

# Lecture: Evolutionary biology (reconstructing evolution using phylogenetics)

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2015 - PhD Computational Biology  
2016 - Postdoc (virus phylogenetics)



2016 - Bio21 Institute McKenzie Fellow  
(bacterial genomics)

2019 - Doherty Institute  
Australian Research Council  
DECRA Fellow



## Some contributors:

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Ashleigh Porter  
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## Previous workshops:

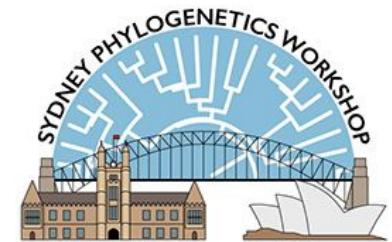
Simon Ho (Sydney Uni)  
Rob Lanfear (ANU)  
Matt Phillips (QUT)

## For more in-depth phylogenetics:

Taming the beast  
(taming-the-beast.org/)



Sydney Phylogenetics workshop  
(meep.sydney.edu.au/people/)

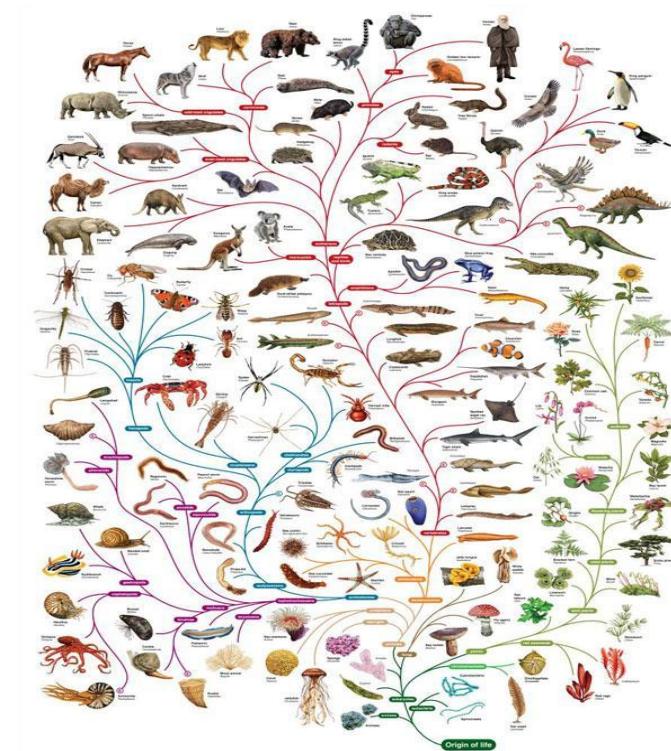
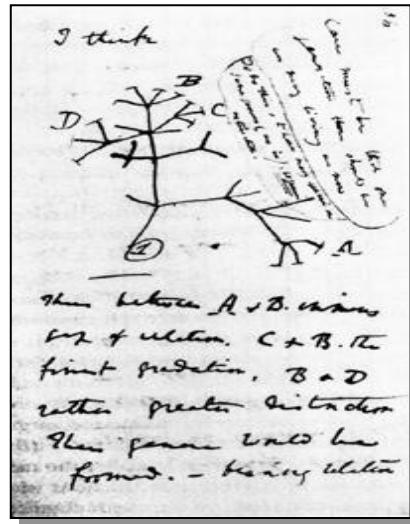


Melbourne pathogen  
phyloodynamics workshop  
(TBA. email: sduchene@unimelb.edu.au)

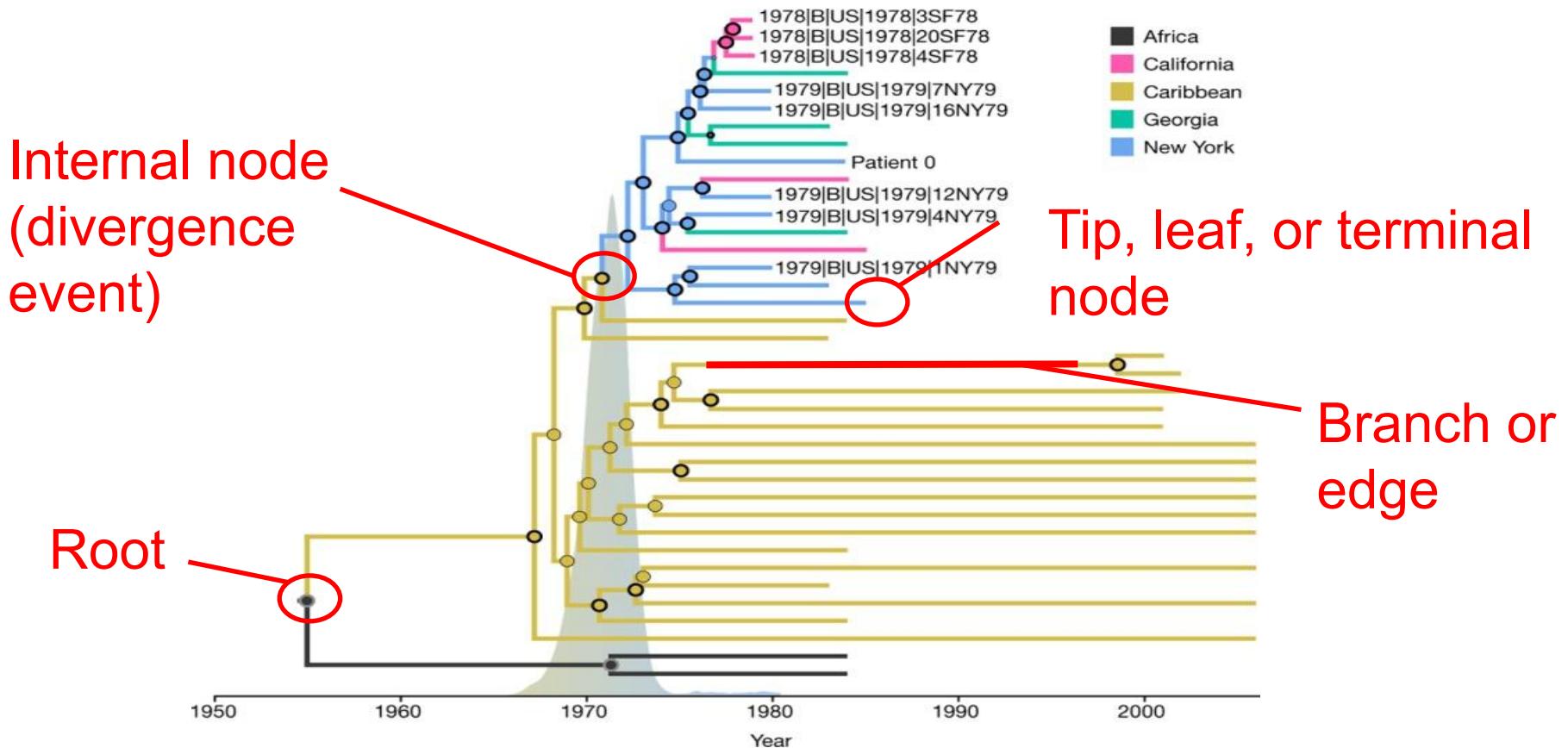
# Interpreting phylogenetic trees

# What is a phylogenetic tree?

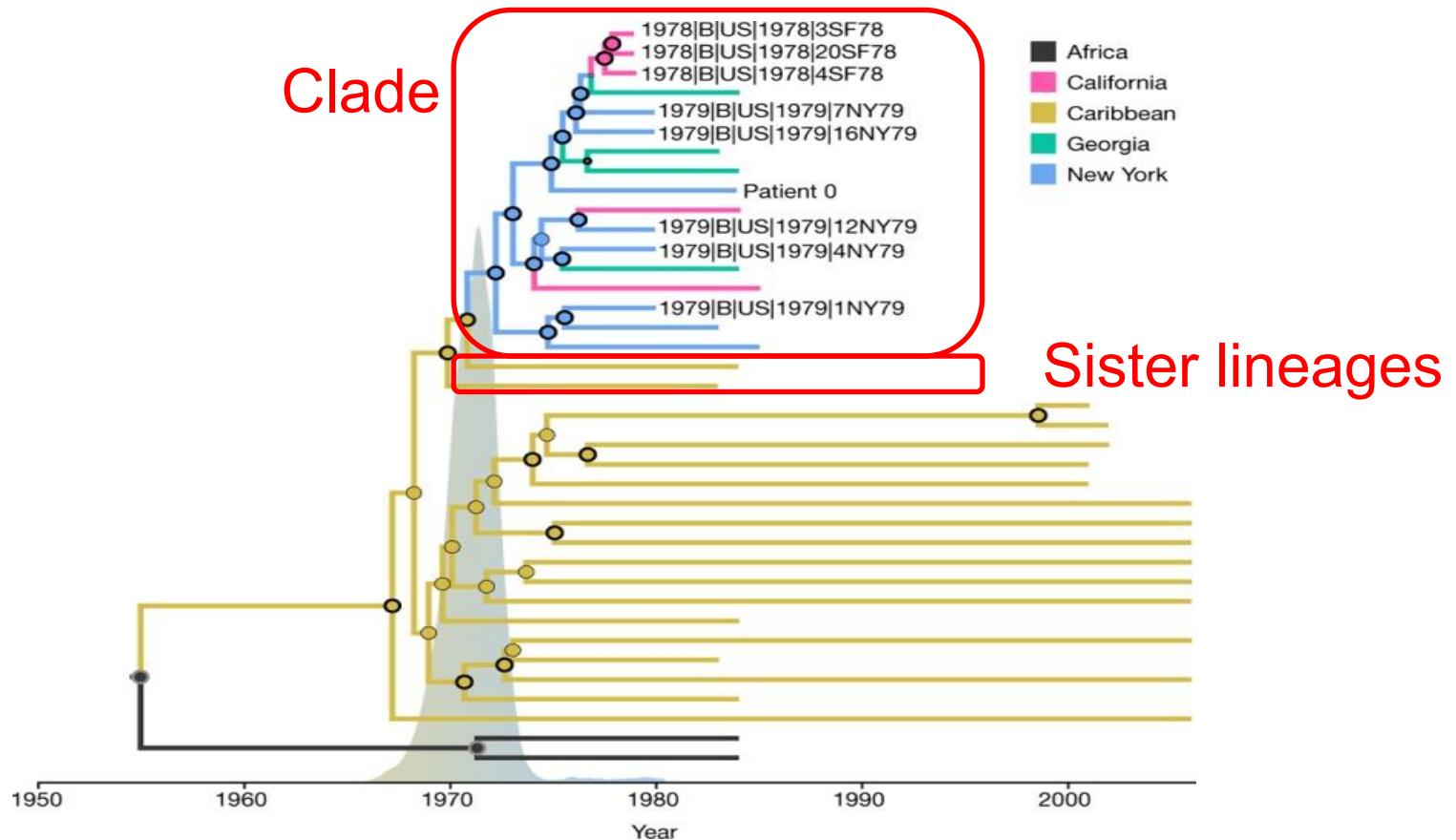
The phylogeny refers to the **true evolutionary relationships** among a set of organisms



# Phylogenetic trees



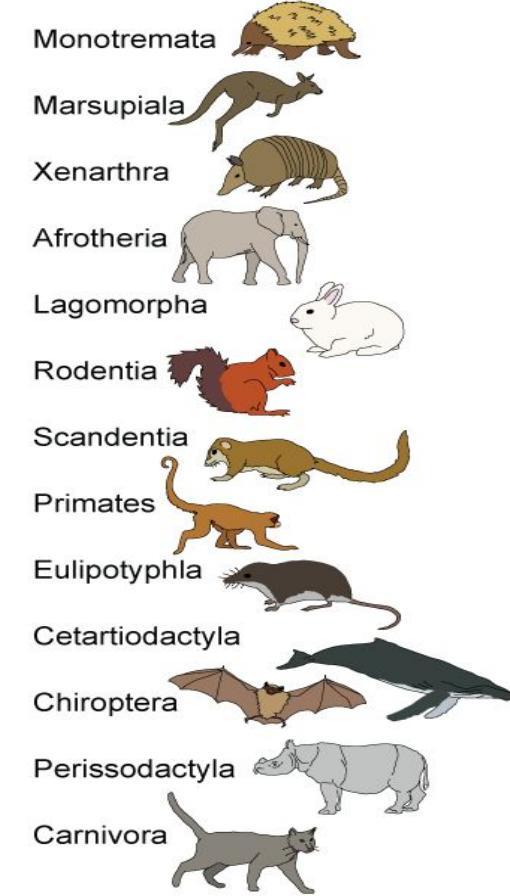
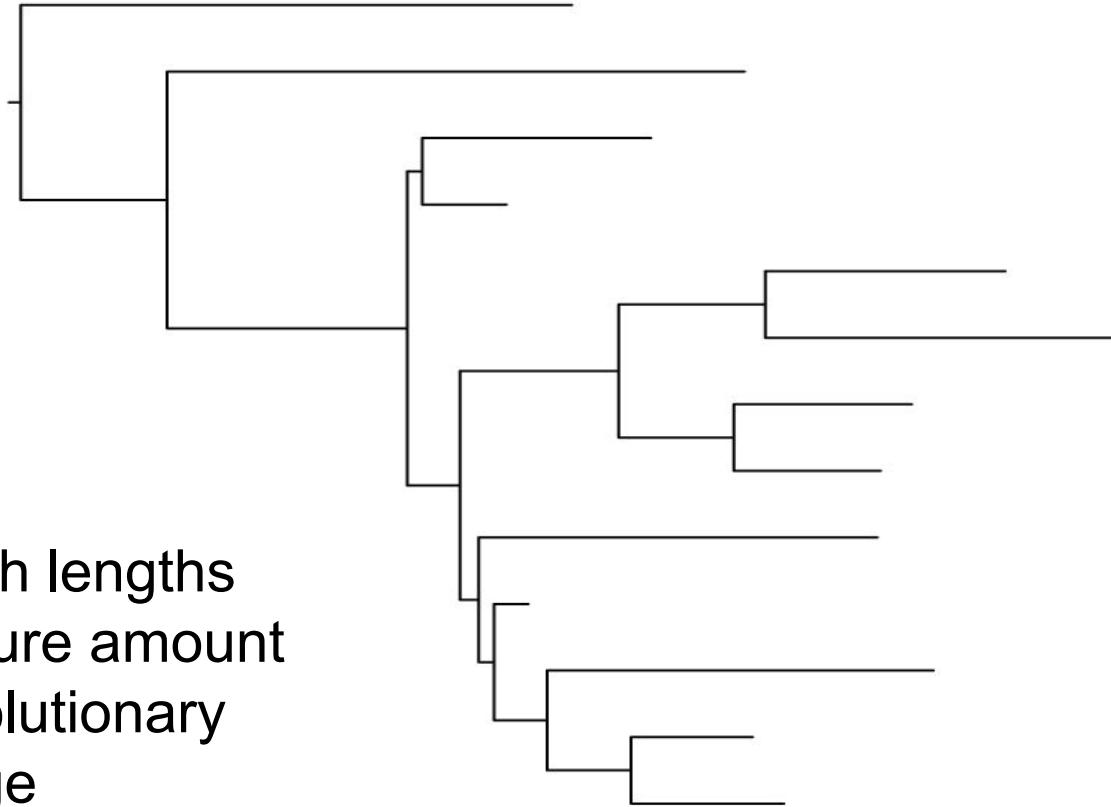
# Phylogenetic trees



