Outlier'],
        [len(df) - outliers_zscore.sum(), outliers_zscore.sum()])
plt.xlabel(f'Data Points {len(df)} - {outliers_zscore.sum()}: {outliers_zscore.sum()}')
plt.ylabel('Count')

```

```
plt.title('Outliers Detected by Z-score Method')
plt.show()
df[outliers_zscore]['Class'].value_counts()
```

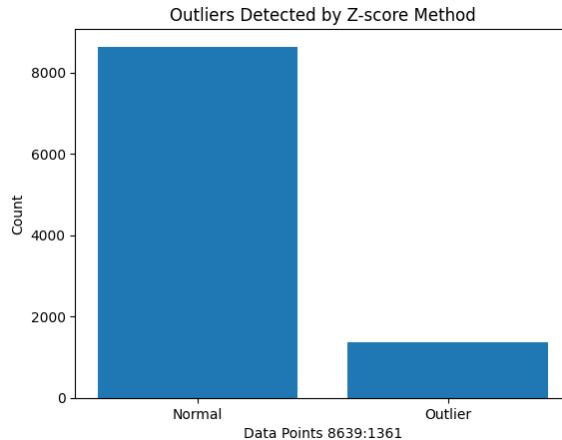


Figure 10.8 Outlier Detection by Z-Score

```
0    1348
1     13
Name: Class, dtype: int64
```

#### 10.1.2.3 Apply IQR Method

In this code, we apply the IQR method to the features (excluding the “Class” column) to identify outliers. We calculate the first quartile (Q1), third quartile (Q3), and IQR for each feature. Data points falling outside the range ( $Q1 - 1.5 * IQR$ ,  $Q3 + 1.5 * IQR$ ) in at least one feature are considered outliers.

We then visualize the number of outliers detected by the IQR method using a bar chart.

```
# Step 3: Apply IQR method for outlier detection
Q1 = df.drop('Class', axis=1).quantile(0.25)
Q3 = df.drop('Class', axis=1).quantile(0.75)
IQR = Q3 - Q1

# Define the outlier range based on IQR
outlier_range_lower = Q1 - 1.5 * IQR
outlier_range_upper = Q3 + 1.5 * IQR

# Identify outliers based on the IQR range
outliers_iqr = ((df.drop('Class', axis=1) < outlier_range_lower) |
                 (df.drop('Class', axis=1) > outlier_range_upper)).any(axis=1)

# Visualize the number of outliers detected by IQR method
```

```

plt.bar(['Normal', 'Outlier']
       , [len(df) - outliers_iqr.sum(), outliers_iqr.sum()])
plt.xlabel(f'Data Points {len(df)} - {outliers_iqr.sum()}: {outliers_iqr.sum()}')
plt.ylabel('Count')
plt.title('Outliers Detected by IQR Method')
plt.show()
df[outliers_iqr]['Class'].value_counts()

```

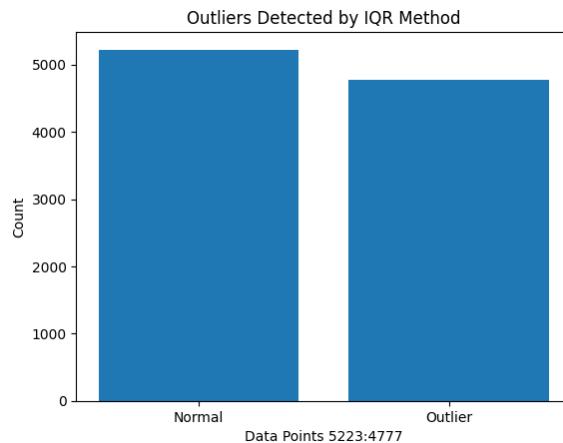


Figure 10.9 Outlier Detection by IQR

```

0    4761
1     16
Name: Class, dtype: int64

```

#### 10.1.2.4 Apply One-Class SVM Method

In this code, we apply the One-Class SVM method for outlier detection. The nu parameter controls the fraction of data points considered as outliers by the model. You can adjust the nu value based on your preference.

We then visualize the number of outliers detected by the One-Class SVM method using a bar chart.

