PDF-PMF

August 21, 2021

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[1]: import numpy as np import matplotlib.pyplot as plt
```

0.1 Uniform Distribution

- [2]: #Uniform distribution has equal probability across any given range you define
 #there is pretty much equal chaace that value is occuring within that data
 unlike normal distribution
 #value occuring i.e concentration of value near mean

 #I want uniformly distributed random data that ranges from -10 to +10 having
 uniformly distributed random data that ranges from -10 to +10 having
 uniform values = np.random.uniform(-10.0,10,10000)
- [6]: #So a uniform distribution, you would see a flat line of the probability

 distribution function

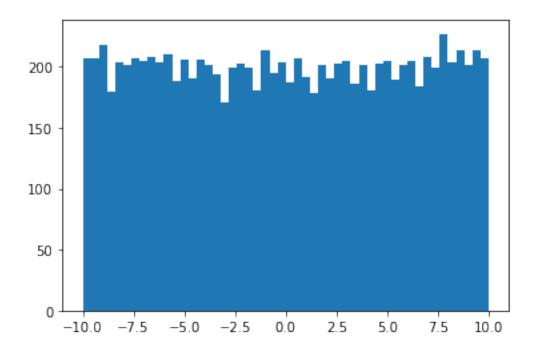
 #because there is basically a constant probability every value, every range of

 values,

 #has an equal chance of appearing as any other value

 plt.hist(values,50)

 plt.show()



0.2 Normal or Gaussian Distribution

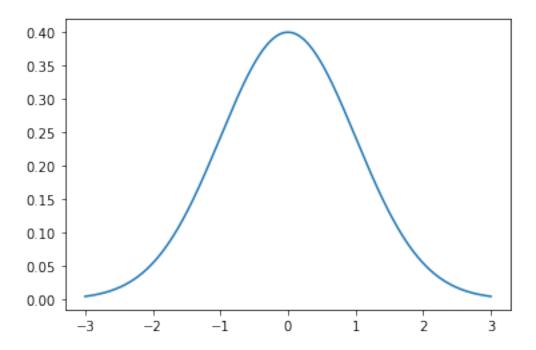
[7]: from scipy.stats import norm

#We're creating a list of x values for plotting that range between - 3 and +3
#with a increment of .001 in between them

#So those are the x values on the graph, and then we're going to plot the x axis

x= np.arange(-3,3,0.0001)

[8]: [<matplotlib.lines.Line2D at 0x7ff4bb472d30>]



[10]: #Generate random number within normal distribution

#So This is the way to use a probability distribution function, in this case, $\ \rightarrow$ the normal distribution function, #to generate a set of random data

 $mean_mu=5.0$

standardDeviation_sigma=2.0

#Again if you use the NumPy package, it has a random.normal function,

#and the first parameter, mu, represents the mean that you want to centre the \rightarrow data around.

#Sigma is the standard deviation of that data, which is basically the spread of \rightarrow it.

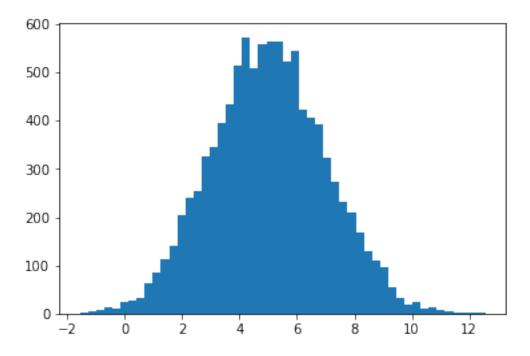
#And then we specify the number of data points that we want using a normal \rightarrow probability distribution function

x=np.random.normal(mean_mu,standardDeviation_sigma,10000)

#and it does look more or less like a normal distribution, but since there is a \rightarrow random element,

#it's not gonna be a perfect curve

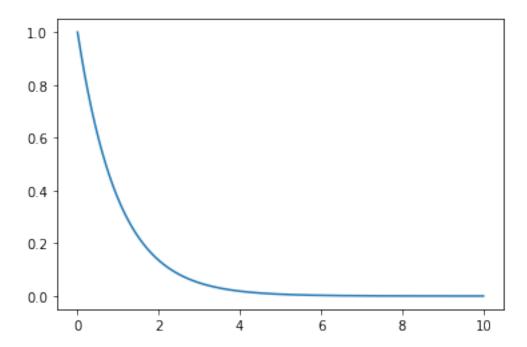
plt.hist(x,50)
plt.show()



${\bf 0.3} \quad {\bf Exponetial \ Probability \ Distribution \ Function}$

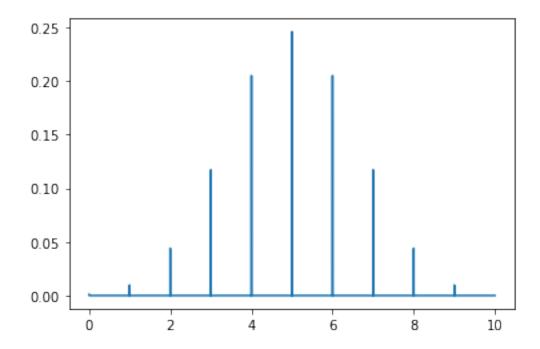