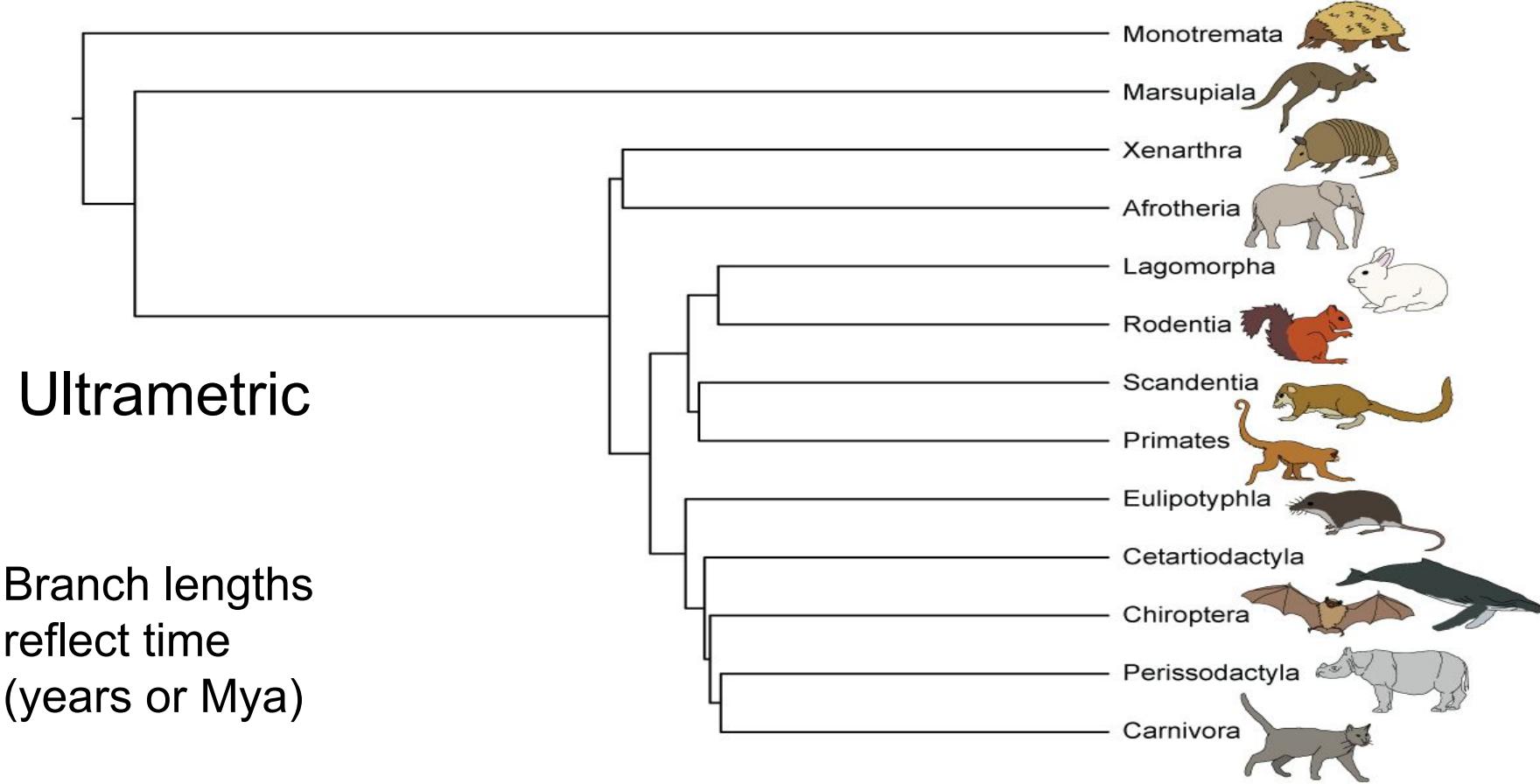
From Worobey et al. 2016 *Nature*

# Phylogenetic trees: Phylogram

Branch lengths  
measure amount  
of evolutionary  
change



# Phylogenetic trees: Chronograms

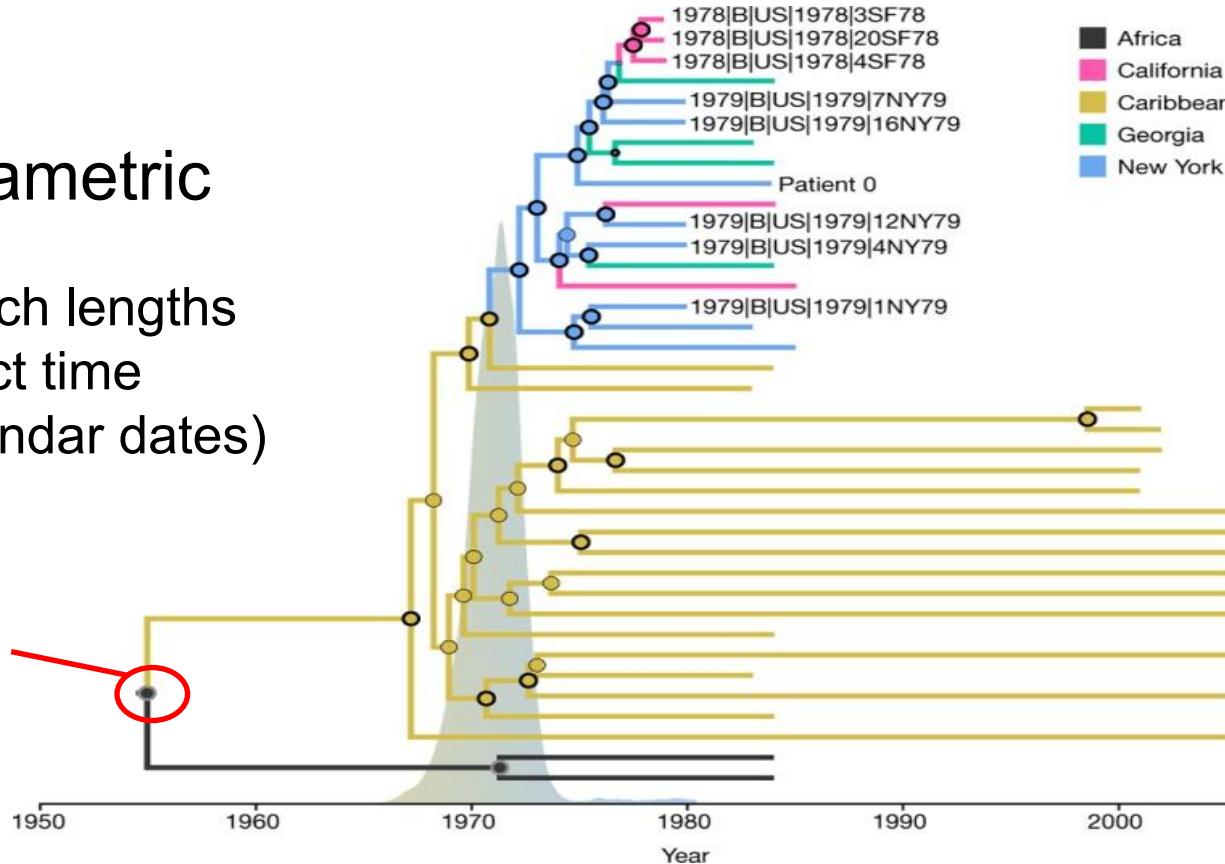


# Phylogenetic trees: Chronograms

Non-ultrametric

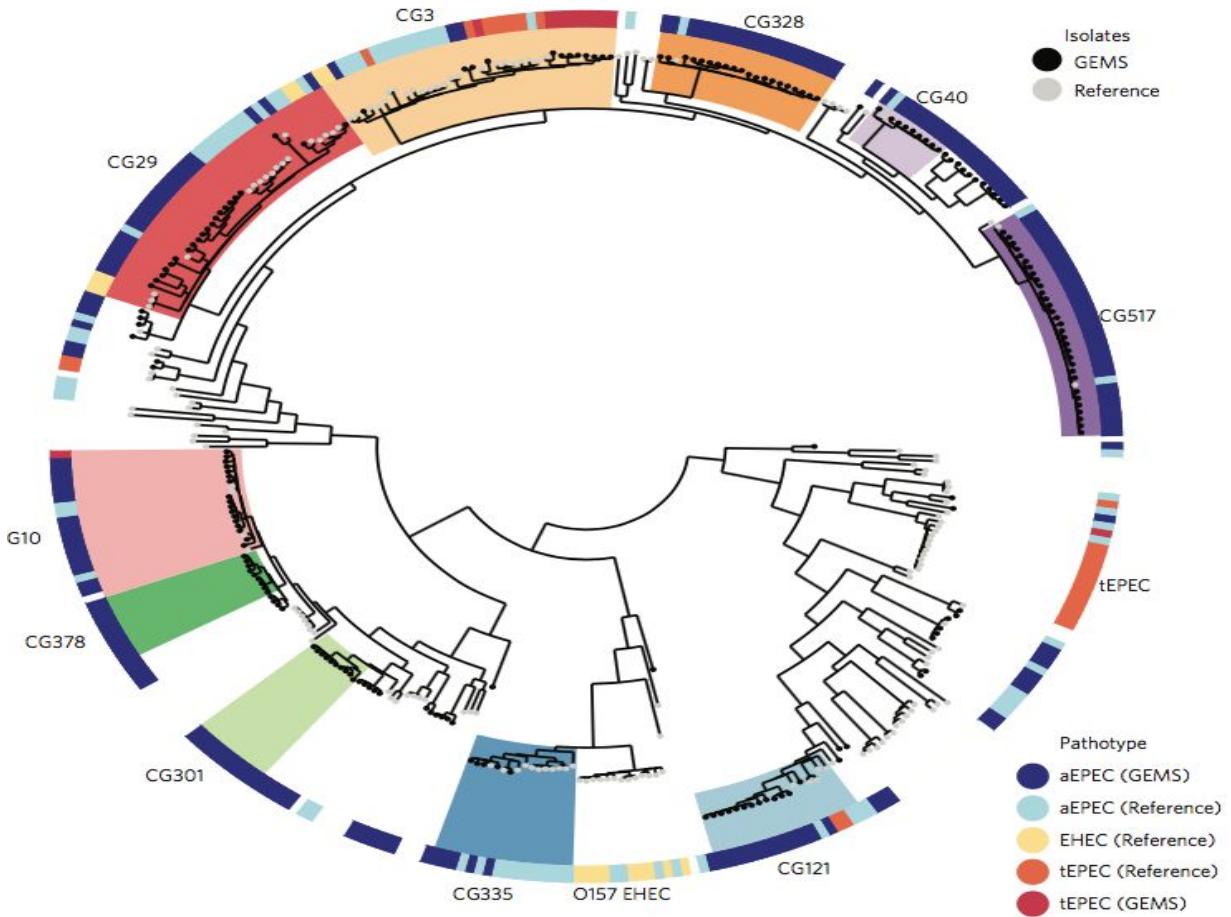
Branch lengths  
reflect time  
(calendar dates)

Time to the  
most recent  
common  
ancestor



# Phylogenetic trees: Circular

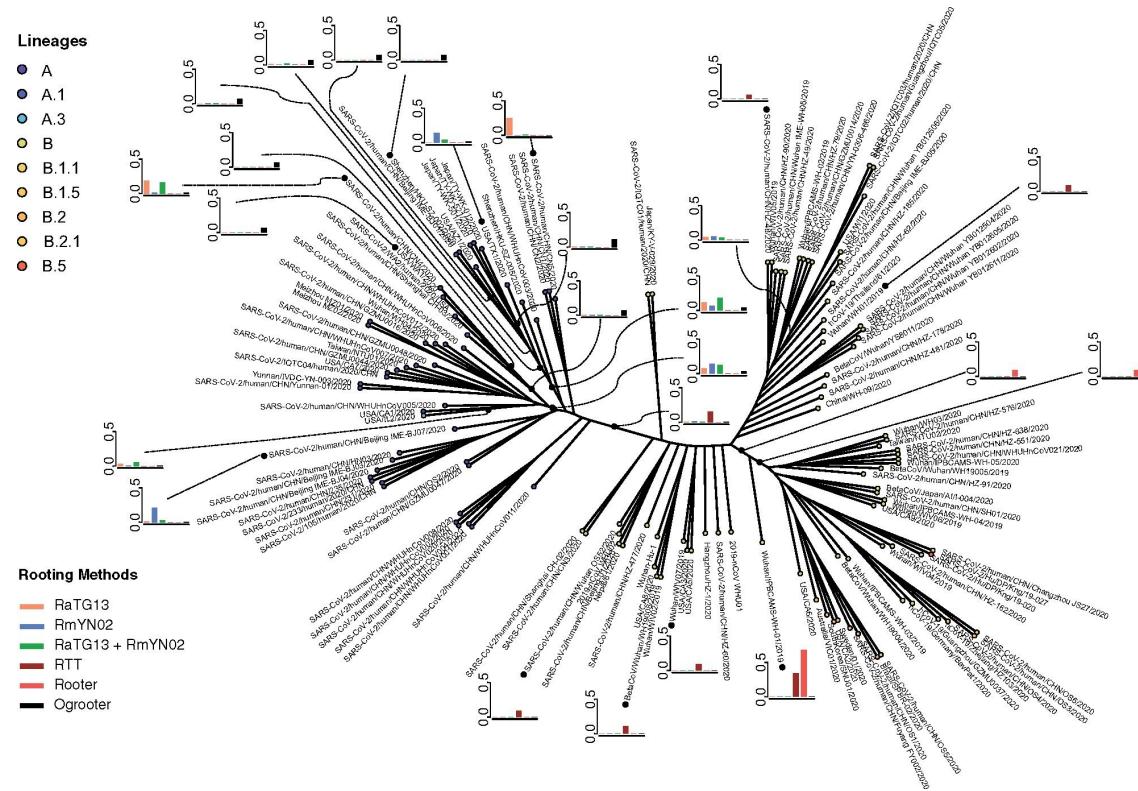
- Good for very large trees
- Branches can be genetic distance or time



From Ingle et al. 2016 Nature Microbiology

# Phylogenetic trees: Unrooted

- Position of root is unknown
- Branch lengths usually represent amount of genetic change (substitutions/site)



# Concept review

Parts of trees:

- root node
- internal nodes (divergence events)
- tips
- branches or ‘edges’

Types of trees:

- phylogenograms (branches usually in subs/site)
- chronograms (branches in units of time)
- \*cladograms (branches have no meaning)

# Inferring phylogenetic trees

# Inferring phylogenetic trees

1. Maximum parsimony
2. Distance-based methods
3. Maximum likelihood
4. Bayesian inference



RAxML



# Maximum parsimony

brown bear    **CGTTAGTACACT**

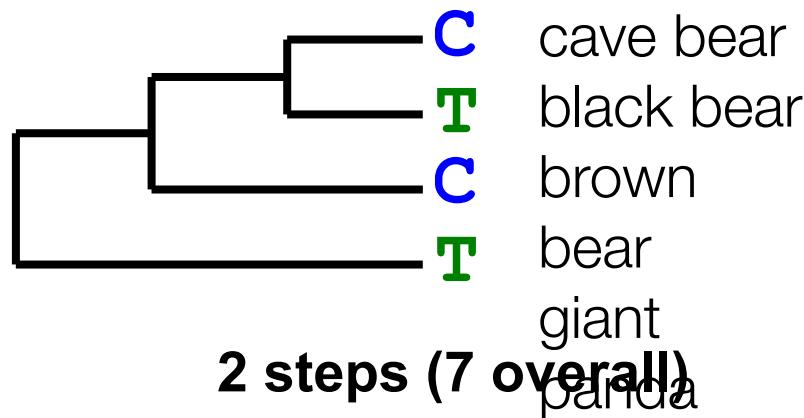
cave bear **CGATAGTTCACT**

black bear    **CGTTAGTTTACC**

giant panda    **CATTGGTTTACT**

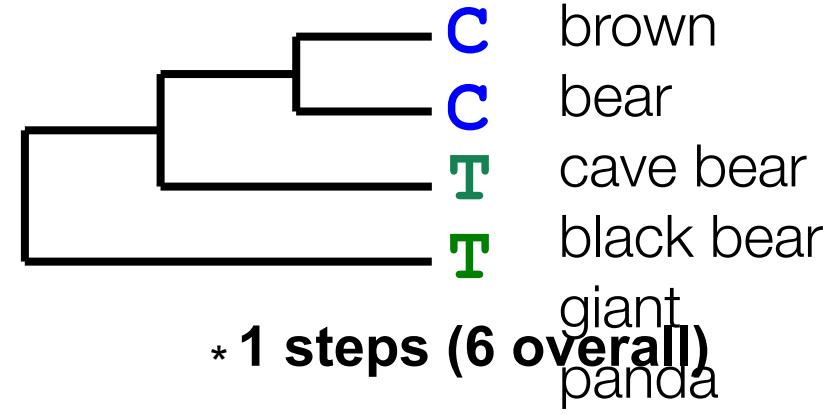
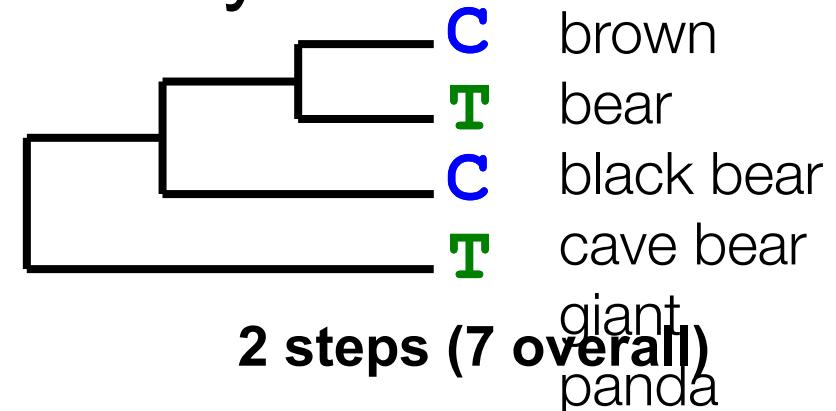
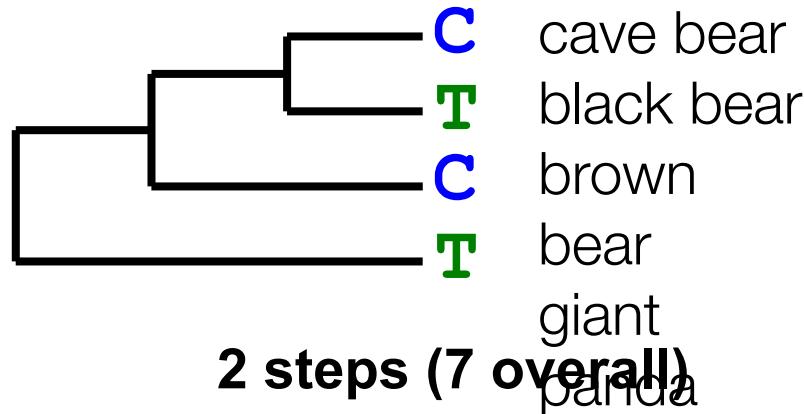
# Maximum parsimony

brown bear	<b>CGTTAGTACACT</b>
cave bear	<b>CGATAGTTCACT</b>
black bear	<b>CGTTAGTTTACC</b>
giant panda	<b>CATTGGTTTACT</b>



# Maximum parsimony

brown bear    CGTTAGTACACT  
cave bear    CGATAGTTCACT  
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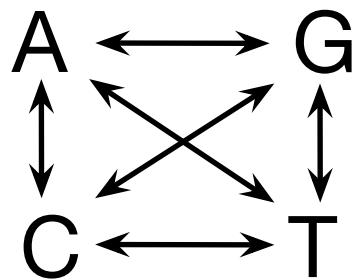


# Maximum parsimony

- Identifies the tree topology that can explain the sequence data, using the smallest number of inferred substitution events
- Commonly used for morphological data
- Now rarely used for analysing genetic data
  - Cannot estimate evolutionary rates or timescales
  - Effects of multiple substitutions

# Evolutionary models

Rate Matrix



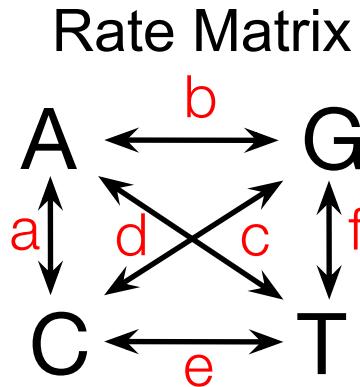
Base Frequencies

$$\pi_A + \pi_C + \pi_G + \pi_T = 1,$$

Site Rates

$$+ I + G$$

# Evolutionary models



Base Frequencies

$$\pi_A + \pi_C + \pi_G + \pi_T = 1,$$

Site Rates

$$+ I + G$$

**JC**

$$a=b=c=d=e=f$$

$$\pi_A = \pi_C = \pi_G = \pi_T$$

No I or G

0 free

parameters

**HKY**

$$a=c=d=f, b=e$$

$$\pi_A, \pi_C, \pi_G, \pi_T$$

No I or G

4 free

parameters

**GTR**

$$a, b, c, d, e, f$$

$$\pi_A, \pi_C, \pi_G, \pi_T$$

No I or G

8 free

parameters

**GTR+I+G**

$$a, b, c, d, e, f$$

$$\pi_A, \pi_C, \pi_G, \pi_T$$

I, G

10 free

parameters

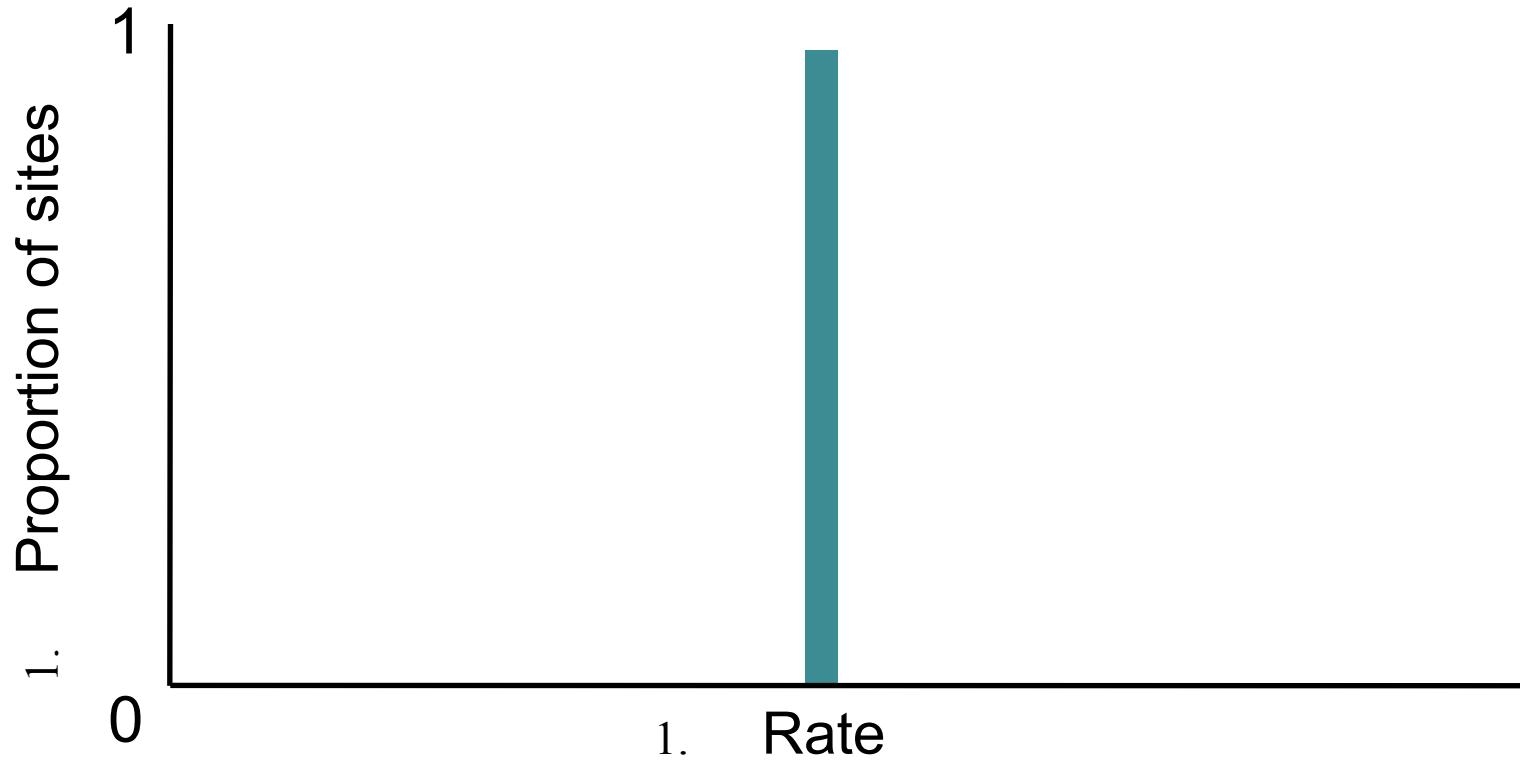
# Rate variation among sites

CTAT-GGCAACCCAGCCCCATGCAT-GGT  
CTAA-GGCAACCCAGCCCCATACAT-GCT  
CTATGTGGCAACCCAGCCCCATGCAT-GCT  
ATATGTGGCAGGCCAG-----GCATAGGT  
ATATGTGGCAGGCCAGCCCCATGCATAGGT

