Building a Simple Linear Model

June 10, 2023

```
import sklearn
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
import datetime
from IPython.display import Image
from tabulate import tabulate
0.0.1 Links
```

 $\bullet \ \, https://app.plural sight.com/library/courses/building-regression-models-scikit-learn/table-of-contents \\$

```
of-contents

[2]: print(sklearn.__version__)

1.2.2

[3]: print(np.__version__)

1.24.3

[4]: print(pd.__version__)

1.5.3

[6]: from tabulate import tabulate def DisplayMatrix(M): print(tabulate(M, headers='keys', tablefmt='double_grid'))

[5]: '''

This is a dataset that contains a number of different automobile features, which we use to predict how many miles that automobile runs per gallon of fuel.

''''

automobile_df=pd.read_csv('data/auto-mpg.csv')
```

[8]: '''

If you want to view a sample of records in your data frame so that you can explore the dataset, you can call the df.sample function.

The parameter 5 indicates that five records should be displayed. And here are five records chosen at random from our dataset.

DisplayMatrix(automobile_df.sample(5).T)

186	332	179	275	39
mpg 27.0	29.8	22.0	17.0	14.0
cylinders 4	4	4	6	8
displacement	89.0	121.0	163.0	400.0
horsepower 83	62	98	125	175
weight 2202	1845	2945	3140	4464
acceleration	15.3	14.5	13.6	11.5
model year 76	80	75	78	71
origin 2	2	2	2	1
car name	vokswagen rabbit	volvo 244dl	volvo 264gl	pontiac catalina

brougham renault 12tl

[9]: '''

The columns at the very right make up the features of our machine learning \cup model.

The regression models that we're going to build will use these columns in order to make predictions about the miles per gallon for that car.

There are features such as the number of cylinders the car has, the displacement of the car from the bottom, the horsepower, the weight, the acceleration, model, year, the origin of the car, and the name of the car.

The first column off to the left, the mpg column, gives us the miles per gallon for that particular car, and this is what we'll try and predict using regression.

DisplayMatrix(automobile_df.sample(5))

mpg	cylinders	displacement hor	sepower weight
acceleration	model year	origin car name	
169 20	6	232	100 2914
16	75	1 amc gremlin	
314 26.4	4	140	88 2870
18.1	80	1 ford fairmont	00 2010
164 21	6	231	110 3039
15	75	1 buick skyhawk	
266 30	4	98	68 2155
16.5	78	1 chevrolet chevette	
73 13	8	307	130 4098
14	72	1 chevrolet chevelle	concours (sw)

```
[11]: '''
      The shape variable for any dataset gives us how many records are in
      the dataset and how many columns. So we have 398 records and 9 columns of data.
      These 9 columns include 8 columns of features and 1 column that
      forms our machine learning target, the value we are trying to predict, the mpg.
      automobile_df.shape
[11]: (398, 9)
[12]:
      Now, datasets that we work with in the real world often contain missing
      fields or values, and these records need to be handled and cleaned in some way.
      This is part of the data wrangling or preprocessing that will apply to our data.
      Now this particular dataset contains question marks(?) in place of missing \Box
      ⇔fields;
      we'll replace all of those question marks with NaNs, or not a numbers.
      Call the automobile_df.replace function in order to perform this replacement.
      automobile_df=automobile_df.replace("?",np.nan)
[13]: '''
      And once you have NaNs in place of missing values, it's very
      easy to clean your data frame.
      The drop any function on your pandas DataFrame will simply
      drop all of those records which have any fields missing.
      automobile_df=automobile_df.dropna()
[14]: '''
      And if you take a look at the shape of your data frame now, you see that we_{\sqcup}
      ⇔have 392 records.
      We originally had 398 records, and now it's 392.
      6 records had missing fields, they were dropped.
```

automobile_df.shape

[14]: (392, 9)

[15]: '''

While we are building up the features for our linear regression model, it's pretty clear that the origin of the car and the name of the car has no impact on its mileage.

This is something that we can determine just by a cursory look at the columns in our data frame, so go ahead and drop the origin and car name columns in place.

These features, we know by using our common sense and logic, have no predictive powers.

automobile_df.drop(['origin','car name'],axis=1,inplace=True)

[17]: DisplayMatrix(automobile_df.sample(5).T)

	329	316	227	31	101
mpg	44.6	19.1	19	25	23
cylinders	4	6	6	4	6
displacement	91	225	225	113	198
horsepower	67	90	100	95	95
weight	1850	3381	3630	2228	2904
acceleration	13.8	18.7	17.7	14	16
model year	80	80	77	71	73

[13]: '''

I'm going to call $automobile_df.sample$ to sample five records from our data frames.

And here are the features that we're going to work with: cylinders, displacement, horsepower, weight, acceleration, and model year, and the miles per gallon is our target, what you're going to try and predict.

from IPython.display import Image

[13]:

- 1							
	mpg	cylinders	displacement	horsepower	weight	acceleration	model year
104	12.0	8	400.0	167	4906	12.5	73
270	21.1	4	134.0	95	2515	14.8	78
190	14.5	8	351.0	152	4215	12.8	76
373	24.0	4	140.0	92	2865	16.4	82
318	29.8	4	134.0	90	2711	15.5	80

[19]: '''

Now this dataset is from the '90s, and you can see that all of the model years are basically 1973, 78, 82, and so on.

Now the model year by itself is just an object. Let's make this useful by converting this to be the age of the car.

It's quite possible that we don't know for sure that the age of the car might have some impact on its mileage.

Before we get to the age, let's convert the year to its full form, 1973, 1980, and so on,

so I'm going to prepend the string 19 to the model year.

So 19 + model year as string, will give us the resultant model year.

Assign this new format to the model year column and let's sample our data frame and take a look at the result.

The model year now has the full year, 1982, 1972, and so on.

automobile_df['model year'] = '19' + automobile_df['model year'].astype(str)

[21]: '''

6

The model year now has the full year, 1982, 1972, and so on.

Now with this, we can calculate how old this particular car is.

DisplayMatrix(automobile_df.sample(5).T)

	50	66	33	3	324
mpg	28	17	19	16	40.8
cylinders	4	8	6	8	4
displacement	116	304	232	304	85
horsepower	90	150	100	150	65
weight	2123	3672	2634	3433	2110
acceleration	14	11.5	13	12	19.2
model year	1971	1972	1971	1970	1980

[22]: '''

You can choose any reference date to calculate the age, as long as it's later than the last year that the car was made.

In order to keep things simple, we'll calculate each field by subtracting from the current year.

I'll use the datetime library to access the current year we're at; this year will be in numeric form.

And I'll convert the data in the model year column to numeric form by calling pd.to_numeric.

The result will be a number that will represent the age of a particular car.

111

[23]:

Go ahead and drop the original model year field,

we no longer needed because we have the age column.

'''

automobile_df.drop(['model year'], axis=1, inplace=True)

[24]:

Let's view a sample of this data frame.

Once again, you can see we now have each column which tells you how old this \Box \neg particular car is.

The absolute values for these ages don't really matter so much.

It is their relative values that are more significant.

If a car is older than another, it's possible that its mileage goes down.

DisplayMatrix(automobile_df.sample(5).T)

	164	146	203	394	340
mpg	21	28	29.5	44	25.8
cylinders	6	4	4	4	4
displacement	231	90	97	97	156
horsepower	110	75	71	52	92
weight	3039	2125	1825	2130	2620
acceleration	15	14.5	12.2	24.6	14.4
age	48	49	47	41	42

[25]: '''

If you're building and training a machine learning model, all of the inputs to your model need to be numeric.

Take a look at the data types of the different columns. You'll find that all of them are numeric except for one, that is the horsepower column.

The horsepower is a numeric field, but its data type in our data frame is \cup \circ object.

```
We need to fix this. This is very easily done using pandas.

'''
automobile_df.dtypes
```

[25]: mpg float64
cylinders int64
displacement float64
horsepower object
weight int64
acceleration float64
age int64
dtype: object

[26]: '''
Simply call pd.to_numeric to convert horsepower to a numeric field
and assign it to the horsepower column once again.

'''
automobile_df['horsepower']=pd.

\$\to_numeric(automobile_df['horsepower'],errors='coerce')\$

Let's now call describe on our dataset in order to get a few statistical bits of information about all of our numerical features.

You can see that all of the features in our dataset are now numeric.

We have mean value, standard deviations, and the different percentiles displayed here.

The describe function in pandas is an easy way for you to get a quick feel for your numeric data.

DisplayMatrix(automobile_df.describe())

accelera		pg cylinders age	displacement	horsepower	weight
count 392	392 392	392	392	392	392
mean	23.445	9 5.47194	194.412	104.469	2977.58

std 2.75886	7.80501 3.68374	1.70578	104.644	38.4912	849.403		
min 8	9 41	3	68	46	1613		
25% 13.775	17 44	4	105	75	2225.25		
50% 15.5	22.75 47	4	151	93.5	2803.5		
75% 17.025	29 50	8	275.75	126	3614.75		
max 24.8	46.6 53	8	455	230	5140		
→the f The nex I'm goin →the pairwise	Understanding the features of our dataset and what we're trying to predict is \Box the first step. The next step is to explore the data using visualizations. I'm going to use Matplotlib to plot a few scatter plots in order to understand \Box						

15.5413 47.0204

We thought it might be possible that the older car is, the lower its mileage.

