

Credit Allocation Mix in Peer-to-Peer Lending: A Network Study on Bondora

Social Network Analysis - Group 7

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1 Introduction

With the advent of online peer-to-peer (P2P) lending platforms, the traditional methods of financial intermediation have been usurped by individual choice. The surging popularity and accessibility of services such as Prosper.com has grown to become one of the most important avenues through which individuals can secure micro-loans (Cai, Lin, Xu, & Fu, 2016). Arguably, while the democratisation of credit alleviates numerous pre-existing issues, it serves to exaggerate well-known informational asymmetries associated with determining creditworthiness (Mingfeng Lin, N.R. Prabhala, & Siva Viswanathan, 2009). Per, Chen, Zhou, & Wan (2016), from a traditional financial lens, these asymmetries can contribute to moral hazard and adverse selection, ultimately causing systemic financial losses. This arises from the fact the users are anonymous, challenging the veracity of their information. Further, the unsecured nature of credit makes its collection relatively ineffective. Jointly, these factors characterise the lemons market theory by Akerlof (1978).

However, social networks can act a crucial avenue through which information transfer could be facilitated, alleviate some of the existing asymmetries (Mingfeng Lin et al., 2009). There are several prominent theories and research that attempt to bridge this gap. First, the theory of social capital is particularly salient because it relates directly to the reputation and trustworthiness of the users (Adler & Kwon, 2002). While its definition is not strictly defined, according to Putnam (2015), it can be seen as a means through which social organisation facilitate coordination and trust. Nahapiet & Ghoshal (1998) define three dimensions, including structural, relational, and cognitive. We primarily study the structural component, whereby the network properties relating to tie formation between borrowers is considered. Following this perspective, Chen et al. (2016) argue that social capital is earned through connections to others. However, per the authors, the internet facilitates weak forms of these ties, diminishing the benefits of social capital on P2P platforms, especially for non-friendship networks. Notably, they cite a low interdependence and closed structures to this effect.

With this, we arrive at our first research problem, aiming to understand **to what extent are borrower networks weak in P2P networks?** More specifically, we formulate the hypothesis

$$H_1^a \quad \text{Borrower networks based on similarity have a low degree of centralisation}$$

To understand social capital, we employ techniques related to the occurrence of dyadic connections rather than studying their structural components. As such, this problem can be studied with the use of the Quadratic Assignment Procedure (QAP) and Conditional Uniform Graph (CUG) tests, whereby the theoretical distributions of network characteristics can be tested.

Our second study attempts to model social capital as a statistical model, specifically considering the structural dimension to social capital. According to the comprehensive review of Bachmann et al. (2011), past studies have considered financial, demographic, and soft informational factors in the financial outcomes of P2P lending, however, these perspectives have not been considered with relation to each other. With respect to this premise, we posit **what is the role of structural and non-structural factors in the formation of social capital?** This problem is arguably best studied with the use of Exponential Random Graph Models (ERGM) as they are considered to work well in identifying a combination of structural and exogenous patterns in the context of a variety of network specifications (Jackson, 2011).

In studying demographic factors, Pope & Sydnor (2008) suggest that age plays a significant role

in funding success. In particular, compared to individuals aged 35-60, those aged 35 or younger have a 40-90 basis point higher success rate. Additionally, those aged 60 and above are 1.1-2.3 percentage points less successful. While this is not a direct relationship with social capital, it may suggest that these individuals may be placed lower in the P2P market, per Putnam (2015).

In studying gender, Barasinska & Schaefer (2010) find that female lenders are less risk averse than male lenders, funding credit with lower interest rates at a higher frequency. In conjunction, Pope & Sydnor (2008) find that single women pay 0.4% less interest than men. These factors may indicate that edges are more likely to form between borrowers if they are women.

The structural dynamics of the network could be explained by the theory of Relational Herding, as formulated by De Liu, Brass, Lu, & Chen (2015). The authors explain that in the face of uncertainty, actors tend to exhibit a clustering behaviour, even putting aside their own private information. Though, other social dynamics may also explain the phenomenon. Devenow & Welch (1996) posit that herding may also occur if individuals blindly follow others without rational analysis. In the P2P context, Herzenstein, Dholakia, & Andrews (2011) show evidence of strategic herding when borrowers observe that a loan has gotten funding in the past.

Further, Podolny (1993) explains that the ways in which information flows in social networks can explain its outcomes. In particular, if the reputation or status of an individual can be observed, they are said to be “pipes” for other actors to transact with them. However, if this reputation is merely *perceived*, then it said to be a “prism”. In our context, prism seems more appropriate as users usually cannot directly observe prestige-related characteristics, however, this can be tested by constructing a variable related to latent status.

Hypotheses	Type	Dyad	ERGM Term	Motivation
H_2^o Younger borrowers tend to form more relationships with each other	Exogenous	Independent	nodecov()	The term captures how the age covariate affects the likelihood of edge formation. Since we want a numeric range, this term is most appropriate.
H_3^o Women tend to form more relationships with other borrowers, regardless of gender	Exogenous	Independent	nodenfactor()	The term captures the tendency of women to form more edges, regardless of the other gender.
H_4^o Borrowers tend to exhibit herding around each other	Endogenous	Interdependent	gwesp()	The term captures the tendency for triadic relationships to form. In other words, for ties to form due to the presence of other ties in the dyad's neighbourhood.
H_5^o Borrowers tend to form ties around other high-status borrowers	Endogenous	Interdependent	gwd() & nodecov()	The term describes degree distribution, indicating whether a borrower is popular to the degree specified. It does not necessarily relate to community. It is necessary to also use an indicator of prestige to understand whether pipe or prism dynamics may be more prevalent.

Our research makes notable contributions to existing research on social network analyses on P2P networks. The study primarily expands upon the existing ideas of social capital by analysing it with respect to European P2P lending market and evaluating the interactions between structural and non-structural factors such as demographics. Typically, research tends to consider them independently and utilises predictive, rather than purely statistical models.

