

SRI SIVASUBRAMANIYA NADAR COLLEGE OF ENGINEERING(An Autonomous Institution, Affiliated to Anna University, Chennai)
Rajiv Gandhi Salai (OMR), Kalavakkam – 603 110**THEORY EXAMINATIONS**

74/1.

Register Number	205001085		
Name of the Student	V. Sabari Varan		
Degree and Branch	BE CSE	Semester	V
Subject code and Name	UGS1505 Cryptographic techniques.		
Assessment Test No.	II	Date	19/10/2022

Details of Marks Obtained										
Part A		Part B					Part C			
Question No.	Marks	Question No.	(a)	(b)	Total Marks	Question No.	(a)	(b)	Total Marks	
			Marks	Marks			Marks	Marks		
1	2	7	4	4	4	10				
2	2					11	7		7	
3	0	8	6	6	6	12	10		10	
4	2					13				
5	2	9				Total (C)	17			
6	2					Total (A)	10			
Grand Total (A+B+C)		37			Marks (in words)	Three Seven				
Signature of Faculty										

2

PART-C.

ssn

(12)

$$x \equiv 1 \pmod{3} \rightarrow (1)$$

$$x \equiv 4 \pmod{5} \rightarrow (2)$$

$$x \equiv 6 \pmod{7} \rightarrow (3)$$

Chinese Remainder Theorem

⇒ It is an algorithm used on equations which have single variable but have different module.

⇒ The equations are in the format,

$$x = a \pmod{m}$$

Solution:

$$x = (a_1 M_1 M'_1 + a_2 M_2 M'_2 + \dots + a_n M_n M'_n) \pmod{M}$$

From equations (1), (2), (3).

$$\left. \begin{array}{l} a_1 = 1 \\ a_2 = 4 \\ a_3 = 6 \end{array} \right\} \quad \left. \begin{array}{l} m_1 = 3 \\ m_2 = 5 \\ m_3 = 7 \end{array} \right\}$$

$$\Rightarrow M = m_1 m_2 m_3 = 3 \times 5 \times 7$$

$$\boxed{M = 105}$$

$$\Rightarrow M_1 = M/m_1 = 105/3 = 35$$

$$\Rightarrow M_2 = M/m_2 = 105/5 = 21$$

$$\Rightarrow M_3 = M/m_3 = 105/7 = 15$$

$$\Rightarrow M_1 \times M_1^{-1} \equiv 1 \pmod{m_1}$$

$$35 \times M_1^{-1} \equiv 1 \pmod{3}$$

$$\boxed{M_1^{-1} = 2}$$

$$\Rightarrow M_2 \times M_2^{-1} \equiv 1 \pmod{m_2}$$

$$21 \times M_2^{-1} \equiv 1 \pmod{5}$$

$$\boxed{M_2^{-1} = 1}$$

$$\Rightarrow M_3 \times M_3^{-1} \equiv 1 \pmod{m_3}$$

$$15 \times M_3^{-1} \equiv 1 \pmod{7}$$

$$\boxed{M_3^{-1} = 1}$$

$$\begin{aligned}
 x &= (a_1 M_1 M_1^{-1} + a_2 M_2 M_2^{-1} + a_3 M_3 M_3^{-1}) \bmod M \\
 &= (1(35)(2) + 4(1)(21) + 6(15)(1)) \bmod 105 \\
 &= (70 + 84 + 90) \bmod 105 \\
 &= 244 \bmod 105
 \end{aligned}$$

$$\boxed{x = 34}$$

(1)

~~What is~~Double DES:PART - A

(5)

(1)

Diffusion and Confusion:

⇒ It is a technique used in substitution-permutation networks.

For a truly random permutation, changing the first bit of input would be expected to affect the bytes of the output

⇒ A diffusion step is introduced where the bits of output are permuted using mixing permutation. This confusion / diffusion steps together called a-round are separated multiple times.

