# What are the best systems? New perspectives on NLP Benchmarking

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# Introduction

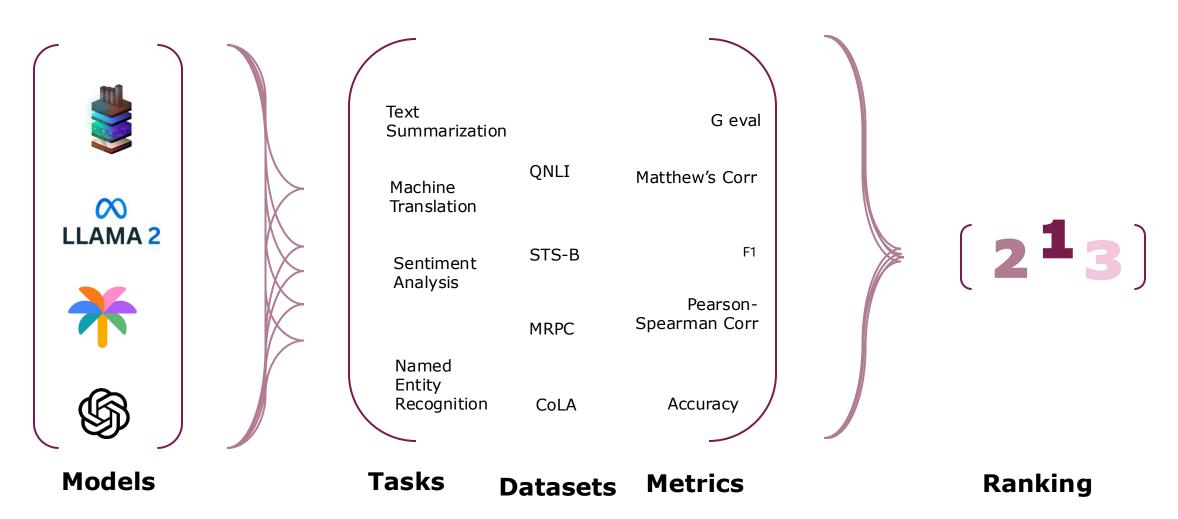
### **Contextualization**

- LLMs are evolving with greater complexity and generalization.
- Benchmarking ensures effectiveness across tasks and datasets.
- Current methods lack standardized aggregation for diverse tasks.



# **Benchmarking**

Measure **progress**, assess **weaknesses**, and uncover **opportunities** for improvement



# **Limitations of Existing Methods**

#### Mean Aggregation:

- Metrics on different scales and boundedness issues.
- Tasks vary in importance and difficulty.

#### Pairwise Ranking:

- Limited to two systems at a time.
- Computationally expensive for large-scale settings (O(N^2)complexity).
- Prone to paradoxical conclusions in rankings.

	Task1	Task2	Task3	Task4	Task5	Task6	SUM
A	0.3 (3)	<b>5</b> (3)	10 (1)	0.02 (2)	1.0 (1)	0.4 (3)	16.72 (13)
В	0.1 (2)	4 (2)	13 (2)	0.01 (1)	2.2 (3)	0.3 (2)	19.61 (12)
$\mathbf{C}$	0.0 (1)	3 (1)	<b>15</b> (3)	0.03 (3)	2.0(2)	0.2(1)	20.23 (11)

#### **Problem Formulation**

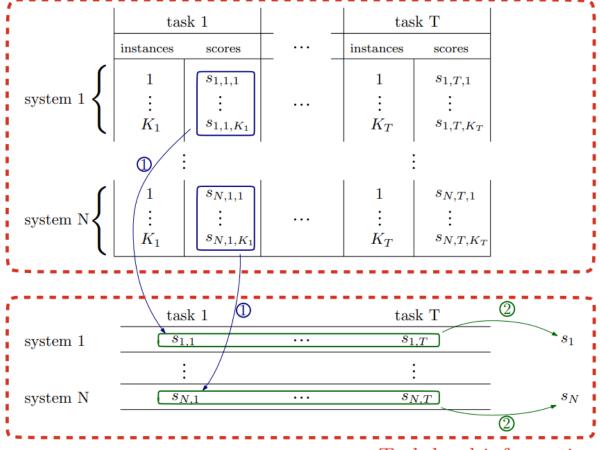
#### **Notations:**

- N: Number of systems, T: Number of tasks, Kt: Instances in task t.
- S n,t,k: Score of system n on instance k of task t.