Following this, the report will outline the methodology employed. In this section, we will discuss the dataset utilised, specific data processing steps and other considerations relating to the empirical or network environment. Further, we justify the empirical structure of the analysis, evaluating the specific methodologies utilised with respect to the wider quantitative landscape. Subsequently, the results are outlined for each model and hypothesis, alongside their interpretations for our research problem. Finally, we conclude the report by summarising the core research problem, our

empirical set-up alongside considerations for future research.

2 Methodology

Within this section, we construct the empirical layout of our research problem, including the dataset and data processing steps.

2.1 Dataset

The study utilises a publicly-retrieved dataset from a leading European P2P platform called Bondora. The dataset contains detailed information on both defaulted and non-defaulted loans given to users between February 2009 and July 2021. Prior to any manipulation, the dataset contains a range of numeric, binary, categorical, and time-series attributes across 85,087 unique users and 179,235 individual loans. The data was originally collected by Siddhartha ([n.d.](#)) in 2021 and published on kaggle.com. While the user published the data, they simply downloaded it from a now-defunct page on Bondora's website. Public data is no longer offered by Bondora, access to newer data is not possible.

2.2 Data Processing and Network Construction

To make the data usable for our research, it was processed. The full steps can be seen in the Appendix. First, only attributes relevant to the research were kept for resource efficiency and ease of use. Following this, any rows with missing values were entirely removed to preserve a complete dataset. This step did not remove a significant number of data points. Following this, it is mandatory to reduce the size of the overall dataset to ensure that any analyses conducted can converge and do so in a timely manner. We did this by randomly removing data points until the dataset had 500 remaining observations. While a sampling bias is technically possible as a result, the pseudo-random data reduction should minimize this effect.

To construct the network, we need to specify edges between users. While there are many ways to do this, we prefer an approach that does not introduce unnecessary complexity to models' interpretations and maintains a meaningful semantic relationship between borrowers. Ultimately, we create edges based on how similar borrowers are across several dimensions, computed by cosine similarity. The intuition here arises from the fact that certain behaviours or social processes *groups* borrowers together. This technique has the advantage of discounting vector size for its angle, which reduces the influence of outliers in defining how similar individuals are. However, to avoid a fully connected network that would make ERGM completely redundant, we establish a threshold of `cosine_sim=0.5` to determine whether an edge can exist. This enables us to control how similar individuals must be for our analysis while maintaining a reasonable density.

Defining the dimensions that make an individual similar to another is a difficult task, however, we opted for attributes describing users' loans rather than their demographic or financial characteristics. This is *crucial* because we must isolate these variables from any outcome being studied. Otherwise, our analysis will be severely biased by data leakage and possibly even simultaneous equation bias. Further, we chose to standardise the attributes chosen for cosine similarity to avoid bias introduced by differing variable scales. Ultimately, the edges formed are weighted ¹ by how

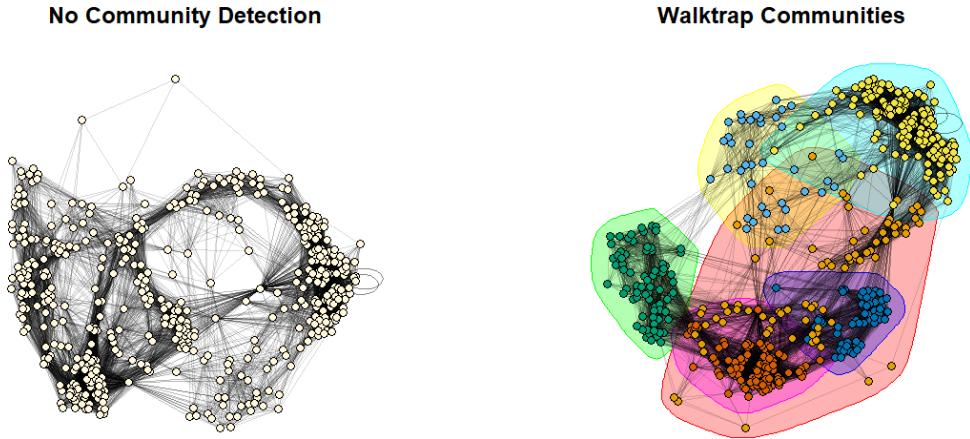
¹We understand that weighted edges make ERGMs significantly more difficult. We can definitely make them binary for

similar individuals are to each other. The attributes excluded from this similarity measure were later added to the igraph network object as vertex attributes.

2.3 Descriptive Statistics and Network Overview

Having processed the dataset and created a weighted network of similar borrowers, we provide an overview of the descriptive statistics relating to the network and wider dataset. The figure below shows an overview of the network, however, since we rely on sampling for the nodes, the network is not equivalent to the underlying population. Observing the figure, we see that there are indeed prevalent communities, however, there is also significant overlap between them.

Figure 1: Plot of the Bondera Network with and without Community Detection



²

Observing the figure below, we see low betweenness centrality and degree distribution without any logarithmic adjustments. The latter indicates that most nodes have very low connectivity. This may have been a result of the threshold set for the similarity. The former suggests that few nodes act as the bridge between different communities of borrowers and that the few highly connected nodes are crucial for the connection of the wider P2P network.

