Code Verification Using Symbolic Execution

(Week 5)

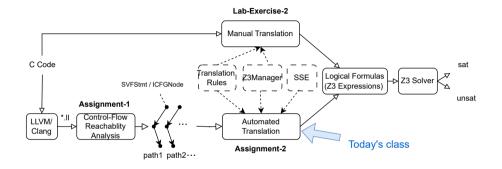
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Revisit Lab-Exercise-2 Cases

- Lab-Exercise-2 Validation Code
 - test0() has an example for validating your translation. Given a program prog and an assert Q, you are expected to (1) use checkNegateAssert to translate the negation of Q and check unsat of prog ∧ ¬Q; checkNegateAssert returns true means the non-existence of counterexamples, and (2) also evaluate individual variables' values (e.g., a) if you know a's value is 3. For example, z3Mgr->getEvalExpr("a") == 3.
 - Closed-world programs, checking sat of $prog \land Q \equiv$ checking unsat $prog \land \neg Q$
- addToSolver(e1) VS getEvalExpr(e2)
 - e1 is added as a constraint to the solver, while e2 is not added to the solver hence its truth depends on a particular model (one solution).
- Memory allocations: p = &a;
 - a is address-taken by p, hence an object &a needs to be created via a_addr = getMemObjAddress("&a");
- Interprocedural (call and return)
 - Bookkeeping the calling context to distinguish local variables.

Code Verification Using Static Symbolic Execution



Static Symbolic Execution (SSE)

- Automated analysis and testing technique that symbolically analyzes a program without runtime execution.
- Use symbolic execution to explore all program paths to find bugs and assertion validations.
- A static interpreter follows the program, assuming symbolic values for variables and inputs rather than obtaining actual inputs as normal program execution would.
- International Competition on Software Verification (SV-COMP): https://sv-comp.sosy-lab.org/

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 - P represents pre-condition,
 - prog is the program,
 - *Q* is the post-condition i.e., assertion(s) specifications.

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- Translate each $\forall path \in prog$ consisting of a sequence of ICFGNodes $path = [N_1, N_2, \dots, N_i, Q]$, from the entry node N_1 to an assertion Q on ICFG.
 - In Assignment-2, the node on each path appears at most once for verification.

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 - In Assignment-2, the node on each path appears at most once for verification.
- SSE translates SVFStmts of each ICFGNode (except the last one) on each path into Z3 expressions and validate whether they conform to the assertion Q by proving non-existence of counterexamples (Week 4).
 - $\forall path \in prog : \psi_{path} = \psi(N_1) \land \psi(N_2) \land \dots \psi(N_i) \land \neg \psi(Q)$
 - Checking **unsat** of each ψ_{path} . A **sat** of ψ_{path} indicates that there exists at least one counterexample from the **model** from the z3 solver.

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```
\label{eq:point_point_point_point} \begin{array}{ll} \text{void main(int } x) \{ \\ \text{assume(true)}; \\ \text{if } (x > 10) & \psi_{\textit{path}_1} \colon \exists x \textit{ true} \land \big( (x > 10) \land (y \equiv x + 1) \big) \land \neg (y \geq x + 1) \quad \text{(if branch)} \\ \text{y = x + 1}; & \textbf{unsat (no counterexample found!)} \\ \text{else} & \text{y = 10}; & \psi_{\textit{path}_2} \colon \exists x \textit{ true} \land \big( (x \leq 10) \land (y \equiv 10) \big) \land \neg (y \geq x + 1) \quad \text{(else branch)} \\ \text{assert} (y \geq x + 1); & \textbf{sat (a counterexample } x = 10 \text{ found!)} \end{array}
```

Closed-World Programs and Assertion Checking

- If the program operates in a closed-world (value initializations are fixed and there are no inputs from externals and always has a single execution path), there is no need to find the existence of invalid inputs or counterexamples.
- For closed-world programs, only logical errors are verified against
 assertions, rather than finding the counterexamples. Simply checking
 satisfiability is the same as checking the non-existence of counterexamples.
 - Checking **unsat** of the $\psi(N_1) \wedge \psi(N_2) \wedge \dots \psi(N_i) \wedge \neg \psi(Q)$.
 - Checking **sat** of the $\psi(N_1) \wedge \psi(N_2) \wedge \dots \psi(N_i) \wedge \psi(Q)$.

