

CSE101

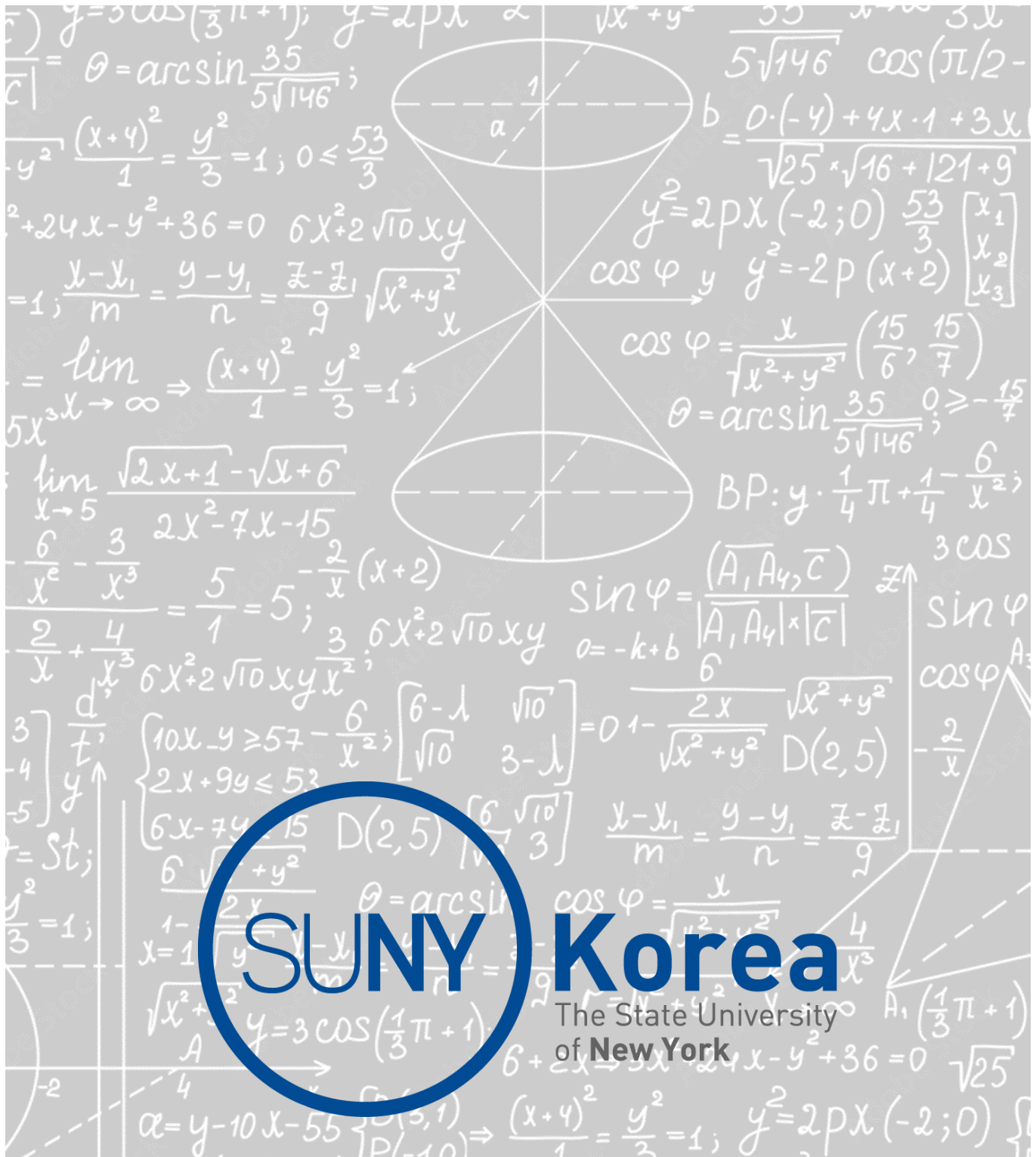
DUE MAR. 29

23:59 KST

ASSIGNMENT I

PROFESSOR
FRANCOIS
RAMEAU

ALGEBRAIC OPERATIONS & FUNCTIONS



General instructions

- Please add your name and email in the dedicated location at the top of your code
- Do not use any external library, except when explicitly requested
- Try to follow the naming convention proposed by PEP-8 seen in class
- Use meaningful name for your variables and functions
- If you face problem submitting your code via GitHub please contact the professor and the TA by email
- Note that the received code will be tested on a classifier to detect potential usage of Large Language Model. We will also pay a particular attention to plagiarism
- Leave comments in your code to explain your code and describe the difficulties you faced

INVITATION LINK

<https://classroom.github.com/a/yT3cH-TF>

Exercise 1: Convert Fahrenheit to Celsius (2 points)

You will write a function `fahrenheit2celsius` that inputs a temperature in degree Fahrenheit and convert it to Celsius. The equation to convert Celsius to Fahrenheit is the following:

$$C = \frac{5}{9}(F - 32)$$

Then you will create another function called `what_to_wear` which inputs the temperature in Celsius and display to the user what to wear. Will this function be fruitful or void?