Let's see if that's true using our visualization.

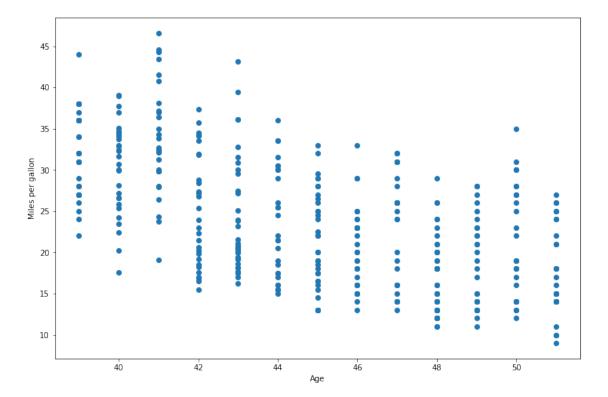
plt.scatter(automobile_df['age'],automobile_df['mpg'])

fig,ax=plt.subplots(figsize=(12,8))

plt.ylabel('Miles per gallon')

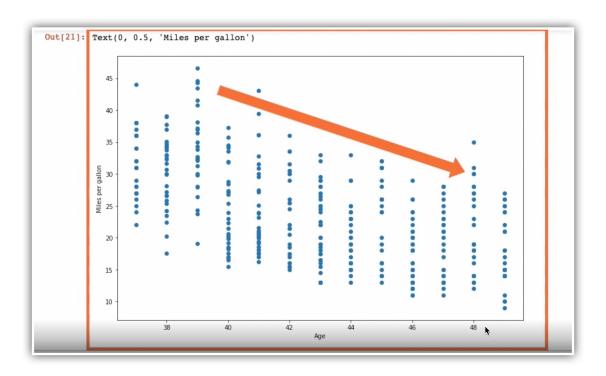
plt.xlabel('Age')

[22]: Text(0, 0.5, 'Miles per gallon')



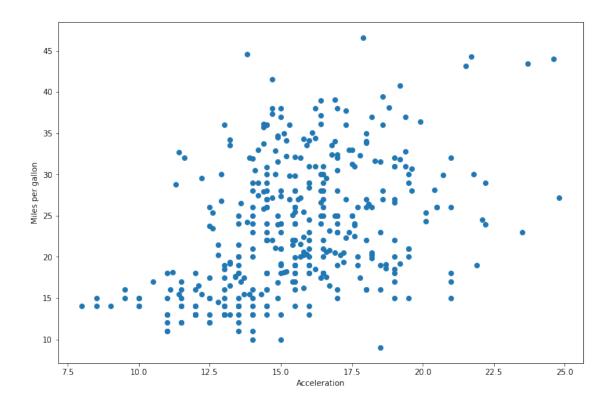
[23]: And you can see that there is a definite downward trend here. Now this doesn't necessarily mean that a relationship does exist that needs more statistical analysis, but this visualization seems to tell us that older cars have lower mileage. Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/ SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_02-20-04.jpg')

[23]:



```
[24]: fig,ax=plt.subplots(figsize=(12,8))
    plt.scatter(automobile_df['acceleration'],automobile_df['mpg'])
    plt.xlabel('Acceleration')
    plt.ylabel('Miles per gallon')
```

[24]: Text(0, 0.5, 'Miles per gallon')



[25]: '''

Let's plot another scatter plot here.

This time we'll try and see whether the acceleration of a particular car has \rightarrow any impact on mileage.

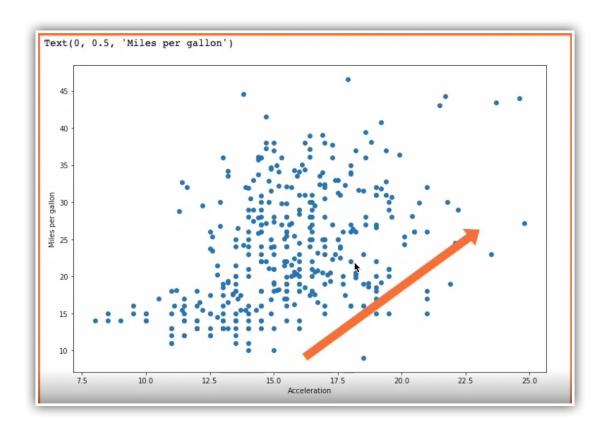
Here is our resulting scatter plot, and you can see with acceleration on the x_{\sqcup} $\hookrightarrow axis$ and miles per gallon

on the y axis, there's a definite upward slope to the scatter plot.

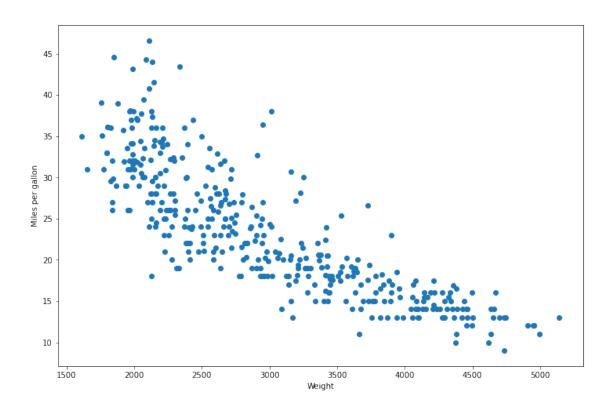
So maybe there is a relationship here.

 $\label{localized} Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_02-28-30.jpg')$

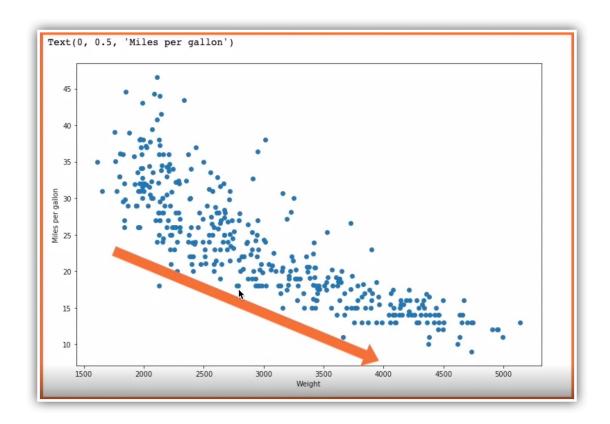
[25]:



[26]: Text(0, 0.5, 'Miles per gallon')



[27]:



```
What about how the car is positioned relative to the ground, the displacement

of the car versus mileage,
is there any relationship?

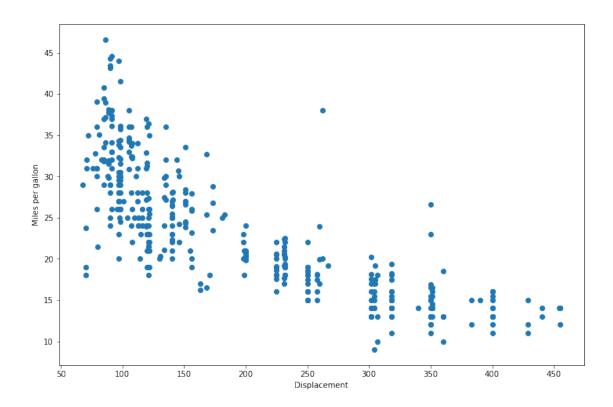
And once again, the visualization seems to say yes.
It seems like greater the displacement of the car off the ground, lower the

miles per gallon it travels.

'''

fig,ax=plt.subplots(figsize=(12,8))
plt.scatter(automobile_df['displacement'],automobile_df['mpg'])
plt.xlabel('Displacement')
plt.ylabel('Miles per gallon')
```

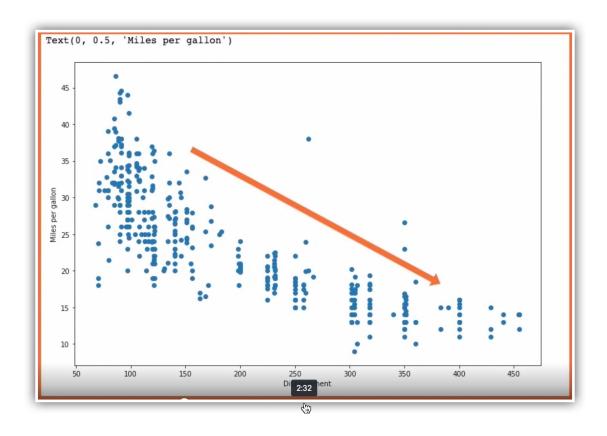
[28]: Text(0, 0.5, 'Miles per gallon')



[29]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_02-33-37.jpg')

