GRAVITATIONAL LENSING LECTURE 17

Docente: Massimo Meneghetti AA 2016-2017

TODAY'S LECTURE

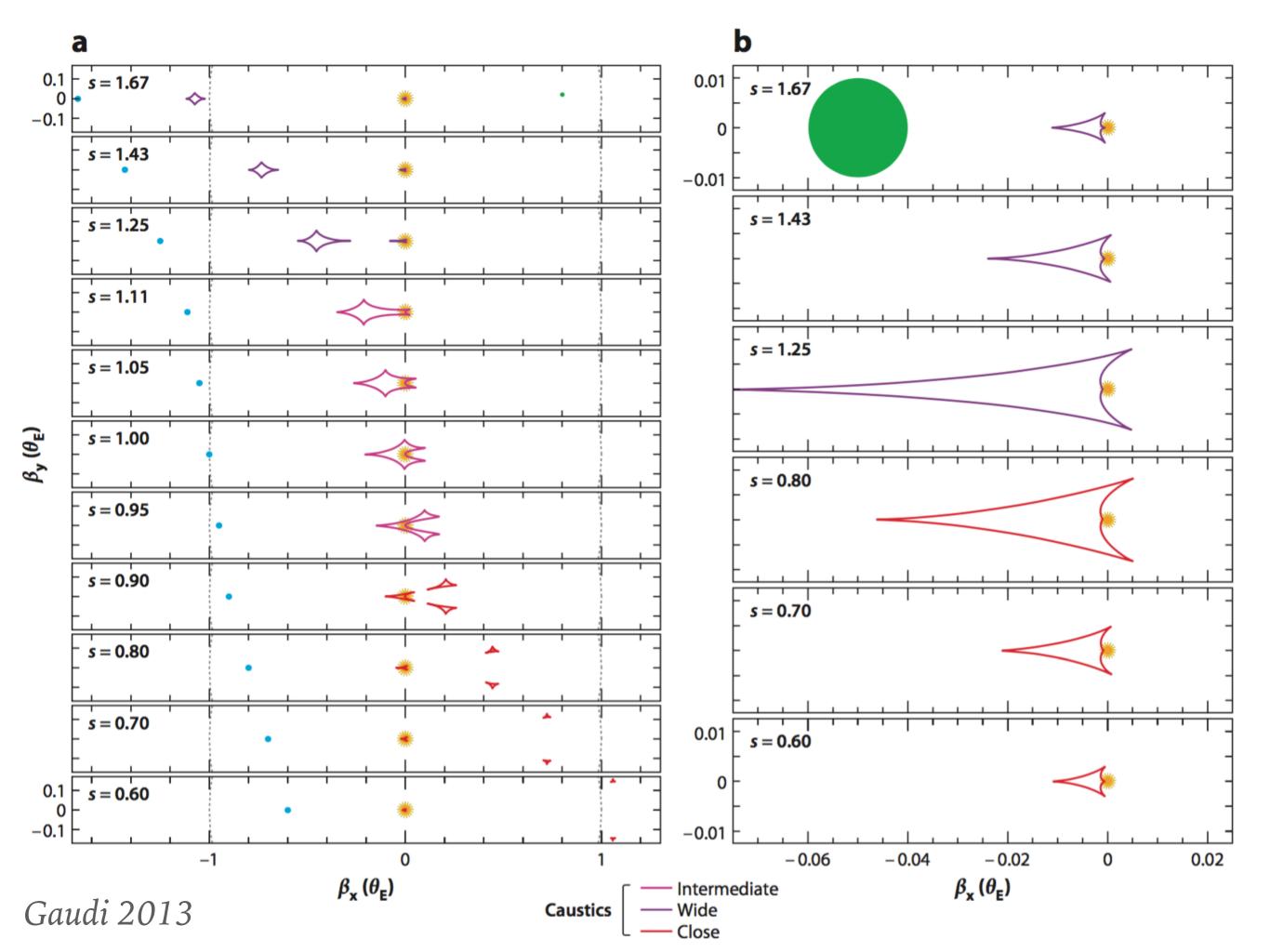
- Lensing by multiple point masses
 - ➤ Binary lenses
 - ➤ Planetary microlensing

PLANETARY MICROLENSING

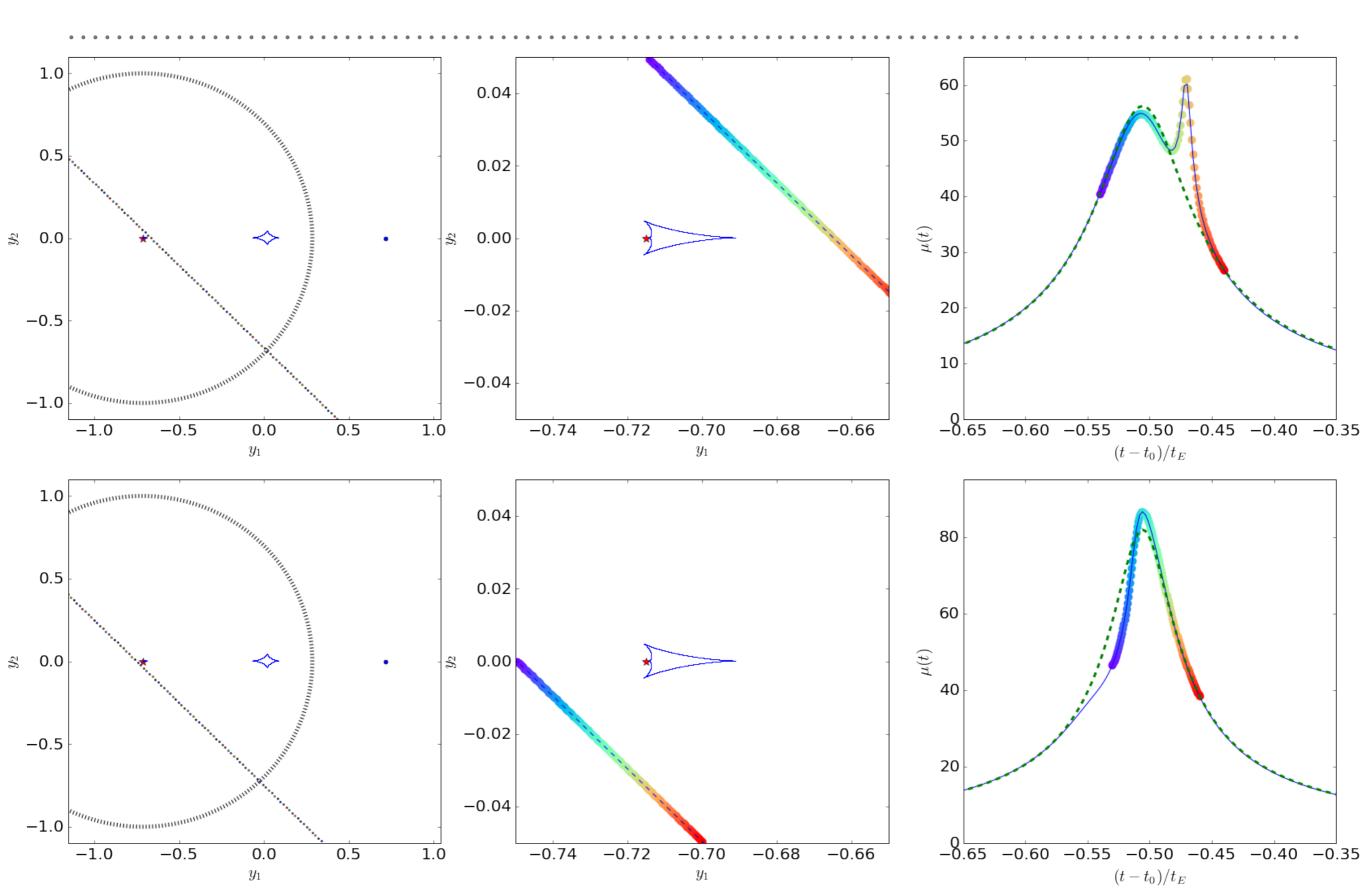
- ➤ Let us consider the system consisting of an host star and a planet orbiting around it.
- ➤ This is an example of binary lens
- ➤ The host star is of course much heavier than the planet!
 - \triangleright example: for a Jupiter-like planet q=0.001 (solar mass star)
 - > example: for a Earth-like planet q=0.000003

WHAT KIND OF SIGNAL?

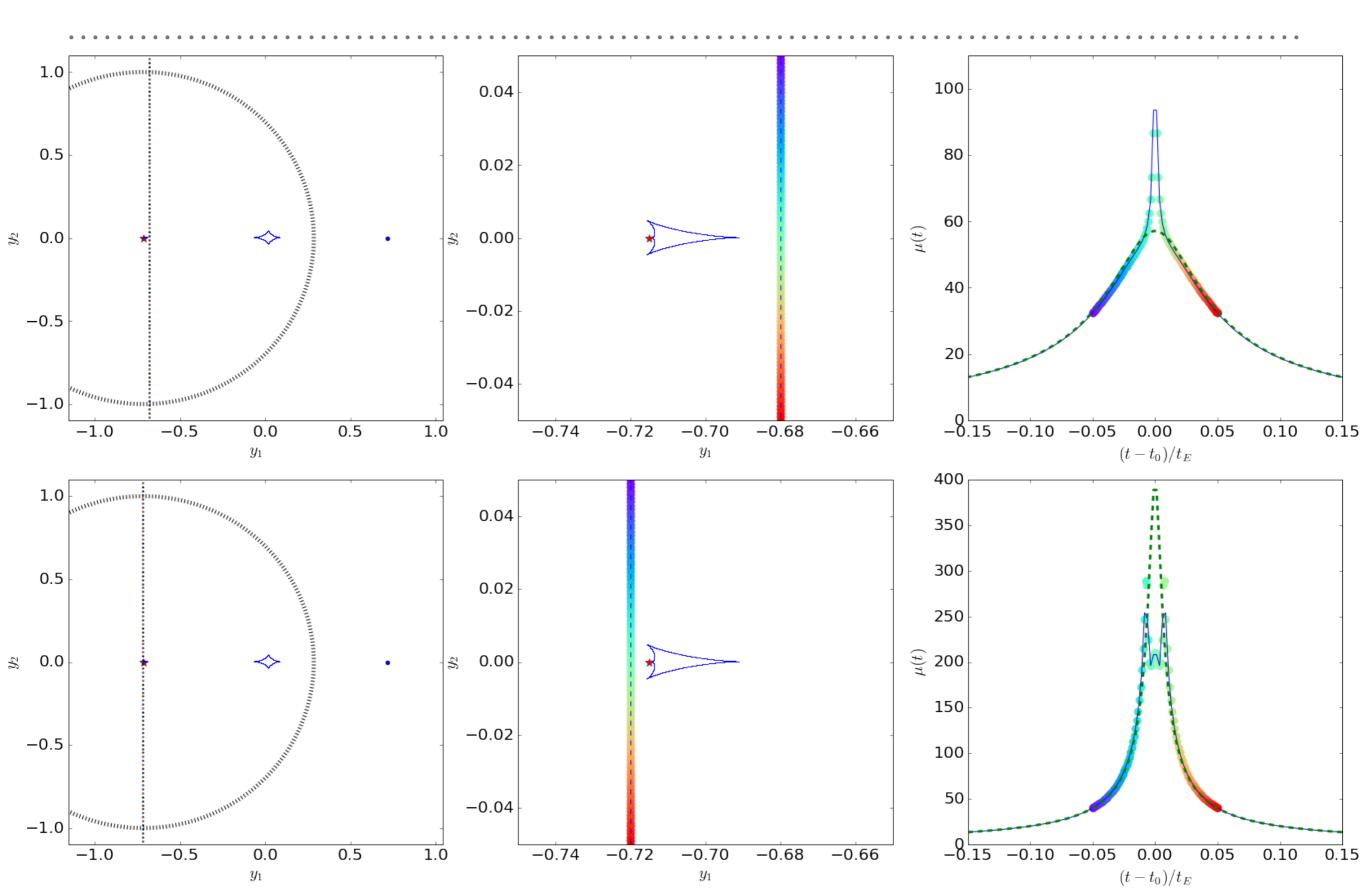
- ➤ The light curve is that of the star...
- ➤ The planet produces only a small perturbation to the magnification pattern, localized in a small region around the caustics
- ➤ Must cross one of these perturbed regions in order for the planet to be detected.
- ➤ The shape of the perturbation is determined by the caustic configuration...



