


1903 - I2P(II)Yang_Winter_Vacation_Homework_2020

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Time		
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Clarification						
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12604 - N-Queens M-Rooks Problem

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Description

N queens problem asks how many ways to place N non-attacking queens on an N×N chessboard.

For example, there're 2 solutions for $N = 4$:

(0 means empty spot, Q means queen.)

0 Q 0 0	0 0 Q 0
0 0 0 Q	Q 0 0 0
Q 0 0 0	0 0 0 Q
0 0 Q 0	0 Q 0 0

While, there's no solution for $N = 2$:

Below is the all placements. All of them contains queens threaten each other.

Q Q	Q 0	Q 0	0 Q	0 Q	0 0
0 0	Q 0	0 Q	Q 0	0 Q	Q Q

Let's define a new problem "N-Queens M-Rooks Problem".

It asks how many ways to place N queens and M rooks on

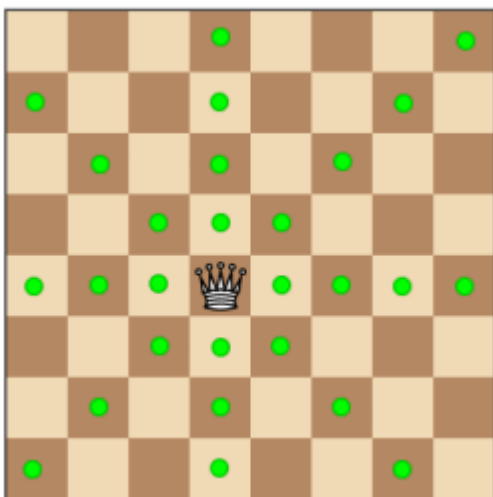
an $(N+M) \times (N+M)$ chessboard such that no two of queens or rooks can attack each other in 1 step.

For $N = 1$, $M = 2$, there're 4 solutions:

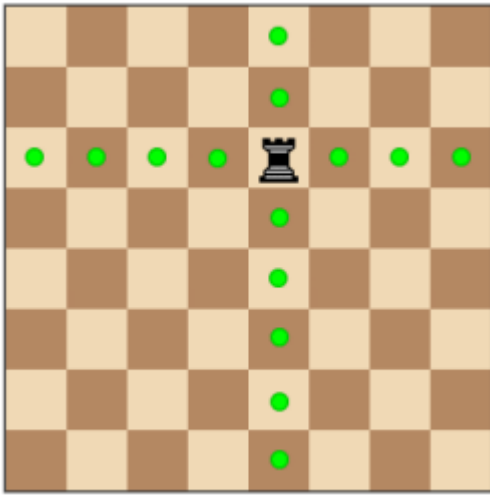
(0 means empty spot, Q means queen, R means rook.)

Q 0 0	0 R 0
0 0 R	R 0 0
0 R 0	0 0 Q
0 R 0	0 0 Q
0 0 R	R 0 0
Q 0 0	0 R 0

Possible move of Queen:



Possible move of Rook:



Input

There're multiple testcases.

Each testcase is consisted of 2 integers N, M on one line.

It's guaranteed that:

- $0 \leq N, M \leq 9$
- $1 \leq N+M \leq 9$

Output

Print the number of solution for N-Queens M-Rooks Problem for every testcase.

Remember '\n' on the end of line.

Sample Input

Download (data:text/plain;charset=utf-8,0%205%0D%0A5%200%0D%0A1%202)

```
0 5
5 0
1 2
```

Sample Output

Download (data:text/plain;charset=utf-8,120%0D%0A10%0D%0A4)

```
120
10
4
```

Discuss