[29]:



```
This pairwise exploration of variables really helps us cement our understanding of the underlying dataset.

What about horsepower, does it affect the miles per gallon?

Yes, indeed, it does.

'''

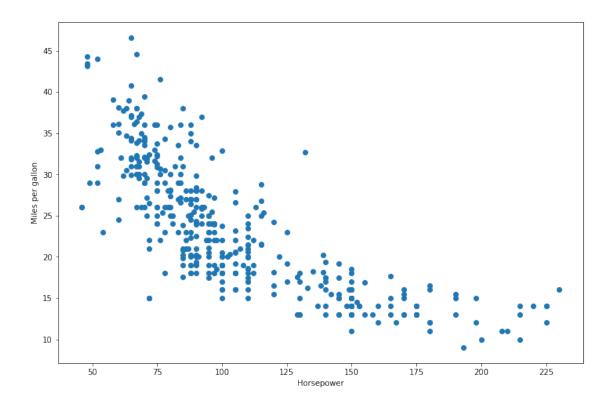
fig,ax=plt.subplots(figsize=(12,8))

plt.scatter(automobile_df['horsepower'],automobile_df['mpg'])

plt.xlabel('Horsepower')

plt.ylabel('Miles per gallon')
```

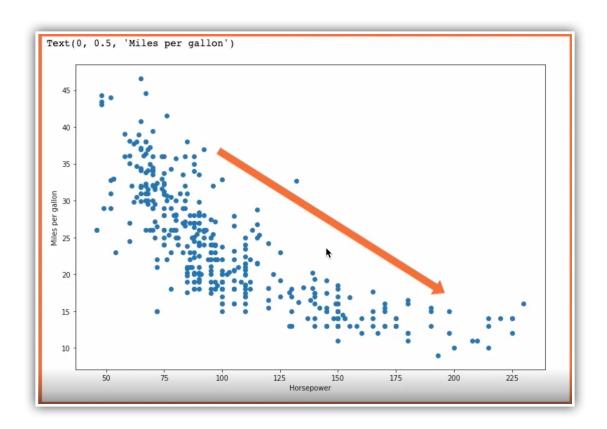
[30]: Text(0, 0.5, 'Miles per gallon')



[31]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_02-35-22.jpg')

[31]:



```
[32]:

Let's consider one last visualization here, cylinders versus mpg.

And this scatter plot definitely seems to be a little harder to pass as compared with others.

Cars with four cylinders overall seem to have the best miles per gallon.

When you train your machine learning model, you feed it features that you think are significant.

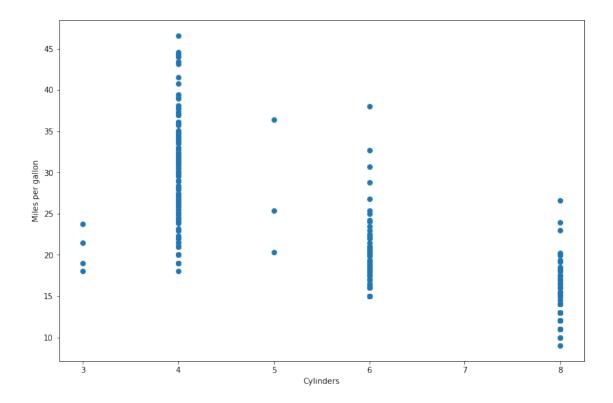
'''

fig, ax = plt.subplots(figsize=(12, 8))

plt.scatter(automobile_df['cylinders'], automobile_df['mpg'])

plt.xlabel('Cylinders')
plt.ylabel('Miles per gallon')
```

[32]: Text(0, 0.5, 'Miles per gallon')



[33]: '''

Now it's quite possible that your features themselves have interrelationships $_{\sqcup}$ $_{\hookrightarrow}$ or correlations with one another.

Correlations is a statistical measure that tells you whether and how strongly $_{\!\!\!\perp}$ $_{\!\!\!\!\perp}$ pairs of variables are related.

Data frames offer this nifty little core function that will list out pairwise \neg correlations between every pair of variables in your dataset.

Correlation values are floating point numbers between -1 and 1.

1 implies a perfect positive correlation between two variables.

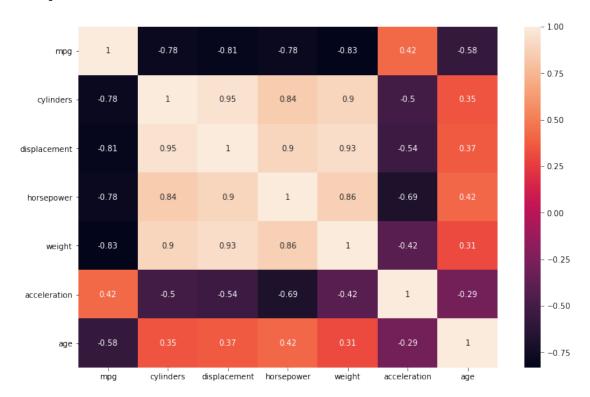
Positive correlation implies that two variables move together in the same

A negative correlation implies that the two variables move in different \hookrightarrow directions.

```
The raw correlation numbers tell us that acceleration is positively correlated \sqcup
       ⇔with the mileage per gallon.
       You can also see that weight is negatively correlated with miles per gallon.
       In fact, weight is highly negatively correlated, - 0.83.
      automobile_corr=automobile_df.corr()
      automobile_corr
                         mpg cylinders displacement horsepower
                                                                     weight \
                   1.000000 -0.777618
                                            -0.805127
                                                        -0.778427 -0.832244
     mpg
      cylinders
                   -0.777618
                              1.000000
                                             0.950823
                                                         0.842983 0.897527
      displacement -0.805127 0.950823
                                             1.000000
                                                         0.897257 0.932994
     horsepower
                   -0.778427 0.842983
                                             0.897257
                                                        1.000000 0.864538
      weight
                   -0.832244 0.897527
                                             0.932994
                                                        0.864538 1.000000
      acceleration 0.423329 -0.504683
                                            -0.543800 -0.689196 -0.416839
                   -0.580541
                               0.345647
                                             0.369855
                                                        0.416361 0.309120
      age
                    acceleration
                                       age
     mpg
                        0.423329 -0.580541
      cylinders
                       -0.504683 0.345647
      displacement
                       -0.543800 0.369855
     horsepower
                       -0.689196 0.416361
      weight
                       -0.416839 0.309120
      acceleration
                       1.000000 -0.290316
      age
                       -0.290316 1.000000
[34]: '''
       Viewing correlations with the raw numbers is hard, which is why we use a_\sqcup
       \neg visualization technique
       called the heatmap in order to view correlations in our data.
       When we pass in annot is equal to True to the heatmap in Seaborn, it will \sqcup
       ⇔print out the actual
       correlation number along with the color-coded grid.
       And this is what a heatmap looks like. Lighter colors tending towards creamu
       ⇔denote positive correlation,
       darker colors tending towards black denote negative correlation.
       This value of - 0.58 is in the mpg row and the age column.
       This shows that the miles per gallon seems very negatively correlated with the \Box
       \hookrightarrow age of the car.
      111
      fig, ax = plt.subplots(figsize=(12, 8))
      sns.heatmap(automobile_corr,annot=True)
```

[33]:

[34]: <AxesSubplot:>



[35]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_02-49-07.jpg')



```
[36]: '''
       We've done a bunch of preprocessing on our dataset, we've also viewed the \Box
       ⇔relationships in our data.
       Now let's take this updated data frame and shuffle it so that we feed and \sqcup
       ⇔shuffle data to our
       machine learning models.
       I'll use the sample function on our data frame to shuffle my dataset,
       I'm keeping all of the original samples, frac is equal to 1, and I'm resetting\Box
       ⇔the indices.
       Drop is equal to True, passed into reset_index will drop the original index\Box
       ⇒values that existed in our data frame.
       Here is our shuffled and cleaned up data frame.
       Now, shuffling data before feeding into an ML model is important so that our
       ⇔model doesn't
       inadvertently pick up patterns that do not exist.
       so it's important that your data be shuffled.
       model.
      I I I
      automobile_df = automobile_df.sample(frac=1).reset_index(drop=True)
      automobile_df.head()
```

[36]: mpg cylinders displacement horsepower weight acceleration age 0 19.0 4 121.0 2868 15.5 112 48 1 46.6 4 86.0 2110 17.9 41 65 2 25.0 2542 4 140.0 75 17.0 47 3 15.0 6 258.0 110 3730 19.0 46 4 31.0 4 91.0 1970 17.6 39 68

```
[37]:

I'm going to save my shuffled and cleaned up dataset to a new CSV file,

→auto-mpg- processed.csv.

This is the CSV file that I'll use to build my regression models.

'''

automobile_df.to_csv('data/auto-mpg-processed.csv', index=False)
```

```
Here is what the dataset looks like. The features are cylinders, displacement, whorsepower, weight, acceleration, and age, and we'll use these features in a linear regression who model in order to predict the mileage of the car.

'''

automobile_df=pd.read_csv('data/auto-mpg-processed.csv')
automobile_df.sample(5)
```

[38]:		mpg	cylinders	displacement	horsepower	weight	acceleration	age
	114	18.0	3	70.0	90	2124	13.5	48
	321	15.0	8	390.0	190	3850	8.5	51
	16	32.9	4	119.0	100	2615	14.8	40
	196	20.0	6	232.0	100	2914	16.0	46
	79	13.0	8	400.0	190	4422	12.5	49

[39]:

When you are building and training a machine learning model,
how do you know that the model that you've built is a good one?

