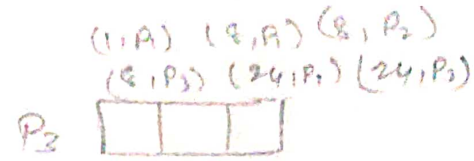
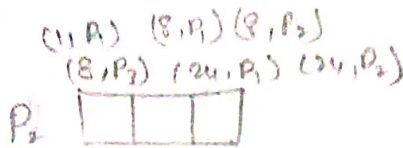
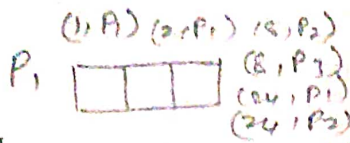


## Lamport's DM Algorithm

$P_1 \rightarrow P_3 \parallel P_2 \parallel P_1 \rightarrow P_2 \parallel P_1$



1	- Req (1, P <sub>1</sub> , {P <sub>2</sub> , P <sub>3</sub> }) add to queue	- Req (1, P <sub>1</sub> , P <sub>2</sub> )	- Req (1, P <sub>1</sub> , P <sub>3</sub> )
2		- Rep (3, P <sub>2</sub> , P <sub>1</sub> )	- Rep (3, P <sub>3</sub> , P <sub>1</sub> ) add
3	- Rep (3, P <sub>2</sub> , P <sub>1</sub> )		
4	- Rep (3, P <sub>3</sub> , P <sub>1</sub> )		
5			
6	<b>[CS]</b>		
7	- Rel (6, P <sub>1</sub> , {P <sub>1</sub> , P <sub>2</sub> }) remove	- Rel (6, P <sub>1</sub> , P <sub>2</sub> ) remove	- Rel (6, P <sub>1</sub> , P <sub>3</sub> ) remove
8	- Req (8, P <sub>1</sub> , {P <sub>2</sub> , P <sub>3</sub> }) add	- Req (8, P <sub>2</sub> , {P <sub>1</sub> , P <sub>3</sub> }) add	- Req (8, P <sub>3</sub> , {P <sub>1</sub> , P <sub>2</sub> })
9	- Req (8, P <sub>2</sub> , P <sub>1</sub> ) add	- Req (8, P <sub>1</sub> , P <sub>2</sub> ) add	- Req (8, P <sub>1</sub> , P <sub>3</sub> ) add
10	- Req (8, P <sub>3</sub> , P <sub>1</sub> ) add	- Req (8, P <sub>3</sub> , P <sub>2</sub> ) add	- Req (8, P <sub>2</sub> , P <sub>3</sub> ) add
11		- Rep (11, P <sub>2</sub> , P <sub>1</sub> )	- Rep (11, P <sub>3</sub> , P <sub>1</sub> )
12	- Rep (11, P <sub>2</sub> , P <sub>1</sub> )		
13	- Rep (11, P <sub>3</sub> , P <sub>1</sub> )		
14			
15	<b>[CS]</b>		
16	- Rel (15, P <sub>1</sub> , {P <sub>2</sub> , P <sub>3</sub> }) remove	- Rel (15, P <sub>1</sub> , P <sub>2</sub> ) remove	- Rel (15, P <sub>1</sub> , P <sub>3</sub> ) remove
17		<b>[CS]</b>	
18	- Rel (18, P <sub>2</sub> , P <sub>1</sub> ) remove	- Rel (18, P <sub>2</sub> , {P <sub>1</sub> , P <sub>3</sub> }) remove	- Rel (18, P <sub>2</sub> , P <sub>1</sub> )
19			<b>[CS]</b>
20		- Rel (21, P <sub>3</sub> , P <sub>2</sub> ) remove	- Rel (21, P <sub>3</sub> , {P <sub>1</sub> , P <sub>2</sub> }) remove
21	- Rel (21, P <sub>3</sub> , P <sub>2</sub> ) remove		
22			
23	- Req (24, P <sub>1</sub> , {P <sub>2</sub> , P <sub>3</sub> }) add	- Req (24, P <sub>2</sub> , {P <sub>1</sub> , P <sub>3</sub> }) add	- Req (24, P <sub>1</sub> , P <sub>3</sub> ) add
24	- Req (24, P <sub>2</sub> , P <sub>1</sub> ) add	- Req (24, P <sub>1</sub> , P <sub>2</sub> ) add	- Req (24, P <sub>2</sub> , P <sub>3</sub> ) add
25		- Rep (26, P <sub>3</sub> , P <sub>1</sub> )	- Rep (26, P <sub>3</sub> , P <sub>1</sub> )
26	- Rep (26, P <sub>3</sub> , P <sub>1</sub> )		
27	- Rep (26, P <sub>3</sub> , P <sub>1</sub> )		
28			
29	<b>[CS]</b>		
30	- Rel (29, P <sub>1</sub> , {P <sub>2</sub> , P <sub>3</sub> }) remove	- Rel (29, P <sub>1</sub> , P <sub>2</sub> ) remove	- Rel (29, P <sub>1</sub> , P <sub>3</sub> ) remove
31	- Rel (32, P <sub>2</sub> , P <sub>1</sub> ) remove	<b>[CS]</b>	
32		- Rel (32, P <sub>2</sub> , {P <sub>1</sub> , P <sub>3</sub> }) remove	- Rel (32, P <sub>2</sub> , P <sub>3</sub> ) remove