#### Goal:

- Rank N systems based on their performance across T tasks.
- Address limitations in task-level and instance-level aggregation.

#### Instance-level information



- ① instance-level aggregation
- ② task-level aggregation

Task-level information

# **Proposed Approach**

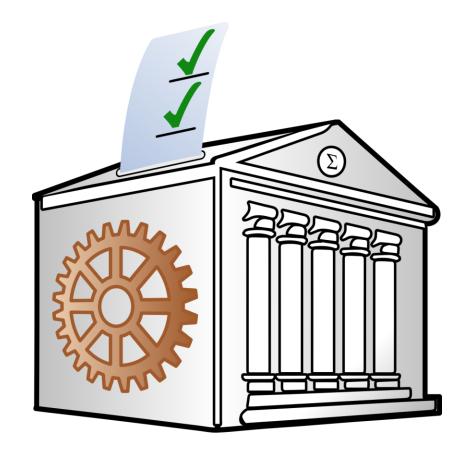
# Ranking Aggregation: Accuracy vs. Efficiency

#### **Kemedy Consensus:**

- Inspired by Social Choice Theory
- Neutrality, Consistency
- Minimizes Kendall distance (disagreement)
- Optimal but Computationally Expensive

#### **Borda's Count Approximation:**

- Sum of Ranks
- 5-Approximation of Kemeny
- Efficient Alternative
- Scalable for Large Benchmarks



$$f: \underbrace{\mathfrak{S}_N \times \cdots \times \mathfrak{S}_N}_{T \text{ times}} \longrightarrow \mathfrak{S}_N$$

# **Proposed Ranking Procedure**

#### **Two Stages Ranking System:**

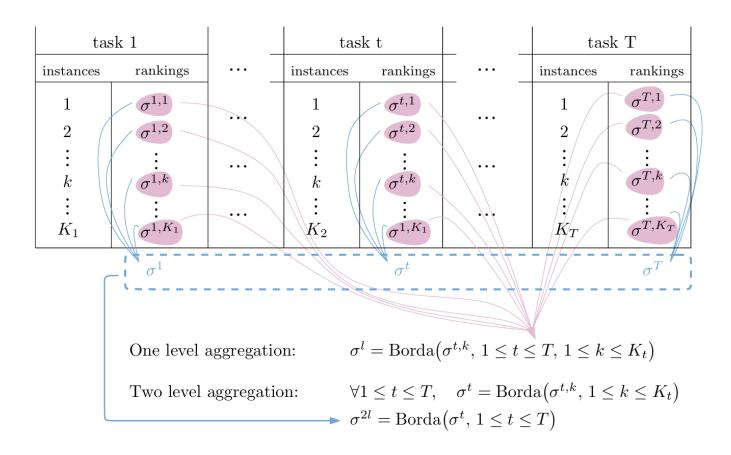


Figure 2: Illustration of our two aggregation procedures to rank systems from instance-level in formation.

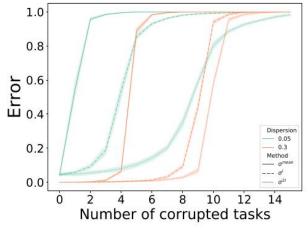
# **Experiments**

# **Synthetic Experiments**

#### **Robustness to manipulation:**

#### Method:

- Corrupt scores by generating them with a distribution centered on the opposite of the initial score
- Determine how many scores need to be perturbed for the classification error to be greater than 50%.



(a) Synthetic Scores

Figure 3: Robustness on synthetic scores.

✓ The ranking-based methods are more robust than  $\sigma$ \_mean ( $\sigma$ \_21 is the most robust procedure)

# **Synthetic Experiments**

#### **Robustness to scaling:**

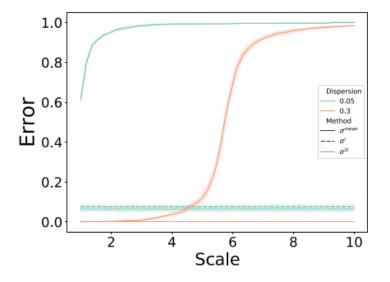


Figure 7: Synthetic Experiment on robustness to scaling. Error is measured in term of Kendall distance.