Well, you'll evaluate your model on test data.
Test data are basically a holdout from your training dataset.
These are instances your model hasn't seen before, and you'll see how well your
→ model predicts
using those instances.

Scikit-learn offers a useful train_test_split function in order to split your
→ data into training and test sets.

'''

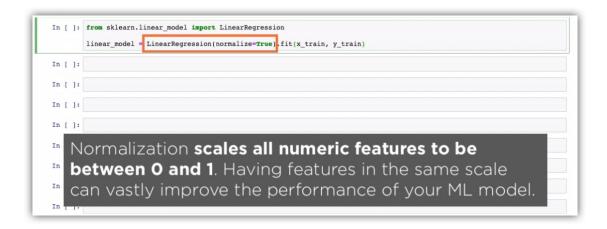
from sklearn.model_selection import train_test_split

```
[41]: '''
     Let's split our data into training and test sets.
     ⇔evaluate the model that you build
     using your training data, which is 80% of your dataset.
      We've already shuffled our dataset earlier;
     however, you should know that the train test split function in scikit-learn u
      \hookrightarrow automatically shuffles
     your data as well.
     x_train, x_test, y_train, y_test = train_test_split(X, Y, test_size=0.2)
[42]: '''
     Let's take a look at a sample from our training dataset.
     We've used just one feature here, we have just one column for horsepower.
     x_train.sample(5)
[42]:
          horsepower
     252
                 150
     81
                  78
     122
                 165
     194
                  96
     389
                 110
[43]: '''
     Scikit-learn offers us high-level estimator objects that we can use to build \sqcup
      ⇔and train our machine learning model.
     In order to perform linear regression, we'll use the LinearRegression estimator ⊔
      \hookrightarrow object.
      Import this object and let's instantiate a linear model.
      111
     from sklearn.linear_model import LinearRegression
```

[43]:

Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

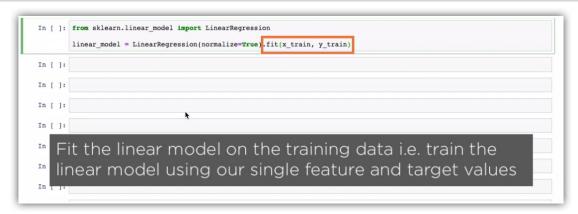
SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_21-13-03.jpg')



[44]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_21-16-23.jpg')

[44]:



The features that you feed into your machine learning model are numeric and typically when you're working with numbers, your ML model performs far better if you normalize your data.

If you pass in the parameter normalize is equal to True to your this will scale all your numeric features to be between 0 and 1.

For a simple model, such as the ones that we'll build in this particular course, you'll find that normalizing your dataset may or may not make a difference, but for more complex models in the real world, normalizing your numeric data is a standard preprocessing

technique for machine learning.

The fit function on an estimator object is what you call to train your machine

⇒learning model.

This fits the linear model on the training data, so it trains the linear model

⇒using our single feature,

the horsepower, and it uses the target values to adjust the model parameters.

[46]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-16_21-22-19.jpg')

[46]:

```
In [5]: from sklearn.linear_model import LinearRegression
linear_model = LinearRegression(normalize=True).fit(x_train, y_train)

In [6]: print('Training score: ', linear_model.score(x_train, y_train))
Training score: 0.5952180112450147

In []:

In []:

R-square is a measure of how well our linear model
captures the underlying variation in our training data
```

[47]:

A way to measure how well your model has performed on the training data is to□

score your model using the

R squared score.

The score function on your linear regression model will return the R square□

value for your training data.

As we discussed, this R square value is a measure of how well our linear model□

captures the underlying

variation in our training data.

And you can see here that with just a single feature, horsepower, our model has□

an R square of 60%.

It isn't great, but it isn't terrible either.

```
print('Training score: ', linear_model.score(x_train, y_train))
     Training score: 0.6040260228388256
[48]: '''
      Now that we have a fully trained model built using a single feature, let's use \Box
       ⇔this model for prediction.
      Call linear model.predict and pass in our test data, as in only X values are \Box
       ⇔the features to predict.
      And here are our predictions, saved in y pred.
      y_pred=linear_model.predict(x_test)
[49]: '''
      A way to objectively measure how well your linear model performed on instances \sqcup
      hasn't seen before is to calculate the R square score on your test data.
      The sklearn.metrics namespace offers a number of useful metrics to use with \sqcup
       \hookrightarrow your ML models.
      Import the r2_score function here from the sklearn.metrics namespace, and use<sub>\square</sub>
       ⇔that to score how your
      model performed on the test data.
      Pass in the predicted values from your model, and compare them with the actual,
       ⇔values in your test data.
      111
      from sklearn.metrics import r2_score
      print('Testing score: ', r2_score(y_test, y_pred))
     Testing score: 0.6134703584934424
[50]: '''
      And with just one feature, our linear regression model has an R squared score
       \hookrightarrow of 60%.
      Compare that with the R square score of the training data.
```

The R square on test data is better than on training data, which means that our

→ model is a good, robust model,

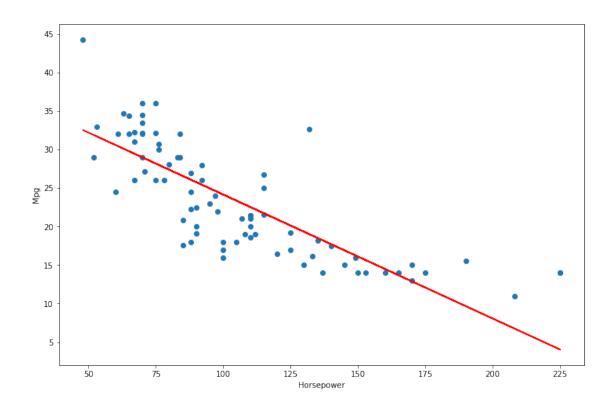
not overfitted on the training data.

An overfitted model is one that does well on the training data, but does poorly

→ when used for prediction or on
test data.

[50]:

```
[51]: '''
      Let's use a little visualization to see how well our linear model fits on the \Box
       \rightarrowunderlying data.
      I'll first plot a scatterplot of horsepower versus miles per gallon.
      This scatterplot represents the test dataset and the actual Y values.
      I'll then plot a line representing the horsepower and predictions from our \sqcup
       \hookrightarrow linear model in the red color.
      And here is what the resulting visualization looks like.
      The scatterplot represents the test data, the red line represents the predicted \sqcup
       ⇒values from our model.
      This is our linear model.
      fig, ax = plt.subplots(figsize=(12, 8))
      plt.scatter(x_test, y_test)
      plt.plot(x_test, y_pred, color='r')
      plt.xlabel('Horsepower')
      plt.ylabel('Mpg')
      plt.show()
```



[52]: '''

Let's build one more linear model.

The feature that we'll use this time to train our model is the age of the car.

make sure you normalize your numeric features, and call fit on the $training_{\sqcup}$ $\Rightarrow data$.

Once we have a fully trained linear regression model, print out the R square \hookrightarrow score for this model on the

training data, use this model for prediction on the test data, and print out $_{\sqcup}$ $_{\hookrightarrow}$ the R square score on the test data as well.

And here is how the two scores compare when we use age as our feature. The training R square score is 36%, and the test score is 19%, so this is a_ \rightarrow pretty poor model.

111

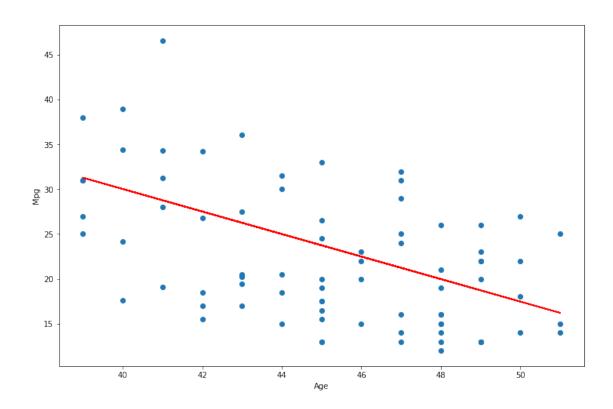
```
X=automobile_df[['age']]
Y=automobile_df['mpg']
x_train, x_test, y_train, y_test = train_test_split(X, Y, test_size=0.2)
linear_model = LinearRegression(normalize=True).fit(x_train, y_train)
print('Training score: ', linear_model.score(x_train, y_train))

y_pred = linear_model.predict(x_test)

print('Testing score: ', r2_score(y_test, y_pred))
```

Training score: 0.36112880608556863 Testing score: 0.19827232820453733

```
[53]: '''
      So, age by itself is not really a good predictor for the car's mileage, and \Box
      ⇔this will be born out using our
      visualization as well.
      Plot a scatter plot of X versus actual Y and X versus Y predicted, and here is_{\sqcup}
       ⇔what the result looks like.
      You can see that the line that we've drawn here really doesn't capture the 
       →underlying variation in the data well,
      which is why this model has a low R square score.
      The points are too scattered, too far apart, the line really doesn't represent \sqcup
       ⇔them well.
      111
      fig, ax = plt.subplots(figsize=(12, 8))
      plt.scatter(x_test, y_test)
      plt.plot(x_test, y_pred, color='r')
      plt.xlabel('Age')
      plt.ylabel('Mpg')
      plt.show()
```



```
This time, instead of using a single feature to train our model, we'll use more than one feature.

Create our X variables that we'll use to train our model using displacement, we'll use thorsepower, and weight.

We'll use these three features to predict the miles per gallon for the cars in our dataset.

MPG is our Y variable assigned to the Y data frame.

X=automobile_df[['displacement', 'horsepower', 'weight']]
Y=automobile_df['mpg']
```

[55]:

With our data all set up, let's call the train_test_split function to split

into training data that we'll use to build our model,

and test data that we'll use to measure our model.