Medium Slow Fast

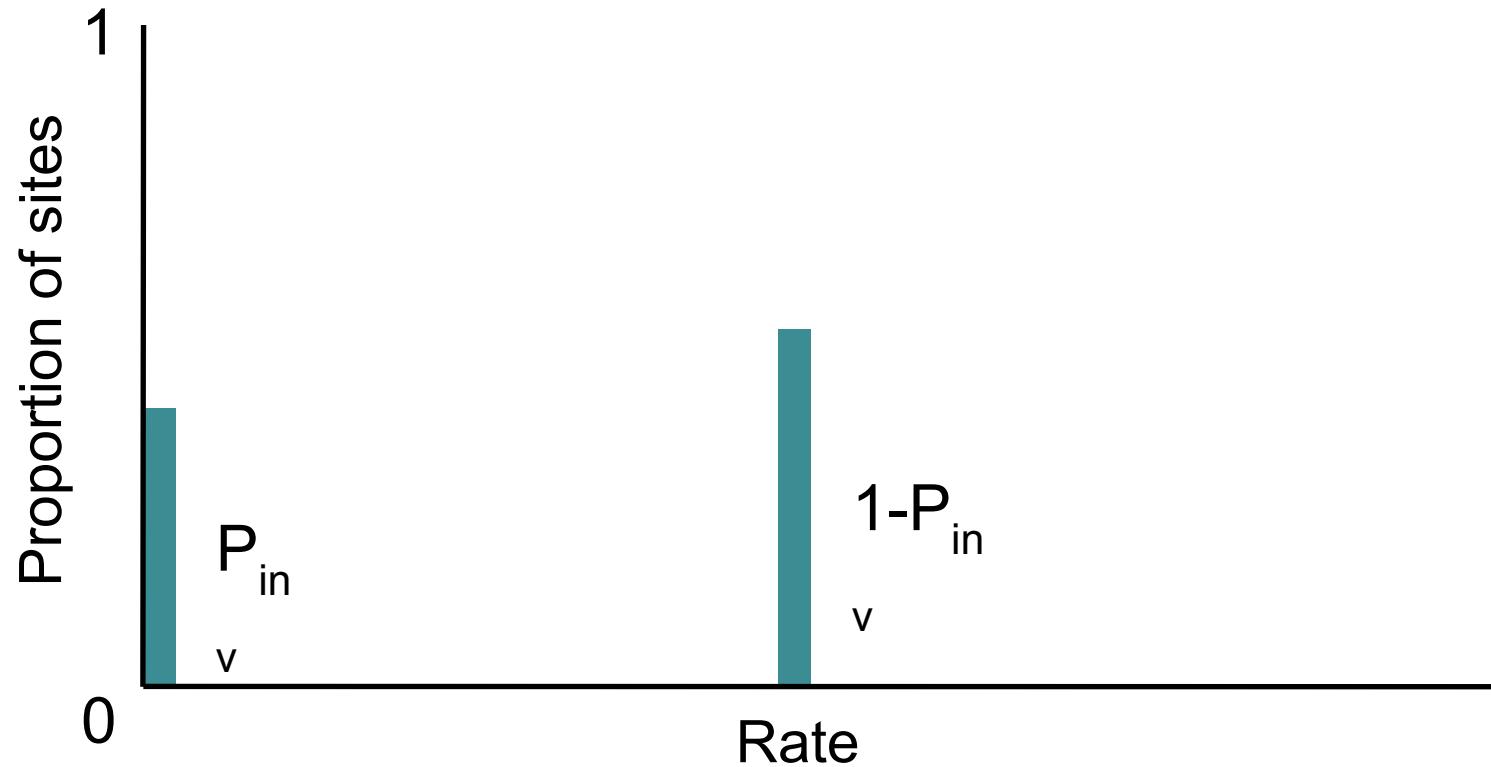
# Rate variation among sites

1. Equal rates among sites (e.g., **JC**, **GTR**, **HKY** models)



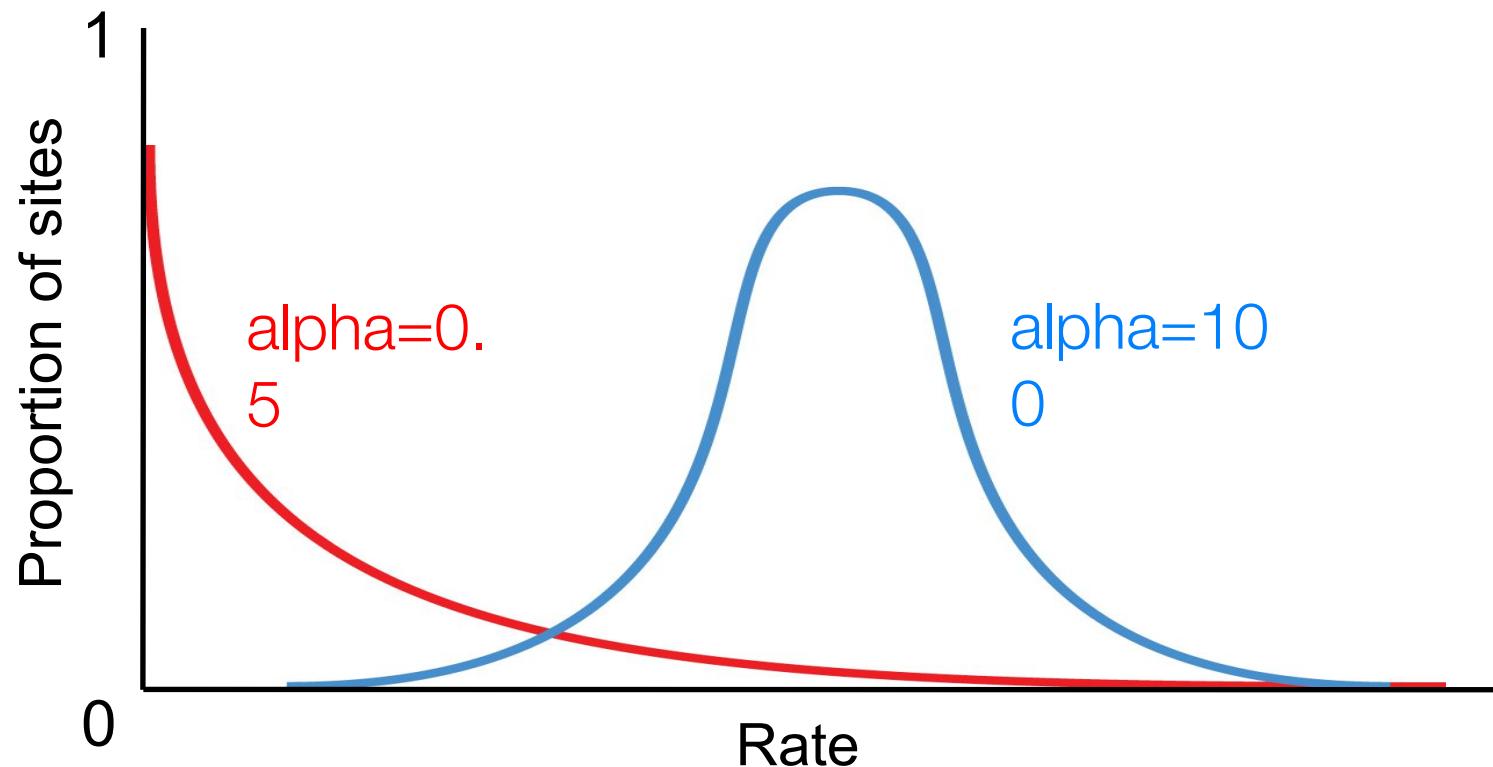
# Rate variation among sites

- Proportion of invariable sites (e.g., **JC+I**, **GTR+I**, **HKY+I** models)



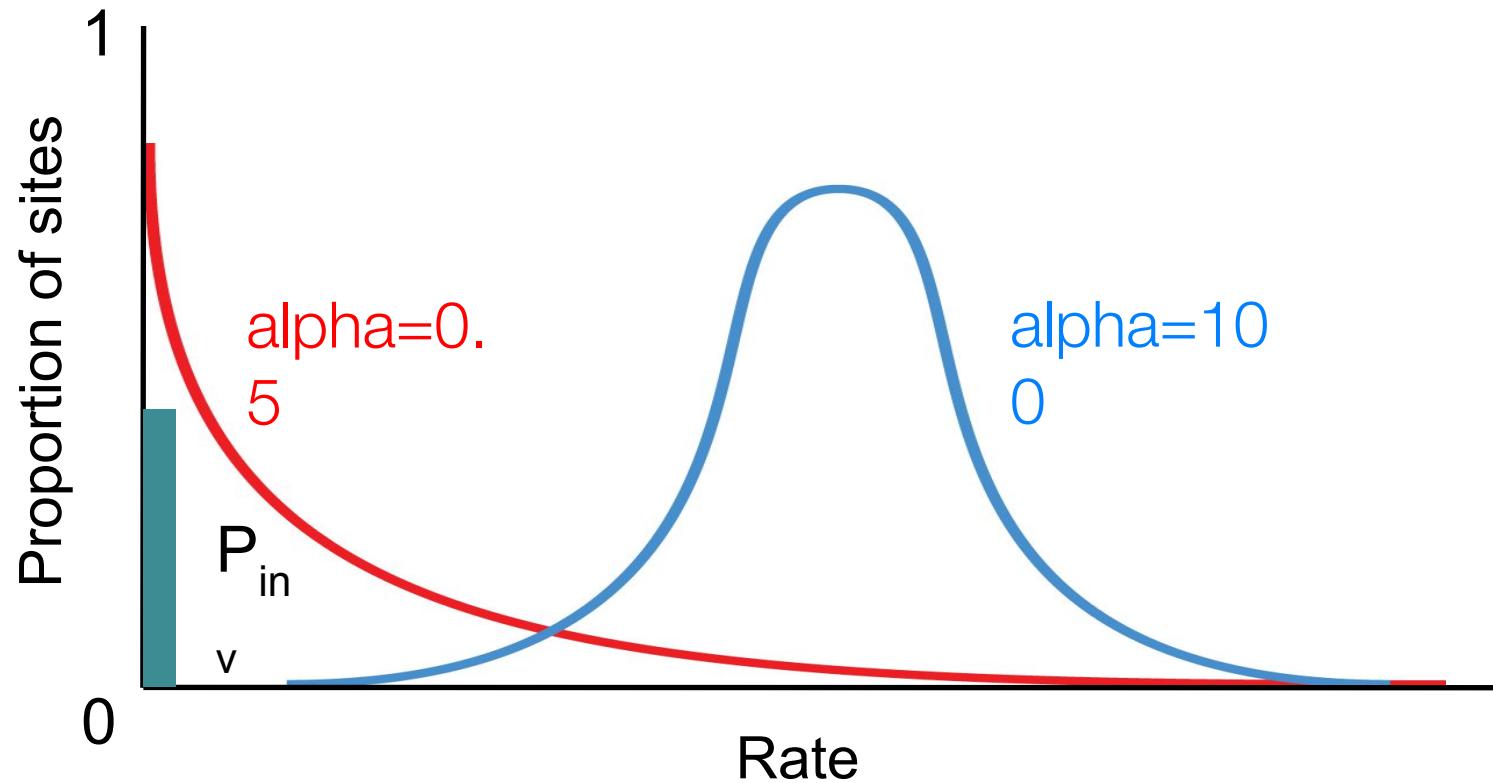
# Rate variation among sites

- Gamma-distributed rate variation among sites (e.g., **JC+G**, **GTR+G**, **HKY+G** models)



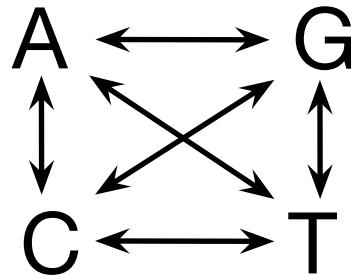
# Rate variation among sites

- JC+G+I, GTR+G+I, HKY+G+I models



# Evolutionary models

Rate Matrix



Base Frequencies

$$\pi_A + \pi_C + \pi_G + \pi_T = 1$$

Site Rates

$$+ I + G$$

#Models      **203 X 15 X 14 = 12,180**

In phylogenetics, we typically consider a small subset of these

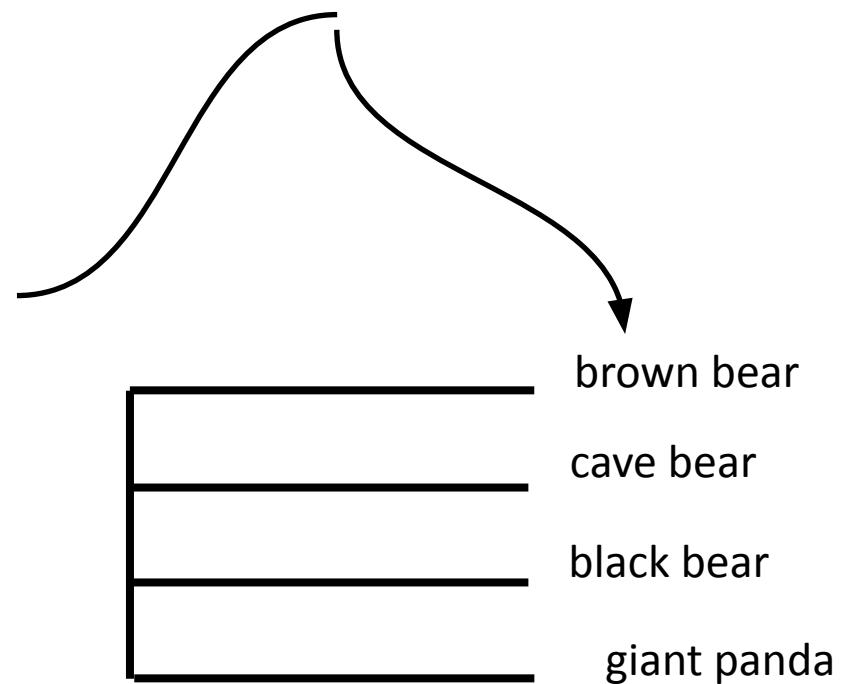
# Neighbour-joining

brown bear      CGTTAGTACACT  
 cave bear      CGATAGTTCACT  
 black bear      CGTTAGTTTACC  
 giant panda    CATTGGTTTACT

**MODEL**

	brown bear	cave bear	black bear	giant panda
brown bear	-			
cave bear	.1	-		
black bear	.3	.3	-	
giant panda	.4	.5	.4	-

**CLUSTERING ALGORITHM**



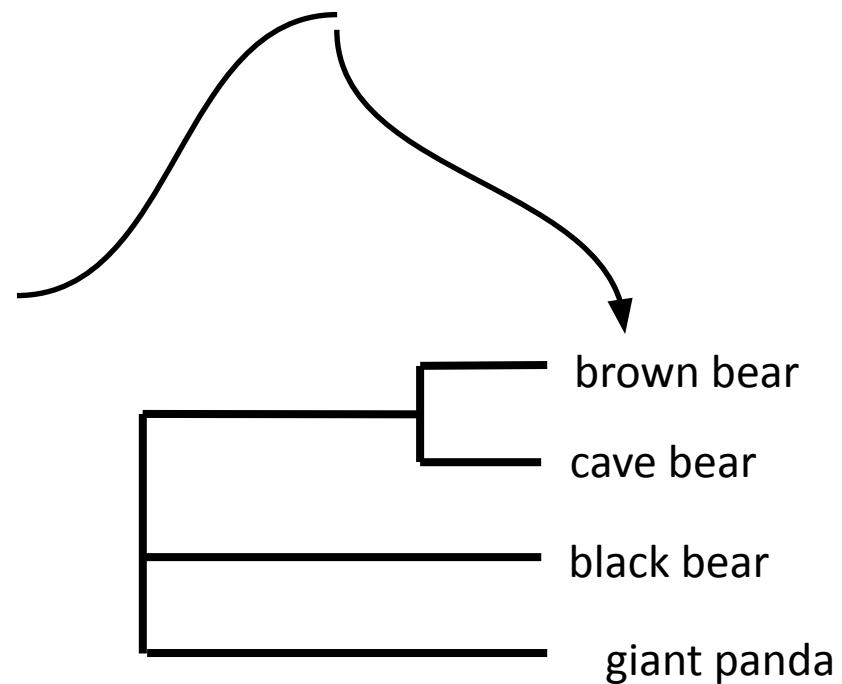
# Neighbour-joining

brown bear      CGTTAGTACACT  
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## CLUSTERING ALGORITHM

**MODEL**

	brown bear	cave bear	black bear	giant panda
brown bear	-			
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black bear	.3	.3	-	
giant panda	.4	.5	.4	-



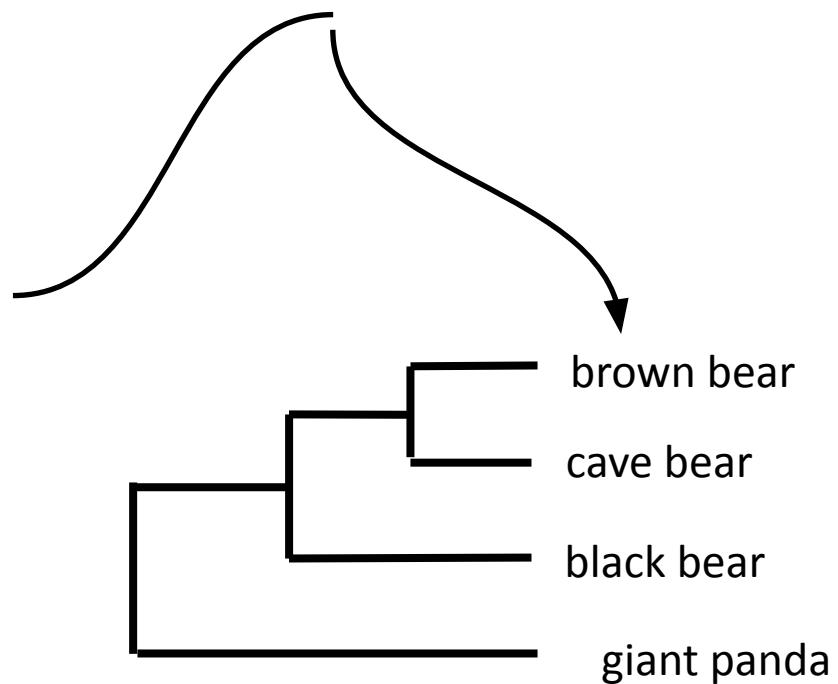
# Neighbour-joining

brown bear      CGTTAGTACACT  
 cave bear        CGATAGTTCACT  
 black bear       CGTTAGTTTACC  
 giant panda     CATGGGTTTACT

## CLUSTERING ALGORITHM

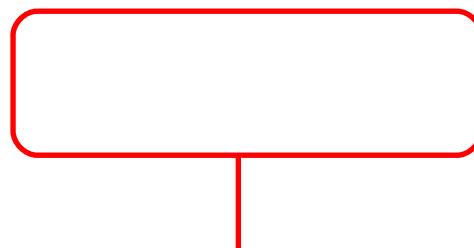
**MODEL**

	brown bear	cave bear	black bear	giant panda
brown bear	-			
cave bear	.1	-		
black bear	.3	.3	-	
giant panda	.4	.5	.4	-

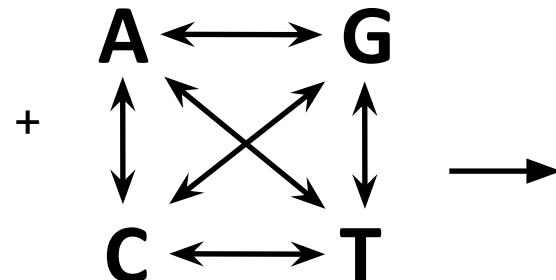
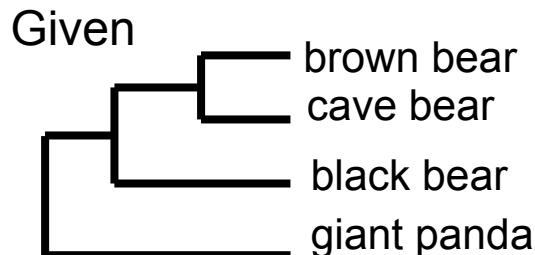