```
\begin{array}{lll} \text{void main(int } x) \{ \\ & \text{x = 5;} & \psi_{\textit{path}_1} \text{: (if branch)} \\ & \text{if (x > 10)} & \text{checking } \textbf{unsat } \text{of } x \equiv 5 \land \big( (\text{x > 10}) \land (\text{y} \equiv \text{x} + 1) \big) \land \neg (\text{y} \geq \text{x} + 1) \\ & \text{y = x + 1;} & \text{checking } \textbf{sat } \text{of } x x \equiv 5 \land \big( (\text{x > 10}) \land (\text{y} \equiv \text{x} + 1) \big) \land (\text{y} \geq \text{x} + 1) \\ & \text{else} & \text{y = 10;} & \psi_{\textit{path}_2} \text{: (else branch)} \\ & \text{assert(y >= x + 1);} & \text{checking } \textbf{unsat } \text{of } x \equiv 5 \land \big( (\text{x \le 10}) \land (\text{y} \equiv 10) \big) \land \neg (\text{y} \geq \text{x} + 1) \\ \} & \text{checking } \textbf{sat } \text{of } x \equiv 5 \land \big( (\text{x \le 10}) \land (\text{y} \equiv 10) \big) \land (\text{y} \geq \text{x} + 1) \\ \end{array}
```

Reachability Paths (Recall Assignment-1)

Algorithm 1: Context sensitive control-flow reachability

```
Input: curNode: ICEGNode snk: ICEGNode path: vector/ICEGNode) callstack: vector/SVFInstruction
         visited : set(ICFGNode, callstack):
                                // Argument curNode becomes to curEdge in Assignment-2
  dfs(curNode.snk)
    pair = (curNode, callstack);
    if pair ∈ visited then
        return:
    visited.insert(pair);
    path.push_back(curNode):
    if arc == ank then
      collectICFGPath(path):
                                 // collectAndTranslatePath in Assignment-2
    foreach edge ∈ curNode.getOutEdges() do
      if edge.isIntraCFGEdge() then
         dfs(edge.dst,snk);
11
      else if edge.isCallCFGEdge() then
12
         callstack.push_back(edge.getCallSite());
13
         dfs(edge.dst.snk):
14
         callstack.pop_back();
15
      else if edge.isRetCFGEdge() then
16
         if callstack \neq \emptyset && callstack.back() == edge.getCallSite() then
17
18
             callstack.pop_back();
             dfs(edge.dst.snk):
19
             callstack.push_back(edge.getCallSite());
20
         else if callstack == Ø then
21
             dfs(edge.dst.snk);
22
    visited.erase(pair);
    path.pop_back():
```

Rhs/LhS/Operators of a Statement

SVFStmt	C-Like	PAG Edge	Lhs/Rhs/Operator	
AddrStmt	p = &o	$p \stackrel{Addr}{\longleftarrow} o$	p: lhs var, o: rhs var	
CopyStmt	p = q	p Copy q	p: lhs var, q: rhs var	
StoreStmt	*p = q	p Store q	p: lhs var, q: rhs var	
LoadStmt	p = *q	$p \stackrel{Load}{\longleftarrow} q$	p: lhs var, q: rhs var	
GepStmt	p = &q->fld	$p \stackrel{Gep,fld}{\longleftarrow} q$	p: lhs var, q: rhs var	
CallPE	p = q (caller arg to callee arg)	p Copy q	p: lhs var (callee), q: rhs var (caller)	
RetPE	p = q (callee ret to caller rev)	p Copy q	p: lhs var (caller), q: rhs var (callee)	
CmpStmt	r = op(p, q)	r: result, p: operand 0, q: operand 1		
BinaryOPStmt	r = op(p, q)	r: result, p: operand 0, q: operand 1		
SelectStmt	r = sel(c,tval,fval)	r: result, condition c: 0 or 1		
		r is tval when c≡1, r is fval when c≡0		

1hs and rhs When Handling Calls/Returns

Let us see the example of 1hs and rhs varaiables for call and parameter passings (i.e., CallPE and RetPE)

