

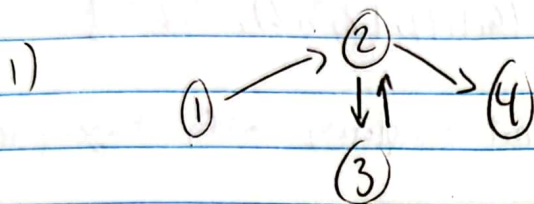
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Lab 5

Exercise 1

$N = \{1, 2, 3, 4\}$



Step 2, Node Coverage: $TR = \{1, 2, 3, 4\}$ test path = $[1, 2, 4]$ $[1, 2, 3]$

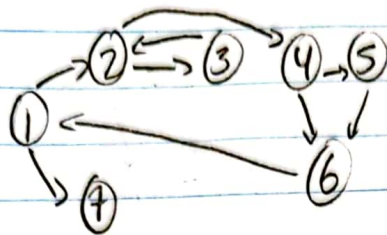
↳ Here, every node is covered at least once through the two test paths, but not every edge $(3, 2)$

Step 3, Edge Coverage: $TR = \{(1, 2), (2, 3), (3, 2), (2, 4)\}$
Test path = $[1, 2, 4]$ $[1, 2, 3]$ $[1, 2, 3, 2]$

↳ Here, every edge is covered but not every edge pair because $(1, 2, 3, 2, 4)$ is not h

Step 4: $TR = \{(1, 2, 3), (1, 2, 4), (2, 3, 2), (2, 3, 4)\}$
Test path = $[1, 2, 3]$ $[1, 2, 4]$ $[1, 2, 3, 2, 4]$

Exercise 2:



Step 2: $\{(1,2,3), (1,2,4), (3,2,4), (2,4,5), (4,5,6), (4,6,5), (4,6,1), (6,1,2), (5,6,1), (6,1,7), (2,3,2), (3,2,3)\}$

Step 3: The test paths $\{p_1, p_2, p_3\}$ do not completely satisfy Edge-pair coverage, we are missing: $[1,2,4,6,1,7]$

Step 4: From $(4,6)$ in the test path we have a detour since we're avoiding node 5, also, when we go from $(2,4)$ it is also a detour from 3. Since we are looping twice, There is also a side trip from $(2,3)$ and $(3,2)$

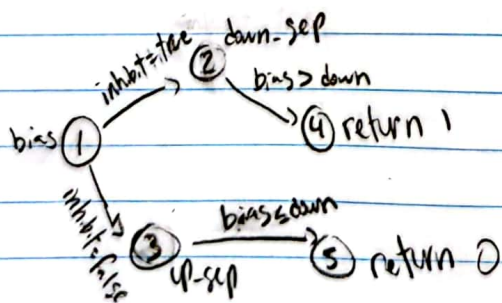
Step 5: Node Coverage $TR = \{1, 2, 3, 4, 5, 6, 7\}$

Edge coverage $TR = \{(1,2), (2,3), (3,2), (2,4), (4,5), (4,6), (5,6), (6,1), (1,7)\}$

Prime Path Coverage $TR = [1,2,4,5,6,1,7], [2,3,2], [4,6]$

Step 6: p_1 is missing $[2,3,2]$ p_2 is missing $[4,5,6]$ or $[4,5]$ and p_3 is missing $[4,6]$, so none of them achieve full edge coverage on their own

Data Flow Testing



defs for bias:

$bias = \text{down-sep}$

$bias = \text{up-sep}$

All uses for bias

$bias > \text{down-sep}$ in the if statement

All d-Paths

$bias = \text{down-sep}$ to $bias > \text{down-sep}$ when $\text{inhibit} = \text{true}$

$bias = \text{up-sep}$ to $bias > \text{down-sep}$ when $\text{inhibit} = \text{false}$