# Maximum likelihood

Likelihood of hypothesis  $H =$

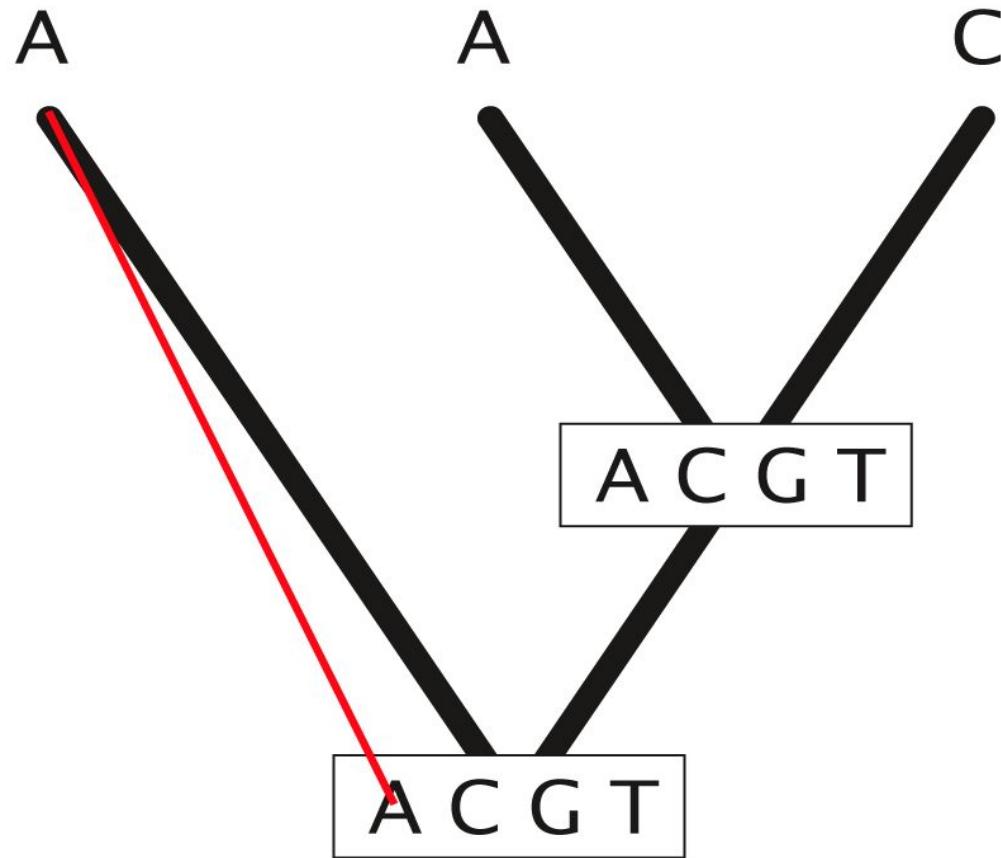


The probability of the data, given the hypothesis



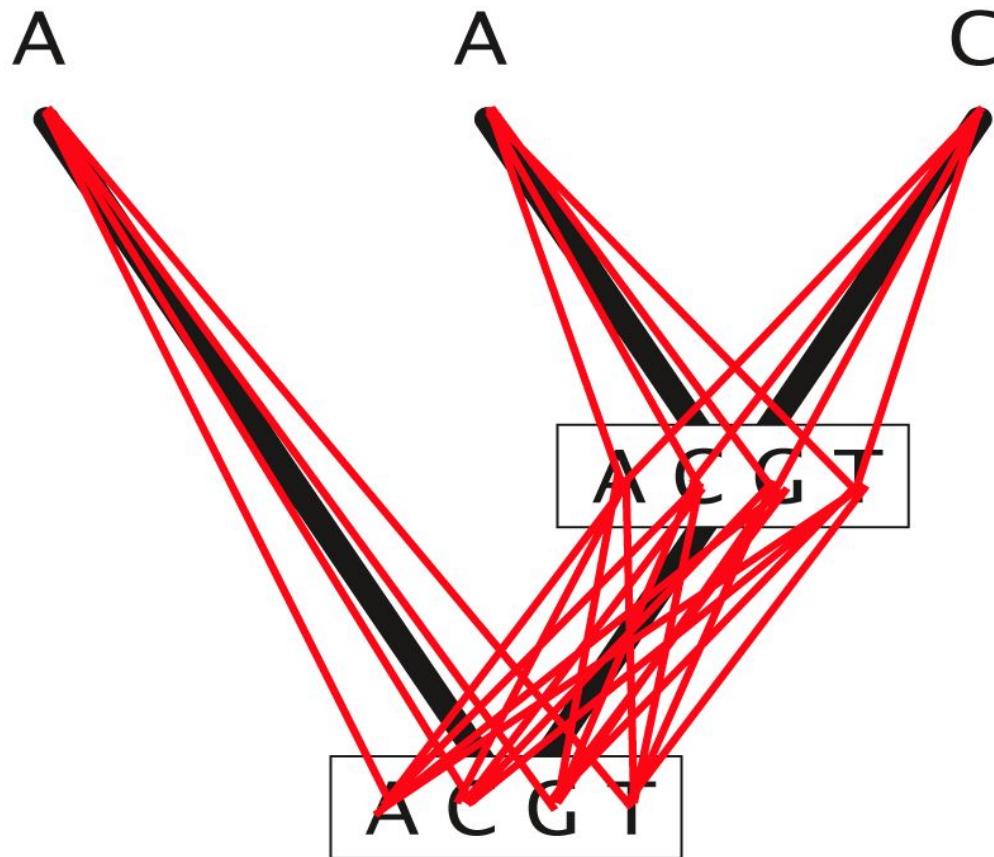
Probability of?

Brown bear	<b>CGTTAGTACACT</b>
Cave bear	<b>CGATAGTTCACT</b>
Black bear	<b>CGTTAGTTTACC</b>
Giant panda	<b>CATTGGTTTACT</b>



from      to

	A	C	G	T
A	-	a	b	c
C	a	-	d	e
G	b	d	-	f
T	c	e	f	-



		A	C	G	T
A	-	a	b	c	
C	a	-	d	e	
G	b	d	-	f	
T	c	e	f	-	

Likelihood = all possible scenarios

# Likelihood is multiplied across sites

L L L ...  
1| 2| 3|

Sample 1

CGT TAGTACACT

Sample 2

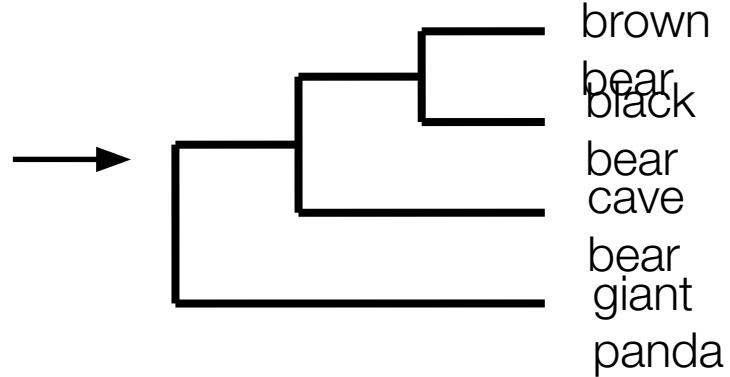
CGATAGTTCACT

Sample 3

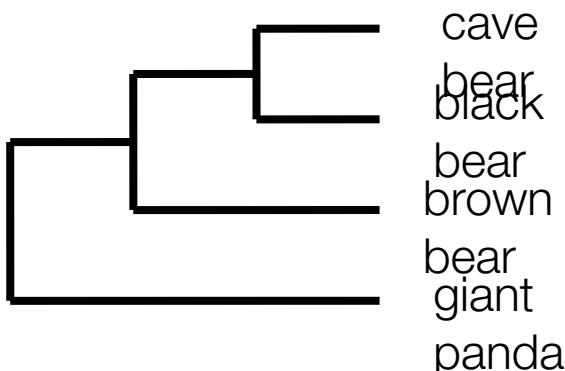
CGTTA Likelihood values are very small!

Sample 4 (use log scale)

brown bear	<b>CGTTAGTACACT</b>
cave bear	<b>CGATAGTTCACT</b>
black bear	<b>CGTTAGTTTACC</b>
giant panda	<b>CATTGGTTTACT</b>

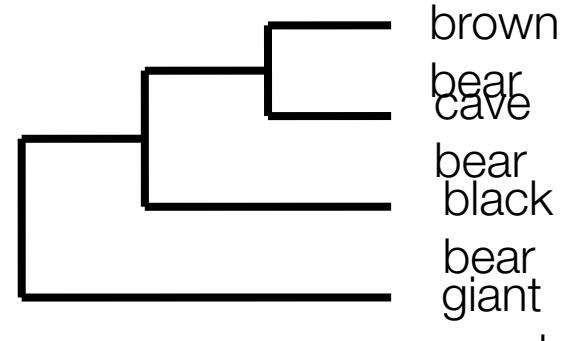


$$\ln L = -1203.83$$



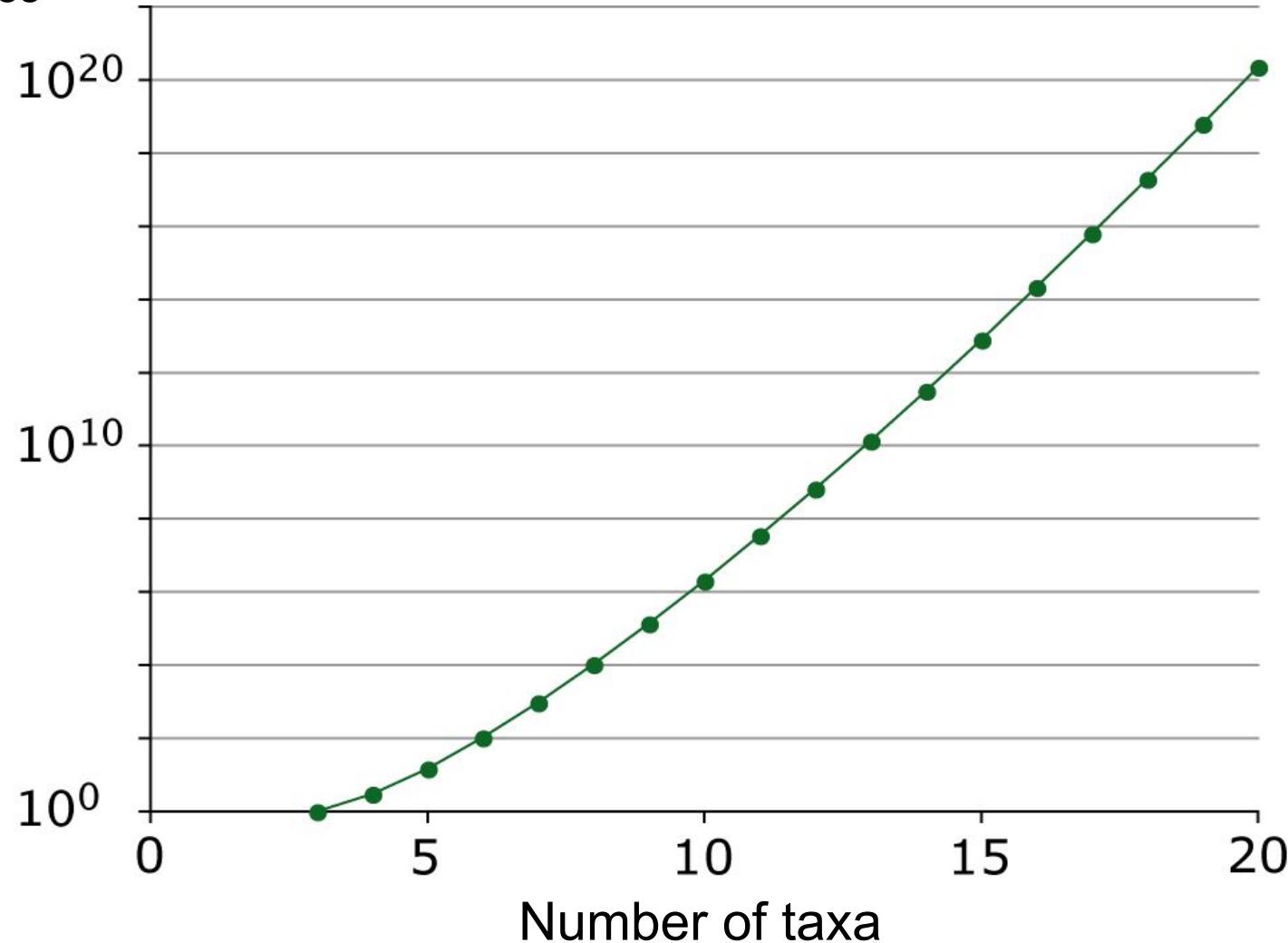
$$\ln L =$$

$$-1241.47$$



$$*\ln L = -908.58$$

## Number of trees



# Maximum likelihood

- Heuristic approaches to search tree space
- Single estimate of phylogenetic tree and parameters (MLE)
- Uncertainty via bootstrapping
- \*We typically need additional methods to estimate rates, times, or demographic parameters

brown bear CG**T**TAGTACACT  
cave bear CG**A**TAGTTCACT  
black bear CG**T**TAGTTTACC  
giant panda C**A**TTGGTTTACT

# Bootstrapping

brown bear CGTTAGTACACT  
cave bear CGATAGTTCACT  
black bear CGTTAGTTTACC  
giant panda CATTGGTTTACT

# Bootstrapping

brown bear T  
cave bear A  
black bear T  
giant panda T

brown bear CG**T**TAG**G**TACACT  
cave bear CG**A**TAG**T**TCACT  
black bear CG**T**TAG**T**TTACC  
giant panda C**A**TTGG**T**TTACT

# Bootstrapping

brown bear **TT**  
cave bear **AT**  
black bear **TT**  
giant panda **TT**

brown bear CGTTAGTACACT  
cave bear CGATAGTTCACT  
black bear CGTTAGTTACC  
giant panda CATTGGTTTACT

# Bootstrapping

brown bear TTC  
cave bear ATC  
black bear TTT  
giant panda TTT

brown bear CG**T**TAG**T**ACACT  
cave bear CG**A**TAG**T**TCACT  
black bear CG**T**TAG**T**TTACC  
giant panda C**A**TTGG**T**TTACT

# Bootstrapping

brown bear TTCT  
cave bear ATCT  
black bear TTTT  
giant panda TTTT

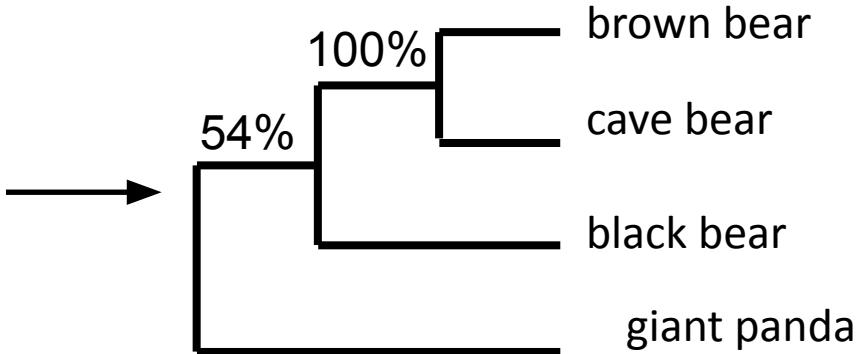
# Bootstrapping

brown bear CG**T**TAGTACACT  
cave bear CG**A**TAGTTCACT  
black bear CG**T**TAGTTTACC  
giant panda C**A**TTGGTTTACT

## Pseudoreplication

Repeat 1,000 times

brown bear TT**C**TAGTACACT  
cave bear A**T**CTAGTTCACT  
black bear TTT**A**GTTTACC  
giant panda TTTTG**T**TTACT

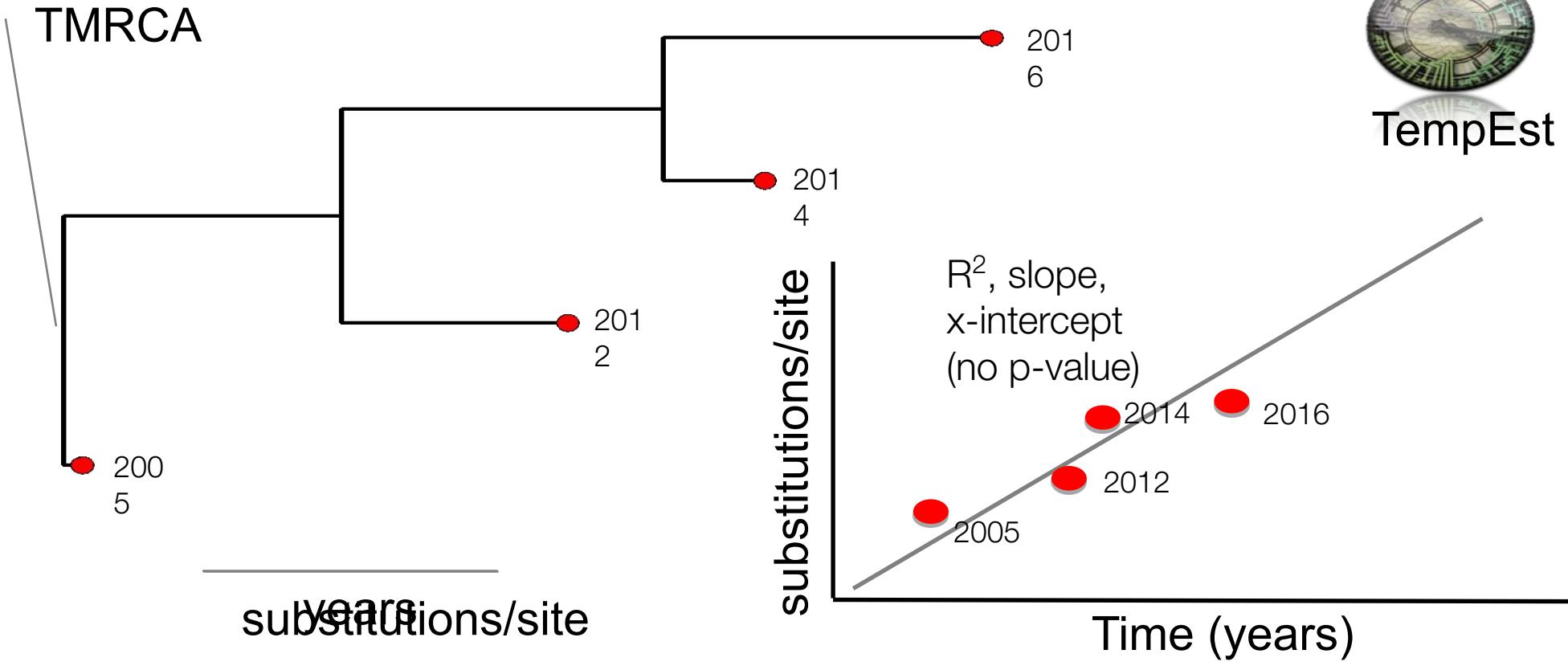


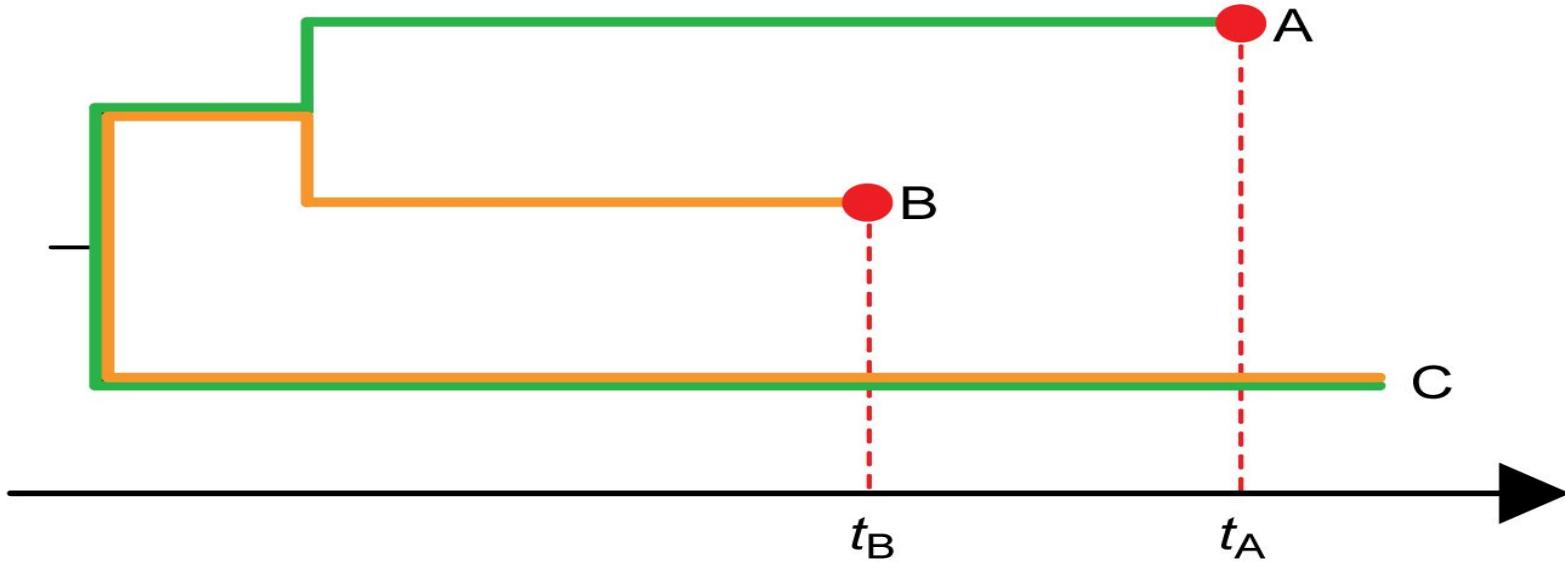
# Concept review

- Maximum parsimony does not assume an explicit substitution model
- Distance methods are very fast, but do not use all of the information
- for tree building
- Maximum likelihood is a true statistical approach. Obtaining uncertainty
- often requires additional approaches
  - (bootstrapping, concordance factors)

