

Measurement.

Composite system

→ Combinational problems

→ Iterative solution.

→ Scaling →

Classical Ising Model:→

$$E(\{s\}) = -J \sum_{\langle ij \rangle} s_i s_j \quad s \in [-1, 1]$$

$$Z = \sum_{\{s\}} \exp \left[ - \frac{E[s]}{k_B T} \right]$$

Computational Basis:→

$$|0\rangle = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$$

$$|1\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix}$$

$$|q\rangle = e^{i\gamma} \left[ \cos \frac{\theta}{2} |0\rangle + e^{i\phi} \sin \frac{\theta}{2} |1\rangle \right]$$

$\Rightarrow$

global phase

$$|q\rangle = |0\rangle$$

$$|q\rangle = |1\rangle$$

$$|q\rangle = \alpha |0\rangle + \beta |1\rangle$$

$\Rightarrow$

$$U^\dagger U = I$$

2x2 unitary matrix.

$\sigma_0$

$\sigma_1$

$\sigma_2$

$\sigma_3$

Pauli  $\times$  gate

$$|0\rangle \longrightarrow |1\rangle$$

Hadamard

Pauli  $\times$

Pauli  $\gamma$

Pauli  $z$

Phase

$\pi/8$

$R_x$

$R_y$

$R_z$

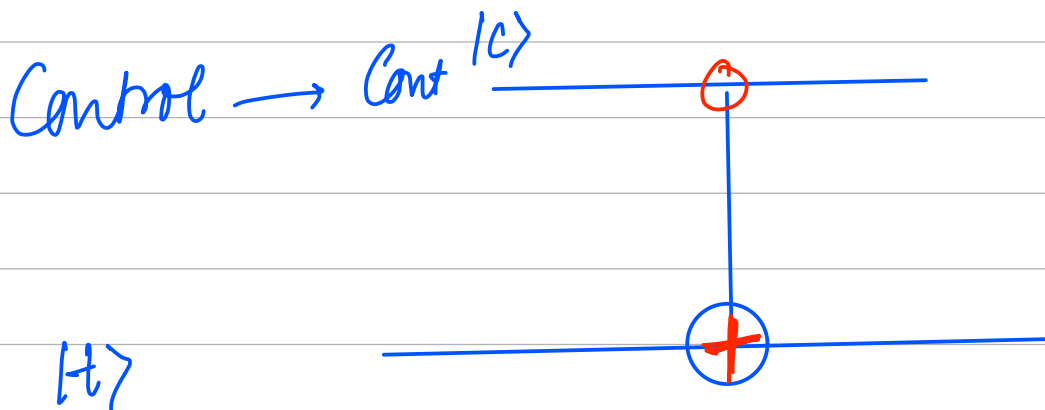
$$U = e^{i\alpha} R_z(\beta) R_y(\gamma) R_z(\delta)$$

→ Eigenvalues & Eigen vectors

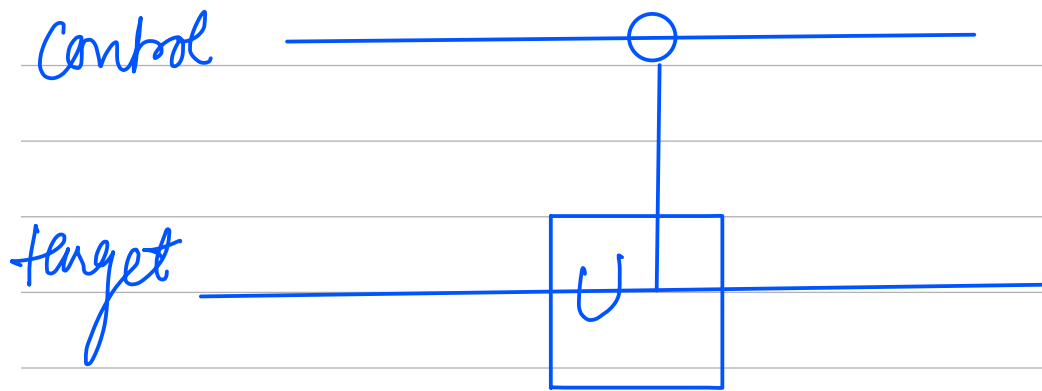
$$A|v\rangle = v|v\rangle$$

$$A^\dagger A = AA^\dagger$$

Spectral decomposition.



$$|c\rangle |t\rangle \rightarrow |c\rangle |c \oplus t\rangle$$



$$|c\rangle |t\rangle \rightarrow |c\rangle U^c |t\rangle$$

Single qubit gates & CNOT gates are universal.

Fusion dynamics:

Fusion reaction.

→ fusion reaction.

① Non Capture breakup - Elastic

② Non Capture breakup - Inelastic.

③ t - Capture

④  $\alpha$  - Capture

⑤ Direct complete fusion.

⑥ Sequential complete fusion.

→  $\alpha$  process

→  $\nu$  process

→  $\bar{\nu}$  process

→  $p(\gamma)$  process

→  $s$  process

→ CNO cycle

→ Stellar fusion

→  $e^-$  capture

→  $r$ -process

→ fusion

→ pp chain.

Big Bang Nucleosynthesis



classically not possible

$$\frac{d}{dt} |\psi(t)\rangle = -iH|\psi(t)\rangle$$

$$|\psi(t)\rangle = \exp(-iHt) |\psi(0)\rangle$$



classically

$$|\psi(t+\Delta t)\rangle = [1 - iH\Delta t + \dots] |\psi(t)\rangle$$

$$H|\psi_n\rangle = E_n |\psi_n\rangle$$

$$|\psi(0)\rangle = \sum_n c_n |\psi_n\rangle$$

$$|\psi(t)\rangle = \sum_n c_n e^{-iE_n t} \underline{|\psi_n\rangle}$$

→ Euclidean time evolution when we  
get rid of  $(i)$

$$\frac{d}{dz} |\psi(z)\rangle = -H |\psi(z)\rangle$$

In Euclidean time evolution we get

$$|\psi(z)\rangle = \exp(-Ht) |\psi(0)\rangle$$

$$|\psi(z)\rangle = \sum_n c_n e^{-E_n z} |E_n\rangle$$

The Euclidean time evolution is dominated by  
low energy states.

Euclidean time  $\rightarrow$  is an operator

↳ we don't take the time  
evolution