

In [1]:

```

import numpy as np
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
import matplotlib.pyplot as plt
import pandas as pd
plt.style.use('seaborn')

df = pd.read_csv('data/walk.csv')
print(df.head())

y_train = df['distance']
x_train = df[['time', 'temperature', 'age', 'weight']]

model = LinearRegression()
model.fit(x_train, y_train)
#  $Y = b_1X_1 + b_2X_2 + \dots + a$ 
b = model.coef_
a = model.intercept_

#  $Y = 1.8(\text{time}) - 0.80(\text{temperature}) - 0.21(\text{age}) - 0.52(\text{weight}) = 41.98$ 
y_pred = model.predict(x_train)
r2 = r2_score(y_train, y_pred)
mse = mean_squared_error(y_train, y_pred)
print('R2: %.2f'%(r2))
print('MSE: %.2f'%(mse))

print("Multiple linear regression equation:")
print("Y = %.2f(Time) + %.2f(Temp) + %.2f(Age) + %.2f(weight) = %.2f" % (b[0], b[1], b[2], b[3], a))

```

	distance	time	temperature	age	weight
0	100	65	38	25	90
1	50	35	38	18	100
2	20	20	26	20	90
3	50	25	25	30	50
4	60	30	22	50	50

R2: 0.98
 MSE: 12.07
 Multiple linear regression equation:
 Y = 1.81(Time) + -0.09(Temp) + -0.21(Age) + -0.52(weight) = 41.98

In [2]:

```

import numpy as np
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
import matplotlib.pyplot as plt
import pandas as pd
plt.style.use('seaborn')

df = pd.read_csv('data/walk.csv')
print(df.head())

def caculator(data, plt, subplot):
    y_train = df['distance']
    x_train = df[[data]]

    model = LinearRegression()
    model.fit(x_train, y_train)
    #  $Y = b_1X_1 + b_2X_2 + \dots + a$ 
    b = model.coef_
    a = model.intercept_

    y_pred = model.predict(x_train)
    r2 = r2_score(y_train, y_pred)
    mse = mean_squared_error(y_train, y_pred)
    print("Linea Equation x0\t: Y = %.2f(%s)+%.2f"%(b, data, a))
    print('R2: %.2f'%(r2))
    print('MSE: %.2f'%(mse))

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plt.subplot(subplot)
plt.scatter(x_train,y_train,color ="green")
plt.plot(x_train,y_pred,color = "blue",label="Y =%.2f(%s) + %.2f"%(b,data,a))
plt.xlabel('X = %s'%(data))
plt.ylabel('Y = Distance')
plt.legend()

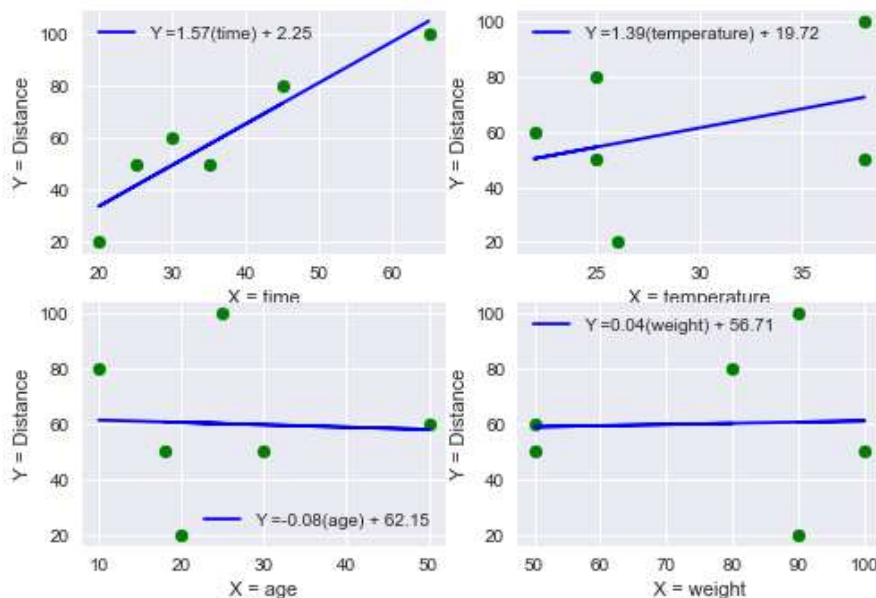
subplot=221
xno=0
x_data = ['time', 'temperature', 'age', 'weight']
for i in range(len(x_data)):
    caculator(x_data[i],plt,subplot)
    subplot=subplot+1
    xno=xno+1

plt.show()

```

	distance	time	temperature	age	weight
0	100	65	38	25	90
1	50	35	38	18	100
2	20	20	26	20	90
3	50	25	25	30	50
4	60	30	22	50	50