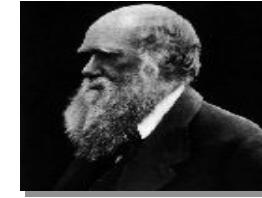
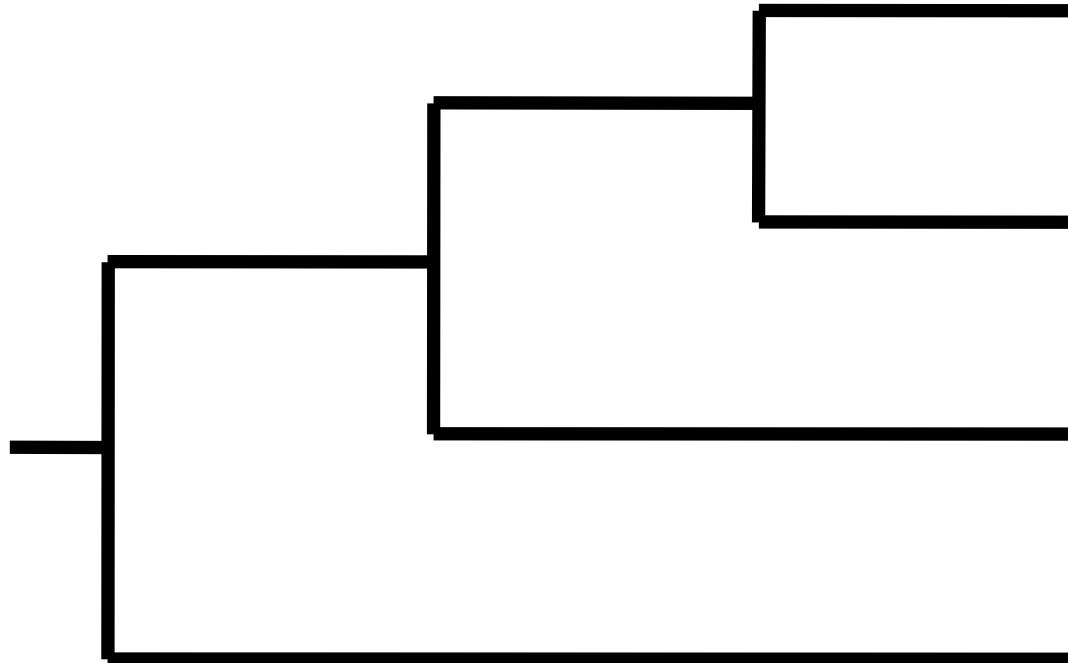
# The molecular clock

# The molecular clock

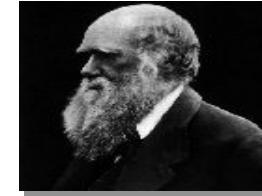
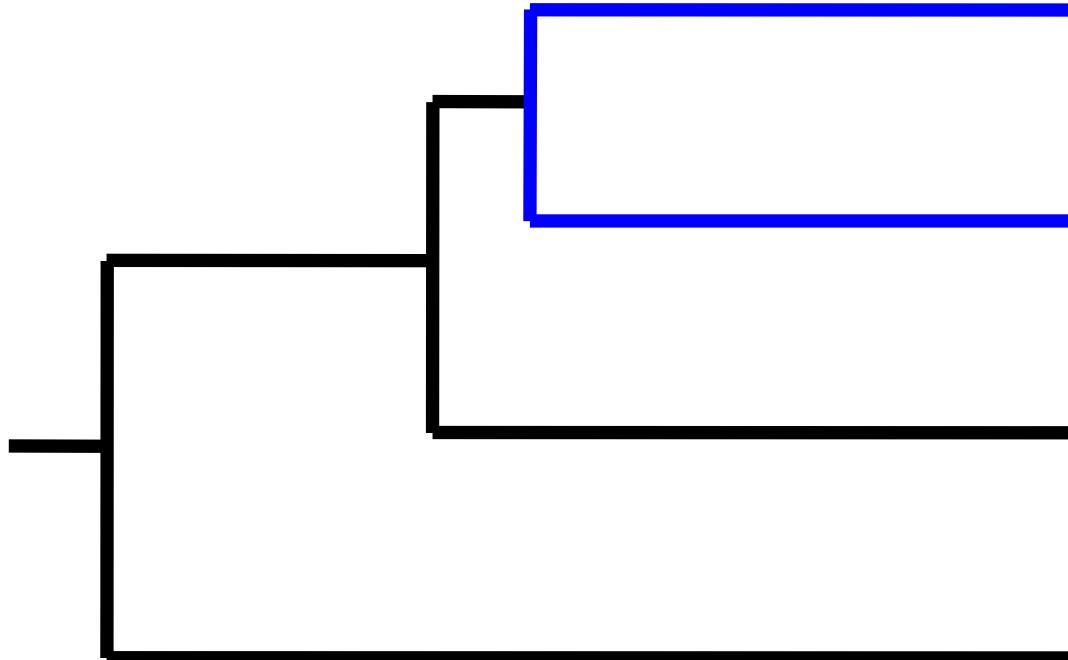




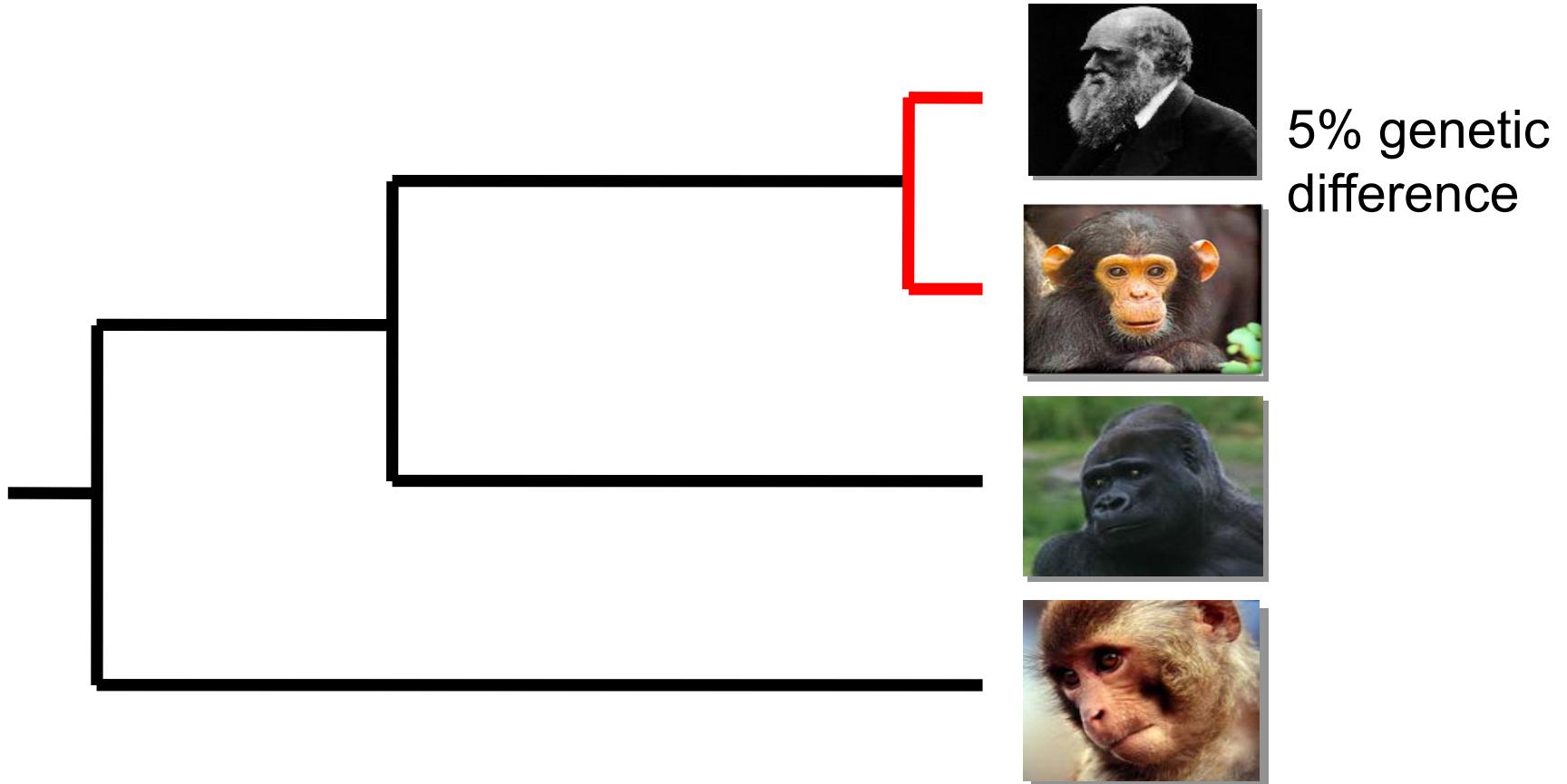
See: Rambaut (2000) Bioinformatics

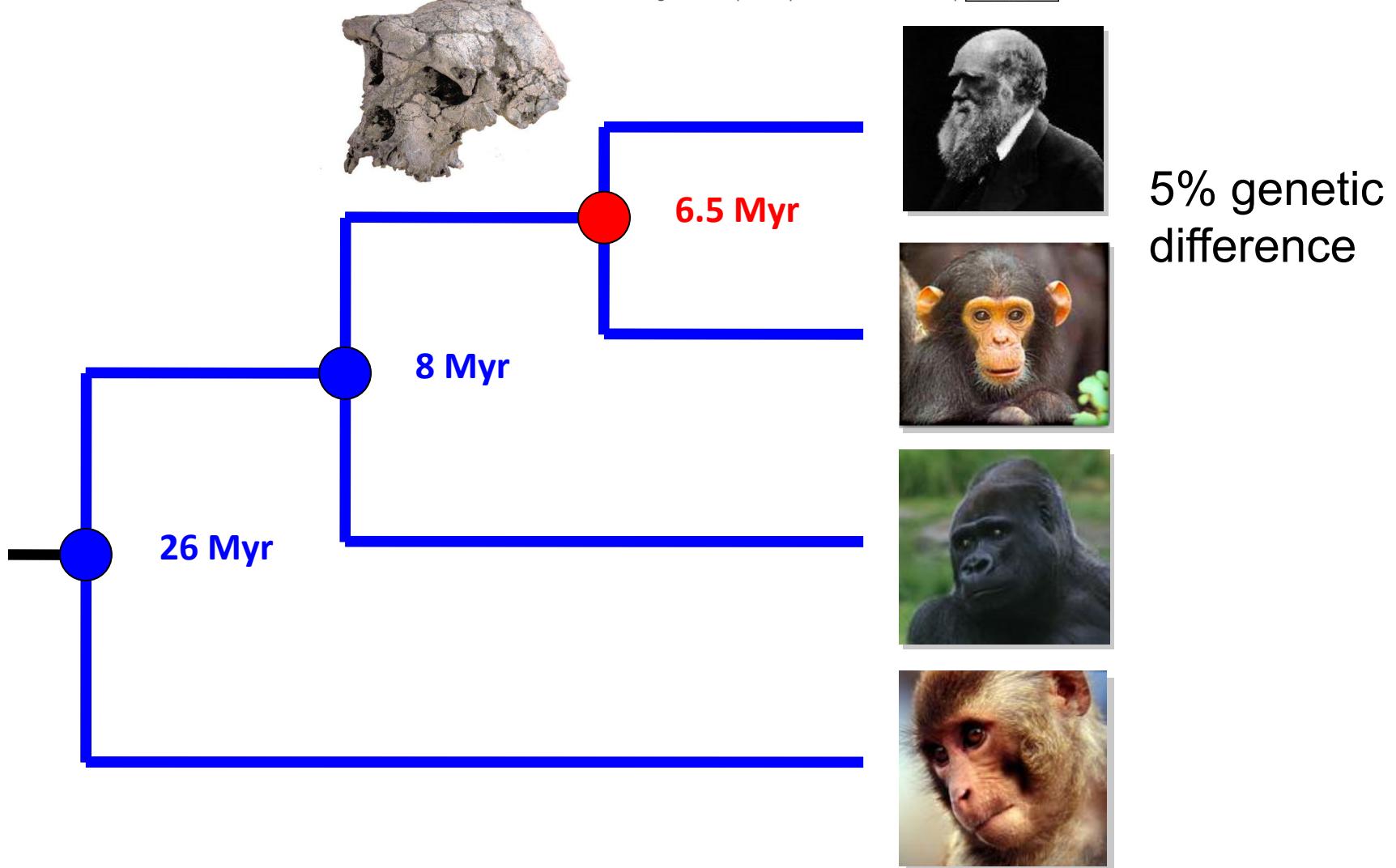


5% genetic difference



5% genetic  
difference





# Concept review

- The molecular clock is the assumption that substitutions accumulate
- at a roughly constant rate over time
- Additional information, such as sequence sampling times or fossil
- data are required for **calibration** – rates and time are **unidentifiable**
- The root-to-tip regression is a useful visual inspection, but it has major
- statistical limitations (do not interpret p-values)

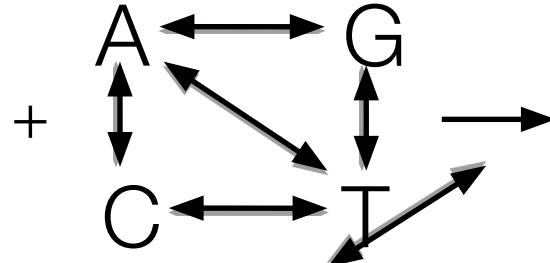
Recommended reading:

Ho & Duchene (2014) Molecular-clock methods... Molecular  
Ecology

# Bayesian phylogenetics: key concepts

## Maximum likelihood

Given



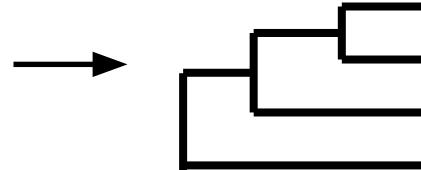
Probability of?

**CGTTAGTACACT**  
**CGATAGTTCACT**  
**CGTTAGTTTACC**  
**CATTGGTTTACT**

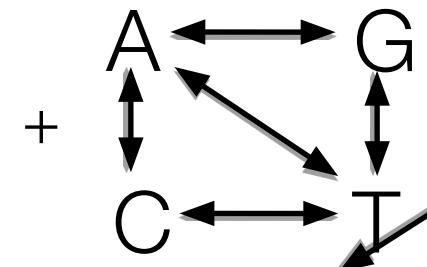
## Bayesian inference

Given

**CGTTAGTACACT**  
**CGATAGTTCACT**  
**CGTTAGTTTACC**  
**CATTGGTTTACT**



Probability of?



- Parameters have distributions
- Before the data are observed, each parameter has a prior distribution
- The likelihood of the data is computed, but not maximised
- The prior distribution is combined with the likelihood to yield the posterior distribution

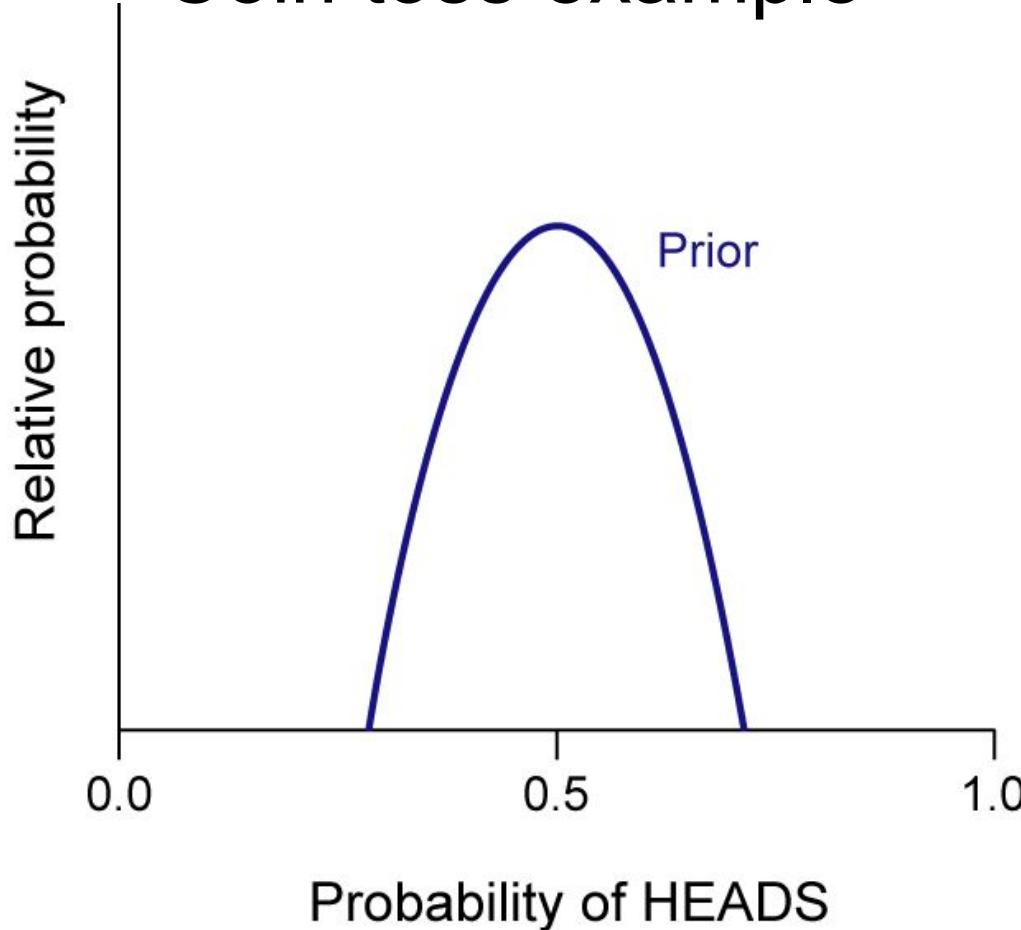
$$\boxed{\text{Posterior}} \propto \boxed{\text{Prior}} \times \boxed{\text{Likelihood}}$$