$$\textcircled{5} \quad \gcd(1076, 1970)$$

$$= \gcd(1076, 894)$$

$$= \gcd(182, 894)$$

$$= \gcd(182, 712) = \gcd(182, 530)$$

$$= \gcd(182, 348) = \gcd(182, 166)$$

$$= \gcd(16, 166) = \gcd(16, 150)$$

$$= \gcd(16, 134) = \gcd(16, 118)$$

$$= \gcd(16, 102) = \gcd(16, 86)$$

$$= \gcd(16, 70) = \gcd(16, 54)$$

$$= \gcd(16, 38) = \gcd(16, 22)$$

$$= \gcd(16, 6) = \gcd(10, 6)$$

$$= \gcd(4, 6) = \gcd(4, 2)$$

$$= \gcd(2, 2)$$

$$= 2 //$$

$$t = (9, 0) \text{ bsp}$$

- ② Avalanche effect: (correlation)
- In any block cipher, a small change in input must affect every bit of output to produce avalanche effect. In SPN, two properties hold:
- The S-boxes are designed so that changing one input would result in changing the other outputs.
 - The mixing permutations are designed so that bits output by any S-box affect the input of S-boxes in next round.

③

Fermat's Little Theorem:

$$\boxed{a^p \mod p = 1}$$

Where p is prime number and $\gcd(a, p) = 1$

(A)

DES

DES stands for Data encryption Standard.

Bit oriented

Key length = 128 bits,
192 bits and 256 bits

Structure based on substitution-permutation network.

AES

AES stands for Advanced Encryption Standard.

Byte oriented.

Key length = 128 bits.

Structure based on Feistel network.

(G)

Algebraic structures

i) Groups

ii) Fields

iii) Rings

PART-C

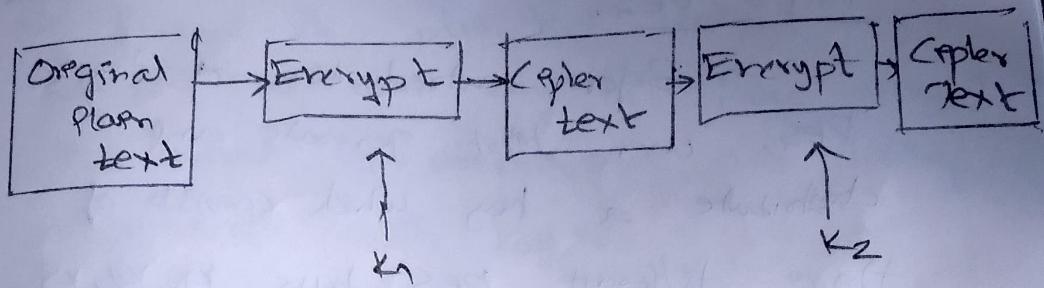
(11)

Double DES:

⇒ Double DES is an encryption approach which uses two examples of DES on same plain text. It provides different keys to encode the plain text.

⇒ Double DES is easy to implement. Double DES uses two keys K_1 and K_2 . It can implement DES on original plain text using K_1 to get the encrypted field text.

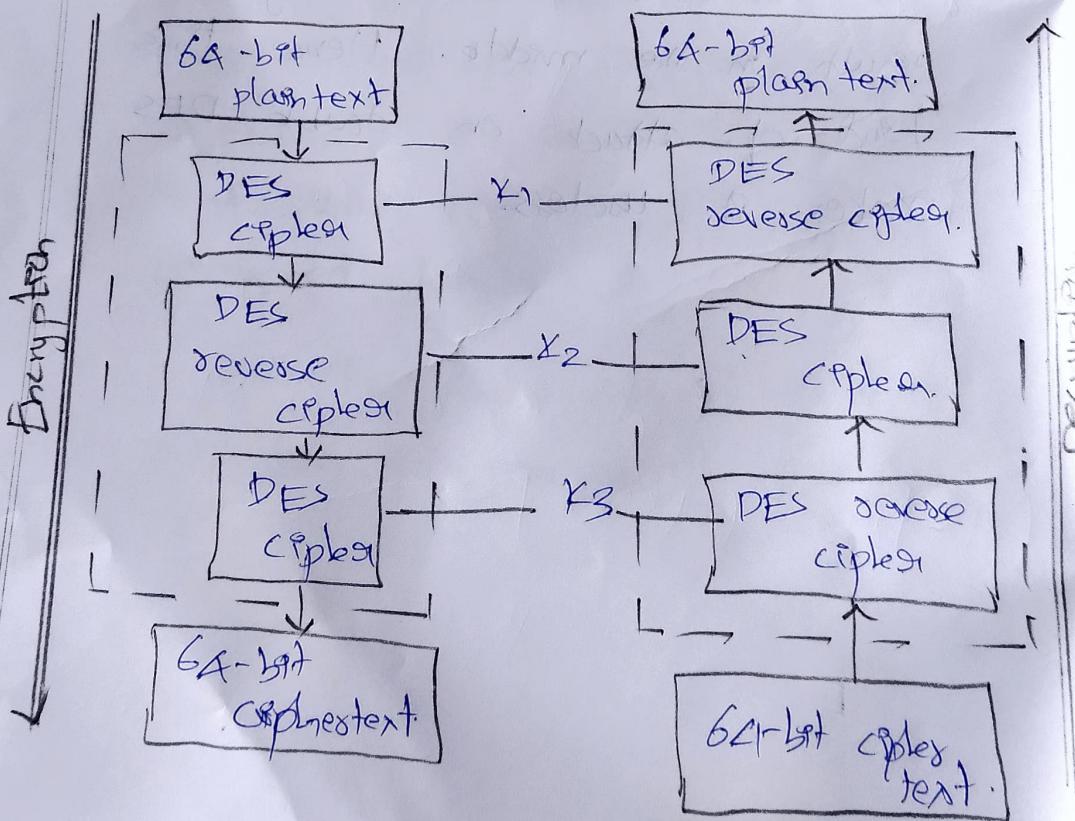
⇒ Result output is the encryption of encrypted plain text.