""

x_train,x_test,y_train,y_test=train_test_split(X,Y,test_size=0.2)

[56]:

| We'll continue to work with the LinearRegression estimator object, and we'll

→ normalize all of the numeric features

```
that we pass in to train our model.

Call the fit function on your estimator object to start the training process, □ → and pass in the training data and the corresponding training Y values.

'''

linear_model=LinearRegression(normalize=True).fit(x_train,y_train)
```

Training Score: 0.7170149678642119

[59]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_11-17-07.jpg')

'''

A linear model assumes a linear relationship between your input features and

the output that

you're trying to predict, and this linear relationship can be represented as Y

sis equal to WX + B,

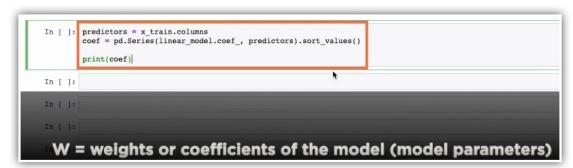
where W is the weight, or the coefficients that you use to multiply your X

youriables, the features.

W is also referred to as the model weight or model parameters.

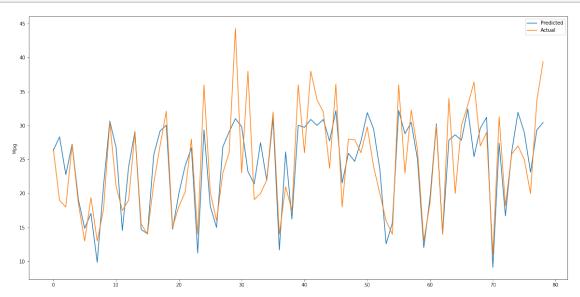
'''

[59]:



[62]: ''' You can use the linear model instance in order to get the coefficients for ... *⇒your X variables or the predictors.* Get the predictors from your x_train data frame, these are the columns of your_ \hookrightarrow data frame, and we'll instantiate a pandas series with a coefficient for each predictor. And let's print out these coefficients and see what they are. The coefficients of your linear model for horsepower, displacement, and weight \sqcup *⇔are all negative.* This indicates that as the values for these features increase, the mileage of \Box ⇔the car tends to go down. 111 predictors=x_train.columns coef=pd.Series(linear_model.coef_,predictors).sort_values() coef [62]: horsepower -0.031554 displacement -0.008993 -0.005457 weight dtype: float64 [63]: ''' The R square on the training data for this model with additional features was \sqcup *⇔much* better. Let's use this model for prediction and store the predicted values in y_pred. y_pred=linear_model.predict(x_test) [64]: ''' Let's now calculate the R square score for the test data. And you can see that there is a significant improvement here as well. The R square score on test data is almost 76%. Once again, the R square \Box \hookrightarrow calculated on test data is better than the R square on training data, indicating that it's a robust model. The overall higher R square that we get with three features instead of one \sqcup ⇔means that this model has better predictive power. I I Iprint("Testing Score : ", r2_score(y_test,y_pred))

Testing Score: 0.6562725029103171



```
[67]:

Well, we added more features, we got a better model.

What if we add even more features? Displacement, horsepower, and weight are

→ the features that we're using currently.

I'm going to include acceleration, as well as the number of cylinders.
```

```
For now, I'm going to go over these five features to train our machine,
       \hookrightarrow learning model.
          We'll instantiate a new LinearRegression estimator object and fit on this \Box
       \hookrightarrownew training data.
          Once this new model has been trained, let's calculate its R squared.
          Let's see what kind of a model it is. Now, the original R square that we \Box
       ⇒got earlier with three features was around 69%.
          Hit Shift+Enter to calculate the new R squared, and you might say wow, it's \sqcup
       ⇔73%, this is definitely a better model.
          Use the linear model to predict on our x test dataset, save the predictions \Box
       \neg in y_pred, and let's calculate the r2_score for our test data.
          The R square on test data is 60.9 %, almost as low as the R square that we_{\sqcup}
       ⇒got when we trained a model using just a single feature, the horsepower.
          \hookrightarrow model.
          What we just performed is what is sometimes called kitchen sink regression
       where we throw all of the features that we have into our model.
          Kitchen sink regression does not necessarily perform well because all of \Box
       →our model features may not have good predictive power.
      I I I
      X=automobile_df[['displacement', 'horsepower', 'weight', 'acceleration', 'cylinders']]
      Y=automobile df['mpg']
      x_train,x_test,y_train,y_test=train_test_split(X,Y,test_size=0.2)
      linear_model=LinearRegression(normalize=True).fit(x_train,y_train)
      print("Training Score : ", linear_model.score(x_train,y_train))
      y_pred=linear_model.predict(x_test)
      print("Testing Score : ", r2_score(y_test,y_pred))
     Training Score: 0.713982761241602
     Testing Score: 0.6721641982553026
[68]: '''
      once again to get the coefficients of all of the features that we've included.
      We get five coefficients corresponding to the five features that we used to \sqcup
       \hookrightarrow train \ our \ model.
      111
      predictors=x_train.columns
      coef=pd.Series(linear_model.coef_,predictors).sort_values()
      coef
```

[68]: cylinders -0.350272
horsepower -0.038871
displacement -0.007406
weight -0.004643
acceleration 0.041235
dtype: float64

[71]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-02-56.jpg')

[71]:



[133]: ''

This is a dataset that contains categorical values, and we'll see how we can \rightarrow convert these to

numeric form so that we can use them to train our machine learning model.

That's the dataset we're going to use, exam scores dataset.

We know the gender of the student, the race or ethnicity he or she belongs to, $_{\!\!\!\bot}$ +the parental level of education,

whether the student has standard or subsidized lunch, and whether the student $_{\sqcup}$ $_{\hookrightarrow} has$ joined a test preparation course.

You can see that these personal details are categorical, or discrete values. They're not numeric either, they're represented as string values in our_{\sqcup} $\rightarrow dataset$.

We also have a few features describing the scores for that student in math, $_{\sqcup}$ $_{\hookrightarrow} reading,$ as well as writing.

All of these scores are out of a hundred. These are the only numeric features \neg in our dataset with continuous values.

```
exam_df=pd.read_csv('data/exams.csv')
exam_df.sample(5)
```

[133]:		gender	race/ethnicity p	arental leve	l of education	lunch	\
	99	male	group B	bac	helor's degree	standard	
	78	female	group C	so	me high school	standard	
	19	male	group E		some college	standard	
	47	male	group E		some college	free/reduced	
	68	female	group B		some college	standard	
		test pre	eparation course	math score	reading score	writing score	
	99		none	77	69	67	
	78		none	87	87	85	
	19		none	75	66	64	
	47		completed	96	94	90	
	68		completed	44	57	53	

[134]: '''

The describe function on a pandas DataFrame will give us brief statistics about \rightarrow all of the numeric values in our data frame.

This dataset has a total of 100 records for 100 students.

You can see the average scores for these students in math, reading, and writing. You can see that math scores are a little lower than their reading and writing \neg scores.

The standard deviation of these scores, how these scores vary across students, $_{\sqcup}$ $_{\dashv} is$ also different.

, , ,

exam_df.describe()

[134]: math score reading score writing score

		0 1 1	0
count	100.000000	100.000000	100.000000
mean	66.730000	69.980000	69.140000
std	15.631395	13.732642	14.886792
min	18.000000	25.000000	20.000000
25%	58.000000	61.000000	62.000000
50%	69.000000	71.500000	69.000000
75%	78.250000	80.000000	81.000000
max	96.000000	94.000000	93.000000

Γ135]: '''

This dataset is interesting because the data needs a lot of preprocessing \cup \cup before we can feed it into a linear model.

And scikit-learn makes it very easy for you to preprocess data using the \neg preprocessing module from sklearn.