This is what we want  
to estimate

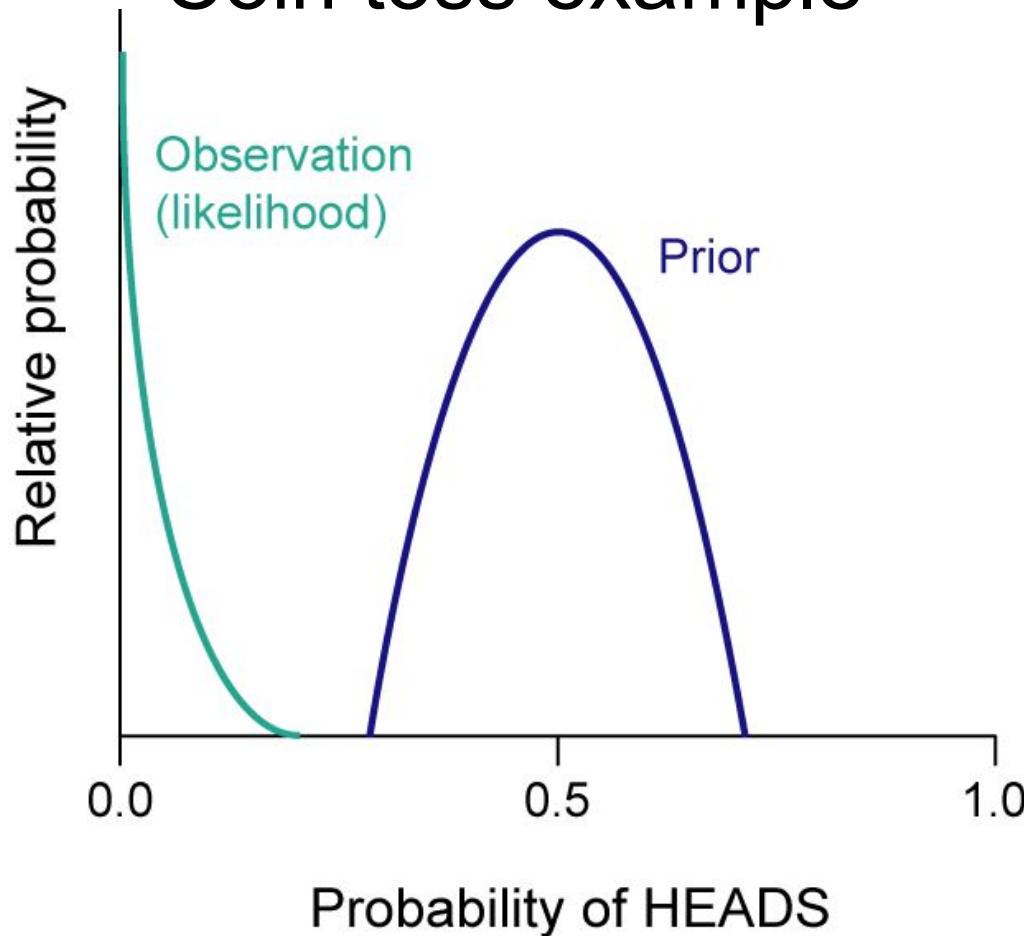
Specified by user,  
independent of data

Calculated from data

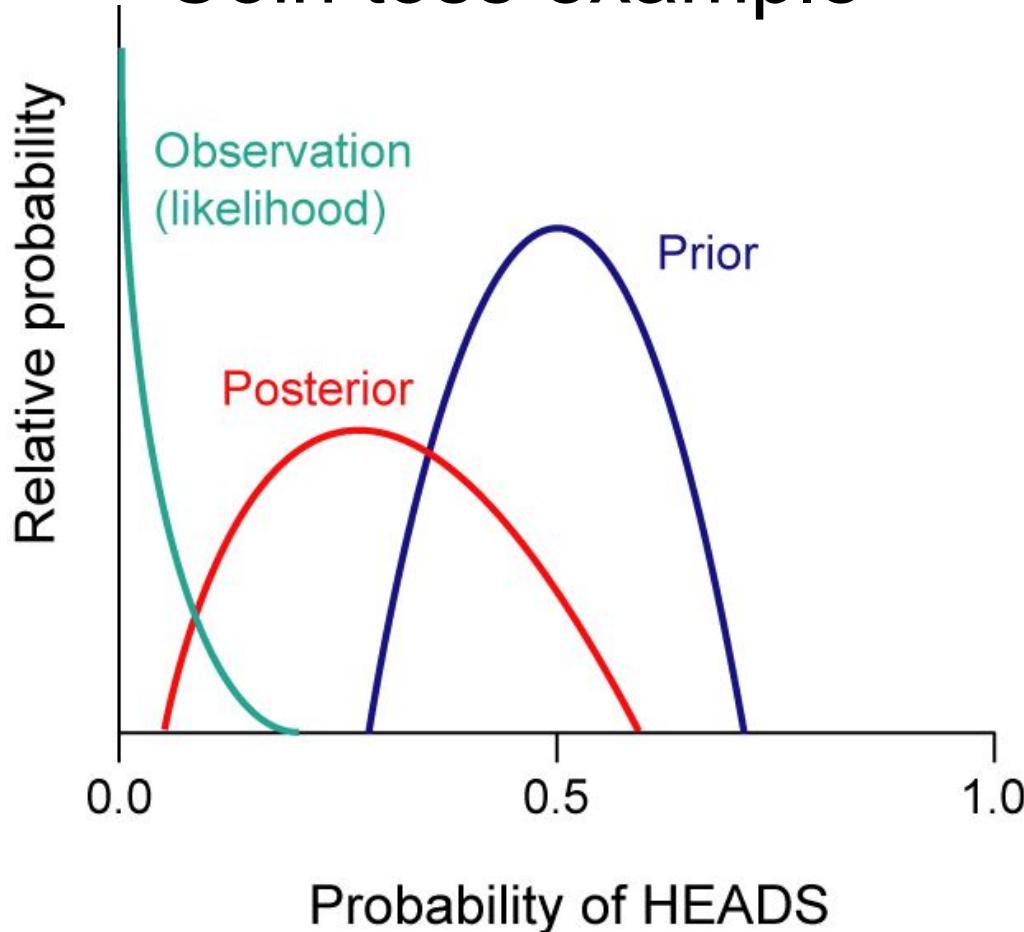
# Coin toss example



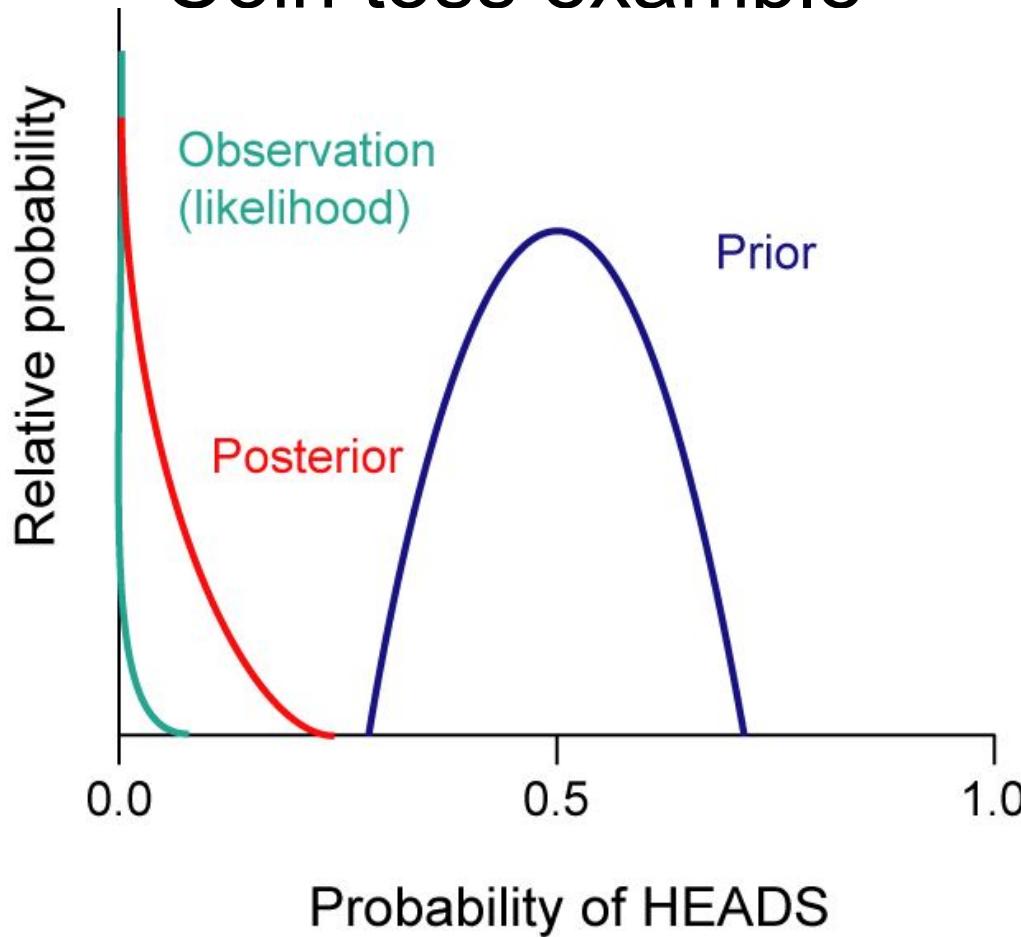
# Coin toss example



# Coin toss example



# Coin toss example



# In phylogenetic models....

Phylogenetic tree (chronogram or phylogram)



Substitution model parameters



Evolutionary rates and time



$$P(\text{E} \text{ } \textcircles{+} \text{ } \blacksquare \text{ } \odot | \equiv) = \frac{P(\equiv | \text{E} \text{ } \textcircles{+} \text{ } \blacksquare \text{ } \odot) P(\text{E} | \text{+}) P(\text{+}) P(\blacksquare) P(\odot)}{P(\equiv)}$$

1

## Alignment

3

## Chronogram

## Branching model (can be an epi model)

# Substitution model

## Clock model

For the tree prior we can use an epidemiological process to generate **chronograms**.

The phylogenetic likelihood is obtained by multiplying branching times by rates to obtain a **phylogram**

$$P(\text{E} \text{ } \textcircles{+} \text{ } \blacksquare \text{ } | \text{ } \equiv) = \frac{P(\equiv | \text{E} \text{ } \textcircles{+} \text{ } \blacksquare) P(\text{E} \text{ } | \text{ } \textcircles{+}) P(\textcircles{+}) P(\blacksquare) P(\equiv)}{P(\equiv)}$$

1

## Alignment

2

## Chronogram

1

## Branching model (can be an epi model)

# Substitution model

## Clock model

Note that the normalising constant,  $P(\text{alignment})$ , known as the marginal likelihood, is useful for model selection, but not usually computed.

# Concept review

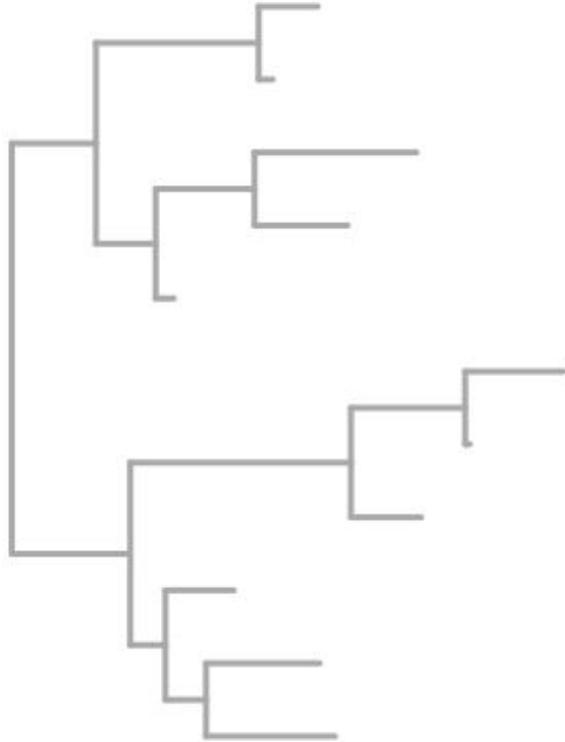
- Bayesian analyses also require computing a **likelihood**
- The prior is essential for Bayesian analyses and usually obtained
- independently of the data
- We can specify more sophisticated models via the tree prior and
- the molecular clock model

Recommended reading:

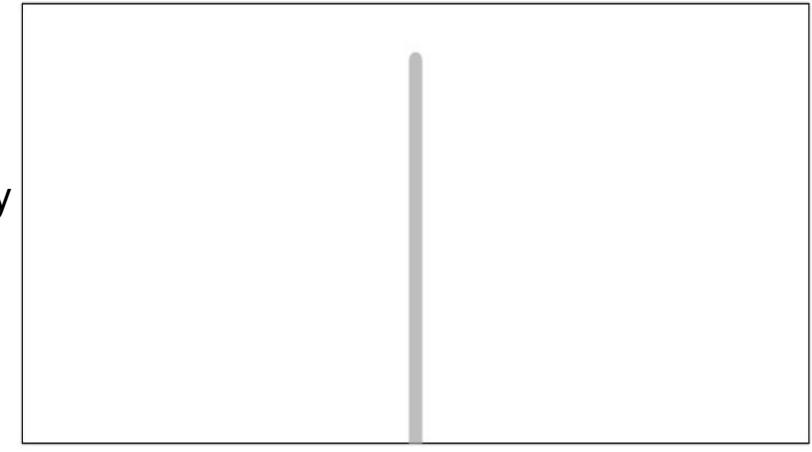
Bromham et al. (2018) Bayesian molecular dating... Biological

# Bayesian phylogenetics: incorporating time and demography

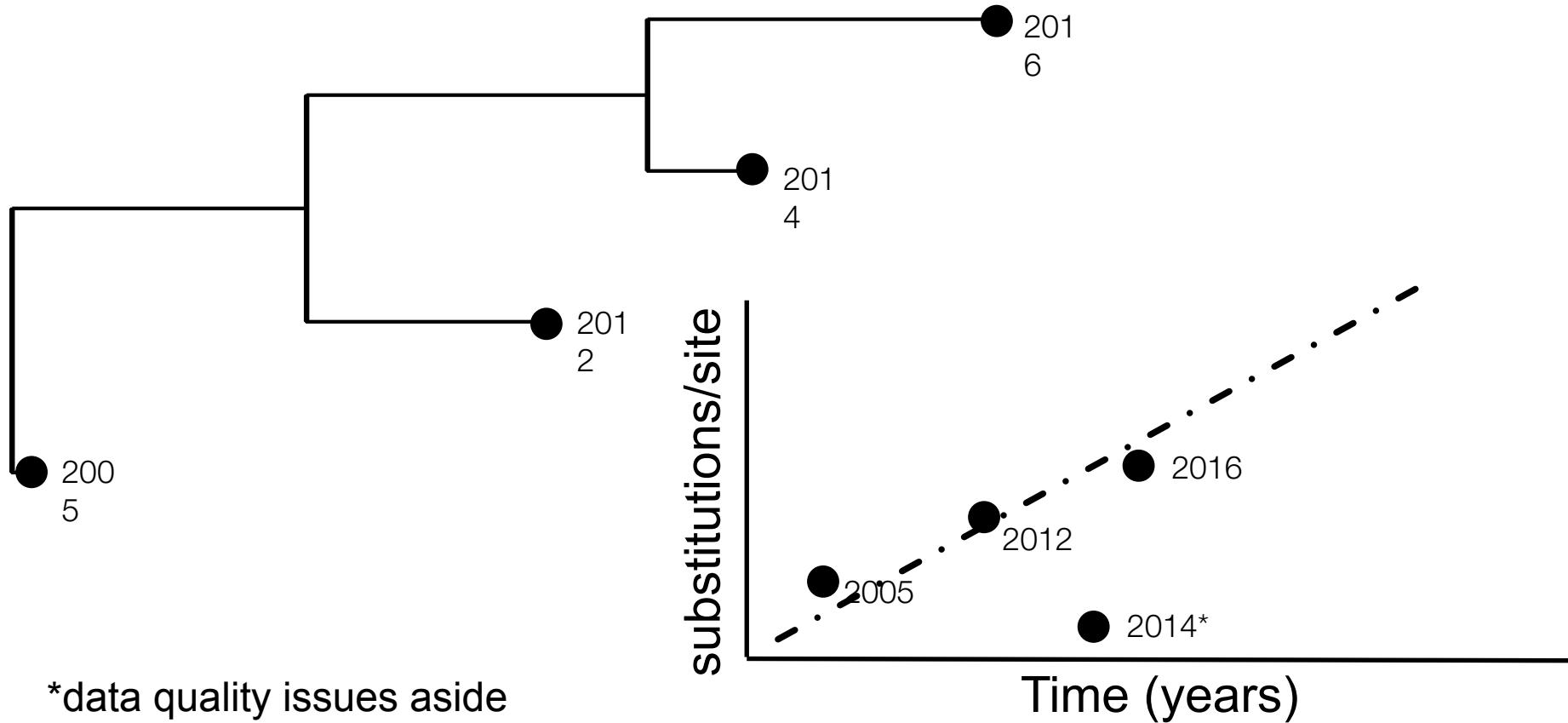
# A strict molecular clock

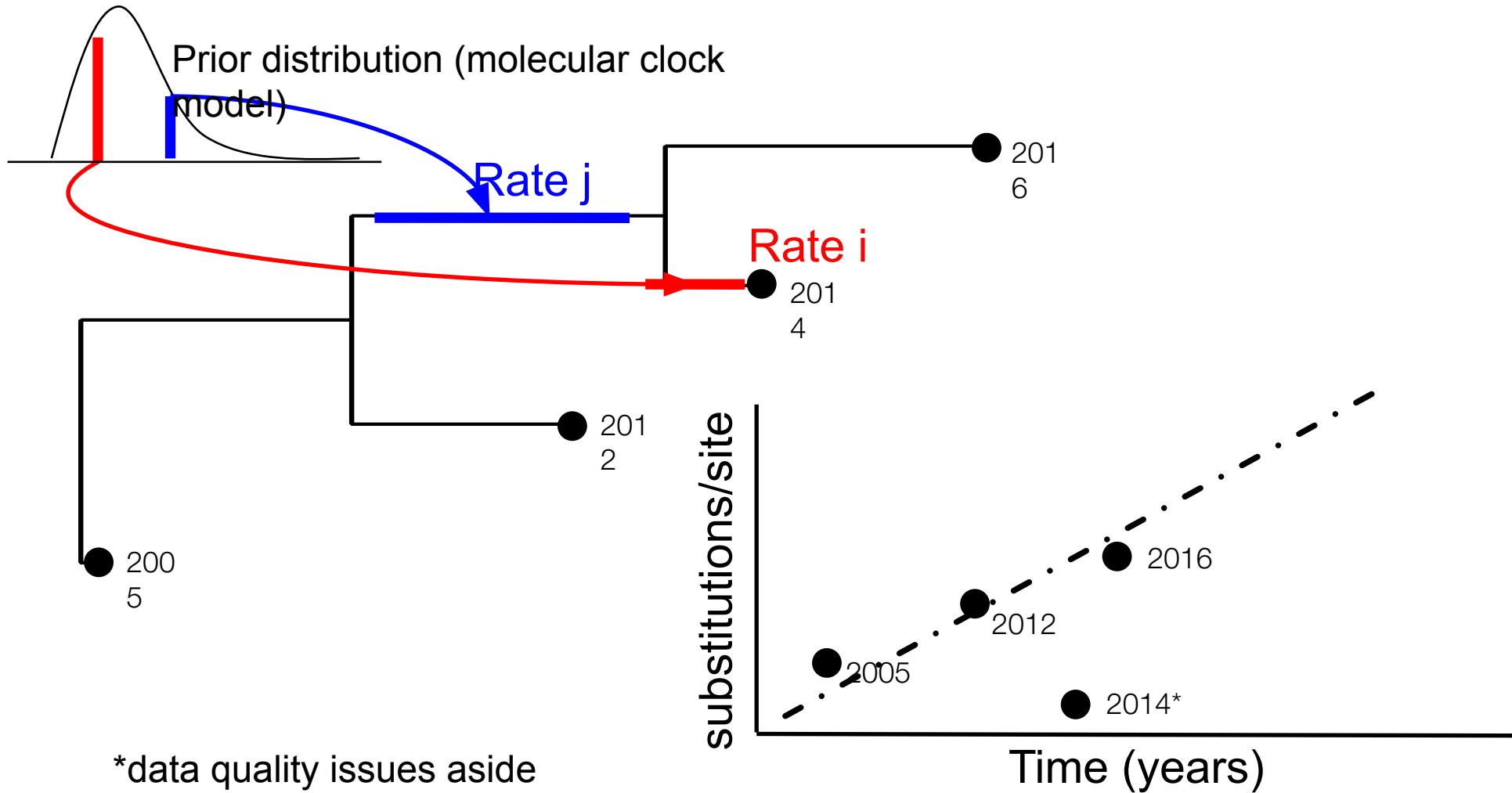


Prob. density

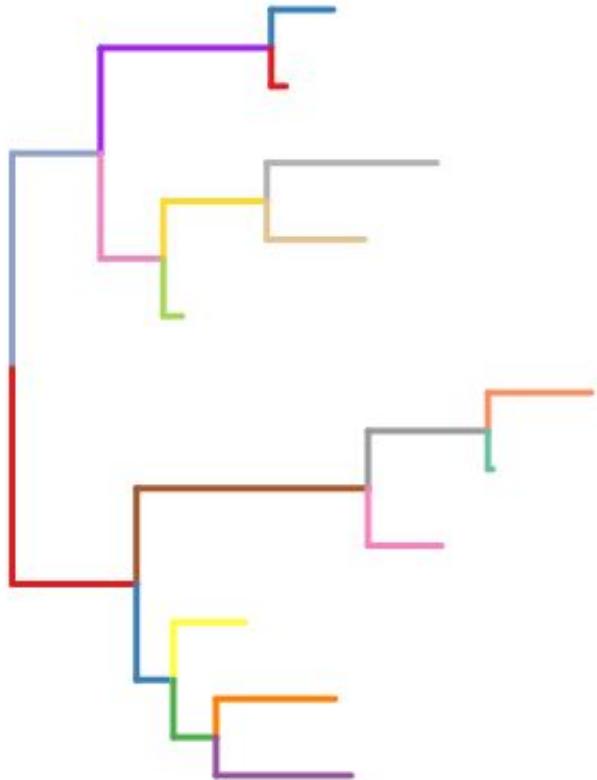


Evolutionary rate (subs/site/year)

