

# INDEX

DBMS :-

DATA :-

Raw and isolated facts about an entity  
(recorded)

e.g. text, audio, video, image, mob etc.

INFORMATION :-

Processed, meaningful, usable data

DATABASE :-

Collection of similar / related data

DBMS :-

S/W used to create, manipulate and delete database.

Disadvantages of file System :-

- 1) Data redundancy.
- 2) Data inconsistency.
- 3) Difficulty in accessing data.
- 4) Data isolation.
- 5) Security Problem.
- 6) Atomicity Problem
- 7) Concurrent - access anomalies.
- 8) Integrity Problem

## DBMS :-

### OLAP

(online analytical processing)

### OLTP

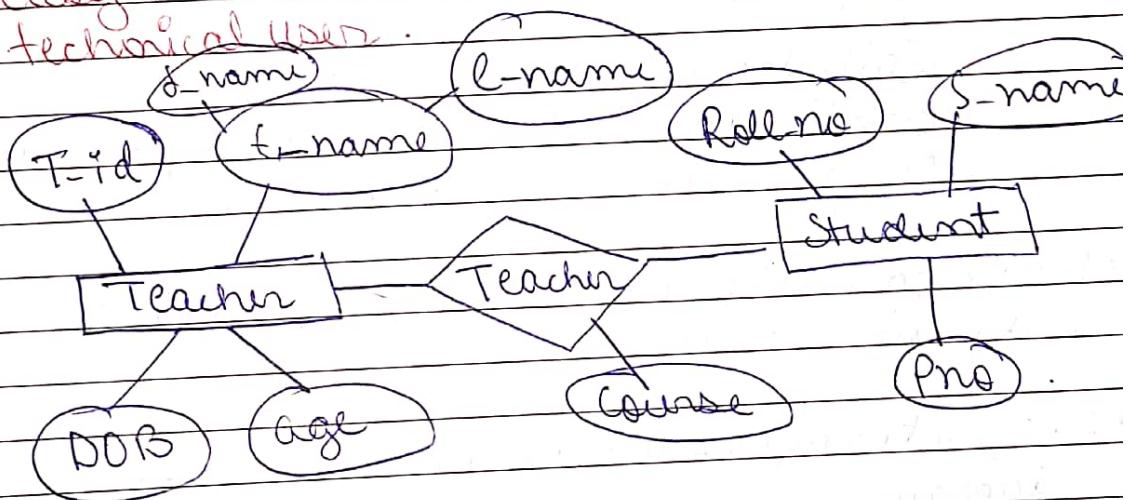
(online transaction processing)

- historical data.
- subject oriented.
- decision making
- TB, PB.
- CEO, MD, GM.
- R.
- current data
- application oriented
- day to day operations
- MB, brB.
- clerks, managers
- R/W

## Entity Relationship Diagram

- Introduction And Basics.
- Entity and Entity Set.
- Attributes and Types.
- Relationship
- Strong and weak entity set
- Trap.
- Conclusion

- o Introduced by Dr Peter Chen in 1976.
- o A non-technical design method works on conceptual level based on the perception of real world.
- o Consists of collection of basic objects called entities and of relationships among these entities and attributes which define their properties.
- o free from ambiguities and provides a standard and logical way of visualizing data.
- o basically it is a diagrammatic representation easy to understand even by non-technical user.



Entity :-

An entity is a thing or an object in the real world that is distinguishable from other objects based on the values of the attributes it possess.

Types of Entities :-Tangible :-

Entities which physically exist in real world.

e.g. car, pen, bank locker.

Intangible :-

Entities which exists logically

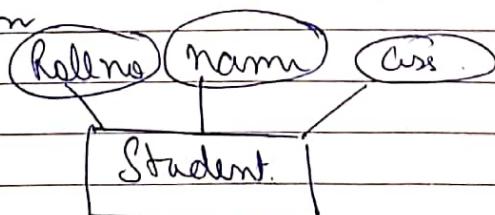
e.g. Account.

Entity Set :-

Collection / set of same types of entities i.e. that share same properties on attributes called entity set.

→ Entity can not be represented in an ER diagram as it is instance / data.

→ Entity set is represented by rectangle in ER diagram



- Entity can be represented in an relational model by row / tuple / record
- Entity set is represented by table in relational model.

### Student

Roll no      name      age .

- 
- 
- 

### Attributes :-

are the units that describe the characteristics of entities.

- For each attribute there is a set of permitted values called domains.
- In ER diagram represented by ellipse or oval which in relational model by a separate column.

### Types

#### Simple - Composite

- Simple cannot be divided further represented by simple oval
- Composite can be divided further in simple attribute, oval connected to a oval.

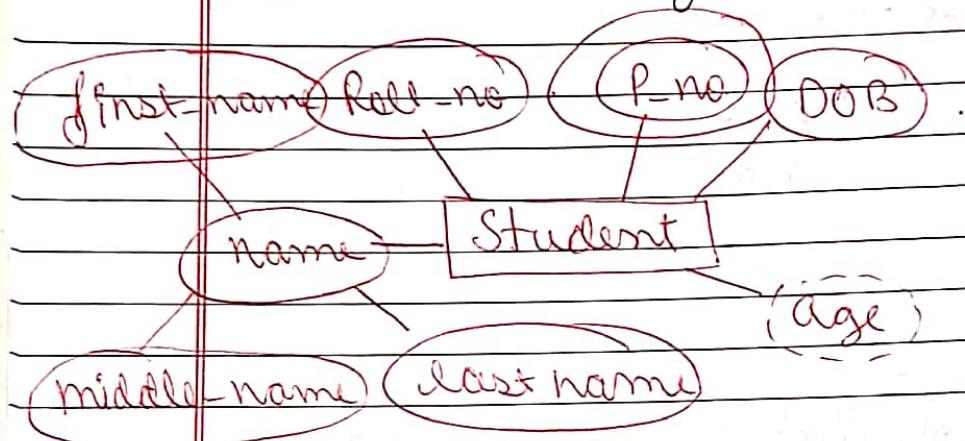
#### Simple - Multivalued

- In glc can have only one value at a instance of time
- multivalued → can have more than one value at a instance of time .

Stonid - derived

Stoned - have value is stored in the data base.

Derived - have value can be completed in run time using stoned attributes.



Student

Roll no.	f-name	M-name	d-name	DOB	Age
----------	--------	--------	--------	-----	-----

Roll-no	Pno				
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## Relationship :-

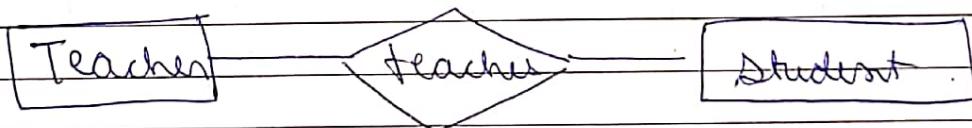
It is an association between two or more entities of same or different entity set.

- No representation in ER diagram as it is an instance on data.
- In relational model represented either using a row in a table.

## Relationship type / Set :-

A set of similar type of relationship

- In ER diagram represented using a diamond.
- In relational model either by a separate table or by separate column (foreignkey)
- Every relationship type has three components  
(i) Name (ii) Degree (iii) Cardinality ratio / Participation constraints

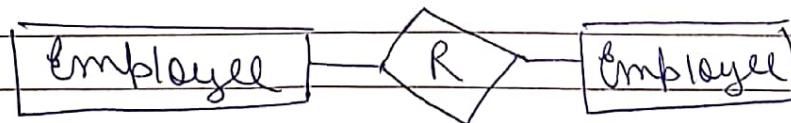
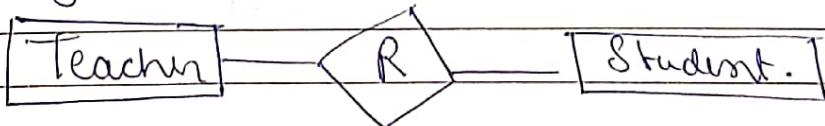


## Degree of a relationship set :-

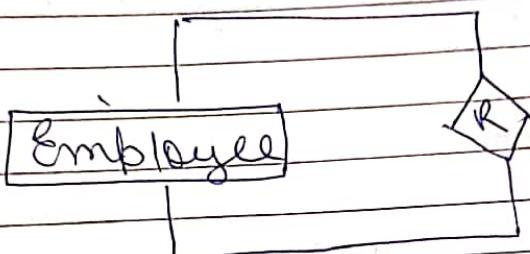
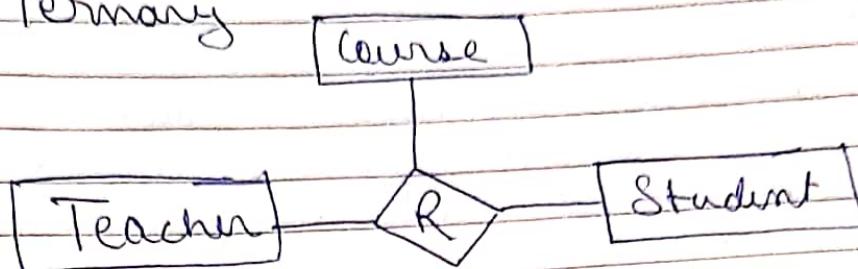
means number of entity set associated (participated) in the relationship set.

- Most of relationship sets in the ER diagram are binary (binarity).
- Occasionally however relationship sets involve more than two entity sets.

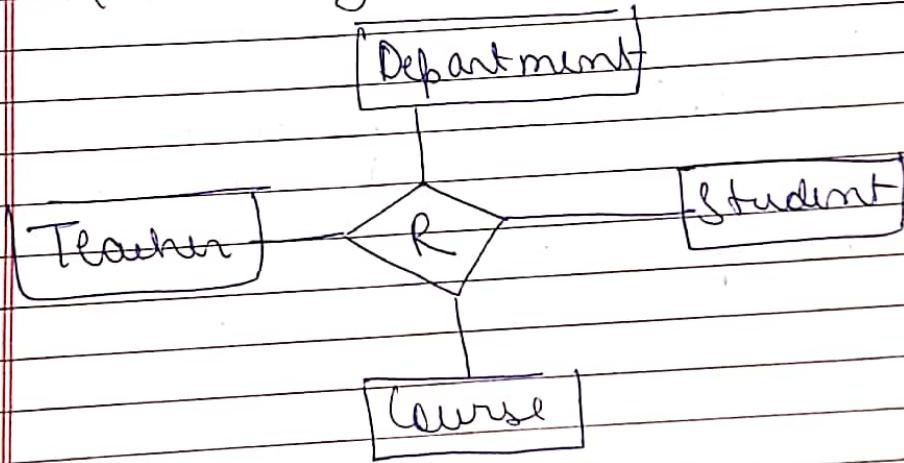
## Binary :-



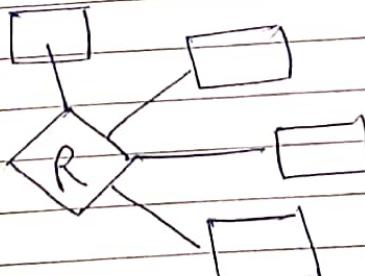
Ternary



Quaternary



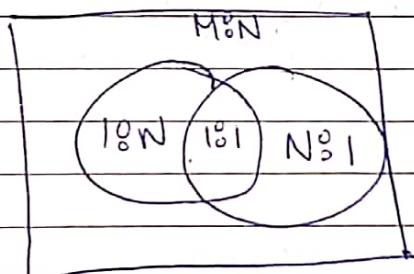
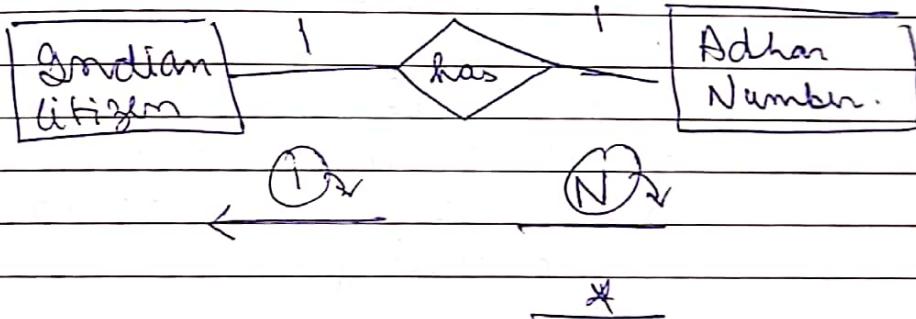
N-ary



Mapping Cardinalities / Cardinality ratio :-  
 Expresses the number of entities to which other entity can be related to a relationship.

→ can be used to in describing relationship  
 Out of any degree but is most useful in binary relationship.

- 1:1 (one to one) → Aadhar Number.
- 1:N (one to many) → Mobile Number.
- N:1 (many to one)
- M:N (many to many) → Student .



### Participation constraints:

Specifies whether the existence of an entity depends on its being related to another entity via a relationship type.

Three constraints specify minimum and maximum number of relationship instances that each entity can/must participate in.

### Max cardinality:

It defines the maximum number of times an entity occurs/participating in a relationship.

### Min cardinality:

It defines the minimum number of times an entity occurs/participating in a relationship.