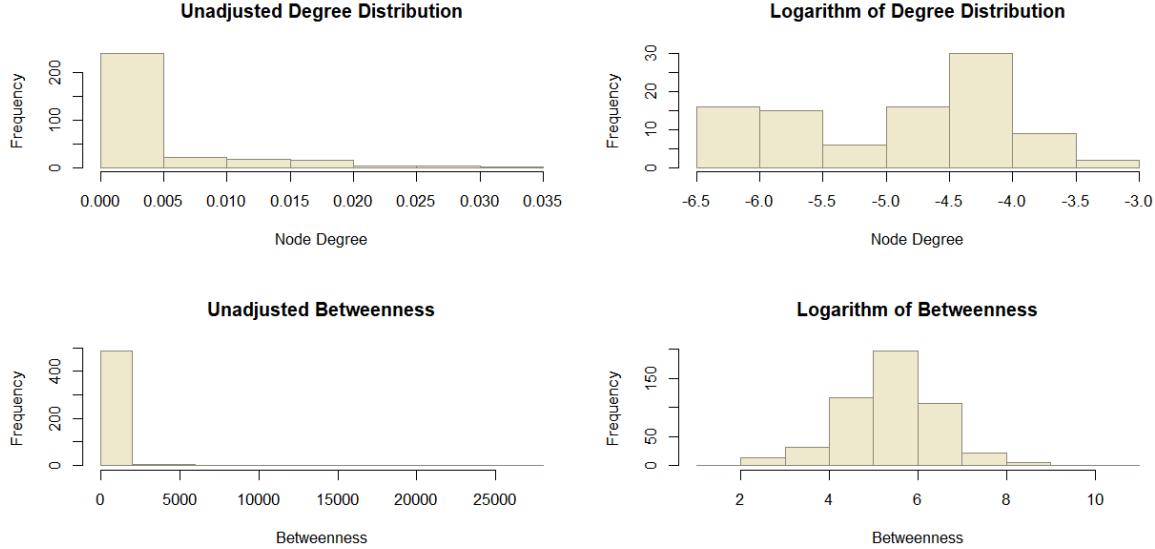
further analysis. We believe that making them weighted can make the analysis more meaningful because it would allow us to determine the degree to which a predictor makes someone similar which can be important in determining something like the relational herding or prism/pipe effects. To be discussed.

²We recognise that this reciprocity may not be ideal and we are looking for ways to deal with the 100% reciprocity. Potential point for discussion.

Table 1: Network Descriptive Statistics

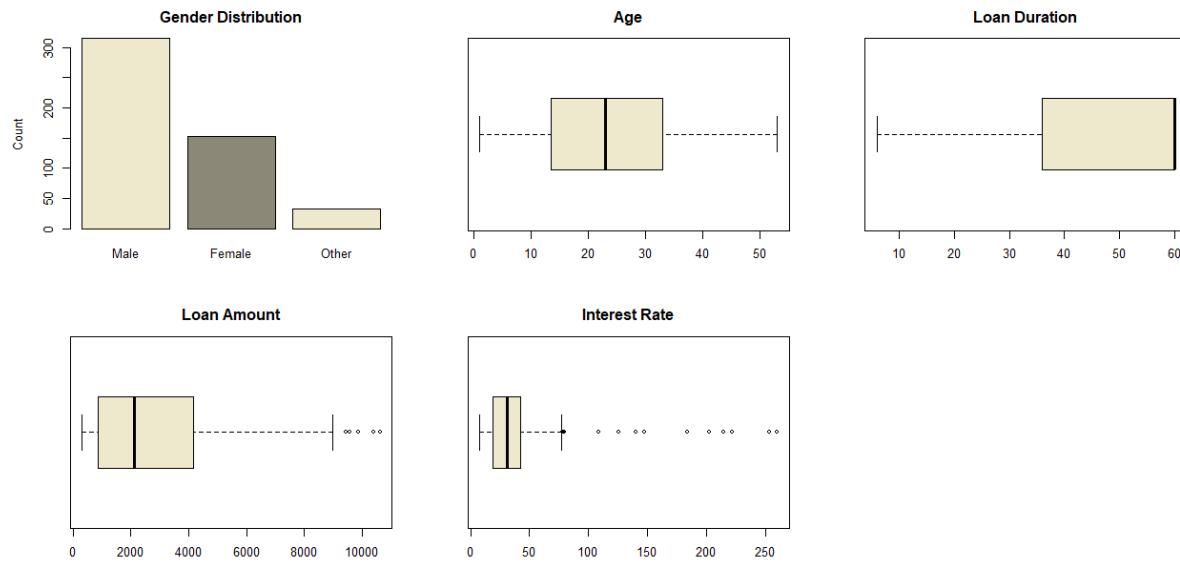
Network Measure	Value
Number of Vertices	495
Number of Edges	14,017
Density	0.109
Reciprocity	1.000
Transitivity	0.692
Mean Distance	2.112
Dyad Census: Mutual	13,269
Dyad Census: Null	108,996

Figure 2: Degree and Betweenness Distribution of the P2P Network



The figure below shows various aspects of the wider dataset. Firstly, we observe that there are significantly more males within our subsample borrowing than females. Notably, some users did note “Other” for their gender. It is unclear whether this relates to the user being non-binary or whether it was a data error. Generally, borrowers tend to be young, with the median hovering around 22. The interquartile range is approximately 10 years, suggesting that most users lean younger. The duration of users’ loans tends to be extremely left skewed, indicating the the majority of users request very long loans. There is quite a large range in terms of the loan amounts and their interest rates. The median loan amount hovers around 2000 euros, with most of the users not borrowing more than 4000. This distribution reaffirms that users prefer loans on the lower end. For most users, the interest rate is tightly dispersed and below 40%. This could suggest that loan providers are quite selective in their clientèle. Notably, some users do exceed 100% interest rates, suggesting that the data has users with extraordinary circumstances.