```

# Step 4: Apply One-Class SVM method for outlier detection
df_svm = df.dropna()
ocsvm = OneClassSVM(nu=0.1)
outliers_ocsvm = ocsvm.fit_predict(df_svm.drop('Class', axis=1))

# Identify outliers based on the One-Class SVM predictions
outliers_ocsvm = outliers_ocsvm == -1

# Visualize the number of outliers detected by One-Class SVM method
plt.bar(['Normal', 'Outlier'])

```

```

, [len(df_svm) - outliers_ocsvm.sum(), outliers_ocsvm.sum()])
plt.xlabel(f'Data Points {len(df_svm)} -'
          f'{outliers_ocsvm.sum()}: {outliers_ocsvm.sum()}')
plt.ylabel('Count')
plt.title('Outliers Detected by One-Class SVM Method')
plt.show()
df[outliers_ocsvm]['Class'].value_counts()

```

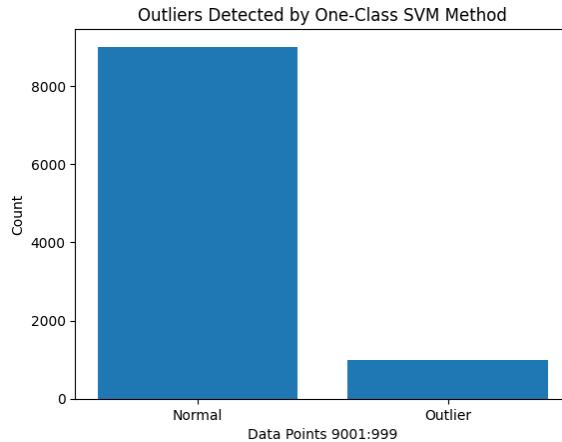


Figure 10.10 Outlier Detection by One-Class SVM

```

0    998
1     1
Name: Class, dtype: int64

```

#### 10.1.2.5 Apply Isolation Forest Method

In this code, we apply the Isolation Forest method for outlier detection. The contamination parameter controls the expected proportion of outliers in the data. You can adjust the contamination value based on your preference.

We then visualize the number of outliers detected by the Isolation Forest method using a bar chart.

```

# Step 5: Apply Isolation Forest method for outlier detection
isolation_forest = IsolationForest(contamination=0.02)
outliers_isolation_forest =
    isolation_forest.fit_predict(df.drop('Class', axis=1))

# Identify outliers based on the Isolation Forest predictions
outliers_isolation_forest = outliers_isolation_forest == -1

# Visualize the number of outliers detected by Isolation Forest method
plt.bar(['Normal', 'Outlier'], [len(df) -
    outliers_isolation_forest.sum(), outliers_isolation_forest.sum()])

```

```

plt.xlabel(f'Data Points {len(df)} - outliers_isolation_forest.sum()):{outliers_isolation_forest.sum()})')
plt.ylabel('Count')
plt.title('Outliers Detected by Isolation Forest Method')
plt.show()
df[outliers_isolation_forest]['Class'].value_counts()

```

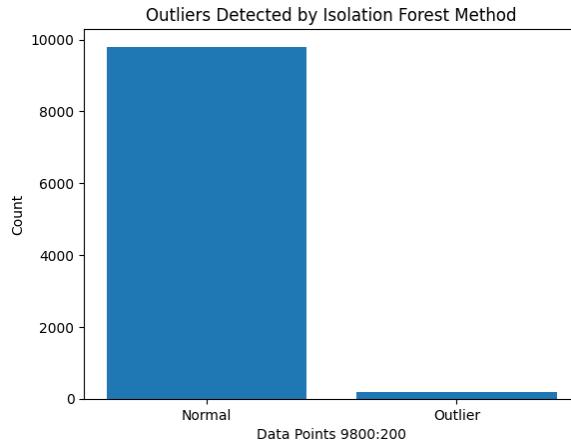


Figure 10.11 Outlier Detection by Isolation Forest

```

0      190
1      10
Name: Class, dtype: int64

```

#### 10.1.2.6 Apply DBSCAN Method

In this code, we apply the DBSCAN method for outlier detection. The `eps` parameter defines the maximum distance between two samples for them to be considered as part of the same cluster. The `min_samples` parameter specifies the minimum number of samples in a neighborhood for a point to be considered as a core point.

We then visualize the number of outliers detected by the DBSCAN method using a bar chart.