→ Partial participation.

→ Total participation.

DBMS

1. Functional Dependencies, Keys.
2. Normalization.
3. Indexing, Physical structures.
4. Transaction.

$$f: \alpha \rightarrow \beta$$

$\alpha$	$\beta$
$d_1 \rightarrow a$	1
$d_2 \rightarrow b$	2
c	3
d	4

if we know "d"  
we can search "B"

For the same  
value of d we  
can't get two  
different values of  
B.

$$f: \alpha \rightarrow \beta$$

$$f(x) \rightarrow y$$

$$\begin{array}{c} \checkmark 1 \rightarrow a \\ \quad \quad \quad 1 \rightarrow b \end{array}$$

$$\begin{array}{c} \checkmark 2 \rightarrow a \end{array}$$

dependent R

$$\alpha \subseteq R, \beta \subseteq R$$

$$d \rightarrow B$$

$$\text{if } d_1[\alpha] = d_2[\alpha]$$

	$\alpha$	$\beta$
$d_1 \rightarrow$	a	b
$d_2 \rightarrow$	a	b

determinant

$$\hookrightarrow d_1[B] = d_2[B]$$

$$\alpha \rightarrow \beta$$

trivial

$$AB \rightarrow A$$

$$\text{if } B \subseteq \alpha$$

non-trivial

$$B \not\subseteq \alpha$$

$$AB \rightarrow ABC$$

## Functional Dependencies

a)	$A \rightarrow BC$	✓	A	B	C	D	E
b)	$DE \rightarrow C$	✓	a	2	3	4	5
c)	$C \rightarrow DE$	✗	2	a	3	4	5
d)	$BC \rightarrow A$	✓	a	2	3	6	5
			a	2	3	6	6.

$$\alpha \rightarrow \beta$$

$\times \left\{ \begin{array}{l} a - 1 \\ a - 2 \end{array} \right.$

$$\alpha \rightarrow \beta$$

$a - 1$

$b - 1$

- check if all "a" are unique • checking all the values of C are same.

Attribute closure / closure on attribute set / closure of attribute set?

An attribute set 'A' can be defined as a set of attributes which can be functionally determined from it. Denoted by  $F^+$

$R(ABC)$

$A \rightarrow B$

$B \rightarrow C$ .

$A \rightarrow BC$

$R(ABCDPEF)$

$A \rightarrow B$ .

$C \rightarrow DE$ .

$AC \rightarrow F$ .

$D \rightarrow AF$ .

$E \rightarrow CF$ .

$$(A)^+ = A$$

AB

$$(A)^+ = ABC$$

$R(ABCDEF)$

$\checkmark A \rightarrow B$

$C \rightarrow DE$

$AC \rightarrow F$

$\checkmark D \rightarrow AF$

$E \rightarrow CF$ .

$$(D)^+ = D$$

= ADF

= ABDF

$$(DE)^+ = ABCDEF$$

Initially  
Indirectly.

## Armstrong's axiom / rule :-

- Axiom is a statement that is taken to be true and serve as a premise or starting point for further arguments.
- Armstrong axioms holds in very relational database, can be used to generate closure set.

### ~~Primary rules (RAT)~~ ~~Secondary rules~~

#### • Reflexivity :

if  $y \subseteq x$   
then  $x \rightarrow y$

#### • Union :

if  $x \rightarrow y \text{ & } x \rightarrow z$   
 $x \rightarrow yz$

#### • Augmentation :

(Augmented) if  $x \rightarrow y$   
then  $xz \rightarrow yz$

#### • Decomposition :

if  $x \rightarrow yz$   
then  $x \rightarrow y \text{ & } x \rightarrow z$

#### • Transitivity :

if  $x \rightarrow y \text{ & } y \rightarrow z$   
then  $x \rightarrow z$

#### • Pseudo transitivity

if  $x \rightarrow y \text{ & } wy \rightarrow z$   
then  $wx \rightarrow z$

#### • Composition

if  $x \rightarrow y \text{ & } z \rightarrow w$   
 $xz \rightarrow yw$

$$AB \rightarrow C$$

$$\cancel{A} \rightarrow C$$

$$B \rightarrow C$$

Closure Set of attributes :-

$$R(ABC) \quad \left. \begin{array}{l} A \rightarrow B \\ B \rightarrow C \end{array} \right\} A \rightarrow BC.$$

$$F = F_1 + F_2$$

$$\begin{matrix} A \rightarrow B & A \rightarrow C \\ \hline A \rightarrow BC \end{matrix}$$

$$\begin{aligned} A^+ &= \{A, B, C\} \\ B^+ &= \{B, C\} \\ C^+ &= \{C\} \end{aligned}$$

1. R(ABCDEF)

$$A \rightarrow B$$

$$BC \rightarrow DE$$

$$AEF \rightarrow G$$

$$(AC)^+ = \overline{AC}$$

$$ABC$$

$$A \rightarrow B$$

ABCDEF

2. R(ABCDEF)

$$A \rightarrow BC$$

$$CD \rightarrow E$$

$$Iterations: B \rightarrow D$$

$$E \rightarrow A$$

$$(B)^+ = \overline{B}$$

BD Same result

3. R(ABCDEF)

$$AB \rightarrow C$$

$$BC \rightarrow AD$$

$$D \rightarrow E$$

$$CF \rightarrow B$$

$$(AB)^+ = \overline{ABC}$$

$$ABCD$$

$$ABCDEF$$

4. R(ABCD EFGH)

$$A \rightarrow BC$$

$$CD \rightarrow E$$

$$E \rightarrow C$$

$$D \rightarrow AEH$$

$$ABH \rightarrow BD$$

$$DH \rightarrow BC$$

$$BCD \rightarrow HI ?$$

$$(BCD)^+ =$$

$$\overline{ABCDEH}$$

Equivalence of Functional Dependency $R(ACDEH)$  $F: A \rightarrow C$  $AC \rightarrow D.$  $E \rightarrow AD.$  $E \rightarrow H. F \subset G_r$  $G_r: A \rightarrow CD.$  $E \rightarrow AH.$ a)  $F \subset G_r.$ b)  $F \supset G_r.$ c)  $F = G_r.$ d)  $F \neq G_r.$  $(A)^+ = ACD$  $(E)^+ = EAHDHC$  $(A)^+ = ACD.$  $(AC)^+ = ACD.$  $(E)^+ = EAHDHC.$  $R(PQRS)$  $X: P \rightarrow Q$  $Q \rightarrow R$  $R \rightarrow S$  $Y: P \rightarrow QR$  $R \rightarrow S$  $(P)^+ = PQRS.$  $(Q)^+ = Q$  $(R)^+ = RS.$  $(P)^+ = PQRS$  $(R)^+ = RS.$  $(X)^+ = X$  $(Y)^+ = Y$  $X \neq Y.$  $Y \subseteq X.$  $d) X \neq Y.$

## Irreducible set of Fd (canonical form)

$R(wxyz)$

$x \rightarrow w$

$wz \rightarrow xy$

$y \rightarrow wxz$

**Redundant:** if your presence or absence doesn't affect the system it is called redundant.

$R(wxyz)$

$x \rightarrow w$

$wz \rightarrow xy$

~~$y \rightarrow wxz$~~

$x \rightarrow w \checkmark$

~~$wz \rightarrow x \times$~~

~~$wz \rightarrow y \checkmark$~~

~~$y \rightarrow w \times$~~

~~$y \rightarrow x \checkmark$~~

~~$y \rightarrow z \times$~~

Since both results are the same

So Redundant.

$x \rightarrow w$

$wz \rightarrow y$

$y \rightarrow x$

$y \rightarrow z$

$x \rightarrow w$

$wz \rightarrow y$

$y \rightarrow xz$

$$(wz)^+ = wzyx$$

$$w^+ = w$$

$$z^+ = 2$$

If they are the same it means the presence or absence of 2 doesn't make any diff.

Key  $\rightarrow$  Chabi

to extract data

R

	A	B	C
1	a	b	f
2	b	c	g
3	c	c	g
4	c	n	n

Set of

The attributes which can uniquely identify answer on a topic called Key.

$$\text{Key} = A, BC$$

$$\text{Key} = A \rightarrow BC$$

$$(A)^+ = R$$

$$(Key)^+ = R$$

1. R(ABCD)

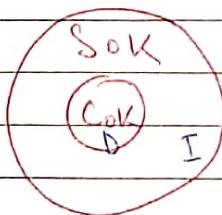
$$A \rightarrow BC$$

$$A^+ = ABC$$

$$(Key)^+ = R$$

$$(S_{OK})^+ = R$$

$\hookrightarrow$  COK (efficient)



2. R(ABCD)

$$ABC \rightarrow D$$

$$AB \rightarrow CD$$

$$A \rightarrow BCD$$

$$(ABC)^+ = ABCD$$

$$(AB)^+ = ABCD$$

$$(A)^+ = ABCD$$

Subst.

3. R(ABCD)

$$B \rightarrow ACD$$

$$ACD \rightarrow B$$

$$(B)^+ = ACDB$$

$$(ACD)^+ = ACDB$$

$B \rightarrow$  Super key

$ACD \rightarrow$  Candidate key

1. R(ABCD)

$$A \rightarrow B$$

$$B \rightarrow C$$

$$C \rightarrow A$$

$$AD, BD, CD$$

$$(AD)^+ = ABCD$$

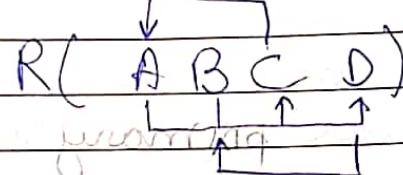
$$(BD)^+ = ABCD$$

$$(CD)^+ = ABCD$$

$$R(\overbrace{ABC}^{\uparrow}, D)$$

Find the attribute with no incoming edge.

# Essential.

 $R(A B C D E F)$  $A B \rightarrow C D$  $C \rightarrow D$  $D \rightarrow B$ 

$(A)^+ = A X$

 $AB \checkmark$  $\times A C B$ 

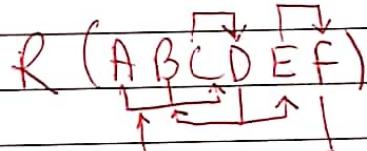
$(B)^+ = B X$

 $AC X$  $\times A C D$ 

$(C)^+ = C X$

 $AD \checkmark$  $AC X$ 

$D^+ = D B X$

 $BC \checkmark$  $BD X$  $\times B D A$  $BD X$  $\times B D C$  $CD \checkmark$  $A B \rightarrow C$  $A X$  $AB \checkmark$  $C \rightarrow D$  $B X$  $AE X$  $D \rightarrow B E$  $C \checkmark$  $AF X$  $E \rightarrow F$  $D \checkmark$  $BE \checkmark$  $F \rightarrow A$  $E X$  $BF \checkmark$  $F X$  $EF X$

## Insertion, Deletion and Update

### Anomalies in DBMS

#### Student info.

S-id	Name	Age	Br-code	Br-name	HOD
1	A	18	101	CS	XYZ
2	B	19	101	CS	XYZ
3.	C	18	101	CS	XYZ
4	D	21	102	EC	PQR
5	E	20	102	EC	PQR
6	F	19	103	ME	KLM

#### Gender :-

In the table student info we have tried to store entire data about student.

#### Result :-

Entire branch data of a branch must be reflected for every student of the branch.

#### Redundancy :-

When same data is stored multiple times unnecessarily in a database.

#### Disadvantages :-

- (i) Insertion, deletion and modification anomalies.
- (ii) inconsistency (data)
- (iii) Increase in Database size & increase in time (slow)

#### Insertion anomalies :-

When certain data (attribute) can't be inserted into Database, without the presence of other data.

#### Deletion anomalies :-

If we delete some data (unwanted) cause deletion of some other data (wanted)

Updation / Modification anomalies :-

When we want to update a single piece of data  
but it must be done at all

### Student - info

S_id	name	age	Br_code	Br_name	HOD
1	A	18	101	CS	X42
2	B	19	101	CS	X42
3	C	18	101	CS	X42
4	D	21	102	EC	PQR
5	E	20	102	EC	PQR
6.	F	19.	103.	ME	KLM

### Student - info

	S_id	name	age	Br_code
Kisi	1	A	18	101
"Tabli"	2	B	19	101
Ko	3	C	18	101
decompose	4	D	21	102
Karma	5	E	20	102
	6	F	19	103.

### Branch - info.

Br_code	Br_name	HOD_name
101	CS	X42
102	EC	PQR
103.	ME	KLM

- As one paragraph contains a single idea similarly one table must contain direct and main data about an entity.
- Nonnormalization (decomposition of tables) of table is done on the basis of functional dependencies.

$INF^o$ :- (atomic value)

Rollno.	Name	Course
101	Modi	CN
102	Sonia	DBMS
		CO
101	Modi	CN
101	Modi	OS
102	Sonia	DBMS
102	Sonia	CO

- Every cell contains atomic values

$2NF^o$ :-

$$R(A B C D) \quad (A B)^* = A B C D.$$

$$A B \leftarrow C \text{ or } K.$$

$A, B \leftarrow$  prime attribute

$C, D \leftarrow$  non-prime attribute

$(B) \rightarrow C$  (partial dependency)

non-prime attribute

-ANS $^o$ :-

$$R_1(A B D)$$

$$R_2(B C)$$

Only a part of candidate key.