→ It introduced the terms of meet-in-the-middle attack. This attack contains encryption from one end, decryption from the other and connecting the results in the middle. Hence this kind of attack on double DES makes it useless.

Triple DES:

→ Before introduction of triple DES, user first generate and distribute a key which consists of three different DES keys K_1, K_2, K_3 . This means that the key length is $3 \times 56 = 168$ bits. The encryption scheme of triple DES is as follows,



- Encrypt the plain text blocks using single DES with key K_1 . Now decrypt the output of previous step using single DES with key K_2 .
- Finally encrypt the output of previously step using single DES with key K_3
- The final output will be ciphertext.
- Decryption of ciphertext is a reverse process.
- Triple DES provides backwards compatibility with DES.
- Triple DES are more secure than single DES and double DES.
~~but slow~~

PART-B

(6)

Euler's Totient function:

$$(i) \phi(440)$$

$$\boxed{\Rightarrow \phi(n) = n \left(1 - \frac{1}{p_1}\right) \left(1 - \frac{1}{p_2}\right) \cdots}$$

$$\Rightarrow 440 = 2^3 \times 11 \times 5.$$

$$\begin{aligned} \therefore \phi(440) &= 440 \left(1 - \frac{1}{2}\right) \left(1 - \frac{1}{11}\right) \left(1 - \frac{1}{5}\right) \\ &= 440 \left(\frac{1}{2}\right) \left(\frac{10}{11}\right) \left(\frac{4}{5}\right) \\ &= 160 // \end{aligned}$$

$$(ii) \phi(27)$$

$$\Rightarrow 27 = 3^3$$

$$\begin{aligned} \Rightarrow \phi(27) &= n \left(1 - \frac{1}{p}\right) \\ &= 27 \left(1 - \frac{1}{3}\right) = 27 \left(\frac{2}{3}\right) \\ &= 18 // \end{aligned}$$

(iii) $\phi(231)$

$$\Rightarrow 231 = 11 \times 7 \times 3.$$

$$\begin{aligned}\Rightarrow \phi(231) &= 231 \left(1 - \frac{1}{11}\right) \left(1 - \frac{1}{7}\right) \left(1 - \frac{1}{3}\right) \\ &= 231 \left(\frac{10}{11}\right) \left(\frac{6}{7}\right) \left(\frac{2}{3}\right) \\ &= 120\end{aligned}$$

(7)

Message Authentication Code (MAC)

\Rightarrow Message Authentication Code (MAC)

a cryptographic checksum on data that uses a key to detect both accidental or intentional modification on data.

\Rightarrow MAC requires two inputs: a message and a secret key only to the messenger.

MAC

Small plaintext
to authenticate a
message.

One-Way Hash

Specific type of
MAC that involves
cryptographic hash
functions and a
cryptographic key.

Stands for
Message
Authentication Code.

Stands for Hash
based Message
Authentication Code

Plaintext is passed
to receiver along
with a tag attached
to pt.

Each plaintext is
passed as an input
to a hashfunction
to provide a
unique hashvalue