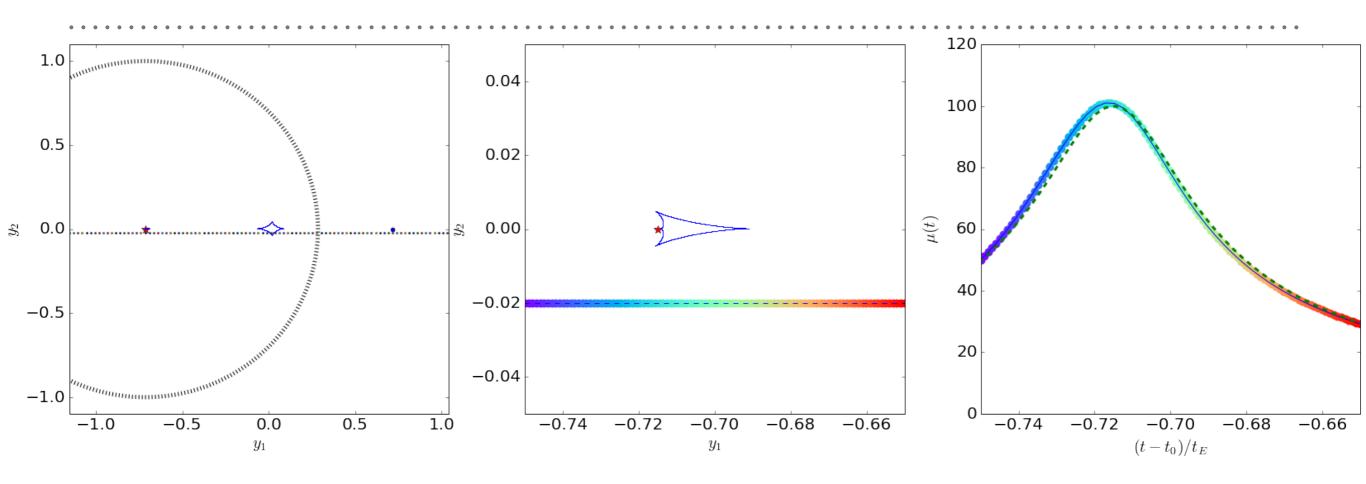
CENTRAL CAUSTIC PERTURBATIONS



CENTRAL CAUSTIC PERTURBATIONS

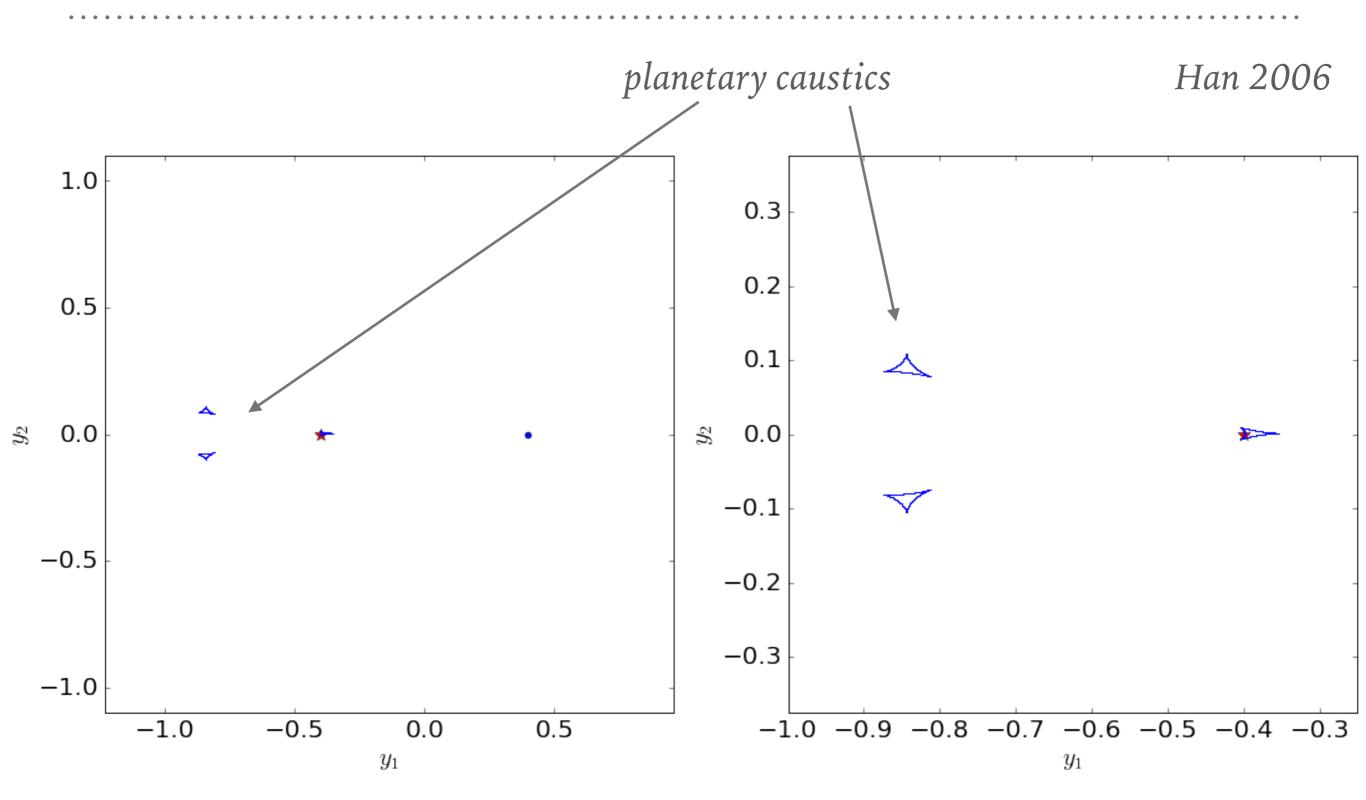


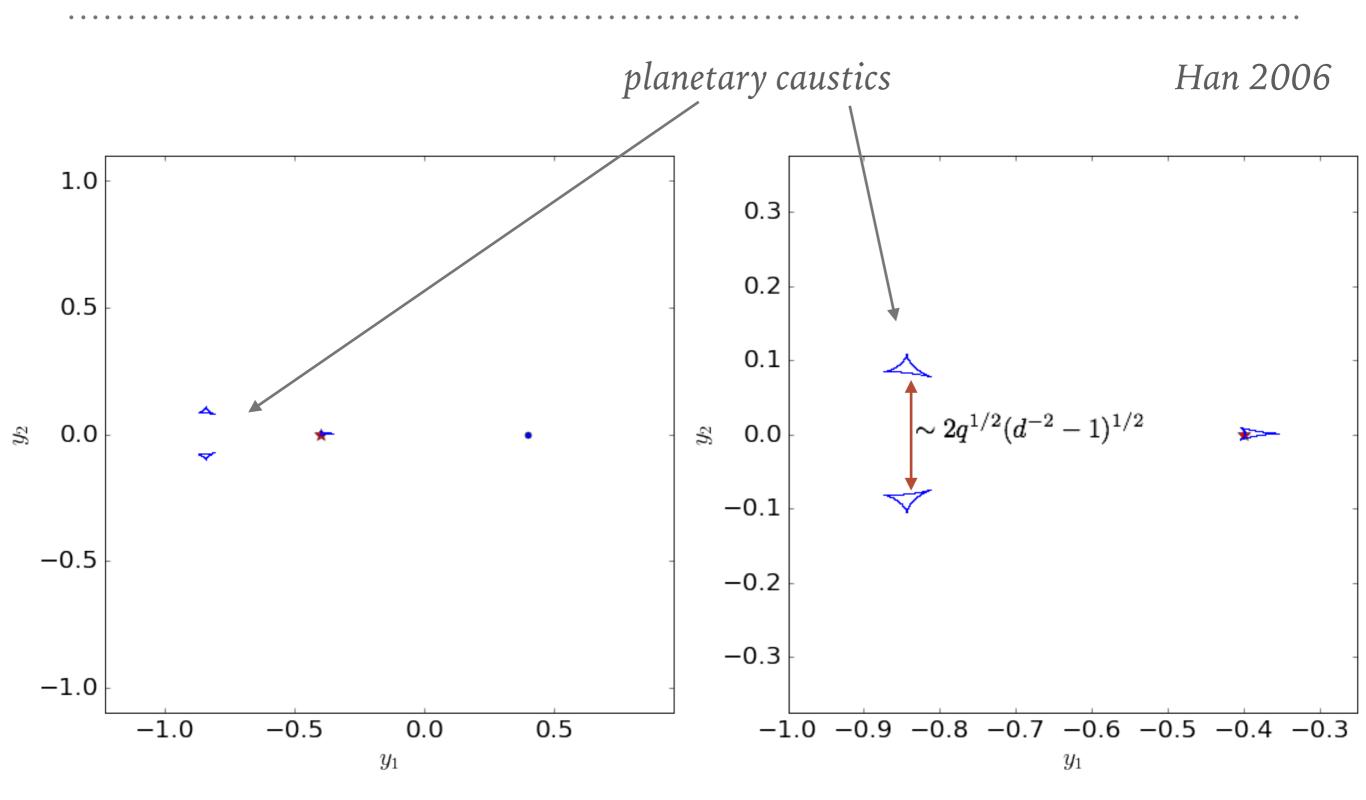
CENTRAL CAUSTIC PERTURBATIONS

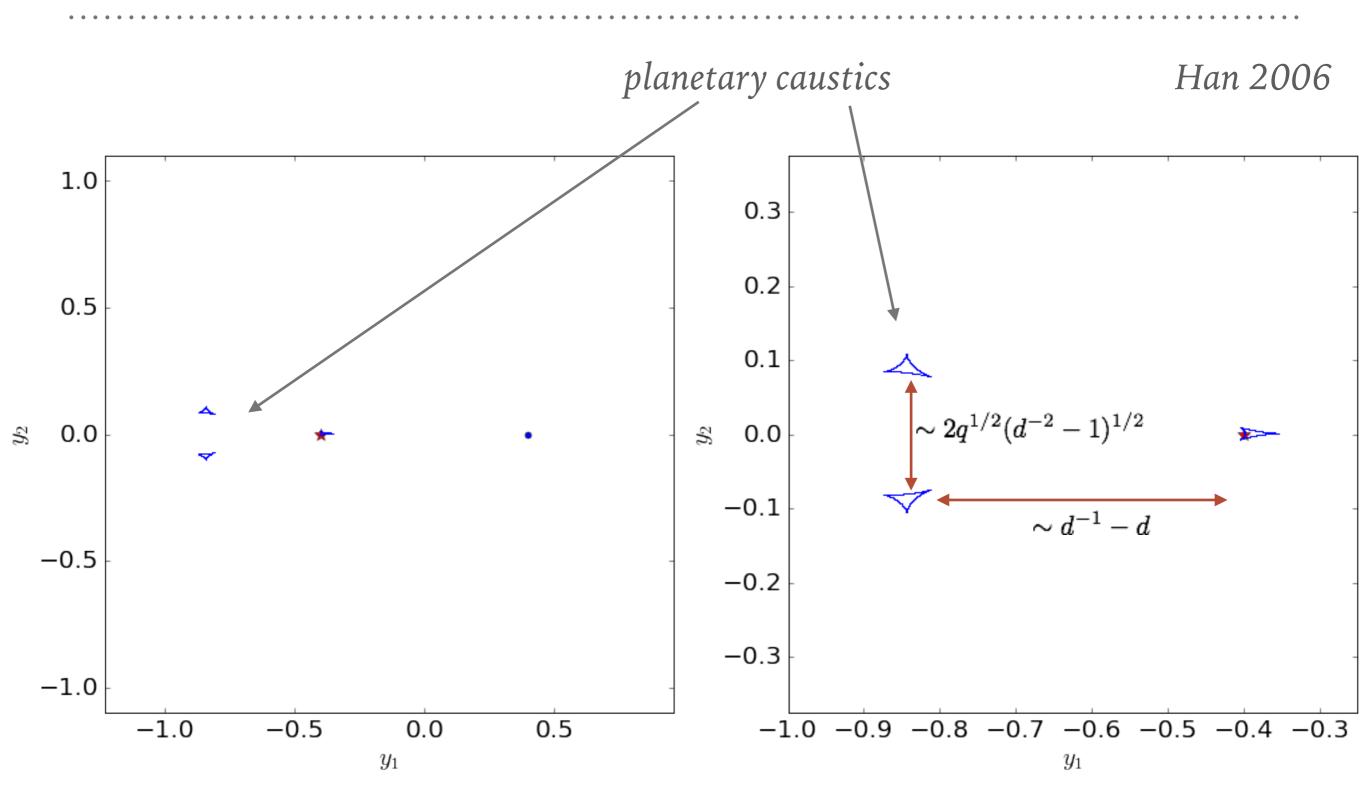


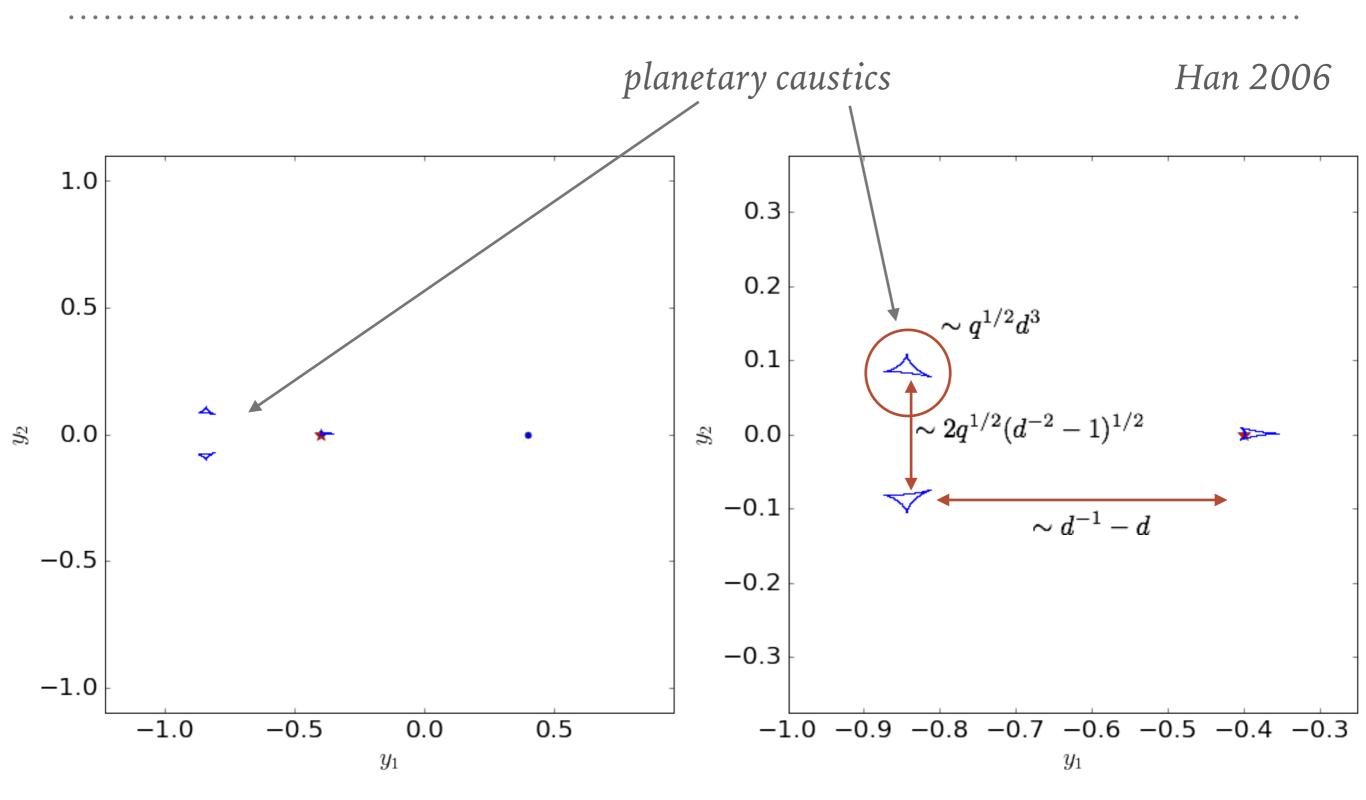
PLANET DETECTION THROUGH CENTRAL CUSP PERTURBATIONS