```
int foo(int x){ // CallPE: x = m; lhs: x, rhs: m
    int y = x;
    return y;
}

main(){
    int m = 0;
    n = foo(m); // RetPE: n = y; lhs: n, rhs: y
}
```

Parameters passing from actual parameter m at the callsite (Line 8) to formal parameter m at the entry of foo. Return parameter passing from return variable y in foo to m at the callsite (Line 8).

Context-Sensitive getZ3Expr(NodeID)

- callingCtx: current calling context stack as a sequence of callsites (ICFGNodes) during your traversal
- pushCallingCtx(ICFGNode*) add a callsite on to the current calling context stack
- popCallingCtx() pop the top callsite from the current calling context stack
- getZ3Expr(NodeID) in Assignment-2 is context-sensitive, i.e., retrieving an z3 expr based on variable's ID + current calling context.

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- getZ3Expr(NodeID) in Assignment-2 is context-sensitive, i.e., retrieving an z3 expr based on variable's ID + current calling context.
- Interprocedural context-sensitive variable copies:
 - $r = call_f(..., q, ...)$ $f(..., p, ...)\{... return z\}$
 - Context-insensitive z3 formula $p \equiv q$, $r \equiv z$
 - Context-sensitive z3 formula (each expr corresponds to a pair) $\langle [c'], p \rangle \equiv \langle [c], q \rangle \langle [c], r \rangle \equiv \langle [c'], z \rangle$, where $c' \equiv c + \text{ICFGNode}_{call.f}$ (Assignment-2)
 - Use pushCallingCtx and popCallingCtx before retrieving an z3 expression.

Overview of SSE Algorithms: Translate Paths into Z3 Formulas

Algorithm 3: handleIntra(intraEdge)

return handleNonBranch(intraEdge);

Algorithm 4: handleCall(callEdge)

```
1 // Your code starts here ..;
2
3 // For each CallPE lhs = rhs:
4 // (1) Retrieve two z3 expressions \( [c], rhs \) and \( [c'], lhs \) under contexts c (caller's context) and c' (callee's context); Note that pushCallingCtx will make c become c'.
5 // (2) Add formula \( [c], rhs \) \( \equiv \) \( ([c'], lhs \) into the solver.
```

Algorithm 5: handleRet(retEdge)

```
1 // Your code starts here ..;
2
3 // For each RetPE lhs = rhs:
4 // (1) Retrieve two z3 expressions \( [c'], rhs \) and \( [c], lhs \) under contexts c (caller's context) and c' (callee's context); Note that popCallingCtx will make c' become c.
5 // (2) Add formula \( [c'], rhs \) \( \equiv \) \( [c], lhs \) into the solver.
```

Handle Intra-procedural CFG Edges (handleIntra)

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Algorithm 6: handleIntra(intraEdge) if intraEdge.getCondition() then if !handleBranch(intraEdge) then 3 return false: else return handleNonBranch(intraEdge); 6 else return handleNonBranch(intraEdge);

Algorithm 7: handleBranch(intraEdge)

```
1 // Your code starts here ...:
2 // Retrieve branch condition (0 or 1):
3 cond = ...:
4 // Retrieve the condition on the current CFG edge
  (0 or 1).
5 succ = ...:
6 // Evaluate path feasibility only when the two
 conditions are equal: add (cond==succ) to the
  solver only if it holds. Return false if the path
 is infeasible .:
```

Algorithm 8: HandleNonBranch(intraEdge)

```
dst ← intraEdge.getDstNode():
src ← intraEdge.getSrcNode();
foreach stmt ∈ dst.getSVFStmts() do
  if addr \leftarrow dyn_cast(AddrStmt)(stmt) then
     // handle AddrStmt
  else if copy ← dyn_cast(CopyStmt)(stmt) then
     // handle CopyStmt
  else if load \leftarrow dvn_cast(LoadStmt)(stmt) then
     // handle LoadStmt
  else if store ← dyn_cast(StoreStmt)(stmt) then
     // handle StoreStmt
  else if gep ← dvn_cast(GepStmt)(stmt) then
   // handle GepStmt
  else if binary ← dyn_cast(BinaryStmt)(stmt) then
   // handle BinaryStmt
  else if cmp \leftarrow dvn\_cast(CmpStmt)(stmt) then
     // handle CmpStmt
  else if phi ← dvn_cast(PhiStmt)(stmt) then
   // handle PhiStmt
  else if select ← dvn_cast(SelectStmt)(stmt) then
     // handle SelectStmt
```

```
1 void main(int x) {
2   int y, z, b;
3   y = x;
4   // C-like CmpStmt
5   b = (x == y);
6   // C-like BinaryOPStmt
7   z = x + y;
8   assert(z == 2 * x)
9 }
```

void main(int x) { int y, z, b; y = x; // C-like CmpStmt b = (x == y); // C-like BinaryOPStmt z = x + y; assert(z == 2 * x) }

Concrete Execution (Concrete states)

One execution:

```
x: 5
y: 5
b: 1
z: 10
```

Another execution:

```
x: 10
y: 10
b: 1
z: 20
```

Concrete Execution (Concrete states)

20

```
void main(int x) {
int y, z, b;
y = x;
// C-like CmpStmt
b = (x == y);
// C-like BinaryOPStmt
z = x + y;
assert(z == 2 * x)
}
```

```
One execution:

x: 5
y: 5
b: 1
z: 10

Another execution:

x: 10
y: 10

Symbolic Execution

(getZ3Expr(x) represents x's symbolic state)

x: getZ3Expr(x)
y: getZ3Expr(x)
b: ite(getZ3Expr(x) = getZ3Expr(y), 1, 0)
z: getZ3Expr(x) + getZ3Expr(y)
y: 10
```

Checking satisfiability using "getSolver().check()".

Checking non-existence of counterexamples: $\psi(N_1) \wedge \psi(N_2) \wedge \dots \psi(N_i) \wedge \neg \psi(Q)$	Satisfiability
$\mathtt{y} \equiv \mathtt{x} \wedge \mathtt{b} \equiv \mathtt{ite}(\mathtt{x} \equiv \mathtt{y}, \mathtt{1}, \mathtt{0}) \wedge \mathtt{z} \equiv \mathtt{x} + \mathtt{y} \wedge \mathtt{z} \neq \mathtt{2} * \mathtt{x}$	unsat

Concrete Execution (Concrete states)

```
void main(int x) {
int y, z, b;
y = x;
// C-like CmpStmt
b = (x == y);
// C-like BinaryOPStmt
z = x + y;
assert(z == 2 * x)
}
```

```
One execution:
                                          Symbolic Execution
x:
                             (getZ3Expr(x) represents x's symbolic state)
b:
                             x: getZ3Expr(x)
         10
z :
                             y: getZ3Expr(x)
                             b: ite(getZ3Expr(x) = getZ3Expr(y), 1, 0)
Another execution:
                             z: getZ3Expr(x) + getZ3Expr(y)
         10
x :
         10
b:
z :
         20
```

In Assignment-2, we **only handle signed integers** including both positive and negative numbers and the assume that the program is **integer-overflow-free** in this assignment.

Handling CMPSTMT

Algorithm 9: Handle CMPSTMT

```
1 op0 ← get z3 expression of operand 0;
2 op1 ← get z3 expression of operand 1;
3 res ← get z3 expression of result:
4 // refer to SVF's CmpStmt::Predicate;
5 switch predicate of cmp do
     case CmpStmt :: ICMP_EQ do
         // handle equal
         Use the ite (if - then - else) API to return 1
           if operands are equal, 0 otherwise
           then add to 23 solver
     case CmpStmt :: ICMP_NE do
      // handle not equal:
     case CmpStmt :: ICMP_UGT do
         Use the ite (if - then - else) API to return 1
13
       // handle unsigned greater than:
14
     case CmpStmt :: ICMP_SGT do
       // handle signed greater than:
```

Algorithm 10: Handling CMPSTMT

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Handle BINARYOPSTMT

Algorithm 10: Handle BINARYOPSTMT

```
1 op0 ← getZ3Expr(binary.getOpVarID(0));
2 op1 ← getZ3Expr(binary.getOpVarID(1));
3 res ← getZ3Expr(binary.getResID());
  switch binary.getOpcode() do
     case BinaryOperator :: Add do
         addToSolver(res == op0 + op1);
     case BinaryOperator :: Sub do
         addToSolver(res == op0 - op1);
     case BinaryOperator :: Mul do
         addToSolver(res == op0 \times op1);
     case BinaryOperator :: SDiv do
         addToSolver(res == op0/op1);
12
     case BinaryOperator :: SRem do
13
         addToSolver(res == op0%op1);
14
     case BinaryOperator :: Xor do
         addToSolver(res ==
           bv2int(int2bv(32,op0) @ int2bv(32,op1),1)));
     case BinaryOperator :: And do
         addToSolver(res ==
           by2int(int2by(32.op0)&int2by(32.op1),1)));
21
```

Algorithm 10: Handle BINARYOPSTMT

Example 2: Memory Operation

```
void main(int x) {
int* p;
int y;

p = malloc(..);

*p = x + 5;
y = *p;
assert(y==x+5);
}
```

Example 2: Memory Operation

```
void main(int x) {
int* p;
int y;

p = malloc(..);
*p = x + 5;
y = *p;
assert(y==x+5);
}
```

Concrete Execution (Concrete states)

