Code: 9A05407

Max Marks: 70

B.Tech II Year II Semester (R09) Supplementary Examinations January/February 2014

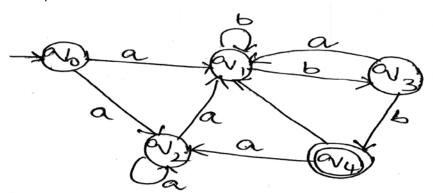
FORMAL LANGUAGES AND AUTOMATA THEORY

(Computer Science and Engineering)

Time: 3 hours Answer any FIVE questions

All questions carry equal marks

- Give DFA's accepting the following languages over the alphabet (0,1):
 - The set of all strings ending in 00. (a)
 - (b) The set of all strings with three consecutive 0's (not necessary at the end).
 - The set of strings with 011 as a substring. (c)
- Construct a minimum state automata for following DFA. (a)
 - (b) Explain the conversion steps in detail.



- 3 Show that if L is a regular language and F is a finite language, the LUF, L∩F, and L-F are regular?
 - Show that if L is a non-regular language and F is a finite language then F is non-regular. (b)
- Prove "Given a CFG G = (V, T, P, S) we can effectively find an equivalent CFG $G^1 = (V^1, T, P^1, S)$ 4 such that for each x in V¹UT there exists \propto and β in (V¹UT)* for which S $\Rightarrow \propto *\beta$ ".
- 5 (a) Show that CFL's are closed under Kleen's closure operation.
 - Check whether the following grammar is ambiguous or not. Provide at least two examples to (b) support your answer:

 $S \rightarrow AB / aaB \quad A \rightarrow a / Aa$ $B \rightarrow b$.

- Construct a PDA for recognizing $L = \{a^{n+1}b^n / n \ge 0\}$. Show the moves of the PDA for the string (a) aaaabbb.
 - Distinguish between finite automata and push down automata. (b)
- 7 Write short notes on:
 - (a) Recursively enumerable and recursive languages.
 - FAs and TMs. (b)
 - (c) Church's hypothesis.
- What is modified PCP? Does the following instance of MPCP has solution? If so, give the answer 8 (a) w = (1, 10111, 10) and x = (111, 10, 0).
 - Explain about halting problem of Turing machine. (b)