$R(A \sqsubset BC)$

$B \rightarrow C$

$$(AB)^+ = ABC.$$

$A, B \leftarrow P$

$C \leftarrow N_o P.$

$P \rightarrow N_o P$  (Partial dependency)  
 $B \rightarrow C$ .

		R	
B	A	B	C
a	1	x	
b	2	y	
a	3	z	z
c	3	z	z
d	3	z	z
e	3	z	z

		R <sub>1</sub>	R <sub>2</sub>
A	B	B	C
a	1	1	x
b	2	2	y
a	3	3	z
c	3		
d	3		
e	3		

1.  $R(ABCD E)$

$AB \rightarrow C$

$D \rightarrow E$ .

2.  $R(ABCD E)$

$$(AC)^+ = R$$

$R(AB \sqsubset CD E)$ .

(P,D) A → B

B → E

(P,D) . C → D

$$(ABD)^+ = R$$

\*\* (Partial dependency).

$R_1(ABC)$

$R_1(AB \sqsubset E)$

$R_2(BE)$

$R_2(CD)$

$R_3(ABD)$

$R_3(AS)$

3.  $R(ABCDEFHIJ)$ P.D.  $AB \rightarrow C$ P.D.  $AD \rightarrow GH$   $(ABD)^+ = R$ .P.D.  $BD \rightarrow EF$ P.D.  $A \rightarrow I$  $I \rightarrow J$ . $R_1(A \overline{B} \overline{C})$  $R_2(A \overline{I})$  $R_3(A \overline{D} \overline{G} \overline{H} \overline{J})$  $R_4(B \overline{D} \overline{E} \overline{F})$  $R_5(A \overline{B} \overline{D})$ .

Transitive dependency :-

A P.D from  $\alpha \rightarrow \beta$  is called transitive if  $\alpha, \beta \in$  non-prime.

3NF :- A relation R is in 3NF if

a) it is in 2NF

b) no transitive dependency.

Every dependency from  $\alpha \rightarrow \beta$ .(i) either  $\alpha$  is superkey.(ii) or  $\beta$  is a prime attribute.

P.D

 $P \rightarrow NP$ 

T.D

 $NP \rightarrow NP$ .

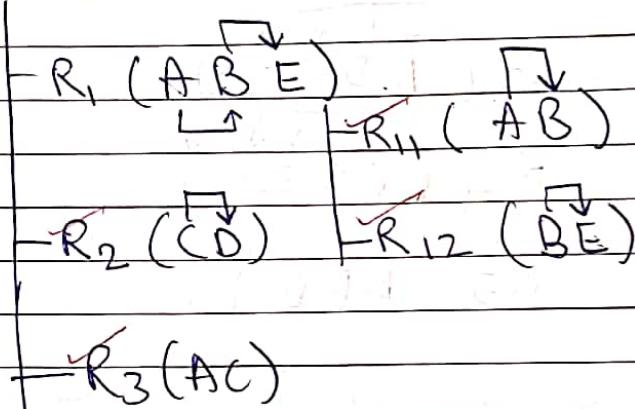
$R(A \overline{B} \overline{C})$	A	B	C	A	B	B	C
	a	1	x	a	1	1	x
$A \rightarrow B$	b	1	x	b	1	2	y
$B \rightarrow C$	c	1	x	c	1	3	z
	d	2	y	d	2		
	e	2	y	e	2		
	f	3	y	f	3		
	g	3	y	g	3		

3.  $R(ABCDE)$   $R(A \overbrace{B C} \overbrace{D E})$

$AB \rightarrow C$   $\times A \rightarrow B$ .  
 $B \rightarrow D$   $\times B \rightarrow E$ .  
 $D \rightarrow E$   $\checkmark C \rightarrow D$

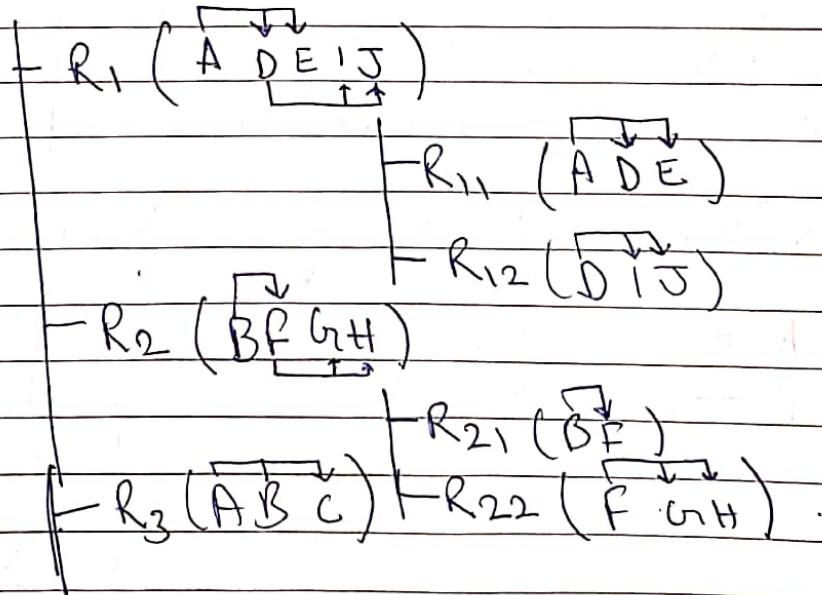
$$(AC)^+ = ABCDE.$$

ABCDE



A.  $R(ABCDEFGHIJ)$

$\times AB \rightarrow C$   
 $\times A \rightarrow DE$ . Candidate Key :-  
 $B \rightarrow F$ .  
 $F \rightarrow GH$ .  $\therefore (AB)^+ = R$ .  
 $D \rightarrow IJ$ .



BCNF :-

(Boyce Codd Normal Form)

2NF.

$$\alpha \xrightarrow{X} B$$

prime. non prime

3NF

$$\alpha \xrightarrow{X} B$$

non prime non prime

$$\alpha \longrightarrow B$$

P/NP

P

$$R(A \boxed{B} C) \quad (A)^+$$

$$AB \rightarrow C$$

$$(AB)^+ \checkmark$$

$$C \rightarrow B$$

$$(AC)^+ \checkmark$$

$$\alpha \longrightarrow B$$

P/NP

P

$$\alpha \longrightarrow B$$

S.O.K.

R

$$R(ABC)$$

 $(AB)$   
 $AC$ 

$$AB \rightarrow C$$

$$\begin{array}{|c|c|c|c|} \hline A & C & C & B \\ \hline a & x & x & 1 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|} \hline A & B & C \\ \hline a & 1 & x \\ \hline \end{array}$$

$$C \rightarrow B$$

$$\begin{array}{|c|c|c|c|} \hline A & C & C & B \\ \hline b & y & y & 2 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|} \hline A & B & C \\ \hline b & 2 & y \\ \hline \end{array}$$

$$\alpha \rightarrow B$$

$$\begin{array}{|c|c|c|c|} \hline A & C & C & B \\ \hline c & z & z & 2 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|} \hline A & B & C \\ \hline c & 2 & z \\ \hline \end{array}$$

 $\alpha$  must be a superkey

$$\begin{array}{|c|c|c|c|} \hline A & C & C & B \\ \hline c & w & w & 3 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|} \hline A & B & C \\ \hline c & 3 & w \\ \hline \end{array}$$

$$-R_1(C \boxed{B})$$

$$\begin{array}{|c|c|c|c|} \hline A & C & C & B \\ \hline d & w & w & 3 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|} \hline A & B & C \\ \hline d & 3 & w \\ \hline \end{array}$$

$$-R_2(AC)$$

$$\begin{array}{|c|c|c|c|} \hline A & C & C & B \\ \hline e & w & w & 3 \\ \hline \end{array}$$

$$\begin{array}{|c|c|c|} \hline A & B & C \\ \hline e & 3 & w \\ \hline \end{array}$$

$$-R_3(AB)$$

1. R(AB(CDEF(GH))

$$\begin{array}{ll} AB \rightarrow C & BCNF \\ A \rightarrow DE & 3NF \\ B \rightarrow F & 2NF \\ F \rightarrow GH & INF \\ \textcircled{AB} & \end{array}$$

2. R(AB(CDE))

BCNF.

3NF

2NF.

INF

$CE \rightarrow D$

$D \rightarrow B$

$C \rightarrow A$  WNF

$CE$

3. R(ABCDEF)

$AB \rightarrow C$

$DC \rightarrow AE$

$E \rightarrow F$

$(ABD) (BCD)$

4. R(AB(CDEF(GH)))

$AB \rightarrow C$

$BD \rightarrow EF$

$AD \rightarrow GH$

$A \rightarrow I$

$ABD$

INF.

5. R(ABCDE)

$\{AB \rightarrow CD\}$

3NF

$\{D \rightarrow A\}$  prime attribute  
 $BC \rightarrow DE$

$(AB), (BD), (BC)$

6. R(AB(CDE))

$BC \rightarrow ADE$

$D \rightarrow B$

$(B), (C), (CD)$

Candidate key || prime attribute

7.  $R(VWXYUZ)$

$$CK \xrightarrow{X} Y \xrightarrow{V} PA$$

$$Y \rightarrow Z$$

$$Z \rightarrow U$$

$$VW \rightarrow X$$

$$VW, XW$$

INF

8.  $R(ABCDEF)$

$$ABC \rightarrow D$$

$$ABD \rightarrow E$$

$$CD \rightarrow F$$

$$CDF \rightarrow B$$

$$BF \rightarrow D$$

$$ABC, AED$$

INF

9.  $R(ABC)$

$$A \rightarrow B \quad BLNF$$

$$B \rightarrow C$$

$$C \rightarrow A$$

$$A, B, C$$

# How to find identify normal form

Orion

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11

1.  $R(ABCDEF)$   
 $A \rightarrow BCDEF$   
 $BC \rightarrow ADEF$   
 $DEF \rightarrow ABC$   
 $A, BC, DEF$   
 $BCNF$ .

2.  $R(ABC)$

$AB \rightarrow C$   
 $C \rightarrow A$

$AB, BA$   
 $3NF$ .

3.  $R(ABCDE)$

$A \rightarrow B$   
 $BC \rightarrow E$   
 $DE \rightarrow A$

$ACD, BCD, CDE$   
 $3NF$ .

4.  $R(ABCDE)$   
 $AB \rightarrow CD$   
 $D \rightarrow A$   
 $BC \rightarrow DE$   
 $AB, BC, BD$   
 $3NF$ .

5.  $R(wx42)$

$2 \rightarrow w$   
 $4 \rightarrow x_2$

$xw \rightarrow 4$   
 $4, xw, x_2$   
 $3NF$ .

6.  $R(ABCDEF)$

$f \rightarrow B$  np.  
 $B \rightarrow E$   
 $C \rightarrow D$   
 $A E$   
 $INF.$

7.  $R(ABCDEF)$   
 $AB \rightarrow C$   
 $DC \rightarrow AE$   
 $E \rightarrow F$   
 $INF.$   
 $ABD, BCD$ .

8.  $R(NWXY42)$

$2 \rightarrow 4$

$4 \rightarrow 7$

$VW \rightarrow X$

$VW, XW$

$INF.$

9.  $R(ABCDEF)$

$ABC \rightarrow D$

$ABD \rightarrow E$

$CD \rightarrow F$  np.

$CDF \rightarrow G$

$BF \rightarrow D$

$ABC, ACD$

$INF.$

## lossless Join Decomposition

### NON-additive

tuple generation problem doesn't occur after decomposition

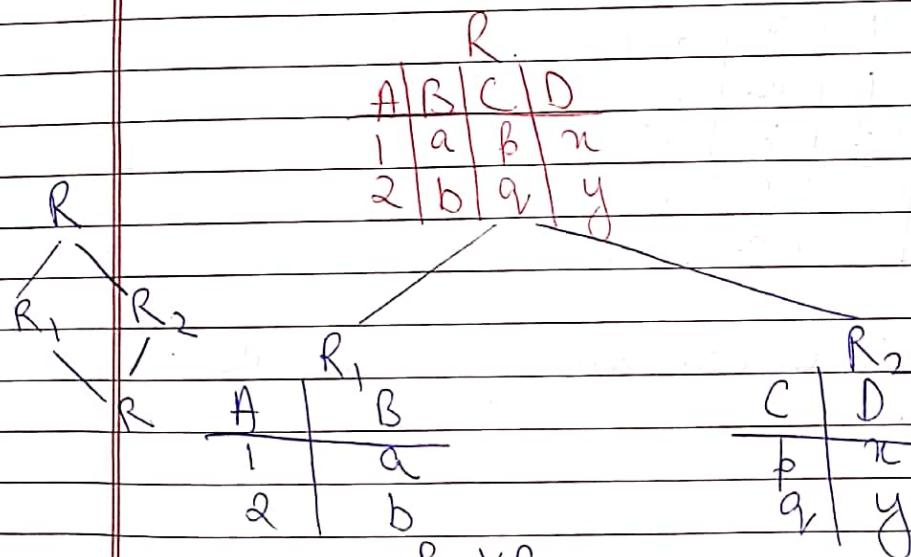
- o It is a mandatory property must always hold good.
- o If a relation  $R$  is decomposed into two relations  $R_1$  &  $R_2$ , then it will be lossless iff :

$$(i) \text{ attr}(R_1) \cup \text{attr}(R_2) = \text{attr}(R)$$

$$(ii) \text{ attr}(R_1) \cap \text{attr}(R_2) \neq \emptyset$$

$$(iii) \text{ attr}(R_1) \cap \text{attr}(R_2) \rightarrow \text{attr}(R_1)$$

$$\text{attr}(R_1) \cap \text{attr}(R_2) \rightarrow \text{attr}(R_2)$$



$R_1 \times R_2$			
A	B	C	D
1	a	p	n
2	b	q	y
2	b	q	y

R

A	B	C
1	a	b
2	b	b
3	a	y

R<sub>1</sub>

A	B
1	a
2	b
3	a

R<sub>2</sub>

B	C
a	b
b	b
a	y

R<sub>1</sub> × R<sub>2</sub>

A	B	C
1	a	b
1	a	y
2	b	b
3	a	b
3	a	y

From it is candidate key in any of the table.