Temperature	Under -10 °C	Between -10 °C and 0	Between 0 °C and 10 °C	Between 10 °C and 20 °C	More than 20 °C
Clothe	Puffy jacket	Scarf	Sweater	Light jacket	T-shirt

Make sure that your code is working for any case (for instance if the temperature is exactly equal to 20 it should still display something)

Recap

- | | |
|--|---------|
| 1. Create a function <code>fahrenheit2celsius</code> | 1 point |
| 2. Create a function <code>what_to_wear</code> | 1 point |

Exercise 2: Area and perimeter of a triangle (4 points)

In this exercise we would like to compute the area and perimeter of a triangle given only the position of its three vertices denoted respectively $p_1 = (x_1, y_1)$, $p_2 = (x_2, y_2)$, $p_3 = (x_3, y_3)$

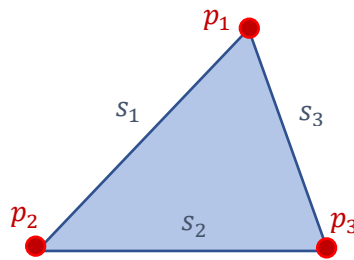


Figure 1. Depiction of the triangle and its 3 vertices

1. Compute the area of the triangle

To compute the area A of this triangle from its vertex's coordinates, we will utilize the Shoelace formula:

$$A = \left| \frac{(x_1 y_2 + x_2 y_3 + x_3 y_1) - (x_1 y_3 + x_2 y_1 + x_3 y_2)}{2} \right|$$

You will implement it in a function called `shoelace_triangle_area` you have to guess what would be the inputs and output of the function (and what will be their type of data). As a reminder, the absolute value can be computed with the function `abs()` in Python.

2. Compute the perimeter of the triangle

Computing the perimeter P of a triangle is trivial when knowing the size of each of its side s_1 , s_2 , s_3

$$P = s_1 + s_2 + s_3$$

To compute these lengths, you can use the Euclidean distance between the pairs of vertices. The Euclidean distance d between two points p_1 and p_2

$$d = \text{dist}(p_1, p_2) = \sqrt{(x_1 - x_2)^2 + (y_1 - y_2)^2}$$

Create a function `euclidean_distance` to compute the distance between two points. Then, create a function, `compute_triangle_perimeter` taking full advantage of your Euclidean distance function.

Recap

- | | |
|--|----------|
| 1. Create a function <code>shoelace_triangle_area</code> | 1 point |
| 2. Create a function <code>euclidean_distance</code> | 1 point |
| 3. Create a function <code>compute_triangle_perimeter</code> | 2 points |

Exercise 3 - Compute the area of a regular polygon

In this exercise, we will calculate the area of a regular polygon with n sides. A regular polygon is an n -sided polygon in which the sides are all the same length and are symmetrically placed about a common center. For instance, a regular polygon can be a triangle, a square, a pentagon, etc. More can be seen in Figure 2.

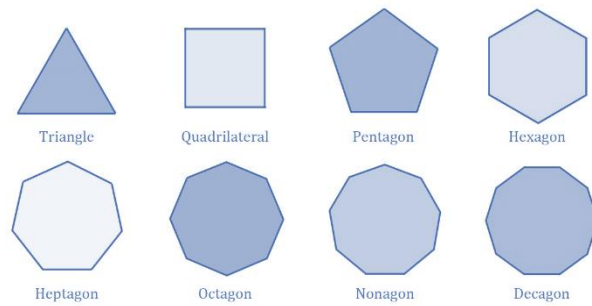


Figure 2. Different types of regular polygons

While you are very familiar with the calculation of the area of a square or of a triangle. The general formula to estimate the area A of a regular polygon is slightly more complex:

$$A = \frac{n \times s \times a}{2},$$

Where n is the number of sides, s is the length of each side, and a is the **apothem**. The apothem is the distance from the center of the polygon to the midpoint of a side.

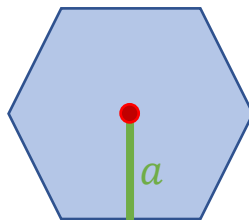


Figure 3. apothem of a hexagon

The formula to calculate the apothem is the following:

$$a = \frac{s}{2 \tan\left(\frac{180}{n}\right)}$$

You have to create a function `apothem` performing this calculation. You can import the Python module “`math`” to perform the tangent computation, but it is the only external function allowed in this assignment.

Be particularly careful when you use an external function! Should the input of the function `tan()` be in radian or degree? You need to verify it from online documentations or experiments. You will have to create the function `deg2rad` to convert degree to radian yourself (you can also use the value of `pi` from the `math` module of python).

With the support of your previous functions, create a function `polygon_area` to compute the area of a regular polygon from the number of side and their length.

Here are the steps you will have to resolve for this exercise:

Recap

- | | |
|---|----------|
| 1. Create a function <code>deg2rad</code> to convert radian to degree | 1 point |
| 2. Fill the function <code>apothem</code> appropriately (you might use the previous function inside) | 1 point |
| 3. Fill the function <code>polygon_area</code> using the appropriated functions you have developed before | 2 points |