Figure 3: Descriptive Statistics of the wider Dataset



A Supplements

A.1 Data Preprocessing

A.2 Source Code - Data Preprocessing

```

1 # ----- #
2 #install.packages("viridis") # For Colours
3 #install.packages("here") # To locate files from RProj
4 # -----
5 # Import the Bondora P2P Dataset
6 obj_paths = "resources/objects/"
7 bondora_raw <- read.csv("dataset/LoanData_Bondora.csv")
8 raw_cols <- colnames(bondora_raw)
9 # -----
10 # Select Columns to Keep
11 keep_cols <- c("LoanId", "UserName", "Age", "Gender",
12                 "Country", "Amount", "Interest", "LoanDuration",
13                 "UseOfLoan", "Education", "MaritalStatus",
14                 "Rating", "Restructured", "MonthlyPayment")
15
16 bondora <- bondora_raw[keep_cols]
17
18 # Remove Rows with any NAs -> Complete Dataset Preferred
19 print(paste("NA Count |",sum(is.na(bondora)), "rows"))
20 bondora <- na.omit(bondora)
21 print(paste("NA Count |",sum(is.na(bondora)), "rows"))
22
23 # Remove users with only -1 Stated UseofLoan
24 bondora_clean <- bondora[bondora$UseOfLoan != -1, ]
25
26 # Remove Users with only One Loan
27 user_counts <- table(bondora_clean$UserName)
28 multi_users <- names(user_counts[user_counts > 5])
29 bondora_clean <- bondora_clean[bondora_clean$UserName %in% multi_users, ]
30
31 # See if Ratings are Properly Encoded
32 unique(bondora_clean$Rating)
33
34 # See distribution of UserName Counts
35 hist(table(bondora_clean$UserName))
36 barplot(table(bondora_clean$UseOfLoan))
37
38 # Extract UseofLoan Types and Turn into Factor
39 bondora_clean$UseOfLoan_factor <- as.factor(bondora_clean$UseOfLoan)
40 unique(bondora_clean$UseOfLoan_factor)
41 levels(bondora_clean$UseOfLoan_factor) <- c(
42     "Loan Consolidation", "Real Estate", "Home Improvement",
43     "Business", "Education", "Travel", "Vehicle", "Other", "Health")
44
45 bondora$UseOfLoan_factor <- as.factor(bondora$UseOfLoan)
46 unique(bondora$UseOfLoan_factor)
47 levels(bondora$UseOfLoan_factor) <- c(
48     "Unknown", "Loan Consolidation", "Real Estate", "Home Improvement",
49     "Business", "Education", "Travel", "Vehicle", "Other", "Health",
50     "Machinery Purchase", "Acquisition Real Estate", "Other Business"
51 )
52 # -----
53 # Observe Descriptive Statistics
54
55 cols <- viridis::viridis(30)
56
57 # Make function to save plots
58 save_plot <- function(plt_nam) {
59     plt <- recordPlot()
60     saveRDS(plt, here::here("resources", "objects", "preprocessing",
61                             paste0(plt_nam, ".Rds")))
62 }
63
64 # Make function to consistently plot comparisons
65 plot_desc_hists <- function(df1, df2, col_name, type) {

```

```

66
67 par(mfrow=c(1,3))
68
69 hist(df1[[ col_name]], xlab=type, col=cols[15], main="", breaks=10)
70 mtext("Full Sample", side=3, adj=0, line=0.25, cex=1, font=2)
71
72 hist(df2[[ col_name]], xlab=type, col=cols[15], main="", breaks=10)
73 mtext("Processed Sample", side=3, adj=0, line=0.25, cex=1, font=2)
74
75 qqplot(df1[[ col_name]], df2[[ col_name]], main="", cex=1,
76         xlab="Full Sample", ylab="Subsample", line=0.25)
77 abline(0, 1, lty=2)
78
79 mtext("QQ Plot", side=3, adj=0, line=0.25, cex=1, font=2)
80
81 mtext(type, outer = TRUE, line = -2, side=3, cex = 1.3, font = 2)
82
83 # Reset plot window
84 par(mfrow=c(1,1), mar=c(5,4,4,2)+0.1)
85 }
86
87 plot_desc_bar <- function(df1, df2, col_name, type) {
88
89 par(mfrow=c(1,2), mar=c(5,10,4,2))
90
91 barplot(sort(table(df1[[ col_name]]), decreasing = F),
92         xlab=type, col=cols[15], horiz=TRUE, las=1)
93 mtext("Full Sample", side=3, adj=0, line=0.25, cex=1, font=2)
94
95 barplot(sort(table(df2[[ col_name]]), decreasing = F),
96         xlab=type, col=cols[15], horiz=TRUE, las=1)
97 mtext("Processed Sample", side=3, adj=0, line=0.25, cex=1, font=2)
98
99 mtext(type, outer = TRUE, line = -2, side=3, cex = 1.3, font = 2)
100
101 # Reset plot window
102 par(mfrow=c(1,1), mar=c(5,4,4,2)+0.1)
103 }
104
105 plot_desc_hists(bondora, bondora_clean, "Amount", "Amount")
106 save_plot("hist_amt")
107
108 plot_desc_hists(bondora, bondora_clean, "Interest", "Interest")
109 save_plot("hist_int")
110
111 plot_desc_hists(bondora, bondora_clean, "LoanDuration", "Loan Duration")
112 save_plot("hist_loandur")
113
114 plot_desc_hists(bondora, bondora_clean, "MonthlyPayment", "Monthly Payment")
115 save_plot("hist_monpmt")
116
117 plot_desc_hists(bondora, bondora_clean, "Age", "Age")
118 save_plot("hist_age")
119
120 plot_desc_bar(bondora, bondora_clean, "UseOfLoan_factor", "Loan Purpose")
121 save_plot("bar_loanuse")
122
123 plot_desc_bar(bondora, bondora_clean, "Rating", "Credit Rating")
124 save_plot("bar_rating")
125 # -----
126 # Convert Dataset into Incidence Matrix to form Network Object (for ERGM) #
127 bondora_slim <- bondora_clean
128
129 # Create the Incidence Matrix for Use of Loan
130 bondora_matrix <- table(
131   bondora_slim$UserName, bondora_slim$UseOfLoan)