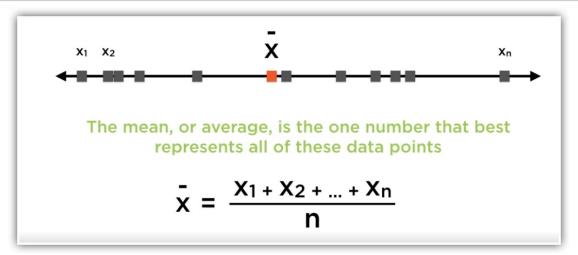
Go ahead and import preprocessing.

Standardizing a dataset means that these column values will now have 0 mean and u *⇔unit variance.* We'll have a variance of 1. Standardizing values is extremely useful because it gives you an easy way to \Box ⇒compare values which are part of different distributions. Standardization is also a common preprocessing technique for machine learning \Box \rightarrow algorithms to build more robust models. We call preprocessing scale to standardize the math score, reading score, and \Box writing score of all of our students. Standardization is done by subtracting the mean, or average, value of a column $_{\sqcup}$ \hookrightarrow of values from each value in that column and dividing the number by the \sqcup standard deviation of the column. from sklearn import preprocessing exam_df[['math score']]=preprocessing.scale(exam_df[['math score']]). ⇔astype('float64') exam_df[['reading score']]=preprocessing.scale(exam_df[['reading score']]). ⇔astype('float64') exam_df[['writing score']]=preprocessing.scale(exam_df[['writing score']]). ⇔astype('float64')

[136]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-19-03.jpg')

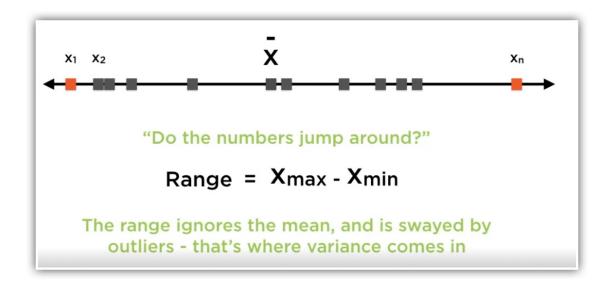
[136]:



[137]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-19-58.jpg')

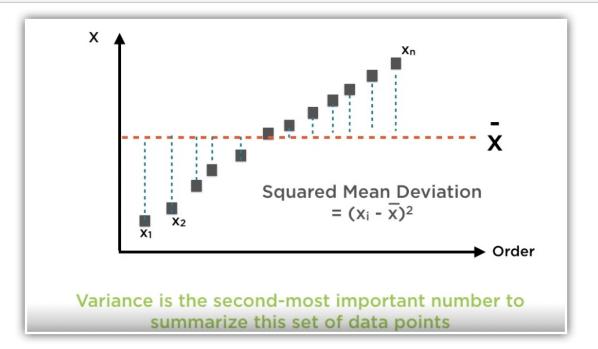
[137]:



[138]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-20-48.jpg')

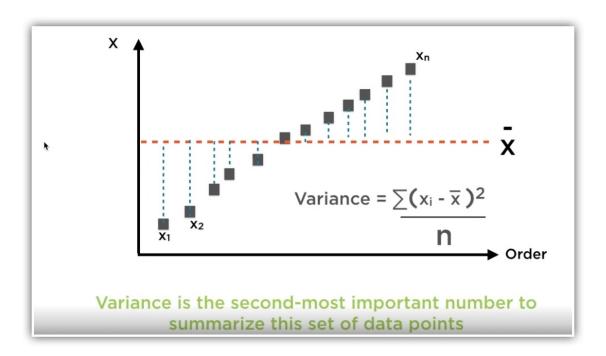
[138]:



[139]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-21-32.jpg')

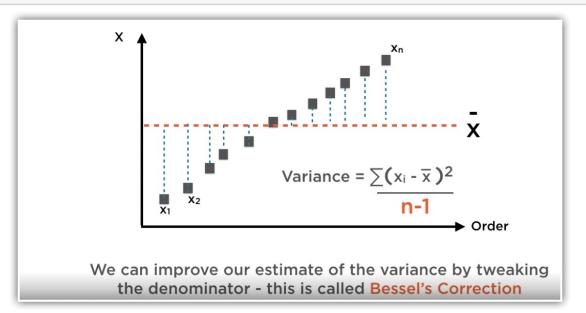
[139]:



[140]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-22-14.jpg')

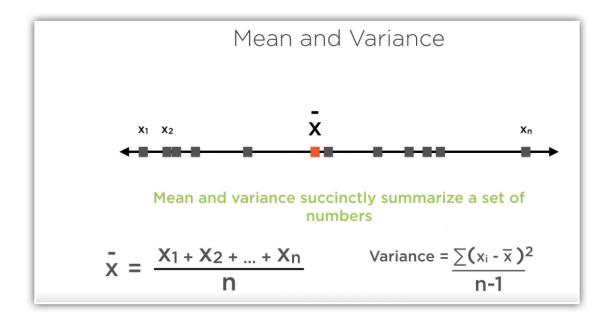
[140]:



[141]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-22-46.jpg')

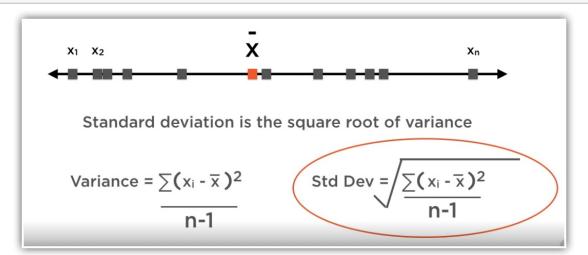
[141]:



[142]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-23-21.jpg')

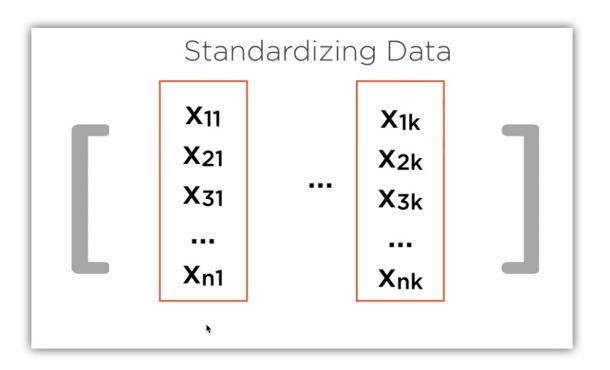
[142]:



[143]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-23-59.jpg')

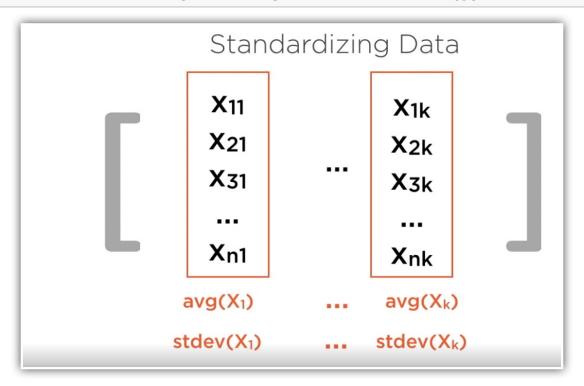
[143]:



[144]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-24-34.jpg')

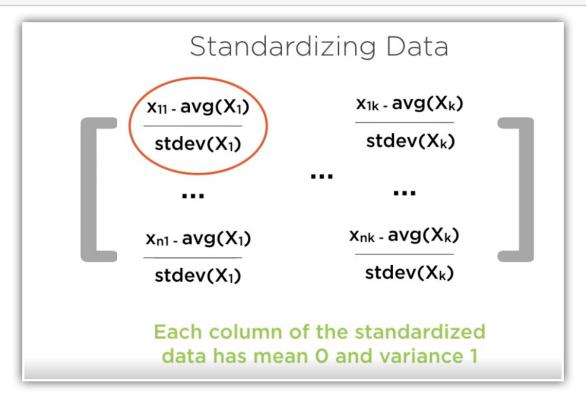
[144]:



[145]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/

SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_18-25-14.jpg')

[145]:



[146]: '''

If you sample your data frame now with the standardized values for the $_{\sqcup}$ $_{\hookrightarrow}$ different scores,

you can see that the scores are now very small numbers. Negative scores are \hookrightarrow those which are below the mean,

and positive scores are those that are above the mean.

Standardizing a dataset allows you to see this at a single glance. You don't \sqcup \neg need to know the actual numbers, actual mean values, nothing.