```
One execution:
```

```
x : 10
p : 0x1234
0x1234 : 15
y : 15
```

Another execution:

```
x : 0
p : 0x1234
0x1234 : 5
```

Example 2: Memory Operation

```
void main(int x) {
  int* p;
  int y;

p = malloc(..);
  *p = x + 5;
  y = *p;
  assert(y==x+5);
}
```

Concrete Execution (Concrete states)

```
Symbolic Execution
  One execution:
                                         (Symbolic states)
            10
       : 0x1234
                                        : getZ3Expr(x)
                                 х
0x1234:
                                        : 0x7f000001
            15
                                         virtual address from
                                         getMemObjAddress(ObjVarID)
Another execution:
                            0x7f000001 : getZ3Expr(x) + 5
                                        : getZ3Expr(x) + 5
         0x1234
0x1234:
```

Checking non-existence of counterexamples:

$\psi(N_1) \wedge \psi(N_2) \wedge \dots \psi(N_i) \wedge \neg \psi(Q)$	Satisfiability
$p \equiv 0x7f000001 \land y \equiv x + 5 \land y \neq x + 5$	unsat

Handling Memory Operation

Algorithm 11: Handle ADDRSTMT

- $\textbf{1} \ \ \texttt{obj} \leftarrow \texttt{get memory address of rhsvar};$
- 2 lhs \leftarrow get z3 expression of lhsvar;
- 3 add obj == lhs to z3 solver;

Algorithm 13: Handle STORESTMT

- $\textbf{1} \ \texttt{lhs} \leftarrow \texttt{get} \ \texttt{z3} \ \texttt{expression} \ \texttt{of} \ \texttt{lhsvar};$
- $\textbf{2} \text{ rhs} \leftarrow \texttt{get} \ \texttt{z3} \ \texttt{expression} \ \texttt{of} \ \texttt{rhsvar};$
- 3 store rhs to lhs;

Algorithm 12: Handle LOADSTMT

- $\textbf{1} \ \texttt{lhs} \leftarrow \texttt{get} \ \texttt{z3} \ \texttt{expression} \ \texttt{of} \ \texttt{lhsvar};$
- 2 rhs \leftarrow get z3 expression of rhsvar;
- 3 add lhs == z3Mgr.loadValue(rhs) to z3 solver;

Example 3: Field Access for Struct and Array

```
struct st{
    int a;
    int b;
}
void main(int x) {
    struct st* p = malloc(..);
    q = &(p->b);
    *q = x;
    int k = p->b;
    assert(k == x);
}
```

Example 3: Field Access for Struct and Array

```
struct st{
    int a;
    int b;

void main(int x) {
    struct st* p = malloc(..);
    q = &(p->b);
    *q = x;
    int k = p->b;
    assert(k == x);
}
```

```
Concrete Execution
 (Concrete states)
  One execution:
              10
            0x1234
\&(p \rightarrow b) : 0x1238
         : 0x1238
0x1238
           10
              10
 Another execution:
              20
            0x1234
&(p→b)
            0x1238
            0x1238
0x1238
              20
              20
```

Example 3: Field Access for Struct and ArrayConcrete Execution

```
struct st{
    int a;
    int b;
}

void main(int x) {
    struct st* p = malloc(..);
    q = &(p->b);
    *q = x;
    int k = p->b;
    assert(k == x);
}
```

```
(Concrete states)
                                        Symbolic Execution
  One execution:
                                         (Symbolic states)
               10
            0x1234
                                         getZ3Expr(x)
                             x
\&(p\rightarrow b)
            0x1238
                                         0x7f000001
            0x1238
                                         virtual address from
0x1238
               10
                                         getMemObjAddress(ObjVarID)
              10
                          \&(p\rightarrow b)
                                         0x7f000002
                                         0x7f000002
Another execution:
                                         field virtual address from
               20
            0x1234
                                         getGepObjAddress(base, offset)
            0x1238
                        0x7f000002
                                         getZ3Expr(x)
\&(p\rightarrow b)
                                         getZ3Expr(x)
            0x1238
                             k
```

0x1238 : 20 k : 20

The virtual address for modeling a field is based on the index of the field offset from the base pointer of a struct (nested struct will be flattened to allow each field to have a unique index)

Example 3: Field Access for Struct and Array Concrete Execution

```
struct st{
       int a:
3
      int b:
4 }
  void main(int x) {
   struct st* p = malloc(..);
   q = &(p->b);
   *q = x:
   int k = p->b;
   assert(k == x):
11 }
```