```

```

132 bondora_matrix[bondora_matrix > 0] <- 1 # Given that ergm.counts fails with GOF
133
134 # Create network object with counts as Edge attribute
135 bondora_net <- network::network(
136   bondora_matrix, directed=FALSE, bipartite=nrow(bondora_matrix),
137   ignore.eval = FALSE, names.eval="frequency", loops=FALSE)
138
139 # Set the bipartite Attribute - UNNECESSARY GIVEN bipartite=length(n)
140 len <- dim(bondora_matrix)[1]
141 len_b2 <- dim(bondora_matrix)[2]
142 b_indicator <- c(rep(1,len),rep(2,len_b2))
143 #network::set.vertex.attribute(
144 #  bondora_net, "bipartite", value = rep(len,len), v=1:len
145 #)
146
147 # Extract Partition 2 Labels
148 loan_use <- levels(bondora_clean$UseOfLoan_factor)
149
150 # Create Loan Type Attribute for Partition 2
151 b2_loantype <- rep(NA, len)
152 b2_loantype <- c(b2_loantype, loan_use)
153
154 if (length(b2_loantype) == network::network.size(bondora_net)) {
155   network::set.vertex.attribute(
156     bondora_net, "b2_loantype", value = b2_loantype)
157 }
158
159 # Add Age Vertex Attribute to B1
160 age <- bondora_clean$Age[match(
161   rownames(bondora_matrix), bondora_clean$UserName)]
162 b1_age <- c(age, rep(NA, len_b2))
163 network::set.vertex.attribute(
164   bondora_net, "b1_age", value=b1_age
165 )
166
167 # Add Gender Vertex Attribute to B1
168 gender <- bondora_clean$Gender[match(
169   rownames(bondora_matrix), bondora_clean$UserName)]
170 unique(gender) # Check to see if encoded properly
171 gender <- ifelse(gender == 0, "male", "female")
172 b1_gender <- c(gender, rep(NA, len_b2))
173 network::set.vertex.attribute(
174   bondora_net, "b1_gender", value = b1_gender
175 )
176
177 # Save the network object
178 saveRDS(bondora_net, file=paste0(obj_paths, "preprocessing/", "bondora_net.Rds"))
179 # -----
180 # Get the Adjacency Matrix for Loan Use Similarity (Dependent QAP Variable)
181 adj_mat_loan_use <- bondora_matrix %*% t(bondora_matrix)
182 # Remove self weights
183 diag(adj_mat_loan_use) <- 0
184
185 # Get the Adjacency Matrix for Credit Rating Similarity (Predictor in QAP)
186 incidence_rating <- table(bondora_slim$UserName, bondora_slim$Rating)
187 adj_mat_rating <- incidence_rating %*% t(incidence_rating)
188 diag(adj_mat_rating) <- 0
189
190 # Get the Adjacency Matrix for Loan Amount (Control in QAP) - BINARY
191 # First, bin the Loan Amounts
192 bondora_slim$Amount_bins <- cut(
193   bondora_slim$Amount, breaks=c(0,2000,4000,6000,8000,10000),
194   labels = c(1:5)
195 )
196 incidence_amount_bins <- table(bondora_slim$UserName, bondora_slim$Amount_bins)
197 adj_mat_amount_bins <- incidence_amount_bins %*% t(incidence_amount_bins)

```

```

198 diag(adj_mat_amount_bins) <- 0
199
200 # Continous Absolute Difference Approach
201 avg_amount <- tapply(bondora_slim$Amount, bondora_slim$UserName, mean)
202 adj_mat_amount_diff <- outer(avg_amount, avg_amount,
203                                FUN = function(x,y) abs(x - y))
204 diag(adj_mat_amount_diff) <- 0
205
206 # Get Matrix for Differences in Age
207 incidence_age <- table(bondora_slim$UserName, bondora_slim$Age)
208 borrower_ages <- as.numeric(colnames(incidence_age)[max.col(incidence_age)])
209 names(borrower_ages) <- rownames(incidence_age)
210 adj_mat_age <- outer(borrower_ages, borrower_ages,
211                       FUN = function(x, y) abs(x - y))
212 rownames(adj_mat_age) <- colnames(adj_mat_age) <- names(borrower_ages)
213
214 # Get Adjacency Matrix for (same) Gender
215 incidence_gender <- table(bondora_slim$UserName, bondora_slim$Gender)
216 adj_mat_gender <- incidence_gender %*% t(incidence_gender)
217 # Make the matrix binary for homophily
218 adj_mat_gender <- ifelse(adj_mat_gender > 0, 1, 0)
219 diag(adj_mat_gender) <- 0
220
221 # Get Adjacency Matrix for Differences in Average Loan Duration
222 borrower_loandur <- sapply(tapply(bondora_slim$LoanDuration,
223                               bondora_slim$UserName, unique),
224                               mean)
225 adj_mat_loandur_diff <- outer(borrower_loandur, borrower_loandur,
226                                 FUN=function(x,y) abs(x-y))
227 diag(adj_mat_loandur_diff) <- 0
228
229 # Get Adjacency Matrix for Homophily in Restructure of Loans
230 incidence_restructure <- table(bondora_slim$UserName, bondora_slim$Restructured)
231 adj_mat_rest <- incidence_restructure %*% t(incidence_restructure)
232 diag(adj_mat_rest) <- 0
233
234 # Save the objects for the QAP Regression in different Script
235 qap_paths = paste0(obj_paths, "/qap/")
236 saveRDS(b_indicator, file=paste0(
237   "resources/objects/preprocessing/indicator.Rds"))
238
239 saveRDS(adj_mat_loan_use, file=paste0(qap_paths, "adj_mat_loanuse.Rds"))
240 saveRDS(adj_mat_rating, file=paste0(qap_paths, "adj_mat_rating.Rds"))
241 saveRDS(adj_mat_amount_diff, file=paste0(qap_paths, "adj_mat_amtdiffs.Rds"))
242 saveRDS(adj_mat_age, file=paste0(qap_paths, "adj_mat_agediffs.Rds"))
243 saveRDS(adj_mat_gender, file=paste0(qap_paths, "adj_mat_gender.Rds"))
244 saveRDS(adj_mat_loandur_diff, file=paste0(qap_paths, "adj_mat_loandurdiffs.Rds"))
245 saveRDS(adj_mat_rest, file=paste0(qap_paths, "adj_mat_rest.Rds"))
246 # -----
# scripts/bondora_preprocessing.R