If a table R having FD set  $F$ , is decomposed into two tables  $R_1$  and  $R_2$  having FD set  $F_1$  and  $F_2$

$$\text{Then } F_1 \leq F^+ \\ F_2 \leq F^+ \\ \underline{(F_1 \cup F_2)^+ = F^+}$$

 $R(ABC)$  $A \rightarrow B$ . $B \rightarrow C$  $C \rightarrow D$ . $R_1(AB) \quad R_2(BC)$  $R(ABCD)$  $AB \rightarrow CD$ . $D \rightarrow A$  $R_1(AD) \quad R_2(BCD)$  $R(F)$  $R_1(E_1)$  $R_2(F_2)$  $R(F_1 \cup F_2) = F$ . $R(ABCD)$  $F: AB \rightarrow CD$  $D \rightarrow A$  $R_1(AB)$  $R_2(BC)$  $F_1: A \rightarrow B \quad | \quad F_2: B \rightarrow C$  $B \rightarrow A$  $C \rightarrow B$  $R_1(AD)$  $R_2(BCD)$  $F_1: D \rightarrow A$  $F_2: BD \rightarrow C$  $(F_1 \cup F_2)^+ = F^+$  $C^+ = CBA$  $(AB)^+ = AB$ .
 $R(ABCDEF(GHIJ))$ 
 $R_1(ABC)$  $R_2(ADEF(IJ))$  $R_3(BF \text{ or } GH)$  $R_{21}(ADEF) \quad \} 3NF$  $R_{22}(DIJ) \quad \}$  $R_{31}(BF) \quad \} 3NF$  $R_{32}(FGH) \quad \}$

## File Structures

SRS



ER-diagram



Relation model

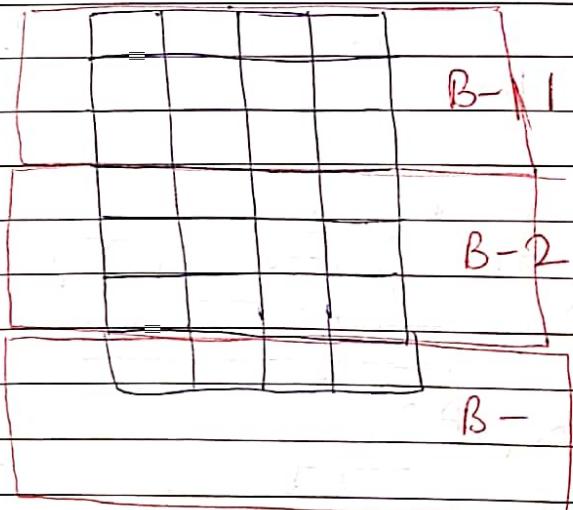
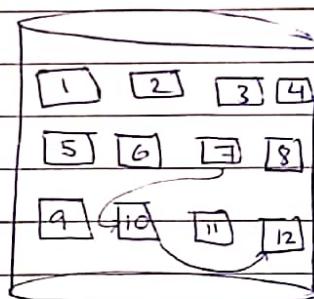


Normalization



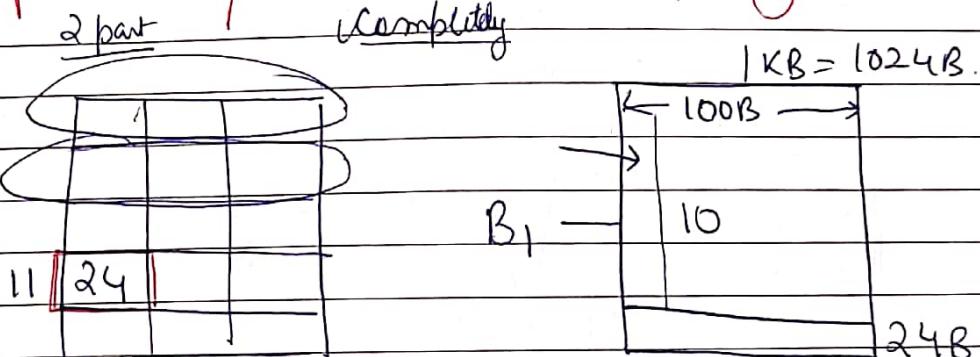
file structures  
(underlying physical structures)

\*\*\* File → datastructure

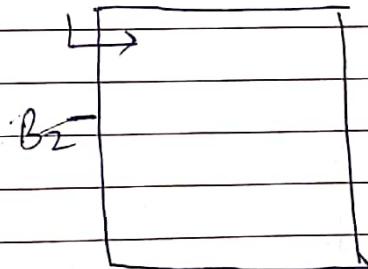


Sorted FileUnsorted File

- Can be sorted acc. to one attribute (search key)
- Random order, any record can be placed anywhere.
- Searching fast
- Searching will be slow.
- Insertion and deletion can be difficult.
- Insertion and deletion will be easy.

Spanned/Unspanned Mapping

block → record  
ignore

Indexing

Sok      Taf

BnP.

Index →  
size small

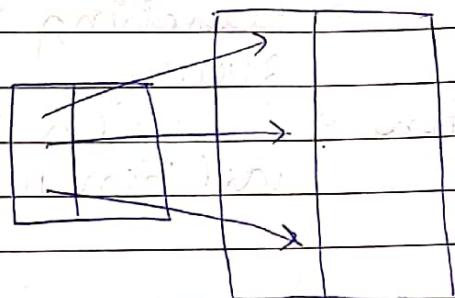
sorted/unsorted

→ to access the file quickly.

Book  
Index -  
ch. - pg no

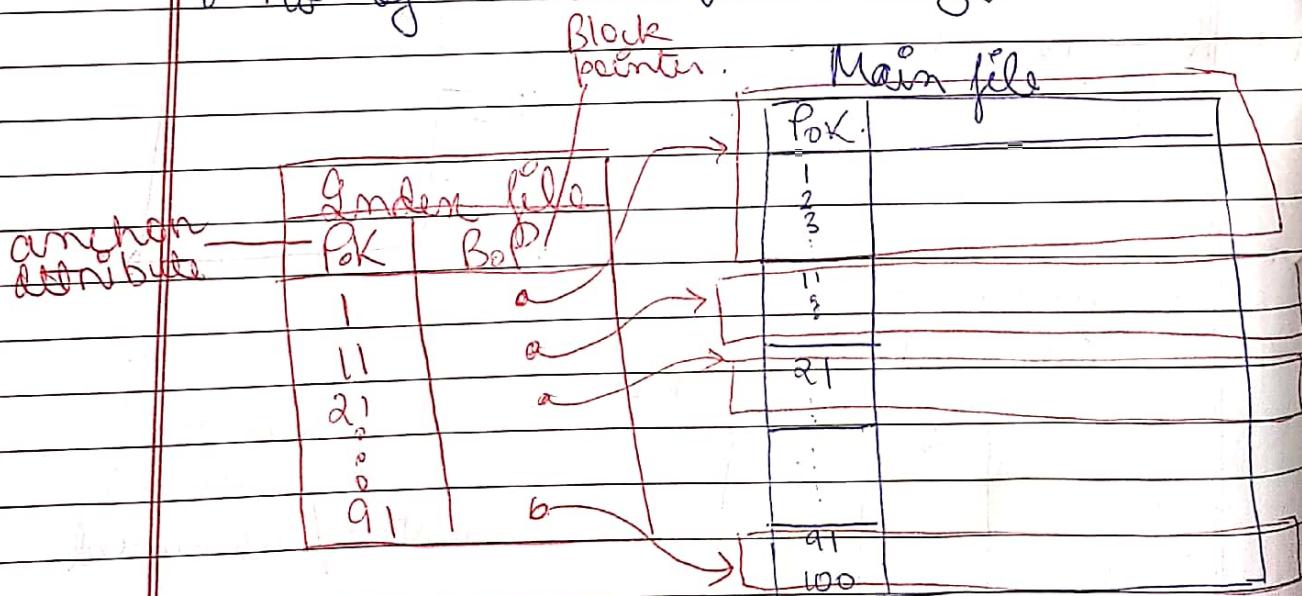
## Types of indexing.

1. Primary indexing.
2. Clustered indexing.
3. Secondary indexing.
4. Multilevel indexing.



### Primary indexing.

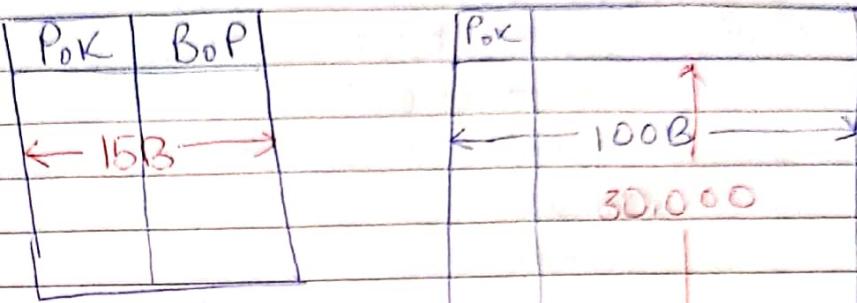
- Main file sorted.
- Primary key is used as anchor attribute (Search key).
- Example of sparse indexing
  - no. of entries = no. of blocks acquired in index file by the main file.
  - no. of access required =  $\log_2 n + 1$ .



Block size = 1024B.

### INDEX FILE

### MAIN FILE



Blocking factor =

$$\left[ \frac{\text{Block size}}{\text{Record size}} \right]$$

$$\text{no. of blocks for main file} = \left[ \frac{\text{no. of records in main file}}{\text{Blocking factor}} \right]$$

$$\text{no. of block access required} = \log_2 n.$$

$$\begin{aligned} \text{Blocking factor} &= \frac{1024B}{100B} = [10.24] = 10. \\ \text{no. of blocks for main file} &= \frac{30,000}{10} = 3000. \end{aligned}$$

$$\begin{aligned} \text{no. of access required} &= \log_2 n \\ &\approx \log_2 3000 \\ &= [11.0 \dots] = 12 \end{aligned}$$

INDEX  
FILE

$$\text{Blocking factor} = \left[ \frac{1024}{15} \right]$$

$$\begin{aligned} \text{no. of blocks for index file} &= \left[ \frac{30,000}{68} \right] \\ &= [44.0 \dots] \\ &= 45. \end{aligned}$$

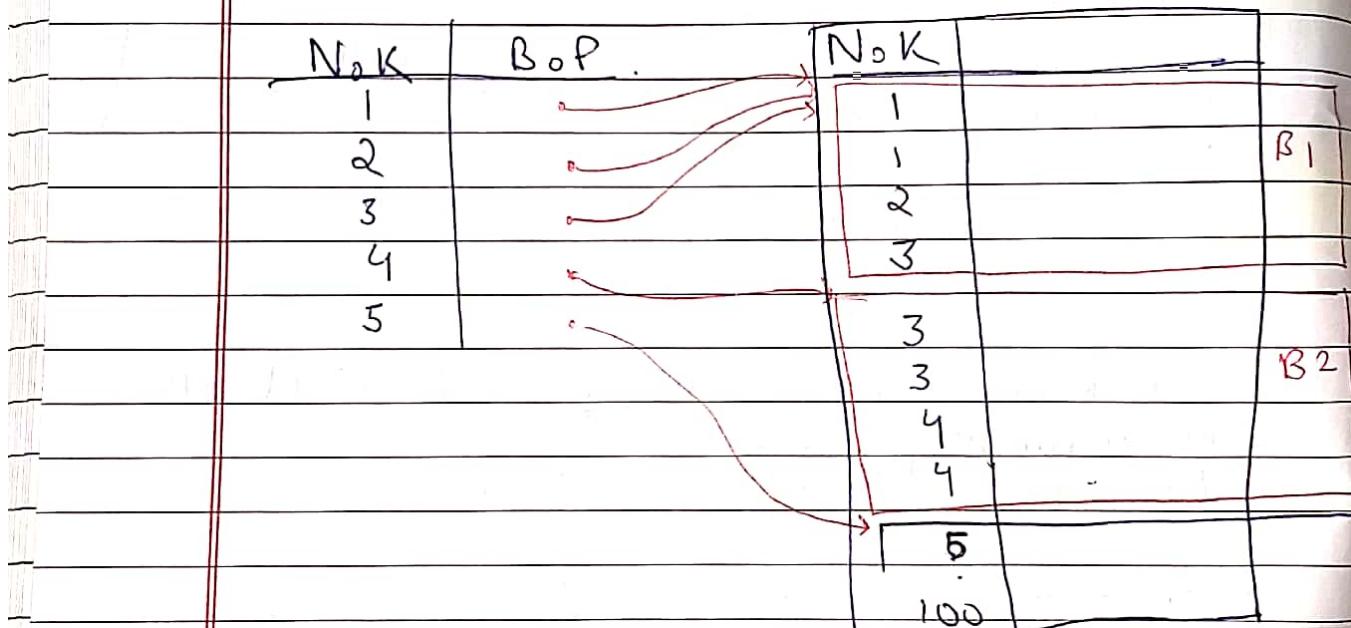
$$\begin{aligned} \text{no. of block access required} &= [\log_2 n] + 1 \\ &= 6 + 1 = 7. \end{aligned}$$

## Clustering index

- Main file is sorted (on some non-key attributes).
- There will be one entry for each unique value of the non-key attribute.
- If number of block acquired by index file is  $n$ , then block access required will be  $\geq \log_2 n + 1$ .