```
(Concrete states)
                                          Symbolic Execution
  One execution:
                                           (Symbolic states)
                10
             0x1234
                                           getZ3Expr(x)
                              x
\&(p\rightarrow b)
             0x1238
                                           0x7f000001
```

0x1238 virtual address from 0x1238

10 getMemObjAddress(ObjVarID)

10 $(d \leftarrow \alpha)$ 0x7f000002

0x7f000002 Another execution:

field virtual address from 20 getGepObjAddress(base, offset)

0x1234 0x7f000002

getZ3Expr(x) 0x1238 $(d \leftarrow q)$ getZ3Expr(x) 0x1238 k

0x1238 20 20

Checking non-existence of counterexamples:

$\psi(N_1) \wedge \psi(N_2) \wedge \ldots \psi(N_i) \wedge \neg \psi(Q)$	Satisfiability
$\texttt{p} \equiv \texttt{0x7f000001} \land \texttt{q} \equiv \texttt{0x7f000002} \land \texttt{k} \equiv \texttt{x} \land \texttt{k} \neq \texttt{x}$	unsat

Handling Field and Array Access (GEPSTMT)

Algorithm 13: Handle GEPSTMT

```
1 lhs \( \) get z3 expression of lhs var;
2 rhs \( \) get z3 expression of rhs var;
3 offset \( \) get gep offset under curCallCtx;
4 gepAddress \( \) get gep address of rhs given offset;
5 add lhs \( === \) gepAddress to z3 solver;
```

Method getGepObjAddress supports both struct and array accesses using a base pointer and element index.

In ${\tt Assignment-2}, \textbf{we don't consider object byte sizes} \ {\tt and low-level incompatible type \ casting in}$

Assignment-2.

```
z3::expr Z3SSEMgr::getGepObjAddress(z3::expr pointer, u32_t offset) {
   NodeID obj = getInternalID(z3Expr2NumValue(pointer));
   // Find the baseObj and return the field object.
   // The indices of sub-elements of a nested aggregate object has been flattened
   NodeID gepObj = svfir->getGepObjVar(obj, offset);
   if (obj == gepObj)
        return getZ3Expr(obj);
   else
        return createExprForObjVar(SVFUtil::cast<GepObjVar>(svfir->getGNode(gepObj)));
}
```

Example 4: Branches

```
1 void main(int x){
2    if(x > 10) {
3       y = x + 1;
4    }
5    else {
6       y = 10;
7    }
8    assert(y >= x + 1);
9
```

Example 4: Branches

```
1 void main(int x){
2     if(x > 10) {
3         y = x + 1;
4     }
5     else {
6         y = 10;
7     }
8 assert(y >= x + 1);
9
```

Concrete Execution (concrete states)

```
One execution:
```

x:20 y:21

Another execution:

x:8 y:10

Example 4: Branches

```
void main(int x){
if(x > 10) {
    y = x + 1;
}
else {
    y = 10;
}
sassert(y >= x + 1);
}
```

```
Concrete Execution Symbolic Execution (concrete states) Symbolic states)
```

```
One execution: If branch:
```

```
x:20 x: getZ3Expr(x) > 10
y:21 y: getZ3Expr(x) + 1
```

Another execution: Else branch:

x:8 $x: getZ3Expr(x) \le 10$

y: 10 y: 10

Checking non-existence of counterexamples:

Path	$\psi(N_1) \wedge \psi(N_2) \wedge \dots \psi(N_i) \wedge \neg \psi(Q)$	Satisfiability	Counterexample
$\ell_1 \rightarrow \ell_2 \rightarrow \ell_3 \rightarrow \ell_8$ (if.then branch)	$x > 10 \land y \equiv x + 1 \land y < x + 1$	unsat	Ø
$\ell_1 \rightarrow \ell_2 \rightarrow \ell_6 \rightarrow \ell_8$ (if.else branch)	$\mathtt{x} \leq \mathtt{10} \land \mathtt{y} \equiv \mathtt{10} \land \mathtt{y} < \mathtt{x} + \mathtt{1}$	sat	${x:10,y:10}$

Getting the potential counterexample via "getSolver().get_model()" after "getSolver().check()".

What's next?

- (1) Understand SSE algorithms and examples in the slides
- (2) Finish the Quiz-2 and Lab-2 on WebCMS
- (3) Start implementing the automated translation from code to Z3 formulas using SSE and Z3SSEMgr in Assignment 2