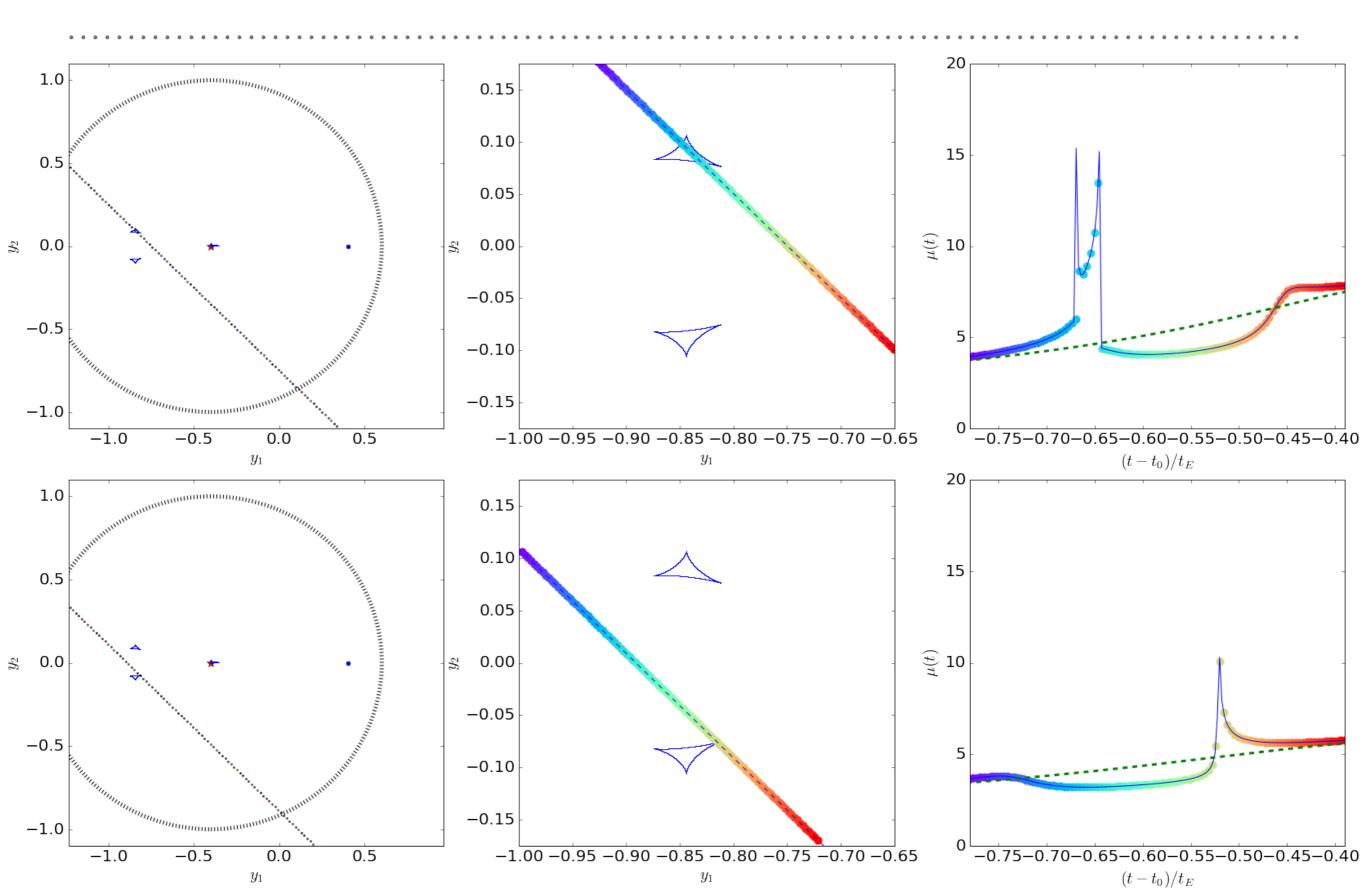
- ➤ Only possible in the case of high magnification events (sources passing very close to the host stars)
- For this reason, they are rare events
- ➤ Advantages:
 - near the peak of the event
 - > can sometimes be predicted in advance
 - high magnification makes possible to follow-up the events using small telescopes
 - > more accurate photometry (and easier separation of source and lens
- Disadvantages:
 - degeneracy wide-close topologies

