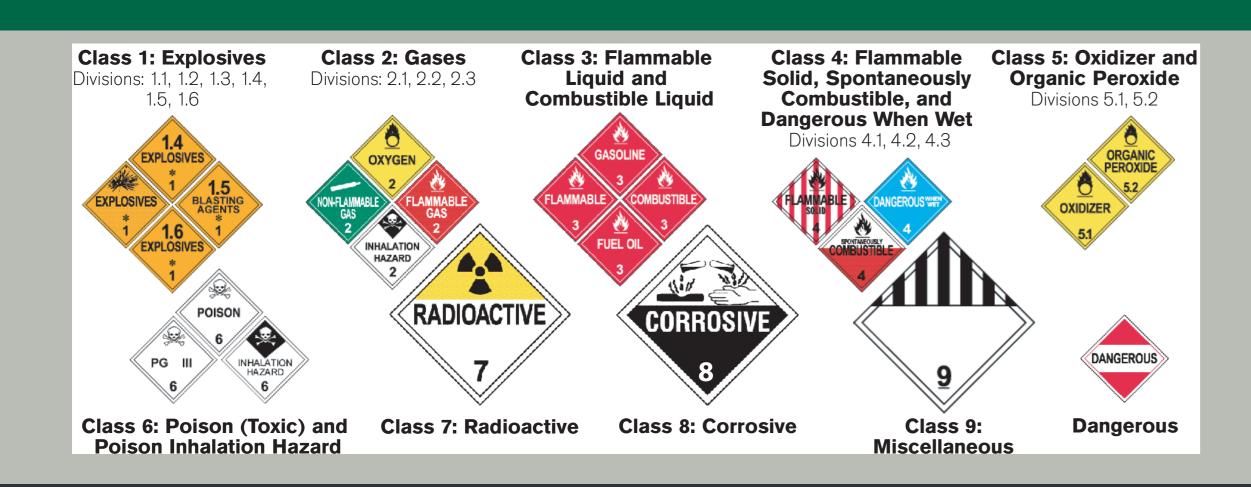
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Changhyun Kwon, First Name Last Name



University of South Florida, Department of Industrial and Management Systems Engineering

## **Hazardous Materials (hazmat)**



## Number of hazmat incidents in 2000-2009

	Mode	No. of Incidents	Percentage
	Air	13,232	7.89
	Highway	146,120	87.09
	Rail	7,987	4.76
	Water	446	0.27
	Total	167,785	100

### **How to Control Network Flows?**

- Network Design Approach
  - Close/Open road segments
  - Increase capacity of road segments
- ► Toll System Approach
  - Charge tolls to vehicles traveling certain road segments

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## Risk Measure and Travel Delay

We consider a duration-population-frequency risk measure:

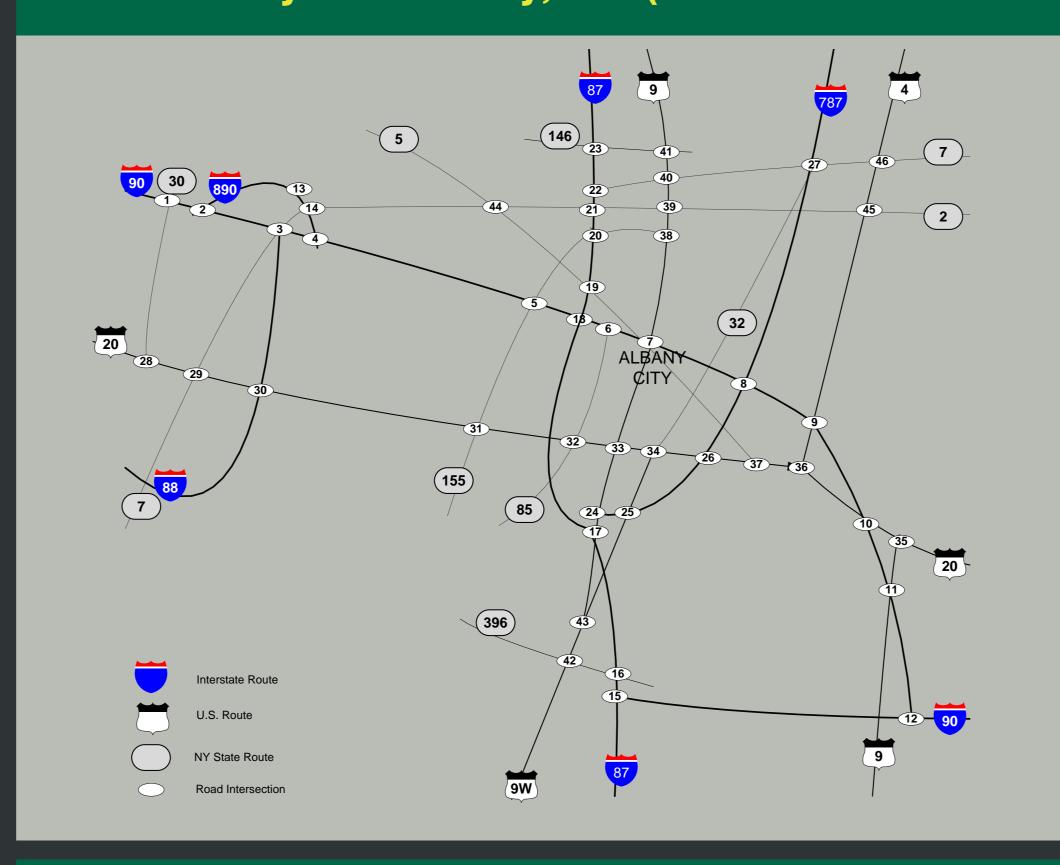
$$R_a(v_a, u_a) = s_a(v_a) \rho_a u_a$$

where  $\rho_a$  is the population exposure along the arc.

► The linear travel delay function is:

$$s_a(v_a) = t_a(1 + v_a/C_a)$$

## Case Study for Albany, NY (46 nodes and 70 arcs)



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#### Results

$(w_1, w_2, w_3)$	Risk	Delay (regular)	Delay (hazmat)	Toll (regular)	Toll (hazmat)
$(10^{-4}, 1, 1)$	-15.09%	3.95%	-0.27%	$1.29 \times 10^{9}$	$1.66 \times 10^{3}$
$(10^{-3}, 1, 1)$	-22.07%	4.68%	-1.39%	$1.31 \times 10^{9}$	$1.66 \times 10^{3}$
(1, 1, 1)	-24.70%	22.61%	-39.61%	$5.29 \times 10^{6}$	0
$(10^2, 1, 1)$	-24.70%	25.99%	-39.52%	0	0
$(10^5, 1, 1)$	-24.70%	25.99%	-39.52%	0	0

Table: Results with various  $w_1$  with given  $w_2 = 1$  and  $w_3 = 1$ 

$(w_1, w_2, w_3)$	Risk	Delay (regular)	Delay (hazmat)	Toll (regular)	Toll (hazmat)
(1, 1, 1)	-24.70%	22.61%	-39.61%	$5.29 \times 10^{6}$	0
$(1, 10^5, 1)$	-5.23%	2.86%	4.89%	$2.87 \times 10^{8}$	0
$(1, 10^8, 1)$	-4.41%	2.81%	5.58%	$2.62 \times 10^{8}$	0
$(1,10^{12},1)$	<b>-4.41%</b>	2.81%	5.58%	$2.62 \times 10^{8}$	0

Table: Results with various  $w_2$  with given  $w_1 = 1$  and  $w_3 = 1$ 

$(w_1, w_2, w_3)$	Risk	Delay (regular)	Delay (hazmat)	Toll (regular)	Toll (hazmat)
$(10^{-4}, 1, 10^5)$	-22.52%	3.06%	-11.9%	$3.30 \times 10^{7}$	0

Table: Results with  $(w_1, w_2, w_3) = (10^{-4}, 1, 10^4)$ 

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