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Assignment 8

1.

Iteration	Steps	Multiplicand Register	Multiplier Register	Product Register
0	Initial Values	0111	0101	0000
1	1. Test Multiplier $M_0 = 1$ 1a. Add Multiplicand to Product 2. srl Multiplicand 3. srl Multiplier	1110	0010	0000+0111= 0111
2	1. Test Multiplier $M_0 = 1$ 2. srl Multiplicand 3. srl Multiplier	1 1100	0001	0111
3	1. Test Multiplier $M_0 = 1$ 1a. Add Multiplicand to Product 2. srl Multiplicand 3. srl Multiplier	11 1000	0000	00 0111+11 100= 10 0011
4	1. Test Multiplier $M_0 = 1$ 2. srl Multiplicand 3. srl Multiplier	111 0000	0000	10 0011

2.

Iteration	Steps	Quotient Register	Divisor Register	Remainder Register
0	Initial Values	0000	(sll to 8-bit) 0110 0000	(Dividend) 0111 1010
1	1. Subtract Divisor from Remainder 2a. srl Quotient and set Q_0 to 1 3. srl Divisor	0001	0011 0000	01111010-0110 0000= 0001 1010
2	1. Subtract Divisor from Remainder 2b. Add Divisor back to Remainder and srl Quotient and set Q_0 to 0 3. srl Divisor	0010	0001 1000	00011010-0011 0000= 11101010 11101010+001 1000= 0001 1010
3	1. Subtract Divisor from Remainder 2a. srl Quotient and set Q_0 to 1 3. srl Divisor	0101	0000 1100	00011010-0001 1000= 0000 0010
4	1. Subtract Divisor from Remainder 2b. Add Divisor back to Remainder and srl Quotient and set Q_0 to 0 3. srl Divisor	1010	0000 0110	00000010-000 01100= 11110110 11110110+000 00110= 0000 0010
5	1. Subtract Divisor from Remainder 2b. Add Divisor back to Remainder and srl Quotient and set Q_0 to 0 3. srl Divisor	1 0100	0000 0011	00000010-000 00011= 11111111 11111111+0000 0011= 0000 0010

3. $(-3965)_{10} = -(2^{11} + 2^{10} + 2^9 + 2^8 + 2^6 + 2^5 + 2^4 + 2^3 + 2^2 + 2^0) =$
 $-0000\ 0000\ 0000\ 0000\ 0000\ 1111\ 0111\ 1101 =$
 $\quad 1111\ 1111\ 1111\ 1111\ 1111\ 0000\ 1000\ 0010$
 $\underline{+0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0001}$
 $(1111\ 1111\ 1111\ 1111\ 1111\ 0000\ 1000\ 0011)_2$

4. Given 1111 1111 1111 1111 1110 1011 0011 1100
 0000 0000 0000 0000 0001 0100 1100 0011
 $+ \underline{0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0000\ 0001}$
 $(0000\ 0000\ 0000\ 0000\ 0001\ 0100\ 1100\ 0100)_2 = (5316)_{10}$
 $(1111\ 1111\ 1111\ 1111\ 1110\ 1011\ 0011\ 1100)_2 = \mathbf{(-5316)_{10}}$
5. a. $(31655.31640625)_{10} = (111101110100111.01010001)_2$
 b. $(-1)^0 * 1.1110111010011101010001 * 2^{14}$
 c. Biased Exponent = $14 + 127 = (141)_{10} = (10001101)_2$
 d. $(\mathbf{0100\ 0110\ 1111\ 0111\ 0100\ 1110\ 1010\ 0010})_2 = (\mathbf{46F74EA2})_{16}$
6. a. $(-5737.390625)_{10} = -(1011001101001.011001)_2$
 b. $(-1)^1 * 1.011001101001011001 * 2^{12}$
 c. Biased Exponent = $12 + 127 = (139)_{10} = (10001011)_2$
 d. $(\mathbf{1100\ 0101\ 1011\ 0011\ 0100\ 1011\ 0010\ 0000})_2 = (\mathbf{C5B34B20})_{16}$
7. Given $0xC6533720 = (1100\ 0110\ 0101\ 0011\ 0011\ 0111\ 0010\ 0000)_2$
 Sign = 1, Biased Exponent = 140, Original Exponent = $140 - 127 = 13$
 Normalized Format = $(-1) * 1.101001100110111001 * 2^{13}$
 Original Binary = $-11010011001101.11001 =$
 $-(2^{13} + 2^{12} + 2^{10} + 2^7 + 2^6 + 2^3 + 2^2 + 2^0) \cdot (2^{-1} + 2^{-2} + 2^{-5}) = -13517.78125 =$
 $\mathbf{-1.351778125 * 10^4}$
8. $1.1011 * 2^{-8} + 1.0111 * 2^{-10}$
 Step 1: $1.0111 * 2^{-10}$ shifts to $0.010111 * 2^{-8}$
 Step 2: 0.010111
 $+ \underline{1.101100}$
 $10.000011 * 2^{-8}$
 Step 3: $1.0000011 * 2^{-7}$ and $-126 \leq -7 \leq 127$
 Step 4: $\mathbf{1.0000 * 2^{-7}}$

9. $(1.1011 * 2^{-8}) * (1.0111 * 2^{-10})$

Step 1: $-8 + (-10) = -18$

Step 2: 1.1011

• 1.0111

000011011

000110110

001101100

000000000

+ 110110000

10.01101101 * 2^{-18}

Step 3: $1.001101101 * 2^{-17}$

Step 4: **$1.0011 * 2^{-17}$**

10. $8.97 * 10^7 + 7.68 * 10^5 = 8.97 * 10^7 + 0.0768 * 10^7$

a. 8.97

+ 0.0768

$9.0468 = \mathbf{9.05 * 10^7}$

b. 8.97

+ 0.07

$9.04 * 10^7$