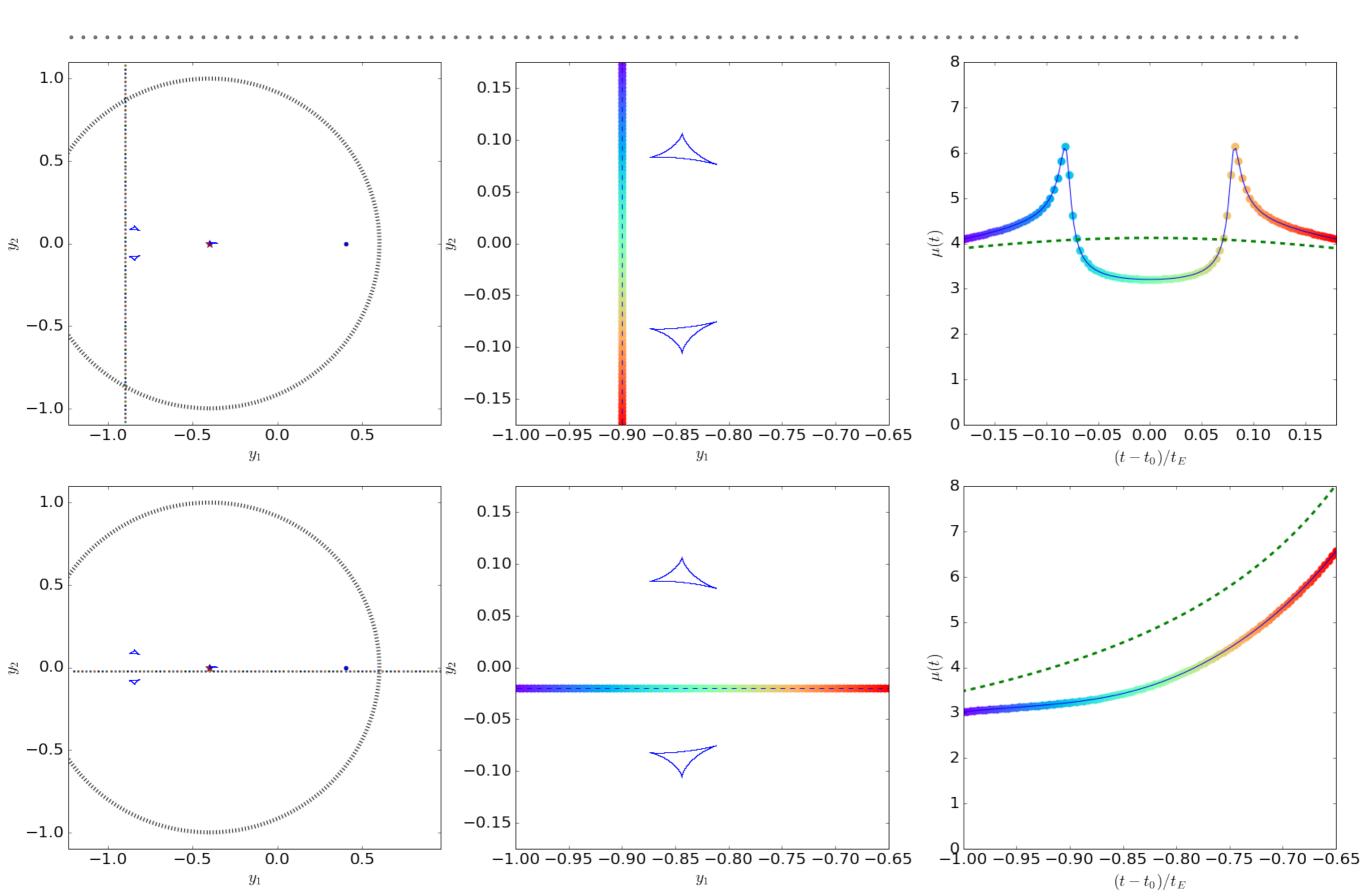


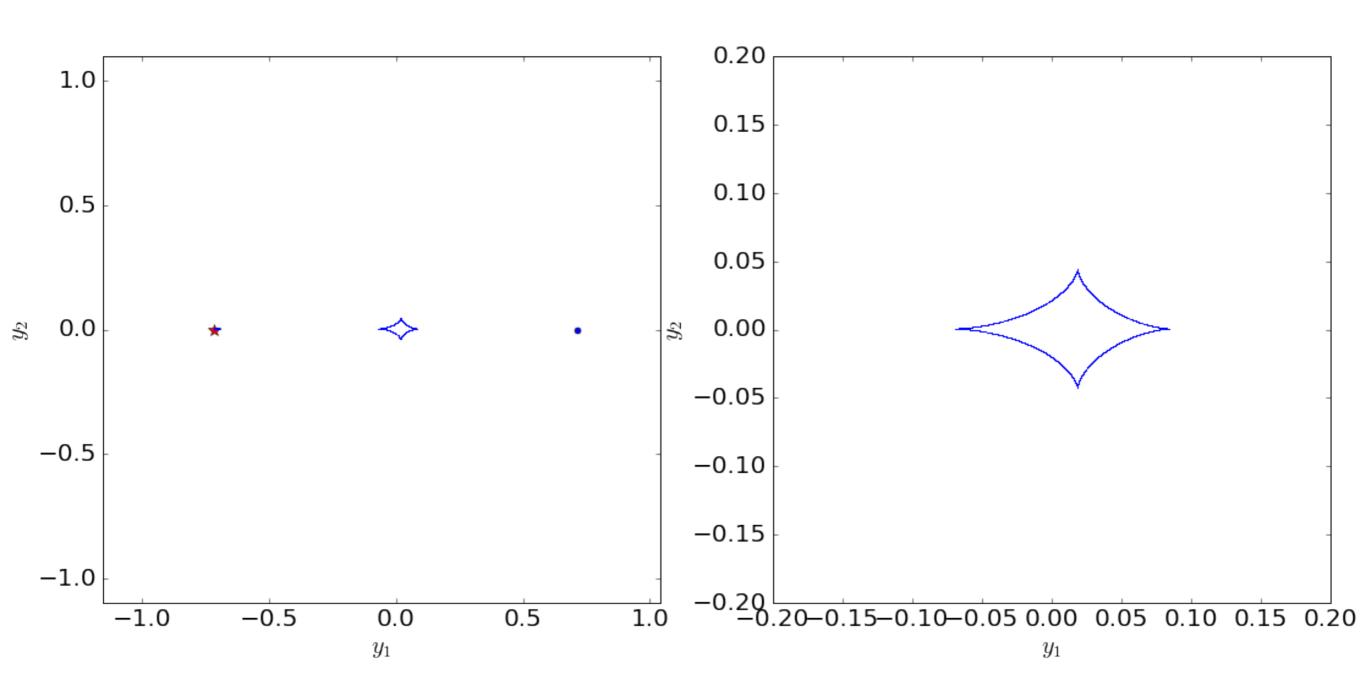


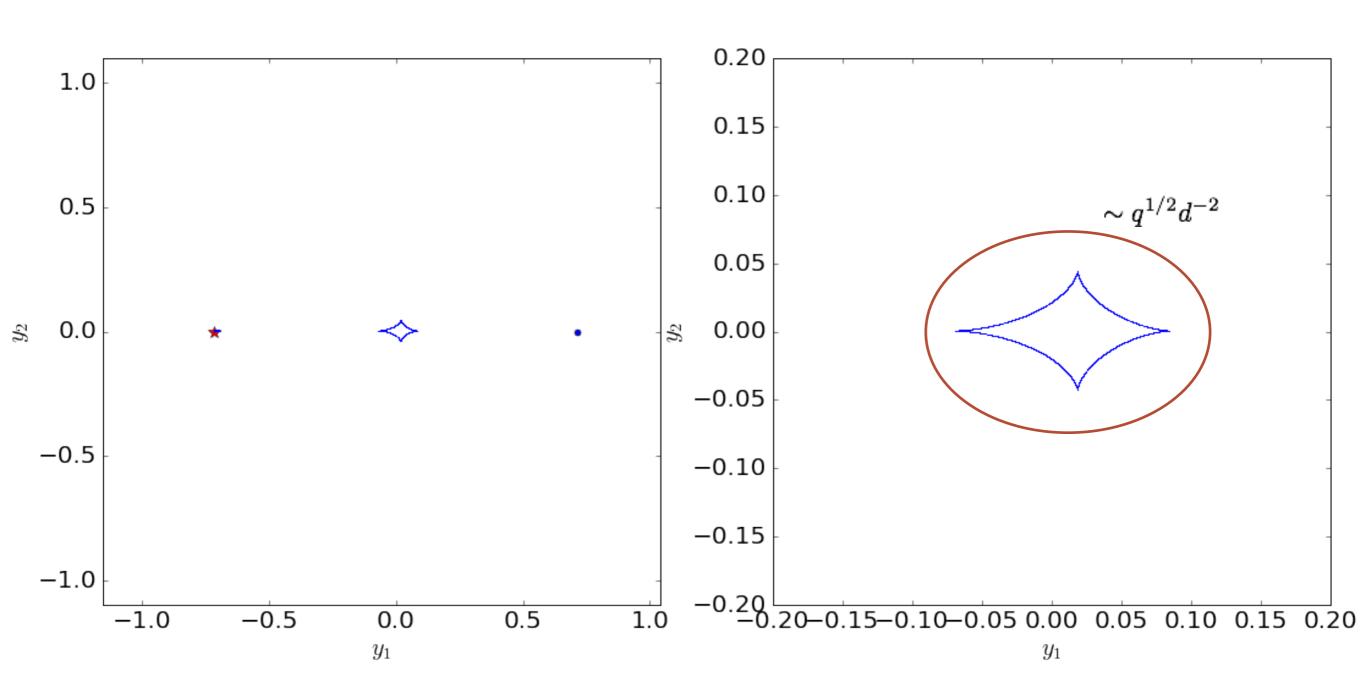


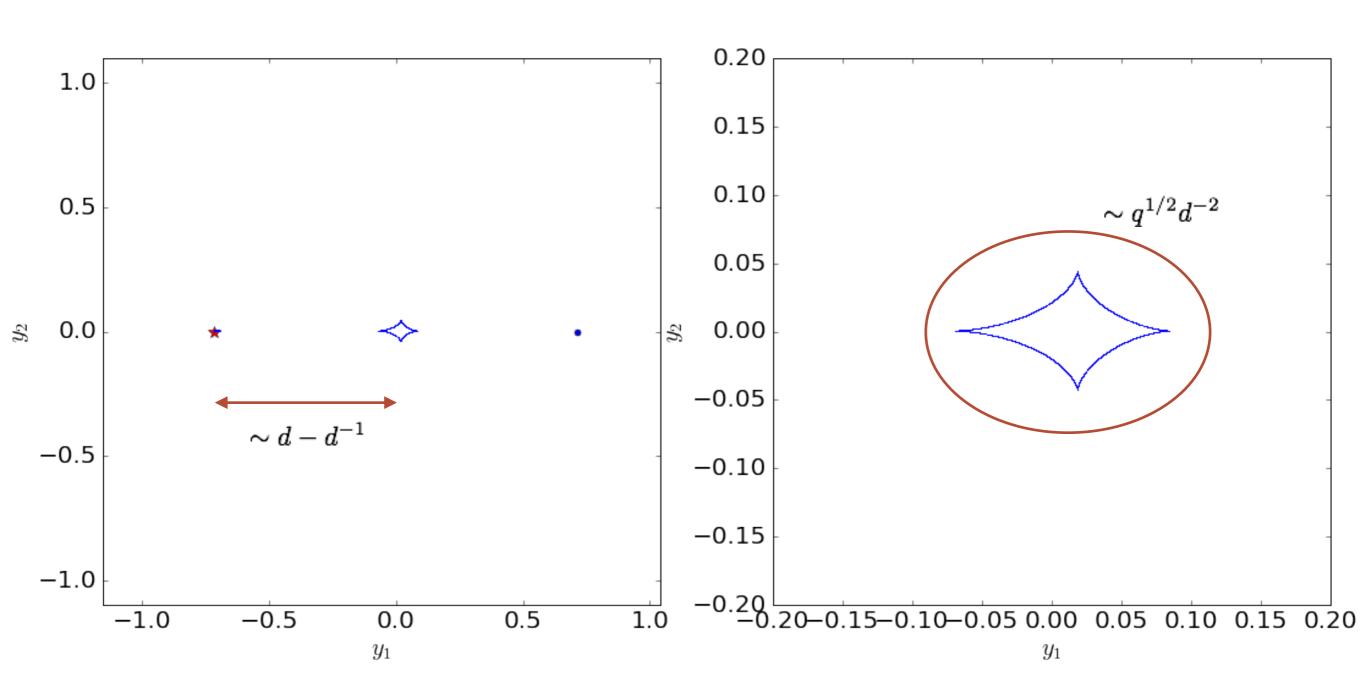


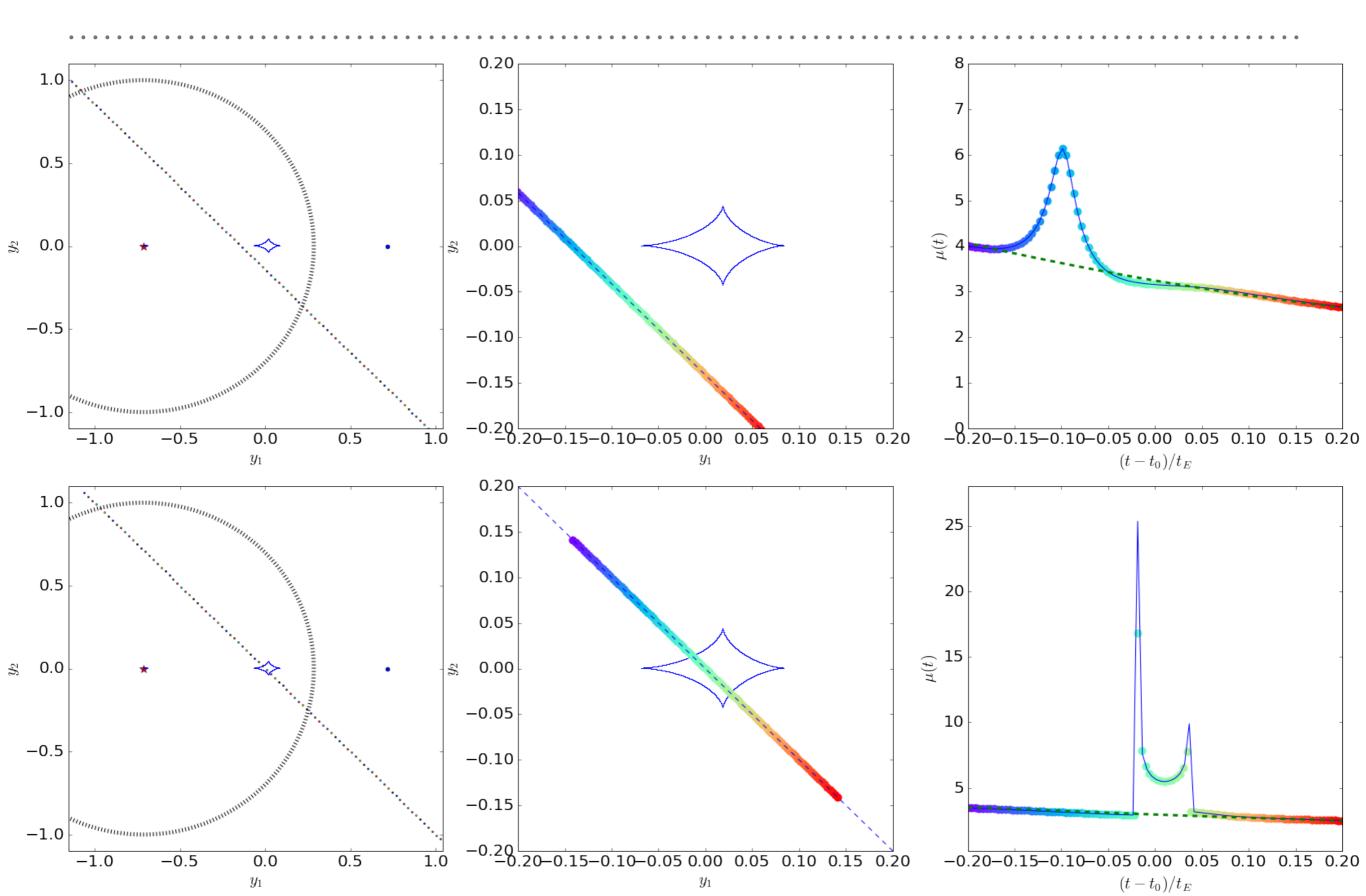


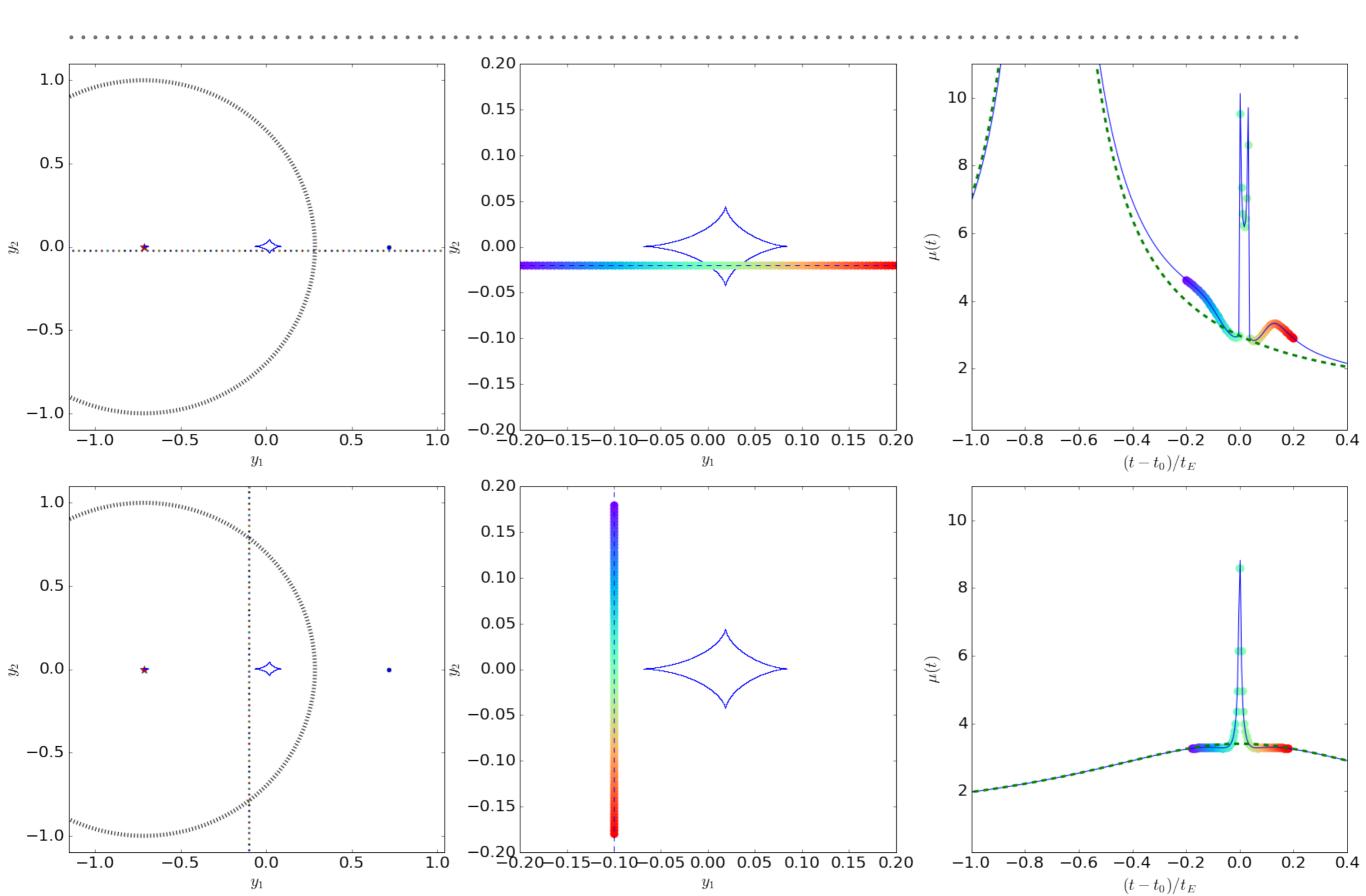


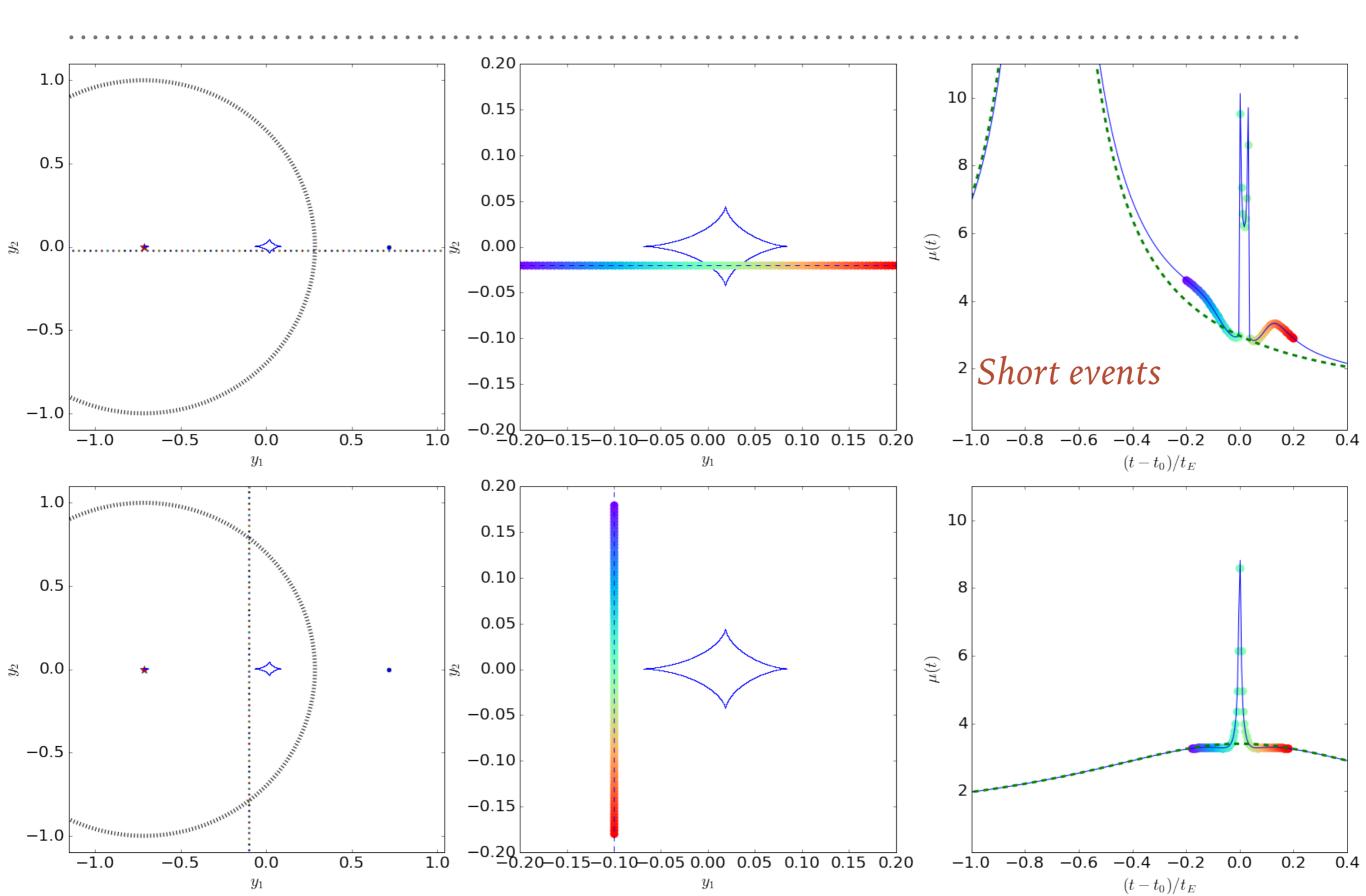