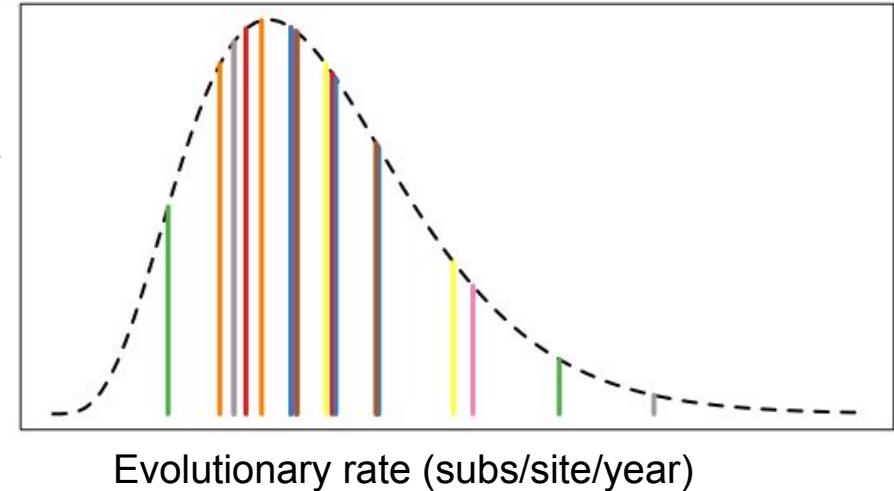




# A relaxed molecular clock



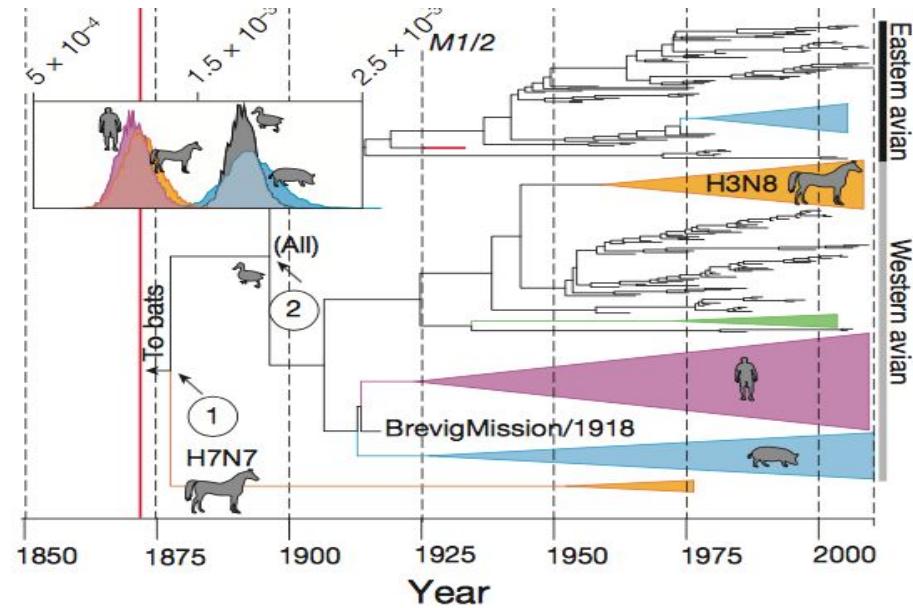
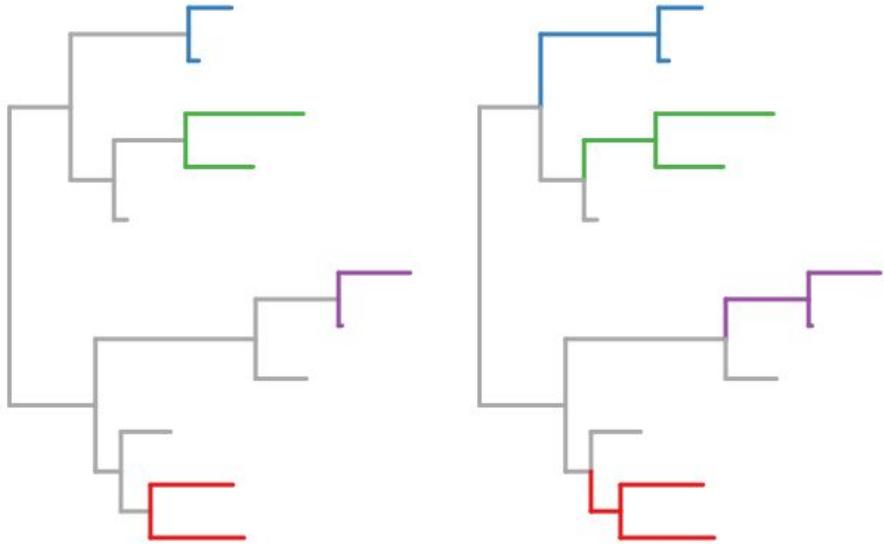
Prob. density



Gamma  
distro:  
 $\Gamma [\alpha, \beta]$   
Mean =  $\alpha / \beta$

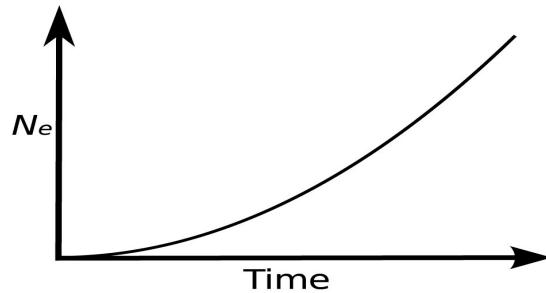
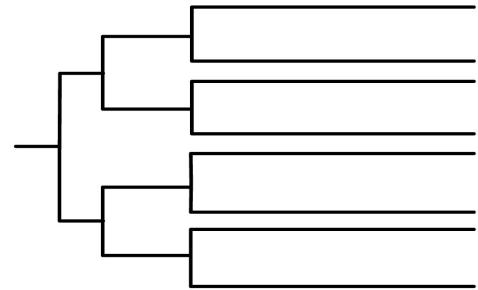
Lognormal distro:  
LNorm  $[\mu, \sigma^2]$   
Mean =  $e^{\mu + \sigma^2 / 2}$

# Local molecular clocks

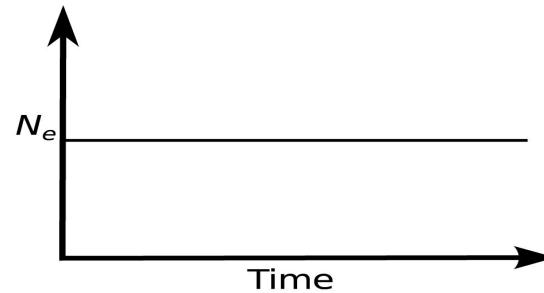
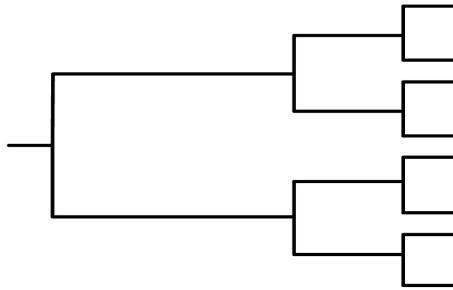


# Tree priors

Exponential Growth



Constant Population Size



Recommended reading:  
Featherstone et al. (2022). Epidemiological Inference From Pathogen Genomes... Virus Evolution

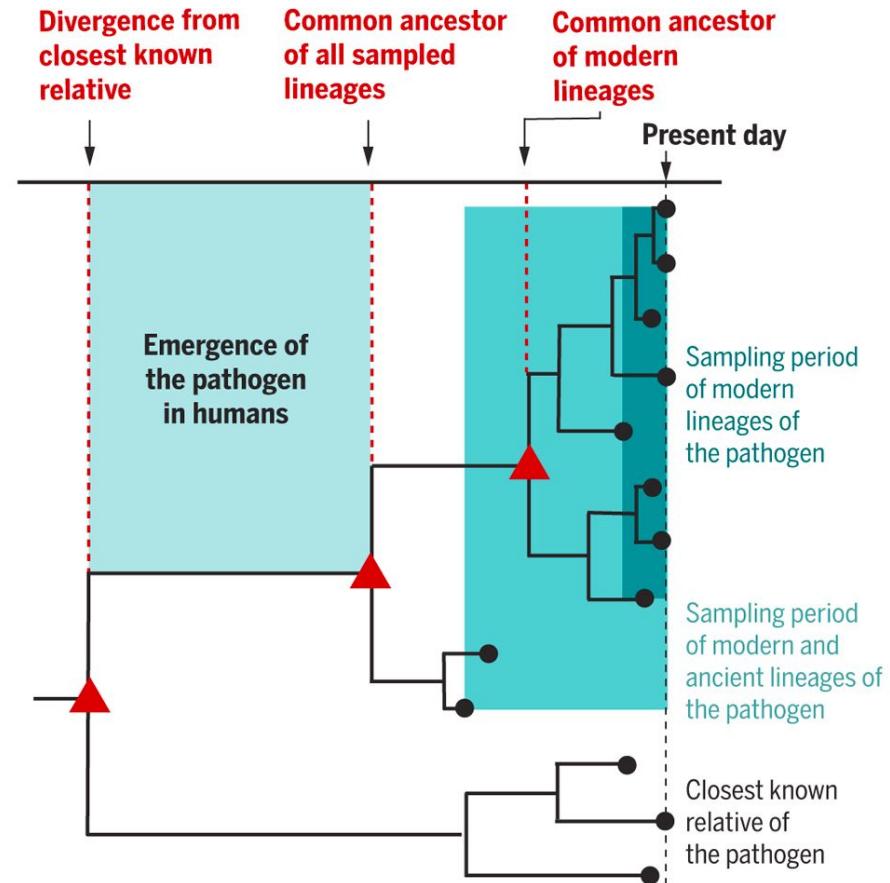
# Concept review

- Bayesian molecular clock models can be proposed based on statistical convenience or biological motivation
- Demographic/epi models can inform us about changes in population size and genetic diversity – they are incorporated via the tree prior
- See how to sample the posterior distribution and summarise parameters and trees in the prac later today

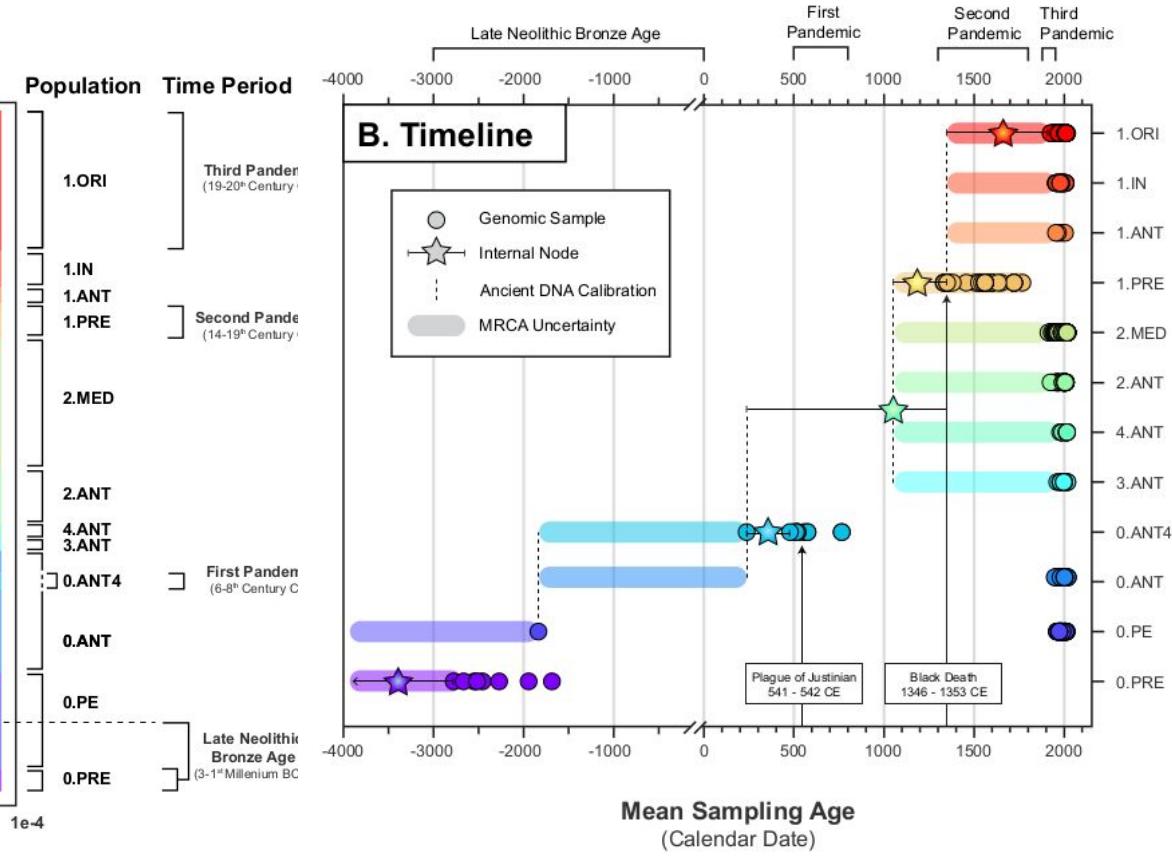
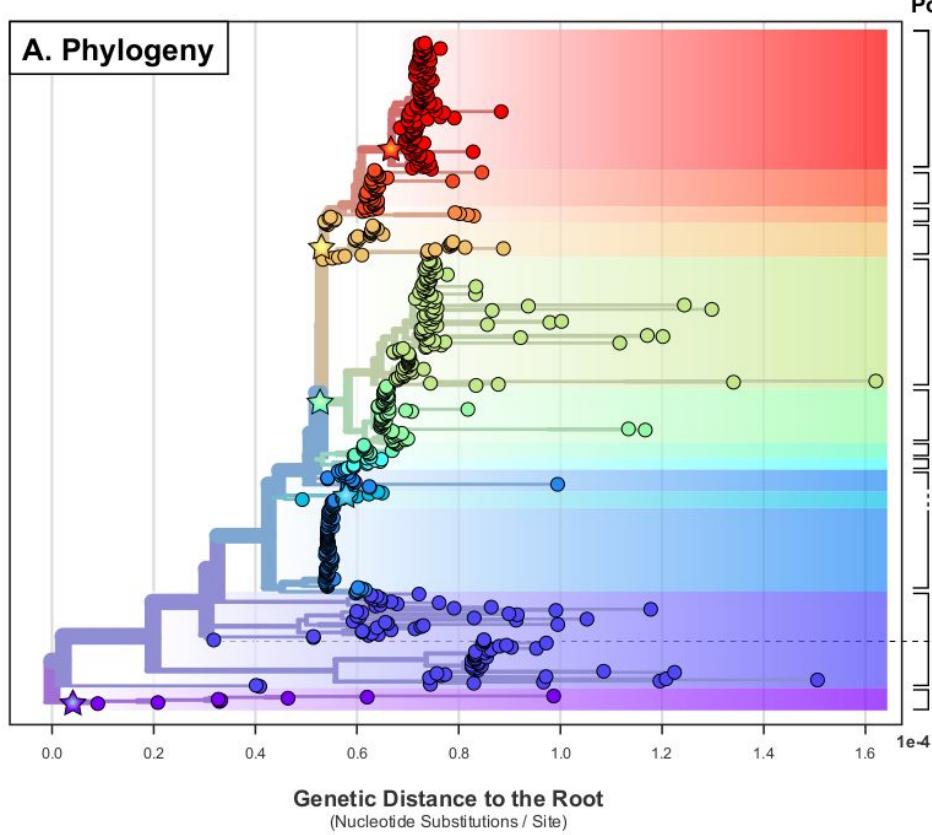
# Molecular clock in ancient DNA data

# • Considerations for ancient DNA data

- Highly informative because the sampling window can be very wide
- (temporal signal)
- Often many variable sites → lots of information, but also lots of computing
- The molecular clock rarely holds