```

A.3 Source Code - QAP Linear Regression

```

1 # ----- #
2 # If not already Installed
3 install.packages("viridis") # For Colours
4 #install.packages("here") # To locate files from RProj
5
6 # Set colour palette
7 cols <- viridis::viridis(30)
8 # -----
9 # Load Relevant Files
10 qap_path="resources/objects/qap/"
11
12 loan_use_mat <- readRDS(paste0(qap_path, "adj_mat_loanuse.RDS"))
13 rating_mat <- readRDS(paste0(qap_path, "adj_mat_rating.RDS"))
14 amt_diffs_mat <- readRDS(paste0(qap_path, "adj_mat_amtdiffs.RDS"))
15 age_diffs_mat <- readRDS(paste0(qap_path, "adj_mat_agediffs.RDS"))
16 gender_mat <- readRDS(paste0(qap_path, "adj_mat_gender.RDS"))
17 loandur_diffs_mat <- readRDS(paste0(qap_path, "adj_mat_loandurdiffs.RDS"))
18 rest_mat <- readRDS(paste0(qap_path, "adj_mat_rest.RDS"))
19 # -----
20 # Create function to determine significance from t-value statistic
21 t_to_stars <- function(t) {
22   stars <- rep("", length(t))
23   stars[abs(t) >= 1.96] <- "*"
24   stars[abs(t) >= 2.576] <- "**"
25   stars[abs(t) >= 3.291] <- "***"
26
27   return(stars)
28 }
29
30 # Make function to save plots
31 save_qap_plot <- function(plt_nam) {
32   plt <- recordPlot()
33   saveRDS(plt, here::here("resources", "objects", "qap",
34                           paste0(plt_nam, ".Rds")))
35 }
36
37 var_names <- c("Intercept", "Rating", "Loan Amount", "Age", "Gender",
38                 "Loan Duration", "Restructured")
39 pred_vars <- list(rating_mat, amt_diffs_mat, age_diffs_mat,
40                     gender_mat, loandur_diffs_mat, rest_mat)
41 # -----
42 # Basic QAP Linear Regression
43 qap_m1 <- sna::netlm(y = loan_use_mat,
44                       x = list(rating_mat, amt_diffs_mat, age_diffs_mat,
45                                 gender_mat, loandur_diffs_mat, rest_mat),
46                       nullhyp = "qapspp", reps = 2500)
47 qap_m1$names <- var_names
48 summary(qap_m1)
49
50 results_m1 <- qap_m1$coefficients
51 names(results_m1) <- var_names
52 results_sig_m1 <- paste(round(results_m1, 3), t_to_stars(qap_m1$tstat))
53
54 # Plot Residuals
55 hist(qap_m1$residuals, main="QAP Residuals", col = cols[15])
56
57 # Save Model
58 saveRDS(qap_m1, file = paste0(qap_path, "qap_m1.RDS"))
59 # -----
60 # Standardised QAP Linear Regression
61 scaled_dep <- scale(loan_use_mat)
62 scaled_pred <- lapply(pred_vars, scale)
63
64 qap_m2 <- sna::netlm(y = scaled_dep,
65                       x = scaled_pred,

```

```

66 nullhyp = "qapspp", reps = 2500
67 qap_m2$names <- var_names
68 summary(qap_m2)
69
70 # Plot the result
71 results_m2 <- qap_m2$coefficients
72 names(results_m2) <- var_names
73 results_sig_m2 <- paste(round(results_m2,3), t_to_stars(qap_m2$tstat))
74
75 # Plot Residuals
76 hist(qap_m2$residuals, main="QAP Residuals", col = cols[15])
77
78 # Save Model
79 saveRDS(qap_m2, file = paste0(qap_path,"qap_m2.RDS"))
80 # -----
81 # Plot the result
82 par(mfrow=c(1,2))
83
84 qap_plot_m1 <- barplot(results_m1, col = cols[15], border = cols[10],
85                         ylim = c(min(results_m1) + min(results_m1)*0.15,
86                                 max(results_m1) + max(results_m1)*0.15),
87                         main="QAP Model Results (Unstandardised)")
88 text(x = qap_plot_m1,
89       y = results_m1 + sign(results_m1)*(0.075*diff(range(results_m1))),
90       labels = results_sig_m1, font = 2)
91
92
93 qap_plot_m2 <- barplot(results_m2, col = cols[15], border = cols[10],
94                         ylim = c(min(results_m2) + min(results_m2)*0.15,
95                                 max(results_m2) + max(results_m2)*0.15),
96                         main="QAP Model Results (Standardised)")
97 text(x = qap_plot_m2,
98       y = results_m2 + sign(results_m2)*(0.075*diff(range(results_m2))),
99       labels = results_sig_m2, font = 2)
100
101 save_qap_plot("unstd_std_plot")
102
103 par(mfrow=c(1,1))