Linea Equation x0 : $Y = 1.57(\text{time}) + 2.25$
 R2: 0.87
 MSE: 82.08
 Linea Equation x0 : $Y = 1.39(\text{temperature}) + 19.72$
 R2: 0.13
 MSE: 552.31
 Linea Equation x0 : $Y = -0.08(\text{age}) + 62.15$
 R2: 0.00
 MSE: 632.21
 Linea Equation x0 : $Y = 0.04(\text{weight}) + 56.71$
 R2: 0.00
 MSE: 632.62



In [3]:

```

import numpy as np
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
import pandas as pd
import matplotlib.pyplot as plt
np.set_printoptions(precision=2)
plt.style.use('seaborn')

df = pd.read_csv('data/walk.csv')

```

```

print(df.head())

x_train = df[['time', 'temperature', 'age', 'weight']]
y_train = df['distance']

model = LinearRegression()
model.fit(x_train, y_train)

b = model.coef_
a = model.intercept_

subplot=221
xno=0

y_pred = model.predict(x_train)
r2 = r2_score(y_train, y_pred)
MSE = mean_squared_error(y_train, y_pred)
print("R2\t:",r2)
print("MSE\t:",MSE)
print('Predicted response of X:',y_pred)

print('\n\nLiner Regression of each single X++')
x_data = ['time', 'temperature', 'age', 'weight']
for i in range(len(x_data)):

    x_train = df[[x_data[i]]]
    model = LinearRegression()
    model.fit(x_train, y_train)
    b = model.coef_
    a = model.intercept_
    y_pred = model.predict(x_train)
    r2 = r2_score(y_train, y_pred)
    MSE = mean_squared_error(y_train, y_pred)
    print("Linea Equation x0\t: Y = %.2f(%)%.2f"%(b,x_data[i],a))
    print("R2_x%d\t: %.2f"%(xno,r2))
    print("MSE_x%d\t: %.2f"%(xno,MSE))

    plt.subplot(subplot)
    plt.scatter(x_train, y_train, color='green')
    plt.plot(x_train,y_pred, color='blue', label = "Y = %.2f(%)%.2f"%(b,x_data[i],a))
    plt.xlabel('X = %s'%(x_data[i]))
    plt.ylabel('Y = Distance')
    plt.legend()

    subplot=subplot+1
    xno=xno+1

plt.show()

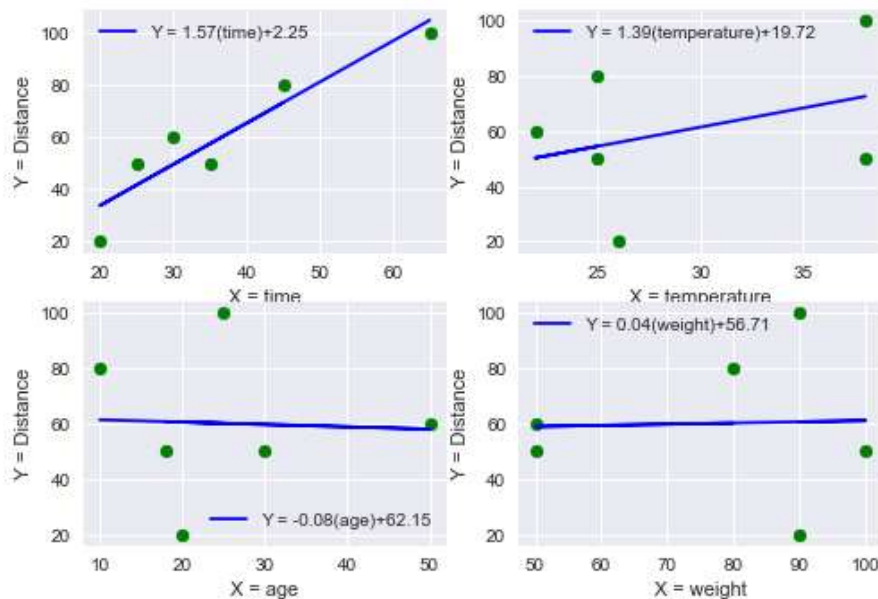
```

	distance	time	temperature	age	weight
0	100	65	38	25	90
1	50	35	38	18	100
2	20	20	26	20	90
3	50	25	25	30	50
4	60	30	22	50	50

R2 : 0.9809362360702043
 MSE : 12.073717155537262
 Predicted response of X: [103.5 45.55 24.33 52.31 57.34 76.97]

Liner Regression of each single X++
 Linea Equation x0 : Y = 1.57(time)+2.25
 R2_x0 : 0.87
 MSE_x0 : 82.08
 Linea Equation x0 : Y = 1.39(temperature)+19.72
 R2_x1 : 0.13

MSE_x1 : 552.31
 Linea Equation x0 : $Y = -0.08(\text{age}) + 62.15$
 R2_x2 : 0.00
 MSE_x2 : 632.21
 Linea Equation x0 : $Y = 0.04(\text{weight}) + 56.71$
 R2_x3 : 0.00
 MSE_x3 : 632.62