[11]: #Another distribution function you see pretty often is the exponential. → probability distribution function, #where things fall off in an exponential manner from scipy.stats import expon #we just create our x values using the NumPy.arange function to create a bunch_ →of values #between zero and 10, with a step size of .001, x = np.arange(0,10,0.001)#so when you talk about an exponential falloff, you expect to see a curve like_ → this where it's very likely for #something to happen, near zero, but then as you get farther away from it, it_ \hookrightarrow drops off very quickly #we also have an expon.pdf for an exponential probability distribution function #we plot those x values against the y axis, which is defined as the function_ \rightarrow exponential pdf of x plt.plot(x, expon.pdf(x))

[11]: [<matplotlib.lines.Line2D at 0x7ff4b77b0040>]



0.4 Binomial Probaility Mass Function

[16]: [<matplotlib.lines.Line2D at 0x7ff49c85a040>]



0.5 Possion Probability Mass Function

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[18]: | #and this has a very specific application.Looks a lot like a normal,
       \rightarrow distribution,
      #but it's a little bit different.
      #The idea here is that if you have some information about the average number of \Box
       → things that happen
      #in some given time period This can give you a way to predict the odds of \Box
       → getting some other value instead,
      #on a given future day
      #So as an example, let's say I have a website, and on average I get 500_{\square}
       \rightarrow visitors per day.
      \#I can use the Poisson probability mass function to estimate the probability of \sqcup
       ⇒seeing some other value
      #on a specific day. So let's say I get an average of 500 visits per day,
      #what's the odds of seeing 550 visitors on a given day, That's what a Poisson
       →probability mass function can give you
      from scipy.stats import poisson
```

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[19]: #So, in this example, I'm saying my average is 500, mu.

mu = 500

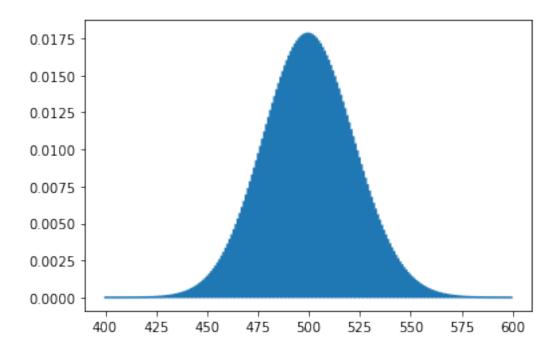
#And I'm gonna set up some x values to look at between 400 and 600 with a

⇒spacing of .5

#and I'm gonna plot that using the Poisson probability mass function.

x = np.arange(400, 600, 0.5)
```

[21]: [<matplotlib.lines.Line2D at 0x7ff4bb663340>]



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