You can see that this particular student has been doing pretty poorly in her \hookrightarrow exams. All of her scores are more than one standard deviation below the mean.

exam_df.head()

3 female

[146]: gender race/ethnicity parental level of education lunch \
0 female group E associate's degree standard
1 female group C some college standard
2 male group E high school standard

group B

some college free/reduced

```
test preparation course
                                  math score reading score
                                                             writing score
       0
                                    0.210248
                                                   0.440580
                                                                  -0.009452
                            none
                                   -1.268562
                                                  -1.315885
                                                                  -1.292181
       1
                            none
       2
                                    0.531729
                                                   0.147836
                                                                  -0.076964
                            none
       3
                       completed
                                   -1.461450
                                                  -1.315885
                                                                  -1.022132
       4
                       completed
                                    0.017360
                                                   0.440580
                                                                   0.733181
[147]: '''
       Let's call describe on our data frame once again. Our data frame now contains \Box
       ⇔standardized values for scores.
       You can see that mean values are very, very close to 0, and the standard \Box
       ⇔deviations for all three scores are very, very close to 1.
       This is what standardization has done.
       111
       exam_df.describe()
[147]:
                math score reading score writing score
                             1.000000e+02
       count 1.000000e+02
                                            1.000000e+02
      mean -2.642331e-16 -3.048950e-16 -4.468648e-17
                                          1.005038e+00
       std
             1.005038e+00
                             1.005038e+00
      min
           -3.133149e+00 -3.291909e+00 -3.317542e+00
       25%
            -5.613050e-01 -6.572107e-01 -4.820360e-01
       50%
             1.459522e-01
                            1.112428e-01 -9.451687e-03
                             7.333242e-01
       75%
             7.406911e-01
                                          8.006929e-01
                             1.757929e+00
                                           1.610838e+00
      max
              1.881947e+00
Г1487: '''
       What's interesting about this dataset is the fact that many of its columns_{\sqcup}
        ⇔contain discrete or categorical values,
       such as the parental level of education column.
       Call the unique function in order to see the unique values represented in this...
        ⇔column.
       These are the differing levels of education for the parents of these students.
       All of the students belong to the same grade.
       , , ,
       exam_df['parental level of education'].unique()
[148]: array(["associate's degree", 'some college', 'high school',
```

bachelor's degree

standard

4 female

group B

"bachelor's degree", 'some high school', "master's degree"],

dtype=object)

```
[149]: '''
       For this particular field containing categorical data, you know that there is \Box
        ⇔an intrinsic order in the level of education.
       Some high school, then comes high school, then some college, then associate's,,,
        ⇔the bachelor's, then master's degree.
       parent_level_of_education = [
           "some high school",
           "high school",
           "some college",
           "associate's degree",
           "bachelor's degree",
           "master's degree"
       ]
[150]: '''
       Categorical values have to be converted to numeric form before they can be used.
        →in your ML model,
       and when there is an ordering associated with your categories, you should use \sqcup
        ⇔the preprocessing.LabelEncoder object
       in scikit-learn to convert categorical values to integer values to use in our_{\sqcup}
        \hookrightarrow ML algorithm.
       Instantiate the LabelEncoder object, and call fit on the
        ⇒parent_level_of_education array.
       The result will be an ordered label encoding of these categories. Every \Box
        ⇔category will be represented by an integer value.
       And these integers can then be fed into our ML model for training.
       ,,,
       label_encoding=preprocessing.LabelEncoder()
       label_encoding=label_encoding.fit(parent_level_of_education)
[151]: '''
        Let's transform our parental level of education column in our data frame to_{\sqcup}
        sthese unique integer labels by calling label_encoding.transform.
        Our parental level of education column will now contain integer values_
        ⇔representing the different levels of education.
        Zero represents some high school, 1 represents high school, and so on.
       , , ,
```

```
exam_df.head()
[151]:
          gender race/ethnicity parental level of education
                                                                        lunch \
       0 female
                        group E
                                                                     standard
                                                             4
       1 female
                        group C
                                                                    standard
            male
                                                             2
                                                                     standard
       2
                        group E
                                                             4
                                                               free/reduced
       3 female
                        group B
       4 female
                        group B
                                                                    standard
         test preparation course math score reading score writing score
       0
                             none
                                     0.210248
                                                     0.440580
                                                                   -0.009452
       1
                             none
                                  -1.268562
                                                    -1.315885
                                                                   -1.292181
       2
                                    0.531729
                                                     0.147836
                                                                   -0.076964
                             none
       3
                       completed -1.461450
                                                    -1.315885
                                                                   -1.022132
       4
                       completed
                                  0.017360
                                                     0.440580
                                                                    0.733181
[152]: '''
       Label encoding.classes gives you the classes that were encoded as integers.
       These are the various levels of education for the parents of students.
       111
       label_encoding.classes_
[152]: array(["associate's degree", "bachelor's degree", 'high school',
              "master's degree", 'some college', 'some high school'],
             dtype='<U18')
[153]: '''
        If you have values in your dataset that are categorical in that they are \sqcup
        ⇔discrete values,
        but there is no intrinsic ordering between these values,
        you can convert these categorical values to numeric representation using \sqcup
        \hookrightarrow one-hot encoding.
        For example, the race or ethnicity that a particular student belongs to is_{\sqcup}
        ⇒ just a category. There is no ordering between these races.
        The pd.qet_dummies function will allow us to represent these categories for \Box
        ⇔students in numeric form using one-hot encoding.
        The pd.qet_dummies function will replace the original race/ethnicity column_
        with a column representing each race.
        Race and ethnicity are represented by categories group A, group B, all the way \Box
        \hookrightarrowup to group E.
        And you can see that there is a column associated with each of these groups \sqcup
        ⇒after we've one-hot encoded this information.
```

exam_df['parental level of education']=label_encoding.

stransform(exam_df['parental level of education'].astype(str))

```
A student who belongs to group E will have a 1 in that particular column, all _{\sqcup}
         ⇔other columns will be Os.
         A student belonging to group B will have a 1 in that column, other columns \Box
        ⇔will be Os.
         This is how one-hot encoding of categorical data works.
       exam_df=pd.get_dummies(exam_df,columns=['race/ethnicity'])
       exam_df.head()
                                                         lunch test preparation course
[153]:
          gender parental level of education
       0 female
                                                      standard
                                                                                    none
       1
         female
                                               4
                                                      standard
                                                                                    none
            male
                                                      standard
       2
                                               2
                                                                                    none
       3 female
                                                 free/reduced
                                                                               completed
       4 female
                                               1
                                                      standard
                                                                               completed
          math score reading score writing score race/ethnicity group A
       0
            0.210248
                            0.440580
                                           -0.009452
                                                                              0
       1
         -1.268562
                           -1.315885
                                           -1.292181
                                                                             0
       2
                                                                             0
            0.531729
                            0.147836
                                           -0.076964
       3
           -1.461450
                           -1.315885
                                           -1.022132
                                                                             0
            0.017360
                            0.440580
                                            0.733181
                                                                              0
          race/ethnicity_group B race/ethnicity_group C race/ethnicity_group D
       0
       1
                                 0
                                                          1
                                                                                    0
       2
                                 0
                                                          0
                                                                                    0
       3
                                                          0
                                                                                    0
                                 1
       4
                                 1
                                                          0
                                                                                    0
          race/ethnicity_group E
       0
                                 1
                                 0
       1
       2
                                 1
       3
                                 0
       4
                                 0
[154]: '''
       We'll now perform the same one-hot encoding for other categorical values in \Box
        \hookrightarrow this dataset.
       The columns for gender, lunch, and test preparation course.
       I'll invoke pd.get_dummies on all of these columns.
       And once we've done this, let's take a look at what the resulting data looks,
        \hookrightarrow like.
```

```
⇔values have been one-hot encoded.
       exam_df=pd.get_dummies(exam_df,columns=['gender','lunch','test preparation_
        ⇔course'])
       exam_df.head()
[154]:
          parental level of education math score reading score writing score \
                                                          0.440580
                                                                         -0.009452
                                          0.210248
       1
                                         -1.268562
                                                         -1.315885
                                                                         -1.292181
       2
                                          0.531729
                                                          0.147836
                                                                         -0.076964
                                                         -1.315885
       3
                                         -1.461450
                                                                         -1.022132
                                     4
                                                                          0.733181
                                     1
                                          0.017360
                                                          0.440580
          race/ethnicity_group A
                                  race/ethnicity_group B race/ethnicity_group C
       0
                                0
                                                         0
       1
                                                                                   1
       2
                                0
                                                                                   0
       3
                                0
                                                         1
                                                                                   0
                                                                                   0
                                0
                                   race/ethnicity_group E gender_female gender_male
          race/ethnicity_group D
       0
                                0
       1
                                                         0
                                                                                       0
       2
                                0
                                                         1
       3
                                0
                                                         0
                                                                         1
                                                                                       0
                                                                         1
          lunch_free/reduced
                               lunch_standard test preparation course_completed
       0
                                                                                 0
       1
                            0
                                             1
       2
                            0
                                             1
                                                                                 0
       3
                                                                                 1
                            1
                                                                                 1
          test preparation course_none
       0
                                      1
       1
                                      1
       2
                                      1
       3
                                      0
                                      0
[155]: '''
```

You can see that this data has many more columns, as all of our categorical.