In [4]:

```

import numpy as np
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
import matplotlib.pyplot as plt
import pandas as pd
plt.style.use('seaborn')

df = pd.read_csv('data/multi_run.csv')
print(df.head())

def calculator(data, plt, subplot):
    y_train = df['distance']
    x_train = df[['data']]

    model = LinearRegression()
    model.fit(x_train, y_train)
    #  $Y = b_1X_1 + b_2X_2 + \dots + a$ 
    b = model.coef_
    a = model.intercept_

    y_pred = model.predict(x_train)
    r2 = r2_score(y_train, y_pred)
    mse = mean_squared_error(y_train, y_pred)
    print("Linea Equation x0\t:  $Y = %.2f(%) + %.2f\%(b, data, a)$ ")
    print('R2: %.2f\%(r2)')
    print('MSE: %.2f\%(mse)')

    plt.subplot(subplot)
    plt.scatter(x_train, y_train, color="green")
    plt.plot(x_train, y_pred, color="blue", label="Y = %.2f(%) + %.2f\%(b, data, a)")
    plt.xlabel('X = %s\%(data)')
    plt.ylabel('Y = Distance')
    plt.legend()

y_train = df['distance']
x_train = df[['time', 'steep']]

model = LinearRegression()
  
```

```

model.fit(x_train,y_train)
#  $Y = b_1X_1 + b_2X_2 + \dots + a$ 
b = model.coef_
a = model.intercept_
y_pred = model.predict(x_train)
r2 = r2_score(y_train,y_pred)
mse = mean_squared_error(y_train,y_pred)

print("\nMultiple linear regression equation:\ty = %.2f(time) + %.2f(steep) + %.2f"%(b[0],b[1],a))
print('R2: %.2f'%(r2))
print('MSE: %.2f\n'%(mse))

x_new = np.array([[10,20],[15,2],[20,10]])
y_pred_new = model.predict(x_new)
print("Predicted response of X:")
print("10,20\t%.2f"%(y_pred_new[0]))
print("15,2\t%.2f"%(y_pred_new[1]))
print("20,10\t%.2f\n"%(y_pred_new[2]))

sp=121
xno=0
data = ['time','steep']
for i in range(len(data)):
    caculator(data[i],plt,sp)
    sp=sp+1
    xno=xno+1
plt.show()

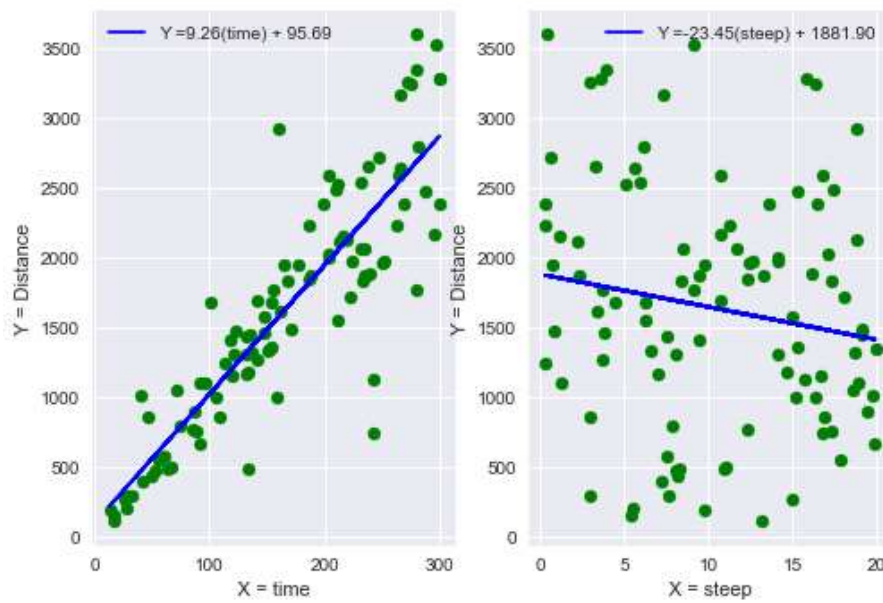
```

	distance	time	steep
0	109.58	17	13.21
1	153.77	17	5.41
2	267.12	26	14.96
3	199.50	27	5.50
4	297.04	30	2.96

Multiple linear regression equation: $Y = 9.19(\text{time}) + -16.06(\text{steep}) + 274.36$
R2: 0.78
MSE: 161332.22

Predicted response of X:
10,20 45.07
15,2 380.12
20,10 297.59

Linea Equation x0 : $Y = 9.26(\text{time})+95.69$
R2: 0.77
MSE: 170443.57
Linea Equation x0 : $Y = -23.45(\text{steep})+1881.90$
R2: 0.03
MSE: 723421.19



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