```

# Step 6: Apply DBSCAN method for outlier detection
dbscan = DBSCAN(eps=100, min_samples=5)
outliers_dbscan = dbscan.fit_predict(df.drop('Class', axis=1))

# Identify outliers based on the DBSCAN clustering results
outliers_dbscan = outliers_dbscan == -1

# Visualize the number of outliers detected by DBSCAN method
plt.bar(['Normal', 'Outlier'], [len(df) -
    outliers_dbscan.sum(), outliers_dbscan.sum()])
plt.xlabel(f'Data Points {len(df)} -')

```

```

outliers_dbSCAN.sum()}: {outliers_dbSCAN.sum()}'')
plt.ylabel('Count')
plt.title('Outliers Detected by DBSCAN Method')
plt.show()
df[outliers_dbSCAN] ['Class'].value_counts()

```

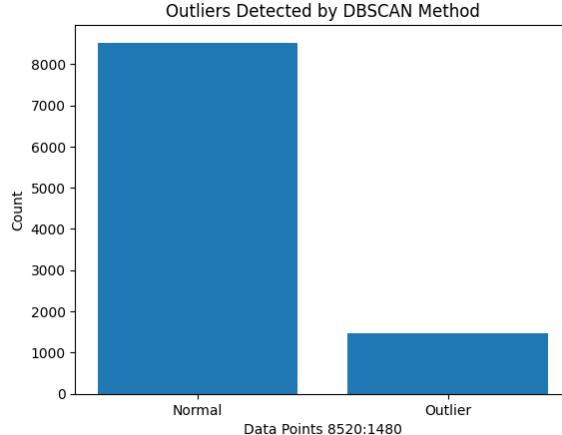


Figure 10.12 Outlier Detection by DBSCAN

```

0    1472
1     8
Name: Class, dtype: int64

```

#### 10.1.2.7 Apply LOF Method

In this code, we apply the Local Outlier Factor (LOF) method for outlier detection. The `n_neighbors` parameter defines the number of neighbors considered for calculating the local density deviation of each data point. The `contamination` parameter controls the expected proportion of outliers in the data.

We then visualize the number of outliers detected by the LOF method using a bar chart.

```

# Step 7: Apply LOF method for outlier detection
lof = LocalOutlierFactor(n_neighbors=50, contamination=0.02)
outliers_lof = lof.fit_predict(df.drop('Class', axis=1))

# Identify outliers based on the LOF scores
outliers_lof = outliers_lof == -1

# Visualize the number of outliers detected by LOF method
plt.bar(['Normal', 'Outlier'], [len(df) -
    outliers_lof.sum(), outliers_lof.sum()])
plt.xlabel(f'Data Points {len(df)} -
    outliers_lof.sum()}: {outliers_lof.sum()}')

```

```
plt.ylabel('Count')
plt.title('Outliers Detected by Local Outlier Factor (LOF) Method')
plt.show()
df[outliers_lof]['Class'].value_counts()
```

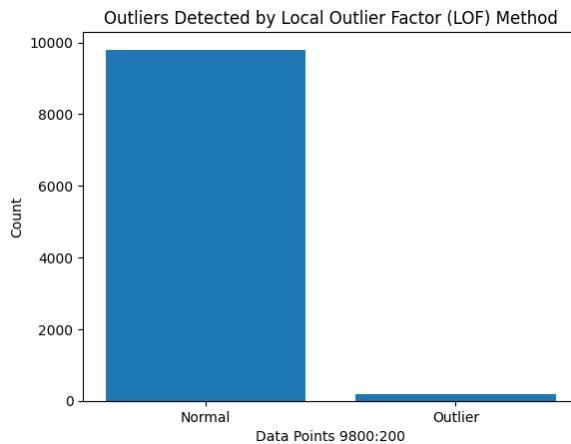


Figure 10.13 Outlier Detection by LOF

```
0    198
1     2
Name: Class, dtype: int64
```

#### 10.1.2.8 Conclusion

In this specific context, not every model works well!

That completes the tutorial for outlier detection using different methods on the “Credit Card Fraud Detection” dataset. You can compare the performances of each method and adjust the hyperparameters to fine-tune the outlier detection for your specific use case.

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