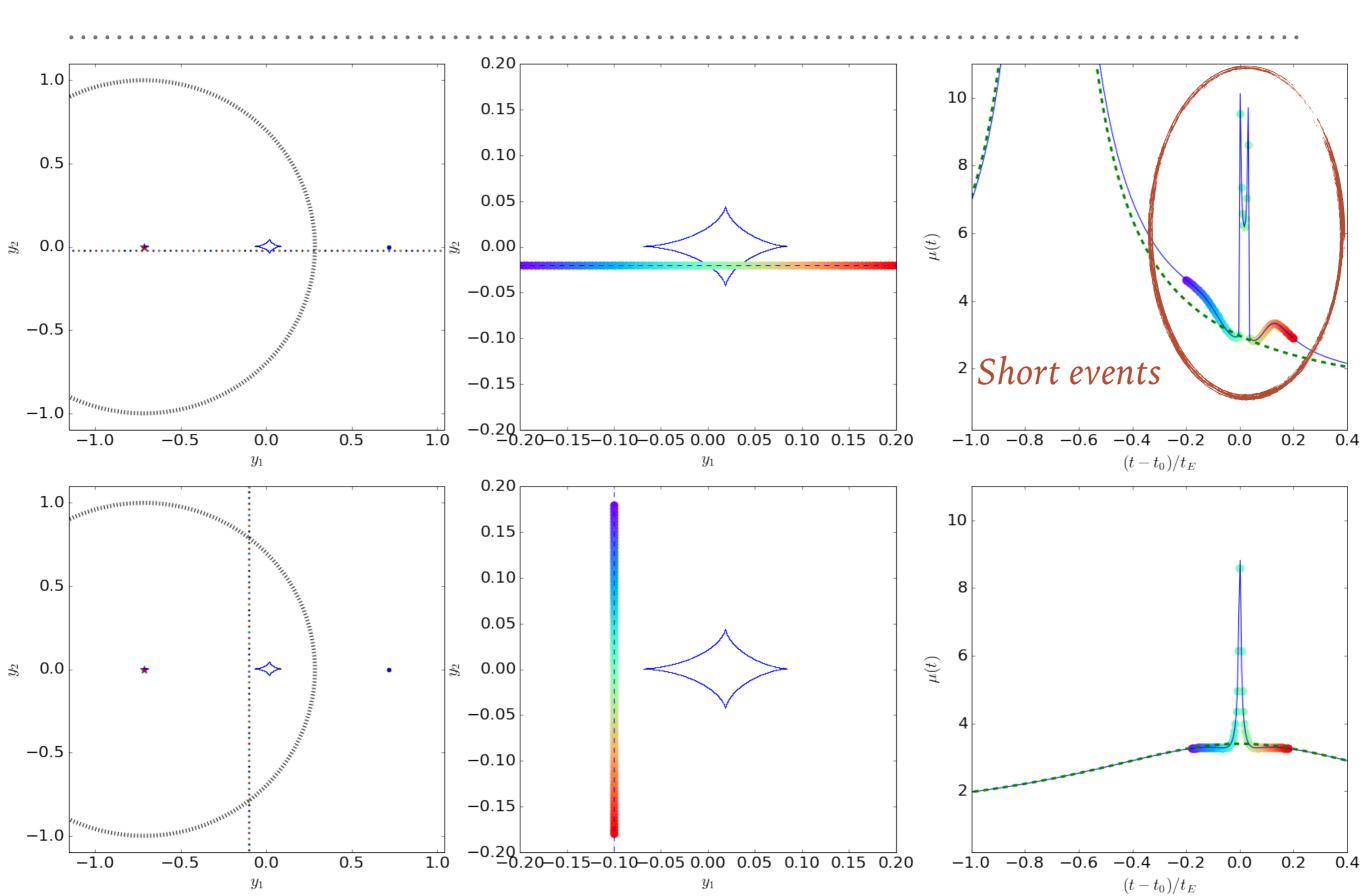




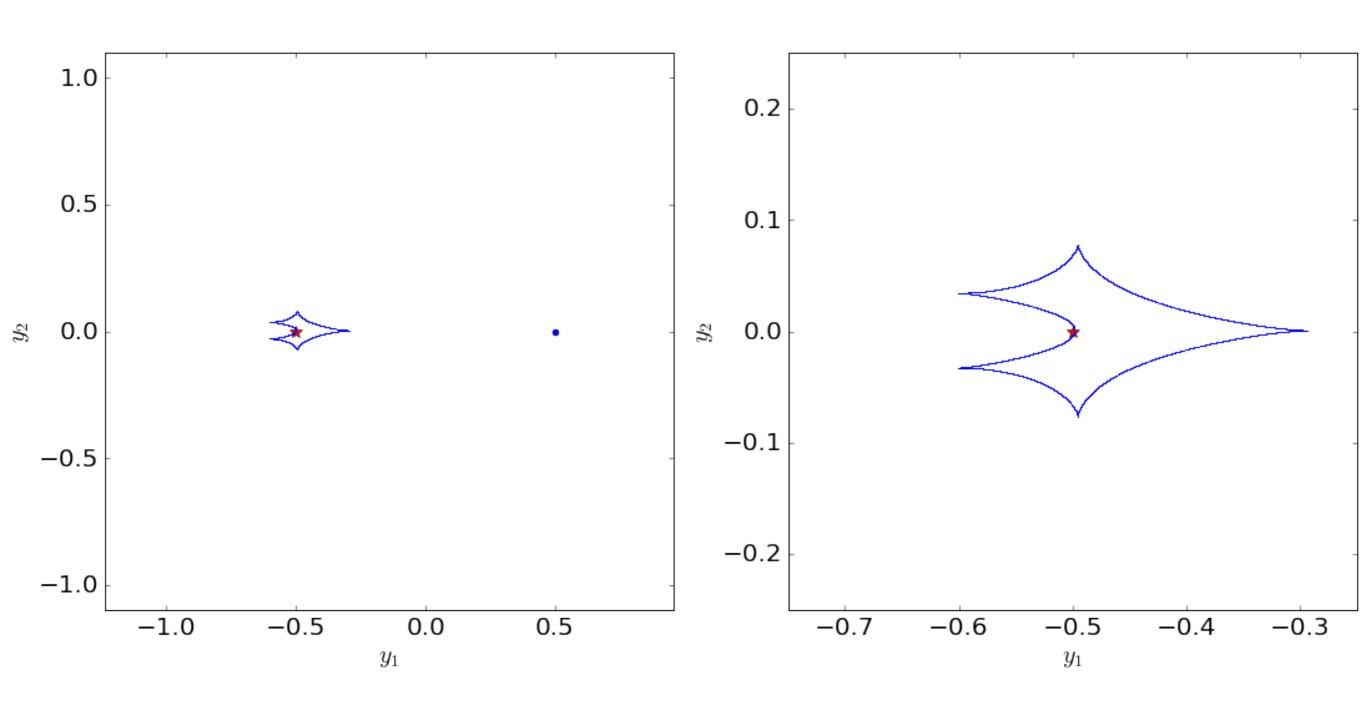




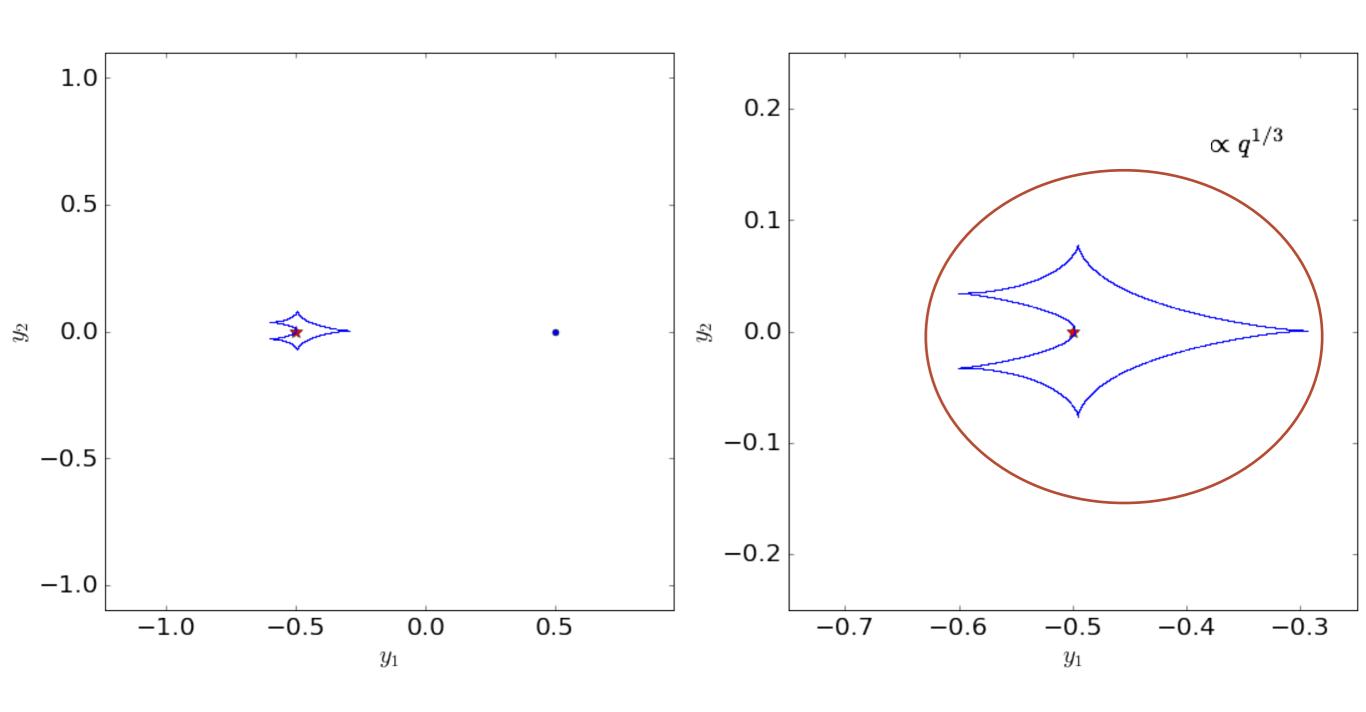


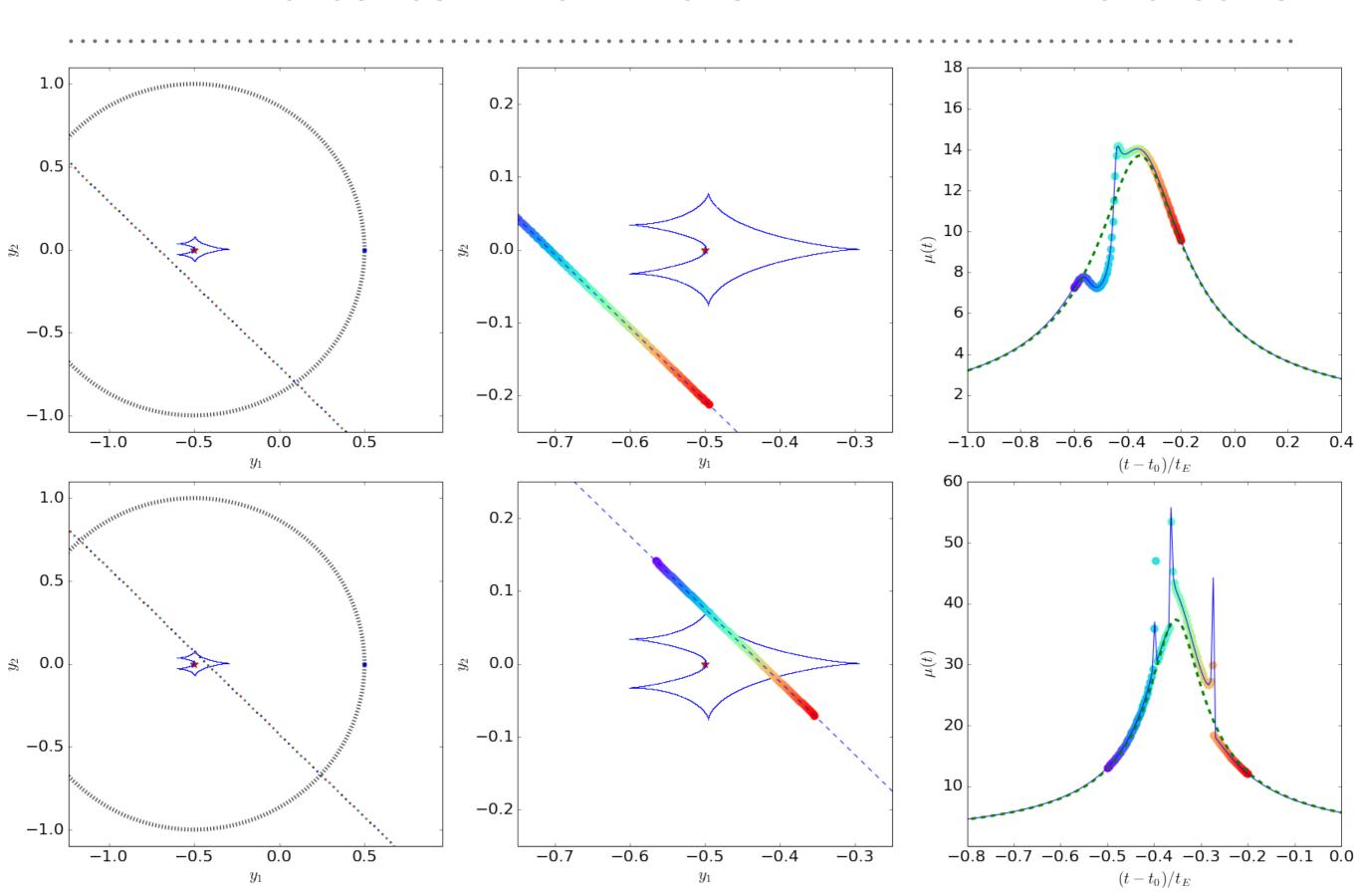


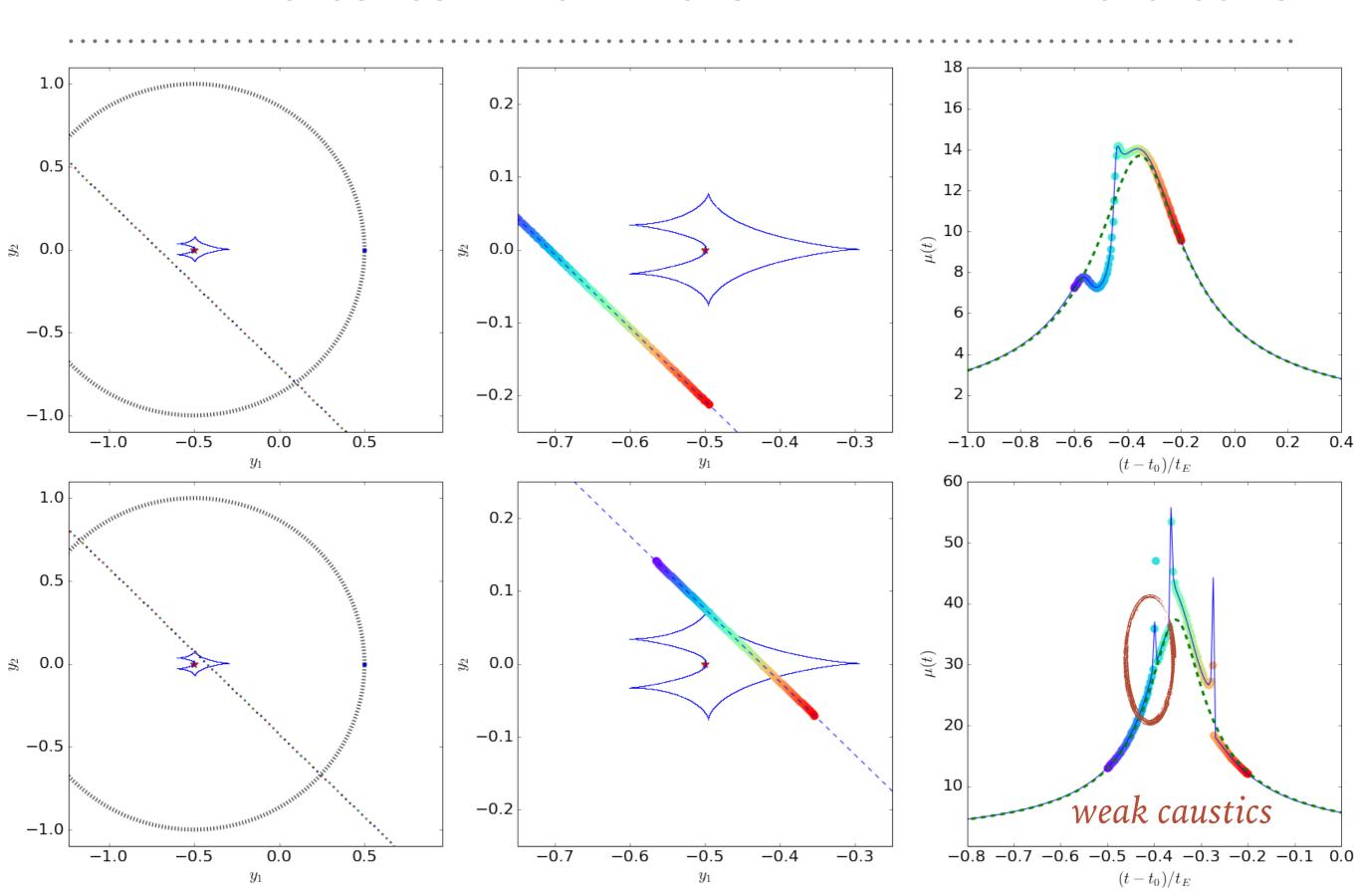
PLANETARY CAUSTICS IN INTERMEDIATE TOPOLOGIES