```

scripts/qap_network_analysis.R

A.4 Source Code - ERGM Network Analysis

```

1 # ----- #
2 # If not already Installed
3 install.packages("viridis")      # For Colours
4 #install.packages("ergm.count")   # No longer needed
5 install.packages("Rglpk")         # Additional solver for ERGMs
6 #install.packages("here")        # To locate files from RProj
7
8 # Import the Network and Other Object
9 ergm_path <- "resources/objects/ergm/"
10 bondora_net <- readRDS(here::here(
11   "resources", "objects", "preprocessing", "bondora_net.Rds"))
12 b_indicator <- readRDS(here::here(
13   "resources", "objects", "preprocessing", "indicator.Rds"))
14
15 # Set colour palette
16 cols <- viridis::viridis(30)
17
18 # Determine acceptable core count
19 n_cores <- parallel::detectCores() - 3 # Leave some out for other processes
20 print(paste("You have", n_cores, "usable cores"))
21
22 # Replicability
23 seed(42)
24
25 # Save plots
26 save_ergm_plot <- function(plt_nam) {
27   plt <- recordPlot()
28   saveRDS(plt, here::here("resources", "objects", "ergm",
29                           paste0(plt_nam, ".Rds")))
30 }
31 # -----
32 # Copy network for plotting
33 bondora_plot <- bondora_net
34
35 # Get node type for plotting
36 type_indicator <- ifelse(b_indicator == 2, TRUE, FALSE)
37 shape <- ifelse(type_indicator, "square", "circle")
38 network::set.vertex.attribute(bondora_plot, "shape", shape)
39
40 # Get Category Count for Vertex Size
41 counts <- summary(bondora_plot ~ b2sociality)
42 counts_att <- ifelse(type_indicator, counts^0.75, counts^0.6)
43 network::set.vertex.attribute(bondora_plot, "size", counts_att)
44
45 # Colours for the Node Types
46 plot_cols <- ifelse(type_indicator, cols[5], cols[30])
47 network::set.vertex.attribute(bondora_plot, "color", plot_cols)
48
49 # Legend Plotting
50 type_legend <- ifelse(type_indicator, "Borrowers", "Loan Type")
51 type_legend <- as.factor(type_legend)
52
53 # Plot the Network
54 plot(snafun::to_igraph(bondora_plot),
55       main = "Bipartite User-LoanUse",
56       edge.arrow.size = 0.3,
57       edge.color = rgb(0,0,0, alpha = 0.35),
58       vertex.frame.color = "black",
59       vertex.label = NA,
60       vertex.frame.size = 3,
61       edge.curved = FALSE,
62       layout=igraph::layout.fruchterman.reingold)
63 legend("bottomleft", legend = levels(type_legend),
64        inset = c(0.1, 0.02),
65        col = c(cols[30], cols[5]),

```

```

66   pch = c(16,15),
67   title = "Node Partitions", title.font = 2,
68   cex = 0.8,
69   lwd = 1,
70   bg = rgb(0,0,0, alpha=0.025))
71 save_ergm_plot("network_plot")
72
73 # Summary Statistics
74 snafun::g_density(bondora_net)
75 snafun::g_centralize(bondora_net)
76
77 # Degree and Betweenness Distribution
78 deg_dist <- snafun::g_degree_distribution(bondora_net)
79 bet_dist <- snafun::v_betweenness(bondora_net)
80
81 # Other Descriptives
82 summary(bondora_net ~ b1degree(1:9))
83 summary(bondora_net ~ b2degree(1:10))
84
85 par(mfrow = c(1,2))
86
87 hist(deg_dist,
88       main = "Unadjusted Degree Distribution",
89       xlab = "Node Degree",
90       col = cols[15],
91       border = cols[10])
92
93 hist(bet_dist,
94       main = "Unadjusted Betweenness",
95       xlab = "Betweenness",
96       col = cols[15],
97       border = cols[10])
98
99 par(mfrow = c(1,1))
100 # -----
101 # Make function to calculate probabilities from log odds
102 lodds_to_prob <- function(l_odd) {
103   return(exp(l_odd) / (1 + exp(l_odd)))
104 }
105 # Make function to save ERGM object
106 save_ergm <- function(object, id) {
107   saveRDS(object, file=here::here(
108     "resources", "objects", "ergm", id, ".Rds"))
109 }
110 # Make function to conduct ERGMs automatically
111 auto_ergm <- function(model, mcmc, name) {
112
113   # Conducts the GOF Diagnostics and then saves the model,
114   # mcmc diagnostics and gof object in a list.
115   # This list can be imported as an .RDS object into the R environment
116
117   # Diagnostics
118   if (mcmc) {
119     ergm::mcmc.diagnostics(model)
120   }
121
122   # The GOF must be adjusted otherwise it takes too long
123   # We do not limit the GOF by changing its range of parameters
124   gof <- ergm::gof(model,
125     control = ergm::control.gof.ergm(
126       nsim = 200,
127       MCMC.burnin = 5000,
128       MCMC.interval = 1000,
129       parallel = n_cores,
130       parallel.type = "PSOCK"
131     ))

```

```

132
133 # Return List to view each item separately
134 result <- list(model, gof)
135 names(result) <- c("model", "gof")
136 save_ergm(result, paste0(name, "_panel"))
137
138 return(result)
139 }
140 # -----
141 # Find max degree
142 (max_deg <- max(summary(bondora_net ~ b2factor("b2_loantype")))) #
143 #
144 # Base Model + GOF
145 formula_base_model <- bondora_net ~ edges
146 base_erm <- ergm::ergm(formula_base_model)
147 base_erm_panel <- auto_erm(base_erm, mcmc = FALSE, name = "ergm_base")
148 snafun::stat_plot_gof(base_erm_panel$gof)
149 models = list(base_erm)
150 texreg::screenreg(models)
151 #
152 # Base Model + Edge Counts + GOF
153 #base_model_counts <- ergm::ergm(bondora_net ~ edges, response="frequency",
154 #                                     reference = ~ Poisson)
155 #basemodel_counts_gof <- ergm::gof(base_model_counts)
156 #snafun::stat_plot_gof(basemodel_counts_gof)
157 #
158 #texreg::screenreg(list(base_model, base_model_counts))
159 #
160 # Iteration 1 + MCMC Diagnostics + GOF
161 model_1_params <- bondora_net ~ edges +
162   # b1 decay can be very low since 9 b2
163   gwb1degree(decay=0.15, fixed=TRUE)
164
165 model_1 <- ergm::ergm(
166   model_1_params,
167
168   # Max b2 degree is 72, so this constraint is reasonable
169   # and helps convergence significantly.
170   # Technically in the Bondora population this can be
171   # far higher but we are studying a subsample.
172   #constraints = ~ bd(minout = 0, maxout = 80),
173
174   control = ergm::control.ergm(
175     # Greater burn-in for cleaner result
176     MCMC.burnin = 20000,
177     # Greater sample size for greater stability
178     MCMC.samplesize = 100000,
179     seed = 42,
180     MCMC.interval = 1000,
181     # Only needed for convergence pvals to improve
182     MCMC.maxit = 45,
183     # Smaller steps for stability
184     MCMC.steplength = 0.25,
185     parallel = n_cores,
186     parallel.type = "PSOCK"
187   )
188 )
189
190 model_1_panel <- auto_erm(model=model_1, mcmc=TRUE, name="ergm_m1")
191 model_1_panel$gof
192 snafun::stat_plot_gof(model_1_panel$gof)
193 texreg::screenreg(list(base_erm, model_1))
194 #
195 # Iteration 2 + MCMC Diagnostics + GOF
196 model_2_params <- bondora_net ~ edges +
197   # low decay important because there is high clustering around low degrees