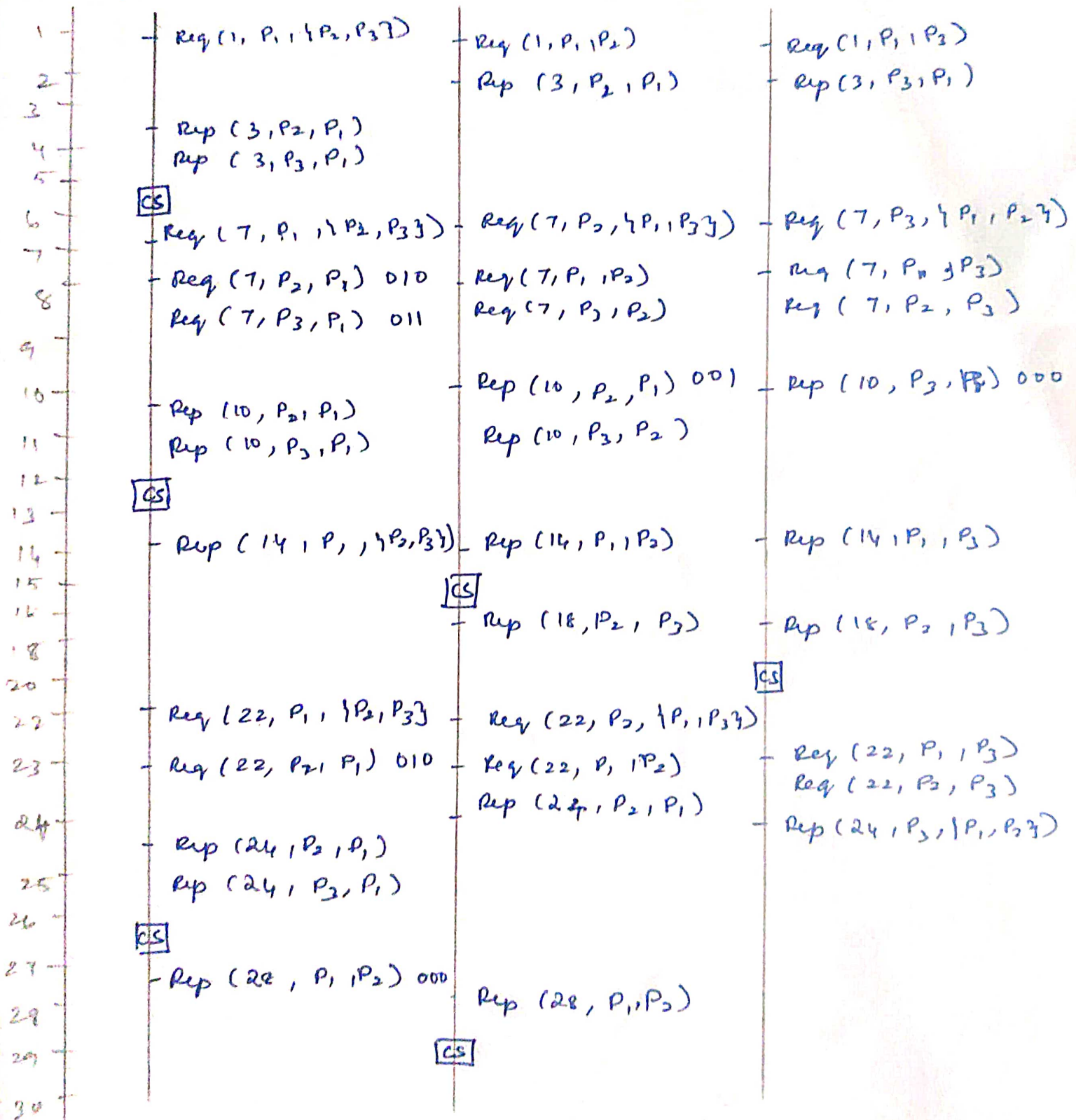
Lamport's algo. achieves mutual exclusion by sending Req, Rep and Rel messages. Hence  $3(N-1)$  messages are required.

### Ricart Agawala Algorithm

$P_1(000)$

$P_2(000)$

$P_3(000)$



This algorithm uses only req and rep messages to communicate thereby reducing to  $2(N-1)$  messages using (by checking which replies have been deferred).