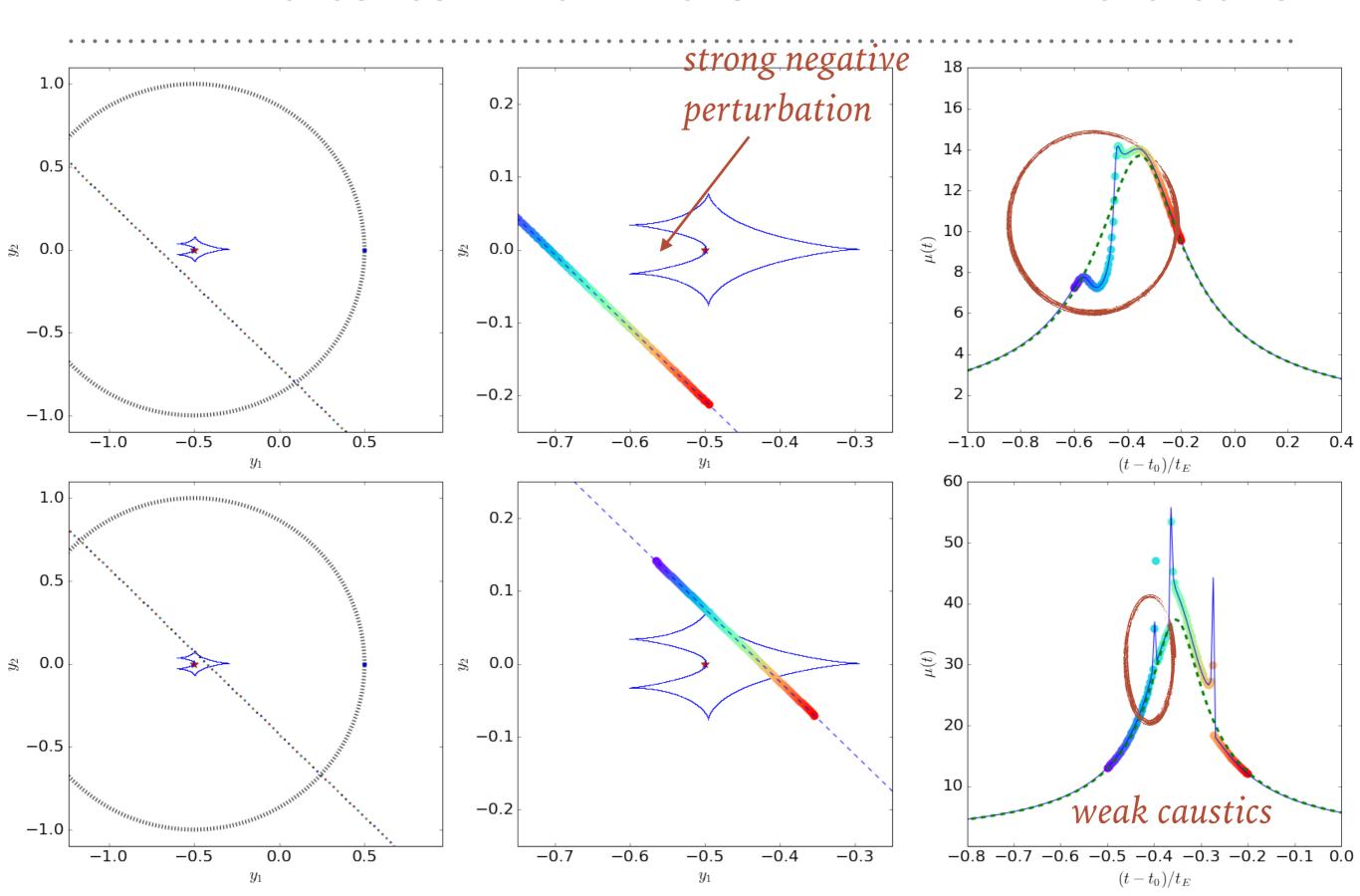


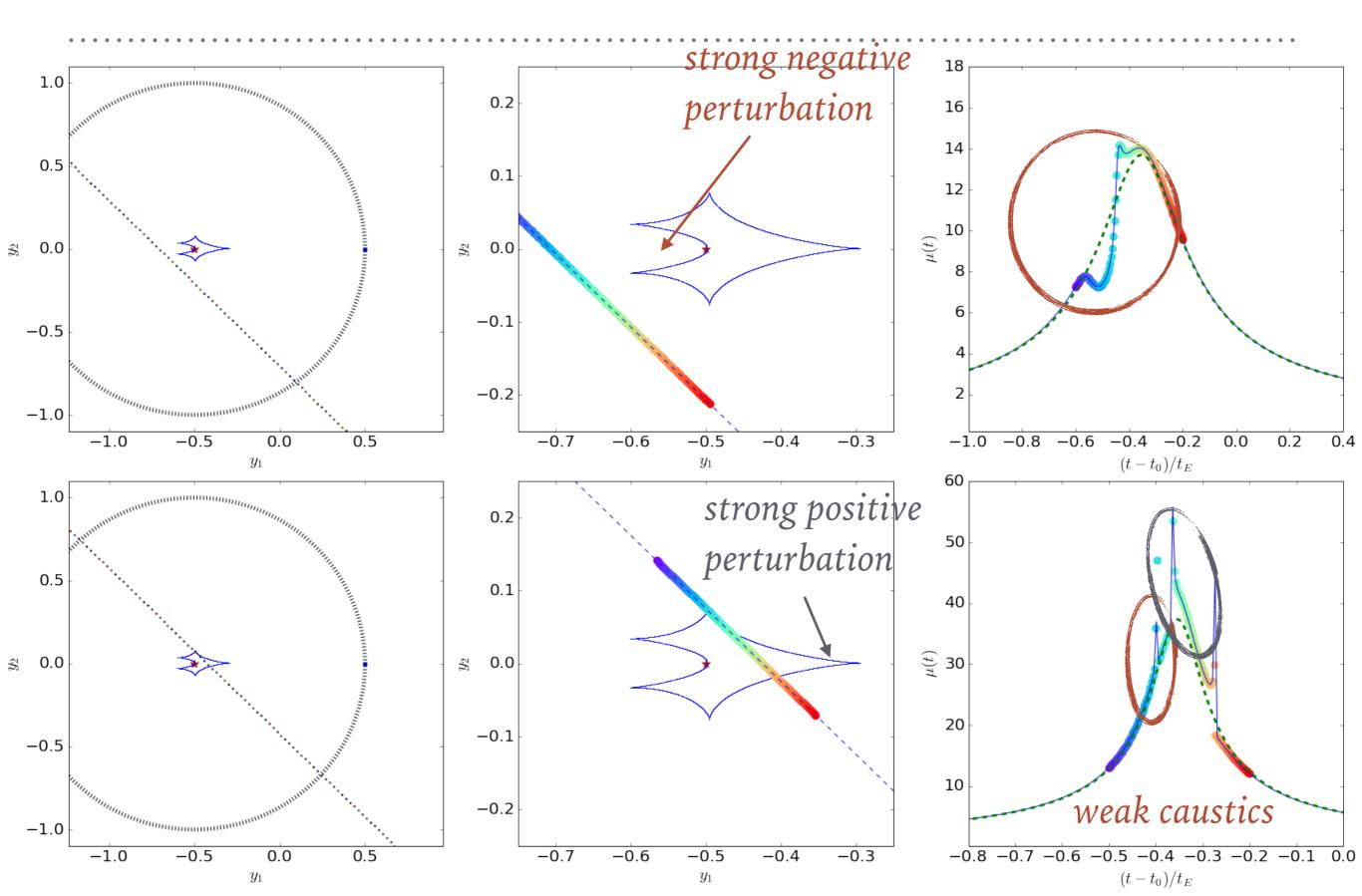
PLANETARY CAUSTICS IN INTERMEDIATE TOPOLOGIES









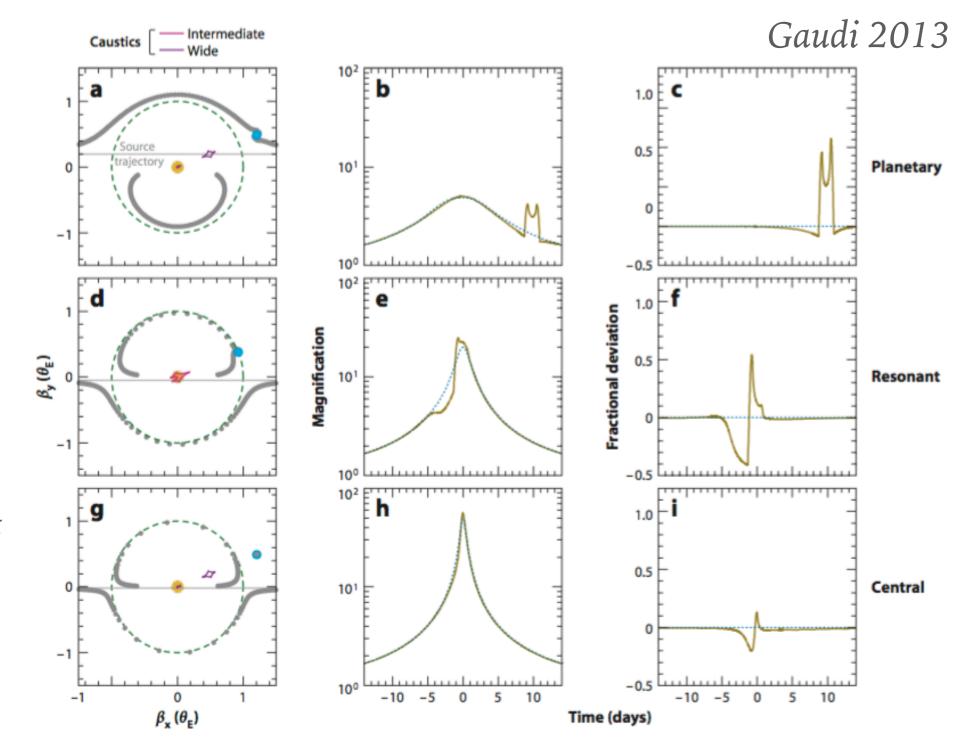


TO SUMMARIZE

- ➤ different caustic topologies give rise to different kind of perturbations on the light curves
- > planets can be detected in only a few qualitatively different ways:
 - ➤ at relatively low magnification of the primary, if the source crosses the planetary caustics from close or wide planets
 - ➤ near the peak of the light curve, if the source has a small impact parameter, in both cases of wide and close planets
 - ➤ at modest to high-magnification, through the perturbations from the resonant caustic.
 - ➤ in the case of free-floating planets, as single, short time-scale events.

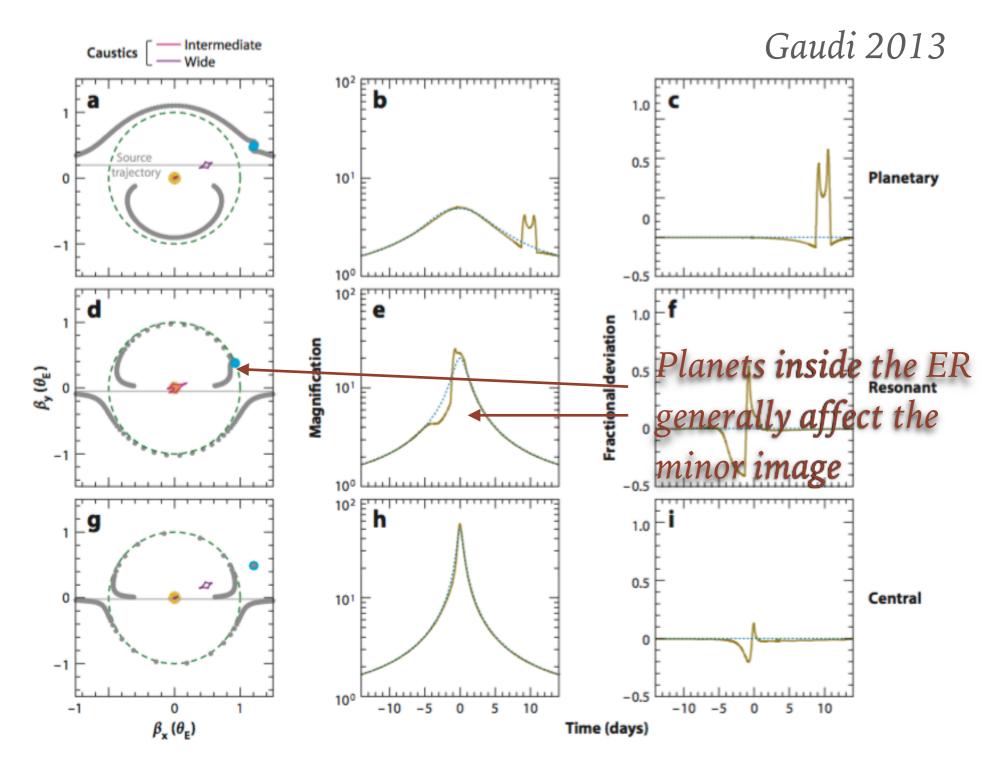
> there is also an astrometric perturbation...

The planet can be detected when it perturbs one of the two images of the source!



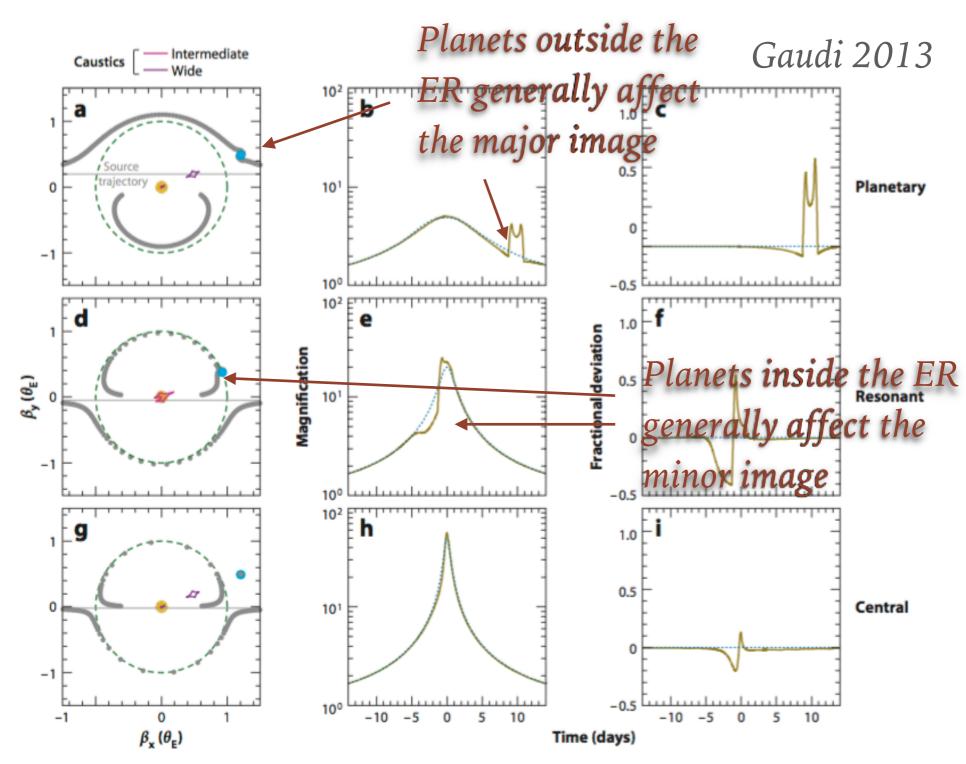
> there is also an astrometric perturbation...