Index file

Main file



## Secondary Indexing :-

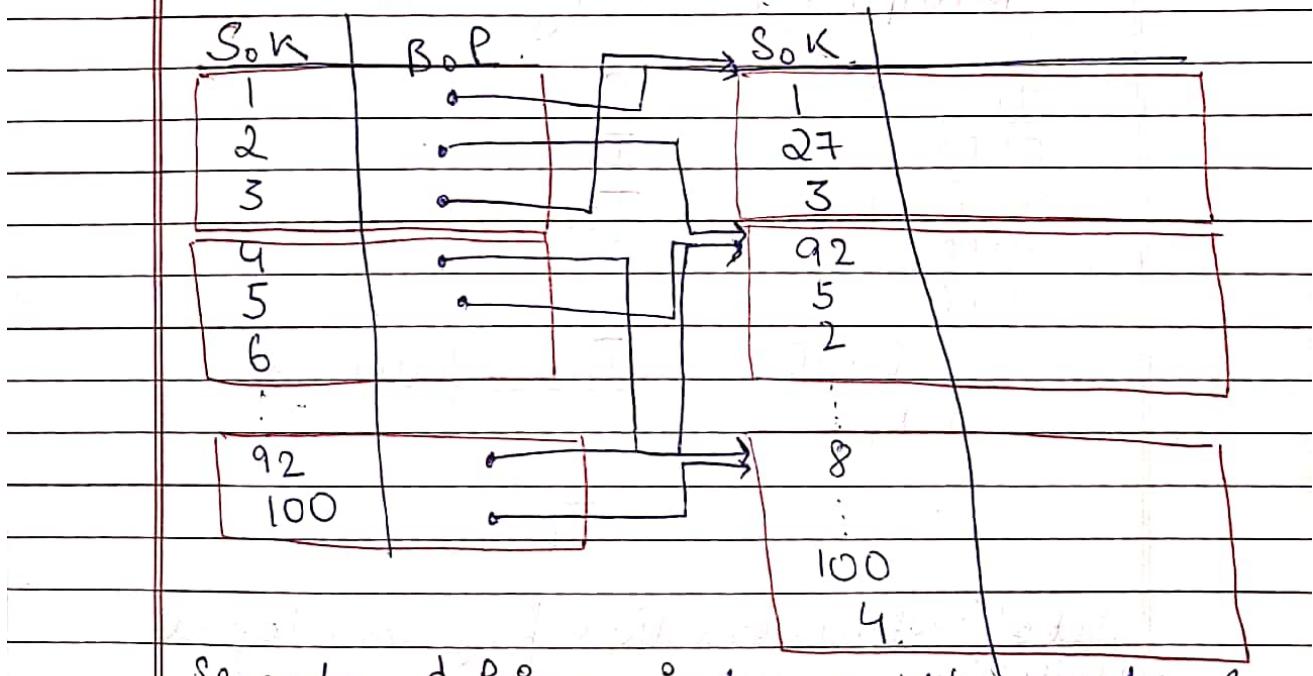
- Main file Unsorted.
- can be done on key as well as on non-key attribute.
- called secondary because normally one indexing is already done

$$\left[ \text{no of entry in index file} = \text{no of entry in main file} \right]$$

o no of block access =  $\lceil \log_2 n \rceil + 1$ .

Index file

Main file



Secondary & Primary index can't be compared since in primary list is sorted

## Transaction.

What is transaction

What are acid properties

Transaction states

Problem with concurrency

Conflict and view serializability

Recoverability and cascades

Transaction designing protocols

- Time stamping
- lock based protocols

2-phase locking

Graph based protocol

Multiple granularity

T <sub>1</sub>	P
R(A)	T <sub>1</sub>
A = A - 10	T <sub>2</sub> ↙
W(A)	
R(B)	
B = B + 10	T <sub>60</sub> failure X
W(B)	

T<sub>n</sub> 100

Set of instructions that perform a logical unit of work - Transaction

Transaction:-

1. Atomicity



2. Consistency

3. Isolation

4. Durability

- DB can be managed by transaction.
- Either all the <sup>instructions within a</sup> transactions will be executed or neither of them will be executed.

Atomicity → Transaction Management component.

Isolation

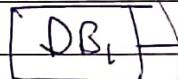
If working of one transaction doesn't affect other transaction  
Concurrency control component.

Durability

If a change has occurred, the change will stay.

Recovery management component.

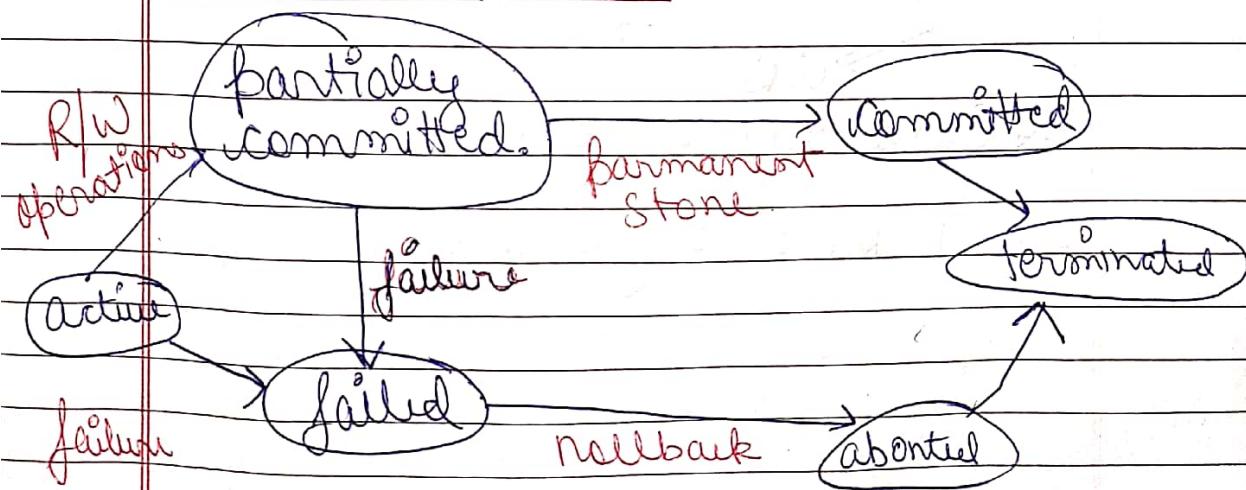
if these holds  
prep good =  
consistent.



consistent. (After transaction it will be consistent)

$$A+B = A+B$$

Transaction States



Initial state  $\rightarrow$  active

When the transaction is executing in terms of instructions

$I_1$   
 $I_2$   
 $\vdots$   
 $I_n$

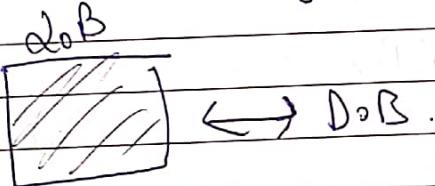
When instruction is running

There may be a failure (faulty state)

On we will reach the partially committed state after performing all the read / write operations.

(local buffer)

We do the changes in a copy.  
(Because the database is not permanently stored in memory)



$DB_1 \xrightarrow{T} DB_2$

$\rightarrow DB$

$\Rightarrow$  Consistent in both cases.

e.g. Ticket booking & cancelling.

Advantages of Concurrency

→ If we can run more than one transaction in a system at a time it is called concurrency.

Interleaved execution of more than one transaction.

1) Waiting time. ↓

2) Response time. ↓

3) Resource utilization ↑

4) Efficiency . ↑

Dirty Read Problem

→ two students giving

exams & one cheating  
from the other one.

One submitting the paper  
early. due to the T  
changed ans.

Unrepeatable Read Problem:-

<u>X = 10</u>	T <sub>1</sub>	T <sub>2</sub>	
R(X)			child, book
	R(X) - 10		maggie
X++ W(X)		R(X) - 11	→ nagma chanal.

Phantom Read Problem.

<u>X = 10</u>	T <sub>1</sub>	T <sub>2</sub>	
R(X)			this same story
<u>do B X = 10</u>	D.delete(X)	R(X)	↓ thief

Because a transaction is like independent  
it doesn't depend on other transaction.  
But here it does.

lost update problem (write write conflict)

	T <sub>1</sub>	T <sub>2</sub>	
DB			
A = 10	R(A)		→ conflict b/w these
so	W(A)		two writes
		W(A)	
↓		C	
DB = 10		C	
	H		
	50		

\* Serial Schedule and non-Serial schedule in DBMS.

Schedule :-

S1	T <sub>1</sub>	T <sub>2</sub>	S2
T <sub>1</sub>	T <sub>2</sub>	T <sub>1</sub>	T <sub>2</sub>
	R(B)	R(B)	
	W(B)	W(A)	R(A)
consistency test	R(A)	R(B)	W(A)
	W(A)	W(B)	R(B)
		n <sub>1</sub>	n <sub>2</sub>
R(A)		n <sub>1</sub> + n <sub>2</sub>	R(B)
W(A)			R(A)
R(B)			W(B)
W(R)			W(A)

serial

schedule

non-serial  
schedule.

T<sub>1</sub>, T<sub>2</sub>, T<sub>3</sub>, ..., T<sub>n</sub>

n × (n - 1) × (n - 2) × ... × 1

$$\text{Total no. of } (n_1 + n_2 + \dots + n_n)! = n!$$

$$\text{Non Serial Schedule} = \frac{n_1! \cdot n_2! \cdot \dots \cdot n_n!}{n!}$$

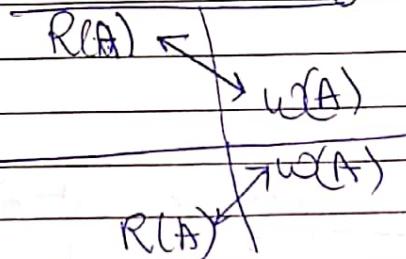
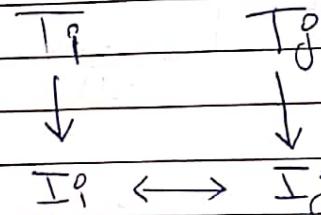
o If we can prove non serial  
 ⇔ Serial then it is consistent

Orion

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o When instruction belong to same  
 data item conflicts happen.



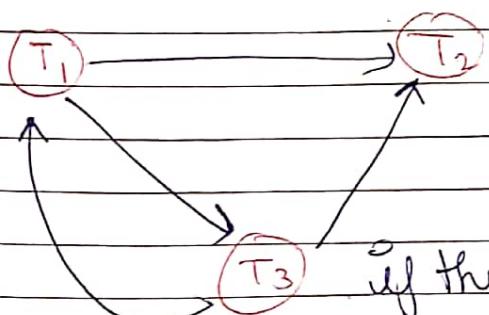
no change in TA1, TA2 & DB after swap.