✓ Re-scaling a task's score by an arbitrarily large number causes an equally large error in mean aggregation but leaves ranking-based aggregation unaffected

#### **Data Collection:**

1

Datasets with Task Level Information

- GLUE, SGLUE and XTREME
  - Tasks for XTREME benchmark:
    - Sentence classification and retrieval
    - Structured prediction
    - Question answering

2

Datasets with Instance-level information (NLG evaluation)

- Tasks focused:
  - Summary evaluation
  - Image description
  - Dialogue and Translation

#### How to compare different rankings quantitatively?

- Kendall Distance
- Computes the number of inversions between two permutations

$$K(\tau^1, \tau^2) = \sum_{(j,s)j \neq s} K_{j,s}^*(\tau^1, \tau^2)$$

$$K_{j,s}^*(\tau^1,\tau^2) = \begin{cases} 0 & \text{if } x_i, x_j \text{ are in the same order in } \tau^1 \text{ and } \tau^2 \\ 1 & \text{if } x_i, x_j \text{ are in the inverse order in } \tau^1 \text{ and } \tau^2 \end{cases}$$

#### How to compare different rankings quantitatively?

- 2 Kendall Tau  $(\tau)$  correlation
- $\tau \in [-1, 1]$
- -1 : strong disagreement
- 1: strong agreement

$$\tau = \frac{(nombre\ de\ paires\ concordantes\ ) - (nombre\ de\ paires\ disconcordantes\ )}{\frac{n(n-1)}{2}}$$

- 3 Agreement rate
- Proportion of common top-ranked systems between  $\sigma_m$ ean and  $\sigma^*$

#### **Task-level Aggregation Experiments**

Compute the agreement rate (in %)

**2** Compute the Kendall Tau (τ) correlation between the rankings

Dataset	Top 1	Top 3	Top 5	Top 10
XT.	1	0.66	0.8	0.9
GLUE	1	1	0.8	0.8
<b>SGLUE</b>	1	1	0.8	0.9
Dataset	Last 3	Last 5	Last 10	au
EXT.	1	0.8	0.9	0.82
GLUE	1	0.8	0.7	0.92
SGLUE	1	1	1	0.91

Table 2: Agreement count between Top N/Last N systems on the Ranking when Task Level Information is available.  $\tau$  is computed on the total ranking.

- ✓ High correlation between the final rankings
- ✓ Methods tend to agree on which are the best/worst systems

#### **Task-level Aggregation Experiments**

	GLUE	11.11	XTREM		
$\sigma^*$	Team	$\sigma^{mean}$	$\sigma^*$	Team	$\sigma^{mean}$
0 (1430)	Ms Alex	0 (88.6)	0 (55)	ULR	0 (83.2)
1 (1405)	ERNIE	1 (88.0)	1 (50)	CoFe	1 (82.6)
2 (1397)	DEBERTA	2 (87.9)	2 (44)	InfoLXL	3 (80.6)
3 (1391)	AliceMind	3 (87.8)	3 (42)	VECO	4 (80.3)
4 (1375)	PING-AH	5 (87.6)	4 (35)	Unicoder	5 (79.4)
5 (1362)	HFL	4 (87.7)	5 (34)	PolyGlot	2 (80.6)
6 (1361)	T5	6 (87.5)	6 (31)	ULR-v2	6 (79.4)
7 (1358)	DIRL	10 (86.7)	7 (29)	HiCTL	8 (79.1)
8 (1331)	Zihan	7 (87.6)	8 (29)	Ernie	7 (79.1)
9 (1316)	ELECTRA	11 (86.7)	9 (21)	Anony	10 (78.3)

Table 3: Qualitative analysis between ranking obtained with  $\sigma^*$  or  $\sigma^{mean}$ . Results in parenthesis report the score of the considered aggregation procedure.

✓ When changing the aggregation function, the response to the question "what are the best systems?" varies!