The planet can be detected when it perturbs one of the two images of the source!



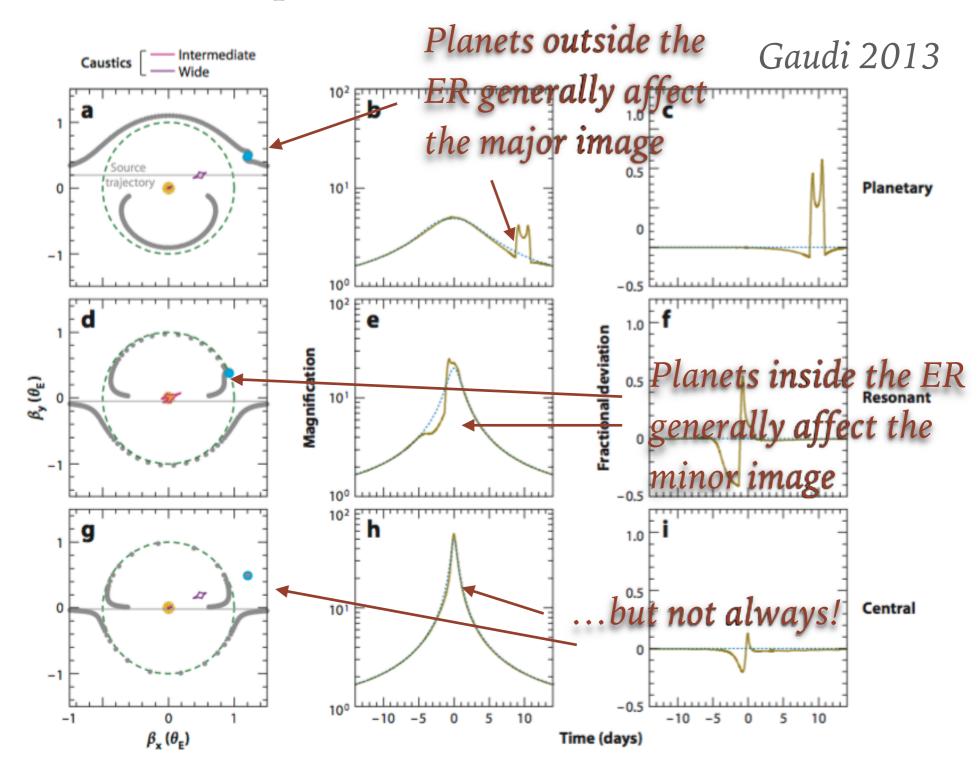
> there is also an astrometric perturbation...

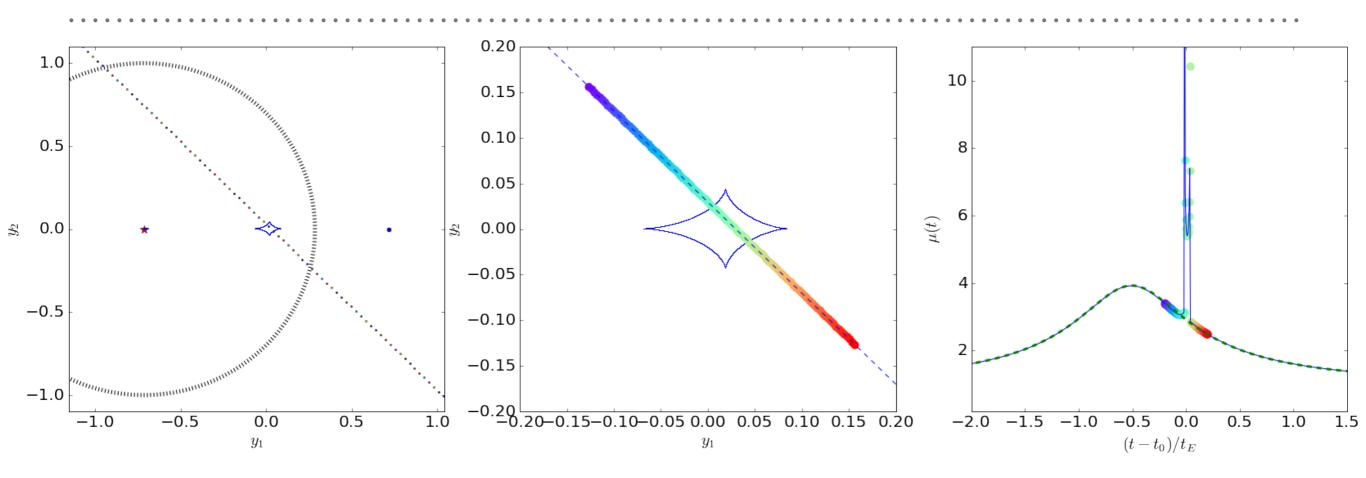
The planet can be detected when it perturbs one of the two images of the source!



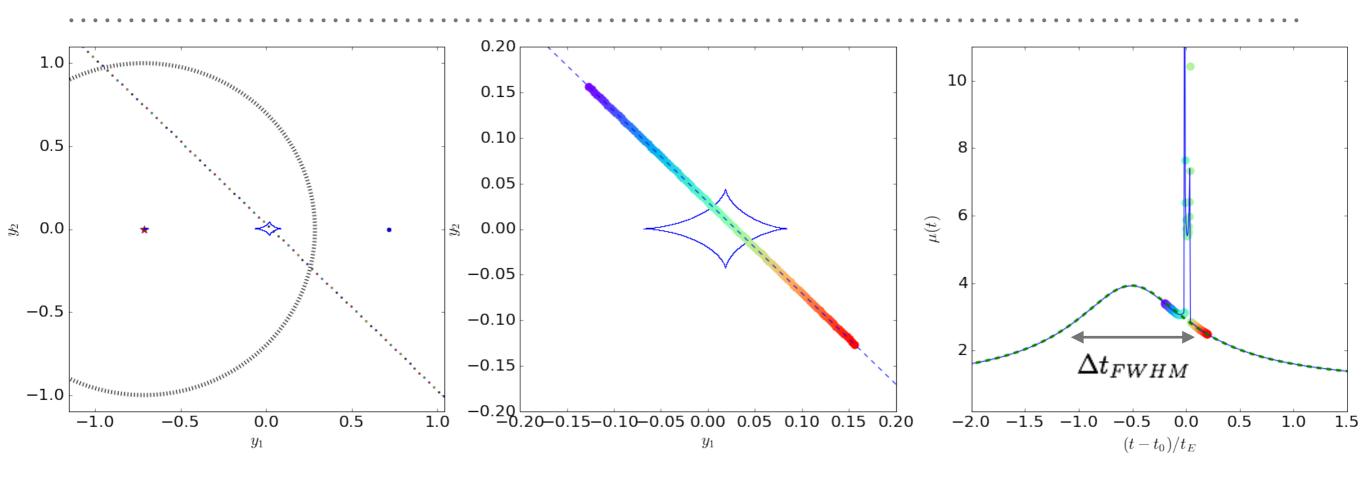
> there is also an astrometric perturbation...

The planet can be detected when it perturbs one of the two images of the source!

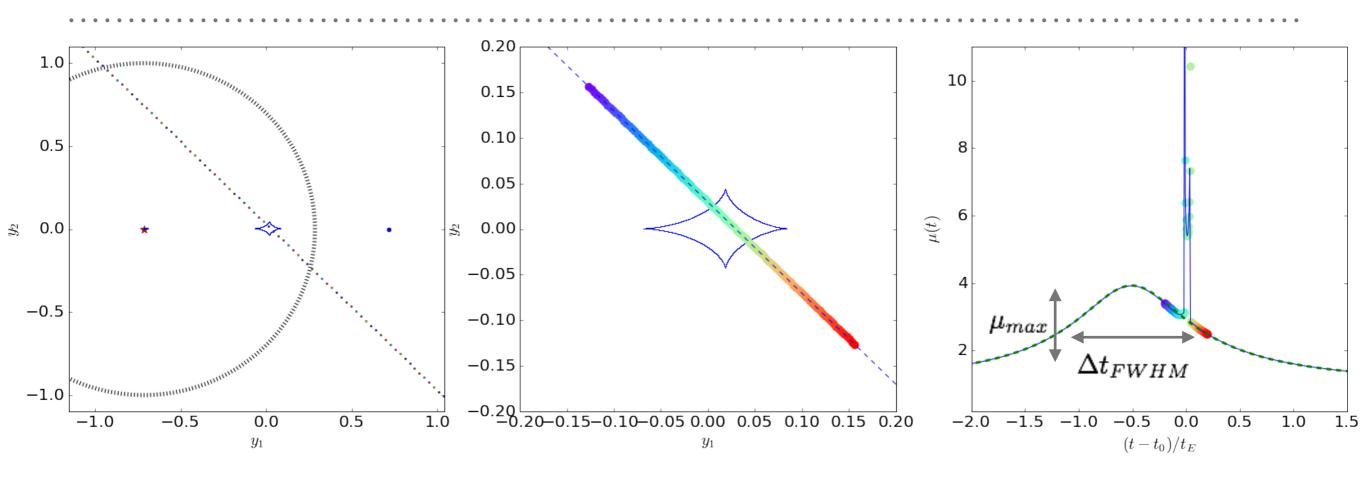




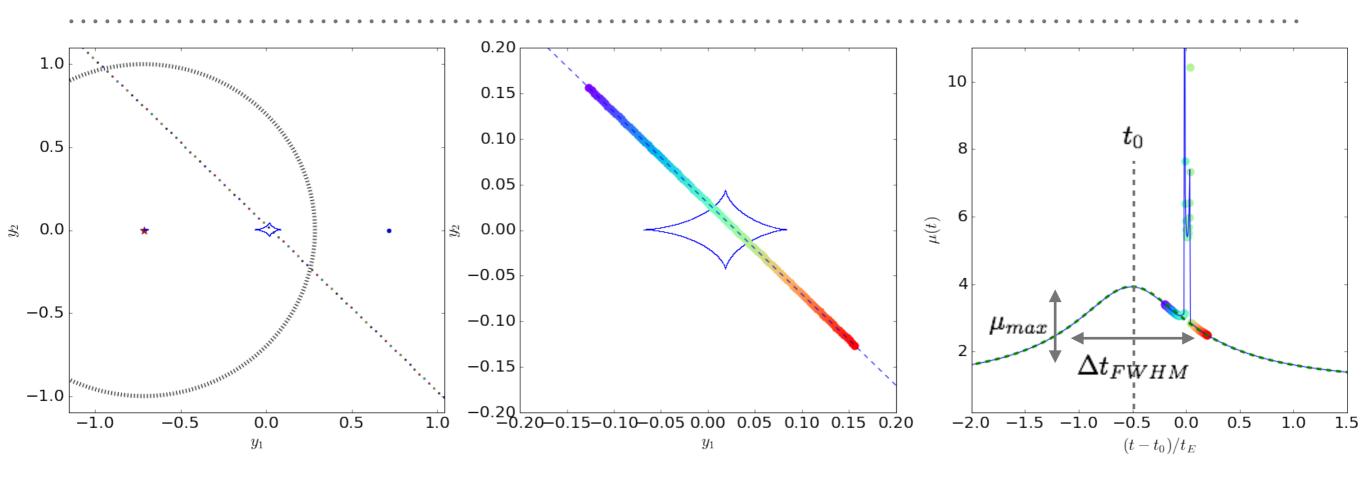
- primary event:
- planetary perturbation:



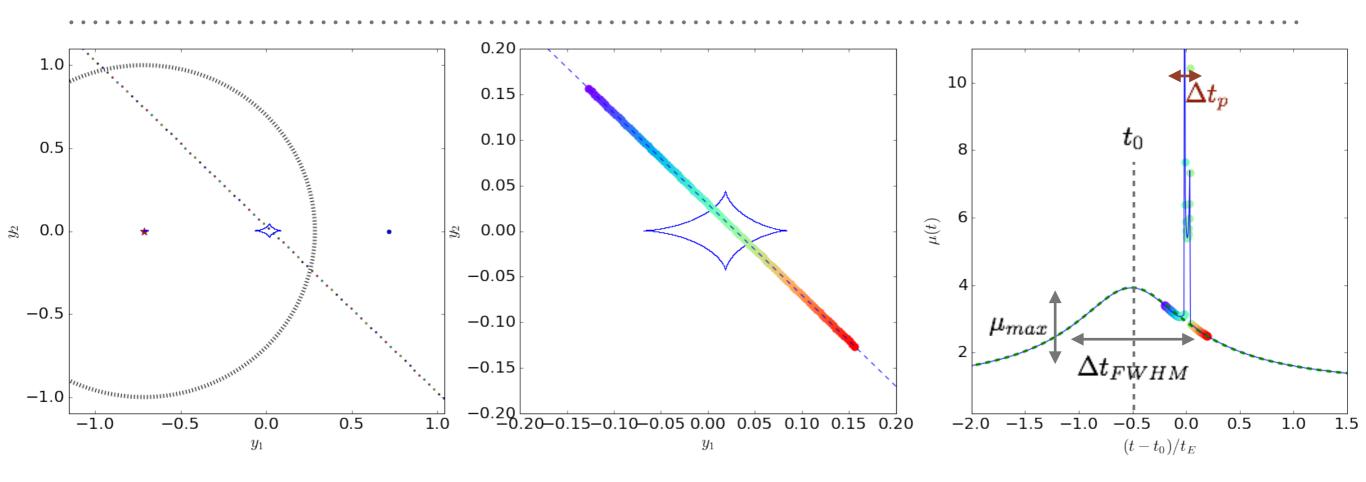
- ightharpoonup primary event: Δt_{FWHM}
- planetary perturbation:



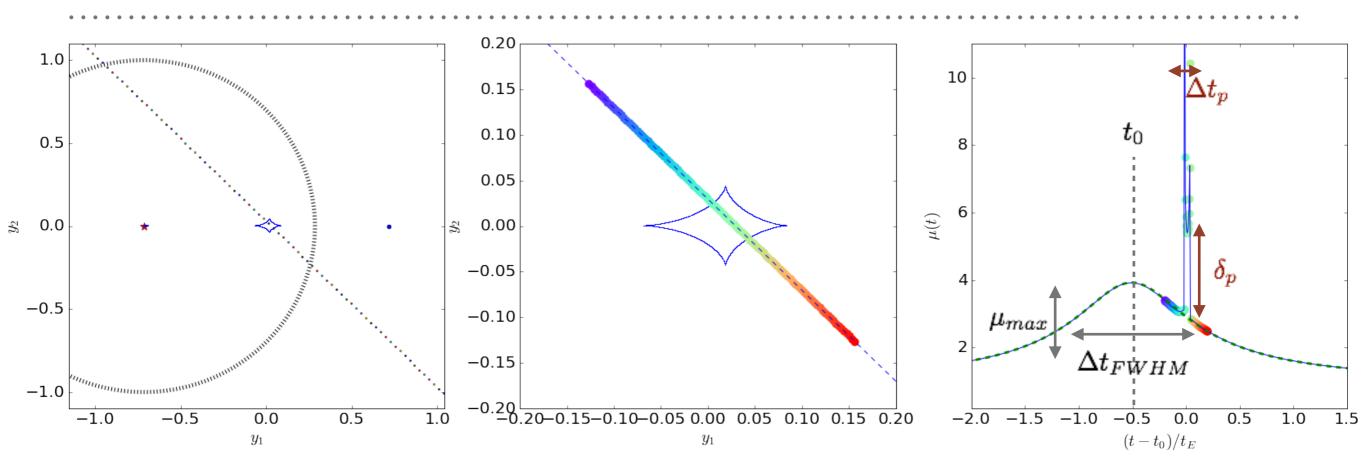
- \blacktriangleright primary event: Δt_{FWHM} μ_{max}
- planetary perturbation:



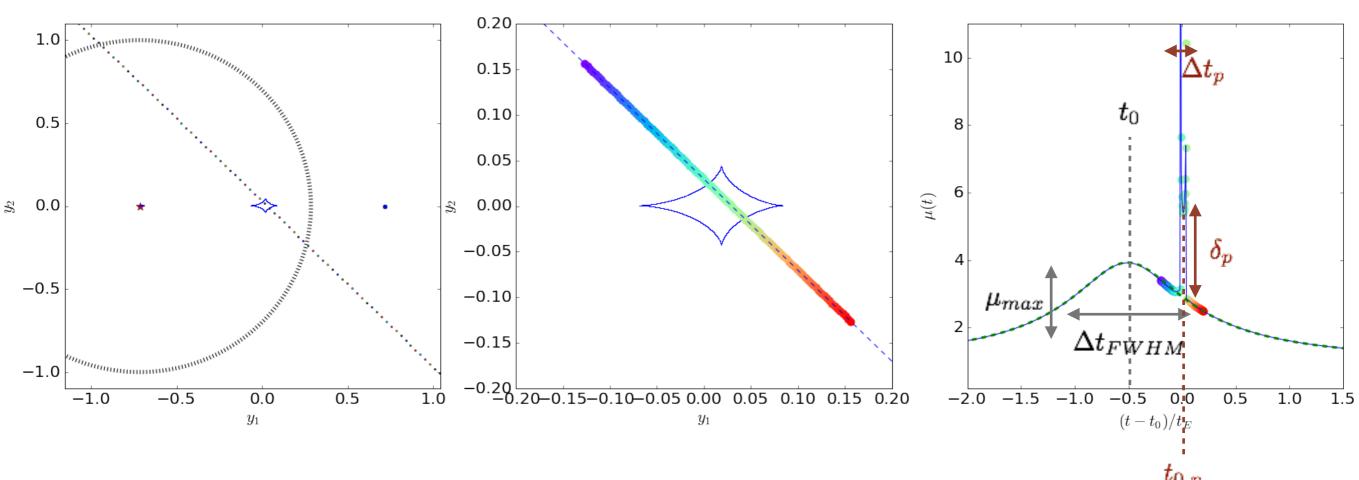
- \blacktriangleright primary event: Δt_{FWHM} μ_{max} t_0
- planetary perturbation:



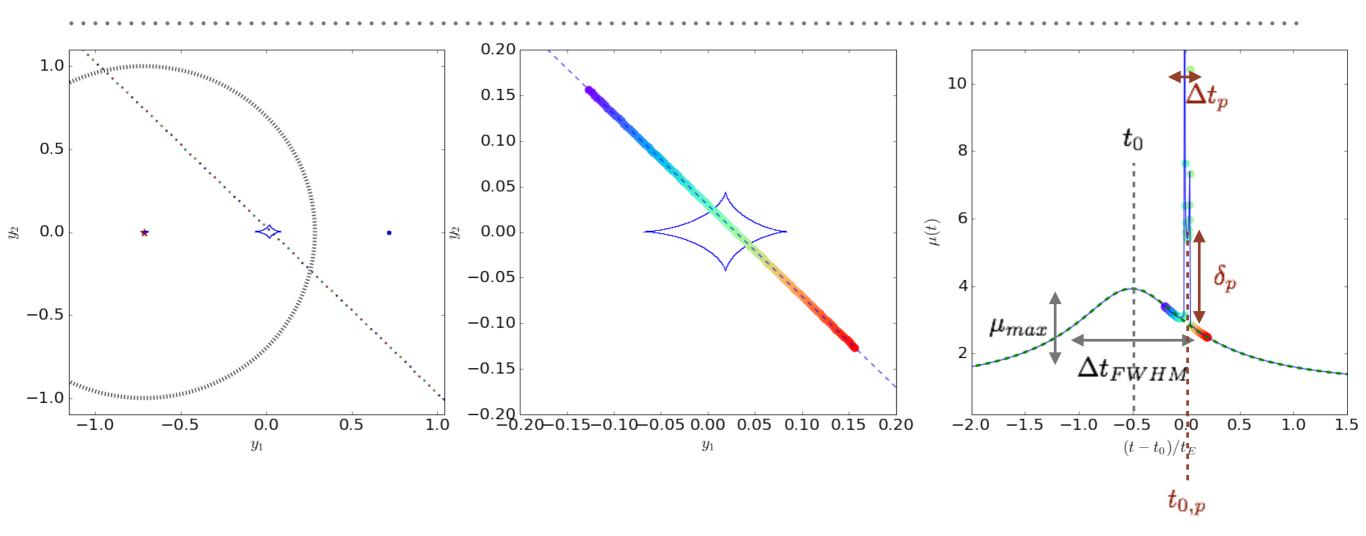
- \blacktriangleright primary event: Δt_{FWHM} μ_{max} t_0
- \triangleright planetary perturbation: Δt_p



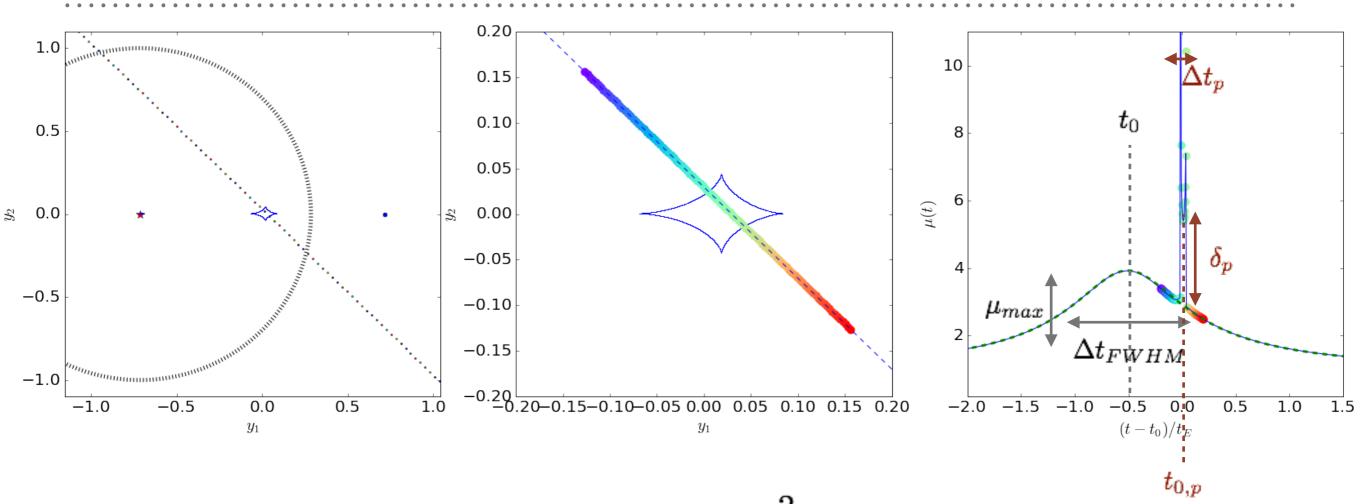
- \blacktriangleright primary event: Δt_{FWHM} μ_{max} t_0
- \triangleright planetary perturbation: $\Delta t_p \delta_p$



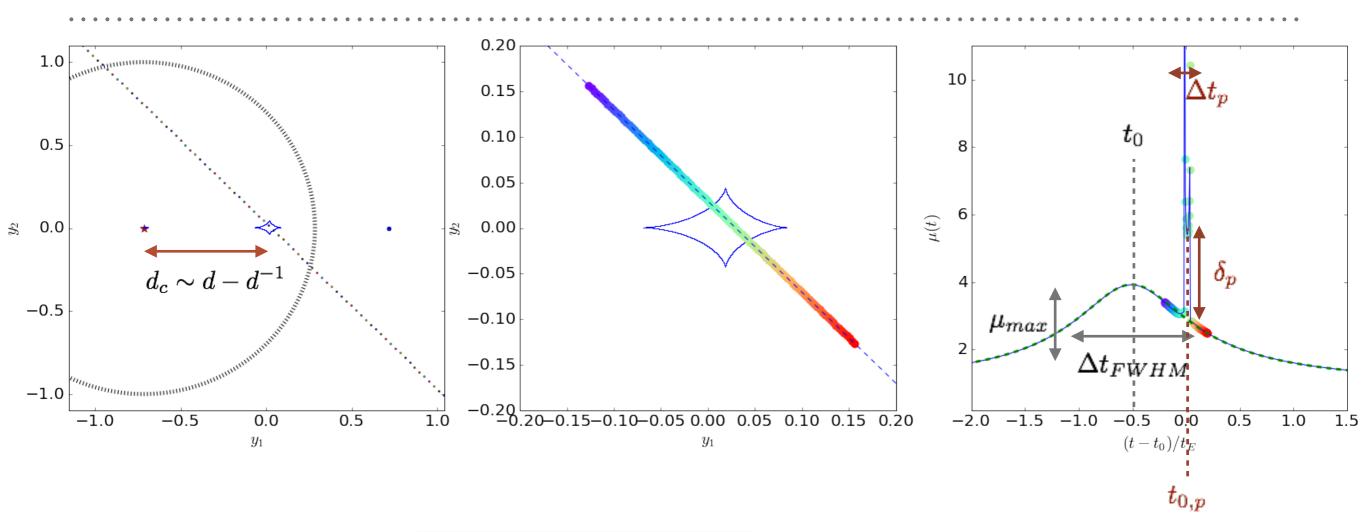
- \blacktriangleright primary event: Δt_{FWHM} μ_{max} t_0
- \triangleright planetary perturbation: $\Delta t_p \delta_p t_{0,p}$



$$\Delta t_{FWHM, \mu_{max, t_0}} \Rightarrow \mu(y) = \frac{y^2 + 2}{y\sqrt{y^2 + 4}} \quad y(t) = \sqrt{y_0^2 + \left(\frac{t - t_0}{t_E}\right)^2}$$
 $\Rightarrow y_0 \quad t_E$



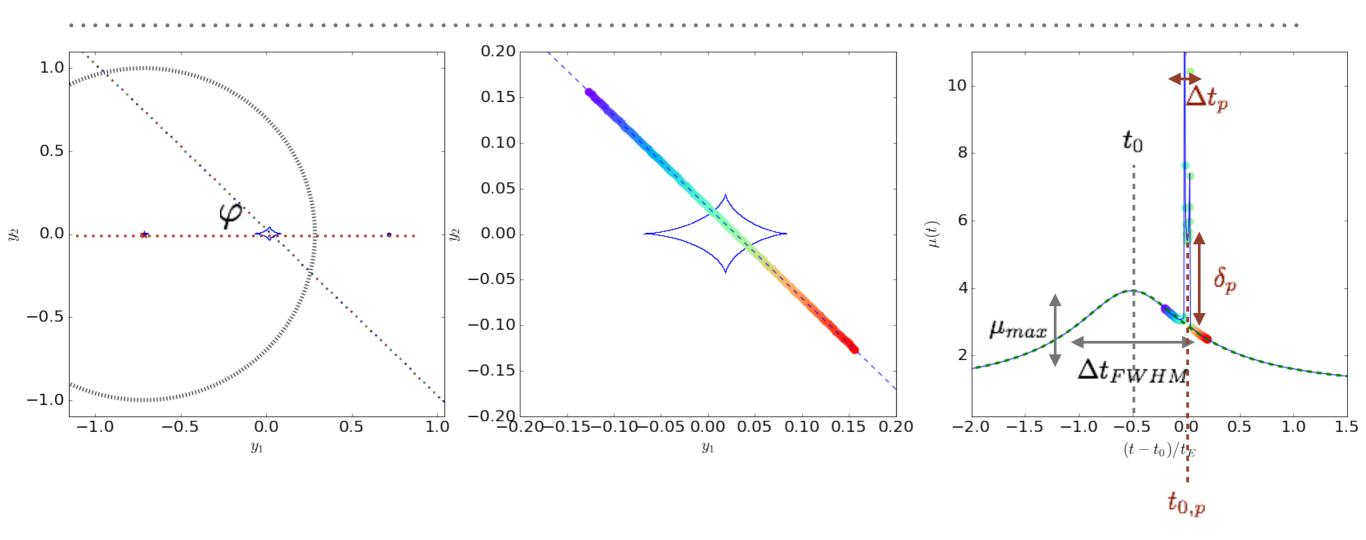
$$\Delta t_p \sim t_{E,p} \implies t_E \implies q = \left(\frac{t_{E,p}}{t_E}\right)^2$$



$$\delta_{p,t_{0,p}} \Rightarrow y_p = \sqrt{y_0^2 + \left(\frac{t_{0,p} - t_0}{t_E}\right)^2}$$

$$\Rightarrow d_c \sim \frac{y_p \pm \sqrt{y_p^2 + 4}}{2} \Rightarrow c$$

up to the degeneracy in d



$$y_0, y_p \Rightarrow \varphi = \sin^{-1} \frac{y_0}{y_p}$$

ADVANTAGES OF USING MICROLENSING FOR PLANET SEARCHES

- > peak sensitivity beyond the snow line
- sensitivity to low-mass planets
- > sensitivity to long period and free-floating planets
- > sensitivity to a wide range of host stars over a wide range of galactocentric distances
- > sensitivity to multiple planets