# Assessing Effects of Exposures to DDE and PCBs on Premature Delivery via Ordinal Logistic Regression

Raphael Morsomme Rihui Ou Alessandro Zito

Case Study 1 - Stat 723

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## Overview

- Introduction
- 2 Data
- Model (I) Ordinal Logistic Regression
- 4 Model (II) Bayesian Ordinal Logistic Regression
- Results
- 6 Conclusions

#### Introduction

#### • Framework:

Dichlorodiphenyldichloroethylene (DDE) and Polychlorinated Biphenyls (PCBs) are chemicals that persist in the environment and get stored in fatty depositis in the human tissues.

⇒ Potential adverse effect on health

#### Question:

Is exposure to DDE and PBCs associated with a higher chance of premature delivery in pregnant women?

## Pregnancy timeline

- **Dangerous preterm**: delivery at 34 weeks or before (when main organs are underdeveloped)
- Preterm: delivery beween 35 and 37 week
- At term: delivery after 37 weeks



#### Data

Data collected by 12 centers contained gestational age (in weeks) of the mother, the DDE and PCBs concentration, socio-economic info and scores (race, occupation, education, income), amount of triglycerides and cholesterol in blood and smoking status.

## Preprocessing:

- Drop obs. with gestational age > 45 (the world record)
- Standardize and average levels of PCBs<sup>1</sup>

$$PCB_i = \frac{1}{11} \sum_{j=1}^{11} \frac{PCB_{ij} - mean_i(PCB_{ij})}{sd_i(PCB_{ij})}$$

- Mean impute of occupation, education and income scores
- Aggregate race into race = 1 if white and race = 0 if non-white

 $\implies$  Total obs. = 2336

#### Data

Our dependent varible is:

$$\textit{gestgroup}_i = \begin{cases} 0 & \textit{if } \mathrm{Dangerous \; preterm} \\ 1 & \textit{if } \mathrm{Preterm} \\ 2 & \textit{if } \mathrm{At \; term} \end{cases}$$

- To account for triglyceredes and cholesterol, we introduce an adjusted measure for PCB and DDE by:
  - Computing total lipids using Phillips et al.(1989) and Bernert et al.(2007) forumula

$$lipid_i = 2.27 * cholesterol_i + triglycerides_i + 0.623$$

Setting<sup>2</sup>

$$adjDDE_i = \frac{DDE_i}{log(lipid_i)}$$
  $adjPCB_i = \frac{PCB_i}{log(lipid_i)}$ 

<sup>&</sup>lt;sup>2</sup>The choice of the log comes from a Box-Cox analysis of the log-likelihood, as in Li, Longnecker and Dunson (2013)

## EDA (I) - Exposures and gestational groups by race

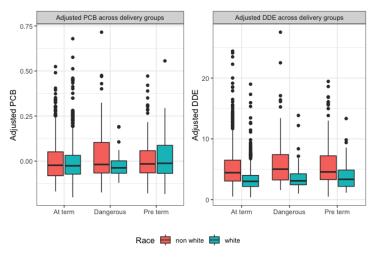


Figure: Relationship between delivery group and adjusted exposures, by race

## EDA (II) - Exposure across centers

## Model (I) - Ordinal Logistic Regression

We run the following ordinal logistic regression model:

$$logit(P(gestgroup \leq j)) = \beta_{0j} - \mathbf{X}\boldsymbol{\beta} + \boldsymbol{\varepsilon}$$

where j = 0, 1, 2 corresponds to the outcome level, and **X** contains:

- adjDDE, adjPCB, race, center, smoke, the 3 scores, and mother age [main effects]
- (adjDDE + adjPCB) \* (race + center) [interactions].

AIC-based backward variable selection:

- Maintain DDE, PCB, smoke, center, race, (PCB + DDE) \* race
- Drop(DDE + PCB) \* center, mother age,

Model assumptions are checked in the appendix.



## Model (II) - Bayesian Ordinal Logistic Regression

## Results

## Conclusions

## Appendix More EDA

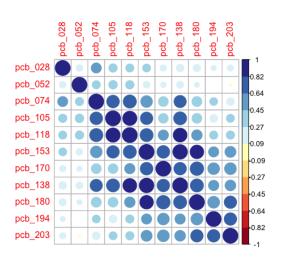


Figure: Correlation plot across PCBs

#### Frequentist Model Checking

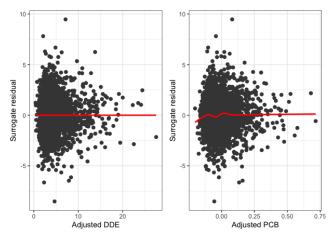
We can check the assumption of the (frequentist) ordinal logistic model by looking at the Surrogate residuals (Liu and Zhang, 2017).

If the model assumptions are correct, then the surrogate residuals  $R_S$  will have three properties:

- $E(R_S|X) = 0$
- ②  $Var(R_S|X) = c$ , the conditional variance of  $R_S$  is constant
- **3** The emiprical distribution of  $R_S$  resembles an explicit distribution that is related to the link function  $G^{-1}(\cdot)$ . Specifically,  $R_S \sim G(c + \int u dG(u))$ .

#### Frequentist Model Checking

Assumptions (i) and (ii) are checked with the Surrogate residuals plot. Both are satisfied in this case.



#### Frequentist Model Checking

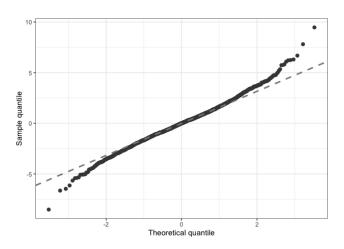


Figure: QQ plot of the Surrogate residuals

#### Box-Cox transformation of lipid

Following Li, Longnecker and Dunson (2013), we adjust the exposures by dividing for a Box-Cox tranformation of the level of lipids. We see that the optimal  $\lambda$  is at 0, which suggests a log transformation.

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trovato
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