```

```

198 gwb1degree(decay=0.15, fixed=TRUE) +
199 # decay should be higher due to wider variation in degree but
200 # too high of degree makes the traces concentrated around the tails.
201 gwb1dsp(decay=0.5, fixed=TRUE)
202
203 model_2 <- ergm::ergm(
204   model_2_params,
205
206   # Max b2 degree is 72, so this constraint is reasonable
207   # and helps convergence significantly.
208   # Technically in the Bondora population this can be
209   # far higher but we are studying a subsample.
210   constraints = ~ bd(minout = 0, maxout = 80),
211
212   control = ergm::control.ergm(
213     # Greater burn-in for cleaner result
214     MCMC.burnin = 20000,
215     # Greater sample size for greater stability
216     MCMC.samplesize = 100000,
217     seed = 42,
218     MCMC.interval = 1000,
219     # Only needed for convergence pvals to improve
220     MCMLE.maxit = 45,
221     # Smaller steps for stability
222     MCMLE.steplength = 0.25,
223     parallel = n_cores,
224     parallel.type = "PSOCK"
225   )
226 )
227
228 model_2_panel <- auto_ergm(model=model_2, mcmc=TRUE, name="ergm_m2")
229 snafun::stat_plot_gof(model_2_panel$gof)
230 model_2_panel$gof
231 models <- list(base_ergm, model_1, model_2)
232 texreg::screenreg(models)
233 # -----
234 # Iteration 3 + MCMC Diagnostics + GOF
235 model_3_params <- bondora_net ~ edges +
236   # low decay important because there is high clustering around low degrees
237   gwb1degree(decay=0.15, fixed=TRUE) +
238   # decay should be higher due to wider variation in degree but
239   # too high of degree makes the traces concentrated around the tails.
240   gwb1dsp(decay=0.5, fixed=TRUE) +
241   # See differences across genders (implicitly, since b1nodemix unavailable)
242   b1nodematch("b1_gender", diff=FALSE)
243
244 model_3 <- ergm::ergm(
245   model_3_params,
246
247   # Max b2 degree is 72, so this constraint is reasonable
248   # and helps convergence significantly.
249   # Technically in the Bondora population this can be
250   # far higher but we are studying a subsample.
251   constraints = ~ bd(minout = 0, maxout = 80),
252
253   control = ergm::control.ergm(
254     # Greater burn-in for cleaner result
255     MCMC.burnin = 20000,
256     # Greater sample size for greater stability
257     MCMC.samplesize = 100000,
258     seed = 42,
259     MCMC.interval = 1000,
260     # Only needed for convergence pvals to improve
261     MCMLE.maxit = 45,
262     # Smaller steps for stability
263     MCMLE.steplength = 0.25,

```

```

264     parallel = n_cores,
265     parallel.type = "PSOCK"
266   )
267 )
268
269 model_3_panel <- auto_ergm(model=model_3, mcmc=TRUE, name="ergm_m3")
270 snafun::stat_plot_gof(model_3_panel$gof)
271 model_3_panel$gof
272 models <- list(base_ergm, model_1, model_2, model_3)
273 texreg::screenreg(models)
274 # -----
275 # Iteration 4 + MCMC Diagnostics + GOF
276 model_4_params <- bondora_net ~ edges +
277   # low decay important because there is high clustering around low degrees
278   gwb1degree(decay=0.15, fixed=TRUE) +
279   # decay should be higher due to wider variation in degree but
280   # too high of degree makes the traces concentrated around the tails.
281   gwb1dsp(decay=0.5, fixed=TRUE) +
282   # See differences across genders (implicitly, since b1nodemix unavailable)
283   b1nodematch("b1_gender", diff=TRUE) +
284   # See if higher ages make a difference
285   b1cov("b1_age")
286
287 model_4 <- ergm::ergm(
288   model_4_params,
289
290   # Max b2 degree is 72, so this constraint is reasonable
291   # and helps convergence significantly.
292   # Technically in the Bondora population this can be
293   # far higher but we are studying a subsample.
294   constraints = ~ bd(minout = 0, maxout = 80),
295
296   control = ergm::control.ergm(
297     # Greater burn-in for cleaner result
298     MCMC.burnin = 20000,
299     # Greater sample size for greater stability
300     MCMC.samplesize = 100000,
301     seed = 42,
302     MCMC.interval = 1000,
303     # Only needed for convergence pvals to improve
304     MCMC.maxit = 45,
305     # Smaller steps for stability
306     MCMC.steplength = 0.25,
307     parallel = n_cores,
308     parallel.type = "PSOCK"
309   )
310 )
311
312 model_4_panel <- auto_ergm(model=model_4, mcmc=TRUE, name="ergm_m4")
313 model_4_panel$gof
314 snafun::stat_plot_gof(model_4_panel$gof)
315 models <- list(base_ergm, model_1, model_2, model_3, model_4)
316 texreg::screenreg(models)
317 # -----

```

scripts/ergm_network_analysis.R

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B Technology Statement

During the preparation of this work, we used ChatGPT in order to generate select parts of the R script utilised to process the dataset. Specifically, the tool was used to transform the processed dataset into a format that `igraph` would accept as a network object. No AI tool was utilised to write parts of the report. The following parts of the assignment were affected/generated by AI tool usage: **DATASET**; the data described within this section was processed partly by some code drafted by ChatGPT and edited by the group. After using this tool/service, **Samir Sabitli** evaluated the validity of the tool's outputs, including the sources that generative AI tools have used, and edited the content as needed. As a consequence, **Samir Sabitli** takes full responsibility for the content of their work.