~~a1 2 2012~~

### Conflict Serializable Schedule

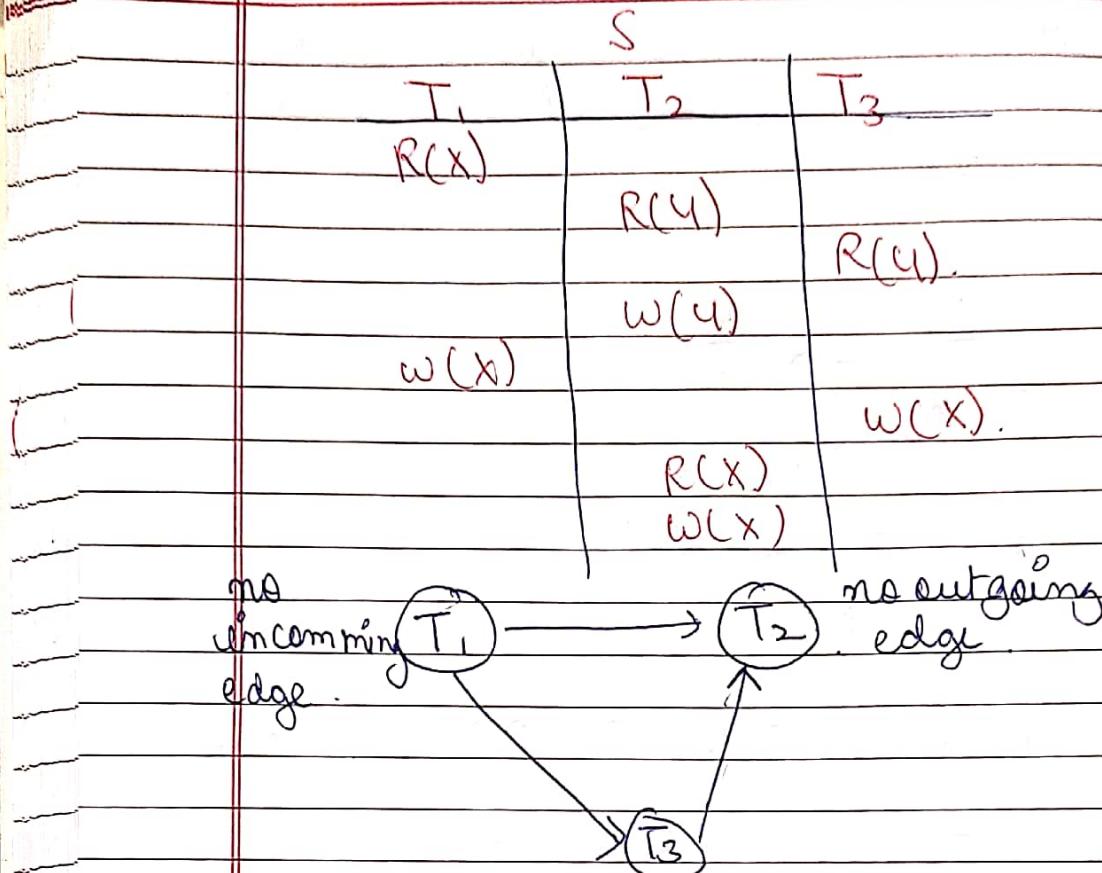
S		
T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
R(x)		
	R(z)	
	w(z)	
	R(u)	
R(y)		
	w(y)	
		w(x)
	w(z)	
w(x)		

1st      2nd

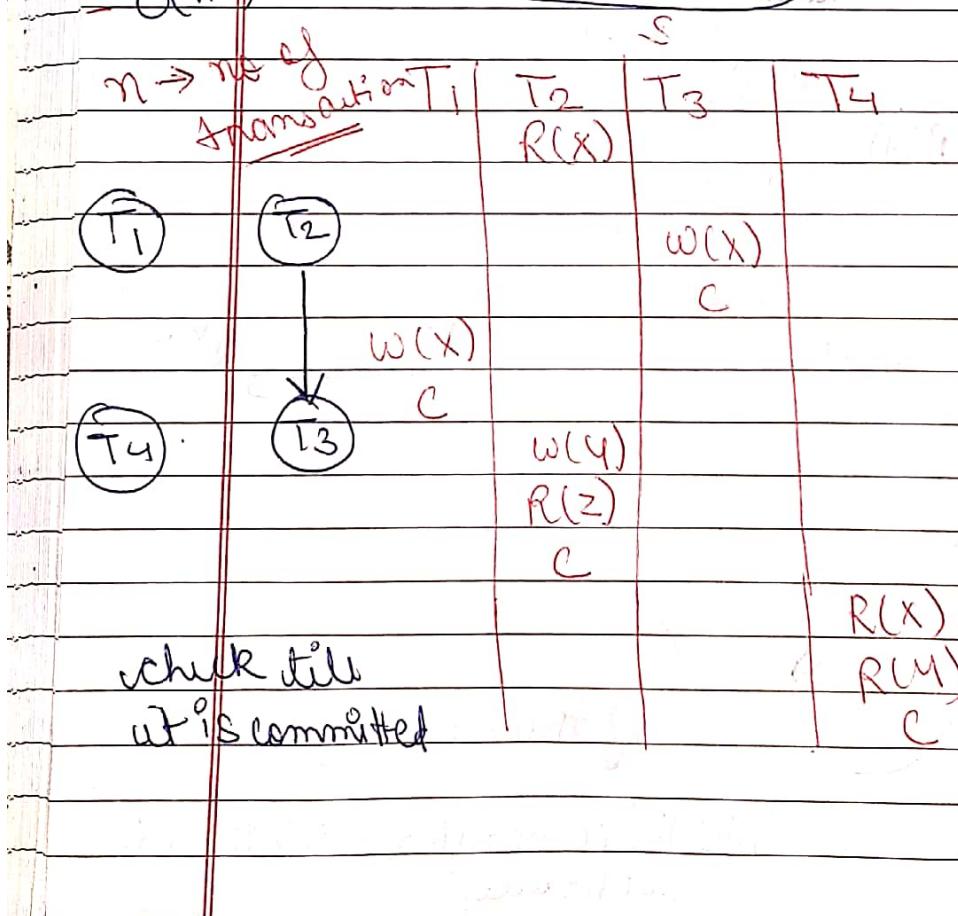


if there is a cycle

"NOT" a conflict serializable  
 schedule



~~Cost of finding~~  
 ~~$= O(n^2)$~~

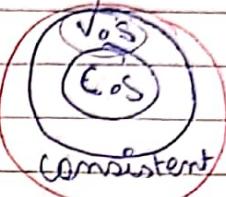


when one of its views or trials is vice equivalent. Orion

PAGE: / /  
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## Vicee Serializability

If it is not C or S  
but it is V or S  
it will have "Blind write"



Inconsistent schedules

Inconsistent schedules

S <sub>1</sub>		S <sub>2</sub>	
$T_1$ $R(a)$	$T_2$ $W(a)$	$T_1$ $R(a)$	$T_2$ $W(b)$
$R(b)$ $W(b)$	$W(a)$ $R(b)$	$R(a)$ $W(b)$	$R(b)$ $W(b)$

$$1) \quad \begin{array}{ccccc} T_1 & a & T_1 \\ T_1 & b & T_1 \end{array} \quad \left. \begin{array}{c} \text{initial} \\ \text{Read.} \\ \text{Same} \end{array} \right\}$$

2) final write same

3) Intimmediate read same.

S

	T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
R(a)			
w(a)			
	w(a)		
		w(a)	
			s <sub>1</sub>
			s <sub>2</sub>
			s <sub>3</sub>
			s <sub>4</sub>
			s <sub>5</sub>
			s <sub>6</sub>

## Recoverable Schedule :-

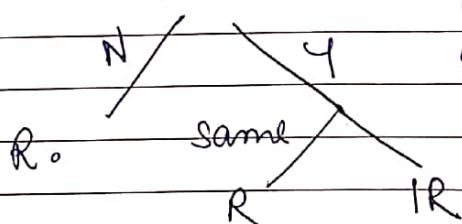
S	
$T_1$	$T_2$
$W - R(A)$	
$A = A + 10$	
$20 - W(A)$	
	$R(A) - (20)$ $A = A - 5 \quad (15)$ $W(A)$
<del><math>f</math></del> <del><math>c</math></del> <del><math>c</math></del>	<del><math>c</math></del> <del><math>c</math></del> <del><math>c</math></del> → <u>recoverable</u>

$$A = 10 \quad 15$$

$$\begin{matrix} & A = 10 & 10 \\ \alpha_B & 20 & 15 \end{matrix}$$

we rolled back  $T_1$  but not  $T_2$ .  
 when  $T_1$  was rolling back we wanted  $T_2$  to roll back as well.

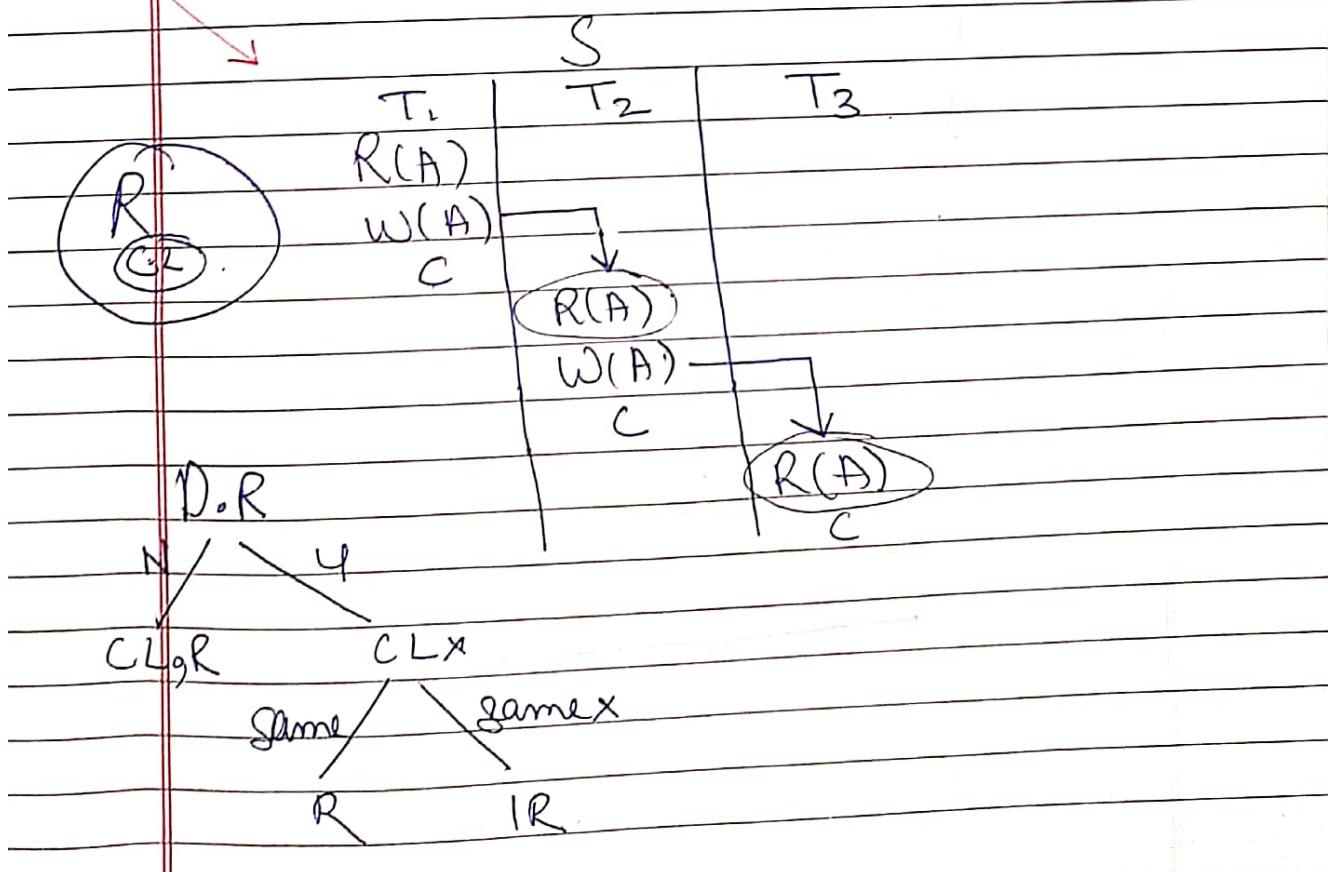
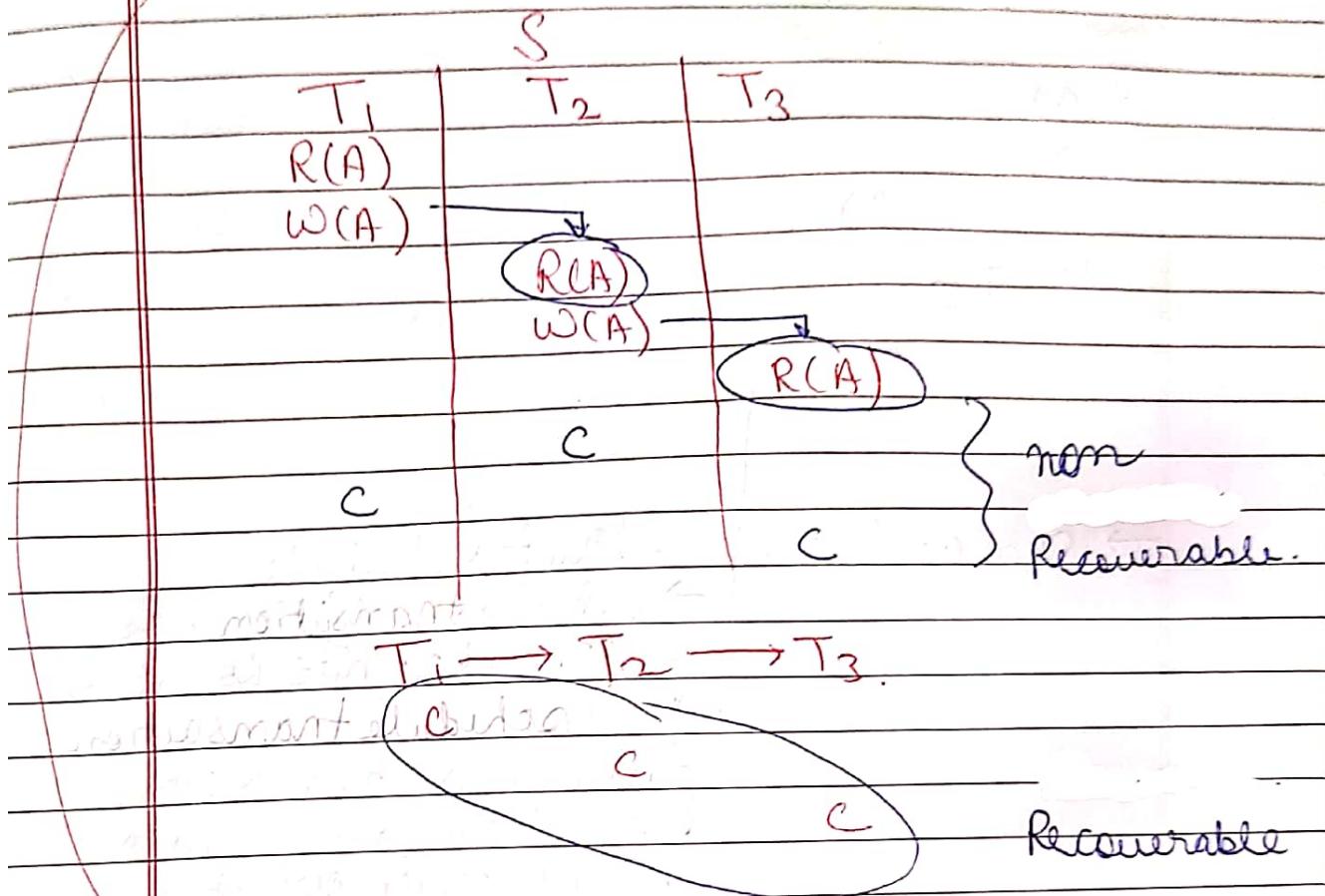
### Dirty Read



Recoverable →

- The order dirty read
- = The order of commit.

Cascadless schedule (no cascading rollback)



## Strict Schedule

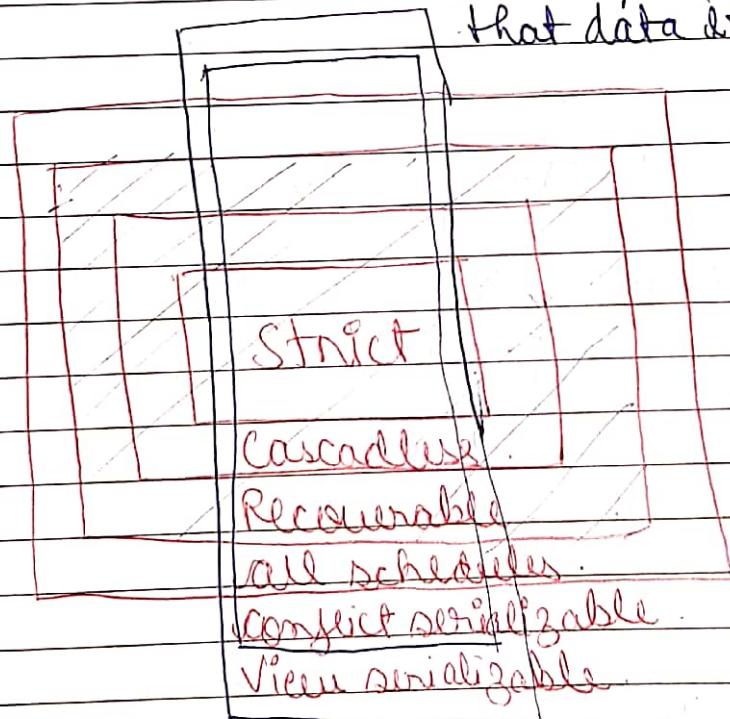
S1	T2	S2	T1	T2	S3	T1	T2
T1 R(a) W(a)		T1 R(a) W(a)	C		T1 R(a) W(a)	C	
	W(a)			W(a)			R(b)
C		C		R(a)			
	R(a)		C			C	
				C			R(a)
							C

→ Cascadable

Strict schedule

→ When a schedule/transaction has performed a write operation and

data item then no other transaction can perform a read/write operation on that data item.



## Concurrency Control techniques:-

- o Till now we already know how to check whether a schedule will maintain the consistency of DB or not (CoS, VoS, Recoverability, Cascadeless, Strict etc).
- o Now will study protocols that guarantees to generate schedule which satisfy these properties specially (CoS).
  - o For CoS we must avoid conflicting instructions. We remember three conditions of conflicting instruction:
    - o Actual problem is different transaction trying to access data at same time.
    - o How to approach conflict serializability.
      - o Time stamping protocol (Ordering)
      - o Lock based protocol (lock-unlock)
        - ↳ 2PL (Basic, conservative, Strict, rigorous).
        - ↳ Graph based.
      - o Validation Protocol.
  - o Goals:-
    - o Concurrency, properties, time, logic.

## Time Stamp Ordering Protocol :-

- Basic idea of Time stamping is to decide (the order) between the transactions before that enters into the system. So that in case of conflict during execution, we can resolve the conflict using Ordering.
- The reason we call time-stamp not stamp because, for stamping are the values of system clock. As it will always be unique (can never repeat itself)

### Two ideas of time stamping:-

- Time stamp with transaction :- with each transaction  $T_i$ , we associate a time-stamp denoted by  $T.S(T_i)$ .
- If  $i$  is the value of the system clock when a transaction enters into the system, so if a new transaction  $T_j$  enters after  $T_i$  then  $T.S(T_i) < T.S(T_j)$  always unique, will remain fixed through the execution.
- Also determine serializability order if  $T.S(T_i) < T.S(T_j)$  then, system ensure that in the resultant C.o.S.o.S  $T_i$  will execute first before  $T_j$ .

Time Stamp with data item :-  
For each data item Q protocol maintains two time-stamps.

$W$ -time stamp(Q) :-

is the largest time-stamp of any transaction that executed write(Q) successfully.

$R$ -time stamp(Q) :-

is the largest time stamp of any transaction that executed read(Q) successfully.

$T_i$  request for Read(Q) :-

if  $T_{oS}(T_i) < W_{oT}(Q)$ ,

means  $T_i$  needs to read a value of Q that was already overwritten.

Hence request must be rejected &  $T_i$  must rollback.

if  $T_{oS}(T_i) > W_{oT}(Q)$

Operation can be allowed and  $R.T.S(Q)$  will be  $\max(R.T.S(Q), T_{oS}(T_i))$

$T_i$  request for Write(Q)

if  $T_{oS}(T_i) < R.T.S(Q)$

means value of Q that  $T_i$  is producing was needed previously and the system assumed that the value would never be produced  
Hence reject & rollback.

if  $T_{oS}(T_i) < W.T.S(Q)$

$T_i$  is attempting to write an absolute value of Q reject and Rollback

Otherwise

$$W.T.S(Q) = \max(W.T.S(Q), T_{oS}(T_i))$$

$$\begin{array}{|c|c|} \hline & S \\ \hline T_{oS}(T_P) = 5 & T_{oS}(T_X) = 10 \\ \hline \end{array}$$

$$\begin{array}{ccc} R(Q) & \xleftarrow{\quad} & W(Q) \\ R(Q) & \xleftarrow{\quad} & \end{array}$$

$$\begin{array}{|c|c|} \hline T_{sC}(T_P) = 10 & T_{oS}(T_X) = 5 \\ \hline \end{array}$$

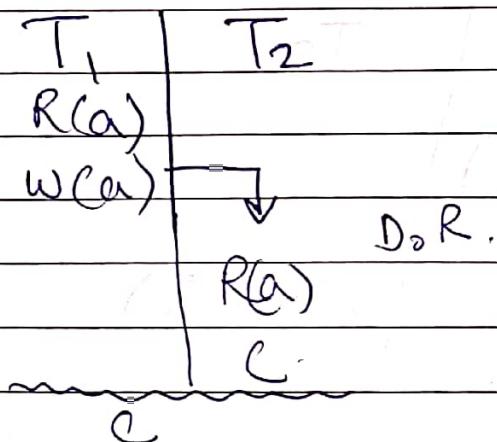
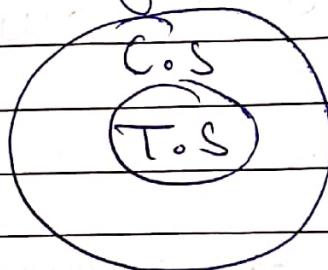
$$R(Q)$$

$$W(Q)$$

junior/ professor doing some activity  
outside college gate.

## Properties of Time Stamping Protocol :-

- o It ensure conflict serializability.
- o It ensure view serializability.
- o possibility of dirty read no restriction on commit, irrecoverable schedule and cascading rollbacks are possible.
- o here either we allow or reject so no idea of deadlock.
- o may suffer from starvation relatively slow.



## ThomashWrite Rule:-

Modify time stamping protocol to make some improvements and may generate those schedules that are VoS but not CoS and provide better concurrency.

- It modify time-stamping protocol in absolute write case when  $T_i$  nearest  $W_i(Q)$   
if  $T_{oS}(T_i) < WTS(Q)$ .
- here  $T_i$  attempts to write absolute value of  $Q$  rather than rolling back  $T_i$ ,  
write operation is ignored.

$T_1$	$T_2$	$T_3$
$R(Q)$		
$\times W(Q)$	$W(Q)$	$(W(Q))$

$$RTS(Q) = 1$$

$$WTS(Q) = 2$$

$$Q = 10 \cdot 14.$$

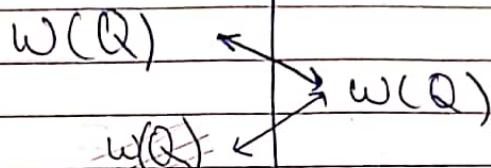
$$Q = 10 + 2 \cdot 14.$$

$$T_i^o = 12,$$

$$T_x = 14.$$

$$T_o S(T_i^o) = 5$$

$$T_o S(T_x) = 10$$



### lock Based Protocol :-

- To achieve consistency isolation is the most important idea. Locking is simplest idea to achieve isolation i.e. first obtain a lock on a data item then perform a desired operation and then unlock it.
- To provide better concurrency along with isolation we use different modes of locks.

### Shared Mode :-

Denoted by lock  $S(Q)$  transaction can perform read operation ; any other transaction can also obtain same lock on same data item at same time (so called Shared)

### Exclusive mode :-

Denoted by lock -  $X(Q)$  transaction can perform both Read/Write operations, any other transaction can not obtained either Shared /exclusive mode lock.

Compatibility  
table:

	Shared	exclusive
Shared	T	F
exclusive	F	F

### Properties of lock Based Approach

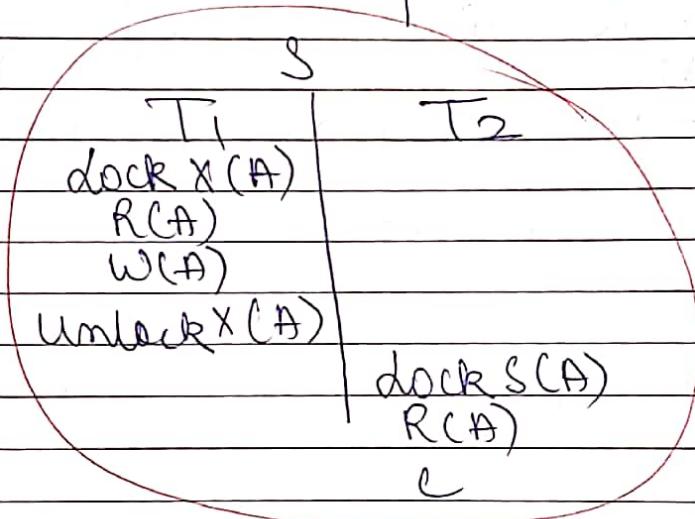
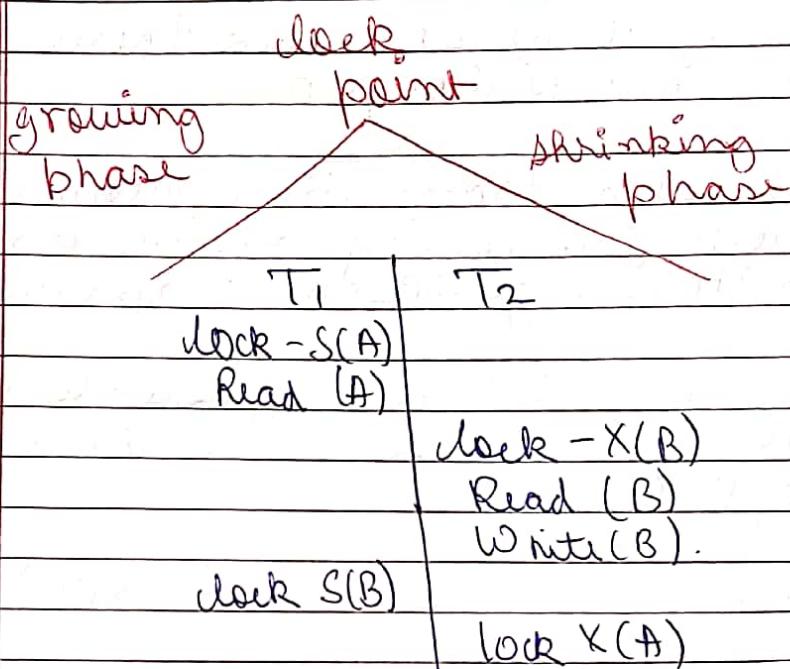
S	T <sub>1</sub>	T <sub>2</sub>
	lock - X(A) R(A) W(A) Unlock(A)	
		lock S(B) R(B) Unlock(B)
	lock - X(B) RLB) W(B) Unlock (B)	
		lock - S(A) R(A) Unlock (A)

- if we do unlocking inconsistency will arise, if we do not unlock them concurrency will be poor.
- we require that transaction follows some set of rules for locking and unlocking of data item e.g. 2PL On graph based.
- we say a schedule is legal under a protocol if it can be generated using the rules of the protocols.