#### **Instance-level Aggregation Experiments**

Comparing the Kendall correlation

2 Comparing the number of agreements between the top N systems

Computing the Kendall correlation between them

	PC	TC	FLI.	MLQE
$ au(\sigma^l,\sigma^{2l})$	-0.08	-0.01	0	-0.03
$ au(\sigma^{mean},\sigma^{2l})$	0.32	0.27	0.29	0.01
$ au(\sigma^{mean},\sigma^l)$	-0.10	-0.15	-0.04	0.00
RSUM	SEVAL	TAC08	TAC09	TAC11
0.04	0.14	0.28	0.06	-0.06
0.07	0.52	0.32	0.37	0.37
0	0.10	0.23	0.19	0.07

Figure 6:  $\tau$  on global instance-level rankings.

#### **Instance-level Aggregation Experiments**

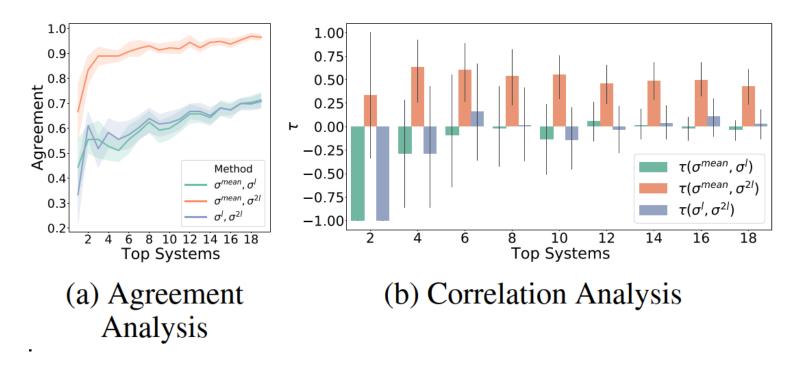


Figure 4: Global Analysis of Instance Level Raning

✓  $\sigma_2$ I exhibits a more similar behavior than  $\sigma_1$  with respect to  $\sigma_2$ 

#### How does the addition/removal of new tasks/metrics affect the ranking?

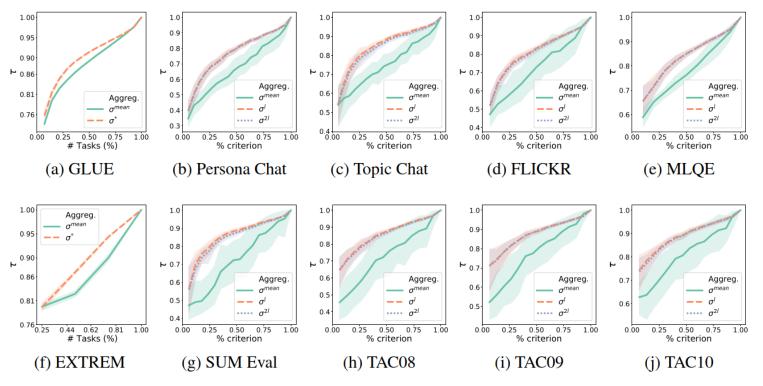


Figure 5: Impact of adding/removing metrics/tasks. The first column refers to ranking obtained with task-level information, while others columns refer to ranking obtained with instance-level information.

- ✓ The ranking from  $\sigma_*$  is more robust to take addition/drop than the one from  $\sigma_{-}$ mean
- ✓ The ranking obtained with either  $\sigma_{-}$ I or  $\sigma_{-}$ 2l are more robust to task addition/drop than the one from  $\sigma_{-}$ mean

# Conclusion

# **Conclusion and opening for future work**

 This paper introduced an aggregation procedure based on Kemeny ranking consensus to rank systems

 This method is both more reliable and more robust than the mean aggregation, formerly used for ranking

• When task level (or better instance level) ranking is available, we should use the aggregation procedure  $\sigma^*$  (or better  $\sigma_2$ I) rather than  $\sigma_m$ ean ( $\sigma_m$ ean and  $\sigma_1$ I)

 This approach could be used in other benchmarking such as Computer Vision or Audio

$$\sigma_{2l} > \sigma_l > \sigma_{mean}$$
Ranking prefered methods