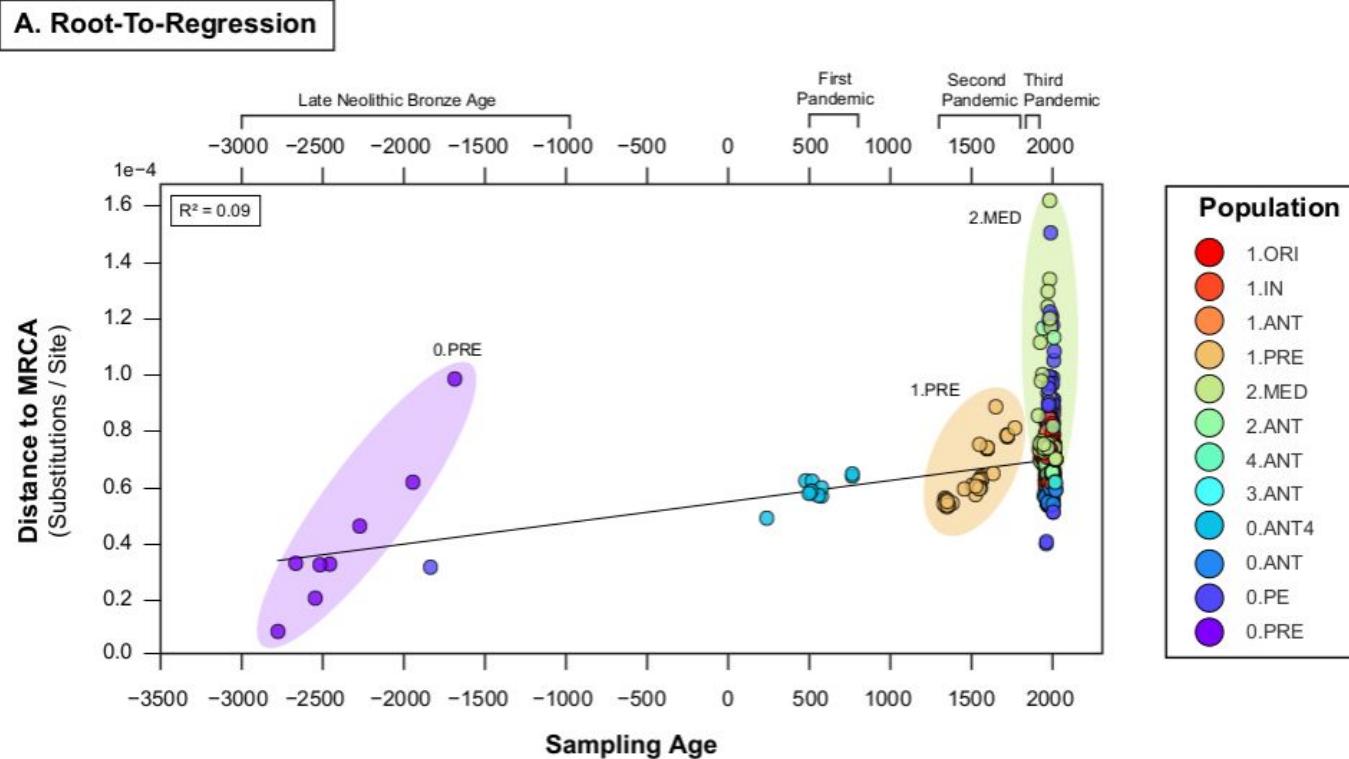


# The molecular clock of *Yersinia pestis*



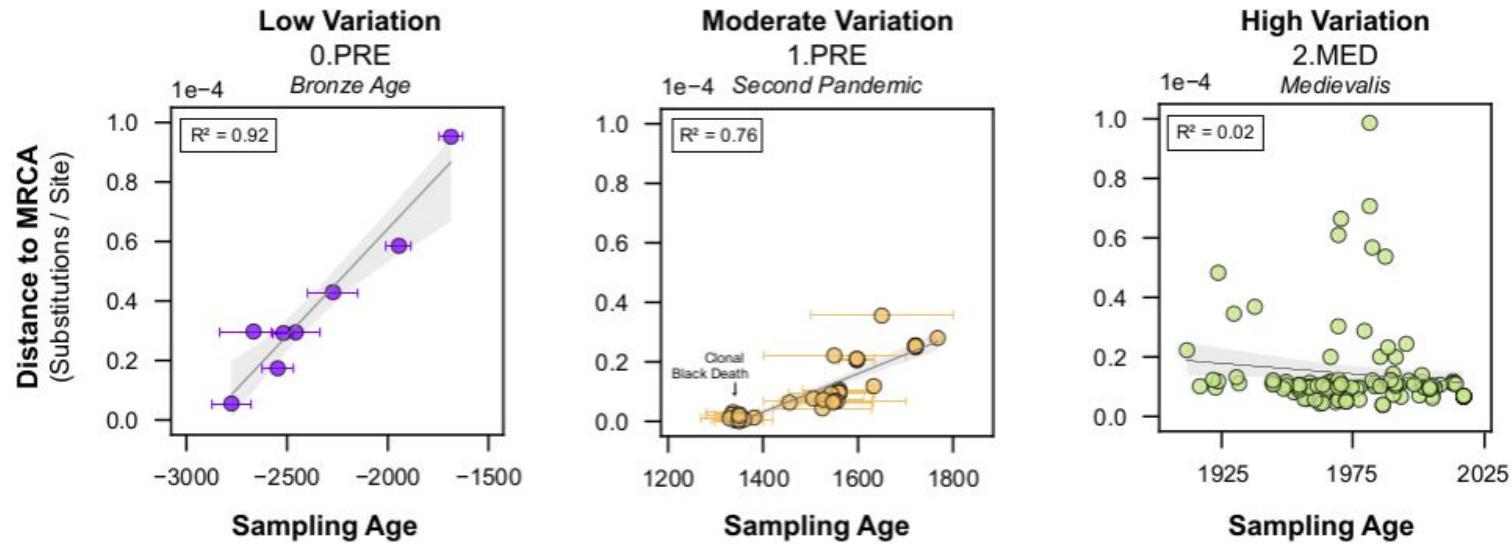
From Eaton et al 2022

# The molecular clock of *Yersinia pestis*

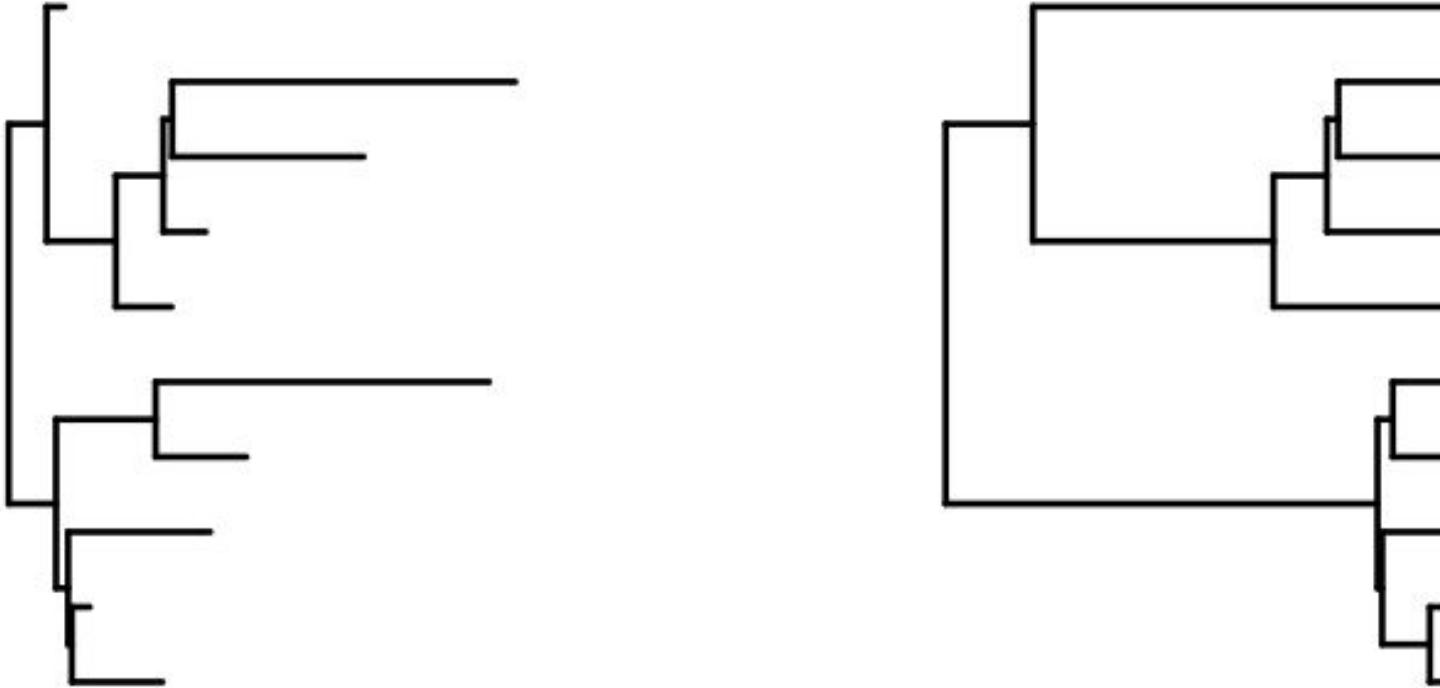


# The molecular clock of *Yersinia pestis*

## B. Root-To-Tip Regression by Population



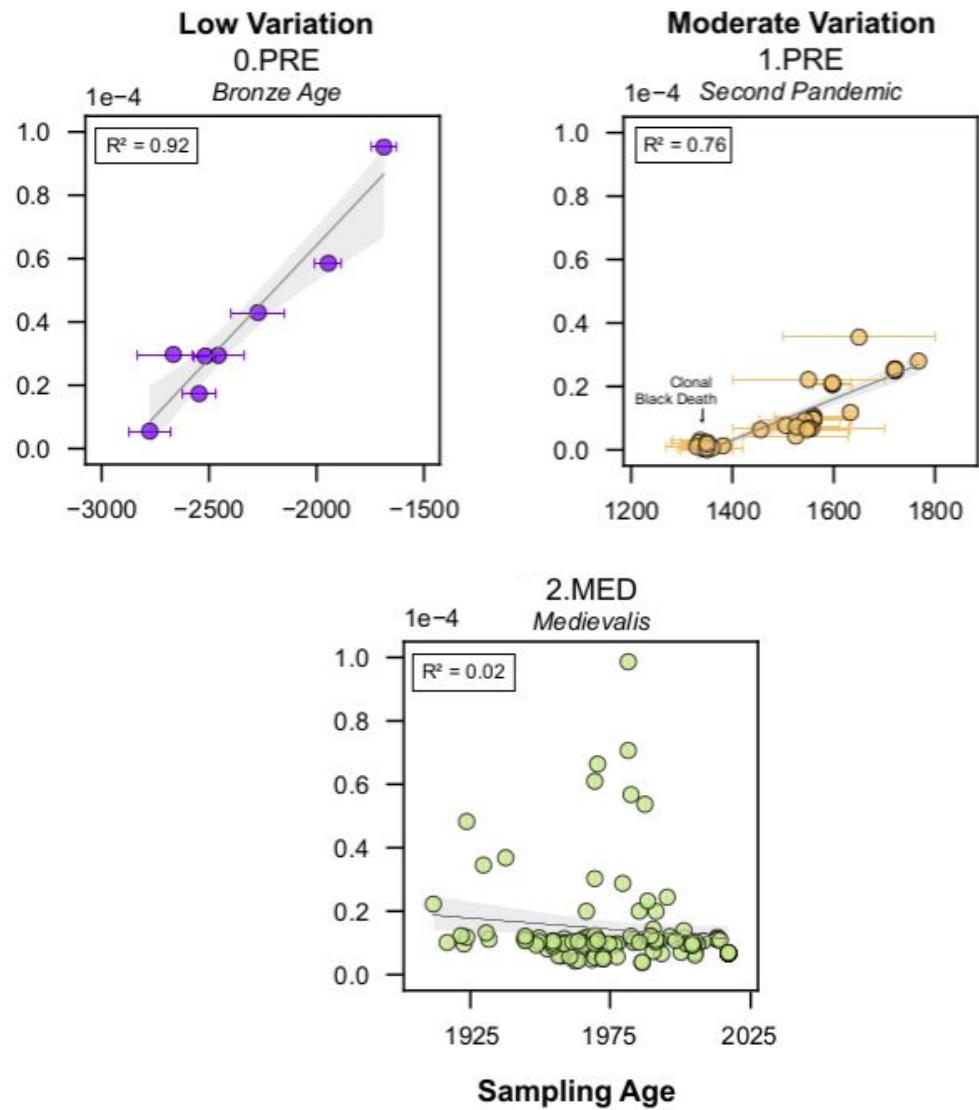
# Bayesian Evaluation of Temporal Signal (BETS)



See:

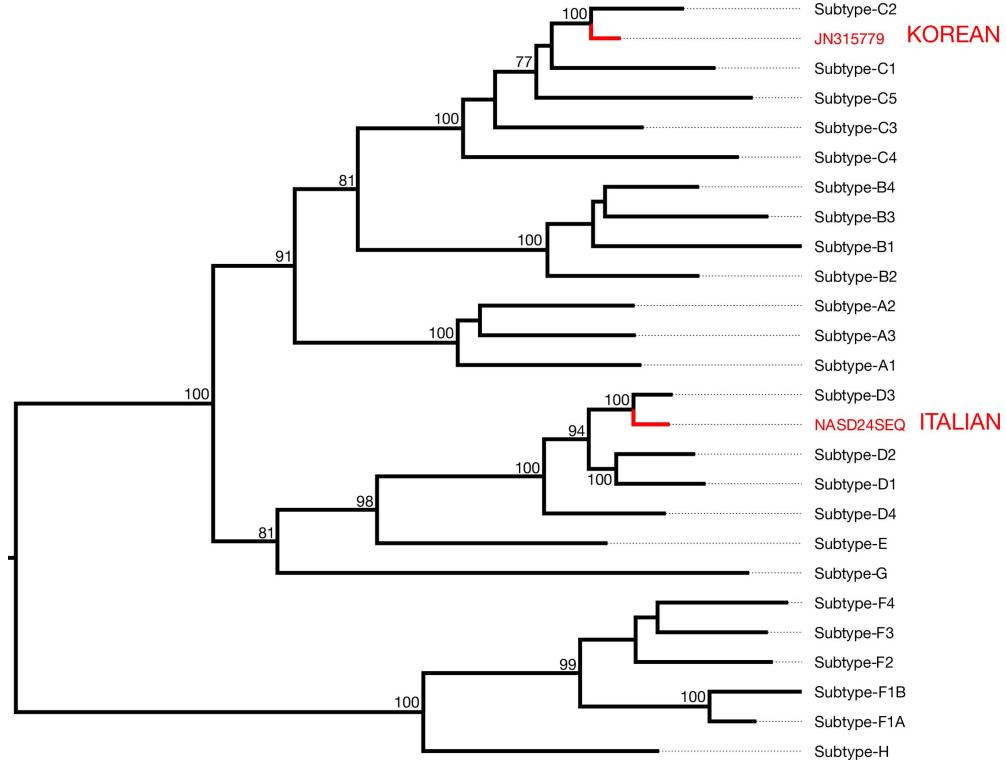
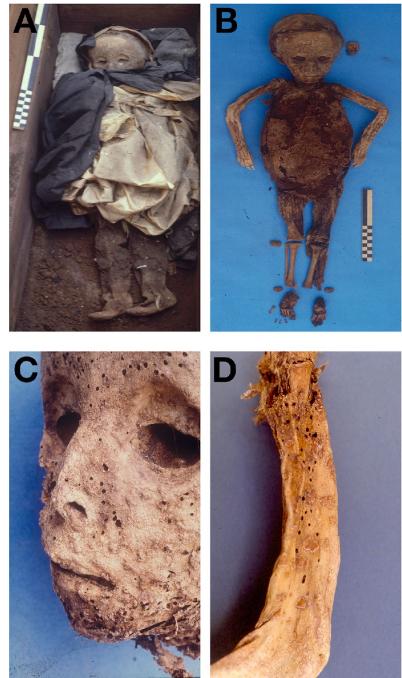
Duchene et al. (2020). Bayesian evaluation of temporal signal... Molecular Biology and Evolution

Population	Genomes	Best Model	Bayes Factor
1.ORI	117	Relaxed Clock Dates	35.7
1.IN	39	Relaxed Clock No Dates	-10.3
1.ANT	4	Relaxed Clock Dates	12.7
1.PRE *	40	Relaxed Clock Dates	44.1
2.MED *	116	Relaxed Clock Dates	3.9
2.ANT	54	Relaxed Clock No Dates	-13.4
4.ANT	11	Relaxed Clock Dates	3.6
3.ANT	11	Relaxed Clock No Dates	-11.2
0.ANT4	12	Relaxed Clock Dates	5.9
0.ANT	103	Relaxed Clock Dates	13297.7
0.PE	85	Relaxed Clock Dates	12.4
0.PRE *	8	Relaxed Clock No Dates*	-2.8

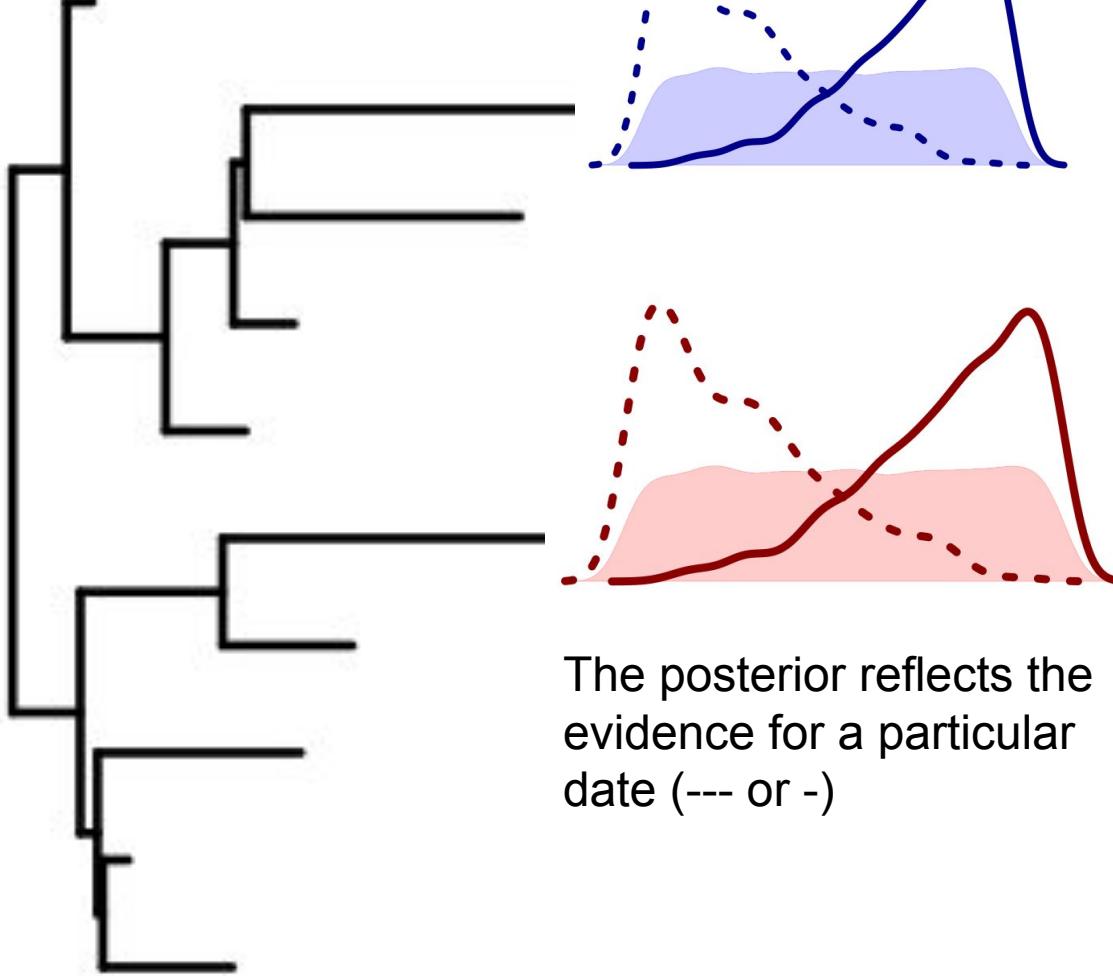


From Eaton et al 2022

# The molecular clock of *Hepatitis B Virus*

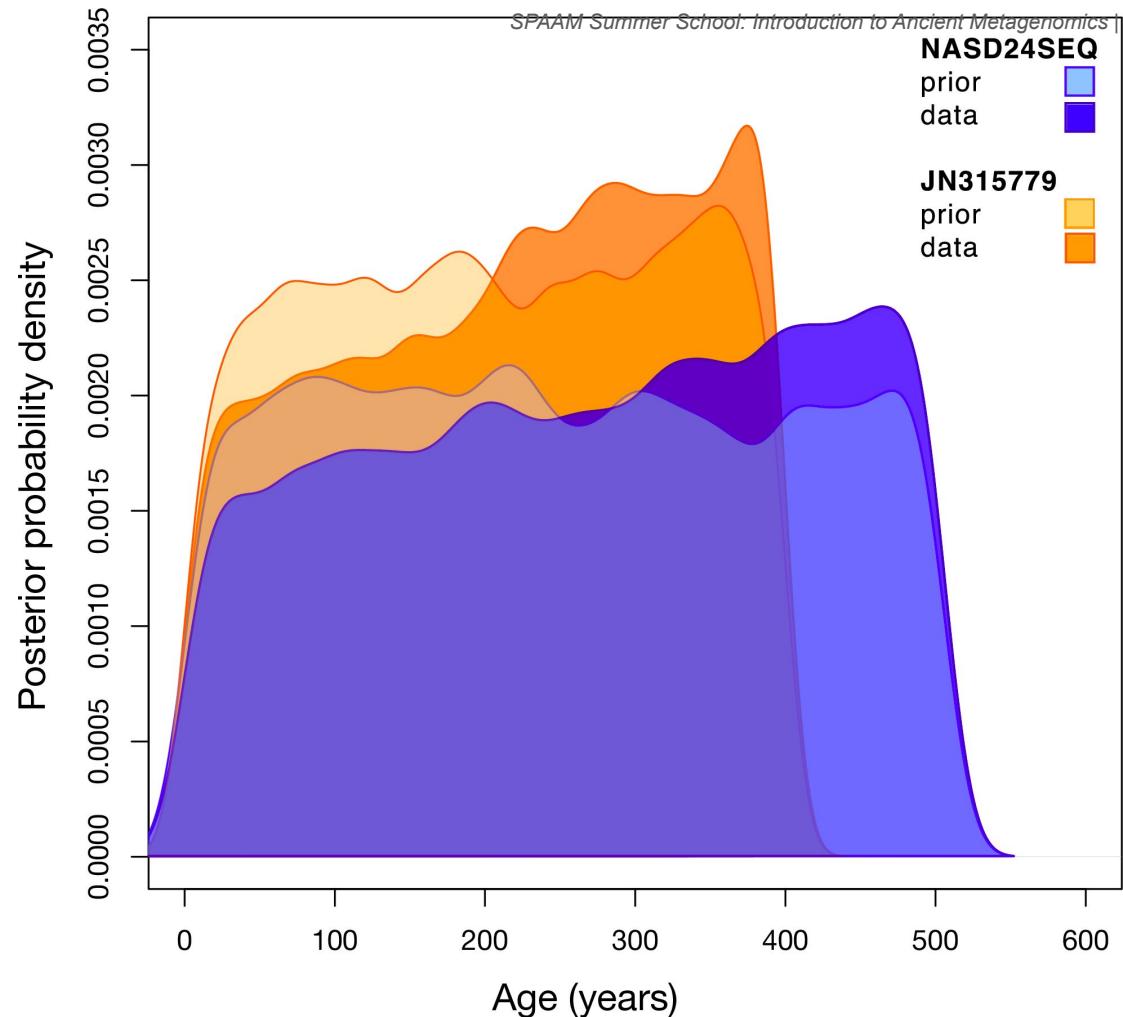


Modern or ancient?



For ancient samples use prior with low information content  
(e.g.  $U(\text{collection date}, \text{present})$ ).

The posterior reflects the evidence for a particular date (--- or -)



The data are not sufficiently informative to override the prior!

# Thank you!

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**Australian Government**  
**Australian Research Council**