Now that we have our data all in numeric form, including the categorical \Box ⇔values, let's set up our training data and our test data.

```
We'll try and predict the math score for a particular student using the \sqcup
        ⇔other features in the dataset.
           So we'll use the personal details for every student, along with their \Box
        ⇔reading and writing scores to predict their math scores.
           The x variables, or the features that we'll use for training, are all \sqcup
        ⇔columns other than the math score.
           So drop the math score and assign the rest to x.
           The y variables are the target values that we're going to predict using \Box
        ⇔linear regression is the math score for every student.
           Call the train_test_split function in order to use 80% of the data to train_
        ⇒our model and 20% to test our model.
       111
       from sklearn.model_selection import train_test_split
       X=exam_df.drop('math score',axis=1)
       Y=exam_df['math score']
       x_train,x_test,y_train,y_test=train_test_split(X,Y,test_size=0.2)
[158]: '''
        This is a toy dataset. Our training data has just 80 records, and our test \sqcup
        ⇔data has 20 records.
        And the corresponding thing is true for the y labels for the values as well.
       x_train.shape,x_test.shape
[158]: ((80, 14), (20, 14))
[160]: Image('/Users/subhasish/Documents/APPLE/SUBHASISH/Development/GIT/Interstellar/
        SB-AI-DEV/ML/SB/LinerRegression/Images/2021-10-17_19-44-18.jpg')
```

51

[160]:

```
In []: from sklearn.linear_model import LinearRegression
linear_model = LinearRegression(fit_intercept=True)
In []:
In []:
In []:
We've used one-hot encoding for our features and have
explicitly set fit_intercept=True - this might cause us to
encounter perfect collinearity in our model
In []:
```

```
[161]:
```

With our dataset all set up, we are now ready to fit a linear model on our data. From kslearn.linear_model, import a LinearRegression estimator.

Instantiate the LinearRegression estimator object, and we explicitly pass in $_{\sqcup}$ $_{\hookrightarrow}$ the parameter fit_intercept is equal to True.

now this particular setup might cause us to encounter what is known as the \sqcup \dashv dummy variable trap.

The dummy variable trap occurs when there is perfect collinearity between two_{\sqcup} $\hookrightarrow variables$ that we've used in our model.

This trap is encountered if we fit an intercept on our linear model and we use \rightarrow all of the columns from our one-hot encoded variables.

111

linear_model=LinearRegression(fit_intercept=True).fit(x_train,y_train)

[162]: '''

Let's try training our model with these particular parameters, \(\to fit_intercept=True \) and one-hot encoding with all of the columns intact in our features, and see what happens.

The model trains with no errors, things seem to be fine here.

Let's calculate the score of this model. Here is the R square, and the R square \(\to is 88\% \).

This is very good. It's a simple dataset, which is why we have this high R \(\to squared \).

Training_score : 0.8941812551608761

```
[165]:

Let's use this model for prediction on our test data. Call linear_model.

⇒predict on x_test, and

let's calculate the testing R square score as well. And the testing score is ⇒85%. Once again, quite good.

'''

y_pred=linear_model.predict(x_test)

print("Testing_score : ", r2_score(y_test, y_pred))
```

Testing_score : 0.835395527839539

[167]: **'''**

Let's now run the same model, the linear regression model, on the same data.

This time we'll set fit_intercept to False. When we've used all of the columns_
in our one-hot encoded labels, fit_intercept should be False.

Once the training of this model is complete, calculate the training score.

You'll see that it's once again 88.8 %, the same as before.

Use this model for prediction and calculate the test R square on the test data_
as well.

Once again, it's 85%.

Now, if you've been following along closely, you might have realized that our_
atraining as well as test R squares with fit_intercept=True,
as well as False, are exactly the same.

Why is this?

'''

linear_model=LinearRegression(fit_intercept=True).fit(x_train,y_train)
y_pred=linear_model.predict(x_test)

Training_score : 0.8941812551608761 Testing_score : 0.835395527839539

print("Training_score : " , linear_model.score(x_train,_

y_train)),print("Testing_score : ", r2_score(y_test, y_pred))

[167]: (None, None)

[168]: '''

So when we previously had set fit_intercept to True, we said that we might \hookrightarrow encounter the dummy variable trap. But that is clearly not the case.

With fit_intercept=False, we get the same results as with fit_intercept=True. This dummy variable trap is often encountered in the real world, which is why_\u00e4 the scikit-learn LinearRegressor estimator object accounts for this intercept when you use one-hot encoding in your_\u00e4

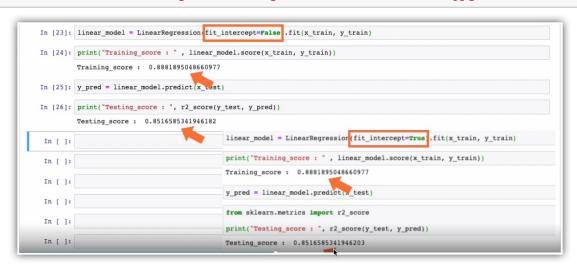
soject accounts for this intercept when you use one-hot encoaing in your $_{ackslash}$ \hookrightarrow features.

So whether you set fit_intercept to True or False, it does not matter with the $_{\!\!\!\bot}$ $_{\!\!\!\!\bot} LinearRegression$ estimator object.

If you've used one-hot encoding for your features, the LinearRegression object \neg will make sure that fit_intercept is False under the hood so that you don't fall into the dummy variable trap.

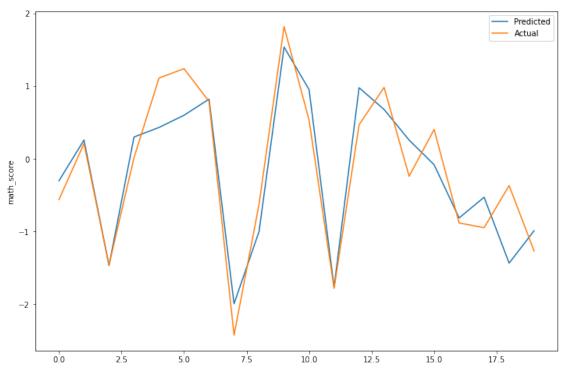
So this is a good thing when you're using scikit-learn's LinearRegression $_$ $_$ object. Not all of the estimator objects in scikit-learn account for this $_$ $_$ though, so you have to watch out and be a little careful.

[168]:



[169]: Now that we have predicted values from our model, let's set up a data frame ⇒with the actual versus predicted values and take a look at some actual predictions. Because we standardized the scores when we fed them into our model, the output ⇒scores are also in the standardized form. The actual and the predicted scores seem to be pretty close. The high R square ⇒should tell us that this is a good model. ''' df_pred_actual = pd.DataFrame({'predicted': y_pred, 'actual': y_test}) df_pred_actual.head(10)

```
[169]:
           predicted
                        actual
       29
           -0.302549 -0.561305
       80
            0.257924 0.210248
       3
           -1.467466 -1.461450
       4
            0.299005 0.017360
       55
            0.430859 1.110394
           0.598642 1.238986
       53
            0.820431 0.788913
       26
       25
          -1.993322 -2.425892
       37
           -1.000414 -0.625601
       48
            1.536482 1.817651
[170]: '''
       Let's plot line charts of actual versus predicted scores. You can see that
       ⇔they're very close together.
       , , ,
       plt.figure(figsize = (12, 8))
       plt.plot(y_pred, label='Predicted')
       plt.plot(y_test.values, label='Actual')
       plt.ylabel('math_score')
       plt.legend()
       plt.show()
```



```
Let's try predicting the math score for each student without using any of the ⊔
        ⇔other scores.
       The only thing that we change here are our x variables. Drop the math score,
        \negwriting score, and reading score from x.
       We'll only use the student's personal details to predict his or her math score.
       Split up the data into training and test, instantiate and train a linear \Box
        ⇔regression model, calculate the R square score for training,
       as well as test data.
       And you can see that for this particular model our R-square values are really,
       That's because it is the other scores that have higher predictive power for the ...
        ⇔math scores.
       X = exam_df.drop(['math score', 'writing score', 'reading score'], axis=1)
       Y = exam df['math score']
       x_train, x_test, y_train, y_test = train_test_split(X, Y, test_size=0.2)
       linear model = LinearRegression(fit intercept=True).fit(x train, y train)
       print("Training_score : " , linear_model.score(x_train, y_train))
       y_pred = linear_model.predict(x_test)
       print("Testing_score : ", r2_score(y_test, y_pred))
      Training_score : 0.31752669023386504
      Testing_score : 0.22720145812546266
[172]: '''
        Let's try this once again with a little variation.
        We'll try and predict the math score using only the reading score along with \sqcup
        \rightarrow other features.
        We won't use the writing score. So reading score alone.
        Drop the math score and the writing score from our x variables, and go ahead, \Box
        ⇒split up the data, train the model, and print out the R squares.
        And you can see that on this simple toy dataset, our R square values for \Box
        ⇔training, as well as test, are pretty high
        when we use just the reading scores along with other features to predict the \Box
        ⇔math score for a student.
       111
       X = exam_df.drop(['math score', 'writing score'], axis=1)
```

[171]: '''

```
Y = exam_df['math score']
x_train, x_test, y_train, y_test = train_test_split(X, Y, test_size=0.2)
linear_model = LinearRegression(fit_intercept=True).fit(x_train, y_train)
print("Training_score : " , linear_model.score(x_train, y_train))

y_pred = linear_model.predict(x_test)
print("Testing_score : ", r2_score(y_test, y_pred))
```

Training_score : 0.8379191719764331 Testing_score : 0.8456087581686662

[]: