

INTRODUCTORY MATHEMATICAL PHYSICS

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Spanning Tree

$$\Gamma, J_\alpha, \pi$$

1. GAMMA FUNCTION

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The function is shifted by one from the factorial function because Legendre wanted the pole to be at 0.

$$\Gamma(n) = (n-1)! \quad (2)$$

TETSING

DEFINITION

This is a definition

PROOF.

This is the proof

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THEOREM

This is a theorem