### Two-Phase Locking Protocol (2PL) :-

#### Basic 2PL

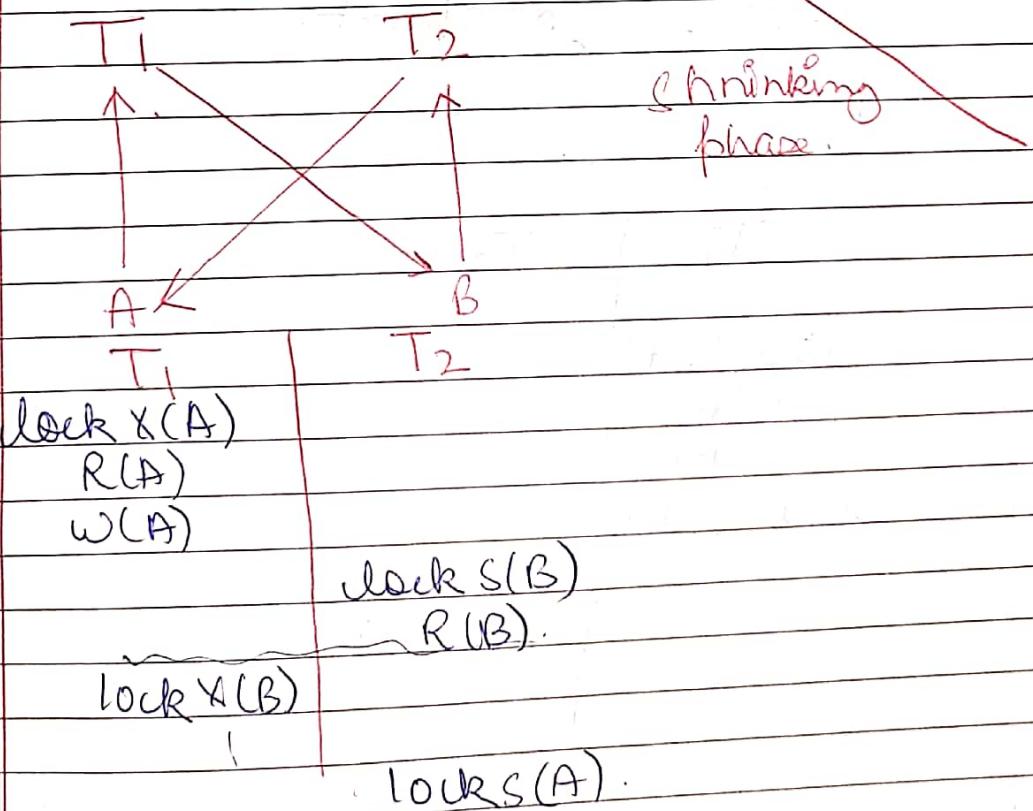
- This protocol requires that each transaction in a schedule will be two phased - growing phase & shrinking phase.
- In growing phase - transaction can only obtain locks but can not release any lock.
- In shrinking phase - transaction can only release locks but can not obtain any lock.
- transaction can perform read/write operation both in growing / shrinking phase.
- Ensure LOS/VOS, the order of serializability is the order in which transaction reaches lock point.
- Do not ensure freedom from deadlock.



## Conservative / Static QPL :-

- o There is no growing phase transaction first will acquire all the locks need and then directly will start from lock point.
- o If all locks are not available then transaction must release the lock acquired so far and wait.
- o Shrinking phase works as usual and transaction can unlock any data item.
- o Here we must have all the knowledge that what data items will be required during execution.
- o Cos, VoS independent from deadlock.
- o possibility of irreversable schedules and cascading rollbacks.

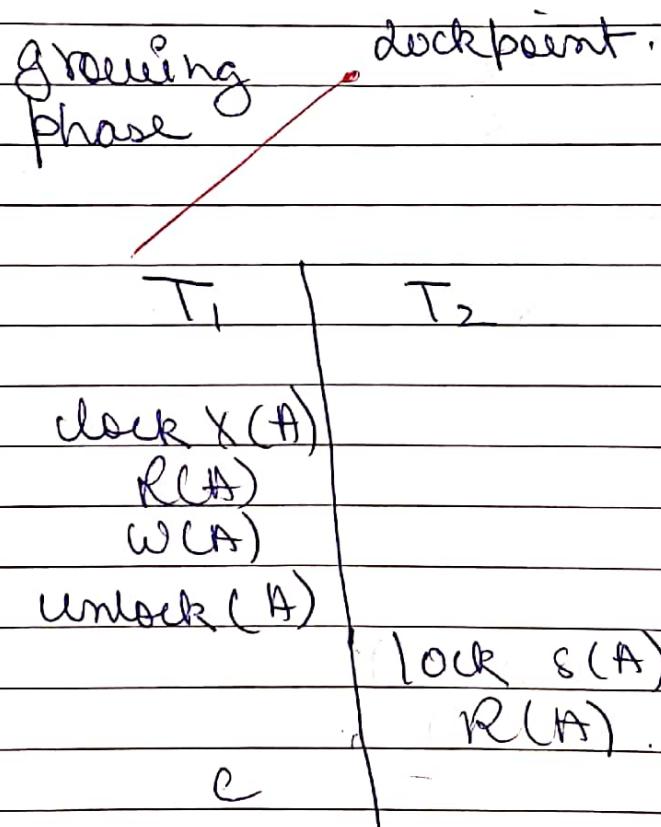
lockpoint



# Rigorous QPL

It is an improvement over 2PL protocol while we try to ensure recoverability and cascadeliveness.

- ① Rigorous 2PL requires that all the locks must be held until transaction commits, i.e. there is no shrinking phase in the life of a transaction.
  - ② Will ensure CoS, Vs, recoverability, cascadelssness
  - ③ Suffer from deadlock & inefficiency.

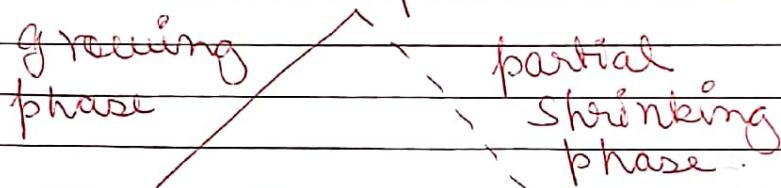


## Strict 2PL :-

This is an improvement over Rigorous 2PL.

- In the shrinking phase locking of exclusive locks are not allowed, but unlocking of shared locks can be done.
- all the properties are same as that of rigorous 2PL, but it provide better concurrency.

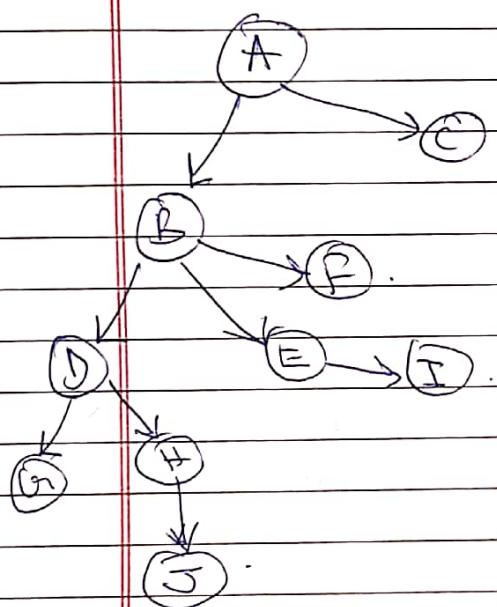
lock point:



## Graph based Protocol :-

- If we wish to develop lock based protocol that are not based on 2PL, we need additional info that how each transaction will access the data.
- There are various model that can give additional information each differing in the amount of info provided.
- Our idea is to have prior knowledge about the order in which the database items will be accessed.
- We impose partial ordering - on set of all data items  $D = \{d_1, d_2, \dots, d_n\}$   
 ~~$d_i \rightarrow d_j$  then any transaction accessing both  $d_i$  and  $d_j$  must access  $d_i$  before  $d_j$ .~~
  - It may be because logical or physical organisation or only because of concurrency control.

- o after P.O set of all data items will know be found as directed acyclic graph called database graph.
- o for sake of simplicity, we follow two restrictions -
  - ↳ will study graphs that are rooted tree.
  - ↳ will use only exclusive mode locks.



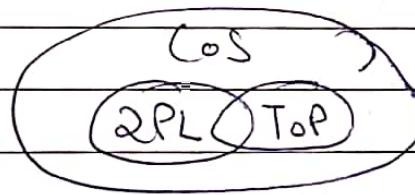
## Tree Protocol

- Each transaction  $T_i$  can lock a data item  $Q$  will following rules:-
  - ↳ First lock by  $T_i$  may be on any data item.
  - ↳ Subsequently a data item  $Q$  can be locked by  $T_i$  only if the parent of  $Q$  is currently locked by  $T_i$ .
  - ↳ Data item may be unlocked at any time
    - ↳ Data item  $Q$  that has been locked and unlocked by  $T_i$  can not subsequently be relocked by  $T_i$ .

$T_1$	$T_2$
lock X(B)	lock(A)
lock X(D)	lock(B)
lock X(E)	lock(C)
unlock X(B)	lock(B)
lock X(I)	unlock(A)
unlock(D)	lock(D)
unlock(E)	unlock(B)
unlock(I)	lock(G)
	unlock(D)
	unlock(H)
	unlock(C)

## Properties of Tree Protocol:-

- All schedules that are legal under the tree protocol are C.o.S & V.o.S.
- Tree Protocol ensure freedom from deadlock.
- Tree protocol don't ensure recoverability and cascadelness.
- Early unlocking is possible which leads shortest waiting time. On increase concurrency.
- A transaction may have to lock data items that it does not access lead to overshad waiting time and decrease in concurrency.
- Transaction must know exactly what data items are to be accessed.

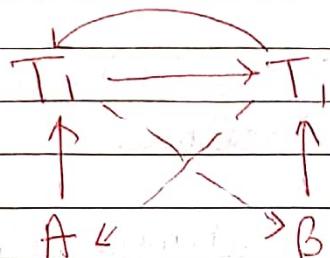


- Recoverability & cascadelness can be provided by not unlocking before commit.

## Deadlock handling

- o A system is in deadlock state if there exists a set of transaction such that every transaction in the set is waiting for another transaction in the set.
- o If there exists a set of waiting transaction  $T_0, T_1, \dots, T_{n-1}$  such that
 
$$T_0 \rightarrow T_1, T_1 \rightarrow T_2, \dots, T_{n-1} \rightarrow T_0$$
 So, none transaction can progress in such situation.
- o System must have a proper methods to deal with deadlocks. Otherwise
  - ↳ In real time system it may lead to loss and memory.
  - ↳ Will reduce resource utilization and increase inefficiency.
- o There are two principle for dealing with deadlock problem

- o Prevention:- which ensure that system will never enter a deadlock state.
- o Detection and Recovery:- Allow system to enter into deadlock, then try to recover.



## Deadlock Prevention:-

- To ensure no hold & wait, each transaction locks all the data item before it begins execution eg C-2 PL.
- To ensure no cyclic wait, impose an ordering of all data item and requires that a transaction lock data item only in the sequence consistent with ordering. e.g true protocol
  - ↳ it is difficult to predict what data items are required.
  - ↳ data item utilization will be low.
  - ↳ ordering of data item may be difficult for time taking to follow.

### Wait-die: (Non-preemptive)

$T_i \rightarrow Q$        $T_j \rightarrow Q$       if  $TS(T_i) < TS(T_j)$  then  $T_i$  must wait ( $T_j$  is older).  
                                 if  $TS(T_i) > TS(T_j)$  then  $T_i$  rollback (die).

### Wound-wait: (preemptive)

$T_i \rightarrow Q$        $T_j \rightarrow Q$       if  $T.S(T_i) > T.s(T_j)$  then  $T_i$  can wait  
                                 ( $T_i$  is younger).  
                                 if  $T.s(T_i) < T.s(T_j)$  then  $T_j$  rollback.

### Lock-timeouts: a timer is allotted for each transaction.